



**UNIVERSIDADE ESTADUAL DE CAMPINAS**  
**Instituto de Física "Gleb Wataghin"**

**FELIPE TORRES DA SILVA DE ARAUJO**

**ESTUDO SOBRE DECAIMENTOS DOS BÓSONS Z E HIGGS EM  
 $\Upsilon + \gamma$  PARA COLISÕES PP NO CMS/LHC**

**SEARCH FOR Z AND HIGGS BOSON DECAYING INTO  $\Upsilon + \gamma$   
IN PP COLLISIONS AT CMS/LHC**

Campinas  
2021

FELIPE TORRES DA SILVA DE ARAUJO

SEARCH FOR Z AND HIGGS BOSON DECAYING INTO  $\Upsilon + \gamma$   
IN PP COLLISIONS AT CMS/LHC

ESTUDO SOBRE DECAIMENTOS DOS BÓSONS Z E HIGGS EM  
 $\Upsilon + \gamma$  PARA COLISÕES PP NO CMS/LHC

Thesis presented to the Institute of Physics of  
the University of Campinas in partial fulfillment  
of the requirements for the degree of Doctor in  
Science, in the area of Physics.

**Supervisor/Orientador:** Prof. Dr. José Augusto Chinellato  
**Co-supervisor/Coorientador:** Profa. Dr. Alberto Franco de Sá Santoro

ESTE EXEMPLAR CORRESPONDE À  
VERSÃO FINAL DA TESE DE DOUTORADO  
DEFENDIDA POR FELIPE TORRES DA  
SILVA DE ARAUJO E ORIENTADA PELO  
PROF. DR. JOSÉ AUGUSTO CHINELLATO.

Campinas  
2021

Na versão final, esta página será substituída pela ficha catalográfica na dissertação de mestrado e ou na tese de doutorado.

No caso de TCC, deixe essa página em branco.

Adicione o arquivo PDF com a ficha catalográfica no comando \fichacatalografica{} no arquivo principal.

De acordo com o padrão da CCPG: “Quando se tratar de Teses e Dissertações financiadas por agências de fomento, os beneficiados deverão fazer referência ao apoio recebido e inserir esta informação na ficha catalográfica, além do nome da agência, o número do processo pelo qual recebeu o auxílio.”

e

“caso a tese de doutorado seja feita em Cotutela, será necessário informar na ficha catalográfica o fato, a Universidade conveniente, o país e o nome do orientador.”

---

MEMBROS DA COMISSÃO JULGADORA DA TESE DE DOUTORADO DE **FELIPE TORRES DA SILVA DE ARAUJO – RA 190937** APRESENTADA E APROVADA AO INSTITUTO DE FÍSICA “GLEB WATAGHIN”, DA UNIVERSIDADE ESTADUAL DE CAMPINAS, EM 20 / 04 / 2021.

**COMISSÃO JULGADORA:**

- Prof. Dr. José Augusto Chinellato – Orientador – DRCC/IFGW/UNICAMP
- Prof. Dr. Sandro Guedes de Oliveira – DRCC/IFGW/UNICAMP
- Prof. Dr. Ettore Segreto – DRCC/IFGW/UNICAMP
- Profa. Dra. Marcia Begalli – IF/UERJ
- Profa. Dra. Yara do Amaral Coutinho – IF/UFRJ

**OBS.:** Ata da defesa com as respectivas assinaturas dos membros encontra-se no SIGA/Sistema de Fluxo de Dissertação/Tese e na Secretaria do Programa da Unidade.

CAMPINAS  
2021

*Sometimes science is a lot more art than science. A lot of people don't get that.*

Rick Sanchez

*Então, que seja doce. Repito todas as manhãs, ao abrir as janelas para deixar entrar o sol ou o cinza dos dias, bem assim, que seja doce. Quando há sol, e esse sol bate na minha cara amassada do sono ou da insônia, contemplando as partículas de poeira soltas no ar, feito um pequeno universo; repito sete vezes para dar sorte: que seja doce que seja doce que seja doce e assim por diante. Mas, se alguém me perguntasse o que deverá ser doce, talvez não saiba responder. Tudo é tão vago como se fosse nada.*

Caio Fernando Abreu

*Para minha mãe...*

# Acknowledgements

I would like to thank:

- the Campinas State University for providing the institutional support for this study;
- the Rio de Janeiro State University for the cooperation with Campinas State University in their high-energy physics program. This was a key factor for this study;
- the HEPGRID - High Energy Physics GRID (CMS computing cluster of Rio de Janeiro State University) for providing the computing resources;
- the Ministry of Science, Technology and Innovation” and the “National Council for Scientific and Technological Development – CNPq”;
- the European Laboratory for Particle Physics (CERN) for the construction and operation of the Large Hadron Collider (LHC);
- the Compact Muon Solenoid (CMS) collaboration for the construction, operation and provision of the instrumental means for this study;
- my colleagues from CMS-RPC, specially Mehar, Jan, Andres, Nicolas, Gabriella, Mapse and Kevin. Such welcome environment, created a lot of learning opportunities, which I will take for life;
- my colleagues from Rio de Janeiro University, specially my friends, Eliza, Sandro, Dilson and Sheila. This work is gladly shared with them;
- my advisor, Prof. José Augusto Chinellato. His kindness, guidance and trust in my work made this a reality. I will thankfully take his lessons to my carrier;
- my co-advisor, Prof. Alberto Santoro, with all my admiration for his successful carrier and achievements as scientist. My pleasure to be his friend;
- my wife, Yasmin, for her love, unrestricted support and dedication. Without her, this study would never be possible;
- my mother, Doralice, for her unconditional love, support and inspiration.

# Resumo

Esse trabalho apresenta o estudo sobre decaimentos raros de bósons do Modelo Padrão em quarkonia. O mesmo é feito em dados coletados em 2016 pelo detector CMS, com energia de centro de massa de  $\sqrt{s} = 13$  TeV. Decaimentos de bósons Z e Higgs em  $\Upsilon(1S, 2S, 3S)$  e um fóton, com o subsequente decaimento do  $\Upsilon(1S, 2S, 3S)$  em  $\mu^+ \mu^-$  são estudados utilizando uma luminosidade integrada de  $35.86 \text{ fb}^{-1}$  em colisões próton-próton. Nenhum excesso significativo foi observado além da suposição do modelo de somente-fundo. Um limite em 95% de nível de confiança é colocado na razão de ramificação dos decaimentos  $Z \rightarrow \Upsilon(1S, 2S, 3S) + \gamma$  de  $2.9, 2.7, 1.4 \times 10^{-6}$  e em  $H \rightarrow \Upsilon(1S, 2S, 3S) + \gamma$  de  $6.9, 7.4, 5.8 \times 10^{-4}$ , usando o método de  $CL_s$ . Contribuições dadas de 2016 até 2018 para a operação, manutenção e P&D da Fase-2 de melhorias do sistema de Câmaras de Placas Resistivas do CMS também são apresentadas. Incluindo plantões para operação do sistema, certificação de dados para controle de qualidade, melhorias e manutenção do sistema *online* e manutenção do detector durante o período de manutenção conhecido como LS2.

# Abstract

This thesis presents the study on searches for rare decays of Standard Model bosons to quarkonia. The searches are performed on data collected during the 2016 data taking of the CMS detector, at center-of-mass energy  $\sqrt{s} = 13$  TeV. Standard Model Higgs and Z bosons decaying to a  $\Upsilon(1S, 2S, 3S)$  and a photon, with subsequent decay of the  $\Upsilon(1S, 2S, 3S)$  to  $\mu^+\mu^-$  are performed using integrated luminosity of  $35.86\text{ fb}^{-1}$  from proton-proton collisions. No significant excess above the background-only assumption is observed. A limit at 95% confidence level, is set on the  $Z \rightarrow \Upsilon(1S, 2S, 3S) + \gamma$  decay branching fraction at  $2.9, 2.7, 1.4 \times 10^{-6}$  and on  $H \rightarrow \Upsilon(1S, 2S, 3S) + \gamma$  decay branching fraction at  $6.9, 7.4, 5.8 \times 10^{-4}$ , using the  $CL_s$  method. Contributions given from 2016 to 2018 to the operation, maintenance and R&D for Phase-2 Upgrade of Resistive Plate Chambers (RPC) at CMS are also presented. This includes shift for the system operation, data certification for quality control, upgrade and maintenance of the online software and detector maintenance during the LHC Long Shutdown 2 (LS2.)

# List of Figures

1.1	Dimuon mass distribution collected with various dimuon triggers. The light gray continuous distribution represents events collected with inclusive dimuon triggers with high $p_T$ thresholds. The dataset corresponding to an integrated luminosity of $13.1 \text{ fb}^{-1}$ was collected during the 25 ns LHC running period at 13 TeV in 2016. Source: [7]. . . . .	27
2.1	Elementary particles of the Standard Model, with their masses charges and spin. Those particles can be divided in two classes: boson (the interaction/force carriers) and the fermions, which are divided in three generations. Source: [12]. . . . .	30
2.2	(a) Di-boson cross section ratio comparison to theory: Theory predictions updated to latest NNLO calculations where available compared to predictions in the CMS papers and preliminary physics analysis summaries. Source: [27]. (b) Summary of the cross sections of pure Electroweak (EWK) interactions among the gauge bosons presented as a ratio compared to theory. Source: [27]. . . . .	41
2.3	Summary of the cross section measurements of Standard Model processes at CMS. Source: [27]. . . . .	42
2.4	(a) Standard Model Higgs boson production cross sections at $\sqrt{s} = 13$ TeV as a function of Higgs boson mass. The $tH$ production cross section accounts for $t$ -channel and $s$ -channel only (no $tWH$ production). The VBF process is indicated here as $qqH$ . The theoretical uncertainties are indicated as shaded bands around the lines. Source: [29]. (b) Standard Model Higgs boson decay branching ratios for different decay channels. The theoretical uncertainties are indicated as shaded bands around the lines. Source: [29].	44
2.5	Example of leading order Standard Model Higgs boson production model diagrams. Source: [30]. . . . .	44
2.6	(a) The diphoton invariant-mass distribution for the 7 and 8 TeV datasets (points), with each event weighted by the predicted $S/(S + B)$ ratio of its event class. The solid and dotted lines give the results of the signal-plus-background and background-only fit, respectively. The light and dark bands represent the $\pm 1$ and $\pm 2$ standard deviation uncertainties respectively on the background estimate. The inset shows the corresponding unweighted invariant-mass distribution around $m_{\gamma\gamma} = 125$ GeV. Source: [4]. (b) Distribution of the observed four-lepton invariant mass from the combined 7 and 8 TeV data for the $H \rightarrow ZZ \rightarrow 4\ell$ analysis (points). The prediction for the expected $Z+X$ and $ZZ(Z\gamma^*)$ background are shown by the dark and light histogram, respectively. The open histogram gives the expected distribution for a Higgs boson of mass 125 GeV. Source: [4]. . . . .	46

2.7	Signal strength modifiers for the production modes, (a) $\mu^i$ , and for the decay channels, (b) $\mu^f$ . The thick (thin) black lines report the $1\sigma$ ( $2\sigma$ ) confidence intervals. The thick blue and red lines report the statistical and systematic components of the $1\sigma$ confidence intervals. Source: [41]. . . . .	47
2.8	A summary of the measured Higgs boson mass in the $H \rightarrow ZZ \rightarrow 4l$ and $H \rightarrow \gamma\gamma$ decay channels, and for the combination of the two is presented here. The statistical (wider, yellow-shaded bands), and total (black error bars) uncertainties are indicated. The (red) vertical line and corresponding (grey) shaded column indicate the central value and the total uncertainty of the Run 1 + 2016 combined measurement, respectively. Source: [37]. . . . .	48
2.9	(a) T the $m_{\mu\mu}$ distribution for the weighted combination of all event categories used in the analysis. The upper panel is dominated by the gluon-gluon fusion categories with many data events but relatively small $S/(S+B)$ . The lower panel shows the residuals after background subtraction, with the best-fit SM $H \rightarrow \mu\mu$ signal contribution with $m_H = 125.38$ GeV indicated by the red line. The measured signal strength is $1.19^{+0.41}_{-0.39}(\text{stat})^{+0.17}_{-0.16}(\text{sys})$ . Source: [32]. (b) The best-fit estimates for the reduced coupling modifiers extracted for fermions and weak bosons from the resolved $\kappa$ -framework model compared to their corresponding prediction from the SM. The error bars represent 68% CL intervals for the measured parameters. The lower panel shows the ratios of the measured coupling modifiers values to their SM predictions. Source: [32]. . . . .	48
2.10	Example of leading order diagrams for the indirect and direct production mechanisms. The dashed blob should be understood as the $\Upsilon(nS)$ , where $n = 1, 2, 3$ . In the indirect diagram, the majority of the contribution comes from a top loop. . . . .	51
2.11	Expected relative variation of the branching ratio for the $H \rightarrow \Upsilon(nS) + \gamma$ to $k_b$ , where $k_b = g(Hb\bar{b})/g(Hb\bar{b})_{SM}$ is the ratio for the observed and expected Yukawa coupling of $Hb\bar{b}$ . Source: [45] . . . . .	52
3.1	The LHC is the last ring (dark grey line) in a complex chain of particle accelerators. The smaller machines are used in a chain to help boost the particles to their final energies and provide beams to a whole set of smaller experiments. Source: [69]. . . . .	55
3.2	Overview of the CMS experiment and its subdetectors. Source: [74]. . . . .	58
3.3	Summary of the CMS coordinate system, with respect to the LHC. Source: [75].	59
3.4	Schematic cross section through the CMS tracker. Each line represents a detector module. Double lines indicate back-to-back modules which deliver stereo hits. Source: [2]. . . . .	60
3.5	Longitudinal section view of the ECAL and its components. Source: [2]. . . . .	61
3.6	Longitudinal section view of the HCAL and its components. The barrel calorimeter (HB) covers the central region, inside the solenoid, the outer calorimeter covers also the central region, but it is positioned on the outside the solenoid. The endcap calorimeter (HE) covers the forward region and it is complemented by the forward calorimeter (HF), which uses Cherenkov light detectors made of radiation-hard quartz fibers. Source: [2]. . . . .	63
3.7	Longitudinal section view of the ECAL and its components. Source: [83]. . . . .	64

3.8	The figure illustrates how the information from each subdetector is used in order to identify the different high-level objects in the Particle-Flow algorithm. Source: [87]. . . . .	67
4.1	The Avalanche production process inside a RPC gap. (Top) The initial process and the secondary electron/ion generation. (Bottom) The overall charge distribution of an Avalanche between the electrodes. Source: [97]. . . . .	73
4.2	Streamer formation process. The distorted electric field around the high positive charge concentration enhances the ionization process, initiating secondary avalanches. Source: [97]. . . . .	75
4.3	RPC chamber on installed on station RE+4 of CMS Endcap. Source: [99]. . . . .	76
4.4	R- $\phi$ (left) and R-Z (right) projections of the barrel Muon System. . . . .	77
4.5	R-Z projections of the endcap Muon System (positive Z side). This is the same configuration for the 36 $\phi$ sectors. . . . .	78
4.6	RPC efficiencies (per chamber) over Run2 Integrated Luminosity for Barrel (left) and Endcap (right). Red lines indicates technical stops (TS) while grey ones indicates Year-End-Technical stops (YETS). The drop in the efficiency around $110 pb^{-1}$ is related to a known operation mistake. Source: [110]. . . . .	79
4.7	RPC cluster size (CLS - per chamber) over Run2 Integrated Luminosity for Barrel (left) and Endcap (right). Red lines indicates technical stops (TS) while grey ones indicates Year-End-Technical stops (YETS). The drop in the cluster size around $110 pb^{-1}$ is related to a known operation mistake. Source: [110]. . . . .	79
4.8	Ohmic current history of W+0, RE+1, RE+4 and RE-4. The blank regions, from time to time, corresponds to technical stops (TS), when the detector is off. Source: [110]. . . . .	81
4.9	(a) Luminosity delivered by the LHC, recorded one by CMS and the certified (validated), from the 22nd of April, 2016 to the 27th of October, 2016. (b) Efficiency of the certification process for each subsystem, from the 22nd of April, 2016 to the 27th of October, 2016. Total CMS efficiency is above 90%. Source: [111] . . . . .	82
4.10	Upgrade of the RPC online software. . . . .	83
4.11	Example of the updated screens, using Trigger Supervisor 5. . . . .	84
4.12	$\eta$ projection of the Muon System subdetectors. In purple, is labeled the iRPCS to be installed during the CMS upgrade. . . . .	85
4.13	FEB configured 8 channels modes. Group should be understood as wire pad. Left: Logical diagram for OR2. Right: Logical diagram for AND2. . . . .	86
4.14	FEB configured 2 channels modes. Left: Logical diagram for OR8. Group should be understood as wire pad. Right: Logical diagram for OR4AND2. . . . .	87
4.15	Left: Setup mounted for commissioning. Two MWPC chamber on the top (chambers A and B) and two (chambers C and D) on the bottom with a RPC R&D in the middle. Right: Rack with all the services for the operation of these chambers. . . . .	88
4.16	Coincidence rate of two chambers with respect to an arbitrary distance between the two top planes. Measured in 10 minutes, for 2 logical combinations (OR8 and OR4AND2). Applied high voltage: 2.65 kV. Threshold: 7 pC. Active area: readout of 160 mm $\times$ 160 mm per chamber. . . . .	89

4.17	Individual rates (chambers A, B, C and D) and coincidence rates for two chambers (A AND B, C AND D), for without $\gamma$ source (blue), a shielded $\gamma$ source (orange) and an unshielded $\gamma$ source (green). Source sitting on top of chamber A. Applied high voltage: 2.65 kV. Threshold: 7 pC. Active area: readout of 160 mm $\times$ 320 mm per chamber. Logical combination: AND2 . . . . .	90
4.18	Left: Proposed adapter the chamber patch panel which make it possible to replace a tripolar by a jupiter HV connector. Right: Try out of the proposed HV connector replacement. . . . .	93
4.19	RPC Front-end board (FEB) used in the barrel chambers. . . . .	94
4.20	RPC FEB Commissioning Analyzer. . . . .	95
5.1	A diagram for the reconstructed invariant mass of the $\mu\mu\gamma$ final state. The blue and gray regions represent the Full Combinatorial and $\Upsilon + \gamma$ Combinatorial contributions, respectively, while the yellow and red regions represent the Resonant background and the signal region. . . . .	97
5.2	Distributions of $\cos\theta$ of $\Upsilon \rightarrow \mu\mu$ and $\gamma^* \rightarrow \mu\mu$ The orange distribution is the $Z \rightarrow \Upsilon(1S, 2S, 3S) + \gamma$ sample before reweighting (Unpolarized); the blue and gray distributions are $Z \rightarrow \Upsilon(1S, 2S, 3S)$ sample after reweighting, for the Transverse and Longitudinal Polarization. . . . .	102
5.3	Generator level distributions of main variables for $Z \rightarrow \Upsilon(1S, 2S, 3S) + \gamma$ : Transverse momenta of the leading/trailing $p_T$ muon and the photon, pseudorapidity ( $\eta$ ) and $\phi$ of the muons and the photon, distances $\Delta R$ between the two muons and between the muons and the photon. All the distributions shown in the figure are normalized to the unity of area. . . . .	104
5.4	Generator level distributions of main variables for $H \rightarrow \Upsilon(1S, 2S, 3S) + \gamma$ : Transverse momenta of the leading/trailing $p_T$ muon and the photon, pseudorapidity ( $\eta$ ) and $\phi$ of the muons and the photon, distances $\Delta R$ between the two muons and between the muons and the photon. All the distributions shown in the figure are normalized to the unity of area. . . . .	105
5.5	The $p_T$ muon distributions from data and signal events for Z decaying into $\Upsilon(1S, 2S, 3S) + \gamma$ after Group I of selection cuts, where on left are presenting the trailing muons and on right are the leading muons. The plots are normalized to the unit of area. The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples. . . . .	110
5.6	The $\eta$ muon distributions from data and signal events of Z decaying into $\Upsilon(1S, 2S, 3S) + \gamma$ after Group I of selection cuts, where on left are presenting the trailing muons and on right are the leading muons. The plots are normalized to the unit of area. The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples. . . . .	111
5.7	The $\phi$ muon distributions from data and signal events of Z decaying into $\Upsilon(1S, 2S, 3S) + \gamma$ after Group I of selection cuts, where on left are presenting the trailing muons and on right are the leading muons. The plots are normalized to the unit of area. The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples. . . . .	111

5.8	The $E_T$ photon distributions from data and signal events for Z decaying into $\Upsilon(1S, 2S, 3S) + \gamma$ Group I of selection cuts. The plots normalized to the unit of area. . . . .	111
5.9	The $\eta$ photon distributions from data and signal events of Z decaying into $\Upsilon(1S, 2S, 3S) + \gamma$ after Group I of selection cuts. The plot is normalized to the unit of area. . . . .	112
5.10	The $\phi$ photon distributions from data and signal events of Z decaying into $\Upsilon(1S, 2S, 3S) + \gamma$ after Group I of selection cuts. The plot is normalized to the unit of area. . . . .	112
5.11	The $p_T$ distributions for the reconstructed $\Upsilon(1S, 2S, 3S)$ in the left and for Z in the right from data and signal events for Z decaying into $\Upsilon(1S, 2S, 3S) + \gamma$ after Group I of selection cuts. The plots are normalized to the unit of area. The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples. . . . .	112
5.12	The $\eta$ distributions for $\Upsilon(1S, 2S, 3S)$ in the left and for Z in the right from data and signal events for Z decaying into $\Upsilon(1S, 2S, 3S) + \gamma$ after Group I of selection cuts. The plots are normalized to the unit of area. The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples. . . . .	113
5.13	The $\phi$ distributions for $\Upsilon(1S, 2S, 3S)$ in the left and for Z in the right from data and signal events for Z decaying into $\Upsilon(1S, 2S, 3S) + \gamma$ after Group I of selection cuts. The plots are normalized to the unit of area. The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples. . . . .	113
5.14	The $\Delta R$ distributions between the photon and the leading muon (left) and the trailing muon (right) for for Z decaying into $\Upsilon(1S, 2S, 3S) + \gamma$ from data and signal events after Group I of selection cuts. The plots are normalized to the unit of area. The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples. . . . .	113
5.15	Left: The $\Delta R$ distributions between reconstructed dimuon ( $\mu\mu$ ) system and the photon. Right: absolute value of the $\Delta\phi$ between the dimuon system and the photon for Z decaying into $\Upsilon(1S, 2S, 3S) + \gamma$ from data and signal events after Group I of selection cuts. The plots are normalized to the unit of area. The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples. . . . .	114
5.16	The ratio for the transverse momentum of the reconstructed Upsilon and the reconstructed Z mass ( $p_T^{\mu\mu}/M_{\mu\mu\gamma}$ - left) and the ratio for the transverse energy of the reconstructed Photon and the reconstructed Z mass ( $E_T^\gamma/M_{\mu\mu\gamma}$ - right) distribution for Z decaying into $\Upsilon(1S, 2S, 3S) + \gamma$ from data and signal events after Group I of selection cuts. The plots are normalized to the unit of area. The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples. . . . .	114

5.17 The dimuon mass distribution of the reconstructed $\Upsilon(1S, 2S, 3S)$ from data and signal events for $Z$ decaying after Group I of selection cuts. The plot is normalized to the number of events. "Signal" stands for the $Z \rightarrow \Upsilon(1S, 2S, 3S) + \gamma$ sample (scaled by a factor of $\times 100$ ) and "Background" corresponds to the resonant background ( $Z \rightarrow \mu\mu\gamma_{FSR}$ ) sample (scaled by a factor of x3). . . . .	114
5.18 The $p_T$ muon distributions from data and signal events for Higgs decaying into $\Upsilon(1S, 2S, 3S) + \gamma$ after Group I of selection cuts, where on left are presenting the trailing muons and on right are the leading muons. The plots are normalized to the unit of area. The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples. . . . .	115
5.19 The $\eta$ muon distributions from data and signal events of Higgs decaying into $\Upsilon(1S, 2S, 3S) + \gamma$ after Group I of selection cuts, where on left are presenting the trailing muons and on right are the leading muons. The plots are normalized to the unit of area. The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples. . . . .	115
5.20 The $\phi$ muon distributions from data and signal events of Higgs decaying into $\Upsilon(1S, 2S, 3S) + \gamma$ after Group I of selection cuts, where on left are presenting the trailing muons and on right are the leading muons. The plots are normalized to the unit of area. The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples. . . . .	115
5.21 The $E_T$ photon distributions from data and signal events for Higgs decaying into $\Upsilon(1S, 2S, 3S) + \gamma$ Group I of selection cuts. The plot is normalized to the unit of area. . . . .	116
5.22 The $\eta$ photon distributions from data and signal events of Higgs decaying into $\Upsilon(1S, 2S, 3S) + \gamma$ after Group I of selection cuts. The plot is normalized to the unit of area. . . . .	116
5.23 The $\phi$ photon distributions from data and signal events of Higgs decaying into $\Upsilon(1S, 2S, 3S) + \gamma$ after Group I of selection cuts. The plot is normalized to the unit of area. . . . .	116
5.24 The $p_T$ distributions for $\Upsilon(1S, 2S, 3S)$ in the left and for Higgs in the right from data and signal events for Higgs decaying into $\Upsilon(1S, 2S, 3S) + \gamma$ after Group I of selection cuts. The plots are normalized to the unit of area. The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples. . . . .	117
5.25 The $\eta$ distributions for $\Upsilon(1S, 2S, 3S)$ in the left and for Higgs in the right from data and signal events for Higgs decaying into $\Upsilon(1S, 2S, 3S) + \gamma$ after Group I of selection cuts. The plots are normalized to the unit of area. The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples. . . . .	117
5.26 The $\phi$ distributions for $\Upsilon(1S, 2S, 3S)$ in the left and for Higgs in the right from data and signal events for Higgs decaying into $\Upsilon(1S, 2S, 3S) + \gamma$ after Group I of selection cuts. The plots are normalized to the unit of area. The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples. . . . .	117

5.27	The $\Delta R$ distributions between the photon and the leading muon (left) and the trailing muon (right) for Higgs decaying into $\Upsilon(1S, 2S, 3S) + \gamma$ from data and signal events after Group I of selection cuts. The plots are normalized to the unit of area. The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples. . . . .	118
5.28	Left: The $\Delta R$ distributions between reconstructed dimuon ( $\mu\mu$ ) system and the photon. Right: absolute value of the $\Delta\phi$ between the dimuon system and the photon for for Higgs decaying into $\Upsilon(1S, 2S, 3S) + \gamma$ from data and signal events after Group I of selection cuts. The plots are normalized to the unit of area. The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples. . . . .	118
5.29	The ratio for the transverse momentum of the reconstructed Upsilon and the reconstructed Higgs mass ( $p_T^{\mu\mu}/M_{\mu\mu\gamma}$ - left) and the ratio for the transverse energy of the reconstructed Photon and the reconstructed Higgs mass ( $E_T^\gamma/M_{\mu\mu\gamma}$ - right) distribution for Higgs decaying into $\Upsilon(1S, 2S, 3S) + \gamma$ from data and signal events after Group I of selection cuts. The plots are normalized to the unit of area. The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples. . . . .	118
5.30	The dimuon mass distribution of the reconstructed $\Upsilon(1S, 2S, 3S)$ from data and signal events for Higgs decaying after Group I of selection cuts. This plot is normalized the expected number of events. "Signal" stands for the $H \rightarrow \Upsilon(1S, 2S, 3S) + \gamma$ sample (scaled by a factor of $\times 600000$ ) and "Background" corresponds to the resonant background (Higgs Dalitz Decay) sample (scaled by a factor of $\times 400$ ). . . . .	119
5.31	The $p_T$ muon distributions from data and signal events for Z decaying into $\Upsilon(1S, 2S, 3S) + \gamma$ after Group I+II of selection cuts, where on left are presenting the trailing muons and on right are the leading muons. The plots are normalized to the number of events. Signal sample is scaled by a factor of $\times 100$ . The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples. . . . .	120
5.32	The $\eta$ muon distributions from data and signal events of Z decaying into $\Upsilon(1S, 2S, 3S) + \gamma$ after Group I+II of selection cuts, where on left are presenting the trailing muons and on right are the leading muons. The plots are normalized to the number of events. Signal sample is scaled by a factor of $\times 100$ . The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples. . . . .	121
5.33	The $\phi$ muon distributions from data and signal events of Z decaying into $\Upsilon(1S, 2S, 3S) + \gamma$ after Group I+II of selection cuts, where on left are presenting the trailing muons and on right are the leading muons. The plots are normalized to the number of events. Signal sample is scaled by a factor of $\times 100$ . The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples. . . . .	121
5.34	The $E_T$ photon distributions from data and signal events for Z decaying into $\Upsilon(1S, 2S, 3S) + \gamma$ all (Group I+II) selection cuts. The plot is normalized to the number of events. Signal sample is scaled by a factor of $\times 100$ . . . . .	121

5.35 The $\eta$ photon distributions from data and signal events of Z decaying into $\Upsilon(1S, 2S, 3S) + \gamma$ after all (Group I+II) selection cuts. The plot is normalized to the number of events. Signal sample is scaled by a factor of $\times 100$ . . . . .	122
5.36 The $\phi$ photon distributions from data and signal events of Z decaying into $\Upsilon(1S, 2S, 3S) + \gamma$ after all (Group I+II) selection cuts. The plot is normalized to the number of events. Signal sample is scaled by a factor of $\times 100$ . . . . .	122
5.37 The $p_T$ distributions for $\Upsilon(1S, 2S, 3S)$ in the left and for Z in the right from data and signal events for Z decaying into $\Upsilon(1S, 2S, 3S) + \gamma$ after all (Group I+II) selection cuts. The plots are normalized to the number of events. Signal sample is scaled by a factor of $\times 100$ . The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples. . . . .	122
5.38 The $\eta$ distributions for $\Upsilon(1S, 2S, 3S)$ in the left and for Z in the right from data and signal events for Z decaying into $\Upsilon(1S, 2S, 3S) + \gamma$ after all (Group I+II) selection cuts. The plots are normalized to the number of events. Signal sample is scaled by a factor of $\times 100$ . The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples. . . . .	123
5.39 The $\phi$ distributions for $\Upsilon(1S, 2S, 3S)$ in the left and for Z in the right from data and signal events for Z decaying into $\Upsilon(1S, 2S, 3S) + \gamma$ after all (Group I+II) selection cuts. The plots are normalized to the number of events. Signal sample is scaled by a factor of $\times 100$ . The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples. . . . .	123
5.40 The $\Delta R$ distributions between the photon and the leading muon (left) and the trailing muon (right) for $\Upsilon(1S, 2S, 3S)$ from data and signal events for Z decaying after all (Group I+II) selection cuts. The plots are normalized to the number of events. Signal sample is scaled by a factor of $\times 100$ . The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples. . . . .	123
5.41 The ratio for the transverse momentum of the reconstructed Upsilon and the reconstructed Z mass ( $p_T^{\mu\mu}/M_{\mu\mu\gamma}$ - left) and the ratio for the transverse energy of the reconstructed Photon and the reconstructed Z mass ( $E_T^\gamma/M_{\mu\mu\gamma}$ - right) distribution for $\Upsilon(1S, 2S, 3S)$ from data and signal events for Z decaying after all (Group I+II) selection cuts. The plots are normalized to the number of events. Signal sample is scaled by a factor of $\times 100$ . The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples. . . . .	124
5.42 The $p_T$ muon distributions from data and signal events for Higgs decaying into $\Upsilon(1S, 2S, 3S) + \gamma$ after Group I of selection cuts, where on left are presenting the trailing muons and on right are the leading muons. The plots are normalized to the number of events. Signal sample is scaled by a factor of $\times 600000$ . The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples. . . . .	124

5.43 The $\eta$ muon distributions from data and signal events of Higgs decaying into $\Upsilon(1S, 2S, 3S) + \gamma$ after Group I of selection cuts, where on left are presenting the trailing muons and on right are the leading muons. The plots are normalized to the number of events. Signal sample is scaled by a factor of $\times 600000$ ). The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples. . . . .	124
5.44 The $\phi$ muon distributions from data and signal events of Higgs decaying into $\Upsilon(1S, 2S, 3S) + \gamma$ after Group I of selection cuts, where on left are presenting the trailing muons and on right are the leading muons. The plots are normalized to the number of events. Signal sample is scaled by a factor of $\times 600000$ ). The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples. . . . .	125
5.45 The $E_T$ photon distributions from data and signal events for Higgs decaying into $\Upsilon(1S, 2S, 3S) + \gamma$ all (Group I+II) selection cuts. The plot is normalized to the number of events. Signal sample is scaled by a factor of $\times 600000$ ). . . . .	125
5.46 The $\eta$ photon distributions from data and signal events of Higgs decaying into $\Upsilon(1S, 2S, 3S) + \gamma$ after all (Group I+II) selection cuts. The plot is normalized to the number of events. Signal sample is scaled by a factor of $\times 600000$ ). . . . .	125
5.47 The $\phi$ photon distributions from data and signal events of Higgs decaying into $\Upsilon(1S, 2S, 3S) + \gamma$ after all (Group I+II) selection cuts. The plot is normalized to the number of events. Signal sample is scaled by a factor of c).126	
5.48 The $p_T$ distributions for $\Upsilon(1S, 2S, 3S)$ in the left and for Higgs in the right from data and signal events for Higgs decaying into $\Upsilon(1S, 2S, 3S) + \gamma$ after all (Group I+II) selection cuts. The plots are normalized to the number of events. Signal sample is scaled by a factor of $\times 600000$ ). The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples. . . . .	126
5.49 The $\eta$ distributions for $\Upsilon(1S, 2S, 3S)$ in the left and for Higgs in the right from data and signal events for Higgs decaying into $\Upsilon(1S, 2S, 3S) + \gamma$ after all (Group I+II) selection cuts. The plots are normalized to the number of events. Signal sample is scaled by a factor of $\times 600000$ ). The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples. . . . .	126
5.50 The $\phi$ distributions for $\Upsilon(1S, 2S, 3S)$ in the left and for Higgs in the right from data and signal events for Higgs decaying into $\Upsilon(1S, 2S, 3S) + \gamma$ after all (Group I+II) selection cuts. The plots are normalized to the number of events. Signal sample is scaled by a factor of $\times 600000$ ). The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples. . . . .	127
5.51 The $\Delta R$ distributions between the photon and the leading muon (left) and the trailing muon (right) for $\Upsilon(1S, 2S, 3S)$ from data and signal events for Higgs decaying after all (Group I+II) selection cuts. The plots are normalized to the number of events. Signal sample is scaled by a factor of $\times 600000$ ). The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples. . . . .	127

5.52	The ratio for the transverse momentum of the reconstructed Upsilon and the reconstructed Higgs mass ( $p_T^{\mu\mu}/M_{\mu\mu\gamma}$ - left) and the ratio for the transverse energy of the reconstructed Photon and the reconstructed Higgs mass ( $E_T^\gamma/M_{\mu\mu\gamma}$ - right) distribution for $\Upsilon(1S, 2S, 3S)$ from data and signal events for Higgs decaying after all (Group I+II) selection cuts. The plots are normalized to the number of events. Signal sample is scaled by a factor of $\times 600000$ ). The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples.	127
5.53	Data and MC of the R9 variable, before and after the reweighting. Barrel (left) and Endcap (right).	129
5.54	Resonant background for the $Z \rightarrow \Upsilon(1S, 2S, 3S) + \gamma$ analysis. $\mu\mu$ mass distribution (left) and $\mu\mu\gamma$ invariant mass distribution (right). From top to bottom categories: Inclusive, EB High R9, EB Low R9, EE.	134
5.55	$\Upsilon$ control sample fit with Chebychev 1 <sup>st</sup> order for the background support and 3 gaussian for the three $\Upsilon(1S, 2S, 3S)$ peaks.	135
5.56	$Z \rightarrow \Upsilon(1S, 2S, 3S) + \gamma$ Background Modeling: $\mu\mu$ distribution. Inclusive (top left); EB High R9 (top right), EB Low R9 (bottom left), EE (bottom right). The pdfs projections are plotted with respect to the overall best choice of the statistica test.	138
5.57	$Z \rightarrow \Upsilon(1S, 2S, 3S) + \gamma$ Background Modeling: $\mu\mu\gamma$ distribution. Inclusive (top left); EB High R9 (top right), EB Low R9 (bottom left), EE (bottom right). The plotted pdfs corresponds to the best choice by the statistical test for each family. The signal region, from 80 GeV to 100 GeV was blinded.	138
5.58	Resonant Background for the $H \rightarrow \Upsilon(1S, 2S, 3S) + \gamma$ analysis. $m_{\mu\mu}$ invariant mass distribution (left) and $m_{\mu\mu\gamma}$ invariant mass distribution (right).	139
5.59	$H \rightarrow \Upsilon(1S, 2S, 3S) + \gamma$ Background Modeling: $m_{\mu\mu}$ distribution. The pdfs projections are plotted with respect to the overall best choice of the statistical test.	139
5.60	$H \rightarrow \Upsilon(1S, 2S, 3S) + \gamma$ Background Modeling: $\mu\mu\gamma$ distribution. The plotted pdfs corresponds to the best choice by the statistical test for each family. The signal region, from 115 GeV to 135 GeV was blinded.	140
5.61	Signal Modeling for the $Z \rightarrow \Upsilon(1S, 2S, 3S) + \gamma$ analysis for Inclusive category. $m_{\mu\mu}$ mass distribution (left) and $m_{\mu\mu\gamma}$ mass distribution (right). From top to bottom: $\Upsilon(1S)$ , $\Upsilon(2S)$ , $\Upsilon(3S)$ .	142
5.62	Signal Modeling for the $Z \rightarrow \Upsilon(1S, 2S, 3S) + \gamma$ analysis for EB High R9 category. $m_{\mu\mu}$ mass distribution (left) and $m_{\mu\mu\gamma}$ mass distribution (right). From top to bottom: $\Upsilon(1S)$ , $\Upsilon(2S)$ , $\Upsilon(3S)$ .	143
5.63	Signal Modeling for the $Z \rightarrow \Upsilon(1S, 2S, 3S) + \gamma$ analysis for EB Low R9 category. $m_{\mu\mu}$ mass distribution (left) and $m_{\mu\mu\gamma}$ mass distribution (right). From top to bottom: $\Upsilon(1S)$ , $\Upsilon(2S)$ , $\Upsilon(3S)$ .	144
5.64	Signal Modeling for the $Z \rightarrow \Upsilon(1S, 2S, 3S) + \gamma$ analysis for EE category. $m_{\mu\mu}$ mass distribution (left) and $m_{\mu\mu\gamma}$ mass distribution (right). From top to bottom: $\Upsilon(1S)$ , $\Upsilon(2S)$ , $\Upsilon(3S)$ .	145
5.65	Signal Modeling for the $H \rightarrow \Upsilon(1S, 2S, 3S) + \gamma$ . $m_{\mu\mu}$ mass distribution (left) and $m_{\mu\mu\gamma}$ mass distribution (right). From top to bottom: $\Upsilon(1S)$ , $\Upsilon(2S)$ , $\Upsilon(3S)$ .	146

5.66 Examples of the toy datasets fit ( $M_{\mu\mu}$ ), for the Z decay analysis, after the toy dataset refit, for 1S, 2S and 3S (left to right), with $\mu_{true}$ equals to 20, 50, 100, 1000 (top to bottom). The red lines corresponds to the background model (B), the green lines to signal model (S), the blue lines to the total (S+B) and the dots is the toy dataset. . . . .	153
5.67 Examples of the toy datasets fit ( $M_{\mu\mu\gamma}$ ), for the Z decay analysis, after the toy dataset refit, for 1S, 2S and 3S (left to right), with $\mu_{true}$ equals to 20, 50, 100, 1000 (top to bottom). The red lines corresponds to the background model (B), the green lines to signal model (S), the blue lines to the total (S+B) and the dots is the toy dataset. . . . .	154
5.68 Examples of the toy datasets fit ( $M_{\mu\mu}$ ), for the Higgs decay analysis, after the toy dataset refit, for 1S, 2S and 3S (left to right), with $\mu_{true}$ equals to 100000, 200000, 300000, 1000000 (top to bottom). The red lines corresponds to the background model (B), the green lines to signal model (S), the blue lines to the total (S+B) and the dots is the toy dataset. . . . .	155
5.69 Examples of the toy datasets fit ( $M_{\mu\mu\gamma}$ ), for the Higgs decay analysis, after the toy dataset refit, for 1S, 2S and 3S (left to right), with $\mu_{true}$ equals to 100000, 200000, 300000, 1000000 (top to bottom). The red lines corresponds to the background model (B), the green lines to signal model (S), the blue lines to the total (S+B) and the dots is the toy dataset. . . . .	156
5.70 Distribution of pulls ( $\frac{\mu_{fit} - \mu_{true}}{\sigma_{fit}}$ ), for the Z decay analysis, after the toy dataset refit, for 1S, 2S and 3S (left to right), with $\mu_{true}$ equals to 20, 50, 100, 1000 (top to bottom). . . . .	157
5.71 Distribution of pulls ( $\frac{\mu_{fit} - \mu_{true}}{\sigma_{fit}}$ ), for the Higgs decay analysis, after the toy dataset refit, for 1S, 2S and 3S (left to right), with $\mu_{true}$ equals to 100000, 200000, 300000, 1000000 (top to bottom). . . . .	158
5.72 Example of $f(\tilde{q}_\mu   \mu, \hat{\theta}_\mu^{\text{obs}})$ $f(\tilde{q}_\mu   \mu = 0, \hat{\theta}_{\mu=0}^{\text{obs}})$ distributions generated with toy MC. Source: [166]. . . . .	161
5.73 Example of $f(\tilde{q}_\mu   \mu, \hat{\theta}_\mu^{\text{obs}})$ $f(\tilde{q}_\mu   \mu = 0, \hat{\theta}_{\mu=0}^{\text{obs}})$ distributions generated with toy MC. In the figure, $q$ must be read as $\tilde{q}$ . The green area shows the $p_{s+b}$ defined in 5.13, while the yellow one shows $p_b$ defined in 5.14. Source: [163].	162

# List of Tables

2.1	Relative strength (with respect to the strong force) and effective range of action for the four fundamentals interactions. . . . .	30
2.2	Summary of branching ratios for $H/Z \rightarrow \Upsilon(1S, 2S, 3S) + \gamma \rightarrow \mu^+ \mu^- + \gamma$ analysis. The effective cross-section will be discussed in section 5.1.2. . . . .	50
2.3	Observed upper limits, by the ATLAS experiment [58, 59], on the branching fractions for the Higgs and Z decays (last result). Detailed comparisons with the results obtained in this study will be presented in Section 5.12. . . . .	52
2.4	Observed upper limits, by CMS, on the branching fractions for the Higgs and Z decays. The number are compatible with the ones obtained by ATLAS. The results presented for different polarization scenarios of the $J/\Psi$ . . . . .	53
5.1	Datasets simulated (MC) for 2016 conditions. Assuming that $\sigma(pp \rightarrow H)$ , taking into consideration all the simulated Higgs production modes, is $55.13\text{ pb}$ [137] and $\sigma(pp \rightarrow Z \rightarrow \mu\mu)$ is $57094.5\text{ pb}$ , including the next-to-next-to-leading order (NNLO) QCD contributions, and the next-to-leading order (NLO) electroweak corrections from FEWZ (Fully Exclusive W and Z Production) 3.1 [138] calculated using the NLO PDF set NNPDF3.0, with the phase space selection in invariant mass of the dimuon system of $m_{\mu\mu} > 50\text{ GeV}$ . For the Higgs Dalitz $\sigma$ , we consider only the gluon fusion contribution ( $\sigma_{ggF} = 48.6\text{ pb}$ ) [137]. The Higgs Dalitz Decay $BR_{SM}$ and the $Z \rightarrow \mu\mu\gamma_{FSR}$ were obtained with MCFM 6.6 [139] (as in the CMS search for Higgs Dalitz Decay in at $\sqrt{s} = 8\text{ TeV}$ [140]) and with MADGRAPH 5 _MC@NLO, respectively. The $BR_{\Upsilon(1S,2S,3S) \rightarrow \mu\mu}^{PDG} = (2.48, 1.93, 2.18) \times 10^{-2}$ is quoted from Particle Data Group report (PDG) [13]. The "Effective $\sigma$ " for the signal samples is $\sigma(pp \rightarrow Z(H)) \times BR_{SM} \times BR_{\Upsilon(nS) \rightarrow \mu\mu}^{PDG}$ . . . . .	101
5.2	Summary of the impact of reweighted of polarization contribution using several scenarios. . . . .	102
5.3	Conditions for a muon to pass the strict tracker requirements. . . . .	108
5.4	Number of events for the Z decay, before and after the full selection, per categorization scenarios. . . . .	129
5.5	Number of events for the H decay, before and after the full selection. . . . .	129
5.6	Modeling for each background source and mass component. . . . .	132
5.7	Modeling for each signal source and mass component. . . . .	141
5.8	A summary table of systematic uncertainties in the Z boson decaying into $\Upsilon(1S, 2S, 3S) + \gamma$ , affecting the final yields of the MC samples. . . . .	150
5.9	A summary table of systematic uncertainties in the Higgs boson decaying into $\Upsilon(1S, 2S, 3S) + \gamma$ , affecting the final yields of the MC samples. . . . .	151
5.10	A summary table of systematic uncertainties in the Z (H) decaying into $\Upsilon(1S, 2S, 3S) + \gamma$ , affecting the signal fits. . . . .	151

5.11	Summary table for the limits on branching ratio of $Z \rightarrow \Upsilon(1S, 2S, 3S)\gamma$ and $H \rightarrow \Upsilon(1S, 2S, 3S)\gamma$ decays. . . . .	163
5.12	Summary table for the limits on branching ratio of $Z \rightarrow \Upsilon(1S, 2S, 3S)\gamma$ , for the two possible categorization scenarios. . . . .	164
6.1	Summary table for the limits on branching ratio of $Z \rightarrow \Upsilon(1S, 2S, 3S)\gamma$ and $H \rightarrow \Upsilon(1S, 2S, 3S)\gamma$ decays. . . . .	165

# List of Abbreviations

<b>CERN</b>	European Laboratory for Particle Physics
<b>LHC</b>	Large Hadron Collider
<b>CMS</b>	Compact Muon Solenoid
<b>SM</b>	Standard Model
<b>R9</b>	Photon R9 is a shower shape variable defined as the fraction of energy deposited in the 5x5 square surrounding the Super Cluster seed of the reconstructed photon.
<b>LS1, LS2</b>	Long Shutdown 1 and 2. Long periods of maintenance and upgrade (spread over few years), in between data taking periods (Run). The LHC timescale is: Run1, LS1, Run2, LS2, Run3, ...
<b>ECAL</b>	Electromagnetic Calorimeter
<b>HCAL</b>	Hadronic Calorimeter
<b>FEWZ</b>	Fully Exclusive W and Z Production

# Contents

<b>1</b>	<b>Introduction</b>	<b>26</b>
<b>2</b>	<b>Standard Model and rare Z and Higgs decays to quarkonia</b>	<b>29</b>
2.1	Standard Model and Local Gauge Invariance . . . . .	29
2.1.1	Local Gauge Invariance . . . . .	31
2.1.2	The Standard Model . . . . .	33
2.2	SM and Higgs results . . . . .	40
2.2.1	Standard Model vector bosons at CMS . . . . .	40
2.2.2	Higgs boson at CMS . . . . .	43
2.3	Rare Z and Higgs decays to quarkonia . . . . .	49
2.4	Recent results . . . . .	51
<b>3</b>	<b>Experimental Setup</b>	<b>54</b>
3.1	The Large Hadron Collider . . . . .	54
3.2	The Compact Muon Solenoid - CMS . . . . .	57
3.2.1	Coordinate system . . . . .	58
3.3	Tracker . . . . .	60
3.4	Electromagnetic Calorimeter . . . . .	61
3.5	Hadronic Calorimeter . . . . .	62
3.6	Muon System . . . . .	64
3.6.1	Drift Tubes . . . . .	64
3.6.2	CSC . . . . .	65
3.6.3	RPC . . . . .	65
3.7	Trigger and Data Acquisition . . . . .	66
3.8	Particle Flow Algorithim . . . . .	67
<b>4</b>	<b>CMS Resistive Plate Chambers - RPC</b>	<b>70</b>
4.1	Resistive Plate Chambers . . . . .	72
4.1.1	Principles and operation modes . . . . .	73
4.2	CMS Resistive Plate Chambers . . . . .	75
4.2.1	Performance . . . . .	79
4.3	Contribution to the CMS RPC project . . . . .	81
4.3.1	RPC Operation - Shifts and Data Certification . . . . .	81
4.4	RPC Online Software . . . . .	82
4.4.1	Improved RPC R&D . . . . .	84
4.4.2	LS2 and the RPC Standard Maintenance . . . . .	91

<b>5 Physics Analysis</b>	<b>96</b>
5.1 Datasets and simulated events . . . . .	98
5.1.1 Data samples . . . . .	98
5.1.2 Simulated datasets . . . . .	98
5.2 Contribution of the $\Upsilon(nS)$ polarisation . . . . .	101
5.3 Kinematical studies using MC generator . . . . .	102
5.4 Event selection . . . . .	106
5.5 Trigger and physics object selection (Group I) . . . . .	106
5.5.1 Trigger . . . . .	106
5.5.2 Muon Identification . . . . .	107
5.5.3 Photon Identification . . . . .	109
5.5.4 Kinematical distributions . . . . .	109
5.6 Kinematical selection (Group II) . . . . .	120
5.7 Event categorization and yields . . . . .	128
5.7.1 R9 reweighting . . . . .	128
5.7.2 Event counting and yields . . . . .	129
5.8 Background modeling . . . . .	131
5.9 Signal modeling . . . . .	141
5.10 Systematic uncertainties . . . . .	147
5.10.1 Uncertainties on the predicted yields . . . . .	147
5.10.2 Uncertainties that affect the signal fits . . . . .	148
5.11 Modeling Cross checks . . . . .	152
5.12 Results and conclusion . . . . .	159
5.12.1 The $CL_s$ formalism for upper limits setting at CMS . . . . .	159
5.12.2 Branching fraction upper limits . . . . .	163
<b>6 Conclusion and perspectives</b>	<b>165</b>
<b>Bibliography</b>	<b>167</b>

# Chapter 1

## Introduction

The Standard Model (SM) have been proven successful over the last decades by its accordance with results from many particle physics experiments, the Super Proton Synchrotron (SPS) [1] and its experiments created the experimental conditions to the discovery of the electroweak bosons,  $W^\pm$  and  $Z$ . The Tevatron experiments (D0 , from Fermilab) allowed the discovery of the top quark. These were 3 of the four heaviest components of the SM. The missing piece was the, so called, Higgs Boson, or any other explanation to the mass of the other SM particles.

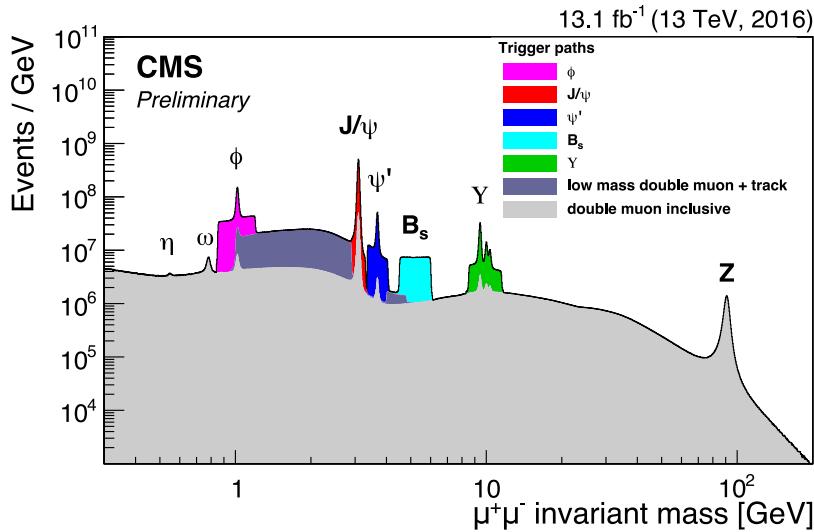
In 2012, during CMS' Run1, at center-of-mass energy  $\sqrt{s} = 7$  and  $8$  TeV, researchers from CMS [2] and ATLAS [3], two collaborations with experiments located at the Large Hadron Collider (LHC), a 27 km long circular proton-proton collider build and operated by CERN, announced the discovery a new particle [4, 5], with characteristics compatibles with the Brout-Englert-Higgs boson, completing the SM picture proposed up to fifty years ago. In 2013, Francois Englert and Peter Higgs were awarded with the Noble Prize for *"for the [...] discovery of a mechanism that contributes to our understanding of the origin of mass of subatomic particles, and which recently was confirmed through the discovery of the predicted fundamental particle, by the ATLAS and CMS experiments at CERN's Large Hadron Collider"* [6].

On top of the success of the Higgs program at CMS, there is much to be understood, e.g. pin down the coupling constants of the Higgs boson with all three generations of quarks and leptons, its mass and its full width, evaluate non-zero CP-odd components in Higgs interactions, investigate double Higgs production and its self-coupling constant and possible extensions of the SM close to the Higgs sector and explore

rare decays of Higgs. The former one, specially rare decays involving quarkonia, such as  $H \rightarrow M\gamma$ , where  $M$  is a meson state, are a very good scenario to investigate the Higgs interaction with other SM particles other than the direct decay. This one would be overwhelmed by the immense background coming from QCD events. The same analogy can be extended to the Z boson, which also serves as a benchmark for the Higgs study.

The present study corresponds to  $35.86 \text{ fb}^{-1}$  of data taken by CMS during 2016, during the Run2, at center-of-mass energy  $\sqrt{s} = 13 \text{ TeV}$ , in which an upper limit on the branching fraction for  $H/Z \rightarrow \Upsilon(1S, 2S, 3S) (\rightarrow \mu\mu) + \gamma$  is determined.

