Non-Emergent (Linguistic) Properties

27 Oct 2023 FSU SC-ML Tom Juzek





Resources General

Schaeffer et al. 2023:

https://arxiv.org/pdf/2304.15004.pdf

Resources Linguistics

Warstadt and Bowman 2022:

https://arxiv.org/pdf/2208.07998.pdf

Warstadt et al. 2019:

https://arxiv.org/pdf/1805.12471.pdf

Anon SAD 2023 (paper+corpus*+code*):

https://github.com/arizus/sad



Overview

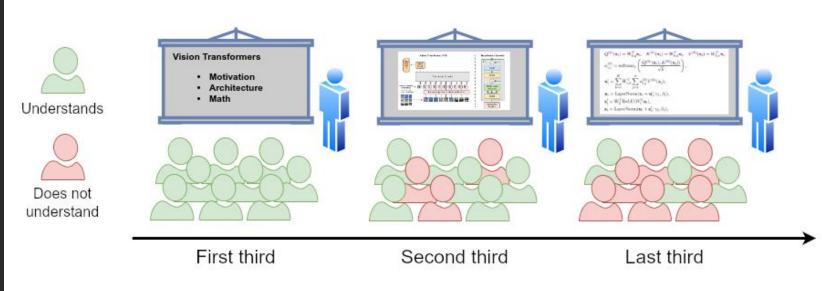
- Revisit emergence
- Schaeffer et al. 2023
- linguistic properties, current research line

→ usual format: Qs anytime

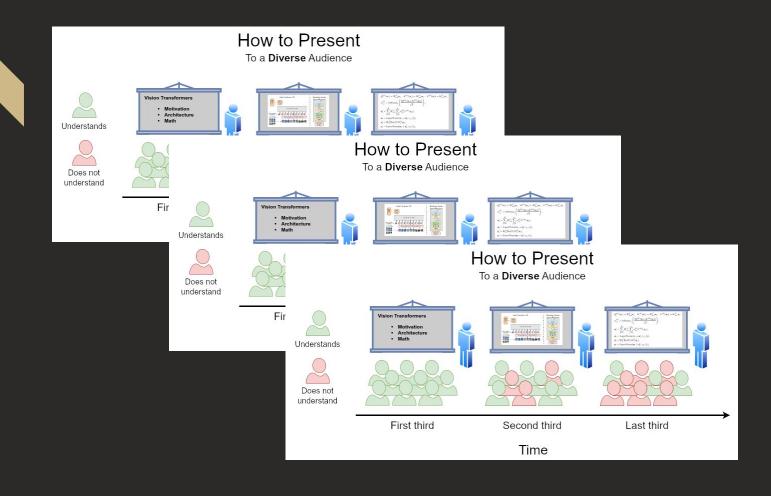
Overview

How to Present

To a Diverse Audience



Time



Recap: Intro

Data - ODEP - ANN - Transformers - LLMs



A very general introduction

"AI/LLM revolution", "structure of learning"



"Emergence is when quantitative changes in a system result in qualitative changes in behavior."

Steinhardt 2022, "rooted in" (as per Wei et al. 2022):

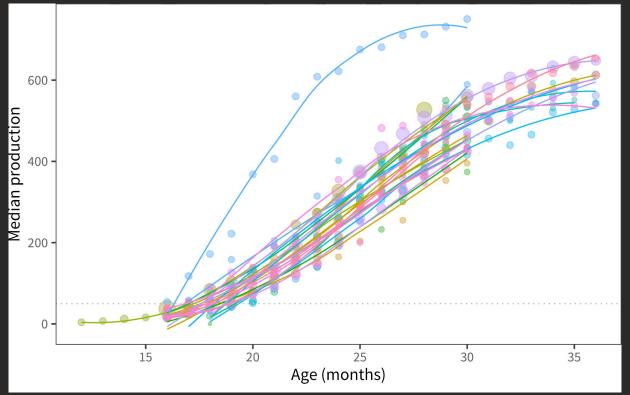
Emergence:

- "sharp" learning
- "hard to predict"

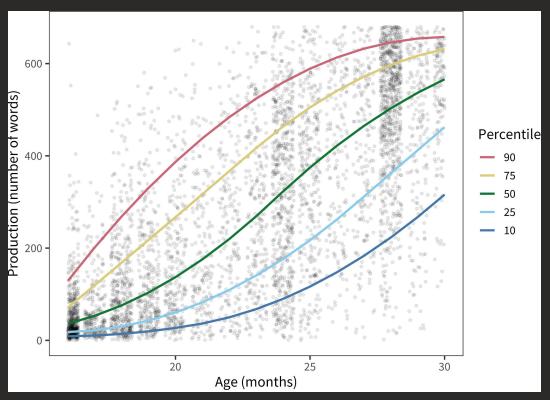
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Zina Ward's point about human abilities:

