In [1]: # import libraries import scipy.io import numpy as np import pandas as pd import matplotlib import matplotlib.pyplot as plt from scipy.interpolate import interpn import utm import shapely from pyproj import Proj from shapely.geometry import shape from shapely import geometry import shapely.ops as ops from shapely.geometry.polygon import Polygon from functools import partial import pyproj Henson's data In [2]: henson = scipy.io.loadmat('expHensonmod.mat') latH = np.concatenate(henson['lat']) lonH = np.concatenate(henson['lon']) export = henson['exportC'] # units in gC/m2/year In [3]: # plot carbon export at 100 m fig, ax = plt.subplots(1, 1, figsize=(12,8))im = ax.pcolormesh(lonH, latH, export, shading = 'auto') fig.colorbar(im, ax=ax) ax.set_title('Henson data - Export at 100 m') ax.set_xlabel('longitude') ax.set_ylabel('latitude') #plt.savefig('./maps/henson_raw.jpg') Out[3]: Text(0, 0.5, 'latitude') Henson data - Export at 100 m 80 160 60 140 40 - 120 20 - 100 0 - 80 -20-40-6020 -80 -150 -100 100 -50 150 longitude Tim's data In [4]: # extract and clean a bit. tim = scipy.io.loadmat('F100.mat') pc_co2 = tim['F100'] # % of sequestered carbon latT = np.concatenate(tim['lat']) lonT = np.concatenate(tim['lon']) depthT = np.concatenate(tim['depth']) # Tim's longitude are eastward so from 0 to 360. I want -180 to 180. Hence, a bit of $pc_{co2} = np.concatenate((pc_{co2}[:,90:,:], pc_{co2}[:,:90,:]), axis = 1)$ lonT = np.linspace(-179, 179, 180)# replace 1 by 0 in Tim's first layer because it should not be 100% of sequestration ϵ $pc_co2[:,:,0] = np.where(pc_co2[:,:,0] == 1 , 0, pc_co2[:,:,0])$ In [5]: # plot f100 for each depth def plot_tim(lat, lon, index_depth, depth, data): fig, ax = plt.subplots(1, 1, figsize=(12,8))im = ax.pcolormesh(lon, lat, data[:,:,index_depth], vmin = 0, vmax = 100, shading fig.colorbar(im, ax=ax) d = int(np.floor(depth[index_depth])) ax.set_title('% of captured CO2 at '+str(d)+ ' m') ax.set_xlabel('longitude') ax.set_ylabel('latitude') d = int(np.floor(depth[index_depth])) plt.savefig('./maps/Tim/f100_'+str(d)+'_m.jpg') plt.close() In [6]: for i, depth in enumerate(depthT): plot_tim(latT, lonT, i, depthT, pc_co2*100) Interpolate Henson's data (though, it's a finer grid) on Tim's data In [7]: RlatH = latH[::-1] # reverse latH for ascending order needed by scipy points = (RlatH, lonH)values = export RlatT = latT[::-1]RlonT = lonT[::-1]In [8]: coarser_export = [] for i, lat in enumerate(RlatT):
for j, lon in enumerate(lonT): point = np.array([lat,lon]) tmp = float(interpn(points, values, point, method = 'nearest')) coarser_export.append(tmp) except: tmp = np.nancoarser_export.append(tmp) coarser_export = np.array(coarser_export).reshape((91, 180)) # shape of pc_co2 (Tim's print(np.nanmax(coarser_export)) print(np.nanmean(coarser_export)) 170.24612426757812 11.490637334499272 In [9]: # plot both resolutions (just to check if it's OK) fig, (ax0, ax1) = plt.subplots(1, 