Because of its narrow resolution, muons play a special role not only for this study, but for CMS, in general. Not only the Higgs studies heavily depends of muonic final states (for decay channels, such as  $H \rightarrow \mu\mu$  and  $H \rightarrow ZZ \rightarrow 4l$  and identification of the production modes), but also muon final states are very important to a whole broad of physics process accessible at CMS/LHC. The Figure 1.1 presents the distribution of dimuon invariant mass reconstructed from different double muon triggers, with different requirements in pseudorapidity and transverse momentum. It is clear how the muons at CMS broaden the set of interesting process giving access to light quark hadrons to high transverse momentum phenomena.



**Figure 1.1:** Dimuon mass distribution collected with various dimuon triggers. The light gray continuous distribution represents events collected with inclusive dimuon triggers with high  $p_T$  thresholds. The dataset corresponding to an integrated luminosity of  $13.1 \text{ fb}^{-1}$  was collected during the 25 ns LHC running period at 13 TeV in 2016. Source: [7].

In this scenario, a contribution to the muon system of CMS is a meaningfully one to the collaboration. In this document it is described the contributions given to Re-

sistive Plate Chamber (RPC) subdetector, including its commissioning, instrumentation for its upgrade, operation and maintenance.

This document is organized as follows: Chapter 1 is this introduction. Chapter 2 is devoted to a review of the theoretical foundations of this study and the motivations for the study of Rare Z and Higgs decays involving quarkonia. Chapter 3 is a review of the collider and experimental setup, LHC and CMS respectively. Chapter 4 is a reviews of the Resistive Plate Chamber technology for muon detection at CMS and the details of the contributions given to this subdetector. Chapter 5 is a detailed description of the data sample and the applied analysis procedure, as well as the statistical modeling and the branching fraction upper limit extraction. Chapter 6 presents a summary and perspectives for future developments.

Wherever figures and tables sources are not provided, the source is the author himself.

In this document, the convention of natural units is implicitly used: the vacuum speed of light ( $c$ ), the reduced Planck constant ( $\hbar$ ) and electric permittivity ( $\epsilon_0$ ) are normalized to unity. In this way, SI units are:

- mass ( $[m]$ ) = GeV,
- energy ( $[E]$ ) = GeV,
- momentum ( $[p]$ ) = GeV,
- time ( $[t]$ ) = 1/GeV,
- length ( $[s]$ ) = 1/GeV.

The summation convention is also followed. In this notation,  $y = A^i B_i$  stands for  $y = \sum_{i=0}^n A^i B_i = A^1 B_1 + A^2 B_2 + A^3 B_3 + \dots + A^n B_n$ .

# Chapter 2

## Standard Model and rare Z and Higgs decays to quarkonia

### 2.1 Standard Model and Local Gauge Invariance

Physics understands matter and how it interacts in terms of two components: fundamental forces and elementary particles. From the weakest to the strongest, the fundamental forces are: Gravitational, Weak, Electromagnetic and Strong. All share common characteristics like, being mediated by particles<sup>1</sup>, being relevant within some effective range and have an associate a charge-like quantity (i.e. an intrinsic characteristic of the object) that defines whether or not, particles might be subjected to a specific interaction.

Along with the fundamental interactions, the Standard Model [8–11] (or simply *SM*) defines every existing matter in the Universe as a set of fundamental quantum objects, with properties that prescribes their interaction. Those objects are said to be fundamental since, in the context of the SM, they are the smallest possible components of matter. We shall refer to them as *Fundamental Particles*. There four of those mediating particles (force carriers), gluon ( $g$  - for the strong interaction), photon ( $\gamma$  - for the electromagnetic interaction), Z (neutral) and  $W^\pm$  (for weak interaction), all of them being vector bosons (spin 1). Besides the interaction mediators, described at Table 2.1, the fundamental particles are divided in two groups (*quarks* and *leptons*), with three

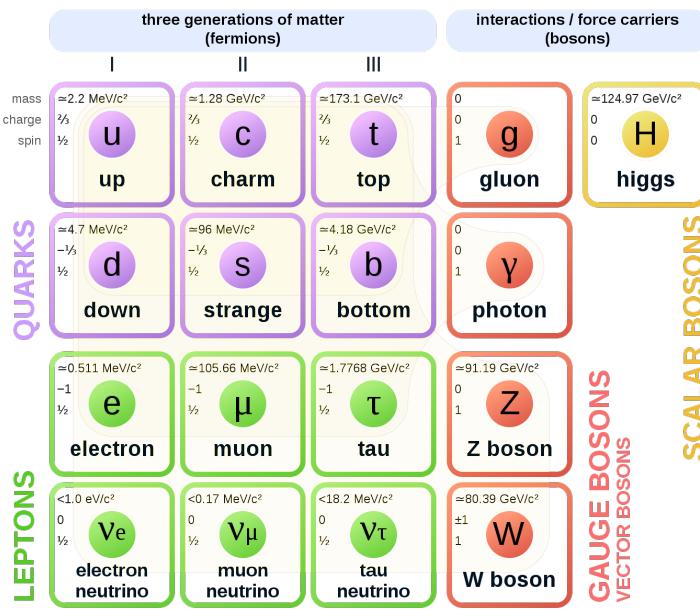
---

<sup>1</sup>There is no evidence of the existence of the Graviton (force carrier associated to the gravitational force), even though, it is theorized by models that wish to comprehend gravity in a quantum perspective.

generations, each. These are not force carriers, but elementary particles, endowed with charge-like characteristics that allow them to interact by exchange the vector bosons. Those are the building blocks of Matter in our Universe.

Figure 2.1 summarizes their properties. Table 2.1 presents the relative strength and effective range, for each one of the four fundamental interactions. It is important to stress that, the gravitational force is not study subject of the Standard Model.

### Standard Model of Elementary Particles



**Figure 2.1:** Elementary particles of the Standard Model, with their masses charges and spin. Those particles can be divided in two classes: boson (the interaction/force carriers) and the fermions, which are divided in three generations. Source: [12].

**Table 2.1:** Relative strength (with respect to the strong force) and effective range of action for the four fundamentals interactions.

	Mediator	Relative Strength	Effective Range
Gravitational	Graviton	$10^{-41}$	$\infty$
Weak	W and Z	$10^{-16}$	$10^{-18} \text{ m}$
Electromagnetic	Photon	$10^{-3}$	$\infty$
Strong	Gluon	1	$10^{-15} \text{ m}$

There are six quarks, up and down ( $u$  and  $d$  - first generation), charm and strange ( $c$  and  $s$  - second generation), top and bottom ( $t$  and  $b$  - third generation), in increasing invariant mass order of the generations. Since they interact through all the three fundamental forces of the SM, they are said to possess electrical charge (for the electromagnetic interaction), flavour (for the weak interaction) and color (for the strong).

Their generational counterparts, the leptons, don't interact via strong force, that is why they are said to have only flavour and electric charge. The leptons are electron and electron neutrino ( $e$  and  $\nu_e$  - first generation), muon and muon neutrino ( $\mu$  and  $\nu_\mu$  - second generation) and tau and tau neutrino ( $\tau$  and  $\nu_\tau$  - third generation). The neutrinos, within the SM, are massless, even though, experimental measurements have shown that they actually have mass [13]. Neutrinos are also electrically neutral, meaning that they only interact through weak interactions.

Figure 2.1 also presents the Higgs Boson ( $H$ ) which is part of the SM and shall be discussed later.

### 2.1.1 Local Gauge Invariance

Within the Standard Model, the theoretical basis that describe the fundamental interactions are derived from a common principle: the local gauge invariance. According to Salam and Ward [14]:

"Our basic postulate is that it should be possible to generate strong, weak and electro-magnetic interaction terms [...], by making local gauge transformations on the kinetic-energy terms in the free Lagrangian for all particles."

Taking the Quantum Electrodynamics (QED) as an example: the quantum field theory that describes the electromagnetic interactions, consider the Dirac equation, in the covariant form, for a particle with mass  $m$ , charge  $-e$  and spin  $1/2$ , i.e. a electron:

$$(i\gamma^\mu \partial_\mu + m)\psi(x) = 0, \quad (2.1)$$

where  $\psi(x)$  is a spinor, describing the wave-function and  $\gamma^\mu$  are gamma-matrices. This equation can be obtained from the lagrangian  $\mathcal{L}$ <sup>2</sup> of a free particle, in the form of

$$\mathcal{L}_0 = i\bar{\psi}(x)\gamma^\mu \partial_\mu \psi(x) - m\bar{\Psi}\Psi(x), \quad (2.2)$$

when applied to the Euler-Lagrange equation.

It is clear that, the Dirac Equation (2.1) and its lagrangian (2.2) are invariant under a global phase transformation.

---

<sup>2</sup>Even though, the  $\mathcal{L}$  actually represents the lagrangian density, in this document we shall refer to it as simply lagrangian.

$$\psi(x) \rightarrow \psi'(x) = \exp(-ie\alpha)\psi(x), \quad (2.3)$$

where  $\alpha$  is a constant (global phase shift).

The same is not true when  $\alpha$  is not a constant, but actually a local phase transformation, a gauge transform.

$$\psi(x) \rightarrow \psi'(x) = \exp(-ie\alpha(x))\psi(x) \quad (2.4)$$

In this case, the derivative of  $\alpha(x)$  will introduce a new term that would break the invariance. To recover it, the covariant derivative operator should be modified as follows:

$$\partial_\mu \rightarrow D_\mu = \partial_\mu - ieA_\mu. \quad (2.5)$$

This modification introduces the concept of the gauge field  $A_\mu$ , associated to a particle of spin 1 and zero mass, the photon. This term should transform under gauge, in the following manner:

$$A_\mu \rightarrow A'_\mu = A_\mu - \partial_\mu\alpha(x). \quad (2.6)$$

Modifications 2.5 and 2.6 are sufficient not only to make the free particle Dirac Equation and its lagrangian gauge transformation invariant (Equations 2.7 and 2.8 ), but also it naturally gives rise to an interaction term associated to the gauge field  $A_\mu$ .

$$(i\gamma^\mu\partial_\mu + m)\psi(x) = -e\gamma_\mu A_\mu(x)\psi(x) \quad (2.7)$$

$$\begin{aligned} \mathcal{L} \rightarrow \mathcal{L}' &= i\bar{\psi}'(x)\gamma^\mu D_\mu\psi'(x) - m\bar{\psi}'\psi'(x) \\ \mathcal{L}' &= \mathcal{L}_0 + e\bar{\psi}(x)\gamma^\mu A_\mu\psi(x) = \mathcal{L} \end{aligned} \quad (2.8)$$

Interesting to notice that the  $\mathcal{L}_0$  term, on 2.8, corresponds to the electron kinetic energy plus its mass contribution (the free particle lagrangian), while the second corresponds to the interaction of the electron ( $\psi(x)$ ) and the electromagnetic field. On this basis,  $e$  is said to be the generator of the electromagnetic four-potential,  $A_\mu$ . One

could add the energy contribution of the electromagnetic field itself, by adding a term like:

$$\mathcal{L}_{\text{EM}} = -\frac{1}{4}F_{\mu\nu}F^{\mu\nu}, \quad (2.9)$$

where:

$$F_{\mu\nu} = \partial_\mu A_\nu - \partial_\nu A_\mu \quad (2.10)$$

is the electromagnetic field tensor.

It can be proven that applying 2.10 on the Euler-Lagrange equations, this will give us the Maxwell's Equations for the vacuum,  $\partial_\mu F^{\mu\nu} = 0$ <sup>3</sup>. One could also expect that a field mass contribution in as below, could be introduced, as well.

$$\frac{1}{2}m_{\text{photon}}^2 A_\mu A^\mu \quad (2.11)$$

This one would break the gauge invariance, therefore we can imply that the photon should be massless.

The QED is said to be a gauge theory with the symmetry group  $U(1)$ . The  $U(1)$  description comes from Lie Algebra, where 2.5 and 2.6 are transformations of gauge  $\alpha$  (in one dimension) to which the system is symmetric (invariant), then unitary and generated by a  $1 \times 1$  matrix ( $e$ ).

### 2.1.2 The Standard Model

Taking profit of the Local Gauge Invariance as path to introduce interactions in a quantum field theory (QFT), such as for the QED, the Standard Model can be defined as a QFT of the gauge group  $SU_c(3) \times SU_L(2) \times U_Y(1)$ . All the experimental results we have, so far (Section 2.2), give us support to this definition.

In this context there are 8 spin 1 bosons (called gluons) for the  $SU_c(3)$  component, which corresponds to the strong interaction, plus 4 bosons,  $W^\pm$ ,  $Z$  and the photon for the other components (weak and electromagnetic interactions).

Hadrons are defined as colorless particles that interact strongly. They are bound states of quarks, which also interact via strong force and have non-neutral color.

---

<sup>3</sup>A non-vacuum covariant form of the Maxwell's Equations would be  $\partial_\mu F^{\mu\nu} = j^\nu$ .

Hadrons are divided in mesons (spin integer) and barions (spin non-integer). Leptons do not interact via gluons (via the strong interaction).

## Quantum Chromodinamics

Quantum Chromodynamics (QCD) is the  $SU_C(3)$  component of the SM, where  $SU$  stands for special unitary group, to which the  $\det(e^{i\lambda_i}) = 1$ , where  $\lambda_i$  are the Gell-Mann matrices [15] (the 8 generators of the  $SU(3)$ ). It corresponds to the field of gluons, responsible for the strong interaction acting on a charge-like degree of freedom: colour ( $c$ ). Gluons follow the same fashion as photons, they are massless and have spin 1, but contrary to electromagnetism, the QCD is a non-abelian gauge theory. This means that the force carriers (gluons) can interact with each other (self-coupling). In other words, gluons are charged (coloured). In a more formal manner, the generators of this group are non-commutative, as follows.

$$[T_a, T_b] = \left[ \frac{\lambda_a}{2}, \frac{\lambda_b}{2} \right] = i \sum_{c=1}^8 f_{ab}^c \lambda_c, \quad (2.12)$$

where  $f_{ab}^c$  are antisymmetric structure constants.

From a experimental perspective, the idea of colour begins with the observation of  $\Lambda^{++}$  [16]. It could be only be composed by three up quarks, which would break Pauli Exclusion Principle <sup>4</sup>. This observation demanded the inclusion of another degree of freedom, the colour, typically refereed as RED, BLUE, GREEN and its anti-colours.

The QCD lagrangian for a quark of colour  $c$ , just the QED lagrangian for a electron of charge  $-e$ , is <sup>5</sup>:

$$\mathcal{L}_{QCD} = \bar{\psi}_c(x) (i\gamma^\mu D_\mu - m) \psi_c(x) - \frac{G_{\mu\nu}^c G_c^{\mu\nu}}{4}, \quad (2.13)$$

where

$$D_\mu = \partial_\mu + ig_s T_c G_\mu^c \quad (2.14)$$

and

$$G_{\mu\nu}^c = \partial_\mu G_\nu^c - \partial_\nu G_\mu^c - g_s f_{ab}^c G_\mu^a G_\nu^b \quad (2.15)$$

This lagrangian is local gauge invariant when the strength tensor 2.15 as:

---

<sup>4</sup>Two or more fermion can not be in the same quantum state.

<sup>5</sup>The total QCD lagrangian would the sum over all possible states.

$$G_\mu^c \rightarrow G_\mu^{c'} = G_\mu^c - \frac{1}{g_s} \partial_\mu \alpha_c(x) - f_{ab}^c \alpha_a(x) G_\mu^b \quad (2.16)$$

Coloured particles, such as quarks and gluons, are subjected to the phenomenon of Colour Confinement, which prohibits the direct observation of these particles. These can only be observed in colourless bound states (hadrons). A isolated quark or gluon will immediately interact with the vacuum and initiates a hadronization process until a set of stable colourless particle is produced. As a consequence of the Colour Confinement and the self-coupling property of the QCD force carriers, a bound state or a resonance of gluons, Glueballs [17], is possible, even though there are no experimental clear evidences of its existence. This is one of the few open topics in the SM.

QCD is a perturbation theory ( $\mathcal{L} = \mathcal{L}_{\text{Free Particle}} + \mathcal{L}_{\text{Interaction}}$ ) which demands renormalization <sup>6</sup>. In a qualitative way, one could imagine that, as larger the distance on interaction is, more sea vacuum gluon pairs can contribute to the net colour charge, due to the self-coupling, increasing the total interaction strength. To cope the Colour Confinement and the self-coupling, one would redefine the strong coupling constant as  $g_s = \sqrt{4\pi\alpha_s}$  (from 2.14, 2.15 and 2.16), where  $\alpha_s(Q^2) \propto \frac{\Lambda_{QCD}^2}{\ln Q^2}$ . In this situation, the coupling strength is related to the transferred momentum  $Q^2$ , in such a way that, in a highly energetic interaction (high  $Q^2$ , hence short distance) the coupling is weaker and the quarks and gluons involved, behave like a quasi-free particles, allowing the use of perturbation theory. This effect is known as Asymptotic Freedom, and its scale have already been measured by the LHC experiments [13].

## Electroweak Theory

The  $SU_L(2) \times U_Y(1)$  represents the Electroweak component of the SM. It is the unification of the Weak and Electromagnet interaction, under the same theory. Here two new degrees of freedom are introduced,  $L$  and  $Y$ . The former one is related to the chirality of  $SU(2)$  and the latter is the weak hypercharge. The generators of groups are the Pauli Matrices ( $T_i$ ) <sup>7</sup>, form the  $SU_L(2)$  and the electromagnetic generator structure for  $U_Y(1)$  (but for  $Y$ , instead of  $-e$ , as before). Since:

---

<sup>6</sup>A techniques to deal with infinites that might arrive when calculating quantities in a QFT. In summary the total probability for the theory is required to re-sum to unity.

<sup>7</sup>The usual  $\sigma_i$  representation for the Pauli Matrices usually is reserved for the  $SU_{spin}(2)$  group.

$$\begin{aligned} [T_a, T_b] &= i\epsilon^{abc}T_c, \\ [T_a, Y] &= 0 \end{aligned} \tag{2.17}$$

where  $\epsilon^{abc}$  is the Levi-Civita tensor,  $SU_L(2)$  is also a non-abelian group.

The connection between electric charge  $Q$  and the weak hypercharge is  $\frac{Y}{2} = Q - T_3$ , as such, QED ( $U_{EM}(1)$ ), as defined in Section 2.1.1 is derived from  $U_Y(1)$ .

In the Electroweak Theory, fermions can have left-handed or right-handed components of their wave-functions, according to their chirality. Left-handed components transform as doublets of  $(T, T_3)$  with eigenvalues  $(1/2, \pm 1/2)$  under  $SU_L(2)$  and the right-handed components transform as singlets ( $T = 0$ ). Weak interactions act only on left-handed fermions. That is the reason for the  $L$  subscript in the electroweak symmetry group definition.

### Standard Model Lagrangian and the Higgs Sector

The SM lagrangian is given by:

$$\mathcal{L}_{SM} = \mathcal{L}_{gauge} + \mathcal{L}_{fermions} + \mathcal{L}_{Yukawa} + \mathcal{L}_{Higgs}, \tag{2.18}$$

where  $\mathcal{L}_{gauge}$  describes gauge fields of the QCD and Electroweak theories,

$$\mathcal{L}_{gauge} = -\frac{1}{4} \sum_{c=1}^8 G_{\mu\nu}^c G_c^{\mu\nu} - \frac{1}{4} \sum_{a=1}^3 W_{\mu\nu}^a W_a^{\mu\nu} - \frac{1}{4} B_{\mu\nu} B^{\mu\nu}. \tag{2.19}$$

The first term is related to the  $SU_C(3)$  component of the SM and last two terms are related to  $SU_L(2) \times U_Y(1)$  components, respectively. The summations are related to all generators in the symmetry group, 8 and  $3 + 1$ , for QCD Electroweak. Following the same structure as in 2.15:

$$\begin{aligned} W_{\mu\nu}^a &= \partial_\mu W_\nu^a - \partial_\nu W_\mu^a - g\epsilon_{abc}W_\mu^b W_\nu^c, \\ B_{\mu\nu} &= \partial_\mu B_\nu - \partial_\nu B_\mu \end{aligned} \tag{2.20}$$

For the fermionic term of the lagrangian, we have:

$$\mathcal{L}_{fermions} = \sum_j i\bar{\psi}_L^j \not{D}^L \psi_L^j + \sum_k i\bar{\psi}_R^k \not{D}^R \psi_R^k, \quad (2.21)$$

where the first term is summed over all  $T$  doublets (left-handed components) and the second one, over all  $T$  singlets (right-handed components). The slash notation was introduced, in which  $\not{a} = \gamma^\mu a_\mu$ . Here, we define the covariant derivatives as:

$$\begin{aligned} D_\mu^L &= \partial_\mu + ig \sum_{a=1}^3 T_L^a W_\mu^a + ig' \frac{Y}{2} B_\mu + ig_s T_c G_\mu^c \\ D_\mu^R &= \partial_\mu + ig' \frac{Y}{2} B_\mu + ig_s T_c G_\mu^c \end{aligned} \quad (2.22)$$

It is important to notice that, the weak interaction term ( $W_\mu$ ) is absent in the right-handed component and the QCD term of the covariant derivative is only applied to quarks. Leptons are colourless.

Since, the electroweak components of the SM are not related to flavour and charge, but rather weak hypercharge and left-handed chirality, the boson that we observe experimentally ( $Z$ ,  $W^\pm$  and  $\gamma$ ) are not directly related to the fields  $W_\mu^a$  and  $B_\mu$ . They are linear combination of them, as follows (assuming  $T_L^a = \sigma^a/2$ , where  $\sigma^a$  are the Pauli Matrices):

$$W_\mu^\pm = \frac{1}{\sqrt{2}} W_\mu^1 \mp i W_\mu^2 \quad (2.23)$$

$$\begin{aligned} Z_\mu &= \cos\theta_w W_\mu^3 - \sin\theta_w B_\mu, \\ A_\mu &= \sin\theta_w W_\mu^3 + \cos\theta_w B_\mu, \end{aligned} \quad (2.24)$$

where  $\theta_w$  is a measurable of the theory [13].

The SM lagrangian terms, presented so far, are clearly gauge invariant, under the proper transformations. Even though this is sufficient to define the interactions, two problems arise, related to mass: the spin 1 gauge boson are, by construction, massless, which is in conflict for the measurements we have for  $Z$  and  $W^\pm$  [13]; if one include a

mass term for the fermions, as expected from the previous discussion on the QED and QCD, this would break the gauge invariance of the symmetry.

The overcome these problem, another field ( $\phi$ ) is introduced. By its interaction with Electroweak bosons ( $Z$  and  $W^\pm$ ), they gain mass. Also, at the same time, a Yukawa coupling term, between the new field and the fermion, is capable to give them mass, naturally. The simplest way to achieve this is by introducing a scalar field doublet in  $SU_L(2)$ , the Higgs field.

$$\phi = \begin{pmatrix} \phi^+ \\ \phi^0 \end{pmatrix} \quad (2.25)$$

Therefore, the Higgs contribution to the SM lagrangian is:

$$\mathcal{L}_{Higgs} = (D_\mu \phi)^\dagger (D_\mu \phi) - V(\phi), \quad (2.26)$$

where

$$D_\mu = \partial^\mu + ig \sum_{a=1}^3 T_L^a W_\mu^a + ig' \frac{Y}{2} B_\mu \quad (2.27)$$

and

$$V(\phi) = \mu^2 \phi^\dagger \phi + \lambda (\phi^\dagger \phi)^2. \quad (2.28)$$

The key idea behind the introduction of this field, is that, at ground state, the  $SU_L(2) \times U_Y(1)$  symmetry is "spontaneously" broken, hence the name usually given to this procedure Spontaneously Symmetry Break [18–23]. In this case, to preserve unitarity and to ensure the  $V(\phi)$  has a global minimum,  $\lambda > 0$ . and  $\mu^2$  needs to be negative, in order to give mass to  $Z$  and  $W^\pm$ , otherwise, we would be adding just a scalar field of mass  $\mu$  with self-coupling of strength  $\lambda$ , but the SM bosons would still be massless.

In this case, the minimum value for  $V(\phi)$  is a set of degenerated states in a circle of radius  $\langle \phi \rangle = \sqrt{\frac{-\mu^2}{2\lambda}} = \frac{v}{\sqrt{2}}$ ,  $v = \sqrt{-\mu^2/\lambda}$  is the vacuum expectation value (VEV). Without loss of generality, one can choose a direction:

$$\phi = \frac{1}{\sqrt{2}} \begin{pmatrix} 0 \\ v \end{pmatrix} \quad (2.29)$$

assigning hypercharge  $Y = 1$ .

Once again, taking profit of the perturbation theory around the ground state (VEV), one could define <sup>8</sup>:

$$\phi = \frac{1}{\sqrt{2}} \begin{pmatrix} 0 \\ v + H \end{pmatrix} \quad (2.30)$$

Expanding the potential  $V(\phi)$ , as is 2.28, one gets:

$$V = \mu^2 H^2 + \frac{\mu^2}{v} H^3 + \frac{\mu^2}{4v^2} H^4, \quad (2.31)$$

hence, a new scalar boson (the Higgs boson) is included in the theory with mass  $\sqrt{2\mu^2}$  and self-couplings terms.

In the same way, expanding 2.27 and assuming  $T_L^a = \sigma^a/2$ :

$$(D_\mu \phi)^\dagger (D_\mu \phi) = \frac{1}{2} (\partial_\mu H)^2 + \frac{1}{8} g^2 (v + H)^2 |W_\mu^1 + iW_\mu^2|^2 + \frac{1}{8} (v + H)^2 |gW_\mu^3 - g'B_\mu|^2. \quad (2.32)$$

Defining the SM bosons fields as:

$$\begin{aligned} W_\mu^\pm &= \frac{1}{\sqrt{2}} (W_\mu^1 \mp iW_\mu^2) \\ Z_\mu &= \frac{gW_\mu^3 - g'B_\mu}{\sqrt{g^2 + g'^2}} \\ A_\mu &= \frac{gW_\mu^3 + g'B_\mu}{\sqrt{g^2 + g'^2}}, \end{aligned} \quad (2.33)$$

one can naturally infer that the introduction of the Higgs fields gave the SM bosons mass values of:  $M_W = vg/2$ ,  $M_Z = v\sqrt{(g^2 + g'^2)}$  and  $M_A = 0$ . In this context, the Weinberg angle,  $\theta_W$ , is related to the SM coupling constants as:

$$\begin{aligned} \cos\theta_W &= \frac{g'}{\sqrt{g^2 + g'^2}} \\ \sin\theta_W &= \frac{g}{\sqrt{g^2 + g'^2}}. \end{aligned} \quad (2.34)$$

---

<sup>8</sup>A even more general redefinition of the Higgs field would be possible ( $\phi = (\phi^+, v + H + i\chi)$ ), but the one proposed presents no loss of generality.

The missing piece of the SM lagragian (2.18) is the Yukawa components,  $\mathcal{L}_{Yukawa}$ , and how it gives the fermion masses. The procedure is quite straightforward. Start including a Yukawa coupling for each fermion to either  $\phi$  or  $\tilde{\phi} = i\sigma_2\phi^\dagger$  (this one with  $Y = -1$ ). Taking the electron as an example:

$$\begin{aligned}\mathcal{L}_{Yuk}^e &= -\lambda_e \bar{L} \phi e_R + h.c. \\ \mathcal{L}_{Yuk}^e &= -\frac{1}{\sqrt{2}} \lambda_e (\bar{\nu}^e, \bar{e}_L) \begin{pmatrix} 0 \\ v + H \end{pmatrix} e_R + h.c \\ \mathcal{L}_{Yuk}^e &= -\frac{1}{\sqrt{2}} \lambda_e (v + H) \bar{e}_L e_R + h.c,\end{aligned}\tag{2.35}$$

where  $\lambda_e$  is the coupling constant between the Higgs boson and the electron. This tell us that  $m_e = \frac{\lambda_e v}{\sqrt{2}}$ .

Similar procedure can be used for all the fermion of the SM.

## 2.2 SM and Higgs results

The Standard Model have been proven extremely successful in describing what it is proposed to do. The discovery of the two highest invariant mass particles of the SM, the top quark [24, 25], by the CDF and D0 collaboration, at FERMILAB, and the Higgs Boson [4, 5], by CMS and ATLAS, at CERN, fill the two missing pieces of the SM puzzle, presented at Figure 2.1. In general, SM measurements presents very good agreement between theory and experiment, even when the Higgs boson is taken into account, once its mass has been established, the subsequent results tend to be found restricted within the expectations and constrained by the statistics and experimental sensitivity.

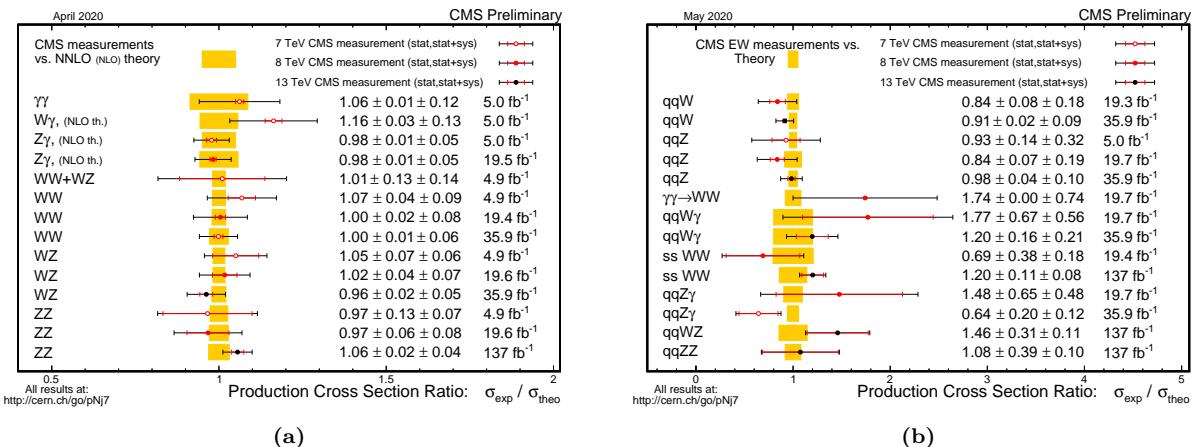
In this section, we shall briefly review some of the most relevant SM results from LHC, with special focus to  $Z$  and Higgs boson, subjects of the study.

### 2.2.1 Standard Model vector bosons at CMS

The success of the Standard Model relies mostly on its excellent agreement between its predictions and the measurements, even though there are still many open questions on fundamental particle physics [26], such as: How can we explain the number

of fundamental particles known so far? Why matter and antimatter appear in the Universe in different proportions? What is the astrophysical dark matter? How could we unify the fundamental interactions? How to quantize gravity?

The Figures 2.2a, 2.2b, and 2.3 presents a summary of relevant CMS results on SM measurements. The former one presents the ratio between the observed and expected cross section ( $\sigma_{exp}/\sigma_{theo}$ ) for different di-boson production at NNLO calculations and pure electroweak processes, while the later have a summary of cross section measurements made by CMS. When theory and experiment agreement is not exact, one has to take into account the experimental limitations of one experiment, such as CMS and the many possible electroweak phenomena to be studied.



**Figure 2.2:** (a) Di-boson cross section ratio comparison to theory: Theory predictions updated to latest NNLO calculations where available compared to predictions in the CMS papers and preliminary physics analysis summaries. Source: [27]. (b) Summary of the cross sections of pure Electroweak (EWK) interactions among the gauge bosons presented as a ratio compared to theory. Source: [27].

The open questions above are not subjected to the SM scope, but even within the SM there still relevant precision measurements [28] that are important to understand the validity of the SM and what other questions lies about the SM, at the threshold of the LHC experiments precision.

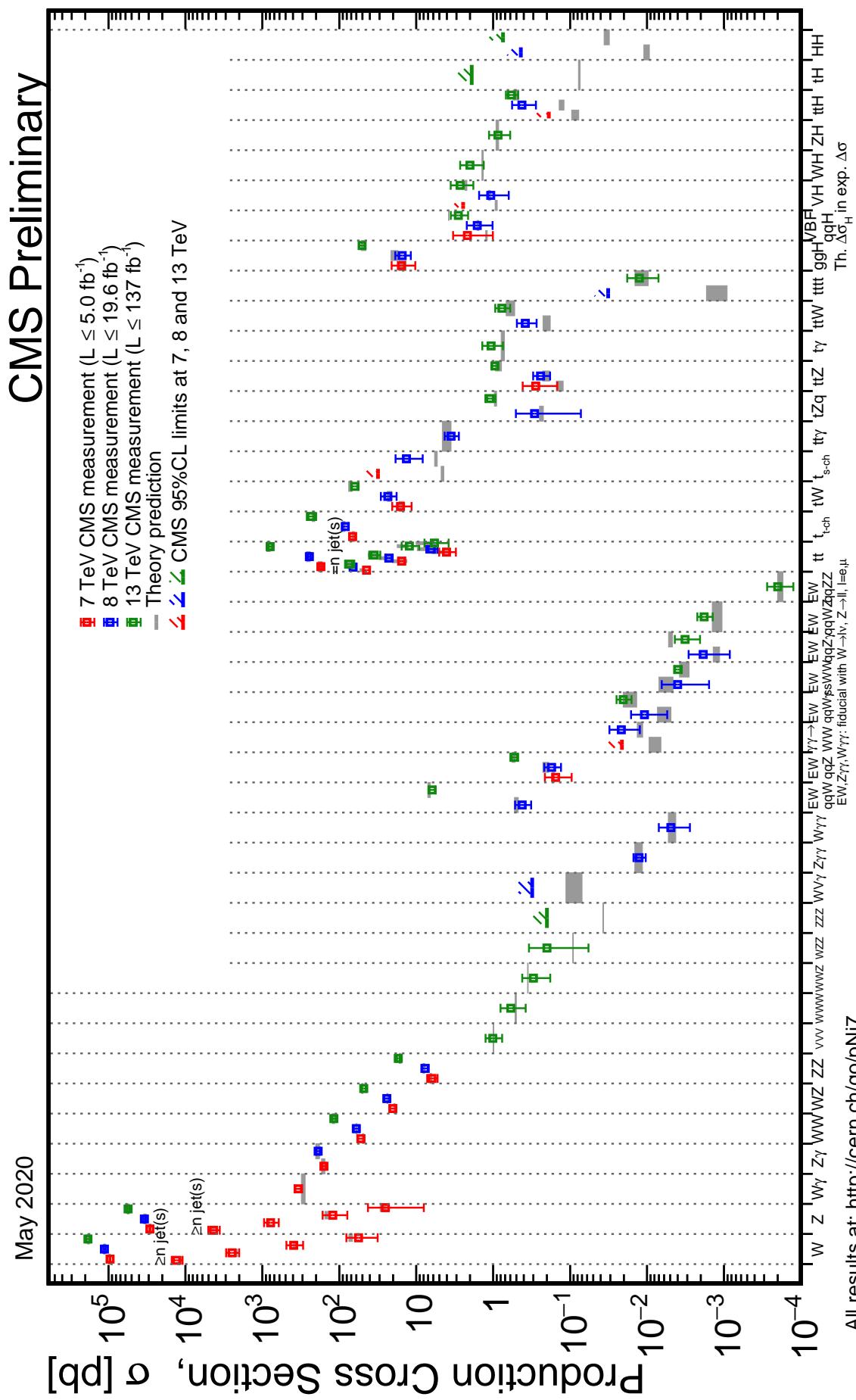


Figure 2.3: Summary of the cross section measurements of Standard Model processes at CMS. Source: [27].

## 2.2.2 Higgs boson at CMS

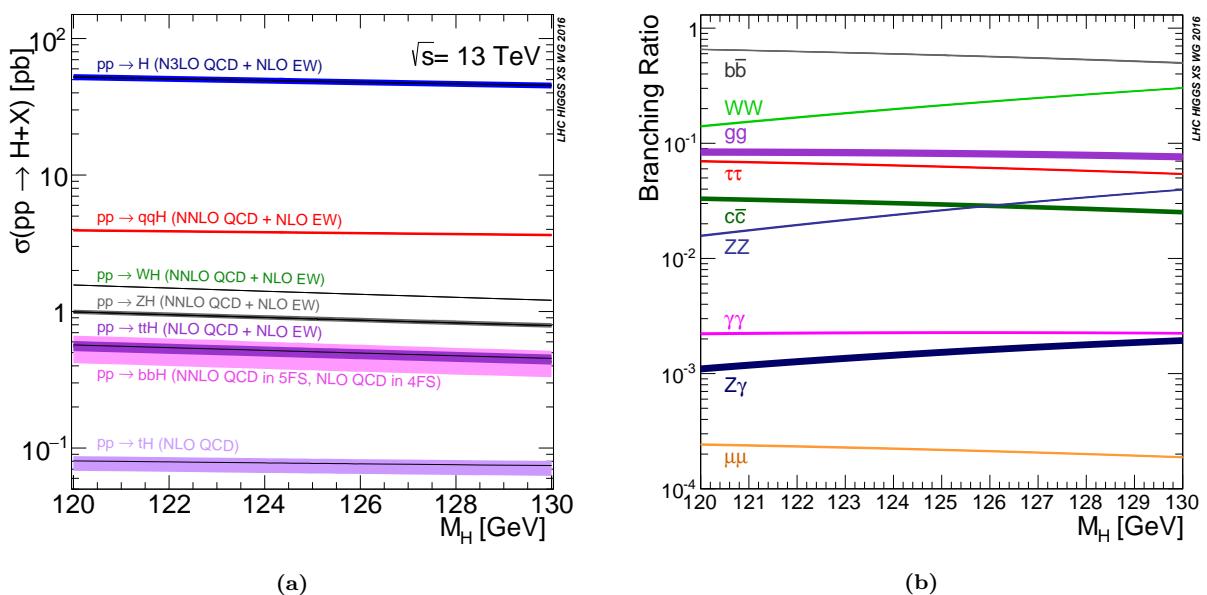
The Higgs may be produced at LHC proton-proton collisions by the following process, called **Production Modes**. *state-of-art* SM cross section predictions were computed by the "LHC Higgs Cross Section Working Group" [29] and are presented as a function of the Higgs mass is presented at Figure 2.4a and examples of leading order Feynmann diagrams of them are presented at Figure 2.5, for the highest cross section production modes.

The **Gluon Fusion - ggF** - is the result of a gluon-gluon interaction which is mediated by a heavy quark loop. Each quark contributing is suppressed by  $1/m_q^2$ . It is by far the one with highest cross section. Its final state is composed only by a Higgs boson, which makes it harder to identify, since there are no other auxiliary final state particle to tag it. In this decay, QCD radiactive corrections are very important and have been included in the results of Figure 2.4a up to N3LO (next-to-next-to-next-to-leading order), while electroweak corrections are computed up to NNLO. The **Associated Vector Boson Production - VH** - a SM vector boson (Z or W) irradiate a Higgs. Due to its clear electroweak signature (a final state with a Higgs and a vector boson), this production mode enhances the signal, when the Higgs decay has a large contribution from QCD background, e.g.  $H \rightarrow b\bar{b}$ . This process is also called Higgs-Strahlung.

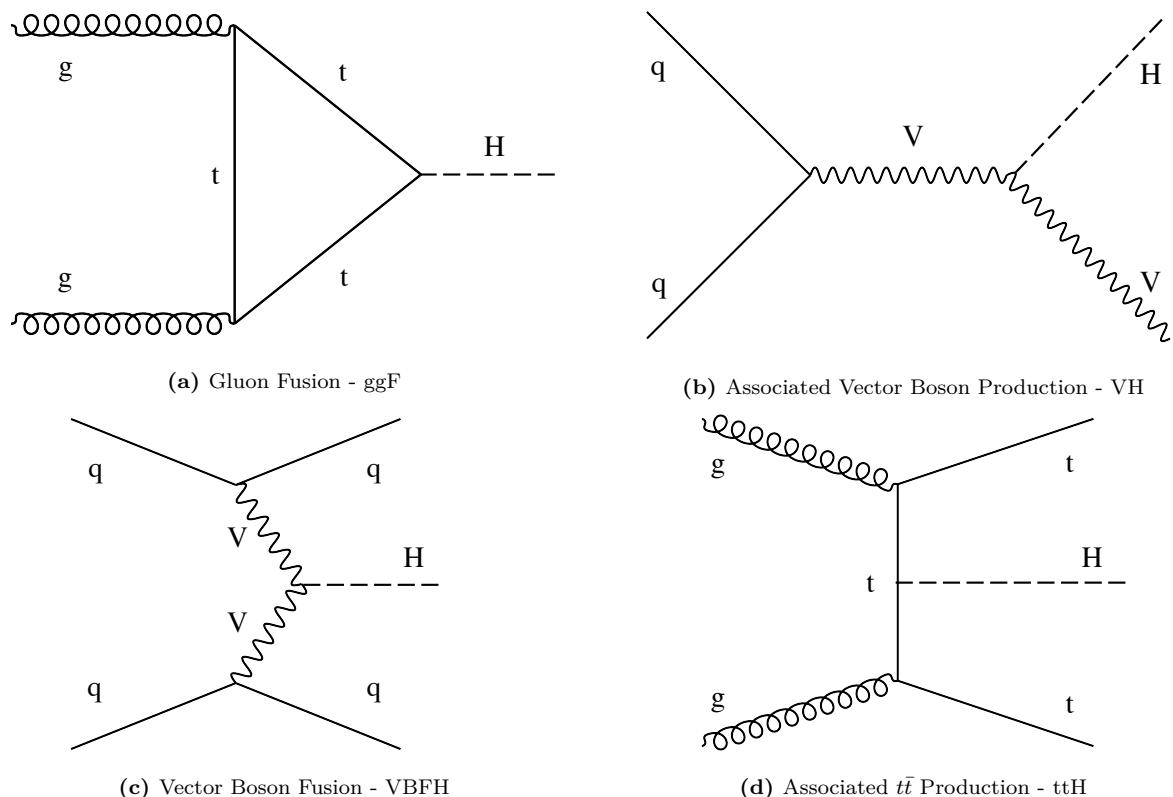
The third process is the **Vector Boson Fusion - VBFH** - in which the two quarks from the initial state scatter by the emission a pair of vector bosons (ZZ or  $W\pm W\mp$ ). Those would interact (fuse) and produce a Higgs in the final, associated with two back-to-back jets, from the initial state quarks. The **Associated  $t\bar{t}$  Production - ttH** - and **Associated  $b\bar{b}$ Production - bbH** are very similar process (especially in the scale of  $\sqrt{s} = 13$  TeV, where their cross sections almost match), where the coupling of the heavy quark to the Higgs boson, contrary to what happens in the ggF production, it is not with a virtual state of then.

The **Associated Single Top Production - tH** - is the production mode with the smallest cross section, due to its destructive interference with other process. Without loss of generality, it is not considered in this study.

The Higgs allowed **Decay Channel**, in the context of the Standard Model, is also a closet set, which have also been subject of study of the "LHC Higgs Cross Section Working Group" [29]. Figure 2.4b presents their expected branching ratios.



**Figure 2.4:** (a) Standard Model Higgs boson production cross sections at  $\sqrt{s} = 13 \text{ TeV}$  as a function of Higgs boson mass. The  $tH$  production cross section accounts for  $t$ -channel and  $s$ -channel only (no  $tWH$  production). The VBF process is indicated here as  $qqH$ . The theoretical uncertainties are indicated as shaded bands around the lines. Source: [29]. (b) Standard Model Higgs boson decay branching ratios for different decay channels. The theoretical uncertainties are indicated as shaded bands around the lines. Source: [29].



**Figure 2.5:** Example of leading order Standard Model Higgs boson production model diagrams. Source: [30].

The largest branching fraction is the decay to a  $b\bar{b}$  pair, which is, at  $\sqrt{s} = 13$  TeV, more than the double of the next channel. The large cross section does not imply in being the most sensible channel for the Higgs observation. One has to take into account the experimental sensitivity to this final state (which rely on b-tagging techniques) and its enormous QCD background. Tagging on an specific production modes is usually explored in this kind of study [31] to enhance the signal to background ratio. Similar to  $b\bar{b}$ , decays to other SM dileptons are also usually studied, such as dimuons [32],  $\tau\tau$  [33] and  $c\bar{c}$  [34].

Other decays include the  $VV$  state, where  $V$  is a electroweak vector boson ( $Z$  [35],  $W^\pm$  [36] and  $\gamma$  [37]). Even tough the branching fraction for these ones are relatively smaller, they offer a clear signature for event selection, with reduced QCD background. It is important to notice that  $H \rightarrow Z\gamma$  also play a role in this decay mode. CMS (and ATLAS) has a very good sensitivity for leptonic final states of these bosons and for a direct measurement of photons, with resolutions to the order of 1% for the Higgs. Other channels will have resolutions larger than 10% [13].

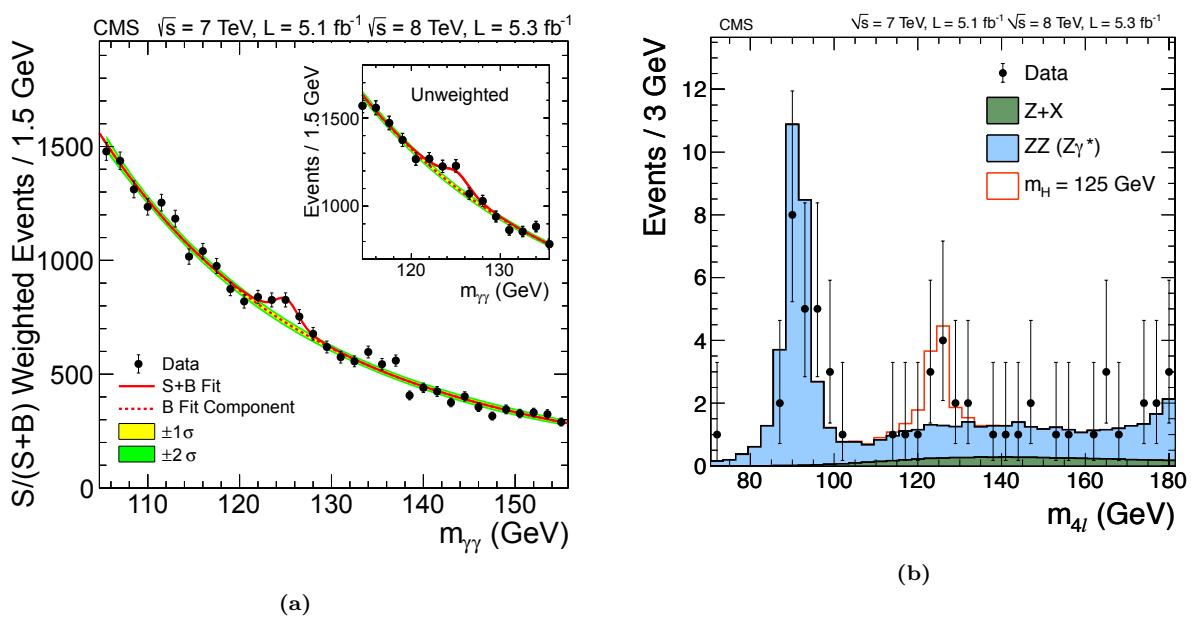
Gluonic Higgs decays ( $H \rightarrow gg$ ) are allowed in the Standard Model, but they would be overwhelmed by the QCD background. This is considered to be measurable only in the context of a  $e^+e^-$  collider [38].

As already mentioned on Section 2.2, the Higgs was found at CMS and ATLAS in 2012, with Run1 data at  $\sqrt{s} = 7$  and 8 TeV, by investigating the  $H \rightarrow ZZ \rightarrow 4l$  and  $H \rightarrow \gamma\gamma$  decays. Figures 2.6a and 2.6b present the reconstructed final state invariant masses that lead to its discovery. Since then, a broad program have been carried out by both, ATLAS and CMS, to extend the understanding of the Higgs boson to all accessible decays, production modes and also its properties and differential cross section.

A complete list of Higgs publications and public result from CMS can be found at [39, 40]. With the Higgs measurements being carried out per decay channel, a important effort of combination of these results in performed independently by each collaboration, as well as joint combinations. Some of the Higgs boson measurements by CMS are summarized.

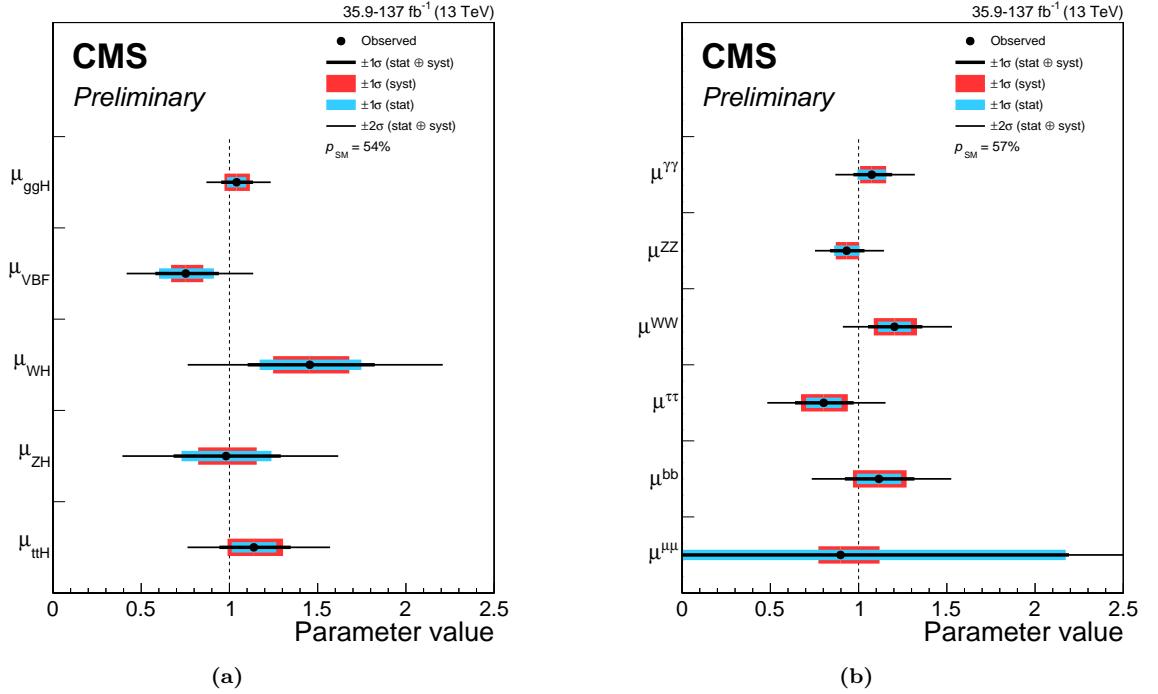
The signal strength modifier is the ratio of the measured cross section or branching ratio over the expected one.

$$\mu^i = \frac{\sigma^i}{\sigma_{SM}^i} \quad \mu^f = \frac{\mathcal{B}^i}{\mathcal{B}_{SM}^i}, \quad (2.36)$$



**Figure 2.6:** (a) The diphoton invariant-mass distribution for the 7 and 8 TeV datasets (points), with each event weighted by the predicted  $S/(S+B)$  ratio of its event class. The solid and dotted lines give the results of the signal-plus-background and background-only fit, respectively. The light and dark bands represent the  $\pm 1$  and  $\pm 2$  standard deviation uncertainties respectively on the background estimate. The inset shows the corresponding unweighted invariant-mass distribution around  $m_{\gamma\gamma} = 125$  GeV. Source: [4]. (b) Distribution of the observed four-lepton invariant mass from the combined 7 and 8 TeV data for the  $H \rightarrow ZZ \rightarrow 4\ell$  analysis (points). The prediction for the expected  $Z+X$  and  $ZZ(Z\gamma^*)$  background are shown by the dark and light histogram, respectively. The open histogram gives the expected distribution for a Higgs boson of mass 125 GeV. Source: [4].

where  $\sigma^i$  and  $\mathcal{B}^i$  stand for the measured cross section and branching ratio of a certain production mode or decay channel, respectively. Figure 2.7 presents the most updated measurements of  $\mu^i$  and  $\mu^f$  during Run2. The overall combined strength modifier is  $\mu = 1.02^{+0.07}_{-0.06}$  [41], for  $m_H = 125.09$  GeV, which shows very good agreement with the SM expectation.

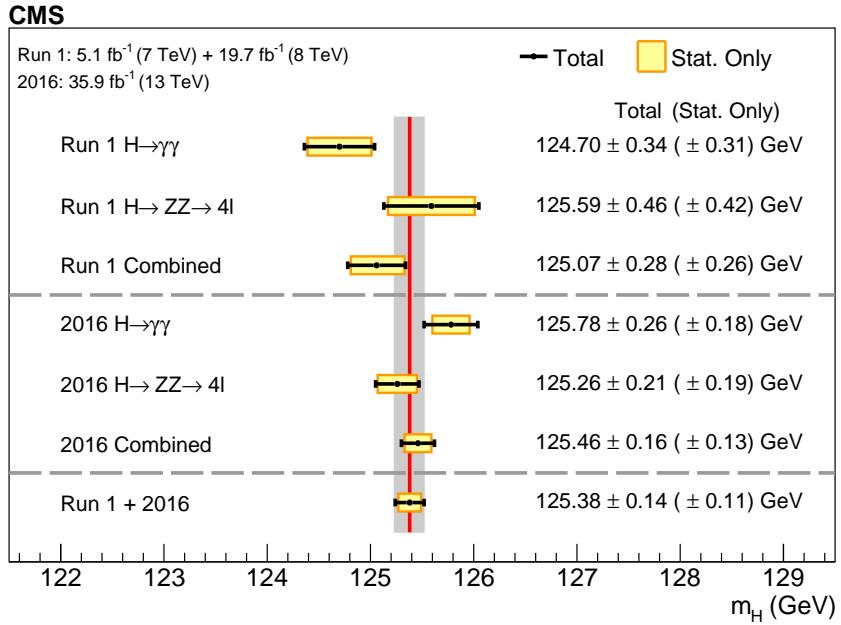


**Figure 2.7:** Signal strength modifiers for the production modes, (a)  $\mu^i$ , and for the decay channels, (b)  $\mu^f$ . The thick (thin) black lines report the  $1\sigma$  ( $2\sigma$ ) confidence intervals. The thick blue and red lines report the statistical and systematic components of the  $1\sigma$  confidence intervals. Source: [41].