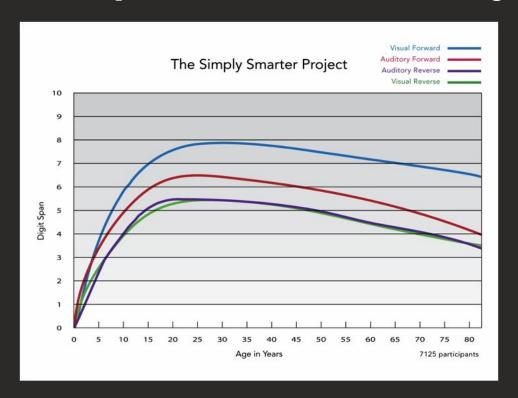


Frank et al. 2021. Word-bank book.



Frank et al. 2021. Word-bank book.

Nathan's point about underlying ...

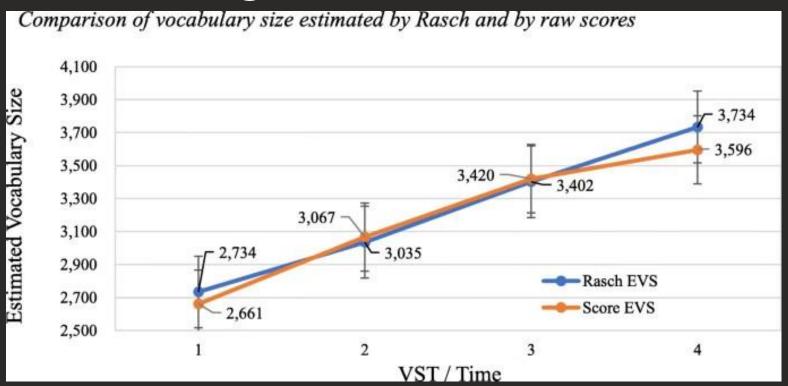


Doman Jr. 2008. Short Term and Working Memory.

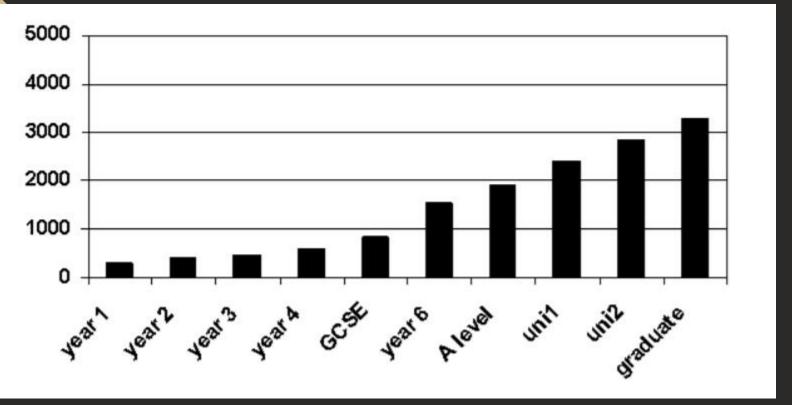
Table 26.1	Average Native Speaker	Vocabulary S	Sizes for	Various Age	Levels

Age	Average vocabulary size		
6-year-olds	4,000 word families		
7-year-olds	5,000 word families		
8-year-olds	6,000 word families		
9-year-olds	7,000 word families		
10-year-olds	8,000 word families		
11-year-olds	9,000 word families		

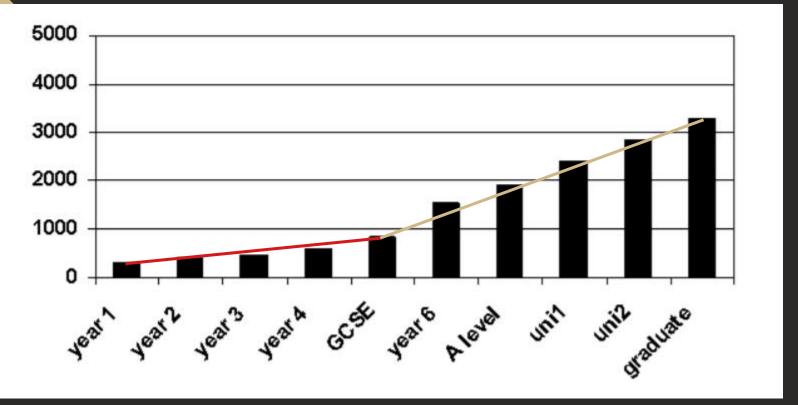
Hinkel 2017. Handbook of Research in Second Language Teaching and Learning.



