

Rodriguez_Felipe_DSC530_7.2Exercise

January 29, 2023

```
[70]: # Taken from book to download scripts
```

```
from os.path import basename, exists
```

```
def download(url):
```

```
    filename = basename(url)
```

```
    if not exists(filename):
```

```
        from urllib.request import urlretrieve
```

```
        local, _ = urlretrieve(url, filename)
```

```
        print("Downloaded " + local)
```

```
[71]: download("https://github.com/AllenDowney/ThinkStats2/raw/master/code/nsfg.py")
```

```
download("https://github.com/AllenDowney/ThinkStats2/raw/master/code/first.py")
```

```
download("https://github.com/AllenDowney/ThinkStats2/raw/master/code/
```

```
    ↪thinkstats2.py")
```

```
download("https://github.com/AllenDowney/ThinkStats2/raw/master/code/thinkplot.
```

```
    ↪py")
```

```
download("https://github.com/AllenDowney/ThinkStats2/raw/master/code/estimation.
```

```
    ↪py")
```

```
download("https://github.com/AllenDowney/ThinkStats2/raw/master/code/
```

```
    ↪2002FemPreg.dct")
```

```
download("https://github.com/AllenDowney/ThinkStats2/raw/master/code/
```

```
    ↪2002FemPreg.dat.gz")
```

```
[72]: # Imports scripts used
```

```
import nsfg
```

```
import pandas as pd
```

```
import thinkplot
```

```
import thinkstats2
```

```
import math
```

```
import random
```

```
import numpy as np
```

```
from estimation import RMSE, MeanError
```

```
import first
```

7-1 Using data from the NSFG, make a scatter plot of birth weight versus mother's age. Plot

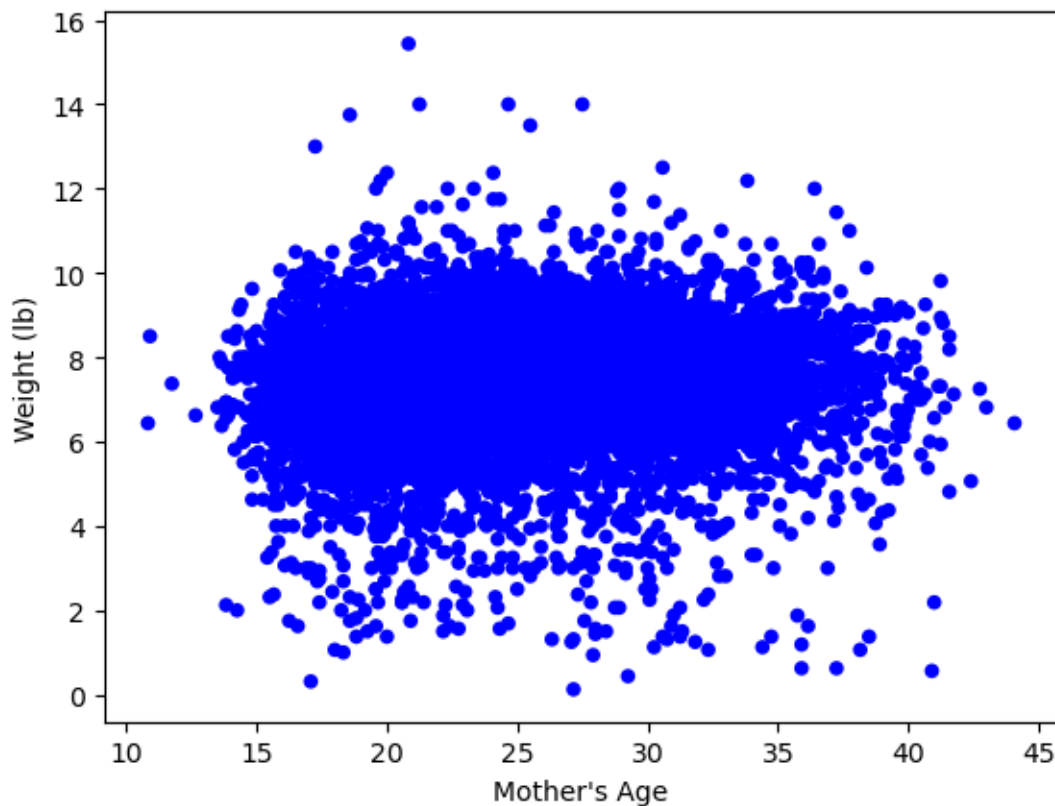
percentiles of birth weight versus mother's age. Compute Pearson's and Spearman's correlations. How would you characterize the relationship between these variables?

```
[73]: # Creates Data
live, firsts, others = first.MakeFrames()
live = live.dropna(subset=['agepreg', 'totalwgt_lb'])
```

```
[74]: # Creates Total Weight
birth_weight = live.totalwgt_lb
```

```
[75]: # Creates Ages Pregnant
age_preg = live.agepreg
```

```
[76]: # Creates Scatter Plot
thinkplot.Scatter(age_preg, birth_weight, alpha=1)
thinkplot.Config(xlabel="Mother's Age",
                  ylabel='Weight (lb)',
                  legend=False)
```



```
[77]: # Displays Pearson's and Spearman's Correlation
print("Pearson's Correlation", thinkstats2.Corr(age_preg, birth_weight))
```

```
print("Spearman's Correlation", thinkstats2.SpearmanCorr(age_preg,
↳ birth_weight))
```