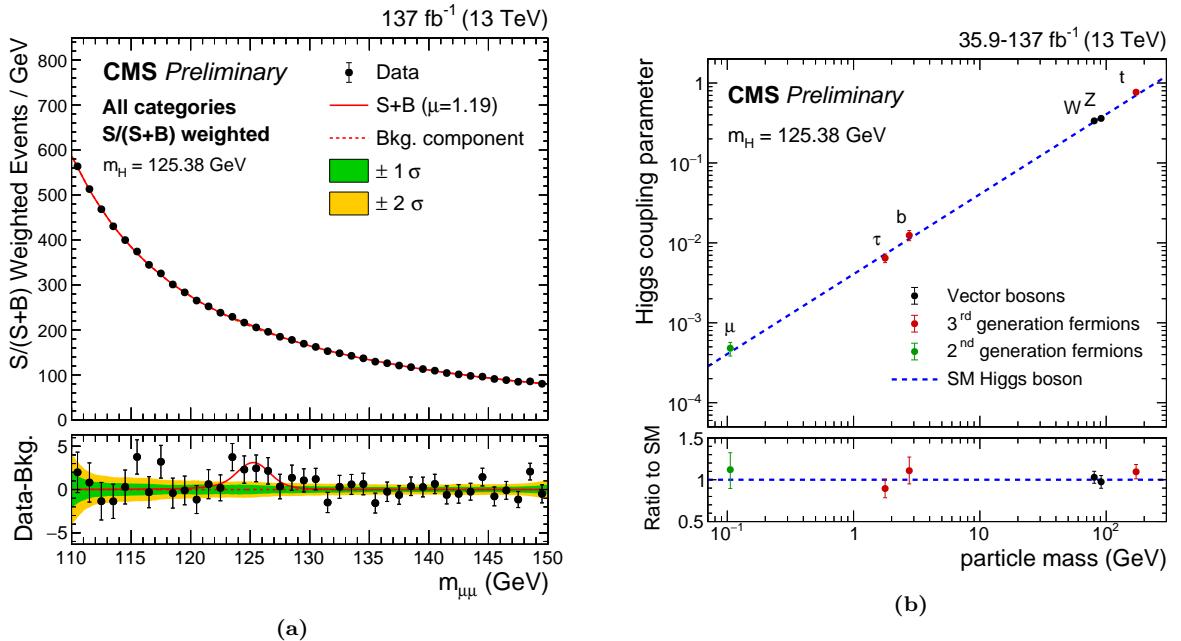
The Higgs mass was also subject of many study, here we quote the results on Figure 2.8 [37], for Run1 and partial Run2 datasets, for both  $H \rightarrow ZZ \rightarrow 4l$  and  $H \rightarrow \gamma\gamma$  decays. The combined measurement is  $m_H = 125.38 \pm 0.14$  GeV. This is the *state-of-art* value for the Higgs mass.

Other properties studied comprehends its quantum numbers. The Landau-Yang theorem [42, 43] rules out the spin-1 possibility, based on its observation on the  $\gamma\gamma$  channel. All the tests conducted, so far, support the  $J^P = 0^+$  hypothesis [44].

A recent very relevant Higgs result published by CMS is the evidence of the  $H \rightarrow \mu\mu$  decay [32]. In this paper it is reported an excess on data, with respect to the background only hypothesis, with  $3\sigma$  of significance. This is the first evidence of the Higgs coupling to second generation fermions. Figure 2.9a presents a weighted invariant mass distribution of the dimuon system ( $m_{\mu\mu}$ ) for all the categories included in this analysis.



**Figure 2.8:** A summary of the measured Higgs boson mass in the  $H \rightarrow ZZ \rightarrow 4l$  and  $H \rightarrow \gamma\gamma$  decay channels, and for the combination of the two is presented here. The statistical (wider, yellow-shaded bands), and total (black error bars) uncertainties are indicated. The (red) vertical line and corresponding (grey) shaded column indicate the central value and the total uncertainty of the Run 1 + 2016 combined measurement, respectively. Source: [37].



**Figure 2.9:** (a) The  $m_{\mu\mu}$  distribution for the weighted combination of all event categories used in the analysis. The upper panel is dominated by the gluon-gluon fusion categories with many data events but relatively small  $S/(S + B)$ . The lower panel shows the residuals after background subtraction, with the best-fit SM  $H \rightarrow \mu\mu$  signal contribution with  $m_H = 125.38$  GeV indicated by the red line. The measured signal strength is  $1.19^{+0.41}_{-0.39}(\text{stat})^{+0.17}_{-0.16}(\text{sys})$ . Source: [32]. (b) The best-fit estimates for the reduced coupling modifiers extracted for fermions and weak bosons from the resolved  $\kappa$ -framework model compared to their corresponding prediction from the SM. The error bars represent 68% CL intervals for the measured parameters. The lower panel shows the ratios of the measured coupling modifiers values to their SM predictions. Source: [32].

The same note also updates the coupling constant modifier by combining the new results for  $H \rightarrow \mu\mu$  with previous Higgs results from Run2 [41]. The measured parameters are presented at Figure 2.9b and they also present very good agreement with the SM prediction, where the coupling constants to fermions is proportional to the fermion mass( $M_f$ ), while for electroweak boson, it is proportional to the square of the boson mass ( $M_V$ ). The fit results are scaled to the reduced coupling strength modifiers, defined as  $y_V = \sqrt{\kappa_V} \frac{m_V}{\nu}$  and  $y_f = \kappa_f \frac{m_F}{\nu}$ , where  $\nu$  is the vacuum expectation value of the Higgs field of 246.22 GeV.

## 2.3 Rare Z and Higgs decays to quarkonia

The rare decays of the Higgs boson [4, 5] to a quarkonium state and a photon provide a unique sensitivity to the magnitude of the Yukawa couplings of the Higgs boson to quarks [45–47]. These couplings are difficult to access on hadronic collisions through direct decay of Higgs in quark-antiquark, due to the immense background from QCD [48].

Among the channels available to explore Yukawa’s couplings of light quarks [46, 47] the prominent candidates are those with heavy-quarkonia. The rare modes of decay of the Z boson have attracted attention focused on establishing its sensitivity to New Physics [49], being an alternative environment to investigate the Yukawa couplings of the Higgs boson.

Also, the exclusive rare decays of vector bosons (Z, W) provide a favorable environment for testing the factorization of QCD, thus allowing an approach in a context where the power of corrections are definitely under control. The main focus of this kind of analysis are the hadronic radioactive decays,  $Z \rightarrow M\gamma$ , where M can be a pseudoscalar or a vector meson ( $J/\Psi, \phi, \Upsilon_n$ ).

They offer the perfect way to explore some of the leading order properties of the light-cone distribution amplitudes (LCDAs) [50] of several mesons, but they present a difficulty, considering that in the LHC energy scale the branching ratio of these processes is very small. There are theoretical predictions [51, 52] that point out a branching ratio for several decay channels in the Standard Model, as shown in the Table 2.2.

Recent studies on exclusive Higgs boson decays [53–55] in final states containing a vector meson and a photon have caused interest in these physics topics. It was

**Table 2.2:** Summary of branching ratios for  $H/Z \rightarrow \Upsilon(1S, 2S, 3S) + \gamma \rightarrow \mu^+ \mu^- + \gamma$  analysis. The effective cross-section will be discussed in section 5.1.2.

Physics Processes	Branching Ratio ( $\text{BR}_{SM}$ ):
$H \rightarrow \Upsilon(1S) + \gamma$	$5.22 \times 10^{-9}$
$H \rightarrow \Upsilon(2S) + \gamma$	$1.42 \times 10^{-9}$
$H \rightarrow \Upsilon(3S) + \gamma$	$9.10 \times 10^{-10}$
$Z \rightarrow \Upsilon(1S) + \gamma$	$4.88 \times 10^{-8}$
$Z \rightarrow \Upsilon(2S) + \gamma$	$2.44 \times 10^{-8}$
$Z \rightarrow \Upsilon(3S) + \gamma$	$1.88 \times 10^{-8}$

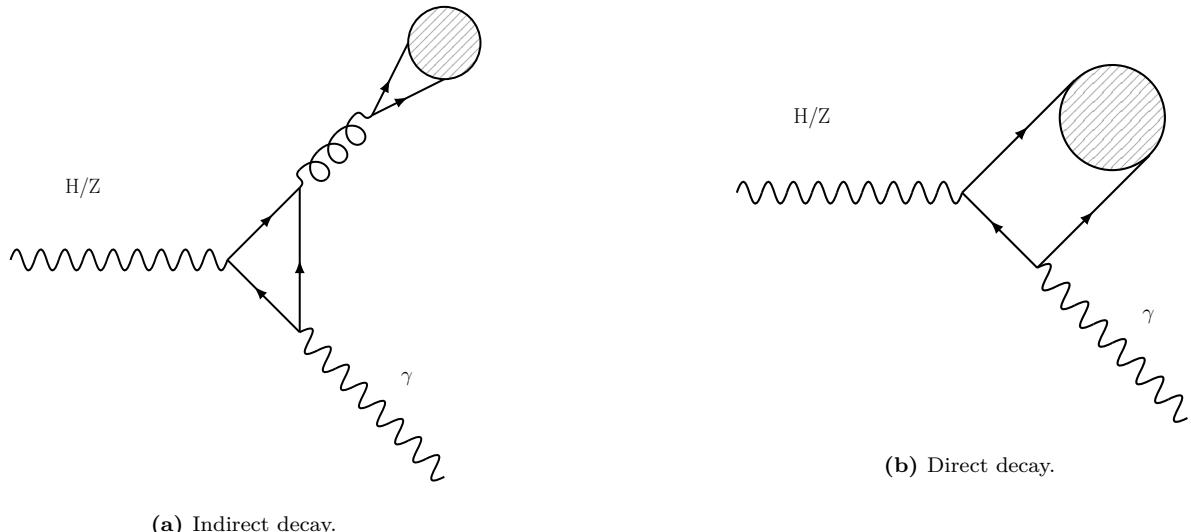
proposed to use these decays as a possible way to explore non-standard Yukawa couplings of the Higgs boson. Such measures are quite challenging in the LHC environment. The observation of hadronic decays of vector bosons could provide a new frontier for the nature of heavy quarkonia production in hadronic collisions.

Along the same lines, the simple exploration of rare SM decays, even in scenarios where anomalous couplings are, in principle, ruled out by direct measurements [56], as in the case of this analysis ( $H \rightarrow \Upsilon(nS) + \gamma$ ), are still important as a stress test of the SM and as reference for future measurements. Specially the later one, when you consider that the small predicted cross sections from Table 2.2, most probably, would imply that an observation of this decay would be unlikely even in the HL-LHC [57].

This measurement is sensitive to the direct and indirect production (Figure 2.10). The *direct* process consists in the decay of boson (Higgs or Z) to a quark anti-quark pair, in which, one of the quarks radiates a photon and the pair hadronizes to a meson (a  $\Upsilon(nS)$ , for this study), while in *indirect* process, the decay happens to a  $\gamma\gamma^*(Z)$ , with the subsequent decay of the  $\gamma^*(Z)$  to a quark anti-quark that hadronizes.

Clearly, only the direct process is sensible to the Yukawa coupling of the boson with the quarks, but, since both processes are indistinguishable in their final state, the indirect process needs to be taken into account. In this study, a dimuon final state is used to tag the  $\Upsilon(nS)$ .

Even though there is different theoretical predictions for the cross section of this process and its twin brother ( $H \rightarrow J/\Psi + \gamma$ ), each one taking into account different levels of complexity, the 2013 paper [45], from G. Bodwin, F. Petriello, S. Stoynev and M. Velasco, summarizes very well and in a simpler manner, the most relevant phenomenological results on these decays. For the decay to  $J/\Psi + \gamma$ , the quantum interference with the



**Figure 2.10:** Example of leading order diagrams for the indirect and direct production mechanisms. The dashed blob should be understood as the  $\Upsilon(nS)$ , where  $n = 1, 2, 3$ . In the indirect diagram, the majority of the contribution comes from a top loop.

indirect amplitude, enhances the directed production, leading to a larger, and potentially observable, cross section. This is not true for the  $\Upsilon(nS) + \gamma$  decay, since the interference is destructive, diminishing the cross sections.

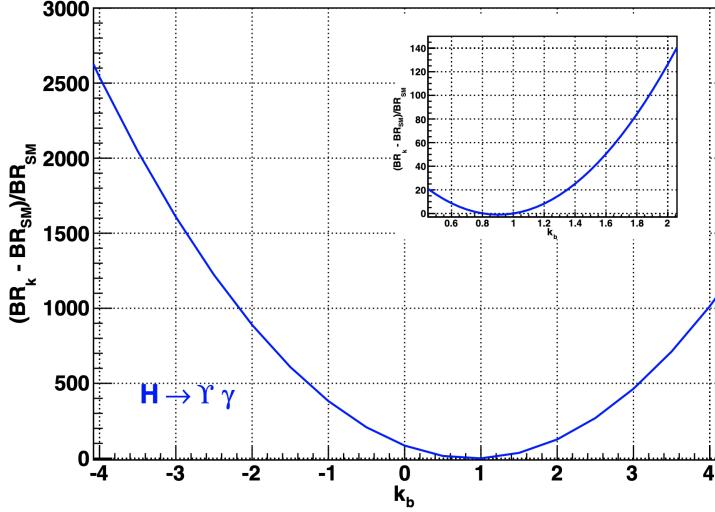
Another interesting aspect of this study is that, for both  $Hc\bar{c}$  and  $Hb\bar{b}$  direct coupling measurements are not sensible to the sign of the Yukawa coupling, while the presence of the indirect process in the  $H \rightarrow M + \gamma$  ( $M$  standing for  $J/\Psi$  or  $\Upsilon(nS)$ ) decays resolve this ambiguity.

Finally, since the  $\Upsilon(nS) + \gamma$  decay has a much smaller cross section, because of the destructive quantum interference between direct and indirect production mechanisms, a small deviation in the  $Hb\bar{b}$  Yukawa coupling, can lead a large increase in the expected branching ratio, making this channel sensible any non-Standard Model process that might interfere in this final state. This becomes clear when we look to Figure 2.11.

## 2.4 Recent results

The ATLAS experiment [3] already have two results on this decays [58, 59]. The first one corresponds to data taken from 2015, while the latter one, corresponds to data from 2016 (the same data taking period to which this study refers).

To what concerns the most updated result, the study corresponded to 36.1  $fb^{-1}$  at  $\sqrt{s} = 13$  TeV and no significant excess was found by the experiment. Upper



**Figure 2.11:** Expected relative variation of the branching ratio for the  $H \rightarrow \Upsilon(nS) + \gamma$  to  $k_b$ , where  $k_b = g(Hb\bar{b})/g(Hb\bar{b})_{SM}$  is the ratio for the observed and expected Yukawa coupling of  $Hb\bar{b}$ . Source: [45]

limits for the decay were obtained, assuming the Standard Model branching fractions predictions, at 95% confidence level, according to Table 2.3.

**Table 2.3:** Observed upper limits, by the ATLAS experiment [58, 59], on the branching fractions for the Higgs and Z decays (last result). Detailed comparisons with the results obtained in this study will be presented in Section 5.12.

Decay	$\mathcal{B}F$ at 95% CL
$H \rightarrow J/\Psi + \gamma$	$< 4.5 \times 10^{-4}$
$H \rightarrow \Psi(2S) + \gamma$	$< 2.0 \times 10^{-3}$
$H \rightarrow \Upsilon(1S) + \gamma$	$< 4.9 \times 10^{-4}$
$H \rightarrow \Upsilon(2S) + \gamma$	$< 5.9 \times 10^{-4}$
$H \rightarrow \Upsilon(3S) + \gamma$	$< 5.7 \times 10^{-4}$
$Z \rightarrow J/\Psi + \gamma$	$< 2.3 \times 10^{-6}$
$Z \rightarrow \Psi(2S) + \gamma$	$< 4.5 \times 10^{-6}$
$Z \rightarrow \Upsilon(1S) + \gamma$	$< 2.8 \times 10^{-6}$
$Z \rightarrow \Upsilon(2S) + \gamma$	$< 1.7 \times 10^{-6}$
$Z \rightarrow \Upsilon(3S) + \gamma$	$< 4.8 \times 10^{-6}$

It is worth it to mention that the ATLAS papers present a broader analysis, including the decays to  $J/\Psi + \gamma$  and  $\Psi(2S) + \gamma$ .

CMS [60] also has a result on  $J/\Psi + \gamma$  and  $\Psi(2S) + \gamma$  decay channel, of the Higgs and Z boson [61]. The observed upper limits on the branching fraction for these decays are presented in T2.4.

No result on the Z and Higgs decays to  $\Upsilon(nS) + \gamma$  have been published by CMS, yet.

**Table 2.4:** Observed upper limits, by CMS, on the branching fractions for the Higgs and Z decays. The numbers are compatible with the ones obtained by ATLAS. The results presented for different polarization scenarios of the  $J/\Psi$ .

Channel	Polarization	$\mathcal{B}F$ at 95% CL
$Z \rightarrow J/\Psi + \gamma$	Unpolarized	$< 1.4 \times 10^{-6}$
	Transverse	$< 1.5 \times 10^{-6}$
	Longitudinal	$< 1.2 \times 10^{-6}$
$H \rightarrow J/\Psi + \gamma$	Transverse	$< 7.6 \times 10^{-4}$

The results presented here are a subset of a broader topic related to the rare decays of Standard Model (SM) boson, involving quarkonia. Sticking only to CMS results, we can cite:

- Search for Higgs and Z boson decays to  $J/\Psi$  or  $\Upsilon$  pairs in proton-proton collisions at  $\sqrt{s} = 13$  TeV [62].
- Observation of the  $Z \rightarrow \Psi \ell^+ \ell^-$  decay in pp collisions at  $\sqrt{s} = 13$  TeV [63]. This one specifically, is the first observation of such decay, involving a Z boson.
- Search for decays of the 125 GeV Higgs boson into a Z boson and a  $\rho$  or  $\phi$  meson [64].

In this study, we consider the nominal values of mass for the Higgs, Z and the  $Y(1S, 2S, 3S)$ , as in [13] are considered.

# Chapter 3

## Experimental Setup

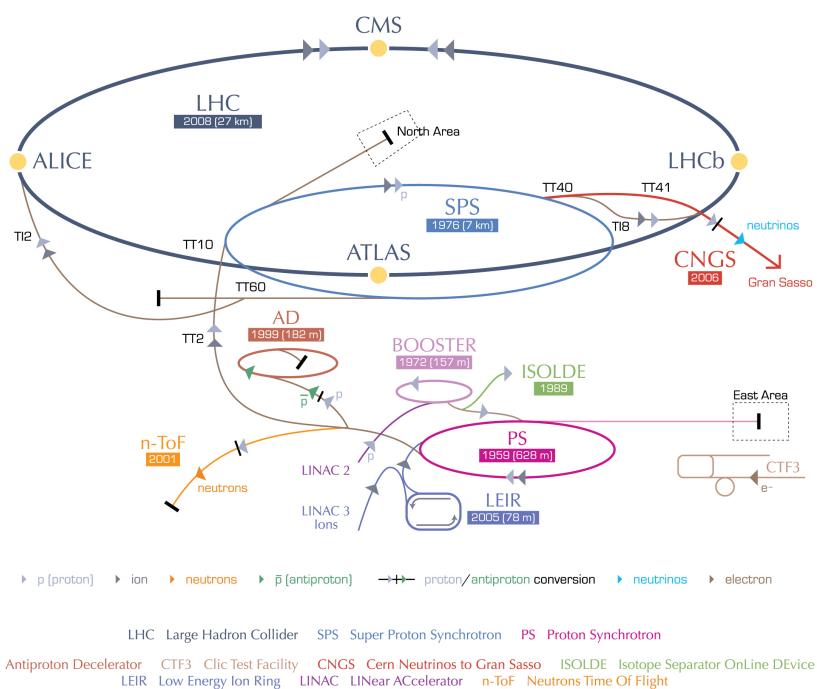
This chapter describes the experimental setup used in this study. For the sake of brevity, brief descriptions of the Large Hadron Collider (LHC), the Compact Muon Solenoid (CMS) and its subdetectors are provided. Also, it is shown how the high-level physics objects are processed and reconstructed.

### 3.1 The Large Hadron Collider

The Large Hadron Collider (LHC) is the world largest and powerful particle accelerator for protons and heavy-ions ever build. It is located in a complex of other accelerator operated by the European Laboratory for Particle Physics (CERN), in the border of between Switzerland and France. The LHC is built in the same 26.7 km extension tunnel with depth varying from 45 m to 170 m below the surface (the LHC plane is tilted 1.4% for construction reasons), once used by Large Electron–Positron Collider. The CERN complex is a composition of many accelerators, for proton and heavy-ions, used to provide beams of particles for smaller experiments and as a sequence of injectors for the LHC. Figure 3.1 presents the many components of the LHC complex of accelerators. A detailed description of the LHC can be found at [65–68].

A LHC section is composed of two vacuum pipes, in which the bunch of particles travels in opposite directions. This means that both beams are magnetically coupled by the same super-conducting magnetic system, saving space and allowing the use of the pre-built LEP tunnel. The particle acceleration is made by Resonant Cavities [70]. Those cavities apply to each beam a set of radio-frequencies (RF) used to transfer energy by

## CERN's accelerator complex



European Organization for Nuclear Research | Organisation européenne pour la recherche nucléaire

© CERN 2008

**Figure 3.1:** The LHC is the last ring (dark grey line) in a complex chain of particle accelerators. The smaller machines are used in a chain to help boost the particles to their final energies and provide beams to a whole set of smaller experiments. Source: [69].

means of a 2 MV electric potential per cavity, at a revolution frequency of 400.789 MHz. The acceleration is applied to bunches of particles. The bunch configuration depends of the injection mode (configurable), but a typical  $p\bar{p}$  injection would be composed by 2808 bunches of  $1.1 \times 10^{11}$  protons each. Proper timing of the bunches injection and the RF is a key factor for an efficient energy transfer inside the RF cavities. The cavities also are operated in low temperatures of 4.5 K, to ensure superconducting properties and reduce energy losses.

The nominal time spacing between each bunch (bunch crossing - BX) is 25 ns. This defines the clock frequency of the LHC at  $f_{LHC} = 40$  MHz. This frequency is propagated to all experiments and used as a reference for timing and synchronization.

In certain positions, called the interaction points (IP), those two bunches are allowed to cross, possibiliting the particle collisions. The experiments on the LHC are located in those interaction points. ATLAS (A Toroidal LHC ApparatuS) [3] and CMS (Compact Muon Solenoid, better explained in the next section), at P1 and P5, respectively, are so called general proposes experiments, with focus on different aspects of a particle interactions in the LHC energy scale, including extensive test of known Standard Model process (in high and low transverse momentum regime), including the Higgs sector and Heavy Flavour Physics (phenomena involving the hadrons composed by  $c$  and  $b$  quarks), exploration of Beyond Standard Model (BSM) phenomena, as well as an competitive program in heavy-ions collisions. The LHCb (Large Hadron Collider beauty) [71] is a experiment devoted, mostly, to precision measurements of CP violation and rare decays of  $B$  hadrons. The ALICE (A Large Ion Collider Experiment) [72] experiment is dedicated to the study of  $p\text{-}Pb$  and  $Pb\text{-}Pb$  collisions and processes such as QCD, strongly interacting matter and the quark-gluon plasma at extreme values of energy density and temperature.

The number of events of a certain kind  $i$ , per unit of time, is given by Equation 3.1.

$$\frac{dN^i}{dt} = \sigma^i \mathcal{L}, \quad (3.1)$$

where  $\sigma^i$  is the cross-section for a certain process  $i$  and  $\mathcal{L}$  is the instantaneous luminosity delivered by the LHC.

In order to accumulate as much statistics as possible, in the shortest amount of time (for the most efficiently use of the resources available, including person-power), the luminosity is a key factor in the exploration of the collisions. This is dependent of the number of particles per bunch, number of bunches per beam, revolution frequency, form factors of the bunches, crossing angles at the interaction points and correction factors to address relativistic and electromagnetic associated phenomena. For  $pp$  collisions, the LHC aims peak luminosities of, for ATLAS and CMS, around  $2 \times 10^{34} \text{ cm}^{-2} \text{ s}^{-1}$ . For future upgrades of the LHC (called HL-LHC [73]), the peak luminosity might increase 10 times, allowing an accumulated luminosity <sup>1</sup> of  $3000 \text{ fb}^{-1}$ .

The LHC can collide protons with center-of-mass energy  $\sqrt{s}$  up to 14 TeV. Different energy configurations have been used so far, historically increasing the energy. For the operation cycle used in this study (Run2, from 2015 to 2018), the machine was producing collisions at  $\sqrt{s} = 13 \text{ TeV}$ . For the next operation cycle (Run3), to start in 2022, it is expected that the LHC might reach the 14 TeV energy values.

## 3.2 The Compact Muon Solenoid - CMS

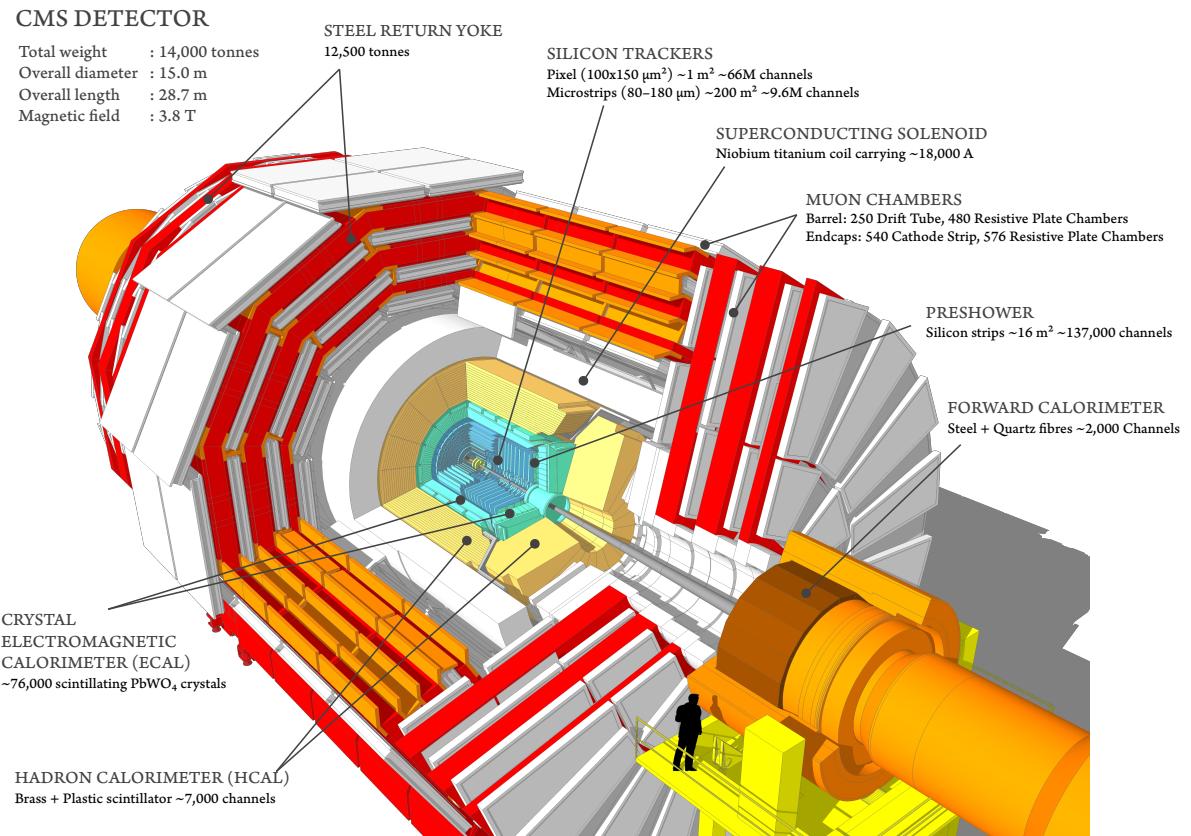
The Compact Muon Solenoid (CMS) is a multiple purpose experiment used to investigated  $pp$  as well as lead-lead collisions at the LHC. It is operated by the CMS Collaborations, composed by around 200 institutes from more than 40 countries <sup>2</sup>. The CMS is located in the city of Cessy, France, 100 m below the surface. The CMS apparatus has an overall length of 22 m, a diameter of 15 m, and weighs 14 000 tonnes. A detailed description of the CMS detector, can be found in [2]. Figure 3.2 presents a sketch of CMS and its subdetectors.

The central feature of the CMS apparatus is a superconducting solenoid of 6 m internal diameter, providing a magnetic field of 3.8 T. Within the solenoid volume are a silicon pixel and strip tracker, a lead tungstate crystal electromagnetic calorimeter (ECAL), and a brass and scintillator hadron calorimeter (HCAL), each composed of a barrel and two endcap sections. Forward calorimeters extend the pseudorapidity coverage provided by the barrel and endcap detectors. Muons are detected in gas-ionization chambers embedded in the steel flux-return yoke outside the solenoid.

---

<sup>1</sup>Accumulated (or integrated) luminosity is defined as  $L = \int \mathcal{L} dt$ .

<sup>2</sup>It is important to stress that CMS is a collaboration of institutes, not researches.



**Figure 3.2:** Overview of the CMS experiment and its subdetectors. Source: [74].

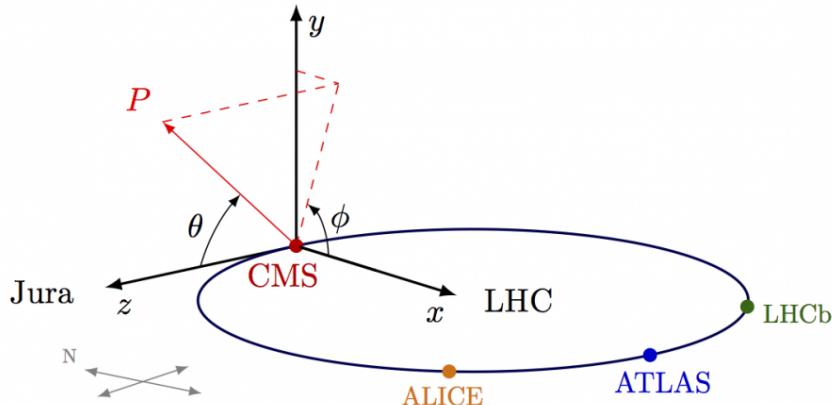
The following sections describes the subdetectors, mentioned above, and the CMS coordinate system, as well as some important variables.

### 3.2.1 Coordinate system

CMS uses a right-handed coordinate system (Figure 3.3), with the origin at the nominal interaction point, the  $x$  axis pointing to the centre of the LHC ring, the  $y$  axis pointing up (perpendicular to the LHC plane), and the  $z$  axis along the anticlockwise-beam direction. The polar angle  $\theta$  is measured from the positive  $z$  axis and the azimuthal angle  $\phi$  is measured in the  $x$ - $y$  plane.

It is important to define some key variables for CMS, in this study. The rapidity is defined by:

$$y = \frac{1}{2} \ln \left( \frac{E + p_z}{E - p_z} \right), \quad (3.2)$$



**Figure 3.3:** Summary of the CMS coordinate system, with respect to the LHC. Source: [75].

where  $E$  is the energy of the object and  $p_z$  is the momentum of the objects along the  $z$  direction. The difference between the rapidity of two objects is known for being a Lorentz invariant under a boost.

A usually more suitable variable is the pseudorapidity, which is the rapidity in the relativistic limit of  $E \gg m$ .

$$\eta = -\ln \left[ \tan \left( \frac{\theta}{2} \right) \right], \quad (3.3)$$

where  $\theta$  is the angle between the transverse plane to the beam line ( $x$ - $y$  plane) and the positive  $z$  direction. The convenience of using the pseudorapidity is its direct connection with the geometry of the event by the  $\theta$  angle.

Spatial distance, at CMS, usually is measured based on the  $\eta$ - $\phi$  space. In this sense the distance  $\Delta R$  between two objects is defined as:

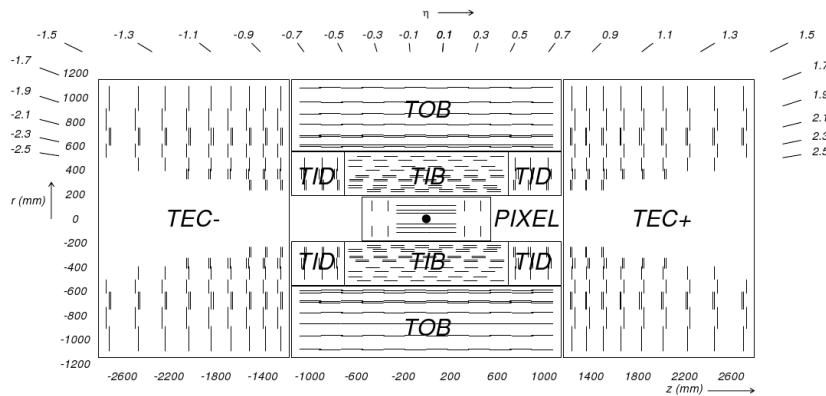
$$\begin{aligned} \Delta R &= \sqrt{(\Delta\eta)^2 + (\Delta\phi)^2} \\ &= \sqrt{(\eta_1 - \eta_2)^2 + (\phi_1 - \phi_2)^2} \end{aligned} \quad (3.4)$$

One last important variable is the transverse momentum component, computed as in Equation 3.5

$$\begin{aligned} p_T &= \sqrt{p_x^2 + p_y^2} \\ &= |\mathbf{p}| \cos(\theta) \end{aligned} \quad (3.5)$$

### 3.3 Tracker

The tracker is the closest subdetector to the interaction point, with 5.8 m length and 2.5 m diameter cylinder. The silicon tracker measures charged particles within the pseudorapidity range  $|\eta| < 2.5$ . The challenge of this subdetector is to cope with the high efficiency demanded for the secondary vertices identification for long lived particles and initial momentum measurement, the required radiation hardness for being close to the interaction point and the expected resolution demanded to deal with the high multiplicity of a  $pp$  collisions, specially in the high pileup<sup>3</sup> regime. It consists of 1440 silicon pixel and 15 148 silicon strip detector modules, as in Figure 3.4. For non-isolated particles of  $1 < p_T < 10 \text{ GeV}$  and  $|\eta| < 1.4$ , the track resolutions are typically 1.5% in  $p_T$  and 25–90 (45–150)  $\mu\text{m}$  in the transverse (longitudinal) impact parameter [76].



**Figure 3.4:** Schematic cross section through the CMS tracker. Each line represents a detector module. Double lines indicate back-to-back modules which deliver stereo hits. Source: [2].

The pixel detector consists of 3 layers<sup>4</sup> on the barrel region and 4 layers on the endcap<sup>5</sup>. The pixel is located in a region of 20 cm from the beam pipe.

Each pixel sensor has  $100 \times 150 \mu\text{m}^2$ . The silicon strips detector covers an area of  $\approx 200 \text{ m}^2$  with  $9.3 \times 10^6$  channels. It is the largest silicon detector covered area ever built. It is divided in Tracker Inner Barrel (TIB), with length of 130 cm covering the

<sup>3</sup>Each LHC collision recorded by CMS, is composed not by a single  $pp$  interaction, but by bunches of protons crossing each other. In this case, a hard interaction is actually surrounded by many soft interactions between adjacent protons. The extra activity produced in these interactions, and caught by the detector, is called **pileup** and has its signal mixed with the hard one.

<sup>4</sup>After 2017, the pixel received one more layer, but this is irrelevant to the context of this study, since the data analyzed was collected during 2016.

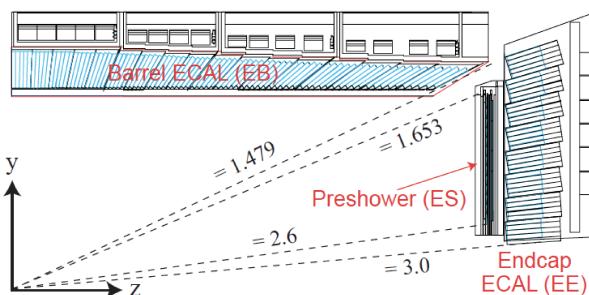
<sup>5</sup>From 2017, another layer on each side was added.

central part of the detector, the Tracker Inner Disks (TID) at the inner endcap, both are surrounded by the Tracker Outer Barrel (TOB) on the barrel, and the Tracker Endcap (TEC).

The tracker is essential for a proper muon measurement in this study.

### 3.4 Electromagnetic Calorimeter

The Electromagnetic Calorimeter (ECAL) is responsible for absorb (and measure) the energy of photons and electrons produced as final state particles of the collisions. The ECAL consists of 75 848 lead tungstate ( $PbWO_4$ ) crystals, which provide coverage in pseudorapidity  $|\eta| < 1.48$  in a barrel region (EB,  $2.2 \times 2.2 \text{ cm}^2$  and a length of 23 cm) and  $1.48 < |\eta| < 3.0$  in two endcap regions (EE,  $2.86 \times 2.86 \text{ cm}^2$  front cross section and 22 cm long). Preshower detectors consisting of two planes of silicon sensors interleaved with a total of  $3X_0$  of lead are located in front of each EE detector [77], as shown in Figure 3.5.



**Figure 3.5:** Longitudinal section view of the ECAL and its components. Source: [2].

When an electron (or photon) enters the high density region of the lead tungstate crystals ( $8.3 \text{ g/cm}^3$ ), it initiates a cascade effect of pair production and photon emission via bremsstrahlung. The intensity of light produced is proportional to the energy of the particle adsorbed. With radiation length <sup>6</sup> of 0.89 cm and a small Molière radius (2.2 cm) the ECAL was built with compact size and its fine granularity. The preshower, located in front of the endcap ECAL (EE), is used to distinguish from high momentum photons and pairs of photons coming from  $\pi^0$  decays, highly boosted, in such a way that they would be indistinguishable one from the other. Its first layer is composed by the lead tungstate crystal, followed by silicon strip sensor, that allow to measure the shape of the initiated cascade on the first layer and correlate this with the source of the radiation.

---

<sup>6</sup>Distance an electron or a photon travels until its energy is reduced by a factor of  $1/e$ .

Each ECAL crystal is isolated by a carbon fiber layer and it is connected to two photodetectors with a gain of 50. Their signal is collected by a ADC (Analog to Digital Converter) which catches the charge from the photodetectors and convert it to a digital signal.

In the barrel section of the ECAL, an energy resolution of about 1% is achieved for unconverted or late-converting photons that have energies in the range of tens of GeV. The remaining barrel photons have a resolution of about 1.3% up to a pseudorapidity of  $|\eta| = 1$ , rising to about 2.5% at  $|\eta| = 1.4$ . In the endcaps, the resolution of unconverted or late-converting photons is about 2.5%, while the remaining endcap photons have a resolution between 3 and 4% [78]. When combining information from the entire detector, the jet energy resolution amounts typically to 15% at 10 GeV, 8% at 100 GeV, and 4% at 1 TeV, to be compared to about 40%, 12%, and 5% obtained when the ECAL and Hadronic Calorimeter (HCAL) alone are used.

Due to its responsibility on photon and electrons identification, the ECAL had a very important role on the Higgs observation, specially concerning its relation with the  $\gamma\gamma$  and 4-leptons final states of the discovery.

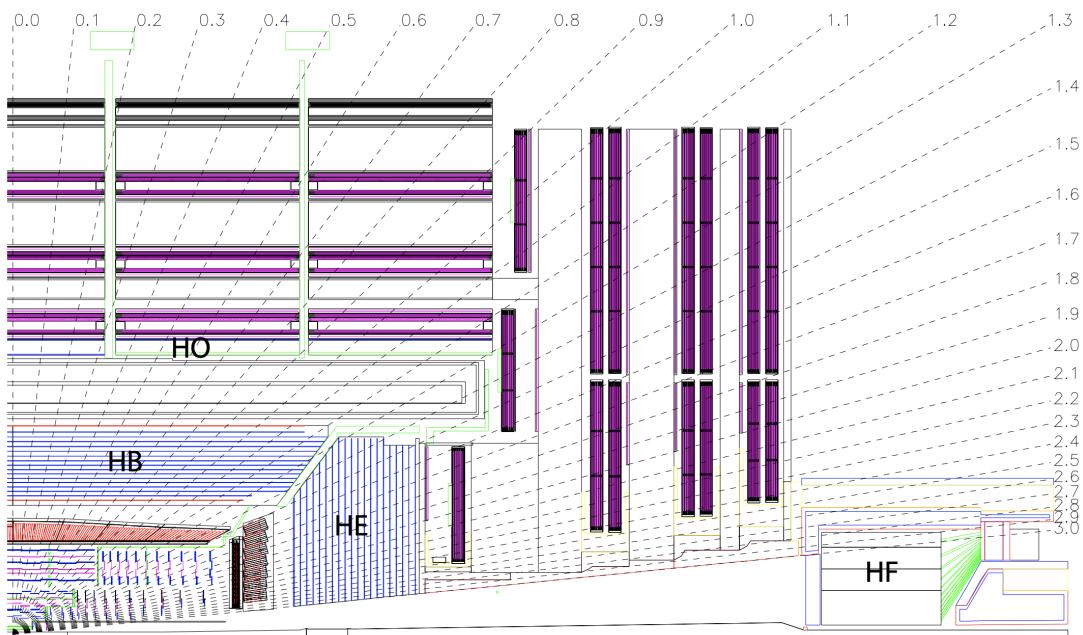
### 3.5 Hadronic Calorimeter

The Hadronic Calorimeter (HCAL) is devoted to absorb and measure the energy of final states hadrons. Together with the ECAL, it plays a key role on the jet reconstruction and missing energy measurement. It is the last subdetector until the magnet coil and, as much as possible, tries to cover the largest pseudorapidity region in order to enhance the missing transverse energy identification. It is composed by layers of brass and steel, interleaved with plastic scintillators, with 3.7 mm thickness each, in order to leave as much as possible space for the absorptive materials. This allows, once a hadron hit the material, the formation of hadronic cascades. These cascades are detected by the scintillators which emits light proportional to the amount of energy deposited.

The HCAL is divided in 4 components, the HB (barrel) 9 m long in the central region

In the region  $|\eta| < 1.74$ , the HCAL cells have widths of 0.087 in pseudorapidity and 0.087 in azimuth ( $\phi$ ), corresponding to 5 to 10 interaction lengths. In the  $\eta$ - $\phi$  plane,

and for  $|\eta| < 1.48$ , the HCAL cells map on to  $5 \times 5$  arrays of ECAL crystals to form calorimeter towers projecting radially outwards from close to the nominal interaction point. For  $|\eta| > 1.74$ , the coverage of the towers increases progressively to a maximum of 0.174 in  $\Delta\eta$  and  $\Delta\phi$ . Within each tower, the energy deposits in ECAL and HCAL cells are summed to define the calorimeter tower energies, which are subsequently used to provide the energies and directions of hadronic jets. Figure 3.6 shows a longitudinal view of the HCAL.

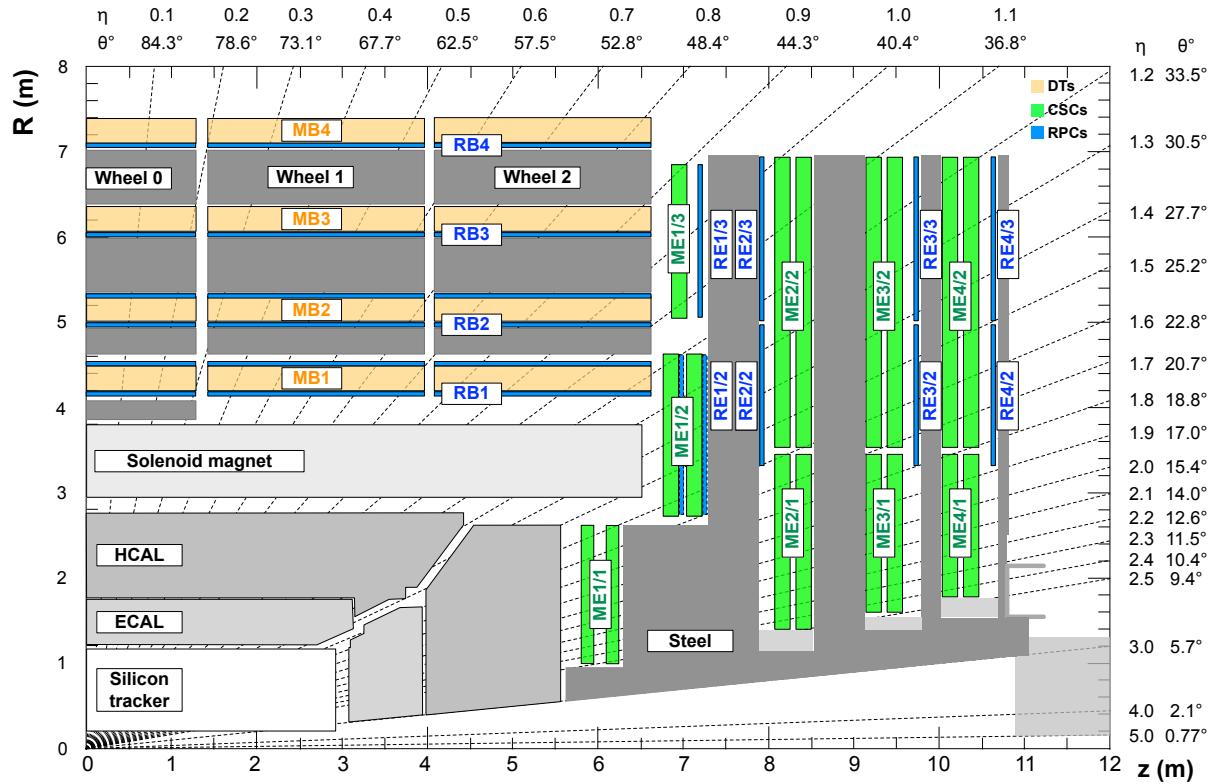


**Figure 3.6:** Longitudinal section view of the HCAL and its components. The barrel calorimeter (HB) covers the central region, inside the solenoid, the outer calorimeter covers also the central region, but it is positioned on the outside the solenoid. The endcap calorimeter (HE) covers the forward region and it is complemented by the forward calorimeter (HF), which uses Cherenkov light detectors made of radiation-hard quartz fibers. Source: [2].

Jets are reconstructed offline from the energy deposits in the calorimeter towers, clustered using the anti- $k_T$  algorithm [79, 80] with a distance parameter of 0.4. In this process, the contribution from each calorimeter tower is assigned a momentum, the absolute value and the direction of which are given by the energy measured in the tower, and the coordinates of the tower. The raw jet energy is obtained from the sum of the tower energies, and the raw jet momentum by the vectorial sum of the tower momenta, which results in a nonzero jet mass. The raw jet energies are then corrected to establish a relative uniform response of the calorimeter in  $\eta$  and a calibrated absolute response in transverse momentum  $p_T$ .

## 3.6 Muon System

Muons at CMS [81] are measured in the pseudorapidity range  $|\eta| < 2.4$ , with detection planes made using three technologies: drift tubes, cathode strip chambers, and resistive plate chambers, as presented in Figure 3.7. The single muon trigger efficiency exceeds 90% over the full  $\eta$  range, and the efficiency to reconstruct and identify muons is greater than 96%. Matching muons to tracks measured in the silicon tracker results in a relative transverse momentum resolution, for muons with  $p_T$  up to 100 GeV, of 1% in the barrel and 3% in the endcaps. The  $p_T$  resolution in the barrel is better than 7% for muons with  $p_T$  up to 1 TeV [82].



**Figure 3.7:** Longitudinal section view of the ECAL and its components. Source: [83].

The muon detection system has around 1 million channels. For Run3, the muon system is being expanded and upgraded, by the inclusion of new chamber with the Gas Electron Multiplier (GEM) [84] technology.

### 3.6.1 Drift Tubes

The Drift Tubes (DT) [85] are gaseous detectors (85% Ar and 15% CO<sub>2</sub>) installed in the central region of CMS (Barrel - blue regions at Figure 3.7), covering the

region of  $|\eta| < 1.2$ . The barrel is divided in 5 wheels, along  $z$ , W+2, W+1, W0, W-1 and W-2. Each wheel is composed by four concentric stations along  $r$ , MB 1 to MB4, and each station is divided in 12 sectors along  $\phi$ , S01 to S12. In total, there are 205 DT chambers. Each tube has 50  $\mu\text{m}$  tick (diameter) gold-plated stainless steel wire, as well as, kept at positive voltage, and aluminum electrodes. The signal is read on the golden wire only.

The tubes are arranged in layers and occupy the whole length of the chamber. The tubes are arranged in coaxial layers. Each set of three layers, forms a Super-Layer (SL). The first and the last SL are aligned in the, so called,  $r - \phi$  direction, while the middle one, in the  $r - z$  direction, transversal to the previous one. This arrangement give the DTs, the possibility to measure the passage of a muon in  $\eta$  and  $\phi$  direction, with a resolution of 100  $\mu\text{m}$ .

### 3.6.2 CSC

The Cathode Strip Chamber (CSC) is also a gaseous detector (50% CO<sub>2</sub>, 40% Ar, and 10% CF<sub>4</sub>) of the Muon System which covers the endcap region, up to  $|\eta| < 2.4$  composed by wires perpendicular to  $\eta$  (radial measurement) and strips along  $\eta$ , the former operating at 3.9 to 3.6 kV. With 8.4 to 16 mm strip width and a wire-distance of 2.5 to 3.16 mm depending on their location, they provide a 75 to 150  $\mu\text{m}$  resolution.

They are installed in four layers (or disk) on each side of CMS, with each disk divided in up to three rings.

### 3.6.3 RPC

The Resistive Plate Chambers (RPC) is the only muon detection technology present in both barrel and endcap. It has very good timing resolution and it is used mostly for triggering.

Due to the particularities of the study, especially the contributions given to the RPC project of CMS, Chapter 4 is devoted exclusively to this subdetector.

## 3.7 Trigger and Data Acquisition

The LHC collides protons at 40 MHz. To process and save this amount of information would be unmanageable. To deal with the high rate of readouts generated by the collisions and nuclear background (around 950 TB/s) CMS uses a two-tiered trigger system [86]. The first level (L1), composed of custom hardware processors, uses information from the calorimeters and muon detectors, in the form of the so called trigger-primitives, to select events at a rate of around 100 kHz within a time interval of less than  $4\ \mu\text{s}$ . The L1 trigger relies on the processing of the optical links, coming CMS subdetector by FPGAs (Field Programmable Gate Array) processors. This combination of technologies allows the maximum speed in the readout information processing.

The second level, known as the high-level trigger (HLT), consists of a farm of processors running a version of the full event reconstruction software optimized for fast processing, and reduces the event rate to around 1 kHz before data storage.

Both triggers systems are designed to quickly identify the events <sup>7</sup> that have a specific set of signatures of interesting physics, to the context of CMS. As an example, events with characteristics of the historically widely studied soft-diffraction, are mostly (but not fully) discarded.

Once a event is read by CMS, it is categorized in one or many of the defined "triggers". Each trigger is composed by a minimum sets of requirements, e.g. a single isolated muon trigger is defined as "at least one muon, well isolated from any other detector relevant activity, above a minimum transverse momentum threshold". If a event falls into a L1 trigger definition and passes the prescaling <sup>8</sup> of that trigger, a "L1 Accept" (L1A) optical signal is propagated to all subdetectors readout hardware and the information is injected into the Data Acquisition (DAQ) system and saved at the local computing cluster, the HLT. This decision process takes around  $3.2\ \mu\text{s}$ . Saved events are processed by an optimized version of the Particle-Flow algorithm and if it again falls into one the HLT triggers paths (definitions) it is saved for future analysis.

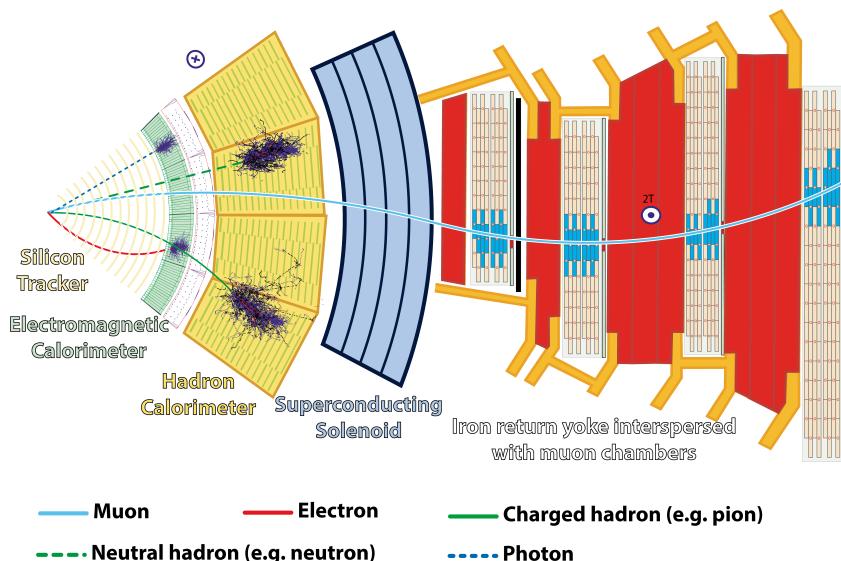
---

<sup>7</sup>A Event can be understood the set of information from the detector channels, extracted in one readout cycle.

<sup>8</sup>Each trigger has its prescaling. For example, a prescaling 30 means that only once every 30 times that this trigger is activated, the event will in be processed and forwarded into the data acquisition chain.