2, figsize=(24,8))im0 = ax0.pcolormesh(lonH, latH, export, shading = 'auto') fig.colorbar(im0, ax=ax0) ax0.set_title('Henson data - Export at 100 m') ax0.set_xlabel('longitude') ax0.set_ylabel('latitude') im1 = ax1.pcolormesh(lonT, latT, coarser_export, shading = 'auto') fig.colorbar(im1, ax=ax1) ax1.set_title('Henson data at a coarser resolution - Export at 100 m') ax1.set_xlabel('longitude') ax1.set_ylabel('latitude') plt.savefig('./maps/henson_resolution_comparison.jpg') Martin's coefficient (i.e. b) + interpolation on Tim's grid In [10]: # Martin's coefficient from Lionel martin = scipy.io.loadmat('B_martin.mat') b_guidi = martin['B_Guidi'] b_henson = martin['B_Henson'] In [11]: # interpolation on coarser grid b_guidi_coarse = [] b_henson_coarse = [] for i, lat in enumerate(RlatT): for j, lon in enumerate(lonT): point = np.array([lat,lon]) tmp_guidi = float(interpn(points, b_guidi, point, method = 'nearest')) b_guidi_coarse.append(tmp_guidi) except: $tmp_guidi = np.nan$ b_guidi_coarse.append(tmp_guidi) tmp_henson = float(interpn(points, b_henson, point, method = 'nearest')) b_henson_coarse.append(tmp_henson) except: $tmp_henson = np.nan$ b_henson_coarse.append(tmp_henson) b_guidi_coarse = np.array(b_guidi_coarse).reshape((91, 180)) # shape of pc_co2 (Tim's b_henson_coarse = np.array(b_henson_coarse).reshape((91, 180)) # shape of pc_co2 (Tim In [12]: # plot it fig, (ax0, ax1) = plt.subplots(1, 2, figsize=(24,8))im0 = ax0.pcolormesh(lonT, latT, b_guidi_coarse, shading = 'auto', vmin = -1, vmax= -(fig.colorbar(im0, ax=ax0) ax0.set_title('b from Guidi') ax0.set_xlabel('longitude') ax0.set_ylabel('latitude') im1 = ax1.pcolormesh(lonT, latT, b_henson_coarse, shading = 'auto', vmin = -1, vmax = fig.colorbar(im1, ax=ax1) ax1.set_title('b from Henson') ax1.set_xlabel('longitude') ax1.set_ylabel('latitude') plt.savefig('./maps/b_coarse_Guidi_Henson.jpg') b from Guidi b from Henson -150 -100 50 -150 -100 Computation of the remineralisation flux In [13]: depthT # depth levels from Tim's data Out[13]: array([4.93454087e+00, 1.48774788e+01, 2.51158413e+01, 3.59450532e+01, 4.76605389e+01, 6.05577232e+01, 7.49320307e+01, 9.10788861e+01, 1.09293714e+02, 1.29871939e+02, 1.53108986e+02, 1.79300279e+02, 2.08741243e+02, 2.41727303e+02, 2.78553883e+02, 3.19516408e+02, 3.64910303e+02, 4.15030992e+02, 4.70173900e+02, 5.30634451e+02, 5.96708071e+02, 6.68690183e+02, 7.46876213e+02, 8.31561585e+02, 9.23041723e+02, 1.02161205e+03, 1.12756800e+03, 1.24120499e+03, 1.36281844e+03, 1.49270378e+03, 1.63115644e+03, 1.77847183e+03, 1.93494539e+03, 2.10087254e+03, 2.27654870e+03, 2.46226930e+03, 2.65832976e+03, 2.86502551e+03, 3.08265197e+03, 3.31150457e+03, 3.55187872e+03, 3.80406987e+03, 4.06837342e+03, 4.34508481e+03, 4.63449945e+03, 4.93691279e+03, 5.25262023e+03, 5.58191720e+03]) In [14]: def compute_Fseq_prime(z1, z2, b, f_100, Fexp, Zexp = 100): INPUTS: z1, z2: depths above and below