ACiD seminar

Thursday, 28 February 2013 E245

Speaker: Maxim Sviridenko, Warwick

New Approximation Algorithms for the Minimimum Set Cover and Other Covering Problems

We study the relationship between the approximation factor for the Set-Cover problem and the parameters Δ : the maximum cardinality of any subset, and k: the maximum number of subsets containing any element of the ground set. We show an LP rounding based approximation of $(k-1)(1-e^{-\frac{\ln\Delta}{k-1}})+1$, which is substantially better than the classical algorithms in the range $k \approx \ln \Delta$, and also improves on related previous works [Krivelevich, Okun]. For the interesting case when $k = \theta(\log \Delta)$ we also exhibit an integrality gap which essentially matches our approximation algorithm. In addition we will discuss results on Generalized Min Sum Set Cover Problem. I will describe the state of the art, our results and open problems.