## 3.8 Particle Flow Algorithm

The global event reconstruction (also called particle-flow event reconstruction [87]) aims to reconstruct and identify each individual particle in an event, with an optimized combination of all subdetector information. In this process, the identification of the particle type (photon, electron, muon, charged hadron, neutral hadron) plays an important role in the determination of the particle direction and energy. Photons ( $e/\gamma$  coming from  $Z$  decays or from electron bremsstrahlung) are identified as ECAL energy clusters not linked to the extrapolation of any charged particle trajectory to the ECAL. Electrons are identified as a primary charged particle track and potentially many ECAL energy clusters corresponding to this track extrapolation to the ECAL and to possible bremsstrahlung photons emitted along the way through the tracker material. Muons are identified as tracks in the central tracker consistent with either a track or several hits in the muon system, and associated with calorimeter deposits compatible with the muon hypothesis. Charged hadrons are identified as charged particle tracks neither identified as electrons, nor as muons. Finally, neutral hadrons are identified as HCAL energy clusters not linked to any charged hadron trajectory, or as a combined ECAL and HCAL energy excess with respect to the expected charged hadron energy deposit. Figure 3.8 show the identification process for each high-level physics object, as previously described.



**Figure 3.8:** The figure illustrates how the information from each subdetector is used in order to identify the different high-level objects in the Particle-Flow algorithm. Source: [87].

The energy of photons is obtained from the ECAL measurement. The energy of electrons is determined from a combination of the track momentum at the main interaction

vertex, the corresponding ECAL cluster energy, and the energy sum of all bremsstrahlung photons attached to the track. The energy of muons is obtained from the corresponding track momentum. The energy of charged hadrons is determined from a combination of the track momentum and the corresponding ECAL and HCAL energies, corrected for the response function of the calorimeters to hadronic showers. Finally, the energy of neutral hadrons is obtained from the corresponding corrected ECAL and HCAL energies.

The candidate vertex with the largest value of summed physics-object  $p_T^2$  is taken to be the primary  $pp$  interaction vertex. For each event, hadronic jets are clustered from these reconstructed particles using the infrared and collinear safe anti- $k_T$  algorithm [79, 80] with a distance parameter of 0.4. Jet momentum is determined as the vectorial sum of all particle momenta in the jet, and is found from simulation to be, on average, within 5 to 10% of the true momentum over the whole  $p_T$  spectrum and detector acceptance. Additional proton-proton interactions within the same or nearby bunch crossings (pileup) can contribute additional tracks and calorimetric energy depositions to the jet momentum. To mitigate this effect, charged particles identified to be originating from pileup vertices are discarded and an offset correction is applied to correct for remaining contributions. Jet energy corrections are derived from simulation to bring the measured response of jets to that of particle level jets on average. In situ measurements of the momentum balance in dijet, photon + jet,  $Z$  + jet, and multijet events are used to account for any residual differences in the jet energy scale between data and simulation [88]. The jet energy resolution amounts typically to 15–20% at 30 GeV, 10% at 100 GeV, and 5% at 1 TeV [88]. Additional selection criteria are applied to each jet to remove jets potentially dominated by anomalous contributions from various subdetector components or reconstruction failures.

Anomalous high- $p_T^{\text{miss}}$  events can be due to a variety of reconstruction failures, detector malfunctions or non collisions backgrounds. Such events are rejected by event filters that are designed to identify more than 85–90% of the spurious high- $p_T^{\text{miss}}$  events with a mistagging rate less than 0.1% [89].

Hadronic decays of top quarks are identified using the ratio between 3-subjettiness and 2-subjettiness [90],  $\tau_{32} = \tau_3/\tau_2$ , and the groomed jet mass. The groomed jet mass is calculated after applying a modified mass-drop algorithm [91, 92], known as the *soft drop* algorithm [93], to anti- $k_T$  jets with a distance parameter of 0.8 and parameters  $\beta = 0$ ,

$z_{\text{cut}} = 0.1$ , and  $R_0 = 0.8$ . The variables are calibrated in a top quark-antiquark enriched sample [94].

In the barrel section of the ECAL, an energy resolution of about 1% is achieved for unconverted or late-converting photons in the tens of GeV energy range. The remaining barrel photons have a resolution of about 1.3% up to a pseudorapidity of  $|\eta| = 1$ , rising to about 2.5% at  $|\eta| = 1.4$ . In the endcaps, the resolution of unconverted or late-converting photons is about 2.5%, while the remaining endcap photons have a resolution between 3 and 4% [78].

The electron momentum is estimated by combining the energy measurement in the ECAL with the momentum measurement in the tracker. The momentum resolution for electrons with  $p_T \approx 45$  GeV from  $Z \rightarrow ee$  decays ranges from 1.7% to 4.5%. It is generally better in the barrel region than in the endcaps, and also depends on the bremsstrahlung energy emitted by the electron as it traverses the material in front of the ECAL [77].

Muons have their momentum computed by curvature of their tracks in the muon system solo or the matched track in the muon system and the tracker.



# Chapter 4

## CMS Resistive Plate Chambers - RPC

### Statement of Contribution

From September/2017 to September/2019, I received a grant from the National Council for Scientific and Technological Development (CNPq) to work at CERN, as part of my PhD graduation. During this period, I started to contribute to the RPC project at CMS. My first task was on the upgrade of the Online Software, that control the data taking process for the RPC system. Later I became the responsible for the monitoring and maintenance of this software. I also had the opportunity to work as shifter for the operation of the detector, as contact person between the CMS Run Coordination and the RPC experts, and also as Data Manager shifter, working on the prompt monitoring of the data quality (data certification).

During the course of the Long Shutdown 2 (LS2, from 2019 until middle of 2021), I vigorously worked in the maintenance of the RPC system, specially on the HV system reparation and commissioning. In the context of the task, I proposed changes in the HV connectorization of the RPC chambers, witch were later approved and implemented for recently repaired chambers in the Endcap. In the last moments of my stay at CERN, I also had the opportunity to work with Multiwire Proportional Chambers (MWPC), donated by the LHCb experiment. Those chambers were validated and commissioned by me, in order to server and baseline technology of a muon trigger to be installed in the Gamma Irradiation Facility (GIF++), at CERN, for R&D of the RPC future upgrades.

Later, I became Deputy Run Coordinator for the RPC system, were I share the responsibilities for the operation and commissioning of the system, management the operation shifters, and monitoring with RPC DAQ backend electronics and its communication with other CMS subsystems. I also represent the RPC system for CMS Run Coordination.

In the course of this PhD study, there were a lot of opportunities to work for the RPC project, in the context of the CMS Collaboration. The main activities consists of shifts for the RPC operation and data certification, upgrade and maintenance of the online software, R&D activities for the RPC upgrade and detector maintenance during the LHC Long Shutdown 2 (2019 to 2020).

In this chapter, it is presented a summary of the Resistive Plate Chamber technology and the my contributions to the RPC project at CMS.

## 4.1 Resistive Plate Chambers

The seminal paper on the Resistive Plate Chamber (RPC) technology was presented by R. Santonico and R. Cardarelli, in which they described a "dc operated particle detector (...) whose constituent elements are two parallel electrode Bakelite plates between" [95]. The key idea behind the RPC, with respect to other similar gaseous detectors, is the use of two resistive plates as anode an cathode, which makes possible to have a small localized region of dead time, achieving very good time resolution.

The working principle for RPCs relies on the idea that a ionizing particle crossing the detector, tend to interact with the gap between the two plates (filled with some specific gas mixture) and form a ionizing cascade process, in which the produced charged particle are driven by the strong uniform electrical field produced by the two plates.

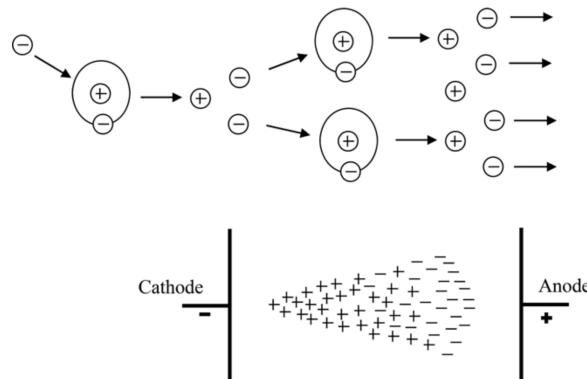
The gas mixture is a key component of a RPC. Even though the first RPCs were produced with a mixture of argon and butane, nowadays RPCs use a mixture of gases that would enhance an ionization caused by the incident particle and quench secondary (background) effects.

Another feature of the RPCs is its construction simplicity and low cost. This allow the use RPC to cover larger at a reasonable cost.

An extensive review of the RPC technology and its application can be found at [96].

#### 4.1.1 Principles and operation modes

The core of a RPC chamber is a gap made with two parallel high resistivity plates, separated by some regular distance (typically millimeters), filled with a proper gas mixture and under appropriate high voltage (HV) applied on the plates (electrodes, from here on). When a ionizing particle crosses the gap, there is a high enough field to interact with the gas and produce a newly created positive ion and an electron. This pair will travel in opposite directions, according to the electric field from the electrodes. During this process, the electron will gain kinetic energy and inelastically interact with other neighboring atoms/molecules, creating excitations in their energy levels and, potentially, also ionizing them. The secondary ionization electrons will also follow the same course, creating an **Avalanche** of positive and negative particles/ions traveling towards the electrodes. This process is proportional to the applied electric field. Figure 4.1 illustrates the avalanche production.



**Figure 4.1:** The Avalanche production process inside a RPC gap. (Top) The initial process and the secondary electron/ion generation. (Bottom) The overall charge distribution of an Avalanche between the electrodes. Source: [97].

The number of particles composing the avalanche can be expressed as (assuming constant pressure) [97]:

$$n_e = n_0 e^{\alpha d} = n_0 A, \quad (4.1)$$

where  $n_0$  is the number of initial electrons initiating the avalanche,  $A$  is the *gas gain*, or *multiplication factor* and  $d$  is the distance since the avalanche creation. This is also known as Townsend theory for discharges and  $\alpha$  is the first Townsend coefficient.

When the positive ions bunch reaches the cathode, under certain conditions (if the first ionization energy of the ion is greater than the work function of the cathode), the recombination of the ion with the electrode material might release electrons which will also follow the electric field. The relative probability (with respect to the primary electron emission) of this emission to happen ( $\gamma_+$ ) is called the second Townsend coefficient.

$$n_+ = n_0 A \gamma_+. \quad (4.2)$$

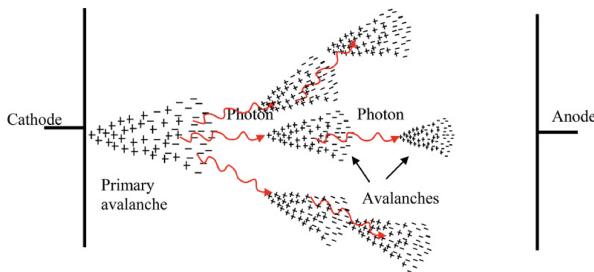
Another process which can occur is the secondary photoelectron productions, described by a similar equation as above:  $n_{pe} = n_0 A \gamma_{ph}$ . This production is mostly related to de-excitation of molecules and atoms in vicinity of the avalanche. The produced photons might initiate new ionization process.

As an alternative to the Townsend theory, Raether, Meek, and Loeb, proposed the *streamer-leader theory* [98]. This theory is valid when there is a high enough concentration of produced ions. This critical value is called Raether limit.

$$n_0 A > 10^8 \text{ electrons} \quad (4.3)$$

In this limit, the electric field created by the space distribution is high enough to be same order of the external field. In the vicinity of the head (or tail) of the avalanche the field gets disturbed and intensified. The intensification of the field enhances the ionization effect and give rise to secondary avalanches (photoelectrons). The intensified field also makes the photoelectrons produced travel towards the head (positive ions). Their antiquation generates more UV (ultra-violet) radiation and more secondary avalanches. This whole process is called **Streamer**. If no quenching is imposed, the streamer might evolve to a spark, fully discharging on the electrodes. If the concentration of electrons is high enough, the avalanche tail (electrons) might also give rise to a streamer (namely, negative streamer). Figure 4.2 illustrates the different subprocess related to streamer production.

A RPC where most of the charge multiplication process happens in the form of a streamer is said to be working in **Streamer Mode**. The advantage of the of the streamer mode is the high induced charge which is easily caught by non-sensitive readout electronics. On the other hand, the streamer mode, because of its highly associated



**Figure 4.2:** Streamer formation process. The distorted electric field around the high positive charge concentration enhances the ionization process, initiating secondary avalanches. Source: [97].

charge, will have a impact in the rate capability of the detector (the local dead time will be higher).

Because of the high background environment of LHC, the CMS RPC operates in **Avalanche Mode**, where de discharge is highly quenched and very well localized. On the other hand, a very sensitive readout electronics is required to cope with the high rate demanded.

A good review of electrical discharge on gases can be found at [97].

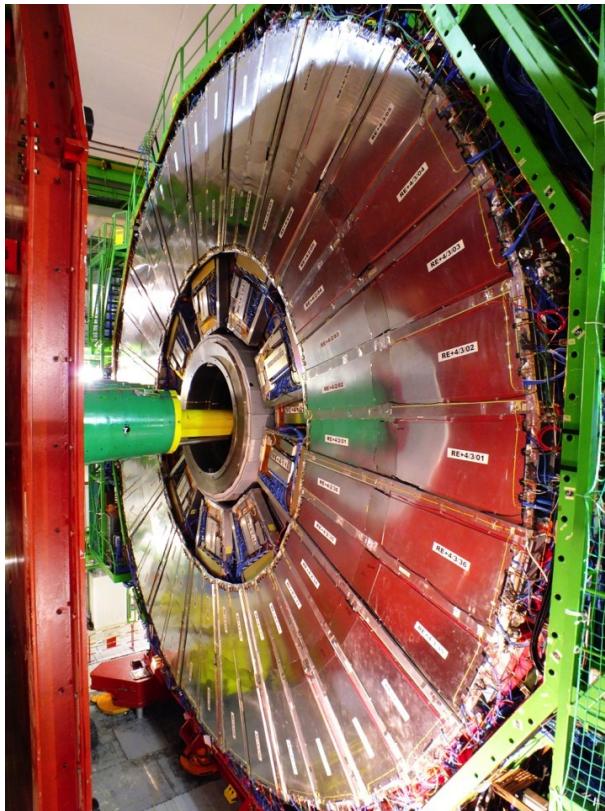
## 4.2 CMS Resistive Plate Chambers

At CMS, the Resistive Plate Chamber are installed in both the barrel and endcap region, forming a redundant system with the DT (barrel) and CSC (endcap). As described in the CMS Muon Technical Design Report (Muon-TDR) [81], the RPC are composed of 423 Endcap chambers and 633 barrel chambers. Figure 4.3 presents a picture of the CMS RPCs installed on station RE+4 of the Endcap.

Each chamber consists of two gas gaps (double gap), 2 mm tick each, made of Bakelite (phenolic resin) with bulk resistivity of  $10^{10} - 10^{11} \Omega m$ . The choice of the bulk resistivity of the electrode has high impact on the rate capability of the detector.

Each gap has its external surface is coated with a thin layer of graphite paint, which acts as conductive material, distributing the applied high-voltage (HV). On top of the graphite a PET film is used for isolation. A sheet of copper strips is sandwiched between the gaps. Everything is wrapped in aluminum case.

The double gap configuration increases the efficiency of the chamber, since the signal is picked up from the OR combination of the two gaps. A chamber with only



**Figure 4.3:** RPC chamber on installed on station RE+4 of CMS Endcap. Source: [99].

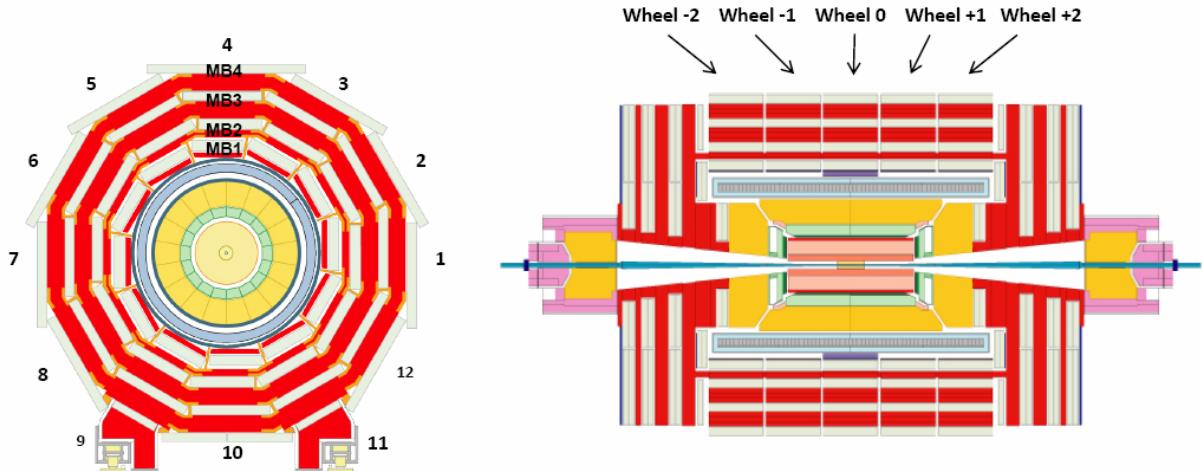
one gap working, loses around 15% of efficiency, even though, this can be recovered by increasing the HV applied during operation mode (working point - WP).

A characteristic that differentiate the CMS RPC from previous RPC application in high energy physics (HEP) is the operation mode. A RPC at CMS, operates in avalanche mode, while previous experiments used the streamer mode. Both modes are related to the applied HV, in commitment with the strength of the generated signal, and are capable of generate a well localized signal, which can be picked up by the readout electronics, but the avalanche mode offer a higher rate capability around  $1 \text{ kHZ}/\text{cm}^2$ , while the streamer mode goes up to  $100 \text{ Hz}/\text{cm}^2$ . The high rate capability is a key factor in order to cope with requirements of the LHC luminosity, specially in the high background regions.

Besides the rate capability, the key factors that driven the CMS RPC design were: high efficiency ( $> 95\%$ ), low cluster size ( $> 2$ ) for better spatial resolution (this reflects in the momentum resolution) and good timing in order to do the readout of the signal within the 25 ns of a LHC bunch cross (BX) and provide it to the CMS trigger

system. These requirements have implications in the choice of material, dimensions, electronics and gas mixture.

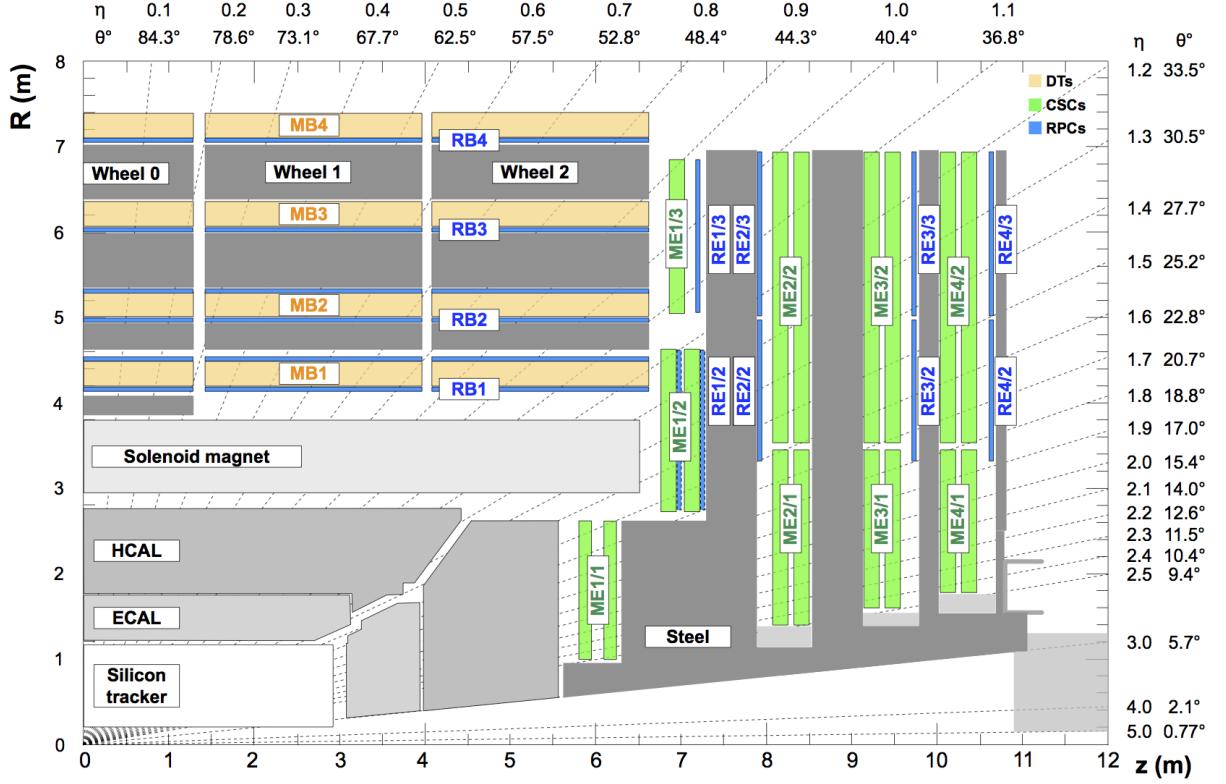
In the barrel, along the radial direction, there are 4 muon layers (called stations), MB1 to MB4. MB1 and MB2 is composed of a DT chamber sandwiched between two RPC chambers (RB1 and RB2) with rectangular shape. The stations MB3 and MB4 have only one RPC (RB3 and RB4) are composed by two RPC chambers (named - and + chambers with the increase of  $\phi$ ) attached to one DT chamber, except in sector 9 and 11, where there is only one RPC. RE4, sector 10 is a special case, since it is composed of four chambers (-, -, + and ++). These stations are replicated along the z direction in five different wheels of the CMS (W-2, W-1, W0, W+1 and W+2) and in twelve azimuthally distributed sectors (S1 to S12). Figure 4.4 show the different barrel stations and wheel.



**Figure 4.4:** R- $\phi$  (left) and R-Z (right) projections of the barrel Muon System.

In the endcap, the RPC chambers have a trapezoidal shape and are distributed in four disks (or stations) each side (RE $\pm$ 4, RE $\pm$ 3, RE $\pm$ 2, RE $\pm$ 1), each one with 72 chambers. CMS split up its disks in 3 rings, along the radial direction, and 36 sector in the azimuthal angle. RPCs are present in the two outer rings (R2 and R3), in all 36 sectors. The RE $\pm$ 4 are special cases, since these chambers were installed only in 2014, a design choice was made the mechanically attached R2 and R3 chambers, each sector, in what is called, a super-module. Figure 4.5 show the different endcap disks.

The length of the strips is chosen, for both barrel and endcap, in such a way to control the area of each strip, in order to reduce the fake muons, due to random coincidence. This has to do with the time-of-flight and signal propagation along the strip.



**Figure 4.5:** R-Z projections of the endcap Muon System (positive Z side). This is the same configuration for the 36  $\phi$  sectors.

In the barrel, each chamber readout is divided in two regions (rolls), called forward and backward (along increasing  $|\eta|$ )<sup>1</sup>. In the endcap, the strips are divided in 3 regions, called partitions A, B and C (from inside the detector to outside).

The gas mixture used in the CMS RPCs is composed by C2H2F4 (Freon R-134a, tetrafluoroethane), C4H10 (isobutane), SF6 (sulphur hexafluoride) (95.2 : 4.5 : 0.3 ratio) and with controlled humidity of 40% at 20-22 °C. The Freon is used to enhance the ionization and charge multiplication that characterizes the avalanche, while the isobutane is introduced for quenching proposes, in order to reduce the secondary ionizations that could lead to formation of streamers and the SF6 is used to reduce the electron background. The choice of Freon over other gases, i.e. argon-based and helium-based, was motivated by previous studies [100, 101].

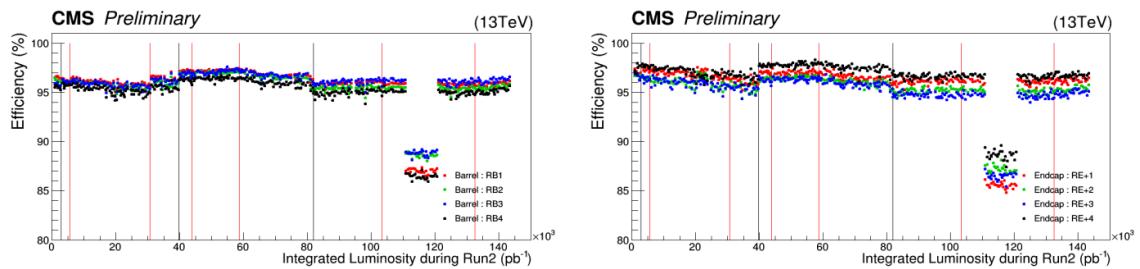
Since its R&D, the RPC have shown good performance over aging. This is even historical over previous RPC experiments [102–108]. Even the most recent studies of aging, taking into account future LHC conditions (High-Luminosity LHC - HL-LHC)

<sup>1</sup>Some chamber are divided in three rolls, forward, middle and backward, for trigger propose.

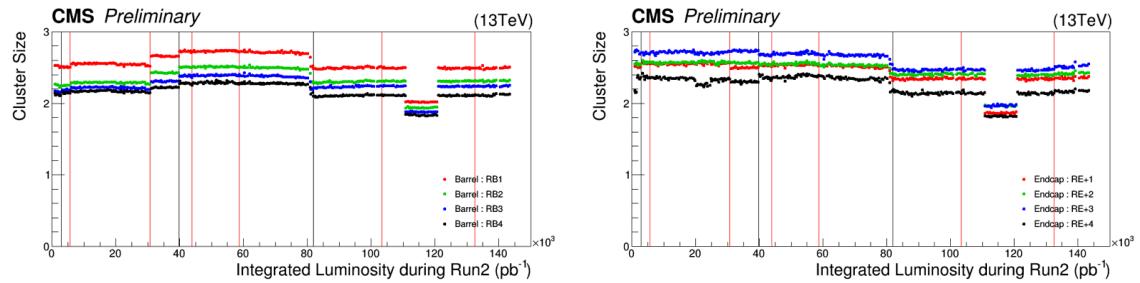
plus a safety margin of 3 times the expected background ( $600 \text{ Hz}/\text{cm}^2$ ) have shown good aging hardness [109].

#### 4.2.1 Performance

The RPCs, for the CMS experiment, contribute mainly with triggering inputs, due to its very good time resolution. The important parameters which are monitored to evaluate the RPC performance are the efficiency and cluster size. The former is related to the ratio of the registered hits over the number of muons that passed through the chamber, while the latter one is the number adjacent strip (minimal readout unit) that were fired (activated) per hit. Figures 4.6 and 4.7 present the historical distribution of efficiency and cluster size as a function of the integrated luminosity collect during Run2.



**Figure 4.6:** RPC efficiencies (per chamber) over Run2 Integrated Luminosity for Barrel (left) and Endcap (right). Red lines indicates technical stops (TS) while grey ones indicates Year-End-Technical stops (YETS). The drop in the efficiency around  $110 \text{ pb}^{-1}$  is related to a known operation mistake. Source: [110].



**Figure 4.7:** RPC cluster size (CLS - per chamber) over Run2 Integrated Luminosity for Barrel (left) and Endcap (right). Red lines indicates technical stops (TS) while grey ones indicates Year-End-Technical stops (YETS). The drop in the cluster size around  $110 \text{ pb}^{-1}$  is related to a known operation mistake. Source: [110].

In general, the RPC system operates with efficiency above 95% and cluster size smaller than 3 (a good parameter established during the design phase). The importance of the efficiency is a less complicated concept to catch, on the other hand, the cluster size

might not be so straight forward. The optimal regime of RPCs operation at CMS is the avalanche mode, in which the electrical discharge is constrained in a millimeter level size region. Another operation mode is the streamer mode, in which the initial discharge might trigger secondary ones, e.g. by the emission of unquenched photons. A streamer discharge is capable of fire neighbor strips, increasing the cluster size. Operating in avalanche mode is fundamental to keep the RPCs capable of dealing with the high background environment of CMS.

To keep the mean cluster size under control ( $< 3$ ) is important to guarantees enough spatial resolution for the measurements (the geometrical position of a hit is the midpoint of the cluster) and ensures that the system has enough rate capability to operate, since a RPC with a high sensitive front-end electronics (necessary for the avalanche mode operation) could be degraded by pileup of dead time on many channels, including electronics noise, streamers, darks counts and other sources of background.

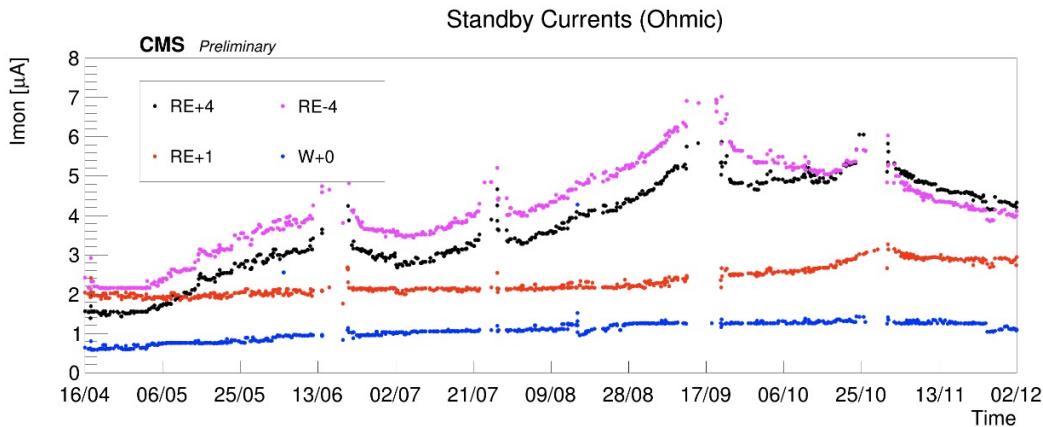
A third important parameter to be measured and controlled in a RPC system, under the LHC conditions, is the current due to the high voltage applied. This current is known to be proportional to the total charge released in each electrical discharges and to the hit rate on the chamber. The voltage applied is divided, as in a series circuit, between the electrodes and the gap. At increasing background, the current also increases and, since the applied voltage is constant, the voltage across the gap is reduced in favor of the voltage across the electrodes. This reduction of effective voltage on the gas, might have an impact on its gain, imposing a reduction on the detector sensitivity.

Figure 4.8 presents the ohmic currents <sup>2</sup> in different regions of the detector, from 16<sup>th</sup> of April, 2018 to 2<sup>nd</sup> of December, 2018. It is clear how the stations subjected to higher background ( $RE \pm 4 - 40 \text{ Hz/cm}^2$ ) are subjected to a degrading factor that increases with the luminosity (background rate) and decreases when the detector is powered off. This effect is supposed to be related with the Hydrogen Fluoride (HF) production inside the gap, due to the electrical discharges. HF is a conductivity molecule, which can potentially attach to the internal surface of the gap, reducing the overall resistivity. The HF production can be controlled by properly tuning the gas flow as a function of the background that the chamber is subjected. HF concentration can also lead to permanent

---

<sup>2</sup>Current at 6500 V, which is below the typical working point of a CMS RPC (around 9500 V). In this region, no charge multiplication effect take place and chamber current is governed only by Ohm's Law.

degradation of the gap, due to its chemical properties. Keeping the currents levels as low as possible is important for aging proposes.



**Figure 4.8:** Ohmic current history of W+0, RE+1, RE+4 and RE-4. The blank regions, from time to time, corresponds to technical stops (TS), when the detector is off. Source: [110].

A review of the RPC performance during Run2 can be found at [110].

## 4.3 Contribution to the CMS RPC project

During the curse of this study, a head collaboration of our research group and the CMS RPC project was established. Many contributions were given to the project as part of the graduation as a experimental particle physicist, with focus on getting acquaintance with a subsystem technology and give a meaningful collaboration to the detector operation. Those are considered by the community important steps on the student graduation.

Bellow it is described the contributions given to the CMS RPC project.

### 4.3.1 RPC Operation - Shifts and Data Certification

The first activities done for the CMS RPC project were shifts for data certification of data taken. This certification is done by specialized people for different CMS subsystems and physics objects groups <sup>3</sup>.

This certification is done in order to ensure the quality of the date recorded based on the well functionality of each system during the data taking and the reconstruc-

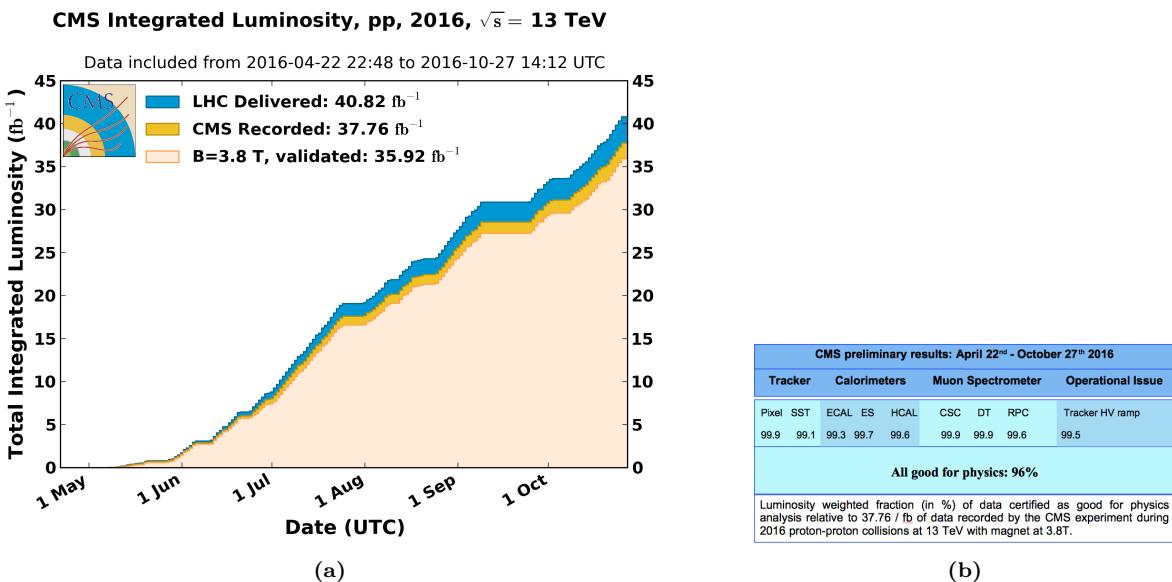
---

<sup>3</sup>Groups of reconstruction and performance experts for different high-level reconstructed objects from CMS, i.e. muons, taus, jets/MET, electrons/photons

tion of the physics objects in the expected matter. A certain collection of data (run) is said certificate when all subsystems and object experts agrees on this.

Figure 4.9 shows, as an example of the luminosity delivered by the LHC, recorded one by CMS and the certified (validated), from the 22nd of April, 2016 to the 27th of October, 2016. Only certified data is available for physics analysis.

Shifts are a continuous weekly activity (specially during the data taking period), performed in a weekly basis, in order to ensure the availability of certified data, as soon as possible.



**Figure 4.9:** (a) Luminosity delivered by the LHC, recorded one by CMS and the certified (validated), from the 22nd of April, 2016 to the 27th of October, 2016. (b) Efficiency of the certification process for each subsystem, from the 22nd of April, 2016 to the 27th of October, 2016. Total CMS efficiency is above 90%. Source: [111]

## 4.4 RPC Online Software

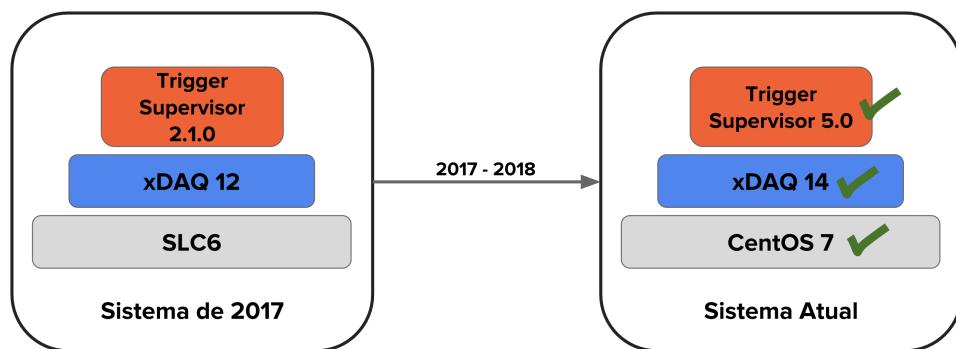
On what concerns the Online Software (OS) of the CMS RPC system, the main contribution given was the upgrade of the Trigger Supervisor libraries.

The Trigger Supervisor is a web-based software, which run over the xDAQ backend and provides, through a modules organized in a tree system, called cells, a standard interface for the operation and monitoring of different system at CMS. In principle only systems which contribute directly to the L1 trigger should have a Trigger Supervisor implementation. This was the case for the RPC during the Run1. Since Run2, RPC contributes to the trigger indirectly, by providing data to the muon processors (CPPF,

OMTF and TwinMux). The Trigger Supervisor implementation is a legacy from that period.

Each subsystem is responsible for its own implementation of the Trigger Supervisor, based on the functionalities that it wants to have (requirements). The xDAQ [112] is a middleware, developed by CERN and widely used at CMS, as a tool for control and monitoring of data acquisition system in a distributed environment. It is capable of providing a software layer for direct access of hardware functionalities and monitoring.

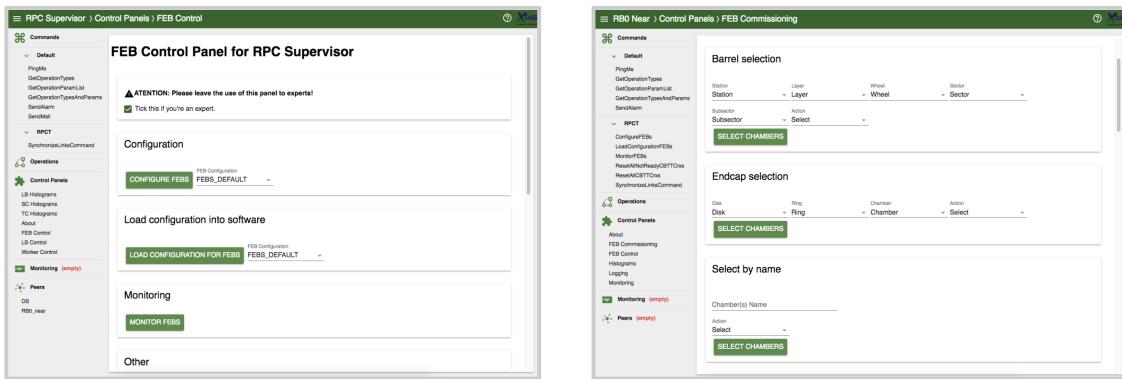
The upgrade made (Figure 4.10), consists in upgrade the higher level of the RPC online software. In summary, up to 2017, the online software, was using Scientific Linux 6 as operational system, which executed xDAQ 12, in turn, servers as backend for Trigger Supervisor 2. An upgrade of the operational system to Centos 7, demanded the upgrade to xDAQ 14. On top of that, Trigger Supervisor 2 would not work and had to be updated to Trigger Supervisor 5 in order to be functional in 2018.



**Figure 4.10:** Upgrade of the RPC online software.

Between versions 2 and 5 of Trigger Supervisor, part of the source-code had to be reworked, keep the majority of the code structures. Most of the changes were made in the front-end of the system. The standard JavaScript library Dojo [113], used in version 2, was deprecated in favor of Google's Polymer [114]. The main reason for this change was to isolate C++ code from HTML, which was impossible with Dojo. This implied to rewrite all the screen of the RPC Trigger Supervisor implementation, as in Figure 4.11.

The upgrade was done in time to ensure the control and operation of the RPC for 2018 data taking.



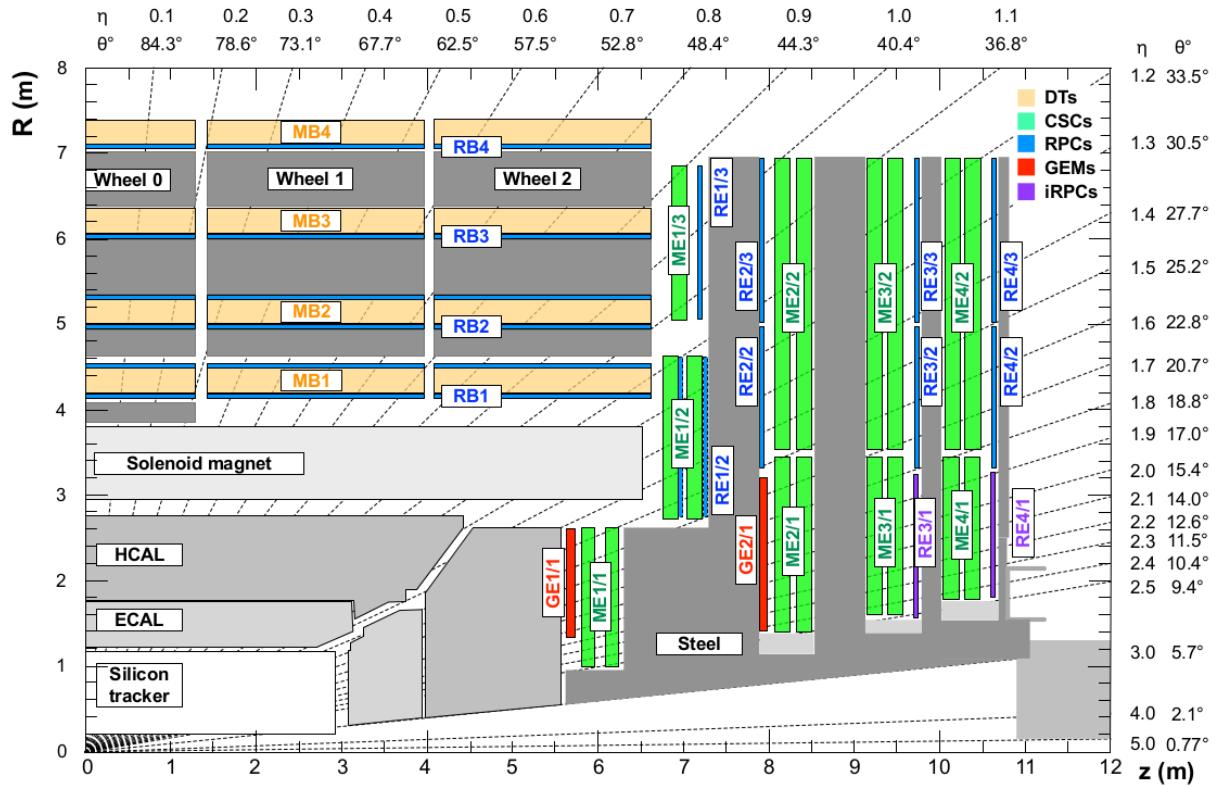
**Figure 4.11:** Example of the updated screens, using Trigger Supervisor 5.

#### 4.4.1 Improved RPC R&D

For the next 4 year of CMS activities it is foreseen the upgrade of the Muon Systems [81]. These upgrades are planned in order to extend the pseudorapidity coverage ( $\eta$ ) and to guarantee the operation conditions of the present system in the HL-LHC (High Luminosity LHC) era. The RPC (Resistive Plate Chambers) [81] subsystem, it will have maintenance of the present chambers and installation of new chambers in the region of  $|\eta| < 1,8$  para  $|\eta| < 2,4$  [115]. These new chambers (**Improved RPC - iRPC**) will be added in the most internal part of the muon spectrometer, RE3/1 e RE4/1, as in Figure 4.12.

Even thought this region is covered by the CSC detectors CSC (Cathode Strip Chambers), there are some loss of efficiency due the system geometry. The installation of additional chambers will mitigate this problem and potentially increase the global efficiency of the muon system. The new chamber, called iRPC (*improved RPC*), will be different them the present one. For a luminosity of  $5 \times 10^{34} cm^{-2}s^{-1}$  the neutrons, photons, electrons and positrons background in the high  $|\eta|$  region is expected to be around  $700 Hz/cm^2$  (for the chambers in RE3-4/1). Applying a safety factor of 3, the new chambers should support up to  $2 Hz/cm^2$  of gamma radiation and still keep more than 95% of efficiency. Studies indicate, so far, that the use of High Pressure Laminates (HPL) for the double gap chambers is the most suitable choice. In order to reduce the aging and increase the rate capability, the electrodes and the gap size should be reduced in comparison with the present system.

One of the challenges for the R&D of the iRPC chambers is measuring the their performance in a high radiation environment, as the one for HL-LHC. For this, the



**Figure 4.12:**  $\eta$  projection of the Muon System subdetectors. In purple, is labeled the iRPCS to be installed during the CMS upgrade.

CMS RPC project uses the Gamma Irradiation Facility (GIF++) [116], at CERN. The GIF++ is located at the H4 beam line in EHN1 providing high energy charged particle beams (mainly muon beam with momentum up to 100 GeV/c), combined with a 14 TBq 137-Cesium source. In the GIFF++ it is possible to achieve the HL-LHC total dose in a much reasonable amount of time. With the shutdown of LHC, the muon beam source is also off and will stay like this for 3 years. This means that the only muon sources for studies in GIF++ are cosmic muons.

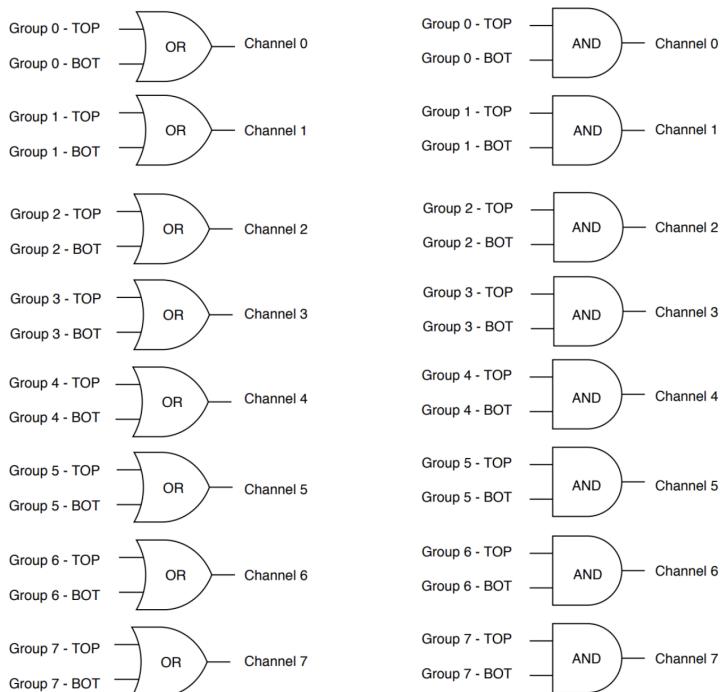
In order to create a trigger system for iRPC R&D, the usual procedure is to use scintillators, on the top and on the bottom of the chamber. This is effective, but in a high gamma radiation environment, scintillators can be very sensitive which could lead to an undesirable amount of fake triggers which can degrade the measurements. Also, if one wants to covers a large area with scintillators, this can be expensive and they will not provide any means of tracking to measuring not only the global, but also the local chamber performance.

To provide a solution, the CMS RPC got in agreement with the LHCb [117] Muon Project to use their Multiwire Proportional Chambers (MWPC) [118], which were

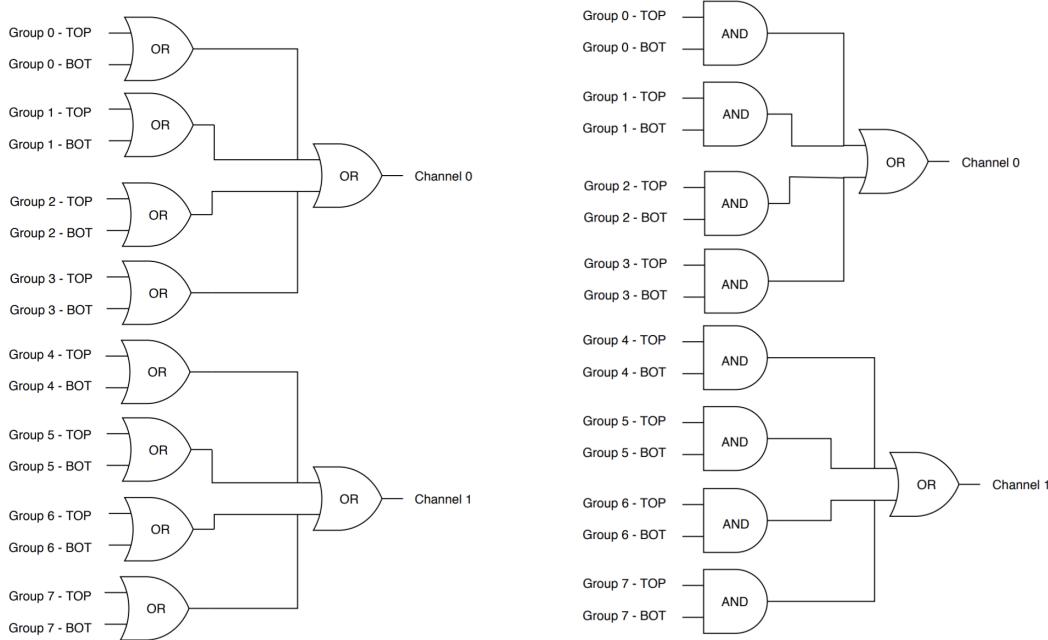
removed from LHCb, to be replaced by new chambers, and use them as trigger and/or tracking system at GIF++. This chambers, by design, have relatively low gamma sensitivity, already have some 1-dimensional resolution ( $O(\text{cm})$ ) and, the biggest advantage, with respect to any other gaseous particle detector option: LHCb has hundreds of vacant chambers. Any other detector would have to be build.

Not going in details of the MWPC technology nor the LHCb chamber construction [119], these chambers have a total active area of  $968 \times 200 \text{ mm}^2$  divided 2 layers (top and bottom) of 24 wire pads ( $40 \times 200 \text{ mm}^2$ ) composed of around 25 wires/channel, grouped by construction. Each chamber is equipped with 3 FEBs (Front-End Boards) with 16 pads each.

A channel is a logical combination of a top layer (pads) and a bottom layer readout. These readouts can be combined in AND or OR logics. One can have 8 channels per FEB, each channel being a logical combination of top and bottom pads. In this mode they are called AND2 and OR2. It is also possible to have the FEB configured in a 2 channels mode, each one corresponding to one sixth of the total readout pads. In this mode, all the pads can be combined in OR (called OR8) or they can be AND'ed in top and bottom pads and then group in OR (called OR4AND2). Figures 4.13 and 4.14 presents a logical diagram for each readout mode.



**Figure 4.13:** FEB configured 8 channels modes. Group should be understood as wire pad. Left: Logical diagram for OR2. Right: Logical diagram for AND2.



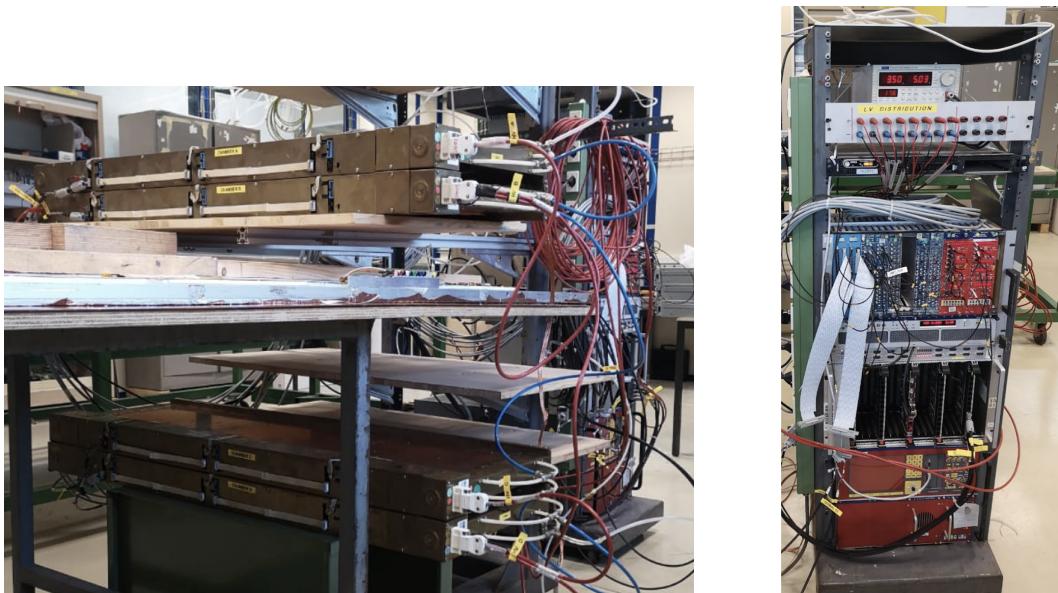
**Figure 4.14:** FEB configured 2 channels modes. Left: Logical diagram for OR8. Group should be understood as wire pad. Right: Logical diagram for OR4AND2.

The nominal gas mixture for these chambers is Ar/CO<sub>2</sub>/CF<sub>4</sub> (40:55:5). For a matter of simplicity, it was used an already available similar gas line in the same building, used by CMS CSC (Cathode Strip Chamber) [81], which has a similar composition (40:50:10). Optimal conditions are obtained with 2 to 4 liters/hour of gas flux and 2.65 kV of applied voltage.

Figure 4.15 shows the setup that was prepared for commissioning of this chambers. It was mounted two chambers on top of another (chambers A and B) above an RPC R&D chamber and two other chambers on the bottom (chambers C and D). These four MWPC will be used as telescope for the RPC chamber. All the services were mounted in rack, as in Figure 4.15. This includes power supply (low voltage and high voltage), distribution panel, VME crate and boards for FEB control, computer for control (high voltage, and FEB control) and NIM crate and boards for LVDS to NIM signal conversion, logics and counting.

Due to the short amount of time available for the commissioning, only two measurements were made with these chambers. They were meant to be a proof of concept for future activities.