depth of interest b : Martin's coefficient f_100 : % of captured carbon Fexp : flux of exported carbon Zexp: depth of export OUTPUT : Fseq_prime : the flux of sequestered carbon if $((np.isnan(b)) \mid (np.isnan(f_100)) \mid (np.isnan(Fexp)))$: $Fseq_prime = np.nan$ $delta_flux = np.nan$ else: $delta_flux = Fexp * ((z1/Zexp)**b - ((z2/Zexp)**b))$ Fseq_prime = delta_flux * f_100 # units gC m-2 year-1 return(Fseq_prime) In [15]: # Ok, let's loop it all, except for the surface and the bottom (missing either z1 or z Fseq_prime = np.zeros(pc_co2.shape) # this will be for the 3D Fseq_prime for i, depth in enumerate(depthT): for j, lat in enumerate(latT): for k, lon in enumerate(lonT): $if((i == 0) \mid (i == len(depthT)-1))$: # surface of bottom, we cannot compute r = int(np.array(np.where(latT == lat))) # r for row c = int(np.array(np.where(lonT == lon))) # c for column $Fseq_prime[r,c,i] = np.nan$ else: r = int(np.array(np.where(latT == lat))) # r for row c = int(np.array(np.where(lonT == lon))) # c for column depthT[i-1] z2 = depthT[i+1]b = b_guidi_coarse[r,c] Fexp = coarser_export[r,c] $f100 = pc_co2[r,c,i]$ $Fseq_prime_z = compute_Fseq_prime(z1, z2, b, f100, Fexp)$ $Fseq_prime[r,c,i] = Fseq_prime_z$ Computation of pixel areas In [16]: # https://stackoverflow.com/questions/4681737/how-to-calculate-the-area-of-a-polygon-# https://proj.org/operations/projections/aea.html def pixel_area2(lon1, lon2, lat1, lat2): {"type": "Polygon" "coordinates": [[[lon2, lat2], [lon2, lat1], [lon1, lat1], [lon1, lat2]]]} co = {"type": "Polygon", "coordinates": [[(lon2, lat2), (lon2, lat1), (lon1, lat1), (lon1, lat2)]]} lon, lat = zip(*co['coordinates'][0]) $pa = Proj("+proj=aea + lat_1="+str(lat1)+" + lat_2="+str(lat2)+" + lat_0="+str((lat2-lat2)+" + lat_0="+str(lat1)+" + lat_0="+str(l$ $\#pa = Proj("+proj=aea + lat_1="+str(lat1)+" + lat_2="+str(lat2))$ x, y = pa(lon, lat)cop = {"type": "Polygon", "coordinates": [zip(x, y)]} return(shape(cop).area*1e-6) # in km2 In [17]: # check formula with the Colorado (rectangle) state lon1 = -109.05lon2 = -102.05lat1 = 37.lat2 = 41.print(pixel_area2(lon1, lon2, lat1, lat2)) # OK looks good 268952.04410743417 In [18]: # how I computed the areas -> cheated a bit on the left and bottom edge, needs to be # pixel_results = np.zeros(b_guidi_coarse.shape) # for i, lon in enumerate(lonT): for j, lat in enumerate(latT): if ((i == len(lonT)-1) | (j == len(latT)-1)):# lon1 = lonT[i]# lon2 = lonT[i] + 1# lat1 = latT[j]# lat2 = latT[j] + 0.9# pixel_results[j,i] = pixel_area2(lon1, lon2, lat1, lat2) # else: # lon1 = lonT[i]-0.5# lon2 = lonT[i+1]-0.5# lat1 = latT[j]-0.5# lat2 = latT[j+1]-0.5# # $pixel_results[j,i] = pixel_area2(lon1, lon2, lat1, lat2)$ #print(pixel_area2(lon1, lon2, lat1, lat2)) In [19]: # load pixel areas and plot it for check pixel_areas = np.load('pixel_areas.npy') fig, ax = plt.subplots(1, 1, figsize=(12,8))im = ax.pcolormesh(lonT, latT, pixel_areas[:,:]) fig.colorbar(im, ax=ax) ax.set_xlabel('longitude') ax.set_ylabel('latitude') ax.set_title('pixel area in km2') ipython-input-19-b87220e3490f>:5: MatplotlibDeprecationWarning: shading='flat' when X< and Y have the same dimensions as C is deprecated since 3.3. Either specify the corne rs of the quadrilaterals with X and Y, or pass shading='auto', 'nearest' or 'gouraud', or set rcParams['pcolor.shading']. This will become an error two minor releases late im = ax.pcolormesh(lonT, latT, pixel_areas[:,:]) Text(0.5, 1.0, 'pixel area in km2')Out[19]: pixel area in km2 80 60 40000 40 20 - 30000 0 - 20000 -20 - 10000 -60-80 -150-100 50 100 longitude In [20]: # plot of sequestered carbon for each depth def plot_fseq(lat, lon, index_depth, depth, data, pixel_area): fig, ax = plt.subplots(1, 1, figsize=(12,8))im = ax.pcolormesh(lon, lat, data[:,:,index_depth]*pixel_area*1e6*1e-15, vmin = 0, fig.colorbar(im, ax=ax) d = int(np.floor(depth[index_depth])) ax.set_title('Fseq_prime at '+str(d)+ ' m - Max Fseq = '+str(np.floor(np.nanmax(da ax.set_xlabel('longitude') ax.set_ylabel('latitude') d = int(np.floor(depth[index_depth])) plt.savefig('./maps/Tim_fseq/Fseq_'+str(d)+'_m.jpg') plt.close() for i, depth in enumerate(depthT): plot_fseq(latT, lonT, i, depthT, Fseq_prime, pixel_areas) <ipython-input-20-ac0d96939dd8>:7: RuntimeWarning: All-NaN slice encountered ax.set_title('Fseq_prime at '+str(d)+ ' m - Max Fseq = '+str(np.floor(np.nanmax(data [:,:,index_depth])))) Compute sequestration In [21]: print(depthT[7]) print(depthT[8]) 91.07888607598377 109.29371391142902 In [22]: above_100m_seq = np.nansum(Fseq_prime[:,:,:8], axis = 2) $below_100m_seq = np.nansum(Fseq_prime[:,:,8:48], axis = 2)$ # show continents above_100m_seq[above_100m_seq == 0] = 'nan' below_100m_seq[below_100m_seq == 0] = 'nan' In [23]: # Henson total sequestered carbon np.nansum(np.nansum(coarser_export*pixel_areas[:,:]*1e6*1e-15, axis = 0)) # GtC year-1 4.093175434644271 Out[23]: In [24]: print("Carbon sequestered above 100m (in Gtc/year): "+str(np.nansum(np.nansum(above_100m)) print("Carbon sequestered below 100m (in Gtc/year): "+str(np.nansum(np.nansum(below_100m))) Carbon sequestered above 100m (in Gtc/year): 0.05265522192948907 Carbon sequestered below 100m (in Gtc/year): 1.1352744355511333 In [25]: fig, (ax0, ax1) = plt.subplots(1, 2, figsize=(24,8))im0 = ax0.pcolormesh(lonT, latT, np.multiply(above_100m_seq[:,:],pixel_areas[:,:]*1e6 fig.colorbar(im0, ax=ax0) ax0.set_title('Stock above 100 m (GtC/year)') ax0.set_xlabel('longitude') ax0.set_ylabel('latitude') # henson im1 = ax1.pcolormesh(lonT, latT, np.multiply(below_100m_seq[:,:],pixel_areas[:,:]*1e6 fig.colorbar(im1, ax=ax1) ax1.set_title('Stock below 100 m (GtC/year)') ax1.set_xlabel('longitude') ax1.set_ylabel('latitude') plt.savefig('./maps/sequestered_carbon.jpg') tock above 100 m (GtC/year) 0.0004 0.0002 In [26]: # to do : # deal with the edge issue for the pixel area