Pearson's Correlation 0.06883397035410911
 Spearman's Correlation 0.09461004109658226

The scatter plot shows a weak correlation between age and weight since it is non linear. Both Pearson and Spearman correlation are low and support the weak correlation in the scatter plot.

8-1 In this chapter we used \bar{x} and median to estimate μ , and found that \bar{x} yields lower MSE. Also, we used S^2 and S_{n-1}^2 to estimate σ^2 , and found that S^2 is biased and S_{n-1}^2 unbiased. Run similar experiments to see if \bar{x} and median are biased estimates of μ . Also check whether S^2 or S_{n-1}^2 yields a lower MSE.

```
[78]: # Mean Error Function
def Mean_Error(n=7, m=100000):
    mu = 0
    sigma = 1

    # Creates mean and median lists
    means = []
    medians = []
    # Calculation of Mean Error
    for _ in range(m):
        xs = [random.gauss(mu, sigma) for i in range(n)]
        xbar = np.mean(xs)
        median = np.median(xs)
        # Adds values to list
        means.append(xbar)
        medians.append(median)

    # Displays Results
    print('MSE Results')
    print('mean error xbar', MeanError(means, mu))
    print('mean error median', MeanError(medians, mu))
```

```
[79]: # Bias Function
def Bias(n=7, m=100000):
    mu = 0
    sigma = 1

    estimates1 = []
    estimates2 = []
    for _ in range(m):
        xs = [random.gauss(mu, sigma) for i in range(n)]
        biased = np.var(xs)
        unbiased = np.var(xs, ddof=1)
        estimates1.append(biased)
```

```

        estimates2.append(unbiased)

    print('Biased vs Unbiased Results')
    print('RMSE biased', RMSE(estimates1, sigma**2))
    print('RMSE unbiased', RMSE(estimates2, sigma**2))

```

```

[80]: def main():
        Mean_Error()
        Bias()

    if __name__ == '__main__':
        main()

```

MSE Results

```

mean error xbar 0.0003920250241303121
mean error median 0.0007809353008293616
Biased vs Unbiased Results
RMSE biased 0.5140058974128343
RMSE unbiased 0.5764352241123035

```

8-2 Suppose you draw a sample with size $n=10$ from an exponential distribution with $\lambda=2$. Simulate this experiment 1000 times and plot the sampling distribution of the estimate L . Compute the standard error of the estimate and the 90% confidence interval.