The first measurement was to measure the coincidence rate of two chambers as a function of the distance between the two top planes (Figure 4.16). This measurements were done with nominal working point, with one FEB configured in 2 channels mode with

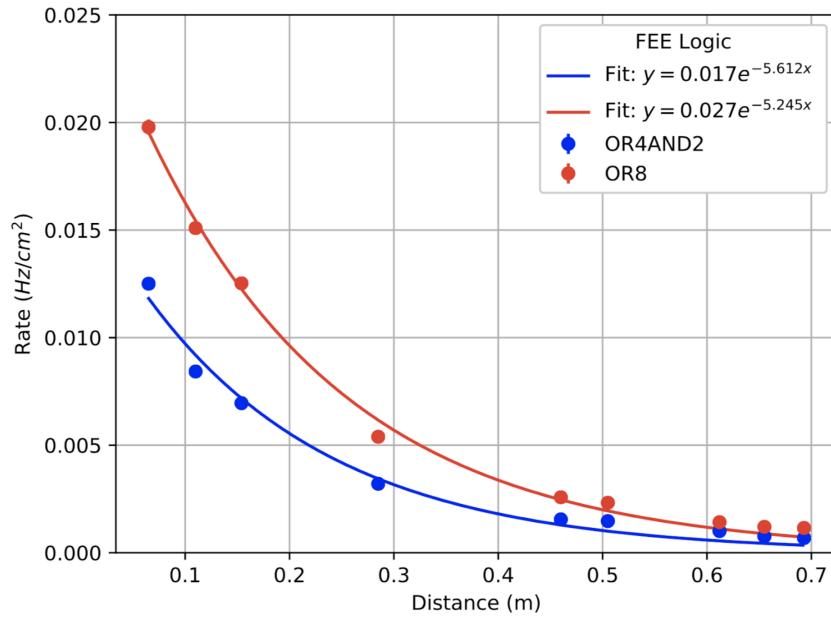


**Figure 4.15:** Left: Setup mounted for commissioning. Two MWPC chamber on the top (chambers A and B) and two (chambers C and D) on the bottom with a RPC R&D in the middle. Right: Rack with all the services for the operation of these chambers.

7 pC threshold, in (160 mm x 160 mm) area per chamber. One can observe that, if we go for a telescope trigger in the order of 1 meter of separation between the chamber, the logical combination chosen has negligible effect in the coincidence rate. Also, the fits can be used to estimate the rate in a configuration with chamber on the roof and under the floor. This could be the case of a universal trigger, to be mounted in GIF++ with these chamber.

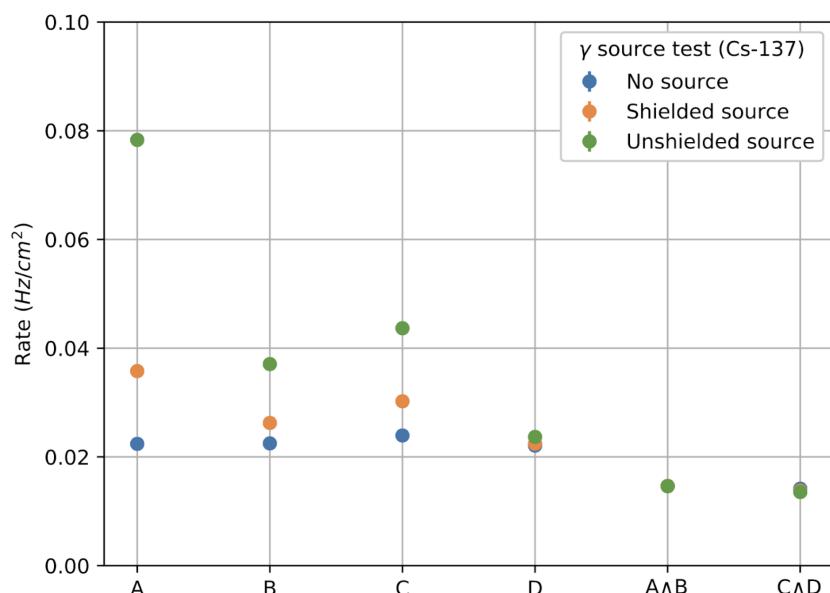
The second measurement consists on evaluate the impact of  $\gamma$  background by placing a small Cs-137 source on top of the chamber A (Figure 4.17). For this measurement, the distance between top planes of each pair of chamber (A to B and C to D) is 65 mm, while the distance between the top planes of A and C is 570 mm. It is clear the  $\gamma$  source has an impact on chamber A rate, but this is negligible when we take into account the coincidence between two chambers.

This two measurements were enough to validate this chambers as possible trigger pro RPC R&D with cosmic muons in the laboratory and at GIF++. The next steps would be use this MWPC chamber to implement a tracking system from triggering. This would demand some developments, since, due to bandwidth restrictions, the signal from each FEB would have to go to a programmable fast electronics, i.e. a FPGA, which would reconstruct muon tracks and provide the trigger to the DAQ system. This can be



**Figure 4.16:** Coincidence rate of two chambers with respect to an arbitrary distance between the two top planes. Measured in 10 minutes, for 2 logical combinations (OR8 and OR4AND2). Applied high voltage: 2.65 kV. Threshold: 7 pC. Active area: readout of 160 mm × 160 mm per chamber.

done by placing the two pair of chambers (AB and CD) in orthogonal configuration and read the signal in a CAEN V2495 board [120].



**Figure 4.17:** Individual rates (chambers A, B, C and D) and coincidence rates for two chambers (A AND B, C AND D), for without  $\gamma$  source (blue), a shielded  $\gamma$  source (orange) and an unshielded  $\gamma$  source (green). Source sitting on top of chamber A. Applied high voltage: 2.65 kV. Threshold: 7 pC. Active area: readout of 160 mm  $\times$  320 mm per chamber. Logical combination: AND2

#### 4.4.2 LS2 and the RPC Standard Maintenance

In December 2018, the LS2 (Long Shutdown 2) was started. This a period in which the LHC and its detectors (CMS included) stop their operation for maintenance and upgrade. The LS2 will go up to 2021, when LHC and CMS restart the data taking with the Run3.

During the LS2 it is being installed services for the new chambers (gas pipes, low voltage (LV), cables, signal and control optical fibers, high voltage (HV) cable and support equipment, and HV/LV power supplies), as well as continuity to the to the RPC R&D studies, besides the reparation of broken elements of the present system, i.e. chamber in the barrel region which present gas leak problems, maintenance of the LV and HV connectivity and power system, maintenance of the control system of problematic chambers (Front-Ends boards, cabling and Distribution Boards) and the dismount and reinstallation of four stations in the endcap (RE4) on both sides of CMS [121].

What concerns the standard maintenance of the present RPC system, the main LS2 activities in which the student was involved, can be divided in three main tasks: (a) HV maintenance, (b) LV and control maintenance and (c) detector commissioning.

##### HV maintenance

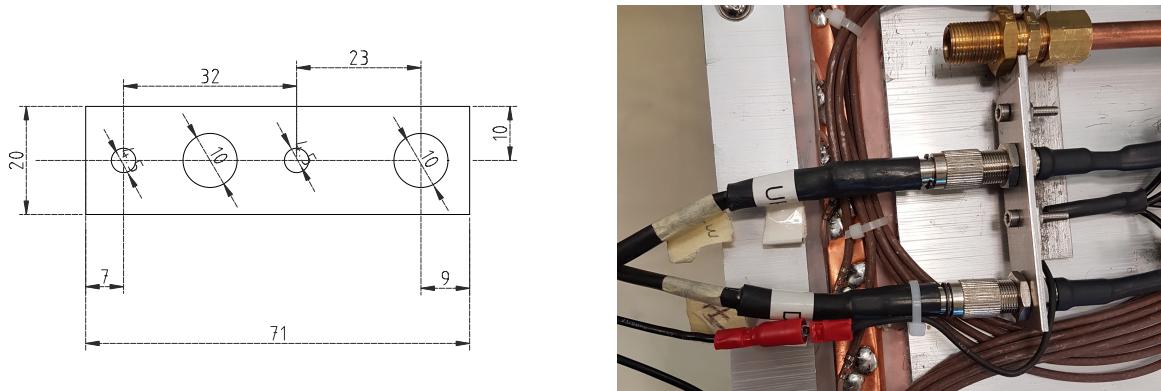
A key factor of and RPC performance is the applied high voltage (HV). The CMS RPC achieve their optimal performance with, around, 9.5 kV applied in each gap. This voltage is in the range of the dielectric breakdown of many gases, which could lead to potential current leakages, if some part of the system is damaged, poorly operated or badly installed. If the currents are high enough this can make impossible the operation of the chamber. In cases like this, during the operation period (data taking), the problematic HV channel is identified and turned off (each chamber has two channels, one for each lawyer of gaps). Chambers in this situation are said to be operating in single gap mode (SG).

The goal for the HV maintenance is to, now that the CMS is off and the chambers are accessible, identify which part of the HV supply system is causing the current leak and fix it the best way possible. Usually the problem is beyond the power supply, very often connectors or the gap itself are damaged.

The CMS RPCs uses two kind of HV connectors, monopolar and tripolar connector. The monopolar are used to connect the chamber to the power supply. If mounted properly, rarely they present problems. The connection to the chamber is made by tripolar connectors, in which the ground and the HV for both gaps arrives to the chamber in a single connector, for simplicity and to save space in the patch panel. Unfortunately these connectors are relatively fragile, and they could be a potential source of leak, specially if they were poorly mounted, badly operated or with aging itself. Also, since this was a connector made exclusively for the CMS RPC system, some design choices had to be improved after the installation of other chamber. Those installed with old batches of tripolar connectors are sensitive ones. The reparation of this connectors consists in isolate the connector from the chamber and power it up to 15 kV (maximum voltage allowed by the system). If the tested connector is broken one will observe a very fast increase in the current of the HV channel. The only solution to this kind of problem is to replace the connector.

On the other hand, if the connector is powered isolated and pass the test, the problem beyond the connector (assuming that the power system have already been tested), i.e. inside the chamber. When a chamber is in SG mode it means that a full layer is off, but not necessarily all the gaps in that layer are bad (a RPC can have up to three per layer). In this situation, the procedure consists in cutting the cables that comes from the gaps to the chamber side connector one by one and identify which gap of the problematic layer is the broken by powering it. Once identified, this gap should be solated and the other ones reconnected. The broken gap is unrecoverable, since it is inside the chamber, but 5% to 10 % of efficiency can be retaken, without changing the applied HV and increasing the longevity of the chamber.

Another contribution to the HV maintenance was the proposal of a procedure to replace the problematic tripolar connector by a monopolar (also called jupiter) connector, which are known for being much more stable and reliable. The Figure 4.18 (left) shows the designed adapter for the chamber patch panel which would made this change possible. Figure 4.18 (right) shows a try out of a chamber in which this procedure was tested. The proposal was presented to the RPC community and approved to be used from now on. Technical drawings and instructions were provided.



**Figure 4.18:** Left: Proposed adapter for chamber patch panel which make it possible to replace a tripolar by a jupiter HV connector. Right: Try out of the proposed HV connector replacement.

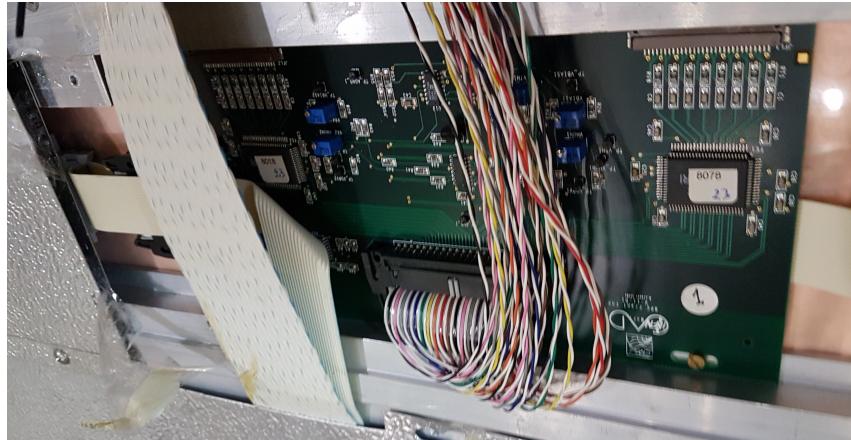
### LV and control maintenance

The low voltage (LV) and control maintenance consists in making sure that the Front-End Boards (FEBs) are powered and configurable, which means that the LV power system is working from supply board to the cable, that the signal cables are in good state and properly connected to the chamber and to the link boards and that the on-detector electronics (FEBs and Distribution Boards - DBs) are working fine.

Usually, this system is very reliable. The weak point, in most of the cases, is the detector electronics. When a FEB [122] (as in Figure 4.19) is problematic it can present regions of very high noise or no signal at all (silent), which can not be recovered by the threshold control. In cases like this, when the FEB is accessible, it can be replaced in order to recover efficiency in the problematic chamber. This procedure is done by extracting the chamber from inside the detector (only for barrel chamber) and opening its cover to have access to the problematic component. Removed boards are send back to production labs for refurbishment.

The most usual problem is a chamber in which the threshold control was lost. For this chamber, most probably, the problem is in the distribution board of the chamber, which is a piece of hardware responsible for distributing the LV power to the FEBs (3 to 6 per chamber) and send the threshold control signal to the FEBs via I2C line. If a chamber has no threshold control, it means that the RPC operation has no control over the signal selection, which can potentially induce performance issues.

For the barrel, this maintenance happens concomitantly with the gas leak reparations on the barrel chamber, since both demands the chamber extraction, which



**Figure 4.19:** RPC Front-end board (FEB) used in the barrel chambers.

is a complex procedure in terms of operation and demands specialized equipment and manpower. For technical reasons, the gas leak extractions have precedence over LV ones.

### Detector commissioning

All the LS2 activities demands uncabling of the chamber to be repaired and possibly some neighboring chambers. Also, it can involve the replacement of components of the chamber. To avoid damage to the system a compromising procedure is needed after all this activities. Given the responsibilities of the commissioning it was necessary to: (a) make sure that the RPC system keep tracks of all the interventions, (b) maintain all the algorithms used in the commissioning procedure, (c) together with the RPC Coordination, define a pool of people and a schedule to the commissioning of the system and (d) follow-up, with other CMS RPC experts, the availability of materials and resources for the commissioning operations.

Besides the organizational tasks, the commissioning demanded to establish procedures to ensure the connectivity and functionality of HV and LV connections. For the HV, it is necessary to make sure that the chambers are properly connected, without miscabling<sup>4</sup> and that the currents at stand-by HV and working point HV are compatible with the ones in the end of last data-taking (end of 2018). This activity will start in November/2019, when the CMS RPC Standard Gas Mixture will be available again.

For the LV point of view, the LV power cable and signal cables should also be properly connected, and presenting a noise profile compatible with last data-taking. One

---

<sup>4</sup>Mixed cable connections.

key point for this task is to make sure that there are no miscabling of signal cable. One RPC chamber can have from 6 to 18 signal cable, which are connected very close one to another. There is a good chance that a chamber, after reparation, have its signal cables mixed. In order to diagnose situations like this, it was validated an algorithm present in the RPC Online Software, but never used since LS1, which, by changing the threshold of each component of the RPC system, from very high to very low values (component by component), can spot miscabled chambers. Since the control line is independent of the signal line, a misclabeled will present a different noise from what is expected.

Besides the validation of this algorithm, it was also implemented a web system (Figure 4.20), developed in Flask [123] which automatize the execution of the algorithm, making transparent to the shifter (or the one performing the commissioning) the procedure to get the miscabling report.

#### FEB Connectivity Test - Analysis

Worker	Date (YY-MM-DD)	Time (HH:MM:SS)	Hash	
RBP2_Far	2019-06-20	23:43:19	387534dst	<button>Run Analyzer</button>
RBP1_Far	2019-06-20	20:12:20	458306dst	<button>Run Analyzer</button>
RBP1_Far	2019-06-20	20:04:46	336162dst	<button>Run Analyzer</button>
RBP1_Near	2019-06-20	19:02:00	377863dst	<button>Run Analyzer</button>
RBP1_Near	2019-06-19	18:59:00	858950dst	<button>Run Analyzer</button>
RBP1_Far	2019-06-19	18:58:26	994787dst	<button>Run Analyzer</button>
YEN3_Far	2019-05-07	10:28:23	176278dst	<button>Run Analyzer</button>
YEN3_Near	2019-05-07	10:28:08	347504dst	<button>Run Analyzer</button>
YEN1_Far	2018-12-07	15:03:24	575561	<button>Run Analyzer</button>
RBO_Far	2018-12-07	14:45:42	101463	<button>Run Analyzer</button>
RBP1_Far	2018-12-07	09:12:00	477689	<button>Run Analyzer</button>

**Figure 4.20:** RPC FEB Commissioning Analyzer.

The LV commissioning is ongoing, since it happens, as much as possible, right after the chamber reparation.

# Chapter 5

## Physics Analysis

### Statement of Contribution

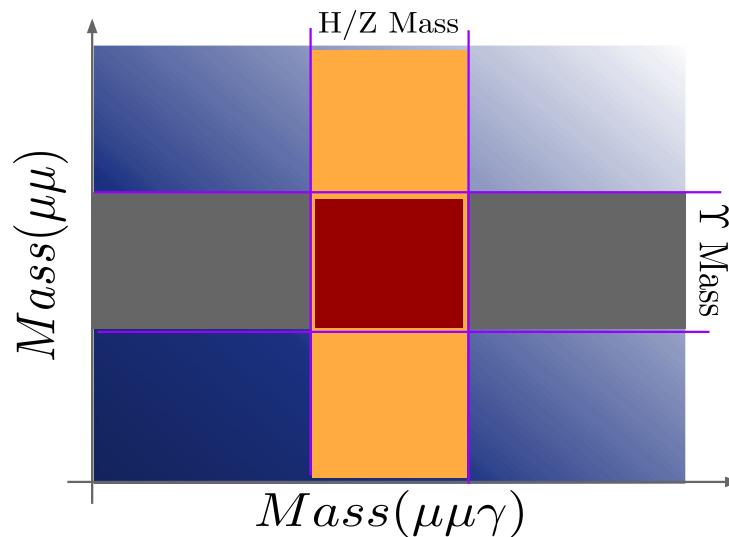
During this study, I was the main analyst for the  $H/Z \rightarrow \Upsilon(1S, 2S, 3S) + \gamma$  analysis at CMS. In collaboration with researchers from UNICAMP, UERJ and LIP, I developed an analysis procedure (presented here), a Monte-Carlo generation strategy (since the straightforward approach was not suitable for this decay channel), and a two dimensional modelling for upper limits extraction. This was done in synergy with  $H/Z \rightarrow J/\Psi + \gamma$  analysis team (apart from different selection cuts, characteristic of the decay channel, and the chosen statistical modeling).

The results presented here are derived from the 2016 data only. An analysis of the full Run2 data sample (2016, 2017 and 2018) is being carried out by same team, under the coordination of the Standard Model Physics Group at CMS, in which I am still the main analyst.

The analysis here presented corresponds to the search for rare decays of  $H \rightarrow \Upsilon + \gamma$ , where the  $\Upsilon$  might appear in the states  $1S$ ,  $2S$  or  $3S$ , and shall decay to a pair of muons (from here on, called dimuon system) and the  $\gamma$  will be identified as a offline reconstructed photon. The decay to the dimuon channel offers a very efficient triggering for this process, characteristic of CMS. The analogous process of the  $Z$  boson decays to the same channel is also studied, as a benchmark for the Higgs decay.

The main process contributing to the accessible phase space of these decays are described in Figure 5.1, in which the different process are represented in a diagram for the reconstructed invariant masses of the muon-muon-photon system ( $\mu\mu\gamma$  - horizontal axis) and the muon-muon system ( $\mu\mu$  - vertical axis). The vicinity of the  $H/Z$  mass and  $\Upsilon$  mass regions are represented in the midpoint for each axis. The backgrounds can be

divided in **Resonant** and **Non-Resonant** backgrounds. The Non-Resonant might come from two sources, a Full Combinatorial background is composed by the combination of two non-correlated muons with a photon in the final state of the event. This is expected to be spread all over the phase space and in the diagram, it is represented by the color blue. The  $\Upsilon + \gamma$  Combinatorial background is a combination of two correlated muons (e.g.: the decay of a  $\Upsilon$  to a dimuon system) combined with a photon from a secondary process (e.g.: Multiple Particle Interaction - MPI, pileup, a jet mis-identified as a photon). This should be concentrated in the region around the  $\Upsilon(1S, 2S, 3S)$  and it is represented by the gray region.



**Figure 5.1:** A diagram for the reconstructed invariant mass of the  $\mu\mu\gamma$  final state. The blue and gray regions represent the Full Combinatorial and  $\Upsilon + \gamma$  Combinatorial contributions, respectively, while the yellow and red regions represent the Resonant background and the signal region.

The Resonant background is composed by the processes where the boson (Higgs or Z) decays to a  $\mu\mu\gamma$  final state without going through the intermediate meson state. For the Z decays, this background is modeled based on a Drell-Yan to dimuon decays, with a final state radiated (FSR) photon ( $Z \rightarrow \mu\mu\gamma_{FSR}$ ), while for the Higgs decay, a Higgs Dalitz decay ( $H \rightarrow \mu\mu\gamma$ ) is used. The Resonant background (also called Peaking Background) is represented in the diagram by the region in yellow. The Signal is represented by the red region on the diagram.

Around these representations, the 2-dimensional model of the reconstructed invariant masses ( $m_{\mu\mu\gamma}$  and  $m_{\mu\mu}$ ) is constructed for each contributing process and tested against the collected data by the experiment, by means of an unbinned maximum likelihood fit. No significant excess above the background-only model is observed and an upper limit

of the signal branch fraction is extracted. The following sections describes the data and simulated samples used in this analysis, the event selection applied in order to enhance the signal to background ratio and the process to construct the statistical models used in the upper limits extraction.

## 5.1 Datasets and simulated events

### 5.1.1 Data samples

The data sample used in this analysis consists of a CMS data sample recorded at 2016, at  $\sqrt{s} = 13$  TeV, with 25 ns bunch separation. This data sample is composed only by events that were certified from all CMS subsystems and reconstruction specialists as good for physics analysis.

This data sample corresponds to  $35.86\text{ fb}^{-1}$  of integrated luminosity [124].

### 5.1.2 Simulated datasets

Simulation of events at CMS is done via Monte Carlo methods (from here on, simply called MC). Pseudo-random events are generated within the physics of the related processes in which we are interested starting from hard-scattering processes, at parton (constituents of the proton) level, usually with matrix element generators. These handle the incoming and outgoing partons so that they follow some pre-defined theoretical model. The matrix element generator, working on the parton level, allow us to extract the momentum distribution of the parton as a function of the  $q^2$  (transferred momentum) of the collision. MC generators use the so-called parton distribution functions (PDFs) to sample values of momenta and can account for different order of perturbations, like NLO (next-to-leading order), NNLO (next-to-next-to-leading order), and so on.

After the hard-scattering, the **showering** process simulates the radiation emission by gluons and quarks in the initial and final states. Along the hard interaction, the other proton constituents may also interact through soft interaction. This part of the simulation is called **multiple parton interaction** (MPI). The last component of the simulation is the **hadronization**, in which quarks and gluons compose to form hadrons. These can decay according to specific models, as predicted in the case of heavy hadrons,

like B hadrons and taus etc. This imposes the QCD confinement to low energy quarks and gluons <sup>1</sup>.

Usually, different generators are used to simulate a process. Each specialized in one or more steps.

A summary of the signal and background MC samples used is presented in Table 5.1. These simulated data are comparable with the proton-proton collision using 2016 data conditions and the **pileup** <sup>2</sup> events are added to the simulated event in this step. The pileup events distribution used is modeled as a Poisson pdf (probability distribution function) with mean of 23 events, as recommended by CMS. Detector response in the MC samples is simulated using a detailed description of the CMS detector, based on GEANT4 [126].

The signal MC samples are simulated for the Higgs bosons decaying to  $\Upsilon(nS)(\rightarrow \mu\mu) + \gamma$  channels with POWHEG v2.0 [127–129], at next-to-leading order (NLO) of Feynman graphs computation, for the following production modes: gluon-gluon fusion (ggF), vector boson fusion (VBF), associated production (VH) and associated top production (ttH), with cross-section summarized at table 5.1. An extensive review of these production modes can be found at [130]. The PYTHIA 8 generator [131, 132] is used for hadronization and fragmentation with underlying event tune CUETP8M1 [133]. The parton distribution functions (pdf) NNPDF3.0 [134] are used.

For Z decaying to  $\Upsilon(nS)(\rightarrow \mu\mu) + \gamma$  channels, the signal samples are simulated with MADGRAPH 5 \_MC@NLO 2.6.0 matrix element generator [135] at next leading order and the PYTHIA 8 generator [131, 132] for hadronization and fragmentation with underlying event tune CUETP8M1 [133].

The Drell-Yan process,  $pp \rightarrow Z \rightarrow \mu\mu\gamma_{FSR}$ , results in the same final state as the signal. This process exhibits a peak in the three-body invariant mass,  $m_{\mu\mu\gamma}$ , at the Z

---

<sup>1</sup>QCD forbids coloured objects to exist in non-asymptotic states. They must decay to more complex systems, until they form stable colorless states.

<sup>2</sup>Each LHC collision recorded by CMS, is composed not by a single  $pp$  interaction, but by bunches of protons crossing each other. In this case, a hard interaction is actually surrounded by many soft interactions between adjacent protons. The extra activity produced in these interactions, and caught by the detector, is called **pileup** and has its signal mixed with the hard one. Since, during the data taking, the number of pileup interactions varies according to the instantaneous luminosity, the MC are mixed some soft interaction only sample, called Minimum Bias. The number of mixed soft interaction (pileup events) is governed by a Poisson distribution with a pre-defined mean. The MC samples are then reweighted to match the same distribution of primary vertexes for the corresponding Data. Systematics related to this procedure will be discussed later. A pioneer work on this subject, at CMS, is the master dissertation from Eliza Melo [125] - Rio de Janeiro University.

boson mass,  $m_Z$ , and it is a resonant background for this channel, therefore referred to as Peaking or Resonant Background.

It is taken into account when deriving the upper limit on the branching fraction for  $Z \rightarrow \Upsilon(nS) + \gamma \rightarrow \mu\mu + \gamma$ . The MADGRAPH 5 \_MC@NLO 2.6.0 matrix element generator [135] at leading order, interfaced with PYTHIA 8.226 for parton showering and hadronization with tune CUETP8M1 [133], is used to generate a sample of these resonant background events. The photons in these events are all produced as final-state radiation from the  $Z \rightarrow \mu\mu$  decay and therefore the  $m_{\mu\mu\gamma}$  distribution peaks at the  $Z$  boson mass and there is no continuum contribution.

Similarly, the Higgs boson Dalitz decay [136],  $H \rightarrow \gamma^*\gamma \rightarrow \mu\mu + \gamma$ , is a Resonant Background (resonant) to  $H \rightarrow \Upsilon(nS) \rightarrow \mu\mu + \gamma$ . It is simulated at NLO with MADGRAPH 5 \_MC@NLO 2.6.0 matrix element generator [135] at next-to-leading order and the PYTHIA 8 generator [131, 132] for hadronization and fragmentation with underlying event tune CUETP8M1 [133]. This Higgs Dalitz Decay sample, was generated only for the ggF production mode, but its cross-section was rescaled to the full Higgs cross-section. This process will present a small contribution of selected events, so this approximation should be sufficient for the Higgs Resonant Background modeling.

There are also background processes that do not give resonance peaks in the three-body invariant mass spectrum. They are modeled from data, as it will be explained latter in more details.

The number of simulated events is rescaled by the effective  $\sigma$ , from Table 5.1, in order to match  $35.86 \text{ fb}^{-1}$  of integrated luminosity, from the recorded data. Being  $N = \sigma\mathcal{L}$ ,  $N$  in the number of events for a process,  $\sigma$  is the cross-section and  $\mathcal{L}$  is the integrated luminosity, the reweighting factor, for a simulated sample is:

$$w_{MC} = \frac{\sigma\mathcal{L}}{N_{sim}}, \quad (5.1)$$

where  $N_{sim}$  is the number of simulated events for a specific process.

The simulated sample are also corrected by the data pileup distribution, since the pileup distribution of MC is different from the pileup distribution of data. The way to correct the MC is to assign a weight to each bin of the MC pileup distribution, with respect to the data. The rescaling is defined as the ratio between normalized pileup (PU) distribution for Data and MC.

**Table 5.1:** Datasets simulated (MC) for 2016 conditions. Assuming that  $\sigma(pp \rightarrow H)$ , taking into consideration all the simulated Higgs production modes, is  $55.13 \text{ pb}$  [137] and  $\sigma(pp \rightarrow Z \rightarrow \mu\mu)$  is  $57094.5 \text{ pb}$ , including the next-to-next-to-leading order (NNLO) QCD contributions, and the next-to-leading order (NLO) electroweak corrections from FEWZ (Fully Exclusive W and Z Production) 3.1 [138] calculated using the NLO PDF set NNPDF3.0, with the phase space selection in invariant mass of the dimuon system of  $m_{\mu\mu} > 50 \text{ GeV}$ . For the Higgs Dalitz  $\sigma$ , we consider only the gluon fusion contribution ( $\sigma_{ggF} = 48.6 \text{ pb}$ ) [137]. The Higgs Dalitz Decay  $BR_{SM}$  and the  $Z \rightarrow \mu\mu\gamma_{FSR}$  were obtained with MCFM 6.6 [139] (as in the CMS search for Higgs Dalitz Decay in at  $\sqrt{s} = 8 \text{ TeV}$  [140]) and with MADGRAPH 5 \_MC@NLO, respectively. The  $BR_{\Upsilon(1S,2S,3S) \rightarrow \mu\mu}^{PDG} = (2.48, 1.93, 2.18) \times 10^{-2}$  is quoted from Particle Data Group report (PDG) [13]. The "Effective  $\sigma$ " for the signal samples is  $\sigma(pp \rightarrow Z(H)) \times BR_{SM} \times BR_{\Upsilon(nS) \rightarrow \mu\mu}^{PDG}$ .

Physics Processes	Branching Ratio ( $BR_{SM}$ )	Effective $\sigma$ (in pb)	Generator
$H \rightarrow \Upsilon(1S) + \gamma$	$5.22 \times 10^{-9}$	$7.14 \times 10^{-9}$	POWHEG 2.0
$H \rightarrow \Upsilon(2S) + \gamma$	$1.42 \times 10^{-9}$	$1.51 \times 10^{-9}$	POWHEG 2.0
$H \rightarrow \Upsilon(3S) + \gamma$	$9.10 \times 10^{-10}$	$1.10 \times 10^{-9}$	POWHEG 2.0
$Z \rightarrow \Upsilon(1S) + \gamma$	$4.88 \times 10^{-8}$	$6.80 \times 10^{-5}$	MADGRAPH 5
$Z \rightarrow \Upsilon(2S) + \gamma$	$2.44 \times 10^{-8}$	$2.69 \times 10^{-5}$	MADGRAPH 5
$Z \rightarrow \Upsilon(3S) + \gamma$	$1.88 \times 10^{-8}$	$2.34 \times 10^{-5}$	MADGRAPH 5
H Dalitz Decay	$3.83 \times 10^{-5}$	$2.13 \times 10^{-3}$	MADGRAPH 5
$Z \rightarrow \mu\mu\gamma_{FSR}$	—	$7.93 \times 10^{-2}$	MADGRAPH 5

$$w_{PU}(n) = \frac{P_{PU}^{Data}(n)}{P_{PU}^{Sim}(n)}, \quad (5.2)$$

where  $n$  is the number of interaction per bunch crossing (pileup).

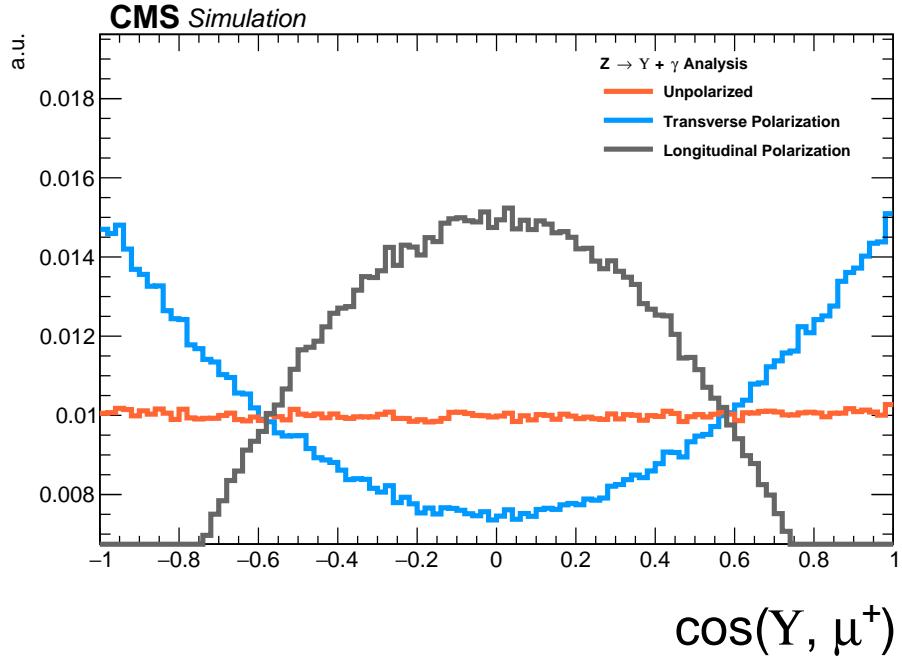
## 5.2 Contribution of the $\Upsilon(nS)$ polarisation

Measurements of quarkonium polarization observables may yield information about quarkonium production mechanisms that are not available from the study of unpolarized cross sections alone. The three polarization states of a  $J = 1$  quarkonium can be specified in terms of a particular coordinate system in the rest frame of the quarkonium. This coordinate system is often called the "spin-quantization frame".

In a hadron collider,  $\Upsilon(1S, 2S, 3S)$  are reconstructed through their electroweak decays into a lepton pair. The information about the polarization of the quarkonium state is encoded in the angular distribution of the leptons. This angular distribution is usually described in the quarkonium rest frame with respect to a particular spin-quantization frame [141]. The polarization of the  $\Upsilon(1S, 2S, 3S)$  is not simulated for signal MC sample and we only apply a reweighting scale factor to each event and so we can emulate the polarization effects [142]. Figure 5.2 present the distributions of  $\cos \Theta$  of  $\Upsilon \rightarrow \mu\mu$ , where

$\Theta$  is the angle between the positive muon and the  $\Upsilon$  in the Z (Higgs) rest-frame. At Table 5.2 we show the analytical functions used to describe the extremes scenarios (Unpolarized, Transverse Polarization and Longitudinal Polarization) reweighting, presented in this analysis.

It is worth stating that, for the Higgs decay, only the Transverse Polarization is considered. For the Z decay, because of its spin nature, the Unpolarized scenario is used as the nominal one, and the effects of the two other extremes (Transverse Polarization and Longitudinal Polarization) are quoted as systematics.



**Figure 5.2:** Distributions of  $\cos\theta$  of  $\Upsilon \rightarrow \mu\mu$  and  $\gamma^* \rightarrow \mu\mu$ . The orange distribution is the  $Z \rightarrow \Upsilon(1S, 2S, 3S) + \gamma$  sample before reweighting (Unpolarized); the blue and gray distributions are  $Z \rightarrow \Upsilon(1S, 2S, 3S)$  sample after reweighting, for the Transverse and Longitudinal Polarization.

**Table 5.2:** Summary of the impact of reweighted of polarization contribution using several scenarios.

$J_Z$	Polarisation Scenario	Analytic Description
$\pm 1$	Transverse	$3/4 \times (1 + (\cos \Theta)^2)$
0	Longitudinal	$3/2 \times (1 - (\cos \Theta)^2)$

### 5.3 Kinematical studies using MC generator

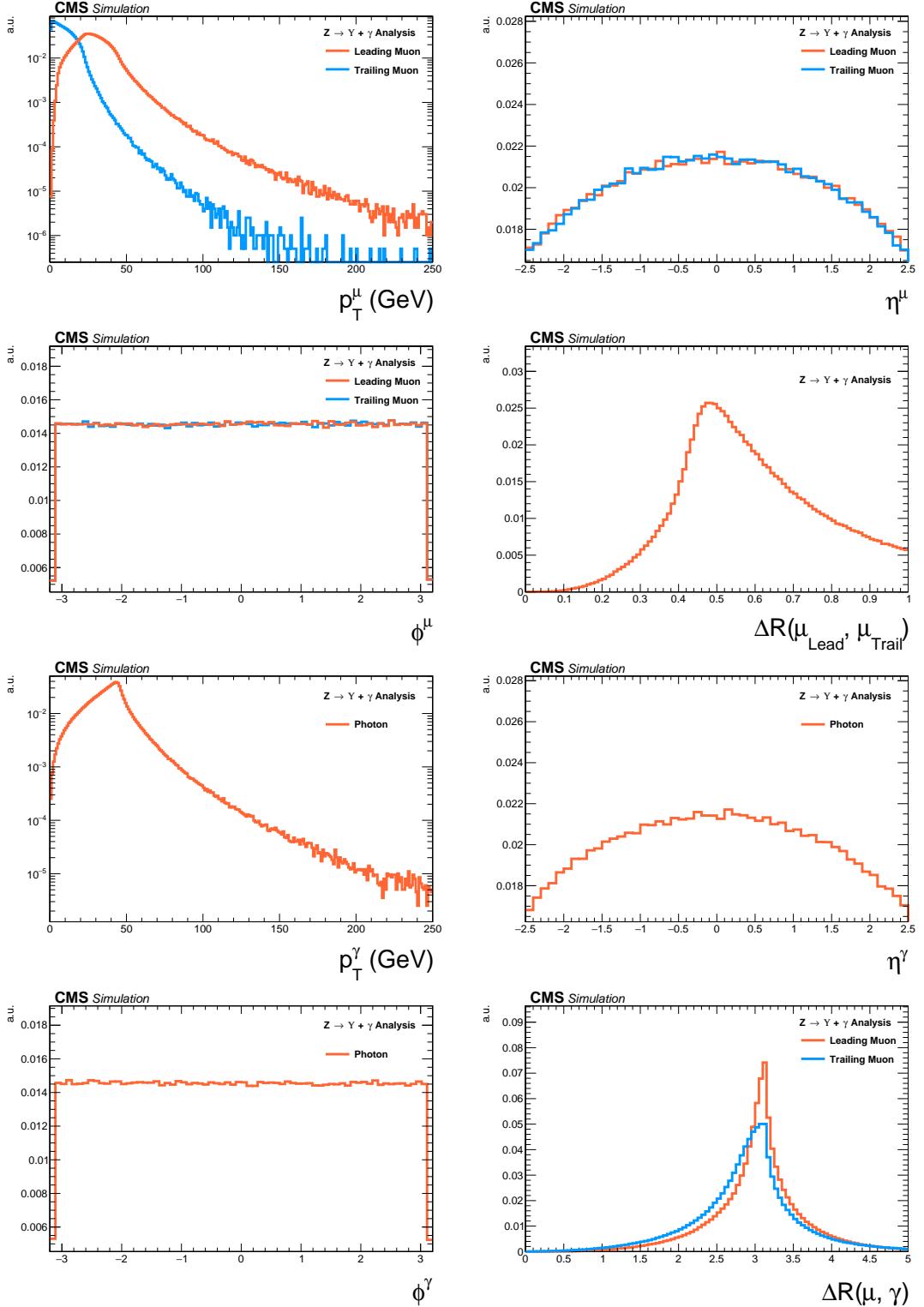
Using the PYTHIA 8.226 generator, the Monte Carlo signals are produced for Higgs (Z) boson events decaying into ( $\Upsilon(1S, 2S, 3S)$ ) +  $\gamma$ , which are highly boosted. Ob-

serving the kinematic generator level distributions in Figure 5.3 for Z boson and Figure 5.4 for Higgs boson, we could conclude that the high- $E_T$  (transverse energy, with respect to the beam line) photon will be back-to-back to the  $\Upsilon$  particles being possible to apply an isolation selection to identify a photon in this kinematic topology. Also, we can observe those transverse momenta of the leading/trailing  $p_T$  (transverse momentum, with respect to the beam line) muon <sup>3</sup> and the photon and distances  $\Delta R = \sqrt{\Delta\eta^2 + \Delta\phi^2}$  between the two muons and between the muons and the photon are a good variable that can be used to discriminate the contribution between signal and background events. The leading muon transverse momentum can be greater than 45(30) GeV and trailing muon is greater than 10(20) GeV in Higgs(Z) decay.  $\Delta R$  distributions of the two muons and between the muons and the photon in the both cases show that the two muons are very close and the photon is back-to-back in relation of dimuon system. Another feature of this kinematic topology is that the production vertex between muons produced in  $\Upsilon$  decaying events and the high- $E_T$  photon is measured with high precision.

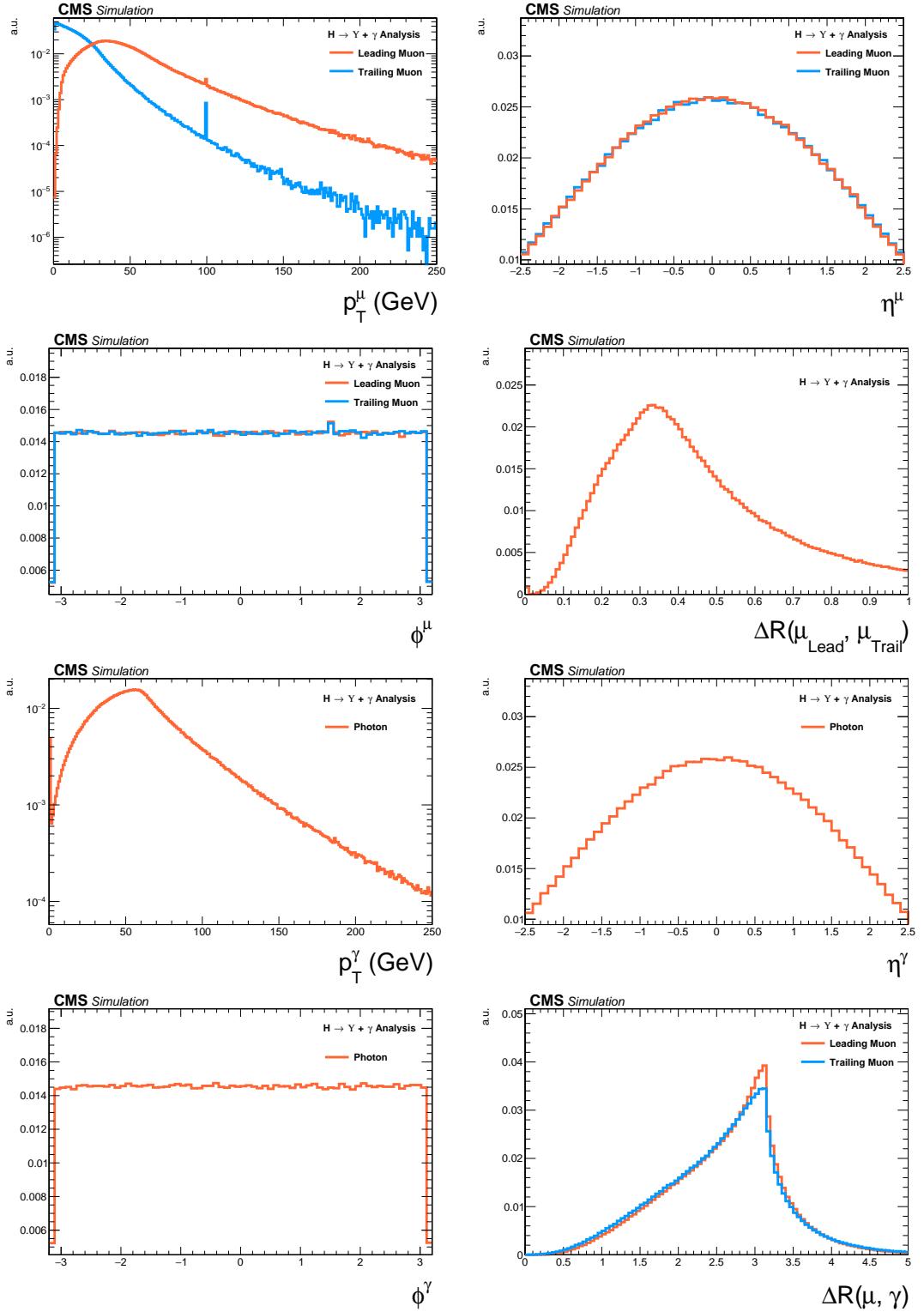
it is worth to mention that discussion above is made only on simulated data samples for this analysis and does not necessarily translate to the real data analysis without further inspection.

---

<sup>3</sup>In this study we define leading muon and the muon, decaying from the  $\Upsilon$ , with highest  $p_T$ . Trailing muon is the one with the second hight  $p_T$ .



**Figure 5.3:** Generator level distributions of main variables for  $Z \rightarrow \Upsilon(1S, 2S, 3S) + \gamma$  : Transverse momenta of the leading/trailing  $p_T$  muon and the photon, pseudorapidity ( $\eta$ ) and  $\phi$  of the muons and the photon, distances  $\Delta R$  between the two muons and between the muons and the photon. All the distributions shown in the figure are normalized to the unity of area.



**Figure 5.4:** Generator level distributions of main variables for  $H \rightarrow \Upsilon(1S, 2S, 3S) + \gamma$  : Transverse momenta of the leading/trailing  $p_T$  muon and the photon, pseudorapidity ( $\eta$ ) and  $\phi$  of the muons and the photon, distances  $\Delta R$  between the two muons and between the muons and the photon. All the distributions shown in the figure are normalized to the unity of area.

## 5.4 Event selection

The event selection is divided in two steps. At first, a set of cuts related to trigger and physics object (muons and photons) selection is applied. High level physics objects at CMS are reconstructed based of the Particle Flow (PF) algorithm [143]. This selection is called, within this analysis, Group I.

For the events that pass the Group I selection, another set of cuts is applied, this time focusing on kinematical (phase space) event selection, in order to enhance the signal to background ratio. This later set is called, within this analysis, Group II. After full selection, three exclusive categories are defined, based on the photon's  $\eta$  region and its energy spread shape within the ECAL cells (R9 <sup>4</sup>).

After the full selection, a background and signal modeling process is applied, based on the invariant mass distributions, which will be explained in the next section.

## 5.5 Trigger and physics object selection (Group I)

### 5.5.1 Trigger

In this study, the same trigger requirements are applied to both data and simulated samples. For the first trigger level (L1), events are selected if they present at least one muon with transverse momentum greater than 5 GeV and an isolated <sup>5</sup> photon or electron with transverse momentum greater than 18 GeV (at L1, there is no differentiation between photons and electrons). At the software level of the trigger system (HLT), the events are required to have at least one muon with transverse momentum greater than 17 GeV and a photon with transverse momentum greater than 30 GeV.

In order to compensate any difference in the trigger performance between simulated and data samples, for every selected MC a proper scale factor is applied, based on the  $p_T$  of the reconstructed muon and photon. These scale factor computed by the ratio between efficiency of the trigger for the Data sample over the efficiency for a MC sample. These efficiencies are calculated with the tag-and-probe method, exploring the

---

<sup>4</sup>Photon R9 is a shower shape variable defined as the fraction of energy deposited in the 5x5 square surrounding the Super Cluster seed of the reconstructed photon.

<sup>5</sup>The concept of isolation will be detailed later, but in summary, it means a object which has very small activity (above a certain threshold of energy/momentun) around it. In hadron-hadron collider, isolation is a characteristics of hard interactions.

resonance of a final state composed by two muon and one photon in the vicinity of the  $Z$  boson invariant mass. To this final state, a selection was applied to ensure that the photon comes from a Final State Radiation process, allowing us to use the tag-and-probe method.

Considering the similarity of this analysis with the  $H/Z \rightarrow J/\Psi + \gamma$  analysis [61], not only in term of data samples, but also for triggering and physics object selection, the same scale factors were applied. More details are given in the same paper.

### 5.5.2 Muon Identification

Ahead of any selection, a standard CMS "Ghost Cleaning" procedure is applied to all reconstructed muons in order to avoid that a single physical muon is reconstructed as two or more. For this procedure, reconstructed muons sharing 50% or more segments in the system are arbitrated, in such way, that the ones with lowest quality characteristic are excluded.

After the cleaning, a muon is chosen when it passes a two step identification: the **Loose ID** and the **Tight ID**. Below the muon identification procedure is summarized

For the Loose ID, each muon is required to:

- have transverse momentum greater than 5 GeV, in order to cope with Particle Flow requirements;
- be within the muon system acceptance:  $|\eta| < 2.4$ ;
- to have a three dimensional impact parameter uncertainty, with respect to the primary vertex, smaller than 4;
- to have transverse distance smaller than 0.5 cm ( $d_{xy} < 0.5$ ), with respect to the primary vertex (PV);
- to have longitudinal distance smaller than 1.0 cm ( $d_z < 1$ ), with respect to the primary vertex (PV).

Muons reconstructed only in the muon system, without a correspondence with the tracker, are rejected. The last three requirements of the Loose ID are imposed in order to suppress muons from in-flight decays.

The primary vertex itself, is determined as the reconstructed vertex with the biggest sum of  $p_T^2$  in the event. This sum is performed, considering all the charged PF candidates clustered by the jet finding algorithms [79, 80] and the MET, which is defined as the  $p_T$  vector sum of all the charged and neutral PF candidates associated to that vertex.

For the Tight ID, muons with transverse momentum  $p_T < 200$  GeV, are required to have been reconstructed with the Particle Flow (PF) algorithm. If they have  $p_T > 200$  GeV, they should be reconstructed with the Particle Flow (PF) algorithm or satisfy the strict tracker requirements (defined in Table 5.3).

**Table 5.3:** Conditions for a muon to pass the strict tracker requirements.

Requirement	Technical definition
Muon station matching	Muon is matched to segments in at least two stations in the muon system
Good $p_T$ measurement	$\frac{\sigma_{pT}}{pT} < 0.3$
Vertex compatibility ( $x - y$ )	$d_{xy} < 2$ mm
Vertex compatibility ( $z$ )	$d_z < 5$ mm
Pixel hits	At least one pixel hit
Tracker hits	Hits in at least six tracker layers

To mitigate spurious signal in the detector that would mimic a muon, the leading muon (the one with highest  $p_T$ ) is required to be isolated within a cone of radius  $\Delta R = \sqrt{\Delta\eta^2 + \Delta\phi^2} < 0.3$  in the  $\eta - \phi$  plane. The isolation is evaluated in terms of  $\mathcal{I}^\mu < 0.35$ , defined as:

$$\mathcal{I}^\mu \equiv \left( \sum p_T^{\text{charged}} + \max \left[ 0, \sum p_T^{\text{neutral}} + \sum p_T^\gamma - p_T^{\text{PU}}(\mu) \right] \right) / p_T^\mu. \quad (5.3)$$

The  $\sum p_T^{\text{charged}}$  is the scalar sum of the transverse momenta of charged hadrons originating from the chosen primary vertex of the event. The  $\sum p_T^{\text{neutral}}$  and  $\sum p_T^\gamma$  are the scalar sums of the transverse momenta for neutral hadrons and photons, respectively. Since the isolation variable is particularly sensitive to energy deposits from pileup interactions, a  $p_T^{\text{PU}}(\mu)$  contribution is subtracted, where  $p_T^{\text{PU}}(\mu) \equiv 0.5 \times \sum_i p_T^{\text{PU},i}$ , where  $i$  runs over the momenta of the charged hadron PF candidates not originating from the primary

vertex, and the factor of 0.5 corrects for the different fraction of charged and neutral particles in the cone.

One should keep in mind that this muon identification process is the same as the one used by the  $H \rightarrow ZZ^* \rightarrow 4l$  [144]. This was done in order to keep in phase with other Higgs analysis inside the collaboration. After the muon identification, an appropriate scale factor is applied to the MC events based on the leading muon  $p_T$  and  $\eta$ , in order to correct any possible discrepancy between data and simulated samples. The scale factors were taken from the  $H \rightarrow ZZ^* \rightarrow 4l$  analysis.

In order to cope with trigger requirements, the leading muon should have  $p_T > 20$  GeV and the trailing muon  $p_T > 4$  GeV.

### 5.5.3 Photon Identification

For the photon identification and selection, the standard CMS recommendation are followed. The Multivariate (MVA) Photon identification is used with a working point of 90%, together with a electron veto procedure, to avoid misidentification of electrons as photons. Kinematically, the photons are requested to have transverse energy, with respect to the beam line,  $E_T > 33$  GeV<sup>6</sup> and reconstructed within the CMS acceptance for photons  $|\eta_{SC}| < 2.5$ <sup>7</sup>, excluding the Electromagnetic Calorimeter (ECAL) Barrel-Endcap intersections.

The threshold of 33 GeV for the photon transverse energy is driven by the trigger requirements. The selected photon, per event, is the one with highest  $E_T$ .

### 5.5.4 Kinematical distributions

The selection described so far, is called Group I. The plots shown below are related to selected events after this set.

Figures 5.5 to 5.10 present the  $p_T$ ,  $\eta$  and  $\phi$  distributions for the leading muon, trailing muon and the photon, for the Z decaying into  $\Upsilon(1S, 2S, 3S) + \gamma$ .

Figures 5.11 to 5.13 present the  $p_T$ ,  $\eta$  and  $\phi$  distributions for reconstructed  $\Upsilon(nS)$  ( $\mu\mu$  system) and the reconstructed boson ( $\mu\mu\gamma$  system).

---

<sup>6</sup> $E_T$  is define as the amount of energy of a reconstructed particle times the cosine of  $\theta$ , where  $\theta$  is the angle between the beam line and the particle's momentum.

