

$$-\frac{I_2}{I_1} = H \cdot \frac{S^2 + 5S + 4}{S^2 + 8S + 12} = H \frac{(S+1)(S+4)}{(S+2)(S+6)}$$

$$Z_{21} = 6H$$

$$V_2 = (-I_2)R_L$$

$$\begin{cases} V_1 = Z_{11}I_1 + Z_{12}I_2 \\ V_2 = Z_{21}I_1 + Z_{22}I_2 \end{cases}$$

$$-I_2 R_L = Z_{21}I_1 + Z_{22}I_2$$

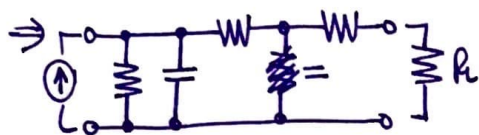
$$-I_2 (R_L + Z_{22}) = Z_{21}I_1$$

$$R_L + Z_{22} = \frac{1}{T(S)} \cdot Z_{21}$$

(Norm. R)

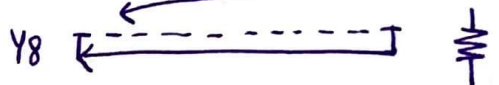
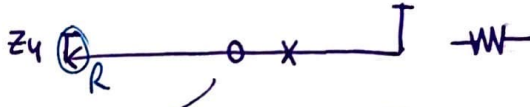
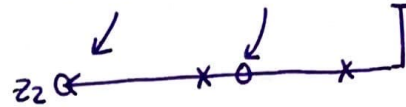
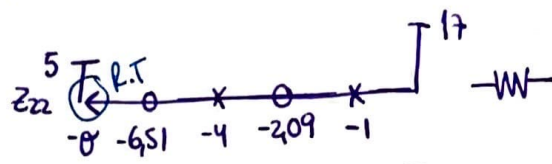
$$\frac{R_L + 1}{Z_{22}} = \frac{(S+2)(S+6)}{(S+1)(S+4)} \cdot 6$$

$$Z_{22} R_L = \frac{6S^2 + 48S + 72 - S^2 - 5S - 4}{(S+1)(S+4)}$$



$$Z_{22} = \frac{5S^2 + 43S + 68}{(S+1)(S+4)}$$

$$= \frac{5(S+2.09)(S+6.51)}{(S+1)(S+4)}$$



$$R_L = 5 \text{ (Valor de } Z_{22} \text{ en } S \rightarrow \infty)$$

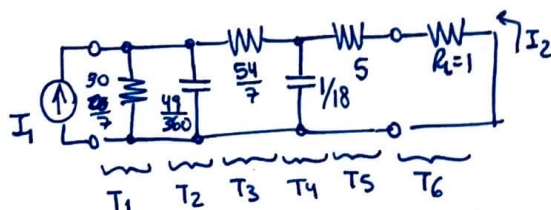
$$Z_2 = Z_{22} - 5 = \frac{5S^2 + 43S + 68 - 5S^2 - 25S - 20}{(S+1)(S+4)} = \frac{18S + 48}{(S+1)(S+4)} = \frac{18(S+8/3)}{(S+1)(S+4)}$$

$$Y_2 = \frac{(S+1)(S+4)}{18(S+8/3)} \quad \lim_{S \rightarrow \infty} SC_3 = \lim_{S \rightarrow \infty} Y_2 \rightarrow C_3 = \lim_{S \rightarrow \infty} \frac{Y_2}{S} = \frac{(S+1)(S+4)}{18S(S+3)} = \frac{1}{18}$$

$$Y_1 = Y_2 - SC_3 = \frac{S^2 + 5S + 4 - S^2 - 8/3S}{18(S+8/3)} = \frac{7/3S + 4}{18(S+8/3)} = \frac{7}{54} \frac{S+12/7}{S+8/3} \rightarrow Z_4 = \frac{54}{7} \frac{S+8/3}{S+12/7}$$

$$R_5 = \lim_{S \rightarrow \infty} Z_4 = \frac{54}{7} \quad Z_6 = Z_4 - \frac{54}{7} = \frac{54}{7} \left(\frac{S+8/3}{S+12/7} - 1 \right) = \frac{54}{7} \cdot \frac{S + \frac{56}{21} - S - \frac{36}{21}}{S+12/7} = \frac{54}{7} \cdot \frac{20}{21} \cdot \frac{1}{S+12/7}$$

$$Z_6 = \frac{360}{49} \cdot \frac{1}{S+12/7} \quad Y_6 = \frac{49}{360} (S+12/7) \quad C_7 = \frac{49}{360} \quad Y_8 = \frac{12 \cdot 49}{360 \cdot 20} = \frac{7}{30} \rightarrow R_8 = \frac{30}{7}$$



$$T_1 = \begin{pmatrix} 1 & 0 \\ \frac{7}{30} & 1 \end{pmatrix} \quad T_2 = \begin{pmatrix} 1 & 0 \\ \frac{49}{360} & 1 \end{pmatrix} \quad T_3 = \begin{pmatrix} 1 & 54/7 \\ 0 & 1 \end{pmatrix}$$

$$T_4 = \begin{pmatrix} 1 & 0 \\ 1/18 & 1 \end{pmatrix} \quad T_5 = \begin{pmatrix} 1 & 5 \\ 0 & 1 \end{pmatrix} \quad T_6 = \begin{pmatrix} 1 & 1 \\ 0 & 1 \end{pmatrix}$$

Se debe comprobar que: $-\frac{I_2}{I_1} \cdot \frac{1}{H} = \frac{(S+1)(S+4)}{(S+2)(S+6)}$

$$T: \begin{cases} V_1 = AV_2 + B(-I_2) \\ I_1 = CV_2 + D(-I_2) \end{cases} \quad -\frac{I_2}{I_1} = \frac{1}{D} \quad (\text{por la config. elegida de cuadrip. para } R_L, \text{ quiero sellado en corto})$$

$$H = \frac{Z_{21}}{6} = \frac{1}{6} \frac{V_2}{I_1} \Big|_{I_2=0} = \frac{1}{C} \cdot \frac{1}{6}$$

$$\Rightarrow \frac{1}{D} \cdot 6C = \frac{(S+1)(S+4)}{(S+2)(S+6)}$$