Akase 2022. Longitudinal measurement of growth in vocabulary ...



Conti 2017. How many new words should you teach per lesson?



Conti 2017. How many new words should you teach per lesson?

For the discussion of non-emergence, we can keep in mind:

- Olmo's point about the role of the loss function
- Gordon's point about sudden system collapses





Schaeffer, Miranda, Koyejo 2023

https://arxiv.org/pdf/2304.15004.pdf

Relevance

"What controls which abilities will emerge? What controls when abilities will emerge? How can we make desirable abilities emerge faster, and ensure undesirable abilities never emerge?"

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 \rightarrow emergence or not, important questions

Core aspect

"[W]e present an alternative explanation for emergent abilities: that for a particular task and model family, when analyzing fixed model outputs, emergent abilities appear due the researcher's choice of metric rather than due to fundamental changes in model behavior with scale."

Structure

- Introduction
- Alternative Explanation for Emergent Abilities
- Analyzing [GPT]'s Emergent Arithmetic Abilities
- Meta-Analysis of Claimed Emergent Abilities
- Inducing Emergent Abilities in Networks on Vision Tasks
- Related Work
- Discussion

Structure

- Introduction
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Starting observation-ish

92% of emergent tasks fall into two categories qua metrics:

```
Multiple Choice Grade \stackrel{\text{def}}{=} \begin{cases} 1 & \text{if highest probability mass on correct option} \\ 0 & \text{otherwise} \end{cases}
Exact String Match \stackrel{\text{def}}{=} \begin{cases} 1 & \text{if output string exactly matches target string} \\ 0 & \text{otherwise} \end{cases}
```



"Linear" baseline model family

Test it on common metrics

V

Test it on alternative metrics

Ingredients:

- "Model family", Large Language Models
- different numbers of parameters N > 0
- each model's per-token cross entropy falls as a power law with the number of parameters N for:
- constant c > 0
- constant α < 0

$$\mathcal{L}_{CE}(N) = \left(\frac{N}{c}\right)^{\alpha}$$

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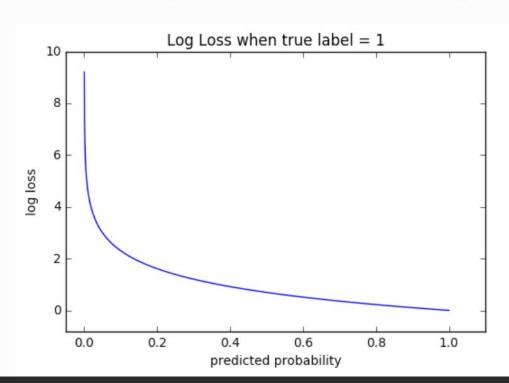
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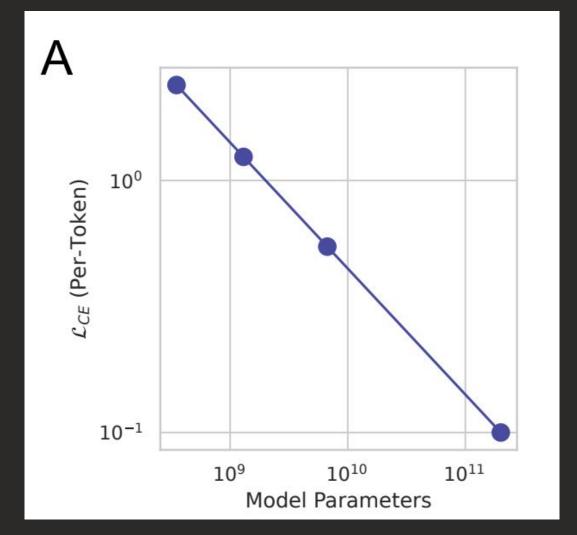
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Cross-Entropy

Cross-entropy loss, or log loss, measures the performance of a classification model whose output is a probability value between 0 and 1. Cross-entropy loss increases as the predicted probability diverges from the actual label. So predicting a probability of .012 when the actual observation label is 1 would be bad and result in a high loss value. A perfect model would have a log loss of 0.



ml-cheatsheet.readthedocs.io





- V: set of possible tokens
- $\mathbf{p} \in \Delta^{|V|-1}$: true but unknown probability distribution
- Δ^{|V|-1}: set of all possible probability distributions over the vocabulary, where each distribution assigns a probability to each word such that the sum of probabilities is 1 (ChatGPT)

Still on establishing a "baseline":