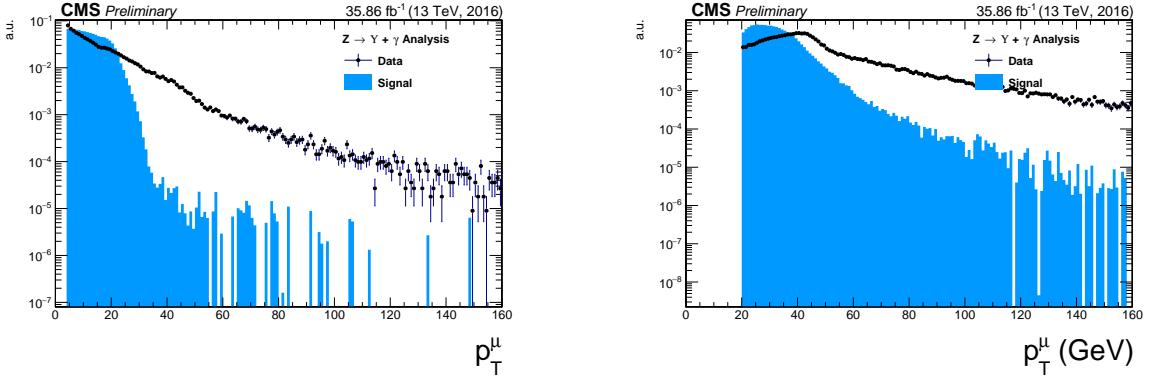
<sup>7</sup>SC stands for Super Cluster of the reconstructed photon. It is the set of cell in the Electromagnetic Calorimeter used for the photon observation.

Figures 5.14 to 5.17 present the  $\Delta R = \sqrt{\Delta\eta^2 + \Delta\phi^2}$  between the photon and the muons, the  $\Delta R$  distributions between reconstructed dimuon ( $\mu\mu$ ) system and the photon, the absolute value of the  $\Delta\phi$  between the leading muon and the photon, the ratio for the transverse momentum of the reconstructed Upsilon and the reconstructed Z mass ( $p_T^{\mu\mu}/M_{\mu\mu\gamma}$ ), the ratio for the transverse energy of the reconstructed Photon and the reconstructed Z mass ( $E_T^\gamma/M_{\mu\mu\gamma}$ ) and dimuon mass distribution of the reconstructed  $\Upsilon(nS)$ .

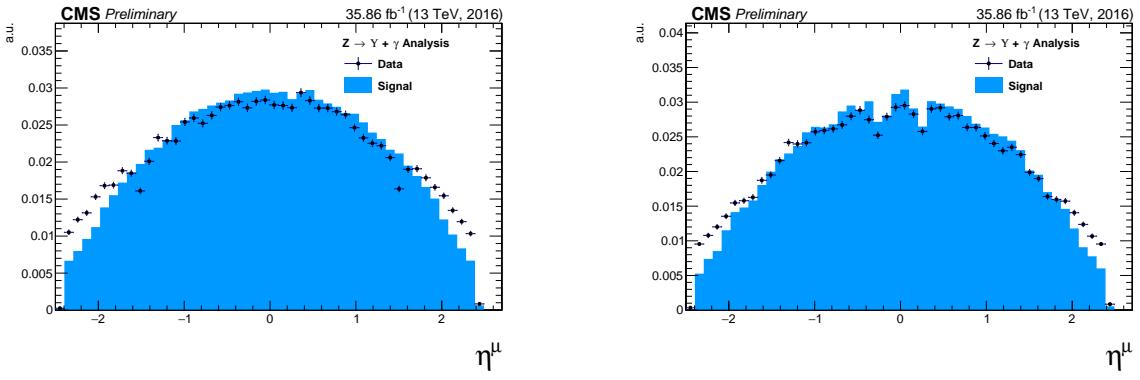
Figures 5.18 to 5.30 present the same variables, but for the Higgs decaying into  $\Upsilon(1S, 2S, 3S) + \gamma$  channel.

In all figures, the black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples. The observed difference between signal MC and Data is accounted to the lack of full background contribution for these histograms. Only Signal MC is being considered. The key point is to compare the shape of the distributions and how much they match before and after the selection.

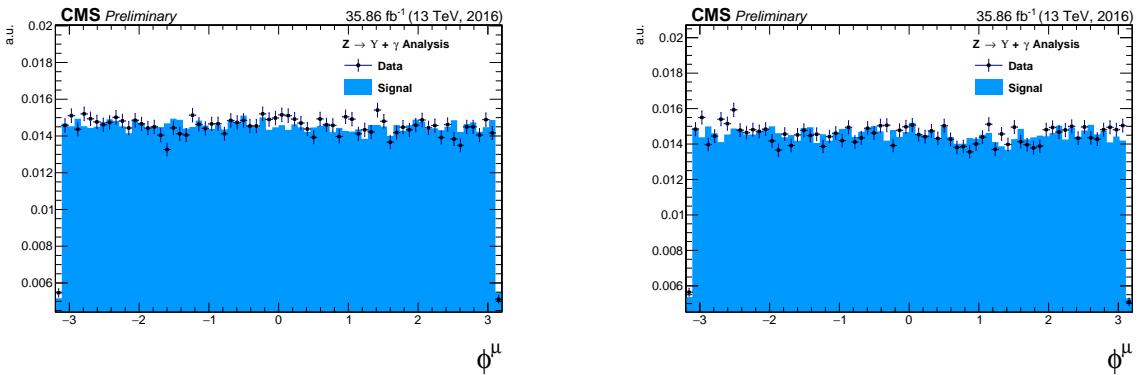
For any presented plot, **Data** stands for data collected from real  $pp$  collisions by CMS and **Signal**, stands for the distribution of events from a MC generated sample of signal events, as described in Section 5.1.2.



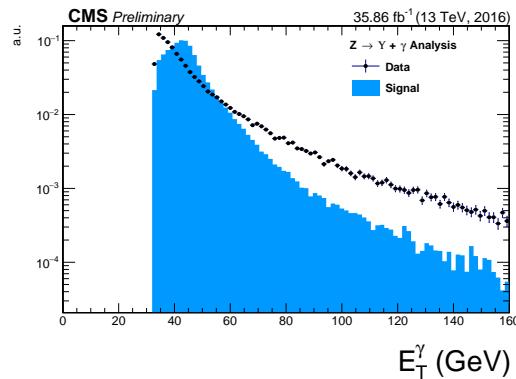
**Figure 5.5:** The  $p_T$  muon distributions from data and signal events for Z decaying into  $\Upsilon(1S, 2S, 3S) + \gamma$  after Group I of selection cuts, where on left are presenting the trailing muons and on right are the leading muons. The plots are normalized to the unit of area. The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples.



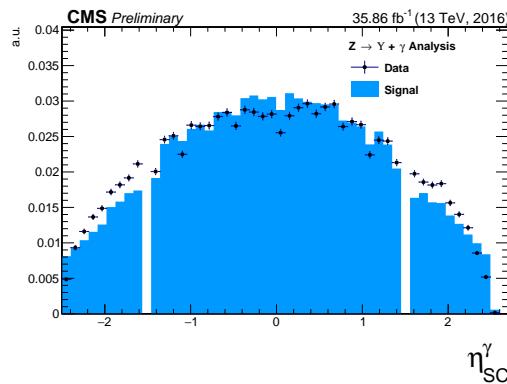
**Figure 5.6:** The  $\eta$  muon distributions from data and signal events of  $Z$  decaying into  $\Upsilon(1S, 2S, 3S) + \gamma$  after Group I of selection cuts, where on left are presenting the trailing muons and on right are the leading muons. The plots are normalized to the unit of area. The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples.



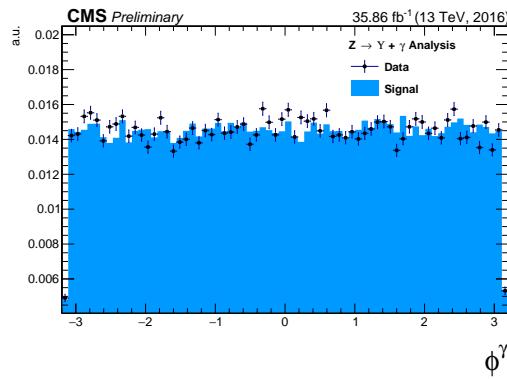
**Figure 5.7:** The  $\phi$  muon distributions from data and signal events of  $Z$  decaying into  $\Upsilon(1S, 2S, 3S) + \gamma$  after Group I of selection cuts, where on left are presenting the trailing muons and on right are the leading muons. The plots are normalized to the unit of area. The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples.



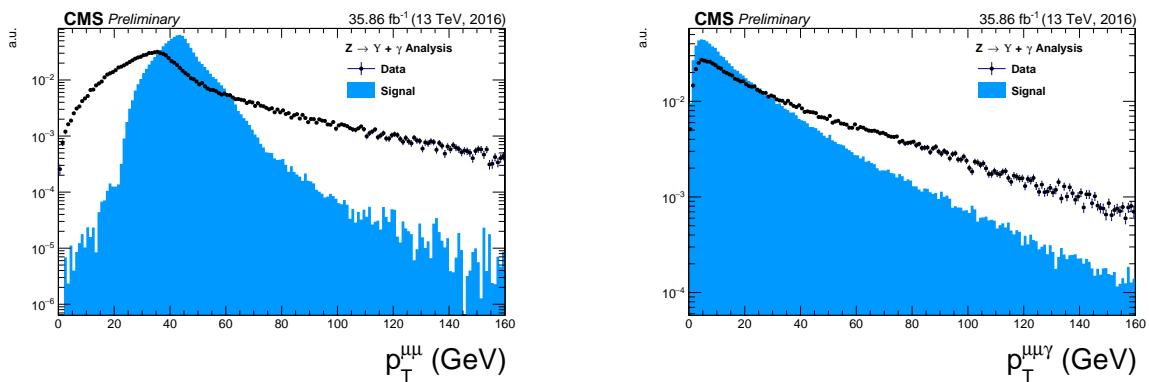
**Figure 5.8:** The  $E_T$  photon distributions from data and signal events for  $Z$  decaying into  $\Upsilon(1S, 2S, 3S) + \gamma$  Group I of selection cuts. The plots normalized to the unit of area.



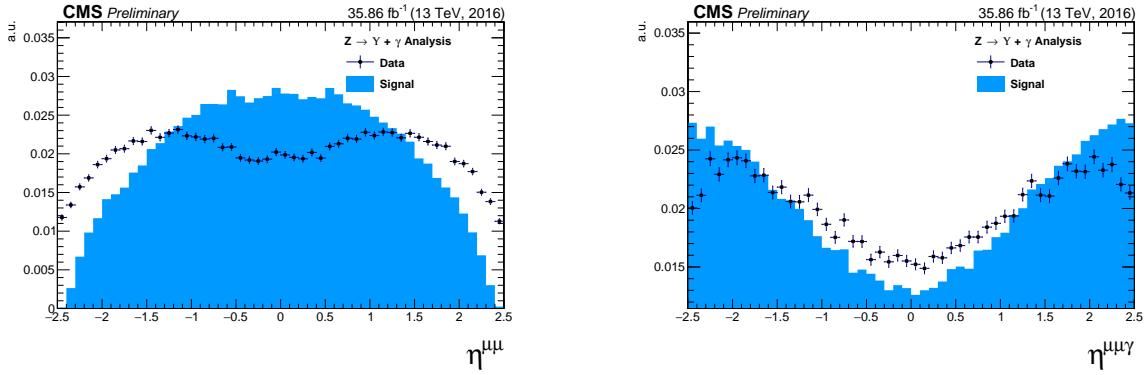
**Figure 5.9:** The  $\eta$  photon distributions from data and signal events of  $Z$  decaying into  $\Upsilon(1S, 2S, 3S) + \gamma$  after Group I of selection cuts. The plot is normalized to the unit of area.



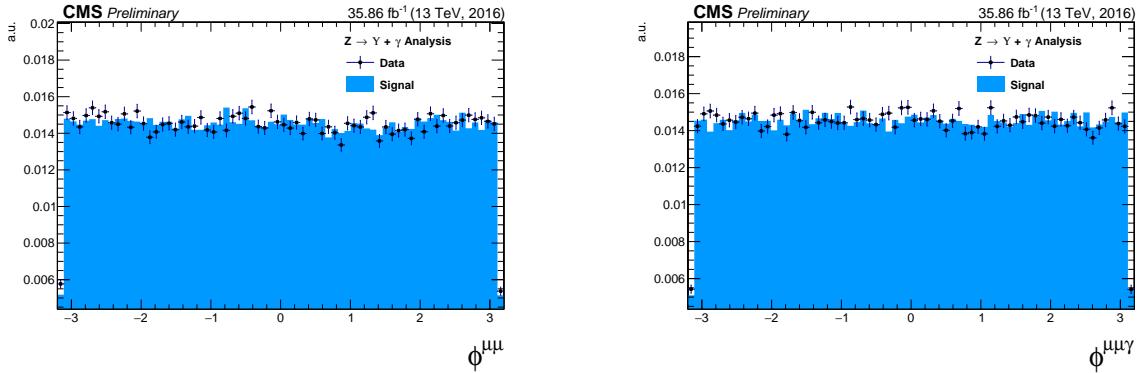
**Figure 5.10:** The  $\phi$  photon distributions from data and signal events of  $Z$  decaying into  $\Upsilon(1S, 2S, 3S) + \gamma$  after Group I of selection cuts. The plot is normalized to the unit of area.



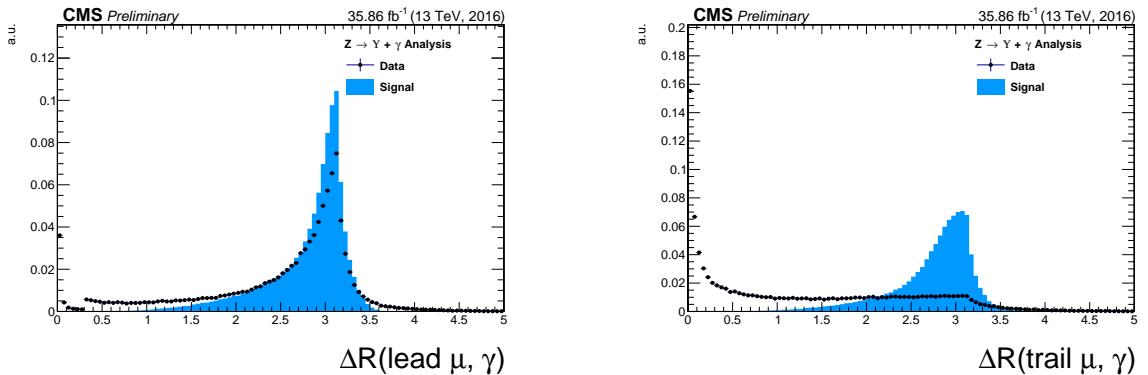
**Figure 5.11:** The  $p_T$  distributions for the reconstructed  $\Upsilon(1S, 2S, 3S)$  in the left and for  $Z$  in the right from data and signal events for  $Z$  decaying into  $\Upsilon(1S, 2S, 3S) + \gamma$  after Group I of selection cuts. The plots are normalized to the unit of area. The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples.



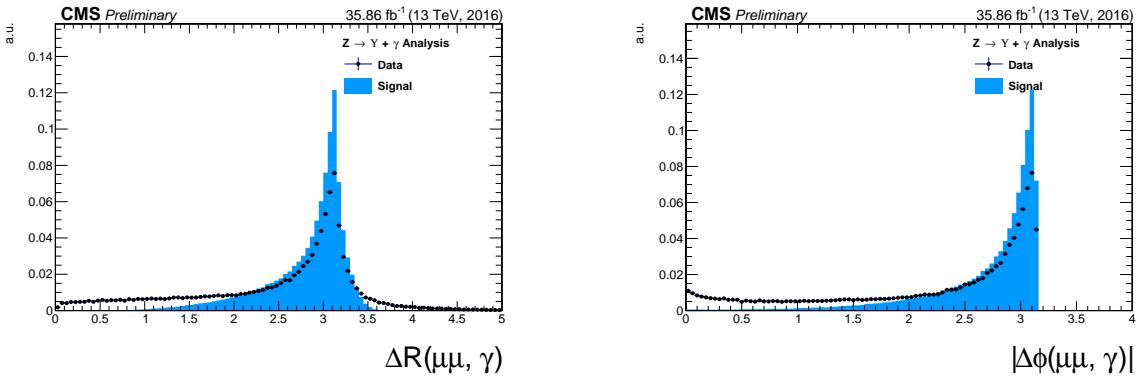
**Figure 5.12:** The  $\eta$  distributions for  $\Upsilon(1S, 2S, 3S)$  in the left and for  $Z$  in the right from data and signal events for  $Z$  decaying into  $\Upsilon(1S, 2S, 3S) + \gamma$  after Group I of selection cuts. The plots are normalized to the unit of area. The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples.



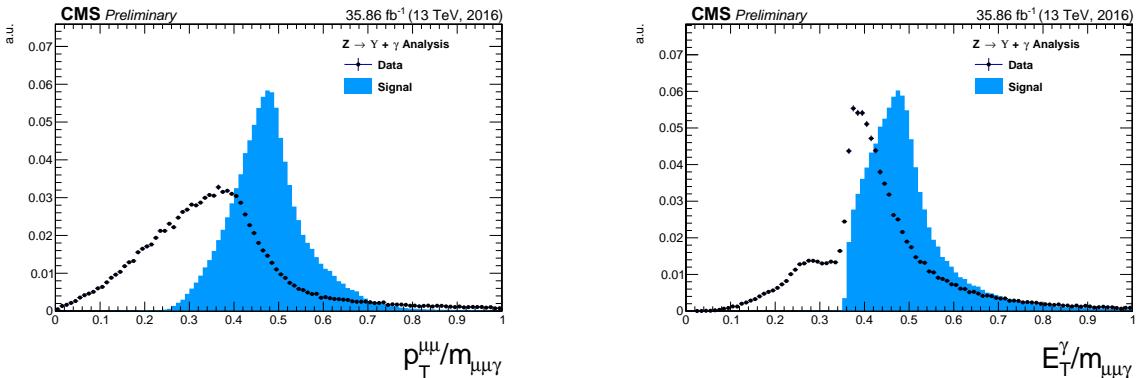
**Figure 5.13:** The  $\phi$  distributions for  $\Upsilon(1S, 2S, 3S)$  in the left and for  $Z$  in the right from data and signal events for  $Z$  decaying into  $\Upsilon(1S, 2S, 3S) + \gamma$  after Group I of selection cuts. The plots are normalized to the unit of area. The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples.



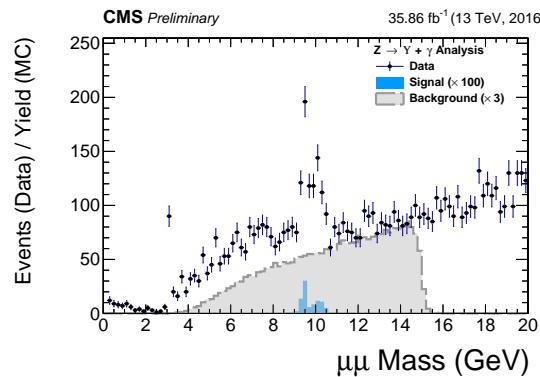
**Figure 5.14:** The  $\Delta R$  distributions between the photon and the leading muon (left) and the trailing muon (right) for for  $Z$  decaying into  $\Upsilon(1S, 2S, 3S) + \gamma$  from data and signal events after Group I of selection cuts. The plots are normalized to the unit of area. The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples.



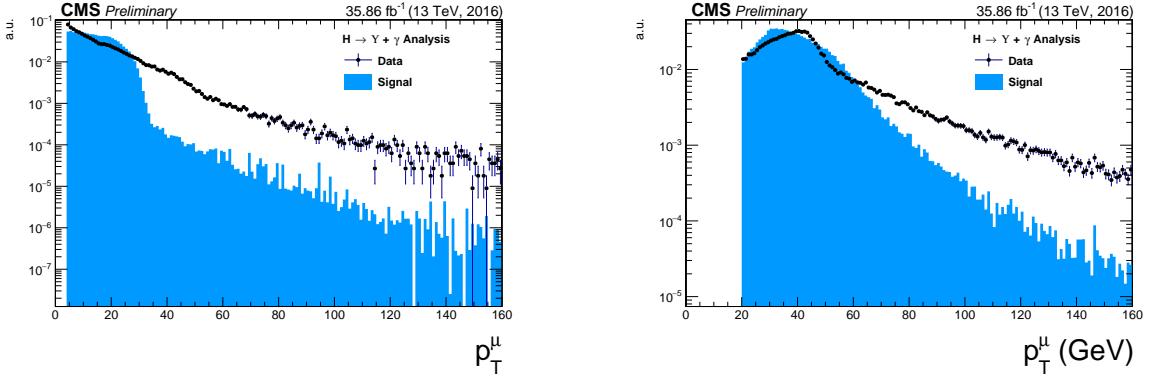
**Figure 5.15:** Left: The  $\Delta R$  distributions between reconstructed dimuon ( $\mu\mu$ ) system and the photon. Right: absolute value of the  $\Delta\phi$  between the dimuon system and the photon for  $Z$  decaying into  $\Upsilon(1S, 2S, 3S) + \gamma$  from data and signal events after Group I of selection cuts. The plots are normalized to the unit of area. The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples.



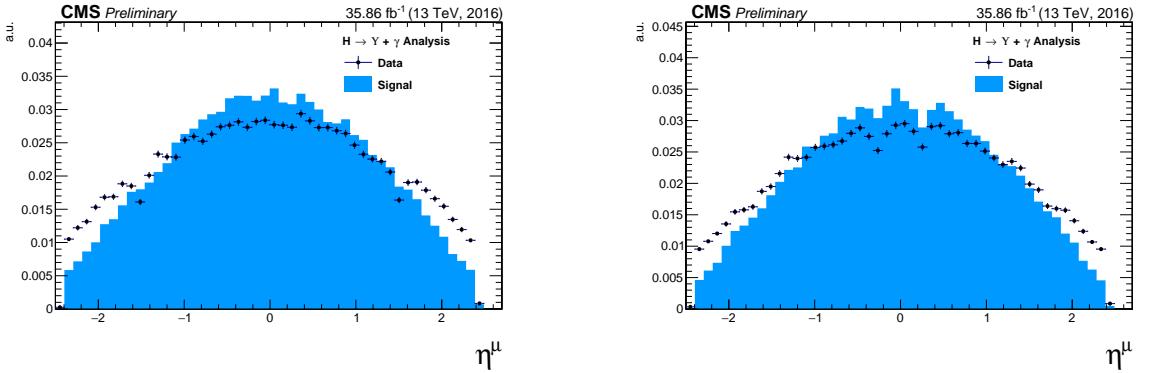
**Figure 5.16:** The ratio for the transverse momentum of the reconstructed Upsilon and the reconstructed  $Z$  mass ( $p_T^{\mu\mu} / M_{\mu\mu\gamma}$  - left) and the ratio for the transverse energy of the reconstructed Photon and the reconstructed  $Z$  mass ( $E_T^\gamma / M_{\mu\mu\gamma}$  - right) distribution for  $Z$  decaying into  $\Upsilon(1S, 2S, 3S) + \gamma$  from data and signal events after Group I of selection cuts. The plots are normalized to the unit of area. The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples.



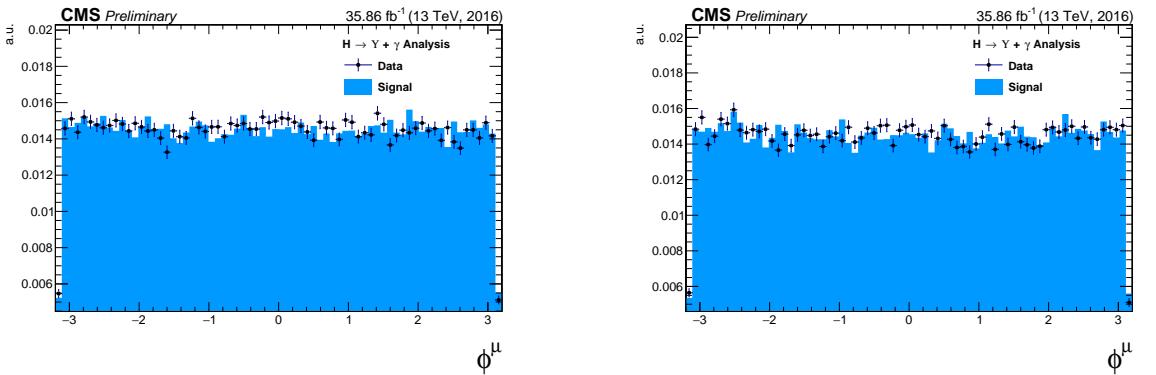
**Figure 5.17:** The dimuon mass distribution of the reconstructed  $\Upsilon(1S, 2S, 3S)$  from data and signal events for  $Z$  decaying after Group I of selection cuts. The plot is normalized to the number of events. "Signal" stands for the  $Z \rightarrow \Upsilon(1S, 2S, 3S) + \gamma$  sample (scaled by a factor of  $\times 100$ ) and "Background" corresponds to the resonant background ( $Z \rightarrow \mu\mu\gamma_{FSR}$ ) sample (scaled by a factor of  $\times 3$ ).



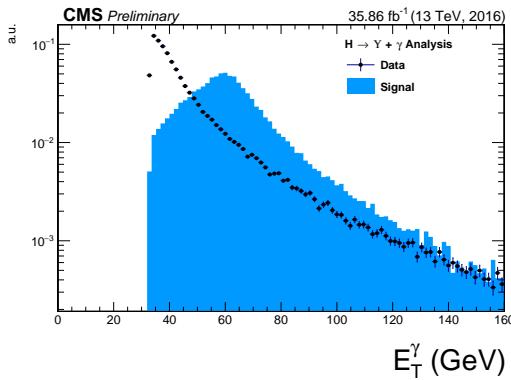
**Figure 5.18:** The  $p_T$  muon distributions from data and signal events for Higgs decaying into  $\Upsilon(1S, 2S, 3S) + \gamma$  after Group I of selection cuts, where on left are presenting the trailing muons and on right are the leading muons. The plots are normalized to the unit of area. The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples.



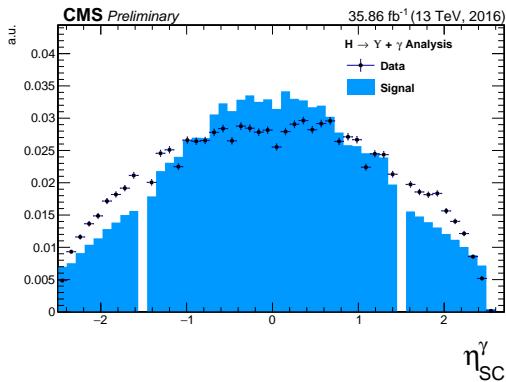
**Figure 5.19:** The  $\eta$  muon distributions from data and signal events of Higgs decaying into  $\Upsilon(1S, 2S, 3S) + \gamma$  after Group I of selection cuts, where on left are presenting the trailing muons and on right are the leading muons. The plots are normalized to the unit of area. The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples.



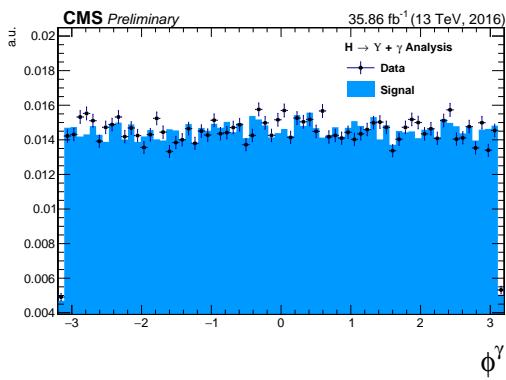
**Figure 5.20:** The  $\phi$  muon distributions from data and signal events of Higgs decaying into  $\Upsilon(1S, 2S, 3S) + \gamma$  after Group I of selection cuts, where on left are presenting the trailing muons and on right are the leading muons. The plots are normalized to the unit of area. The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples.



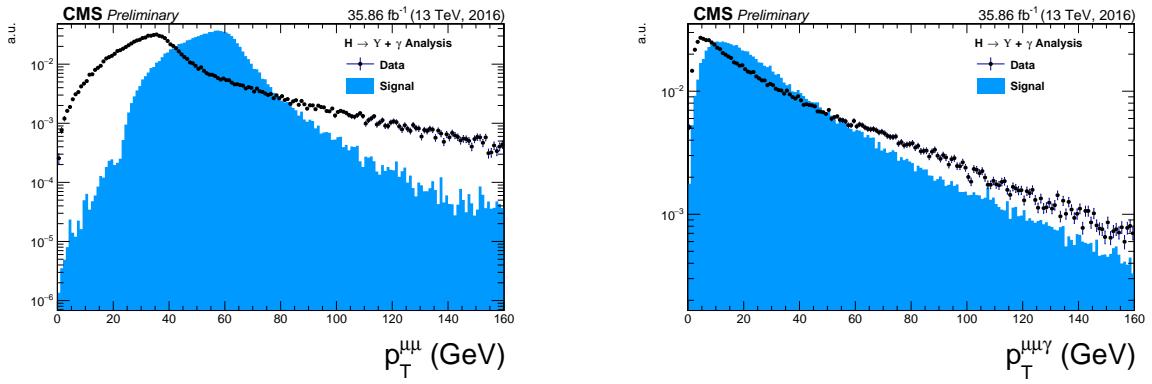
**Figure 5.21:** The  $E_T$  photon distributions from data and signal events for Higgs decaying into  $\Upsilon(1S, 2S, 3S) + \gamma$  Group I of selection cuts. The plot is normalized to the unit of area.



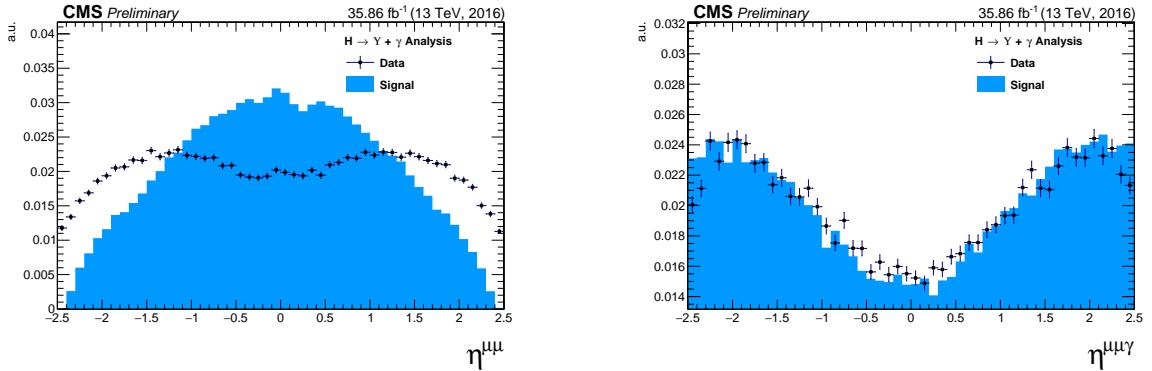
**Figure 5.22:** The  $\eta$  photon distributions from data and signal events of Higgs decaying into  $\Upsilon(1S, 2S, 3S) + \gamma$  after Group I of selection cuts. The plot is normalized to the unit of area.



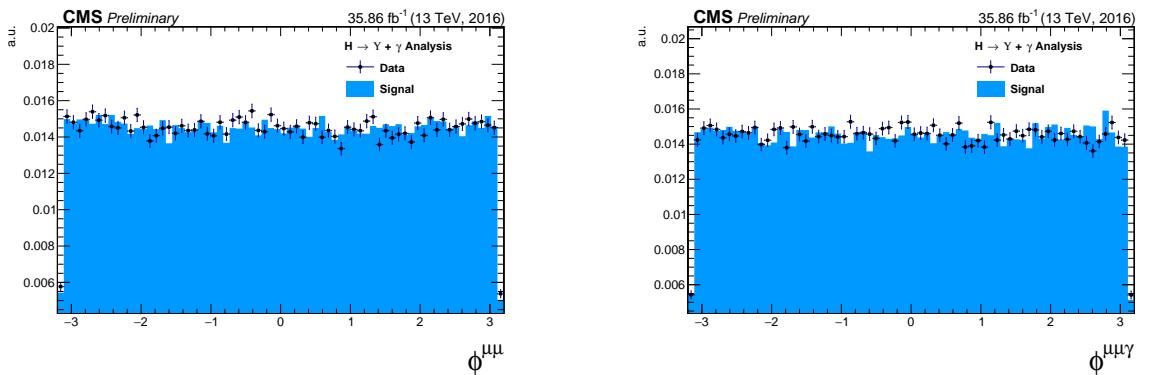
**Figure 5.23:** The  $\phi$  photon distributions from data and signal events of Higgs decaying into  $\Upsilon(1S, 2S, 3S) + \gamma$  after Group I of selection cuts. The plot is normalized to the unit of area.



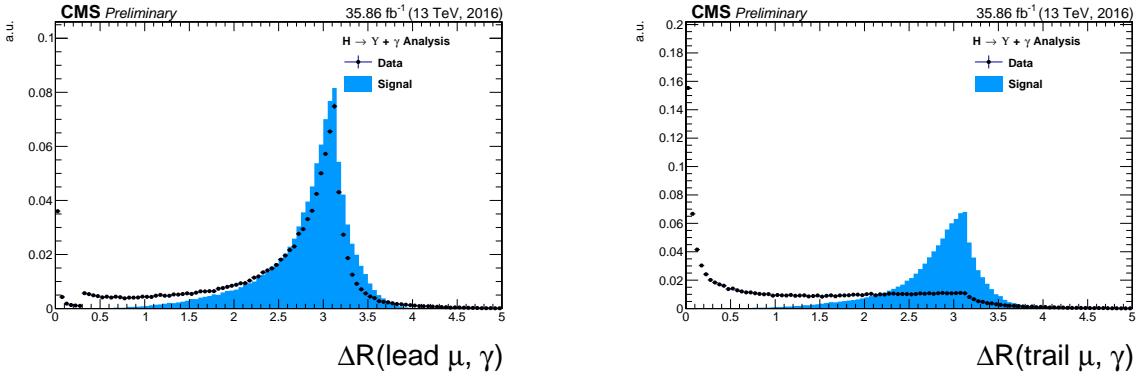
**Figure 5.24:** The  $p_T$  distributions for  $\Upsilon(1S, 2S, 3S)$  in the left and for Higgs in the right from data and signal events for Higgs decaying into  $\Upsilon(1S, 2S, 3S) + \gamma$  after Group I of selection cuts. The plots are normalized to the unit of area. The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples.



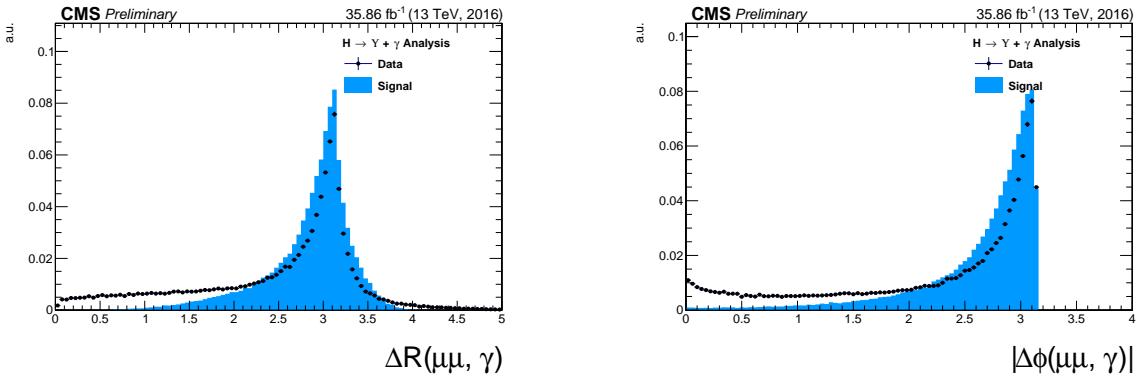
**Figure 5.25:** The  $\eta$  distributions for  $\Upsilon(1S, 2S, 3S)$  in the left and for Higgs in the right from data and signal events for Higgs decaying into  $\Upsilon(1S, 2S, 3S) + \gamma$  after Group I of selection cuts. The plots are normalized to the unit of area. The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples.



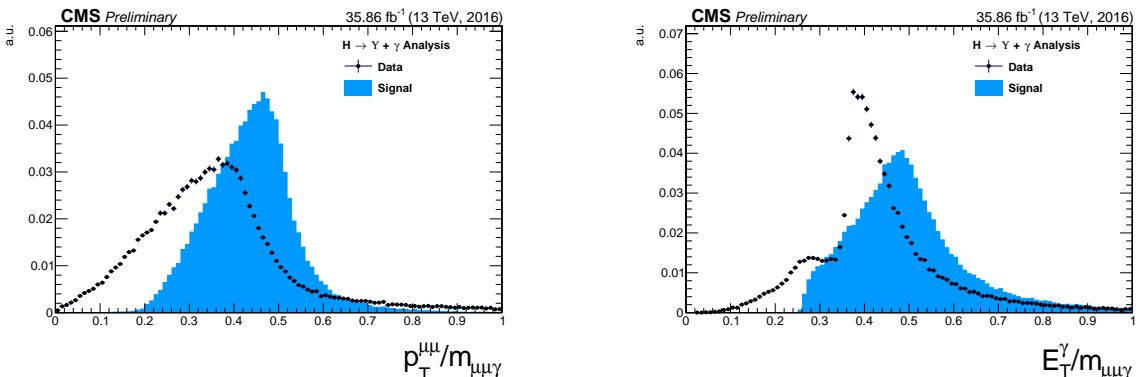
**Figure 5.26:** The  $\phi$  distributions for  $\Upsilon(1S, 2S, 3S)$  in the left and for Higgs in the right from data and signal events for Higgs decaying into  $\Upsilon(1S, 2S, 3S) + \gamma$  after Group I of selection cuts. The plots are normalized to the unit of area. The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples.



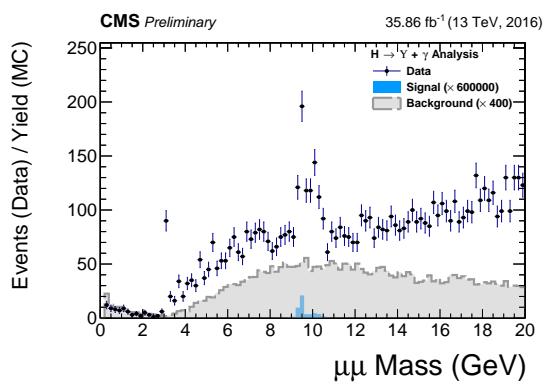
**Figure 5.27:** The  $\Delta R$  distributions between the photon and the leading muon (left) and the trailing muon (right) for Higgs decaying into  $\Upsilon(1S, 2S, 3S) + \gamma$  from data and signal events after Group I of selection cuts. The plots are normalized to the unit of area. The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples.



**Figure 5.28:** Left: The  $\Delta R$  distributions between reconstructed dimuon ( $\mu\mu$ ) system and the photon. Right: absolute value of the  $\Delta\phi$  between the dimuon system and the photon for for Higgs decaying into  $\Upsilon(1S, 2S, 3S) + \gamma$  from data and signal events after Group I of selection cuts. The plots are normalized to the unit of area. The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples.



**Figure 5.29:** The ratio for the transverse momentum of the reconstructed Upsilon and the reconstructed Higgs mass ( $p_T^{\mu\mu}/M_{\mu\mu\gamma}$  - left) and the ratio for the transverse energy of the reconstructed Photon and the reconstructed Higgs mass ( $E_T^\gamma/M_{\mu\mu\gamma}$  - right) distribution for Higgs decaying into  $\Upsilon(1S, 2S, 3S) + \gamma$  from data and signal events after Group I of selection cuts. The plots are normalized to the unit of area. The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples.



**Figure 5.30:** The dimuon mass distribution of the reconstructed  $\Upsilon(1S, 2S, 3S)$  from data and signal events for Higgs decaying after Group I of selection cuts. This plot is normalized the expected number of events. "Signal" stands for the  $H \rightarrow \Upsilon(1S, 2S, 3S) + \gamma$  sample (scaled by a factor of  $\times 600000$ ) and "Background" corresponds to the resonant background (Higgs Dalitz Decay) sample (scaled by a factor of  $\times 400$ ).

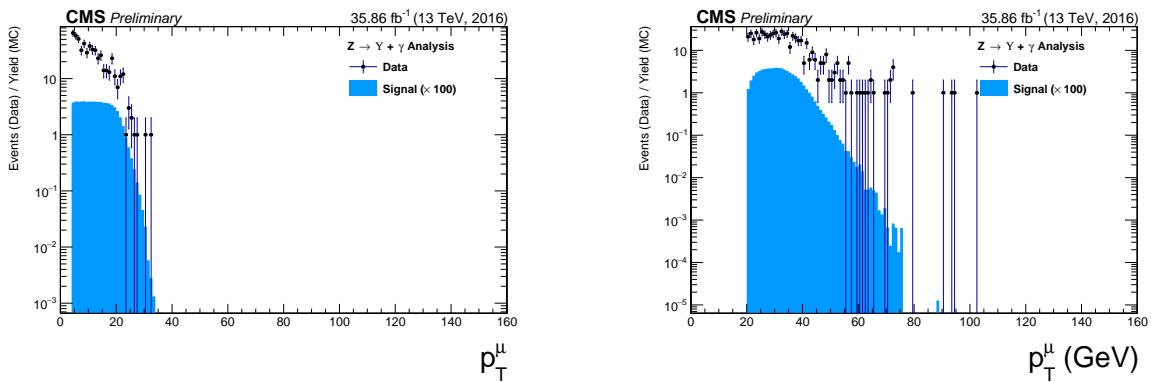
## 5.6 Kinematical selection (Group II)

After all Trigger and Object Identification cuts, described in before (**Group I**), a set of kinematical cuts are applied in order to improve the signal to background relation. They are

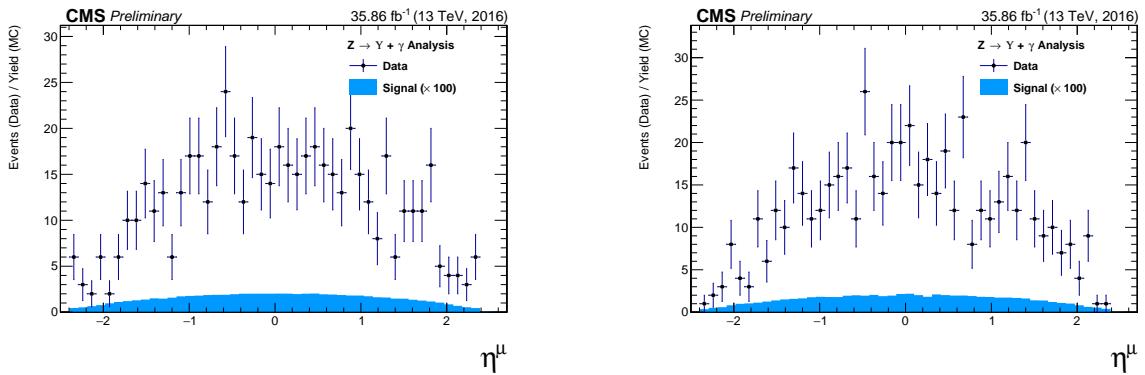
- $\Delta R(\text{leading } \mu, \gamma) > 1$ ;
- $\Delta R(\text{trailing } \mu, \gamma) > 1$ ;
- $\Delta R(\mu\mu, \gamma) > 2$ ;
- $|\Delta\phi(\text{leading } \mu, \gamma)| > 1.5$ ;
- $8.4 \text{ GeV} < M_{\mu\mu} < 11.1 \text{ GeV}$ ;
- $E_T^\gamma/M_{\mu\mu\gamma} > 35/91.2$  for the Z decay or  $35/125$  for the Higgs decay;
- $p_T^{\mu\mu}/M_{\mu\mu\gamma} > 35/91.2$  for the Z decay or  $35/125$  for the Higgs decay.

The choice of these thresholds were based on the visual inspection of the distributions (besides the invariant mass distribution of the dimuon system  $M_{\mu\mu}$ , which needs to be defined around the  $\Upsilon(1S, 2S, 3S)$  mass) and to keep this analysis in phase with other similar analysis within CMS.

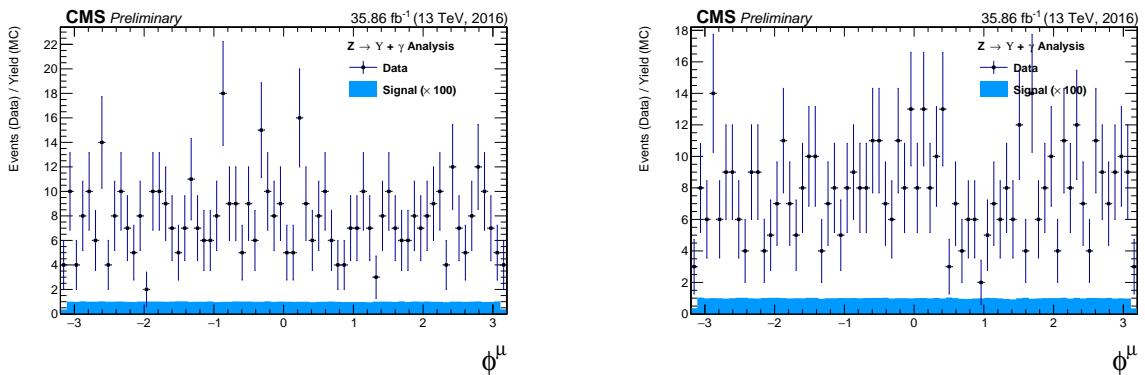
Below it is shown the same set of plot shown before, but this time, taking into account the full selection (**Group I+II**).



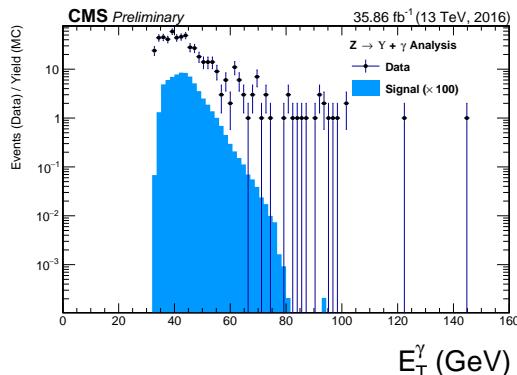
**Figure 5.31:** The  $p_T$  muon distributions from data and signal events for Z decaying into  $\Upsilon(1S, 2S, 3S) + \gamma$  after Group I+II of selection cuts, where on left are presenting the trailing muons and on right are the leading muons. The plots are normalized to the number of events. Signal sample is scaled by a factor of  $\times 100$ ). The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples.



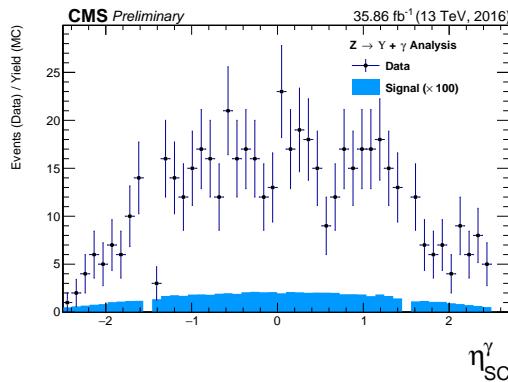
**Figure 5.32:** The  $\eta$  muon distributions from data and signal events of Z decaying into  $\Upsilon(1S, 2S, 3S) + \gamma$  after Group I+II of selection cuts, where on left are presenting the trailing muons and on right are the leading muons. The plots are normalized to the number of events. Signal sample is scaled by a factor of  $\times 100$ . The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples.



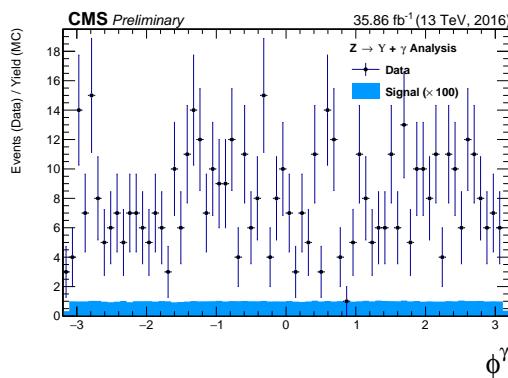
**Figure 5.33:** The  $\phi$  muon distributions from data and signal events of Z decaying into  $\Upsilon(1S, 2S, 3S) + \gamma$  after Group I+II of selection cuts, where on left are presenting the trailing muons and on right are the leading muons. The plots are normalized to the number of events. Signal sample is scaled by a factor of  $\times 100$ . The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples.



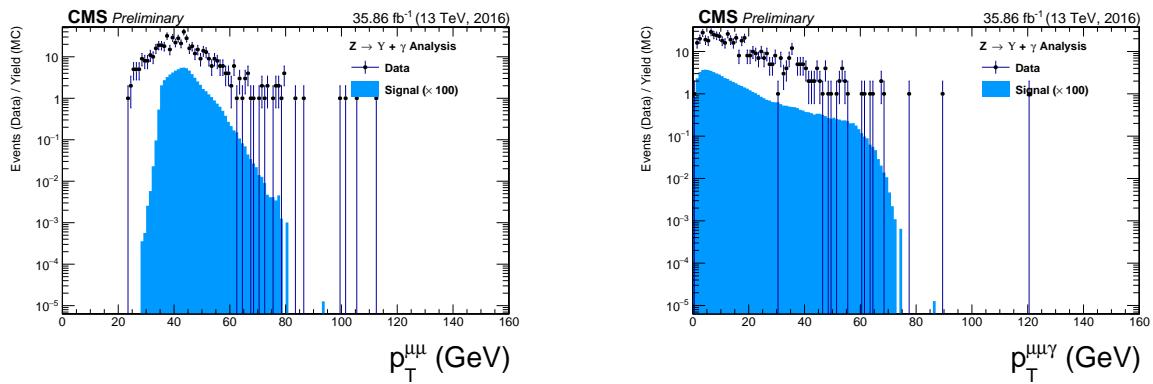
**Figure 5.34:** The  $E_T$  photon distributions from data and signal events for Z decaying into  $\Upsilon(1S, 2S, 3S) + \gamma$  all (Group I+II) selection cuts. The plot is normalized to the number of events. Signal sample is scaled by a factor of  $\times 100$ .



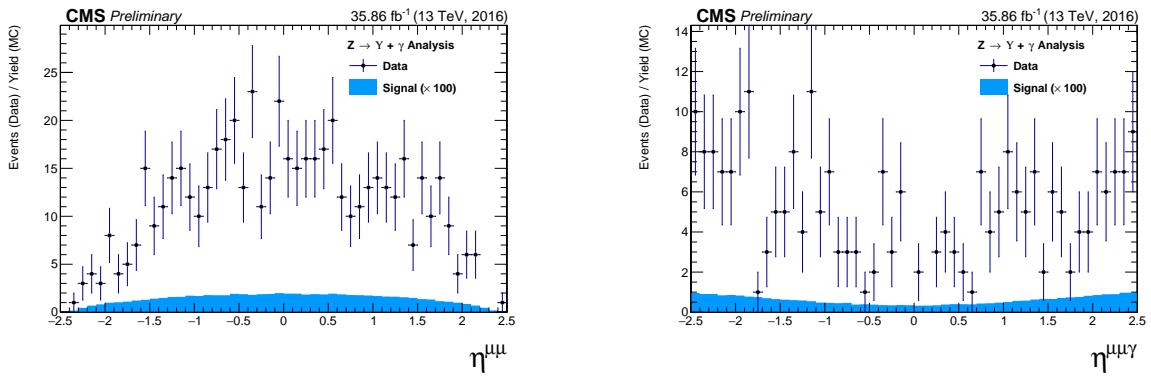
**Figure 5.35:** The  $\eta$  photon distributions from data and signal events of  $Z$  decaying into  $\Upsilon(1S, 2S, 3S) + \gamma$  after all (Group I+II) selection cuts. The plot is normalized to the number of events. Signal sample is scaled by a factor of  $\times 100$ .



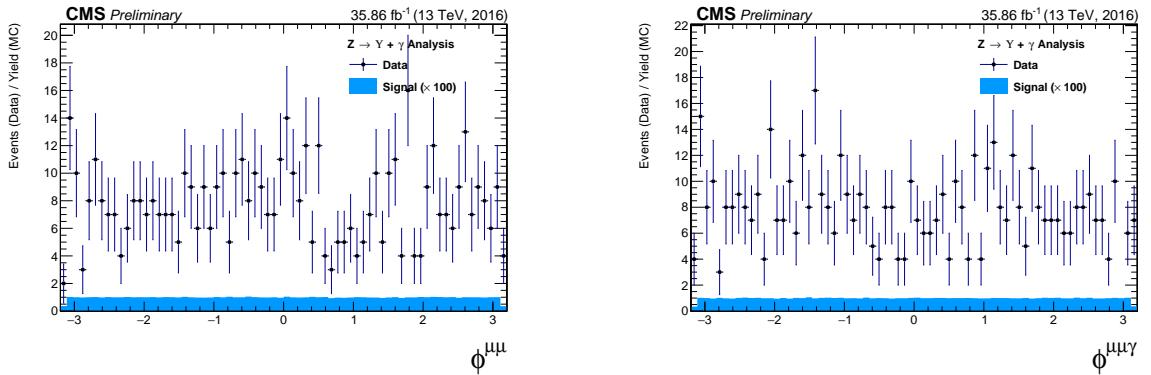
**Figure 5.36:** The  $\phi$  photon distributions from data and signal events of  $Z$  decaying into  $\Upsilon(1S, 2S, 3S) + \gamma$  after all (Group I+II) selection cuts. The plot is normalized to the number of events. Signal sample is scaled by a factor of  $\times 100$ .



