

*Stack can be used to reverse any input.

Applications of Stack

① Infix ~~App~~ expression →

operands → A, B, --

operators → + - * /

<operand> <operator> <operand> → A + B

② ^{post}~~Prefix~~ expression
(A + B) AB +

③ Prefix exp →
+ AB (A + B)

↓ Conv. of Infix to Postfix exp (Algorithm):-

STEPS →

① If the char is left paranthesis, push to the stack.

② If the char is OPERAND, add to the POSTFIX exp.

③ If the char is OPERATOR, check whether stack is empty.
if empty - push to stack. If not, check priority

(i) If priority of OPERATOR > OPERATOR present at TOP of stack, then PUSH the operator in the stack.

If its left para.
don't check
push in stack

(ii) If the priority of operator ≤ operator present at TOP of stack, then pop the operator from stack and add to POSTFIX exp and goto step (i)

④ If the char is RIGHT Paranthesis, then pop all the operators from the stack untill it reaches left para & add to postfix.

⑤ After reading all char, if stack is not empty then pop and add to postfix.

for eg $A+B \times C$

$A \rightarrow$ char (operand) by step 2

$+$ \rightarrow operator step 3

\rightarrow stack is empty - push to stack

$B \rightarrow$ operand step 2

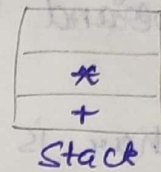
$\times \rightarrow$ operator step 3 (i)

$C \rightarrow$ operand step 2

step 5

$ABC \times +$

Postfix
 ABC



eg 2 $a - (b \times c - d) / e \rightarrow$ Infix

char	stack	postfix
a		a
-		a -
(a - (
b		a - (b
*		a - (b *
c		a - (b * c
-		a - (b * c -
d		a - (b * c - d
)		a - (b * c - d -
/		a - (b * c - d - /
e		a - (b * c - d - e

(\rightarrow push

$+$ \rightarrow postfix

$+$ \rightarrow empty - Push

\rightarrow not empty

is it priority
push

pop before
& postfix it
check again

) \rightarrow pop all till (add to postfix

* last \rightarrow pop, add to postfix

$a - (b * c - d) / e$ we don't insert
FI = $(b * c - d)$ in postfix

$a - (b * c - d) / e$

$a - (b * c - d) / e$

$a - (b * c - d) / e$

2) Evaluation of Postfix Expression →

① Only stack is used.

② operand stack

① If char is operator^{and}, push into stack.

② If char is operator, pop top 2 operands from the stack, perform calculations, push the result back into stack.

After reading all the char in from postfix exp.
STACK will be only having RESULT.

Eg →

562 * +

char

5

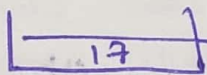
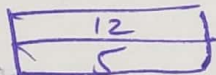
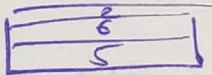
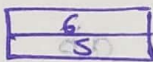
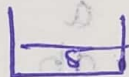
6

2

*

+

Stack



Result = 17

Eg.

4325 * - +

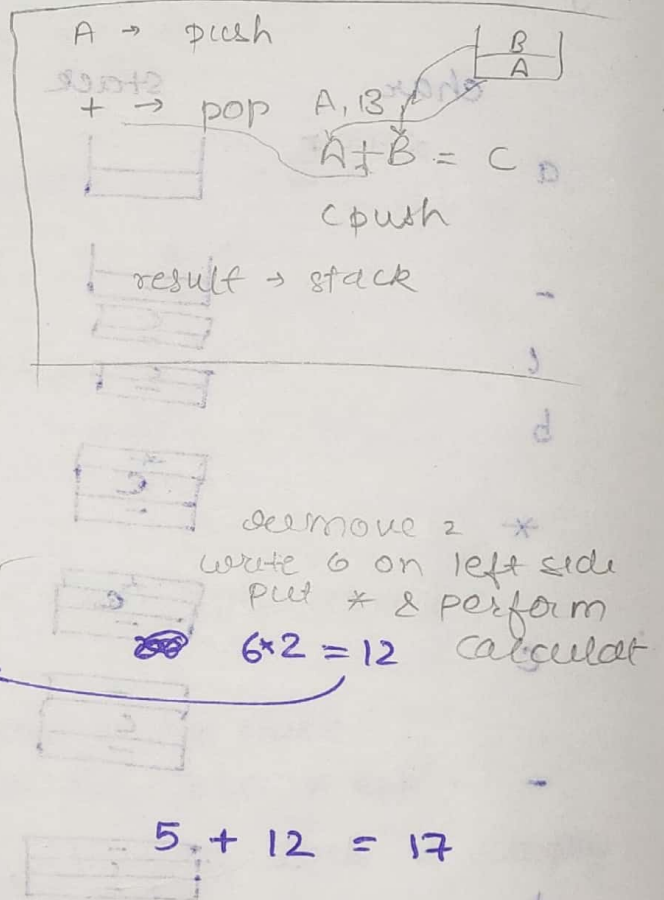
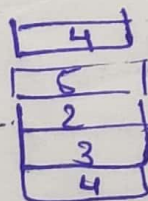
char

3

2

5

stack



$$\begin{array}{|c|} \hline 10 \\ \hline 5 \\ \hline 4 \\ \hline \end{array}$$

$$2 \times 5 =$$

$$\begin{array}{|c|} \hline -7 \\ \hline 4 \\ \hline \end{array}$$

$$3 - 10 = -7$$

$$\begin{array}{|c|} \hline -3 \\ \hline \end{array}$$

$$4 + -7 = -3$$

$$\text{Ans} = -3$$

37 Balancing Symbols →

→ Balancing every open symbol should have closed symbol

Balancing symbols
 $()$ → exp.
 $[]$
 $\{\}$ → block of statements

Algorithm →

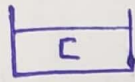
- ① Read char from exp.
- ② If char is open symbol '(', '[', '{', push symbol into stack.
- ③ If char is closed symbol ')', ']', '}', check if stack is empty
 - If empty, exp is unbalanced
 - If not, pop the symbol from stack and compare with the symbol which is read.
 - = If matches, repeat the process
 - = If not, unbalanced.
- ④ After reading all the exp, stack ^{not} empty → unbalanced.

Example →

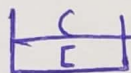
$$[(a+b)(a-b)]$$

24 Q.

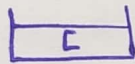
[



(



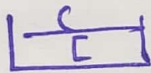
)



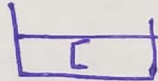
pop C

compare - matches

(



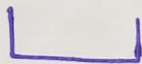
)



pop C

compare - matches

]



pop E

compare matches

BALANCED EXPRESSION

USE OF STACK

- To reverse a word
- application

open → push

close — empty — unbalanced

not empty — pop compare repeat