- $\hat{\mathbf{p}}_{N} \in \Delta^{|V|-1}$: model with N parameters, its predicted probability distribution
- per-token cross entropy as a f(N):

$$\mathcal{L}_{CE}(N) \stackrel{\text{def}}{=} -\sum_{v \in V} p(v) \log \hat{p}_N(v)$$

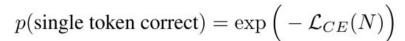
In practice, p is unknown, so we substitute a one-hot distribution of the observed token v^* :

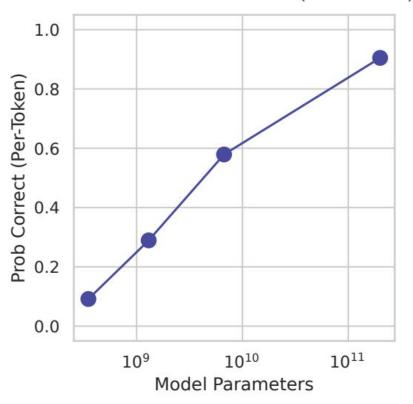
$$\mathcal{L}_{CE}(N) = -\log \hat{p}_N(v^*)$$

A model with N parameters then has a per-token probability of selecting the correct token (Fig. 2B):

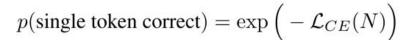
$$p(\text{single token correct}) = \exp\left(-\mathcal{L}_{CE}(N)\right) = \exp\left(-(N/c)^{\alpha}\right)$$

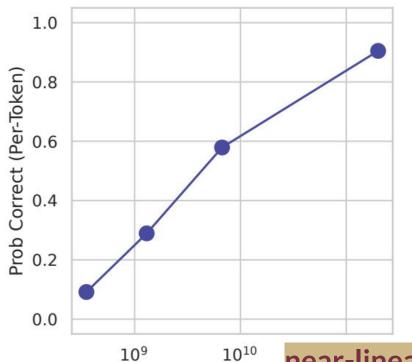
В





B





near-linear; non-emergence

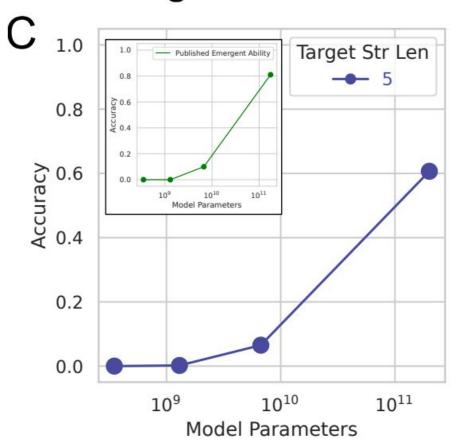
Suppose:

- a metric that requires selecting L tokens correctly
- probability of scoring 1 is*:

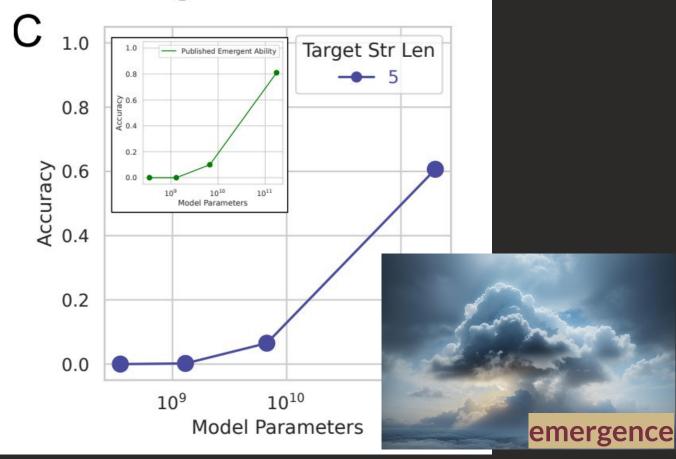
Accuracy(N)
$$\approx p_N(\text{single token correct})^{\text{num. of tokens}} = \exp\left(-(N/c)^{\alpha}\right)^L$$

*assuming independence, see FN1

Emergent Abilities



Emergent Abilities



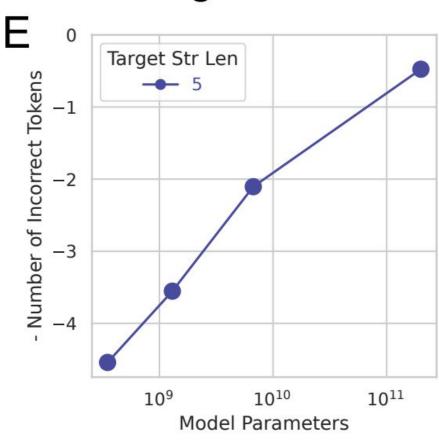
But change that to another metric, Token
 Edit Distance:

$$\text{Token Edit Distance}(N) \approx L \left(1 - p_N(\text{single token correct})\right) = L \left(1 - \exp\left(-(N/c)^{\alpha}\right)\right)$$