Repeat the experiment with a few different values of n and make a plot of standard error versus n .

```

[81]: # Calculates RMSE grabbed from book
def RMSE(estimates, actual):
    # Calculation
    e2 = [(estimate-actual)**2 for estimate in estimates]
    mse = np.mean(e2)
    return np.sqrt(mse)

```

```

[82]: # Used from Estimation.py
def SimulateSample(lam=2, n=10, m=1000):
    # lam: parameter of an exponential distribution
    # n: sample size
    # m: number of iterations

    # Establishes Plots for percentiles, used later
    def VertLine(x, y=1):
        thinkplot.Plot([x, x], [0, y], color='red', linewidth=3)

    # Creates Estimates list
    estimates = []
    # Calculation
    for j in range(m):
        xs = np.random.exponential(1/lam, n)

```

```

    lamhat = 1/np.mean(xs)
    # Adds calculation to list
    estimates.append(lamhat)

    # Calculate Standard Error base on estimate list and exponential parameter
    standard_error = RMSE(estimates, lam)
    print('standard error', standard_error)

    # Creates estimates cdf
    cdf = thinkstats2.Cdf(estimates)

    # Creates confidence interval based on 90%
    confidence_interval = cdf.Percentile(5), cdf.Percentile(95)
    print('confidence interval', confidence_interval)

    # Plots lines for 5th and 95th Percentile
    VertLine(confidence_interval[0])
    VertLine(confidence_interval[1])

    # Plots the CDF
    thinkplot.Cdf(cdf)
    thinkplot.Show(root='estimation2',
                    xlabel='estimate',
                    ylabel='CDF',
                    title='Sampling distribution')

    return standard_error

```

```

[83]: def main():
    # Establishes different values for sample size
    for n in [10, 50, 100]:
        print('Sample size:', n)
        stderr = SimulateSample(n=n)

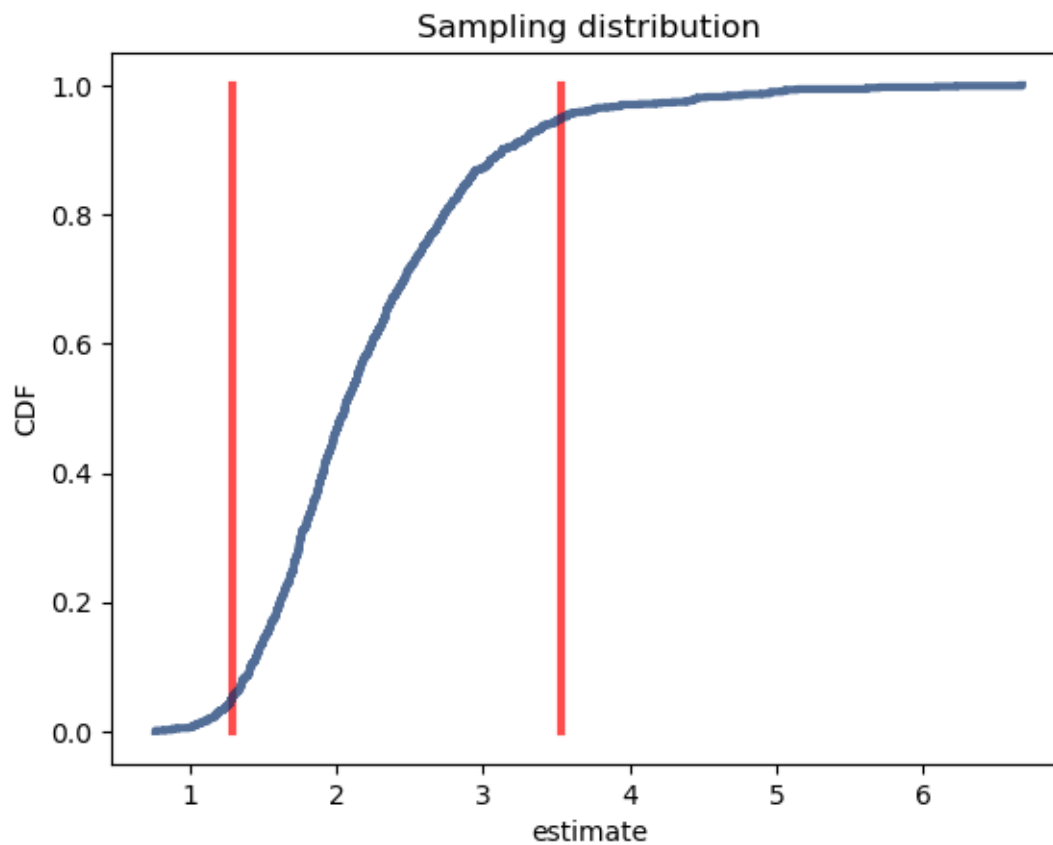
    if __name__ == '__main__':
        main()