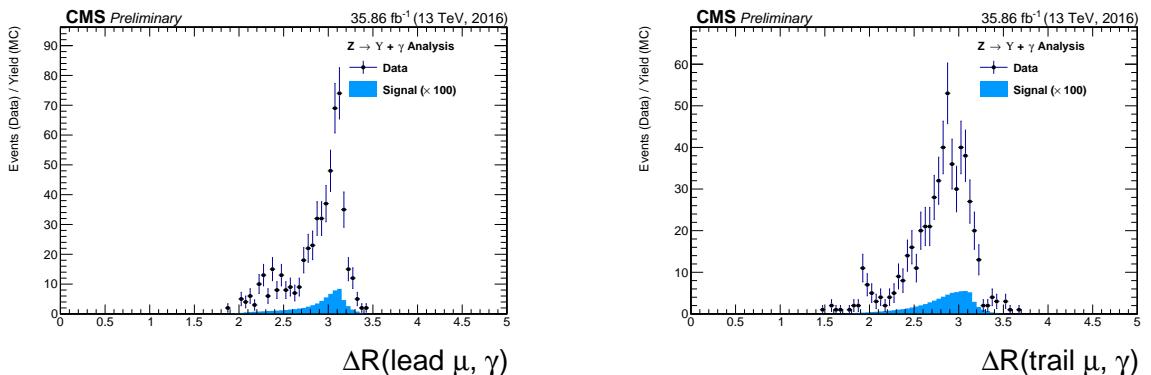
**Figure 5.37:** The  $p_T$  distributions for  $\Upsilon(1S, 2S, 3S)$  in the left and for  $Z$  in the right from data and signal events for  $Z$  decaying into  $\Upsilon(1S, 2S, 3S) + \gamma$  after all (Group I+II) selection cuts. The plots are normalized to the number of events. Signal sample is scaled by a factor of  $\times 100$ . The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples.



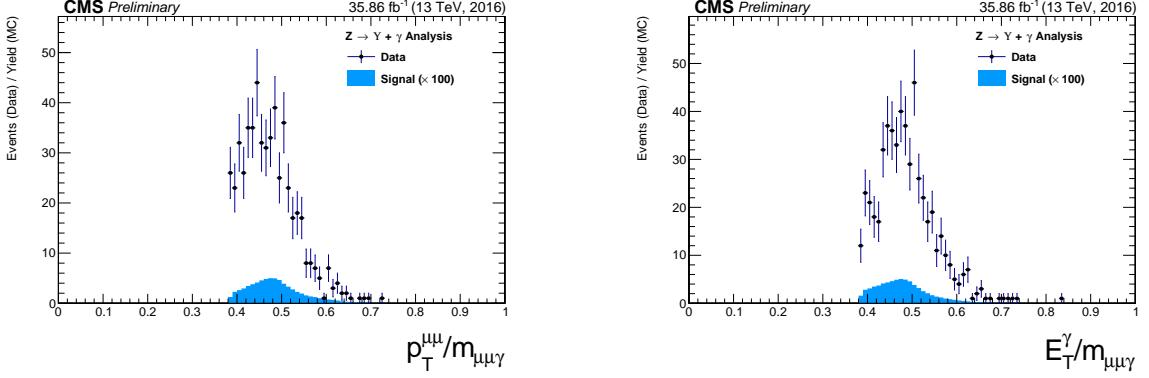
**Figure 5.38:** The  $\eta$  distributions for  $\Upsilon(1S, 2S, 3S)$  in the left and for  $Z$  in the right from data and signal events for  $Z$  decaying into  $\Upsilon(1S, 2S, 3S) + \gamma$  after all (Group I+II) selection cuts. The plots are normalized to the number of events. Signal sample is scaled by a factor of  $\times 100$ . The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples.



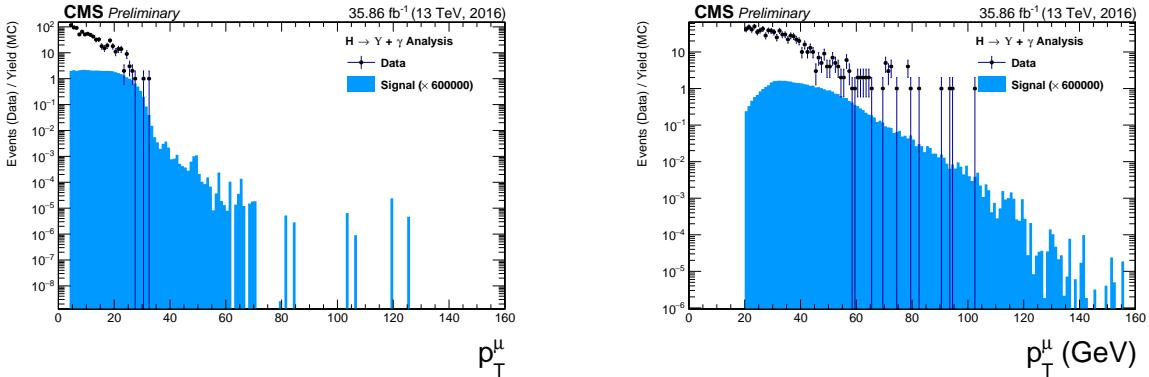
**Figure 5.39:** The  $\phi$  distributions for  $\Upsilon(1S, 2S, 3S)$  in the left and for  $Z$  in the right from data and signal events for  $Z$  decaying into  $\Upsilon(1S, 2S, 3S) + \gamma$  after all (Group I+II) selection cuts. The plots are normalized to the number of events. Signal sample is scaled by a factor of  $\times 100$ . The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples.



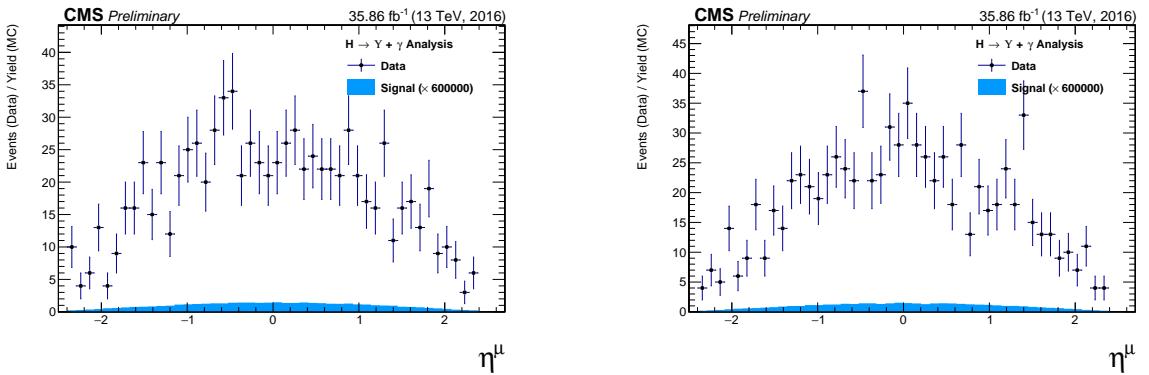
**Figure 5.40:** The  $\Delta R$  distributions between the photon and the leading muon (left) and the trailing muon (right) for  $\Upsilon(1S, 2S, 3S)$  from data and signal events for  $Z$  decaying after all (Group I+II) selection cuts. The plots are normalized to the number of events. Signal sample is scaled by a factor of  $\times 100$ . The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples.



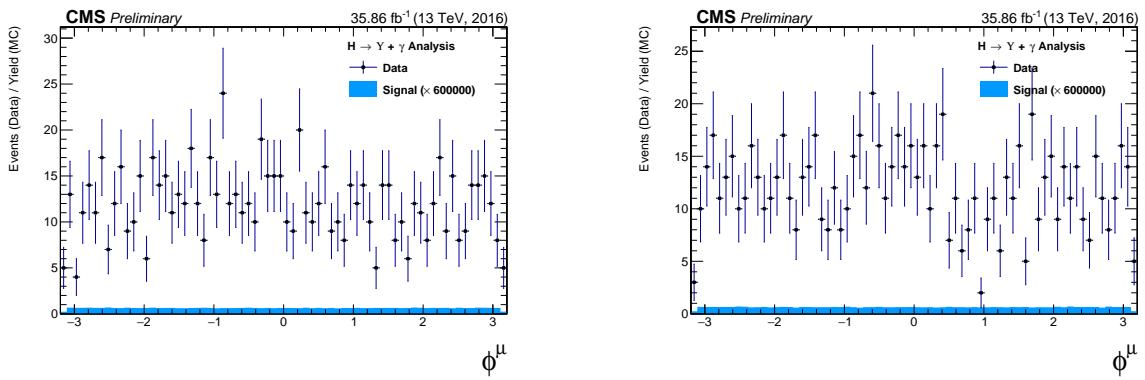
**Figure 5.41:** The ratio for the transverse momentum of the reconstructed Upsilon and the reconstructed Z mass ( $p_T^{\mu\mu} / M_{\mu\mu\gamma}$  - left) and the ratio for the transverse energy of the reconstructed Photon and the reconstructed Z mass ( $E_T^\gamma / M_{\mu\mu\gamma}$  - right) distribution for  $\Upsilon(1S, 2S, 3S)$  from data and signal events for Z decaying after all (Group I+II) selection cuts. The plots are normalized to the number of events. Signal sample is scaled by a factor of  $\times 100$ ). The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples.



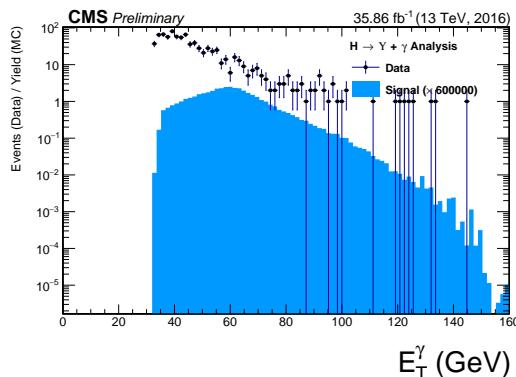
**Figure 5.42:** The  $p_T$  muon distributions from data and signal events for Higgs decaying into  $\Upsilon(1S, 2S, 3S) + \gamma$  after Group I of selection cuts, where on left are presenting the trailing muons and on right are the leading muons. The plots are normalized to the number of events. Signal sample is scaled by a factor of  $\times 600000$ ). The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples.



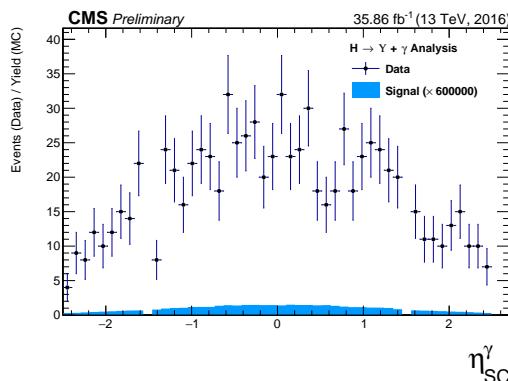
**Figure 5.43:** The  $\eta$  muon distributions from data and signal events of Higgs decaying into  $\Upsilon(1S, 2S, 3S) + \gamma$  after Group I of selection cuts, where on left are presenting the trailing muons and on right are the leading muons. The plots are normalized to the number of events. Signal sample is scaled by a factor of  $\times 600000$ ). The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples.



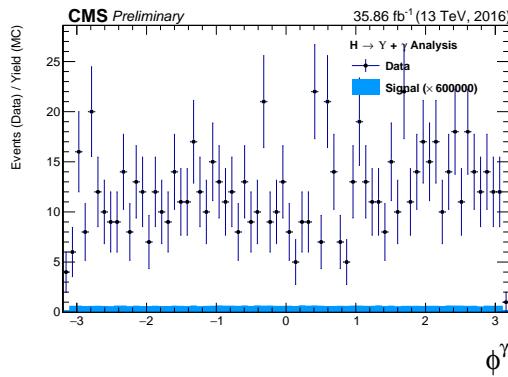
**Figure 5.44:** The  $\phi$  muon distributions from data and signal events of Higgs decaying into  $\Upsilon(1S, 2S, 3S) + \gamma$  after Group I of selection cuts, where on left are presenting the trailing muons and on right are the leading muons. The plots are normalized to the number of events. Signal sample is scaled by a factor of  $\times 600000$ ). The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples.



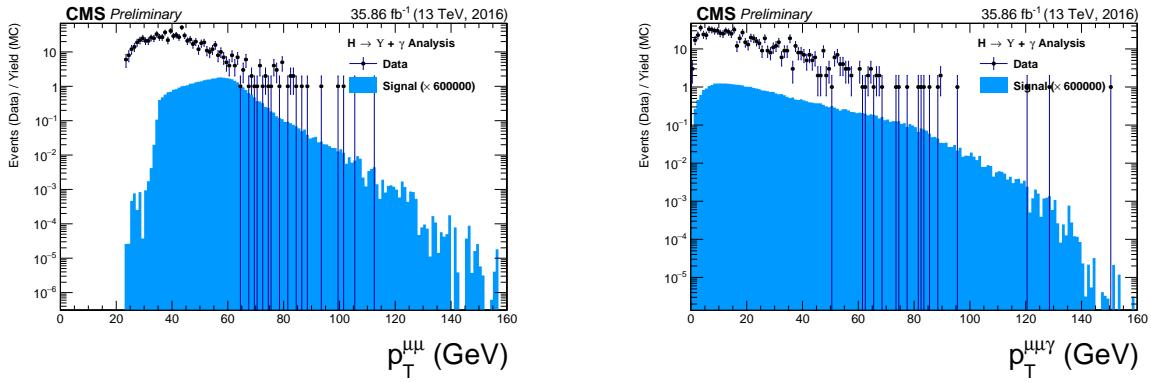
**Figure 5.45:** The  $E_T$  photon distributions from data and signal events for Higgs decaying into  $\Upsilon(1S, 2S, 3S) + \gamma$  all (Group I+II) selection cuts. The plot is normalized to the number of events. Signal sample is scaled by a factor of  $\times 600000$ ).



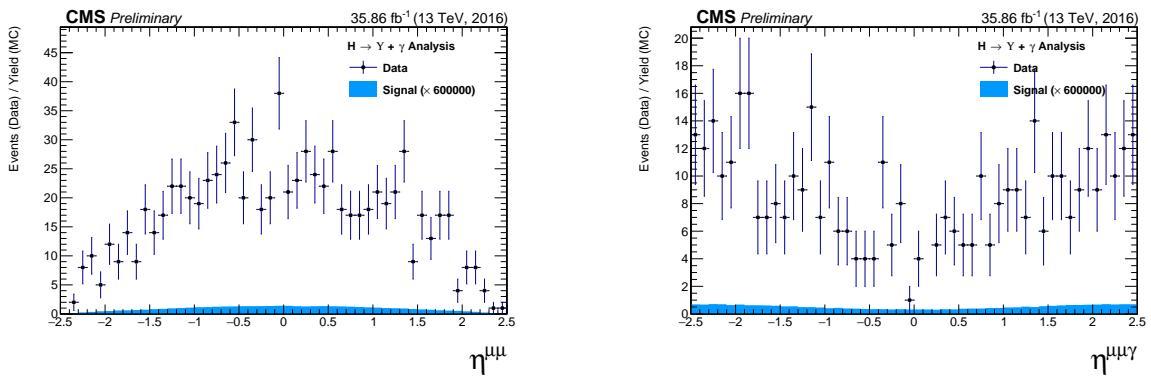
**Figure 5.46:** The  $\eta$  photon distributions from data and signal events of Higgs decaying into  $\Upsilon(1S, 2S, 3S) + \gamma$  after all (Group I+II) selection cuts. The plot is normalized to the number of events. Signal sample is scaled by a factor of  $\times 600000$ ).



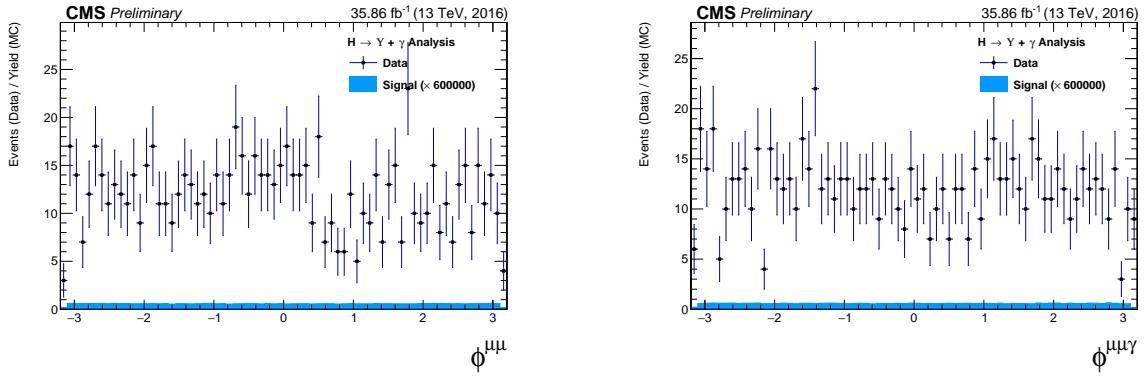
**Figure 5.47:** The  $\phi$  photon distributions from data and signal events of Higgs decaying into  $\Upsilon(1S, 2S, 3S) + \gamma$  after all (Group I+II) selection cuts. The plot is normalized to the number of events. Signal sample is scaled by a factor of  $c$ .



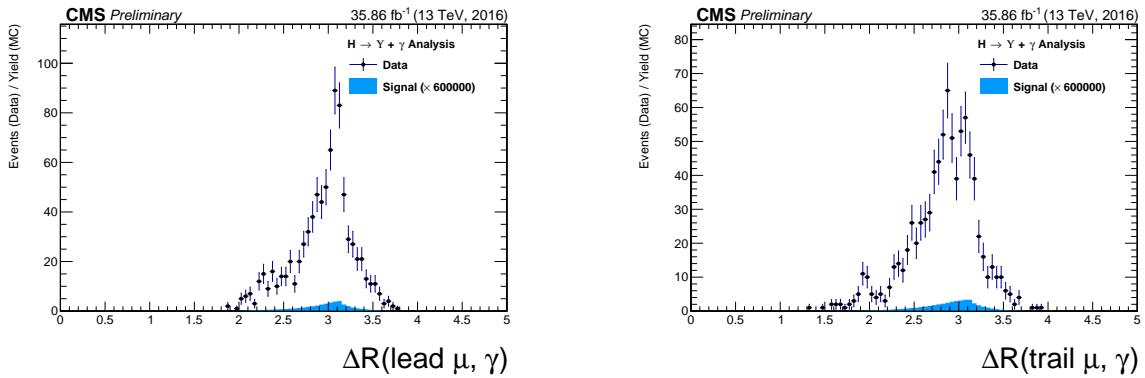
**Figure 5.48:** The  $p_T$  distributions for  $\Upsilon(1S, 2S, 3S)$  in the left and for Higgs in the right from data and signal events for Higgs decaying into  $\Upsilon(1S, 2S, 3S) + \gamma$  after all (Group I+II) selection cuts. The plots are normalized to the number of events. Signal sample is scaled by a factor of  $\times 600000$ ). The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples.



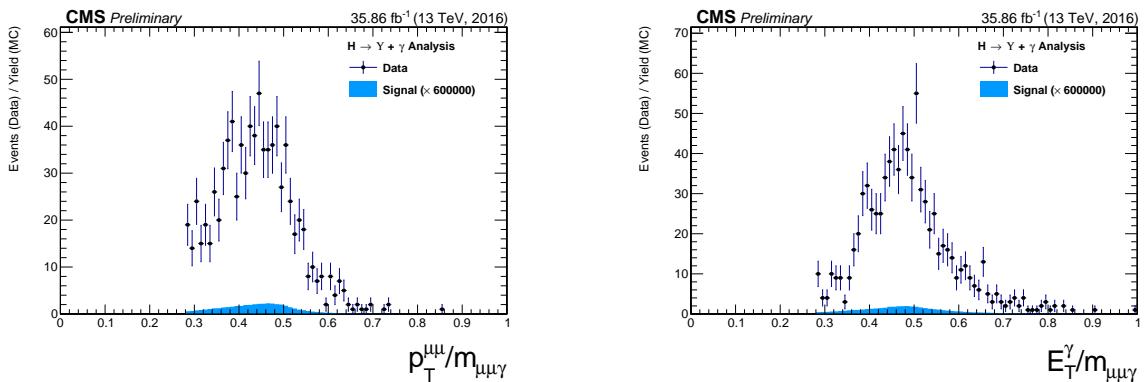
**Figure 5.49:** The  $\eta$  distributions for  $\Upsilon(1S, 2S, 3S)$  in the left and for Higgs in the right from data and signal events for Higgs decaying into  $\Upsilon(1S, 2S, 3S) + \gamma$  after all (Group I+II) selection cuts. The plots are normalized to the number of events. Signal sample is scaled by a factor of  $\times 600000$ ). The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples.



**Figure 5.50:** The  $\phi$  distributions for  $\Upsilon(1S, 2S, 3S)$  in the left and for Higgs in the right from data and signal events for Higgs decaying into  $\Upsilon(1S, 2S, 3S) + \gamma$  after all (Group I+II) selection cuts. The plots are normalized to the number of events. Signal sample is scaled by a factor of  $\times 600000$ ). The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples.



**Figure 5.51:** The  $\Delta R$  distributions between the photon and the leading muon (left) and the trailing muon (right) for  $\Upsilon(1S, 2S, 3S)$  from data and signal events for Higgs decaying after all (Group I+II) selection cuts. The plots are normalized to the number of events. Signal sample is scaled by a factor of  $\times 600000$ ). The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples.



**Figure 5.52:** The ratio for the transverse momentum of the reconstructed Upsilon and the reconstructed Higgs mass ( $p_T^{\mu\mu}/M_{\mu\mu\gamma}$  - left) and the ratio for the transverse energy of the reconstructed Photon and the reconstructed Higgs mass ( $E_T^\gamma/M_{\mu\mu\gamma}$  - right) distribution for  $\Upsilon(1S, 2S, 3S)$  from data and signal events for Higgs decaying after all (Group I+II) selection cuts. The plots are normalized to the number of events. Signal sample is scaled by a factor of  $\times 600000$ ). The black dots are data collect by CMS while the blue distribution is related only to the signal Monte-Carlo generated samples.

## 5.7 Event categorization and yields

In order to increase the sensibility of the analysis, a categorization procedure was applied. They are based on the  $\eta$  and R9 distribution of the reconstructed photon.

The photon R9 is a shower shape variable defined as the fraction of energy deposited in the 5x5 square of calorimeter crystals surrounding the Super Cluster seed of the reconstructed photon. A photon that convert before reaching the ECAL tend to have lower values of R9, in comparison with unconverted photons. Converted photons have wider energy resolution and are more likely to be misidentified.

Selected events with the photon reconstructed inside the barrel and with  $R9 > 0.94$  are categorized as "EB High R9"<sup>8</sup>, selected events with the photon reconstructed inside the barrel and with  $R9 < 0.94$  are categorized as "EB Low R9" and selected events with the photon reconstructed inside the endcap, regardless of its R9 value, categorized as "EE". This categorization is done in view of increase the analysis sensitivity.

This categorization is implemented only for the Z decay. The Higgs does not present enough statistics to make it profitable, so only the inclusive one is used.

### 5.7.1 R9 reweighting

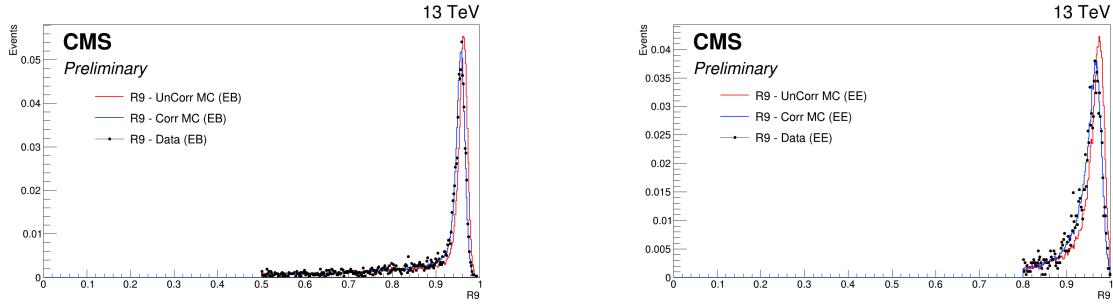
As spotted by the  $H \rightarrow \gamma\gamma$  analysis, during Run1 [145], there is a disagreement in the R9 distribution of photons in Data and MC. In order to mitigate this difference, a transformation factor is extracted and applied to the reconstructed photons before the categorization.

The same approach of the  $H \rightarrow \gamma\gamma$  analysis is applied, in which the nominal photon selection of this analysis (see section 5.5.3) is used to select photons on Data and MC. Then the two distributions are remapped and the transformation factors are extracted.

Figure 5.53 shows the R9 distribution before and after the reweighting, for the Barrel and the Endcap.

---

<sup>8</sup>EB stands for Electromagnetic Barrel



**Figure 5.53:** Data and MC of the R9 variable, before and after the reweighting. Barrel (left) and Endcap (right).

### 5.7.2 Event counting and yields

Tables 5.4 and 5.5 show the total number of events before and after the full selection. Two things are important to notice.

**Table 5.4:** Number of events for the Z decay, before and after the full selection, per categorization scenarios.

	Data	Signal $Z \rightarrow \Upsilon(nS) + \gamma$			$Z \rightarrow \mu\mu\gamma_{FSR}$
		$n = 1$	$n = 2$	$n = 3$	
Total	169.84 M	3.54	1.4	1.22	$3.33 \times 10^3$
Inclusive	447	0.393	0.157	0.136	176
EB High R9	197	0.172	0.0682	0.0597	78
EB Low R9	146	0.129	0.0519	0.0448	58.5
EE	104	0.0916	0.0365	0.032	39.8

**Table 5.5:** Number of events for the H decay, before and after the full selection.

	Data	Signal $H \rightarrow \Upsilon(nS) + \gamma$			$H \rightarrow \gamma\gamma^*$
		$n = 1$	$n = 2$	$n = 3$	
Total	169.84 M	0.000257	$5.43 \times 10^{-5}$	$3.93 \times 10^{-5}$	136
Inclusive	231	$5.23 \times 10^{-5}$	$1.2 \times 10^{-5}$	$8.96 \times 10^{-6}$	1.22

The signal selection efficiency is between 20% and 21% for all  $\Upsilon$  states and categories.

When one compares the fraction of selected resonant background, with respect to the selected data events for the Higgs decay ( $1.22/231$ ), the fraction obtained ( $\sim 0.3\%$ ) is irrelevant. On the other hand, the same fraction for the Z decay ( $176/447$ ) is far from irrelevant ( $\sim 39\%$ )<sup>9</sup>. The same relation is not found in the  $H/Z \rightarrow J/\Psi + \gamma$

<sup>9</sup>It is worth to keep in mind that this is a estimation based on MC

analysis [61], where both decays (Higgs and Z) show neglectable estimations of resonant background contribution to data. The very same behavior was found by ATLAS [58]. It can be explained by the relatively larger cross-section of the Z resonant background ( $Z \rightarrow \mu\mu\gamma_{FSR}$ ), with respect to the Higgs resonant background (Higgs Dalitz Decay). For the  $J/\psi$  channel, it is not an issue since its cross-section is way larger than the resonant background. The figures 5.17 and 5.30 help to clarify these affirmations, for the Z and Higgs decay, respectively. One can easily see how clear the  $J/\Psi$  peak is in both decays and how minor the Higgs Dalitz Decay contributions is to the  $\Upsilon$  peak, with respect to the  $Z \rightarrow \mu\mu\gamma_{FSR}$  contribution. It is important to keep in mind the different scaling of the resonant background distributions, the yields are multiplied by  $\times 3$  for the Z and  $\times 100$  for the Higgs. The resonant background to the data due to  $Z \rightarrow \Upsilon(1S, 2S, 3S) + \gamma$  channel is the main motivation to use a 2-dimensional modeling fitting of the signal and background events, in order to add one more layer of differentiation between many backgrounds contributions which will be detailed in the next section.

## 5.8 Background modeling

The background statistical modeling proposed for this analysis is a two dimensional unbinned maximum likelihood fit on the  $\mu\mu$  and the  $\mu\mu\gamma$  invariant mass distributions. It is considered and modeled, as briefly discussed in 5.1.2, three kinds of backgrounds:

- **Full Combinatorial:** any combination of two muon and one photon that pass all the object reconstruction and event selection criteria.
- **$\Upsilon$  Combinatorial:** a  $\Upsilon(1S, 2S, 3S)$ , that decays to a dimuon system, combined with a misidentified photon (misreconstructed, pileup photon, etc.), that pass all the object reconstruction, identification and event selection criteria.
- **Resonant background:** a Z (or Higgs) that decays straight to a  $\mu\mu\gamma$ , that pass all the object reconstruction and event selection criteria, without passing through any intermediate state. The main contributions considered for this background are  $Z \rightarrow \mu\mu\gamma_{FSR}$  (a Z decaying to a dimuon system with one of the muons irradiating a photon) or a Higgs Dalitz Decay.

All of them will be modeled from data, with some inputs from the MC (simulated) samples, as explained below. For both invariant mass spectra ( $\mu\mu$  and  $\mu\mu\gamma$ ) the full combinatorial background is expected to behave like a non-resonant distribution. The same behavior is expected for the  $\mu\mu\gamma$  mass distribution of the  $\Upsilon$  Combinatorial background and for the  $\mu\mu$  mass distribution of the resonant background.

On the other hand, the  $\mu\mu$  distribution of the  $\Upsilon$  Combinatorial background and the  $\mu\mu\gamma$  mass distribution for the resonant background are expected to behave like a resonant distribution, centered around the  $\Upsilon(1S, 2S, 3S)$  invariant mass (9.46 GeV, 10.02 GeV and 10.35 GeV) [13] and the Z boson invariant mass (91.2 GeV) [13], respectively . Table 5.6 summarizes the background modeling proposed for this analysis.

For the  $Z \rightarrow \Upsilon(1S, 2S, 3S) + \gamma$  analysis, the resonant background model parameters are extracted by performing a simultaneous 2-dimensional fit over the invariant masses,  $m_{\mu\mu}$  and  $m_{\mu\mu\gamma}$ , of the simulated  $Z \rightarrow \mu\mu\gamma_{FSR}$  MC sample of events that passes the selection described in Section 5.4, as in figure 5.54. Once the parameters are extracted,

**Table 5.6:** Modeling for each background source and mass component.

	$m_{\mu\mu}$	$m_{\mu\mu\gamma}$
<b>Resonant background</b>	Bernstein 1 <sup>st</sup> order	Crystal Ball (Higgs decay) Double Crystal Ball (Z decay)
<b><math>\Upsilon</math> Combinatorial</b>	3 Gaussians	
<b>Full Combinatorial</b>	Chebychev 1 <sup>st</sup> order	Polynomial

they are fixed and the *pdf* (Probability Distributions Function) of the 2-Dimensional modeling is stored, leaving only the normalization of the *pdf* as a parameter free to float (this will be determined from data).

In order to describe the 2-dimensional invariant mass distribution of the Resonant Background, as stated in Table 5.6, the  $m_{\mu\mu}$  component is described by a Bernstein polynomial of 1<sup>st</sup> order [146], which is used here just a representation of a linear function. The  $m_{\mu\mu\gamma}$  component is described by Double Crystal Ball function [147]. A Crystal Ball function is a *pdf* composed by a gaussian distribution and a power-law tail to the left, before certain threshold. The Crystal Ball function was named after the Crystal Ball Collaboration (first to use this *pdf*) and it is widely used in high-energy physics to describe mass distributions that incorporate FSR (final state radiation) effects, via the power-law tail. A Double Crystal Ball is a Crystal Ball function with the power-law tail on both sides.

A Crystal Ball function is defined as:

$$CB(x; \alpha, n, \bar{x}, \sigma) = N \cdot \begin{cases} \exp(-\frac{(x-\bar{x})^2}{2\sigma^2}), & \text{for } \frac{x-\bar{x}}{\sigma} > -\alpha \\ A \cdot (B - \frac{x-\bar{x}}{\sigma})^{-n}, & \text{for } \frac{x-\bar{x}}{\sigma} \leq -\alpha \end{cases}, \quad (5.4)$$

where,

$$\begin{aligned}
A &= \left( \frac{n}{|\alpha|} \right)^n \cdot \exp \left( -\frac{|\alpha|^2}{2} \right), \\
B &= \frac{n}{|\alpha|} - |\alpha|, \\
N &= \frac{1}{\sigma(C + D)}, \\
C &= \frac{n}{|\alpha|} \cdot \frac{1}{n-1} \cdot \exp \left( -\frac{|\alpha|^2}{2} \right), \\
D &= \sqrt{\frac{\pi}{2}} \left( 1 + \operatorname{erf} \left( \frac{|\alpha|}{\sqrt{2}} \right) \right),
\end{aligned}$$

and  $\operatorname{erf}$  is the error function.

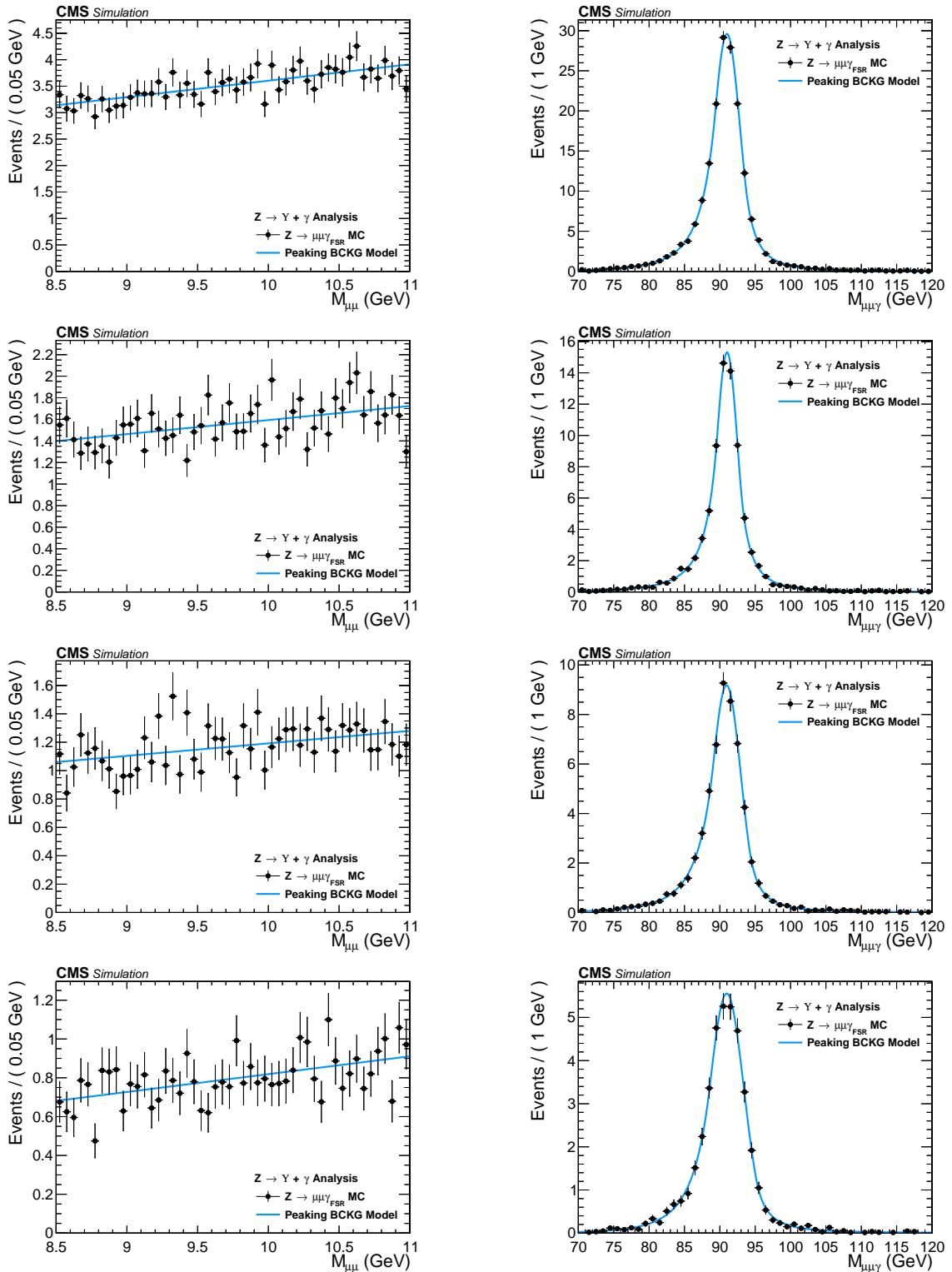
For the three gaussian functions fits, which represent the three  $\Upsilon$  states (1S, 2S and 3S) from the  $\Upsilon$  Combinatorial background in the  $m_{\mu\mu}$  component, we use a  $\Upsilon$  control sample in order to extract the fit parameters, including the relative normalization between each  $\Upsilon$  state. This sample is composed by dimuon candidates obtained from data, by selecting the events that passes the same trigger and dimuon selection of the nominal selection and with  $p_T^{\mu\mu} > 35$  GeV (this cut is done in order to keep this selected dimuon candidates compatibles with the  $p_T^{\mu\mu}/M_{\mu\mu\gamma}$  cut applied in the nominal selection). No selection or cuts in the photon are required.

This control sample is fitted with a Chebychev 1<sup>st</sup> order (linear polynomial) for the background support and 3 gaussian with the following constraints:

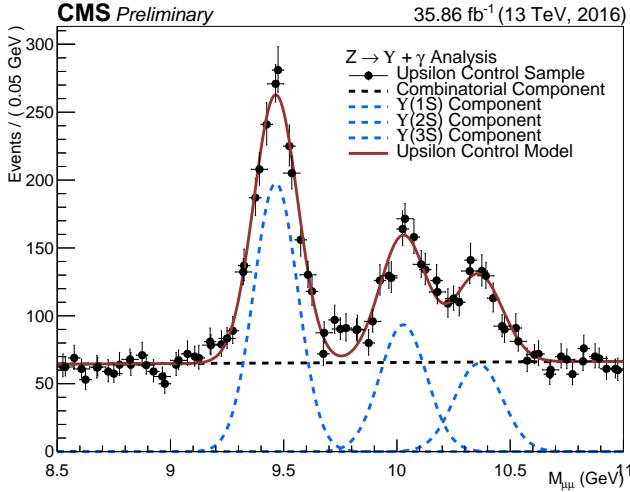
- the mean of each state should be the ones in the PDG [13], but allowed to shift by a float and common (the same for all states) value.
- the sigma should be based on the 1S fit of the MC. All other sigma should be the result of the 1S sigma times the state mass over the 1S mass ( $\sigma_{2S,3S} = \frac{m_{2S,3S}}{m_{1S}} \sigma_{1S}$ ).

The idea behind this fit is that scale and resolution (mean and sigma, respectively, of the gaussians) over a sample without a photon selection should be the same as over a sample with photon selection, since these are detector-only dependent effects. The fact that we exclude the photon from this control sample, improves the statistics and gives a better measurement of these variables.

The fit of the  $\Upsilon$  control sample is shown in figure 5.55.



**Figure 5.54:** Resonant background for the  $Z \rightarrow \Upsilon(1S, 2S, 3S) + \gamma$  analysis.  $\mu\mu$  mass distribution (left) and  $\mu\mu\gamma$  invariant mass distribution (right). From top to bottom categories: Inclusive, EB High R9, EB Low R9, EE.



**Figure 5.55:**  $\Upsilon$  control sample fit with Chebychev 1<sup>st</sup> order for the background support and 3 gaussian for the three  $\Upsilon(1S, 2S, 3S)$  peaks.

Once determined, the fit parameters are fixed, they are used to compose the 2-Dimensional *pdf*. The  $m_{\mu\mu}$  component of the full combinatorial background is derived fully from the data fit (described below). In the same sense, the  $m_{\mu\mu\gamma}$  component of the full combinatorial and the  $\Upsilon(nS)$  Combinatorial backgrounds are also fully derived from the data, but following a more complex procedure: a composition with the *pdf* components described above, plus a statistical test, to avoid overfitting within a Discrete Profiling (or "Envelope Method"), as described in [148] and also implemented in [145].

The statistical test consists of, for each category, different orders of a set of polynomial *pdfs* families are tested: a sums of exponentials, sum of polynomials (in the Bernstein basis), a Laurent series and a sums of power-law functions.

- Sums of exponentials:

$$f_N(x) = \sum_{i=1}^N p_{2i} e^{p_{2i+1}x},$$

- Sums of polynomials (in the Bernstein basis):

$$f_N(x) = \sum_{i=0}^N p_i b_{(i,N)}, \text{ where } b_{(i,N)} := \binom{N}{i} x^i (1-x)^{N-i},$$

- Laurent series:

$$f_N(x) = \sum_{i=1}^N p_i x^{-4+\sum_{j=1}^i (-1)^j(j-1)},$$

- Sums of power-law functions:

$$f_N(x) = \sum_{i=1}^N p_{2i} x^{-p_{2i+1}},$$

where for all  $k$ , the  $p_k$  are a set of floating parameters in the fit.

Twice difference in the negative log-likelihood ( $NLL$ ) between the  $N^{th}$  and the  $(N + 1)^{th}$  order of the same polynomial ( $\Delta NLL = 2 \times (NLL_N - NLL_{N+1})$ ) is expected to follow a  $\chi^2$  distribution with  $M$  degrees of freedom, where  $M$  is the increase in degrees of freedom when going from  $N^{th}$  to  $(N + 1)^{th}$ . This can be shown with the help of the Wilks' theorem [149].

Starting from the lowest order possible, the best choice of order, for each family, is determined when a increase in the order of the polynomial, does not brings a significant improvement in the quality of the fit. Since a model with more fit parameters (higher order polynomials) will always perform, if not the same, better than a simpler one, an optimal choice of the polynomial order, will be the one right before the model becomes too flexible for the data.

Consider a  $p$ -value defined as:

$$\begin{aligned} p\text{-value} &= \int_{\Delta NLL}^{\infty} \chi_M^2(\Delta) d\Delta \\ &= P(\chi_M^2 > \Delta NLL), \end{aligned} \tag{5.5}$$

In the same spirit as the Wilks' theorem, this is the  $p$ -value for a likelihood ratio test between a null hypotheses and an alternative model, where the null hypotheses is the  $N^{th}$  order and  $(N + 1)^{th}$  order is the alternative one.

$$\begin{aligned} \Delta NLL &= 2 \times (NLL_N - NLL_{N+1}) \\ &= -2 \times \log\left(\frac{\mathcal{L}_N}{\mathcal{L}_{N+1}}\right), \end{aligned} \tag{5.6}$$

where  $\mathcal{L}_N$  is the likelihood for the  $N^{th}$  polynomial order.

The alternative will present a statistically significant improvement, with respect to the null hypotheses, if the  $p$ -value is smaller than 0.05, since the probability of

obtaining, by chance, considering the null hypotheses is true, a even higher  $\Delta NLL$  is less than 5%. This will give support to chose  $(N + 1)^{th}$  over  $N^{th}$ .

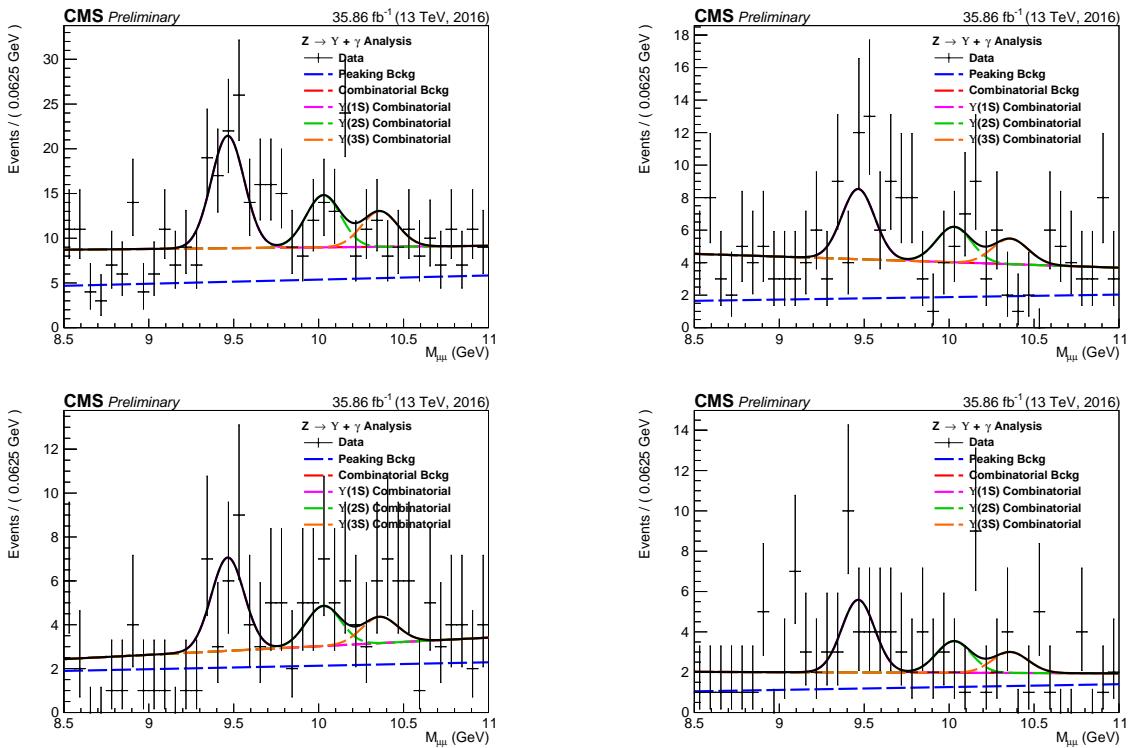
If the  $p$ -value is greater than 0.05 a higher order is not supported, since the probability of obtaining a  $\Delta NLL$  greater than the one observed is statistically significant (more than 5%). A higher  $\Delta NLL$  means that another data sample, collected and analyzed with strictly the same conditions, would have a probability of more than 5% of giving a better fit improvement than the one observed, again assuming that the null hypotheses is true. This is an indication of overfitting, since the improvements are likely to come from just statistical fluctuations. When testing the  $(N + 1)^{th}$  order and this condition is reached, the optimal order should be the  $N^{th}$ .

At first, before any fit to data, the 2-Dimensional model is composed by the five components, as described in Table 5.6 (in which the  $m_{\mu\mu\gamma}$  modeling for the Full Combinatorial Background and the  $\Upsilon$  combinatorial are shared), then, the statistical test described before is ran for each family. It is important to stress that before the statistical test all the other fitting parameters have been fixed. This leaves only the normalizations of the model components and the polynomial coefficients free to float.

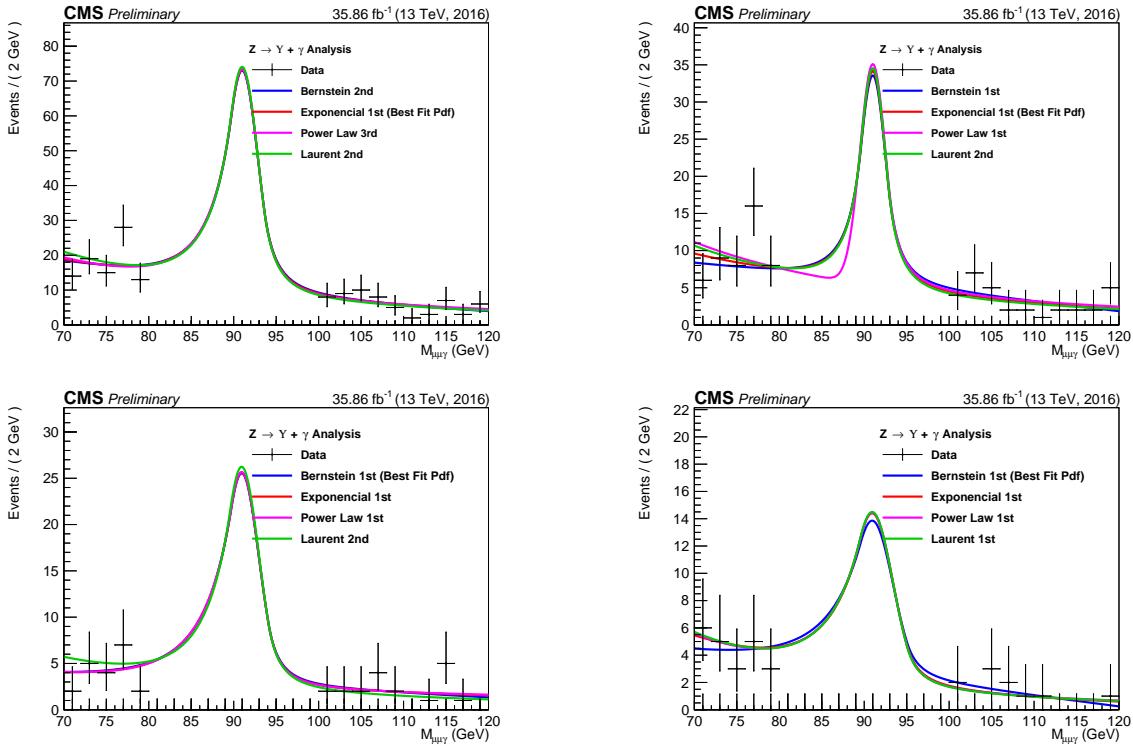
Once the optimal order for each  $pdf$  family is obtained, the composed  $pdf$  with each choice from statistical test is saved in the same model, providing a discrete variable that indexes the different polynomial  $pdf$  families. This method is called Discrete Profiling (or "*Envelope Method*") and it allows the analysis algorithm to treat the choice of the  $pdf$  as a systematics and incorporate its effect in the extracted upper limits. This model, with different choices of polynomial families is called envelope.

The implementation, used in the analysis, of the statistical test and the Discrete Profiling is based on the same algorithm used by the  $H \rightarrow \gamma\gamma$  Run II analysis. An extensive documentation on these methods can be found in  $H \rightarrow \gamma\gamma$  analysis note and physics analysis summary [150, 151] and in the specific reference of the Discrete Profiling [148]. The figures 5.56 and 5.57 show the projection for the  $\mu\mu$  and  $\mu\mu\gamma$  distribution after the statistical test.

For the  $H \rightarrow \Upsilon(1S, 2S, 3S) + \gamma$  analysis, the same procedure is implemented, except for the resonant background modeling. Since the MC prediction for the contribution of the background is too small, according to the comparison between the final selected events for data and the Higgs Dalitz Decay sample, in order to avoid fitting over statistical



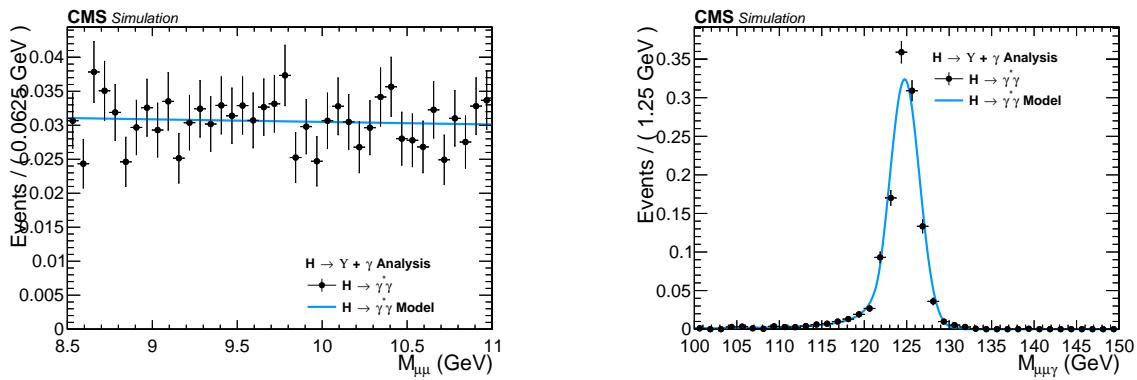
**Figure 5.56:**  $Z \rightarrow \Upsilon(1S, 2S, 3S) + \gamma$  Background Modeling:  $\mu\mu$  distribution. Inclusive (top left); EB High R9 (top right), EB Low R9 (bottom left), EE (bottom right). The pdfs projections are plotted with respect to the overall best choice of the statistica test.



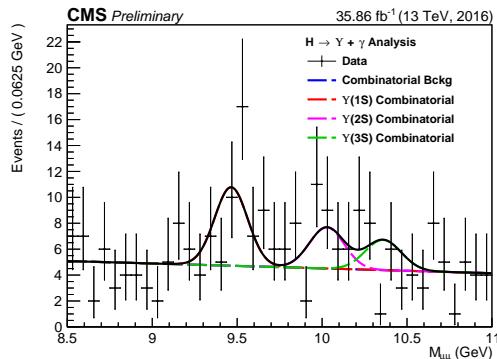
**Figure 5.57:**  $Z \rightarrow \Upsilon(1S, 2S, 3S) + \gamma$  Background Modeling:  $\mu\mu\gamma$  distribution. Inclusive (top left); EB High R9 (top right), EB Low R9 (bottom left), EE (bottom right). The plotted pdfs corresponds to the best choice by the statistical test for each family. The signal region, from 80 GeV to 100 GeV was blinded.

fluctuations of the data sample, the Resonant Background, for the Higgs channel, is fully modeled from the MC sample, including its normalization, as shown in figure 5.58, hence it is not included the statistical test, neither in the final background modeling envelope.

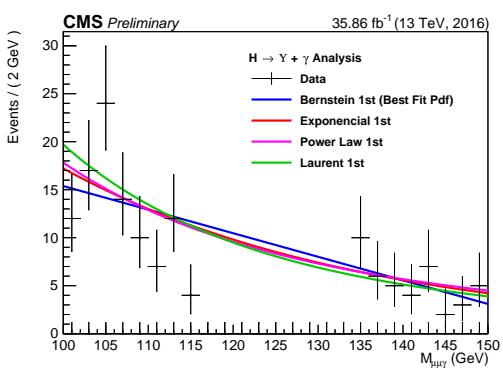
The results of the background modeling for the Full Combinatorial and  $\Upsilon$  Combinatorial, can be found at Figures 5.59 and 5.60, for the  $\mu\mu$  and  $\mu\mu\gamma$  distribution, respectively. It is worth to remember that, for the Higgs channel, we are not implementing any categorization.