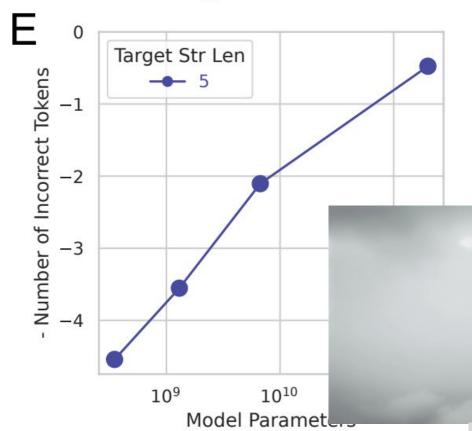
L: ... appendix (let's have a look if there is time)

Essentially, changing from Accuracy to something like the Levenshtein distance

No Emergent Abilities

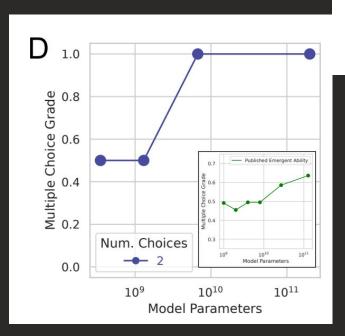


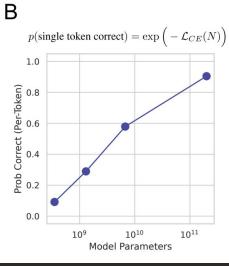
No Emergent Abilities

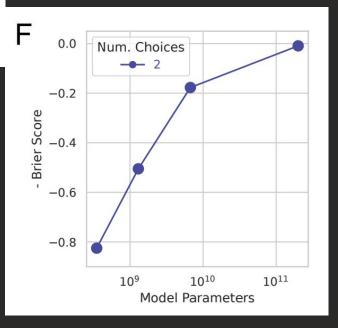


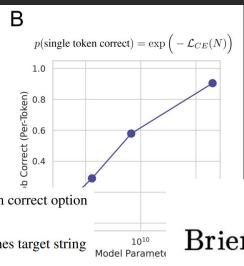
non-emergence

Similarly for Multiple Choice Tasks



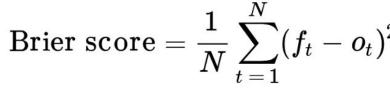


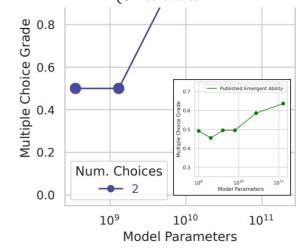


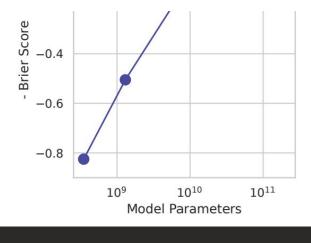


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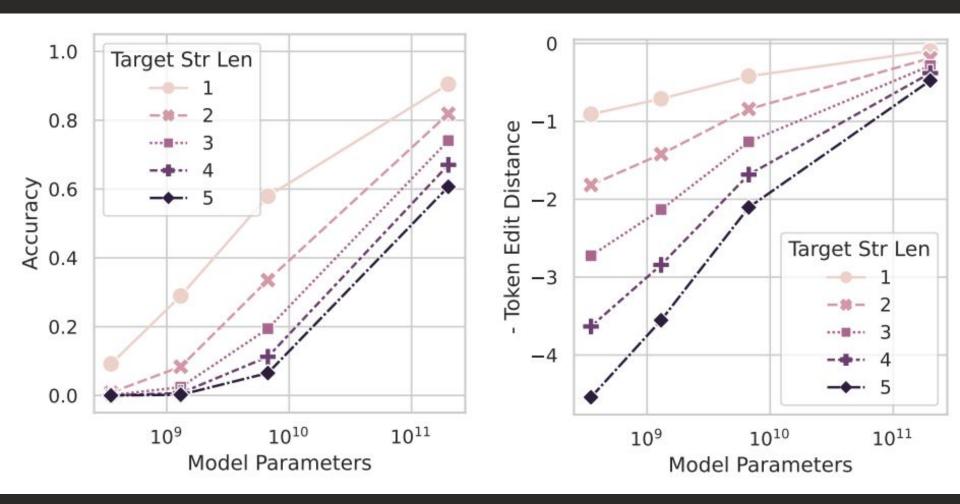
Analysing GPT