```

```

Sample size: 10
standard error 0.8026281306832422
confidence interval (1.2894786659794217, 3.534847307551774)

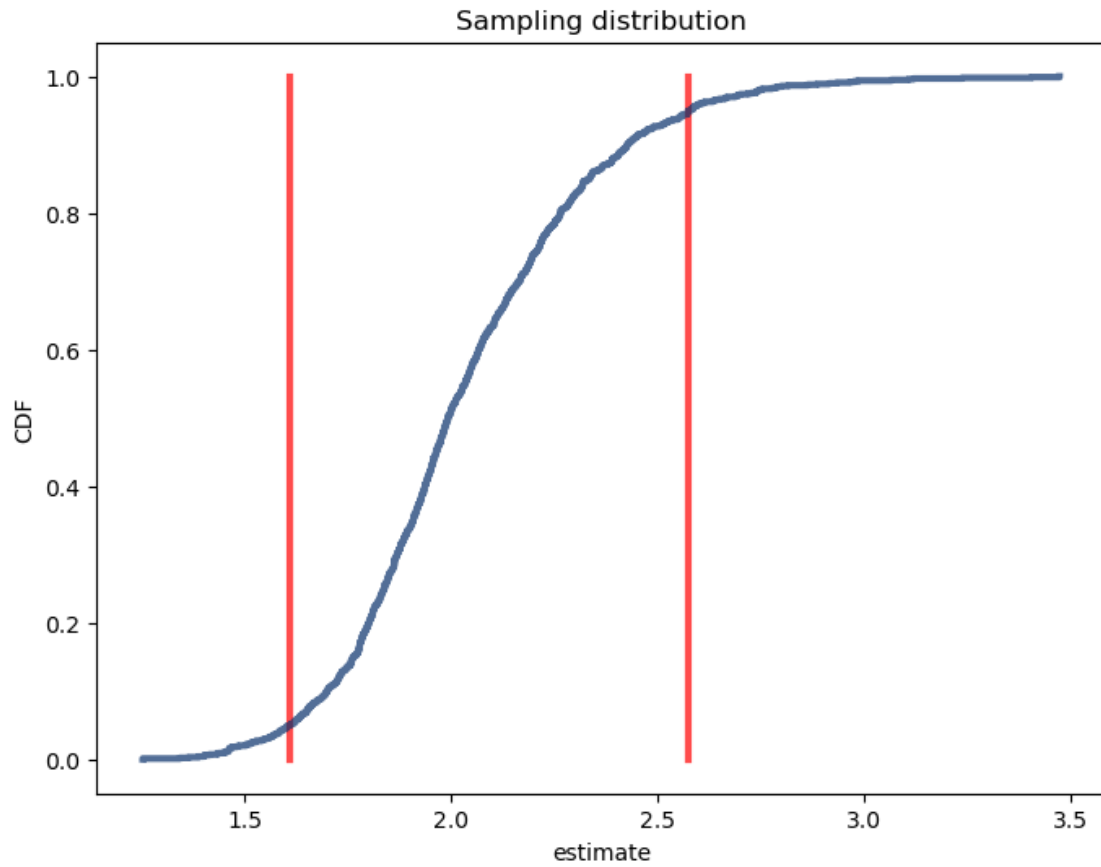
```



