Matlab-Automatic Control

 $March\ 7,\ 2023$

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1 Matlab commands

```
% LTI systems
clear all
clc
% simple matrices
A = [0 \ 1; -2 \ -3]
B = [1;0]
% tranfert function
s=tf('s');
H = (s+5)/(s^2+3*s+2)
% poles and zeros
poles_H = pole(H)
zeros_H = zero(H)
zpk(H) % Zero-pole-gain form
% Use ss to obtain A, B, C, D
% ss = systyem state rapresentation
sys = ss(H)
% example 3 L03
% Define the system input
U=2/s; x0=[2;2]
% Introduce the system transfer function
H = (2*s+1)/(s+4)^2
% -> use statements minreal and zpk, in order to simplify and highlight
% denominator roots respectively
Y = zpk(minreal(H*U,1e-3))
\% For Y(s) , compute the PFE using the statements tfdata and residue
[num_Y,den_Y] = tfdata(Y,'v')
% tf ss
% A = [-3 \ 2; -2 \ -3]; B = [1;0]; C = [0 \ 1]; D = 0;
```

```
% Use tf to obtain the transfer function H(s)
H = tf(sys)
% Use ss to obtain A, B, C, D
sys = ss(H)
% example 2 LO2
% Define the Laplace variabile s using tf statement
s = tf('s')
% Introduce the system matrices A, B and C
A = [-3 \ 2; -2 \ -3], B = [1; 0], C = [0 \ 1]
% Define the system input and initial condition
U = 1/s, x0 = [1;1]
% Compute use statements minreal and zpk, in order to simplify and highlights
% denominator roots respectively
Y = zpk(minreal(C*inv(s*eye(2)-A)*(B*U+x0),1e-3))
\% For Y(s) , compute the PFE using the statements tfdata and residue
[num_Y,den_Y] = tfdata(Y,'v')
[r,p] = residue(num_Y, den_Y)
% Compute magnitude and phase of the residue corresponding to the complex
% root with positive imaginary part
M = abs(r(1))
phi = angle(r(1))
```