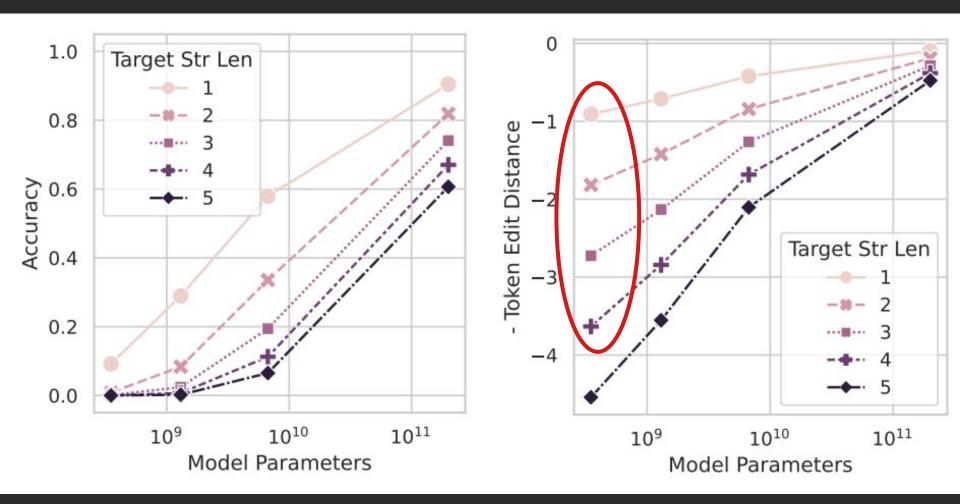
Section 3

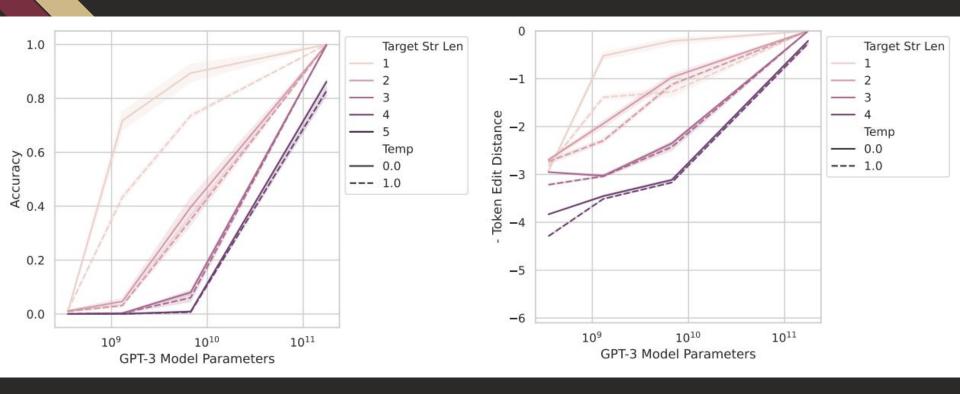
Analyzing InstructGPT/GPT-3's Emergent Arithmetic Abilities

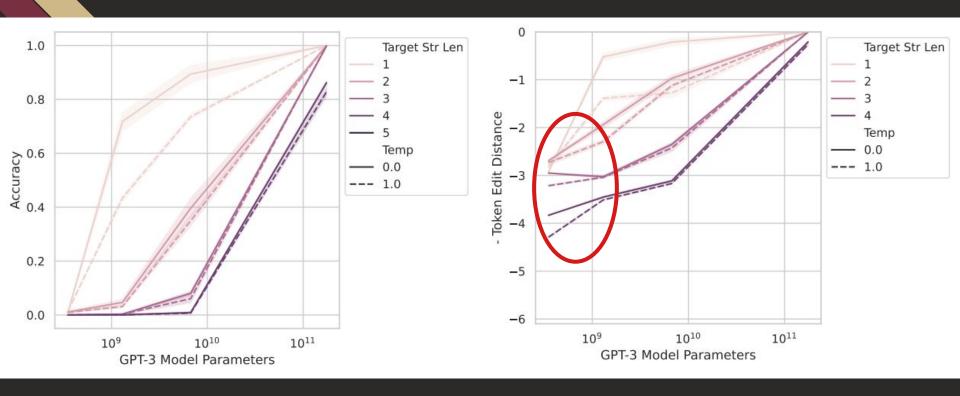
two tasks:

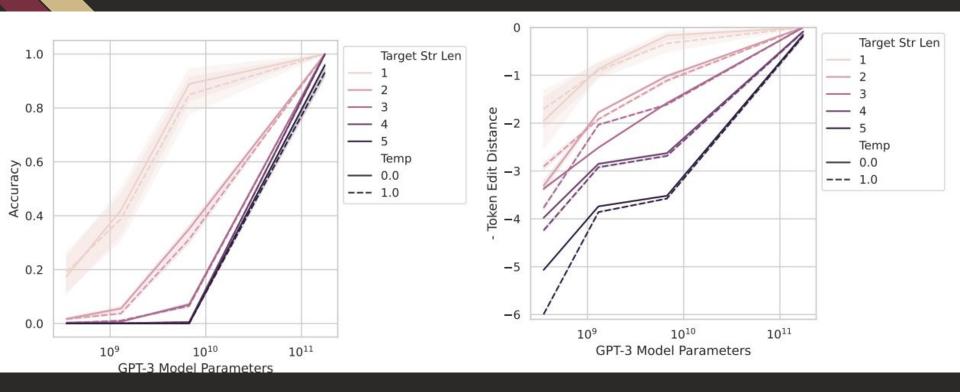
- 2-shot multiplication between two 2-digit integers
- 2-shot addition between two 4-digit integers

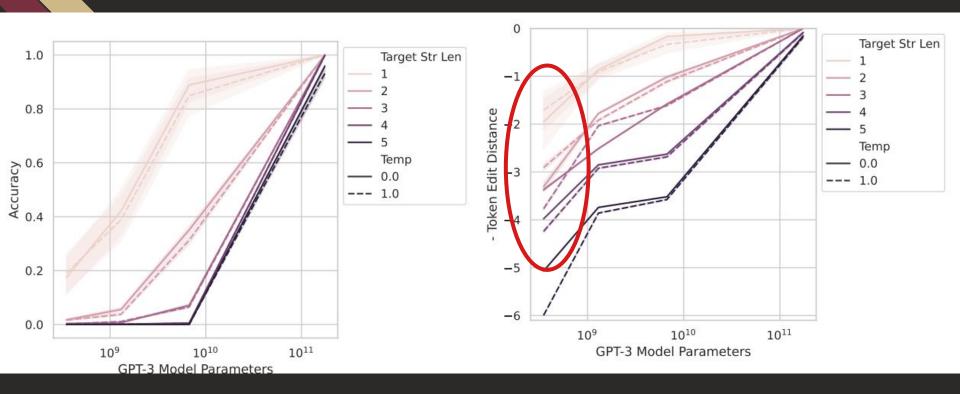
















Section 4

Meta-Analysis of Claimed Emergent Abilities

Categorise tasks of BIG-Bench (collection of ML benchmarks)

Emergence criterion:

Letting $y_i \in \mathbb{R}$ denote model performance

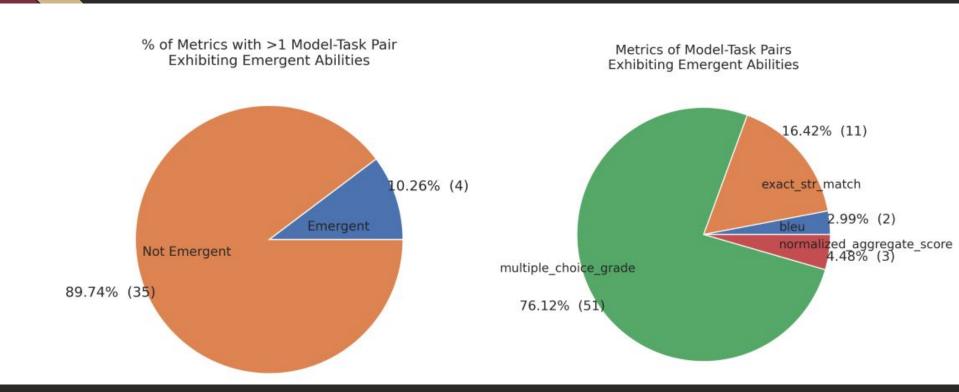
at model scales $x_i \in \mathbb{R}$, sorted such that $x_i < x_{i+1}$, the emergence score is:

$$\text{Emergence Score}\Big(\Big\{(x_n,y_n)\Big\}_{n=1}^N\Big) \quad \stackrel{\text{def}}{=} \quad \frac{\operatorname{sign}(\operatorname{arg\,max}_i y_i - \operatorname{arg\,min}_i y_i)(\operatorname{max}_i y_i - \operatorname{min}_i y_i)}{\sqrt{\operatorname{Median}(\{(y_i - y_{i-1})^2\}_i)}}$$