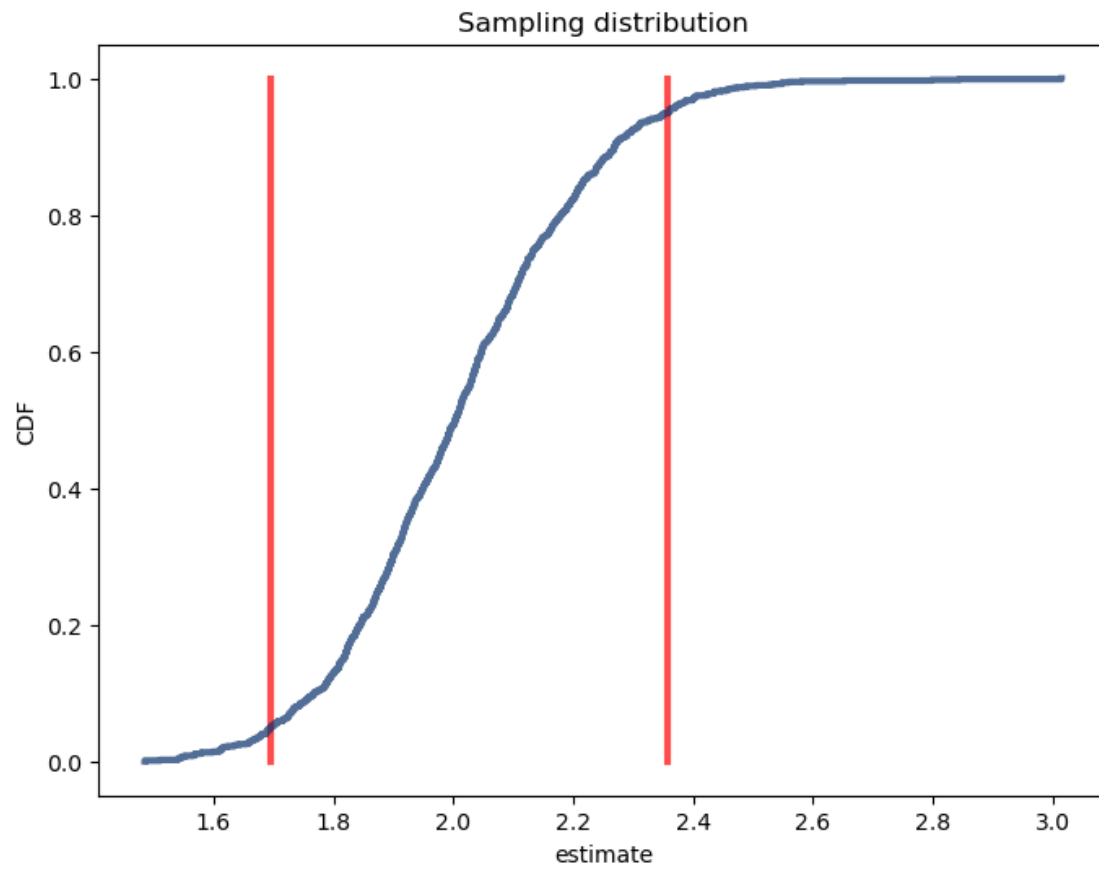
Sample size: 50

standard error 0.3013747624233301

confidence interval (1.6096525122515635, 2.575582712058378)



Sample size: 100
standard error 0.20038615457224068
confidence interval (1.6965719075499197, 2.3586207627256424)



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