

## SECI1013: DISCRETE STRUCTURE SEM 1 2023/2024

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Marks

**Question 1** 

[3 Marks]

Fill in the blank with correct properties that relation could be reflexive/ irreflexive/ symmetric/ anti-symmetric/ transitive. (One answer only)

- a. Nothing is related to itself
- b. No one-way streets
- c. Whenever there's a roundabout route, there's a direct route

(1m)

(1m)

(1m)

Question 2

[3 Marks]

Given the relation  $\{(-7,2), (0,4), (2,-1), (-3,0), (-3,3)\}$ 

22/11/2023

a. State the domain and range of the relation domain = \frac{2}{71-3},012\frac{2}{3}, range = \frac{2}{5}-110, \frac{2}{1m}\frac{3}{3} \frac{4}{3}

b. Determine whether the relation is function and explain

(1m)

c. Create a mapping diagram of the relation

(1m)

(b) not a function because f(-3) = 0 and 8 (c)

[6 Marks]

Question 3

Given a pair of functions, f(x)=3/(2x+1), g(x)=2/x. Find:

a. (gof)(x)

b. Domain of function.

(a)  $(g \circ f)(x) = g(f(x)) = \frac{2}{3(2x+1)} = \frac{2(2x+1)}{3} = \frac{4x+2}{3}$ (b) domain  $= \frac{3}{(2x+1)}$ ,  $x \neq -\frac{1}{2}$  (3m)

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Given an arithmetic sequence 5, 37/7, 39/7, 41/7 ....

a. Find the sequence recursive formula

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b. Write a Pseudo-code for function a(n)

(a) an=(an + 2, n >1 (b) (g(n) {

(1m) (2m)