(1)

 \rightarrow 92% figure

92% of tasks where emergence was observed use accuracy or multiple choice grade metrics



We can look at the paper if there is time

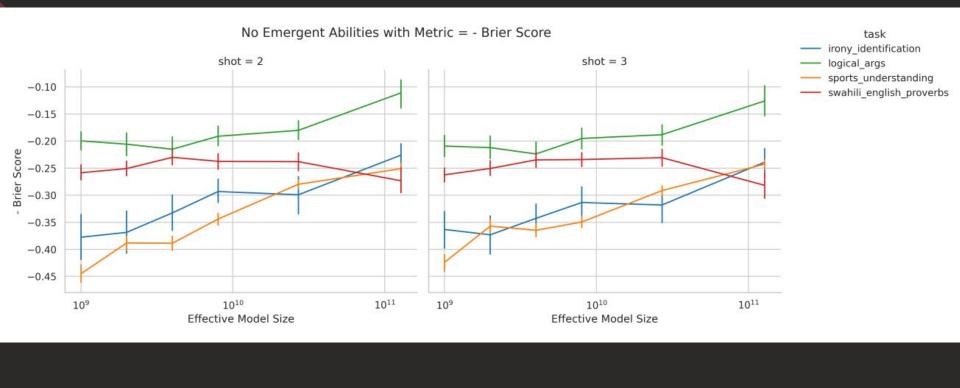
Where emergence was observed:

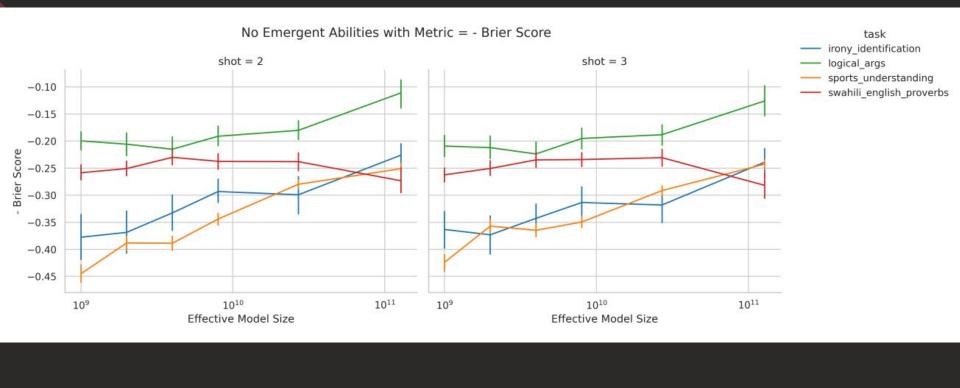




Meta-Analysis

Changing the metric makes the emergence go away:





Schaeffer et al. 2023

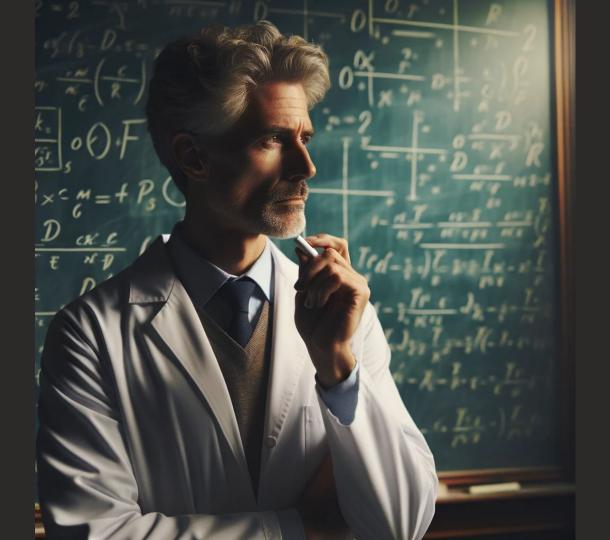
Their arguments concern the observed emergence, not emergence in general.

Absence of evidence is not evidence of absence.

Schaeffer et al. 2023

"Ergo, emergent abilities may be creations of the researcher's choices, not a fundamental property of the model family on the specific task. We emphasize that nothing in this paper should be interpreted as claiming that large language models cannot display emergent abilities; rather, our message is that previously claimed emergent abilities in [3, 8, 28, 33] might likely be a mirage induced by researcher analyses."

$$(C_{1} = \{ (1) \mid x = 1, x =$$



The big picture

What are the wider implications?

For ML, and/or possibly our own research?











Thank you