**Figure 5.58:** Resonant Background for the  $H \rightarrow \Upsilon(1S, 2S, 3S) + \gamma$  analysis.  $m_{\mu\mu}$  invariant mass distribution (left) and  $m_{\mu\mu\gamma}$  invariant mass distribution (right).



**Figure 5.59:**  $H \rightarrow \Upsilon(1S, 2S, 3S) + \gamma$  Background Modeling:  $m_{\mu\mu}$  distribution. The *pdfs* projections are plotted with respect to the overall best choice of the statistical test.



**Figure 5.60:**  $H \rightarrow \Upsilon(1S, 2S, 3S) + \gamma$  Background Modeling:  $\mu\mu\gamma$  distribution. The plotted *pdfs* corresponds to the best choice by the statistical test for each family. The signal region, from 115 GeV to 135 GeV was blinded.

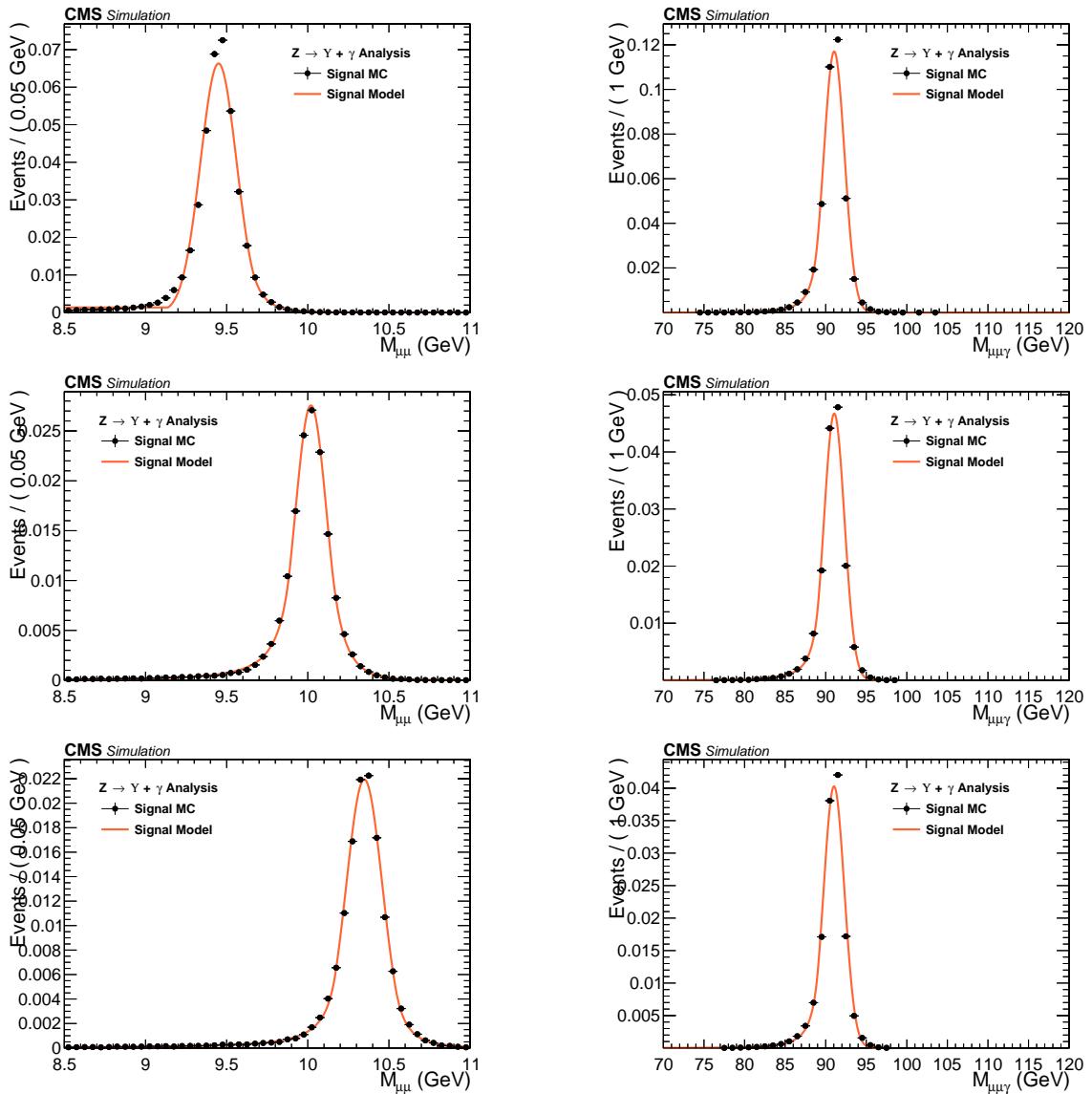
## 5.9 Signal modeling

Along the same lines as the background modeling (Section 5.8), the signal modeling is implemented as a two dimensional unbinned maximum likelihood fit on the  $m_{\mu\mu}$  and the  $m_{\mu\mu\gamma}$  invariant masses distributions, but this time, only using the signal simulated MC samples 5.1.2. Since, for the two spectra, it is expected a peak-like distribution, one centered in the Z (or Higgs) boson mass and the other centered in the  $\Upsilon$  mass, two also peak-like analytics *pdfs* were chosen to compose the signal model. The modeling is summarized in table 5.7.

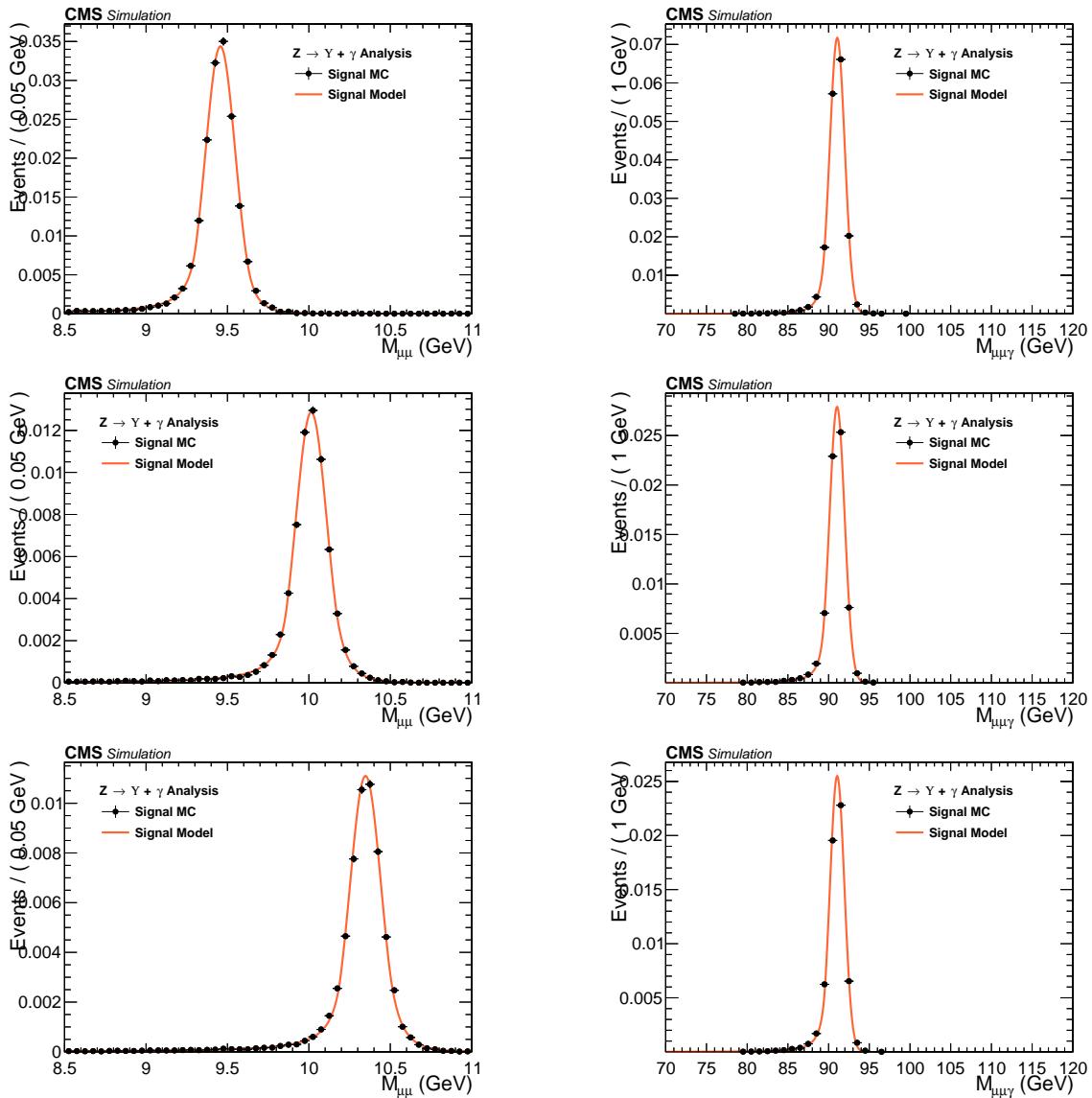
**Table 5.7:** Modeling for each signal source and mass component.

	$m_{\mu\mu}$	$m_{\mu\mu\gamma}$
$Z \rightarrow \Upsilon(nS) + \gamma$	Double Crystal Ball	Double Crystal Ball
$H \rightarrow \Upsilon(nS) + \gamma$	Double Crystal Ball	Crystal Ball + Gaussian (same mean)

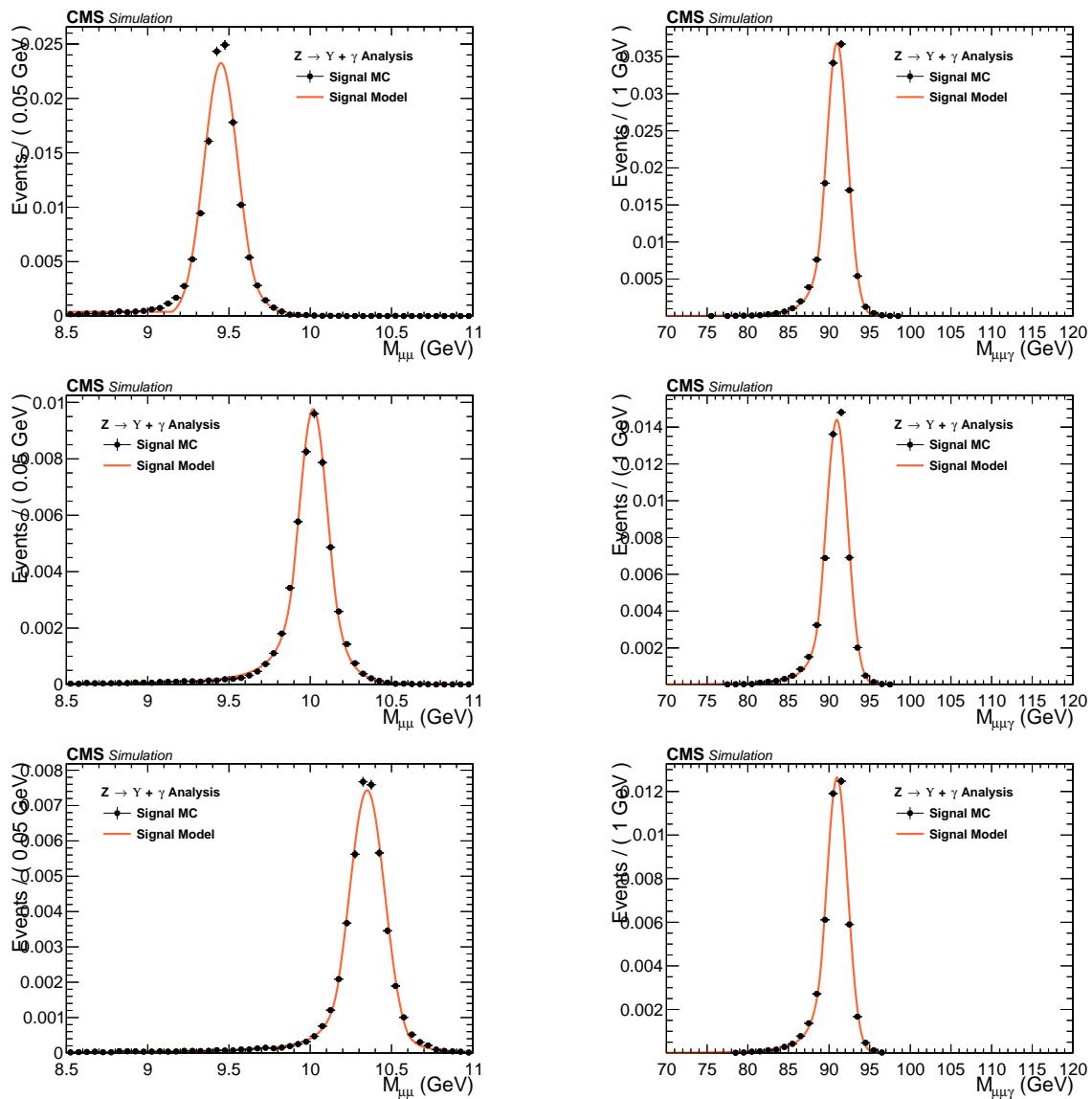
The projections of the modeling for the Z boson decay channel analysis can be found at figures 5.61, 5.62, 5.63 and 5.64, for Inclusive, EB High R9, EB Low R9 and EE, respectively. The projection on the modeling for the Higgs boson signal can be found at Figure 5.65. A deeper discussion on the systematics uncertainties associated to them, will be presented in the next section.



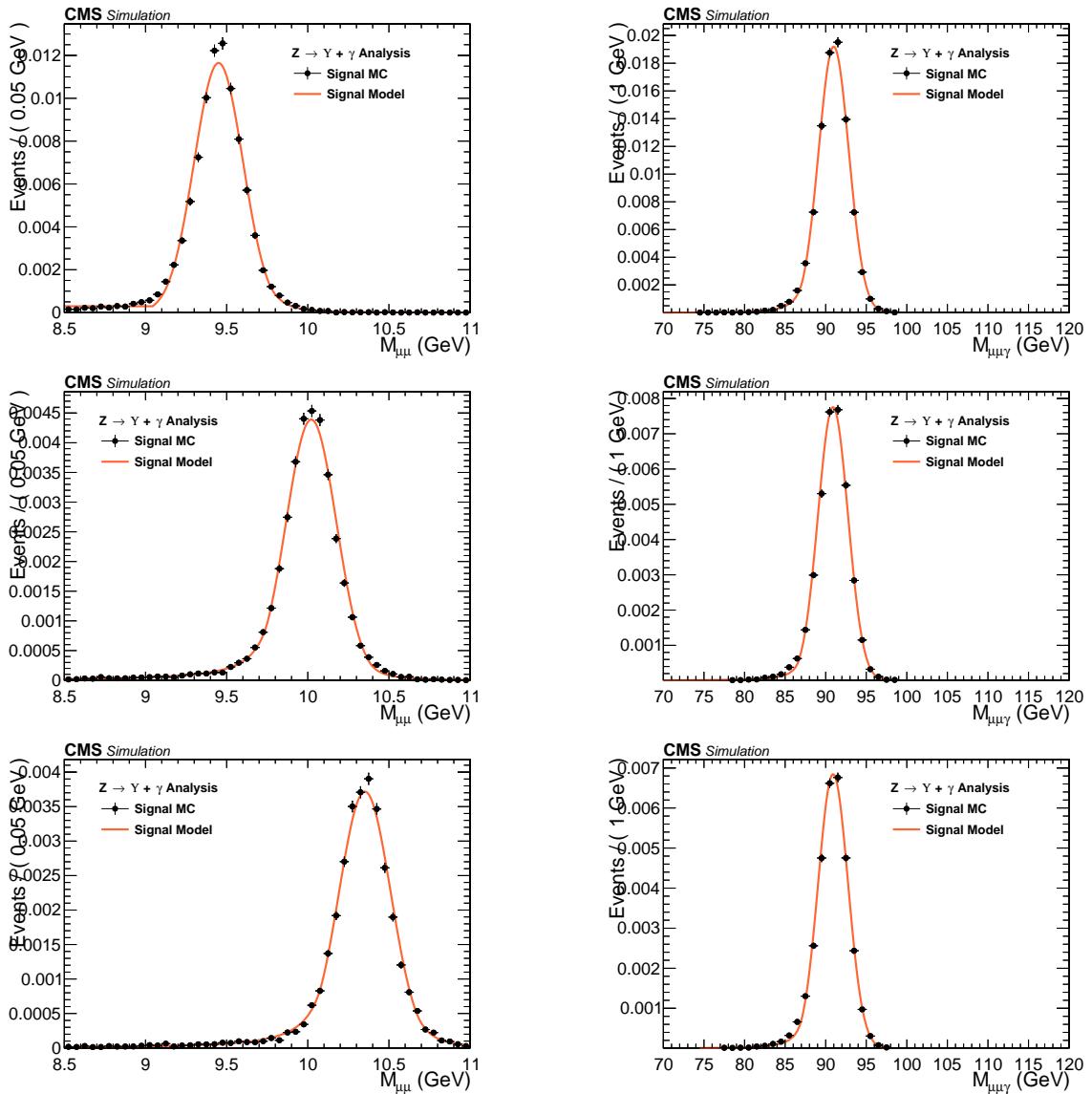
**Figure 5.61:** Signal Modeling for the  $Z \rightarrow \Upsilon(1S, 2S, 3S) + \gamma$  analysis for Inclusive category.  $m_{\mu\mu}$  mass distribution (left) and  $m_{\mu\mu\gamma}$  mass distribution (right). From top to bottom:  $\Upsilon(1S)$ ,  $\Upsilon(2S)$ ,  $\Upsilon(3S)$ .



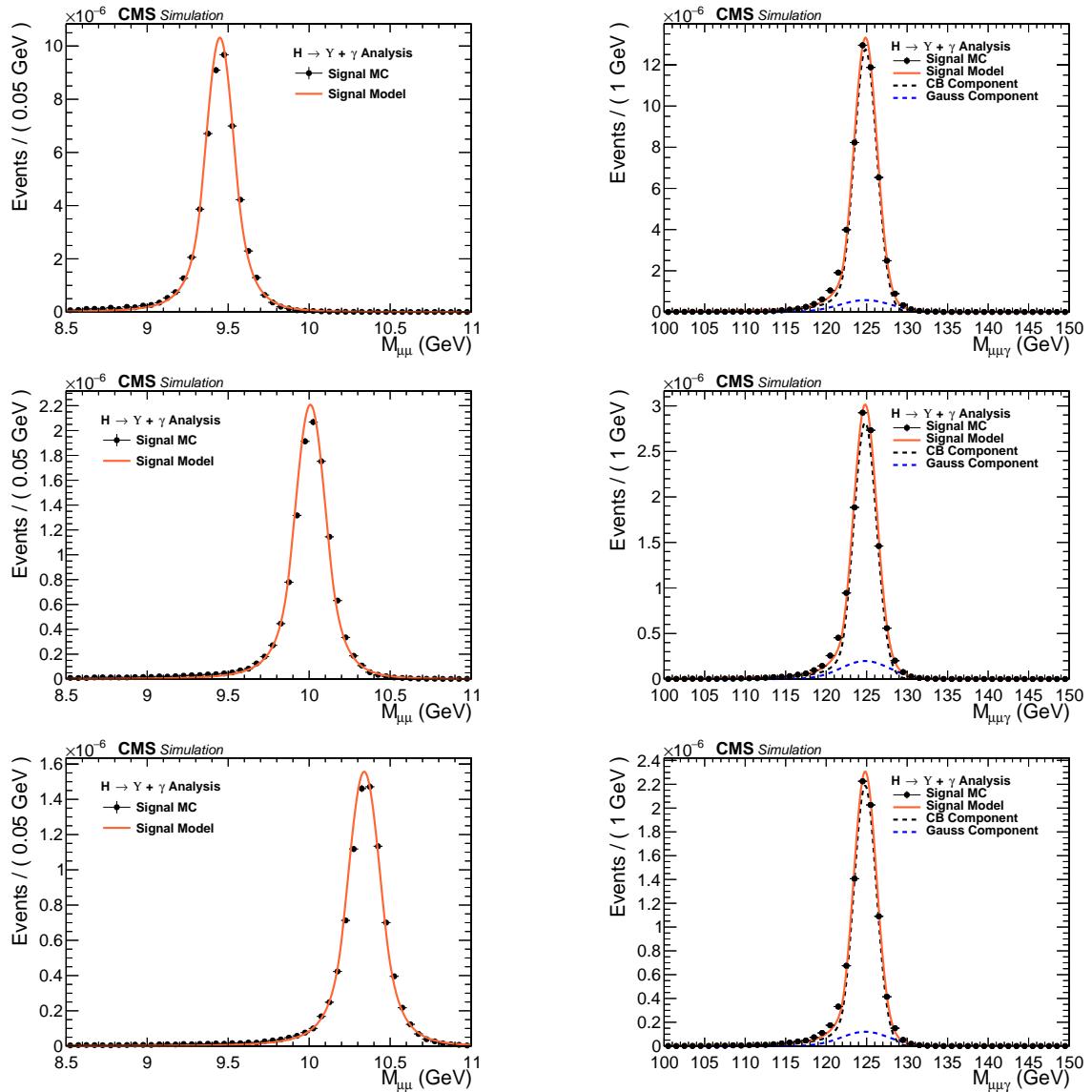
**Figure 5.62:** Signal Modeling for the  $Z \rightarrow \Upsilon(1S, 2S, 3S) + \gamma$  analysis for EB High R9 category.  $m_{\mu\mu}$  mass distribution (left) and  $m_{\mu\mu\gamma}$  mass distribution (right). From top to bottom:  $\Upsilon(1S)$ ,  $\Upsilon(2S)$ ,  $\Upsilon(3S)$ .



**Figure 5.63:** Signal Modeling for the  $Z \rightarrow \Upsilon(1S, 2S, 3S) + \gamma$  analysis for EB Low R9 category.  $m_{\mu\mu}$  mass distribution (left) and  $m_{\mu\mu\gamma}$  mass distribution (right). From top to bottom:  $\Upsilon(1S)$ ,  $\Upsilon(2S)$ ,  $\Upsilon(3S)$ .



**Figure 5.64:** Signal Modeling for the  $Z \rightarrow \Upsilon(1S, 2S, 3S) + \gamma$  analysis for EE category.  $m_{\mu\mu}$  mass distribution (left) and  $m_{\mu\mu\gamma}$  mass distribution (right). From top to bottom:  $\Upsilon(1S)$ ,  $\Upsilon(2S)$ ,  $\Upsilon(3S)$ .



**Figure 5.65:** Signal Modeling for the  $H \rightarrow \Upsilon(1S, 2S, 3S) + \gamma$ .  $m_{\mu\mu}$  mass distribution (left) and  $m_{\mu\mu\gamma}$  mass distribution (right). From top to bottom:  $\Upsilon(1S)$ ,  $\Upsilon(2S)$ ,  $\Upsilon(3S)$ .

## 5.10 Systematic uncertainties

Two sources of systematics are considered: the ones that affect the predicted yields<sup>10</sup> and the ones that affect the shape of the pdfs used to compose the signal and background model.

Those that affect the predicted yields, presented in Section 5.7.2, it is considered integrated luminosity measurement [124], the pileup description in the Monte-Carlo simulations, the corrections applied to the simulated events in order to compensate for the differences in performance of the some selection criteria, such as trigger, object reconstruction and identification, the  $\Upsilon$  polarization and the theoretical uncertainties, such as the effects of the *parton density functions* (PDF) to the signal cross section [29, 134, 152], the variations of the renormalization and factorization scales [153–157], and the prediction of the decay branching ratios.

For the systematics on the signal modeling, it is considered possible imprecisions of the momentum scale and resolution. They are measured on how they affect the mean ( $\mu$ ) and the standard deviation ( $\sigma$ ) of the signal model. For the background modeling, since it is derived from data, the choice of the *pdf* (Probability distribution function) is the only systematic uncertainties considered. It is treated by the Discrete Profiling method, as described in section 5.8.

The two kinds of systematics uncertainties are described in details below.

### 5.10.1 Uncertainties on the predicted yields

The theoretical sources of uncertainties includes: parton distribution functions uncertainties, strong coupling constant ( $\alpha_s$ ) uncertainty and uncertainty on the  $H \rightarrow \gamma\gamma$  branching fraction (used to derive the Higgs Dalitz Decays cross-section). The values for these theoretical uncertainties are taken from the Higgs Combination Group [137] and also from [156, 158].

An uncertainty value of 2.5% is used on the integrated luminosity of the data samples, as recommended by CMS [124]. To evaluate the impact of the pileup reweighting in the final result, the total inelastic cross section of  $69.2\text{ mb}$  is varied by  $\pm 4.6\%$  and

---

<sup>10</sup>Number of events, per process, after full selection and corrected by the expected SM cross sections.

the analysis is ran with these extreme values. The systematic uncertainty quoted is the maximum difference in the yields with respect to nominal value, as recommended by CMS.

The impact of the trigger scale factor is evaluated by running this analysis with  $\pm 1\sigma$  on the Trigger Efficiency Scale factors (section 5.5.1). The systematic uncertainty quoted is the maximum difference in the yields with respect to nominal value.

For the final state object identification and isolation associated uncertainty, the scale factors, provided by CMS, to match the performance of MC and Data samples are varied in  $\pm 1\sigma$ . The systematic uncertainty quoted is the maximum difference in the yields with respect to nominal value. This procedure is applied on the scale factors for the Photon MVA ID and the Electron Veto (section 5.5.3) and for Muon Identification and Isolation (Section 5.5.2).

Finally, the  $\Upsilon$  Polarization is assessed applying the extremes scenarios of the  $\Upsilon$  polarization (Transverse and Longitudinal Polarization to the signal samples (section 5.2). The systematic uncertainty quoted is the maximum difference in the yields with respect to nominal (Unpolarized) yield. This procedure is applied only for the Z decay. For the Higgs decay, the only polarization considered is the transverse polarization.

The effect of all systematic uncertainties in the signal and resonant background yields are summarized on table 5.8, for the Z decay and table 5.9, for the Higgs decay. Clearly, the main contribution to the systematics uncertainties on the yields is Polarization of the  $\Upsilon(nS)$  (only for the Z decay), around 15%.

### 5.10.2 Uncertainties that affect the signal fits

Smearing and scaling corrections are applied on simulated events since the resolution of Monte Carlo is better than that on data and the detector might not catch all the possible differences in the detector performance, with respect to the data observation. They need to be estimated and included on the systematics. The corrections are:

- **Muon Momentum Scale and Resolution:** extracted by running the analysis with different setups of the official CMS Muon scaling and smearing package [159]. The deviations, with respect to the default correction are summed in quadrature. Once the nominal parameters (mean or sigma) are obtained, the default corrections are shifted by  $\pm 1\sigma$  and the fits are re-done, with the parameters of interest free

to float and all others fixed. The systematic uncertainty quoted is the maximum difference of the parameter with respect to nominal value.

- **Photon Energy Scale and Resolution:** extracted by running the analysis with different sets of corrections, provided by the CMS<sup>11</sup>. Once the nominal mean is obtained, the sets are changed and the fits are re-done, with the mean free to float and all others parameters fixed. The corrections are shifted by  $\pm 1\sigma$  on each source of systematics (following standard CMS recommendations). The quoted as systematic uncertainty is the quadrature sum of the maximum deviation within each set.

The effective systematic uncertainty associated with the scale and resolution are the quadrature sum of the muon and photon contributions. The effect of all systematic uncertainties in the Signal fits are summarized on table 5.10, for the Z and Higgs decay.

---

<sup>11</sup>CMS has not published, yet, a paper on the Run2 performance of the Photon reconstruction (This document is under internal review process.). Just as a reference, we cite the Run1 paper [160].

**Table 5.8:** A summary table of systematic uncertainties in the Z boson decaying into  $\Upsilon(1S, 2S, 3S) + \gamma$ , affecting the final yields of the MC samples.

Source	Uncertainty			
	Signal $Z \rightarrow \Upsilon(nS)\gamma$			Res. Background
	$n = 1$	$n = 2$	$n = 3$	$Z \rightarrow \mu\mu\gamma_{FSR}$
Integrated luminosity				
All Categories	2.5%			
SM Z boson $\sigma$ (scale)				
All Categories	3.5%		5.0%	
SM Z boson $\sigma$ (PDF + $\alpha_s$ )				
All Categories	1.73%		5.0%	
Pileup Reweighting				
Inclusive	0.65%	0.68%	0.71%	0.62%
EB High R9	1.01%	1.1%	1.04%	1.06%
EB Low R9	0.17%	0.08%	0.13%	0.11%
EE	1.07%	0.98%	1.26%	0.78%
Trigger				
Inclusive	4.45%	4.46%	4.49%	4.71%
EB High R9	3.5%	3.5%	3.52%	3.71%
EB Low R9	3.55%	3.54%	3.58%	3.72%
EE	7.52%	7.58%	7.56%	8.13%
Muon Identification				
Inclusive	4.82%	4.81%	4.8%	4.52%
EB High R9	4.45%	4.45%	4.44%	4.2%
EB Low R9	4.65%	4.62%	4.63%	4.32%
EE	5.75%	5.75%	5.74%	5.44%
Photon Identification				
Inclusive	1.1%	1.1%	1.09%	1.09%
EB High R9	1.1%	1.09%	1.09%	1.11%
EB Low R9	1.1%	1.1%	1.09%	1.08%
EE	1.1%	1.1%	1.1%	1.09%
Electron Veto				
Inclusive	1.02%	1.02%	1.02%	1.03%
EB High R9	1.2%	1.2%	1.2%	1.2%
EB Low R9	1.2%	1.2%	1.2%	1.2%
EE	0.45%	0.45%	0.45%	0.45%
Polarization				
Inclusive	15.36%	14.78%	14.84%	-
EB High R9	15.6%	14.88%	14.87%	-
EB Low R9	15.01%	14.31%	14.4%	-
EE	15.39%	15.27%	15.39%	-

**Table 5.9:** A summary table of systematic uncertainties in the Higgs boson decaying into  $\Upsilon(1S, 2S, 3S) + \gamma$ , affecting the final yields of the MC samples.

Source	Uncertainty				
	Signal $H \rightarrow \Upsilon(nS)\gamma$			Res. Background	
	$n = 1$	$n = 2$	$n = 3$	$H \rightarrow \gamma\gamma^*$	
Integrated luminosity				2.5%	
SM Higgs $\sigma$ (scale)				+4.6% / -6.7%	
SM Higgs $\sigma$ (PDF + $\alpha_s$ )				3.2%	
SM BR $H \rightarrow \gamma\gamma^*$				-	6.0%
Pileup Reweighting	0.61%	0.68%	0.56%	0.9%	
Trigger	5.61%	5.47%	5.5%	6.12%	
Muon Identification	4.39%	4.36%	4.34%	4.33%	
Photon Identification	1.21%	1.22%	1.22%	1.2%	
Electron Veto	1.04%	1.04%	1.04%	1.04%	

**Table 5.10:** A summary table of systematic uncertainties in the Z (H) decaying into  $\Upsilon(1S, 2S, 3S) + \gamma$ , affecting the signal fits.

	Z $\rightarrow \Upsilon(nS) + \gamma$				H $\rightarrow \Upsilon(nS) + \gamma$
	Inclusive	EB High R9	EB Low R9	EE	Inclusive
<b>Mean - Scale (<math>n = 1</math>)</b>					
Muon Unc.	0.06%	0.05%	0.06%	0.11%	0.11%
Photon Unc.	0.21%	0.13%	0.19%	0.26%	0.28%
<b>Total Unc.</b>	<b>0.22%</b>	<b>0.14%</b>	<b>0.2%</b>	<b>0.28%</b>	<b>0.3%</b>
<b>Sigma - Resolution (<math>n = 1</math>)</b>					
Muon Unc.	1.12%	0.84%	1.55%	1.14%	2.62%
Photon Unc.	2.14%	2.48%	1.95%	2.79%	4.27%
<b>Total Unc.</b>	<b>2.42%</b>	<b>2.61%</b>	<b>2.49%</b>	<b>3.01%</b>	<b>5.01%</b>
<b>Mean - Scale (<math>n = 2</math>)</b>					
Muon Unc.	0.07%	0.05%	0.06%	0.13%	0.1%
Photon Unc.	0.25%	0.11%	0.2%	0.19%	0.26%
<b>Total Unc.</b>	<b>0.26%</b>	<b>0.12%</b>	<b>0.21%</b>	<b>0.23%</b>	<b>0.28%</b>
<b>Sigma - Resolution (<math>n = 2</math>)</b>					
Muon Unc.	1.21%	1.54%	2.65%	1.66%	1.02%
Photon Unc.	1.85%	2.67%	3.56%	3.6%	6.6%
<b>Total Unc.</b>	<b>2.21%</b>	<b>3.08%</b>	<b>4.44%</b>	<b>3.97%</b>	<b>6.68%</b>
<b>Mean - Scale (<math>n = 3</math>)</b>					
Muon Unc.	0.06%	0.06%	0.06%	0.09%	0.09%
Photon Unc.	0.22%	0.14%	0.25%	0.17%	0.23%
<b>Total Unc.</b>	<b>0.23%</b>	<b>0.15%</b>	<b>0.26%</b>	<b>0.19%</b>	<b>0.25%</b>
<b>Sigma - Resolution (<math>n = 3</math>)</b>					
Muon Unc.	1.78%	2.38%	2.1%	2.25%	3.46%
Photon Unc.	2.51%	4.14%	2.23%	4.08%	5.48%
<b>Total Unc.</b>	<b>3.08%</b>	<b>4.77%</b>	<b>3.07%</b>	<b>4.66%</b>	<b>6.48%</b>

## 5.11 Modeling Cross checks

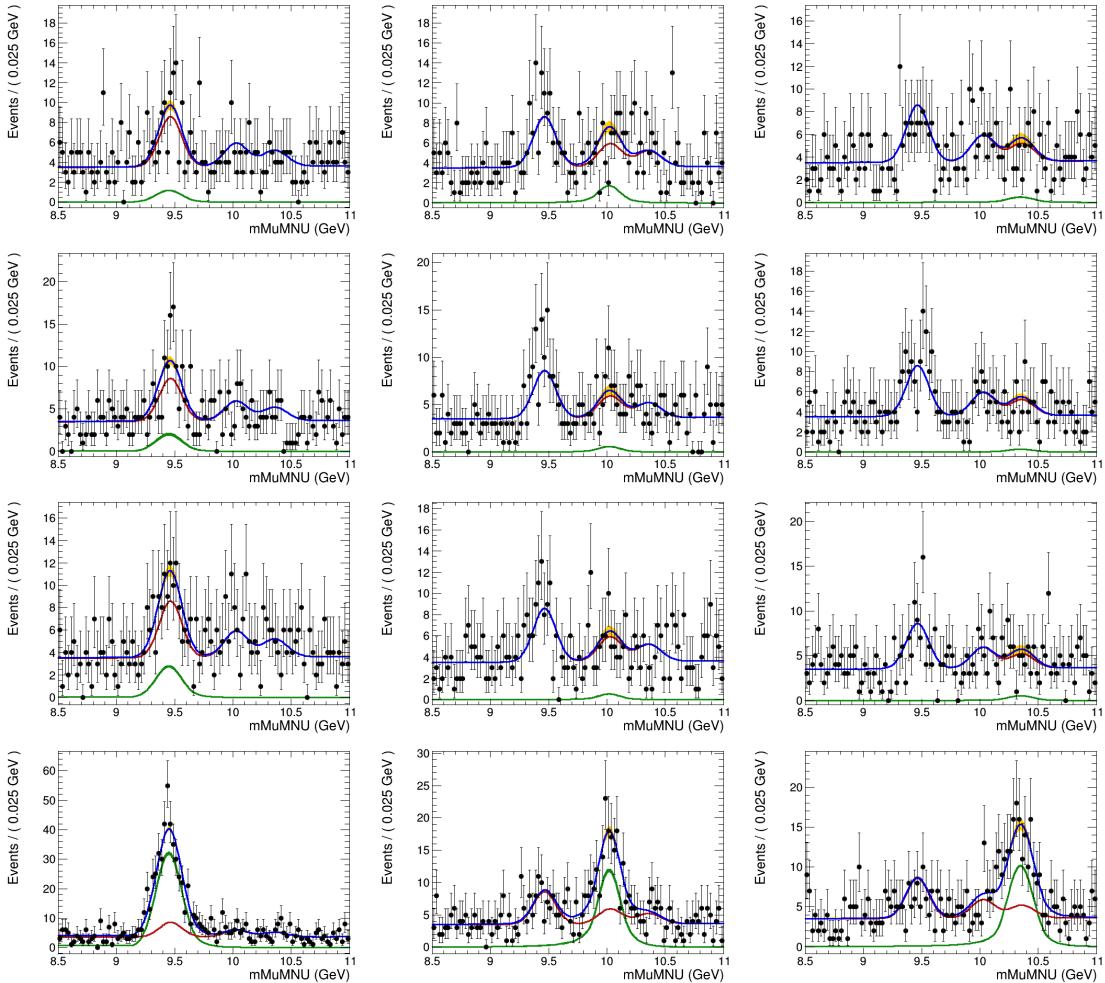
In order to test the applicability of the statistical (signal and background) modeling proposed in this study, a cross-check procedure is performed by generating a set of pseudo-experiments (toys datasets) based on the signal plus background model, for each decay channel ( $H/Z \rightarrow \Upsilon(1S, 2S, 3S, ) + \gamma$ ) with some signal injected.

The procedure consists of resampling from the signal plus background a number of events, including some extra (injected signal). The amount of injected signal is controlled by the  $\mu_{true}$  variable, where  $\mu_{true} = X$  means inject  $X$  times the expected signal.

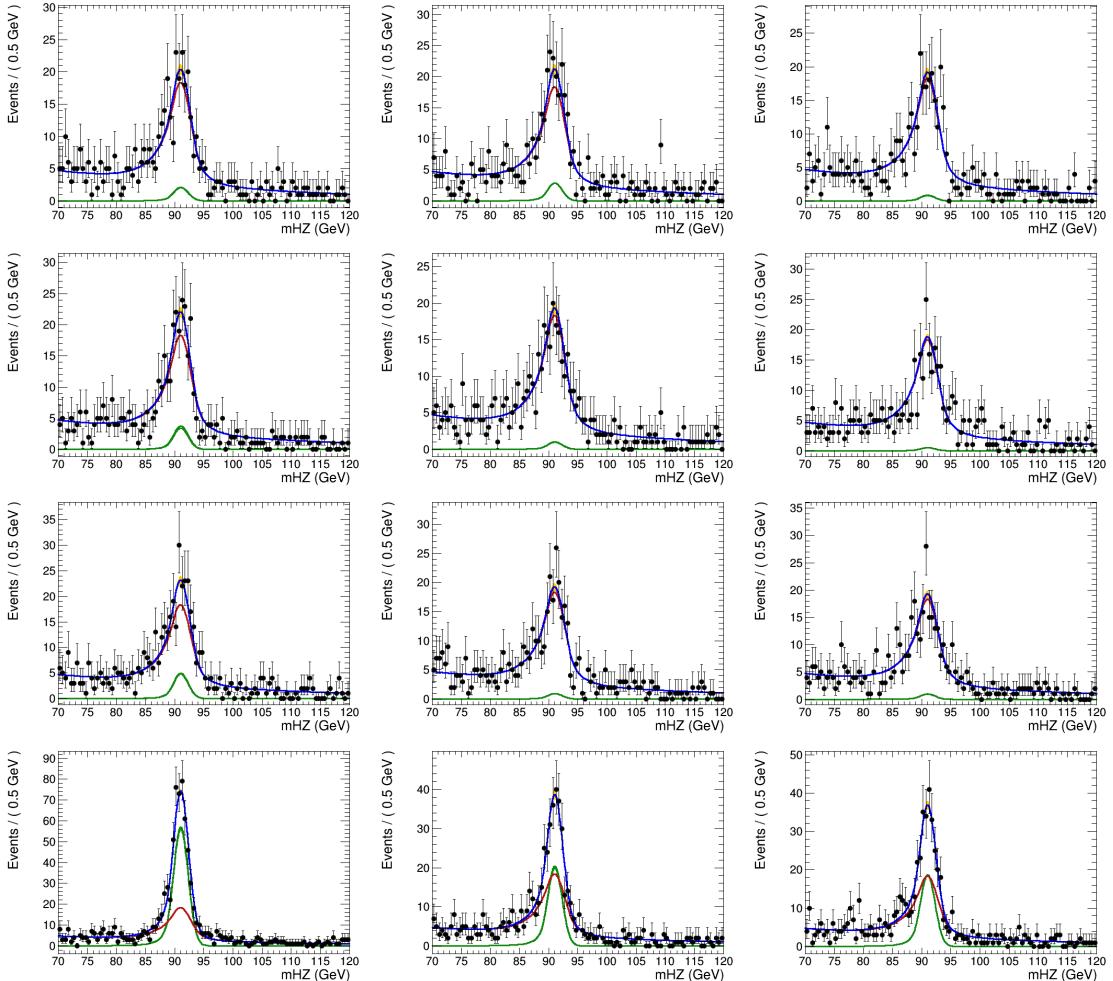
Once generated, the toy dataset is refitted to the signal plus background model and the signal strength ( $\mu_{fit}$ ) and its error  $\sigma_{fit}$  are extracted. This procedure is repeated 10000 times and only for the inclusive category. Figures 5.66, 5.67, 5.69 and 5.68 show examples of those fits for the Higgs and Z decay.

It is expected that the pulls distribution for the fitted signal strength ( $\frac{\mu_{fit} - \mu_{true}}{\sigma_{fit}}$ ) should follow a Gaussian distribution centered in 0 and with  $\sigma$  around 1. Figures 5.70 and 5.71 present those pulls distributions for the Z and Higgs decays, respectively.

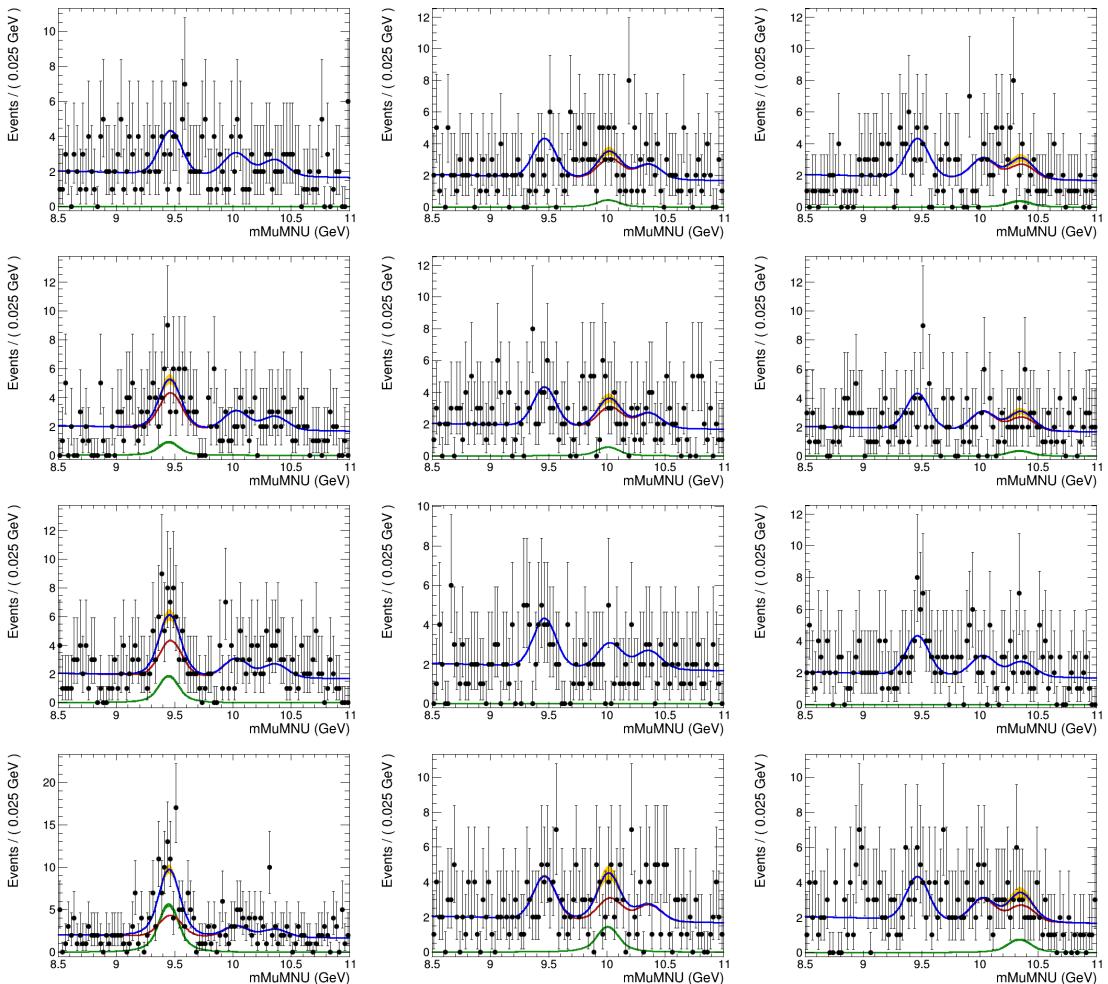
As a general conclusion on this cross check, as long as the toy MC generation is able to inject enough signal to be fit, the final modeling of this analysis is able to recover a Gaussian pulls distribution. This, of course, depends on the  $\Upsilon$  state to be considered. For the Z decay, between  $\mu_{true} = 50$  and  $\mu_{true} = 100$  (around a hundred of events passing full selection), while for the Higgs decay, it is needed only a few events after full selection, even though it means hundreds of thousands times the expected signal, since the very small cross sections for the decay, as shown in Table 5.1.



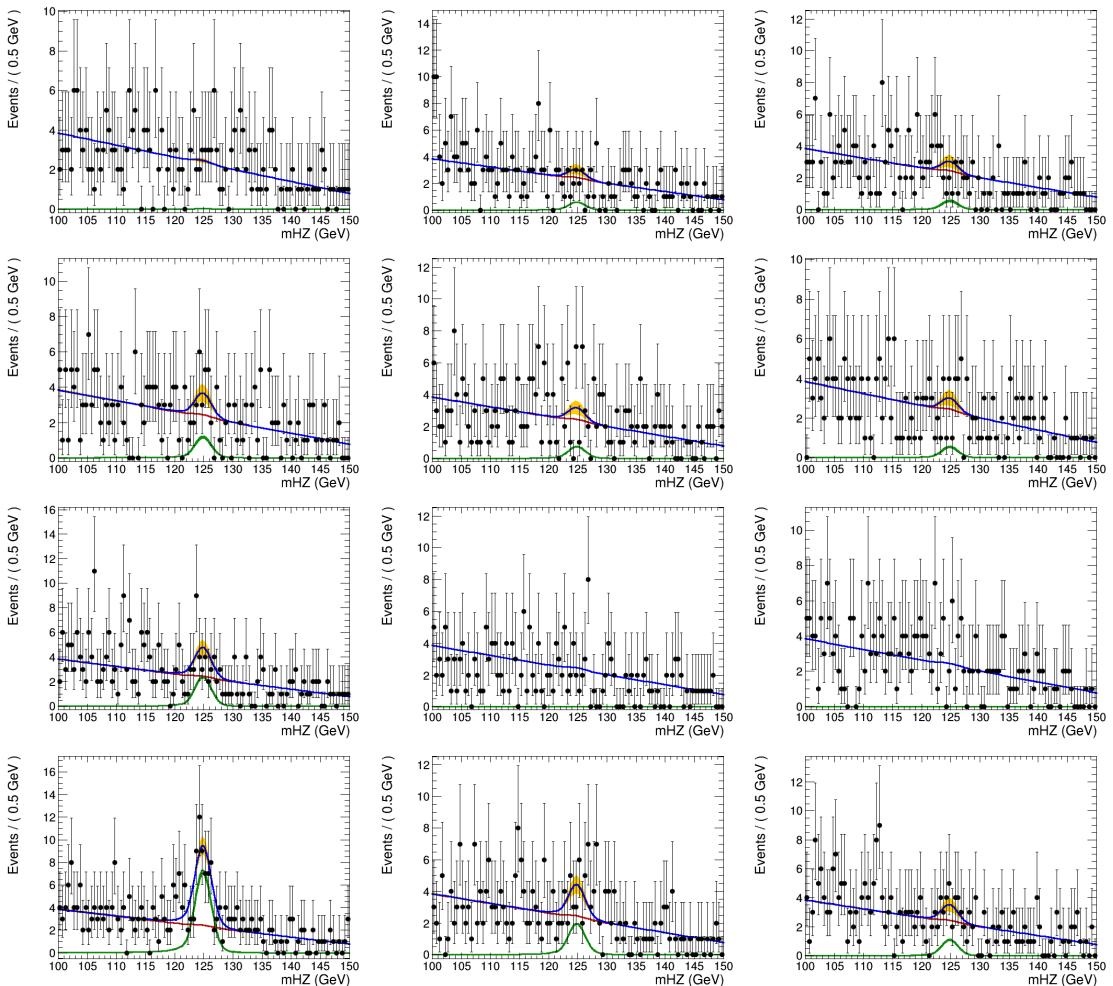
**Figure 5.66:** Examples of the toy datasets fit ( $M_{\mu\mu}$ ), for the Z decay analysis, after the toy dataset refit, for 1S, 2S and 3S (left to right), with  $\mu_{true}$  equals to 20, 50, 100, 1000 (top to bottom). The red lines corresponds to the background model (B), the green lines to signal model (S), the blue lines to the total (S+B) and the dots is the toy dataset.



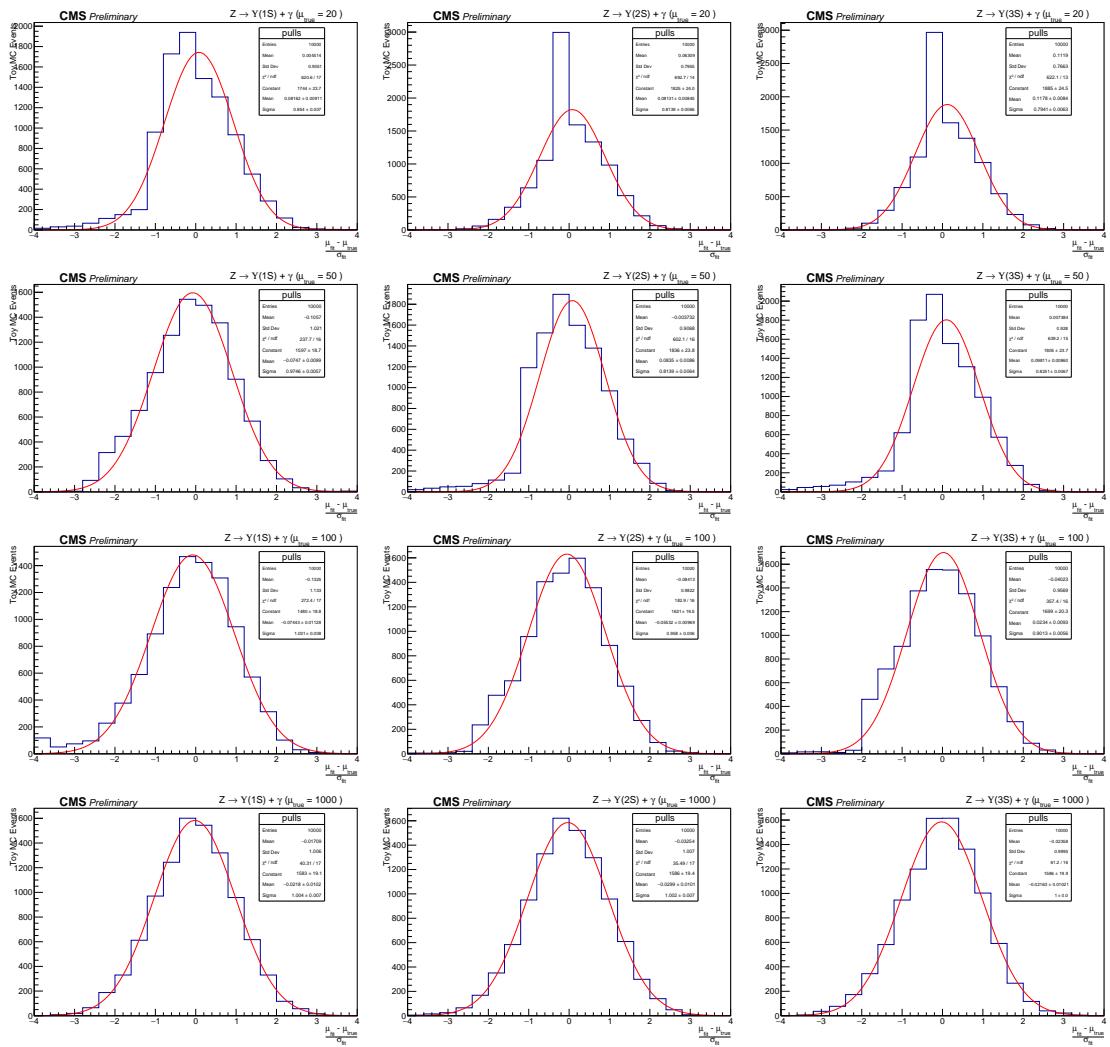
**Figure 5.67:** Examples of the toy datasets fit ( $M_{\mu\mu\gamma}$ ), for the Z decay analysis, after the toy dataset refit, for 1S, 2S and 3S (left to right), with  $\mu_{true}$  equals to 20, 50, 100, 1000 (top to bottom). The red lines corresponds to the background model (B), the green lines to signal model (S), the blue lines to the total (S+B) and the dots is the toy dataset.



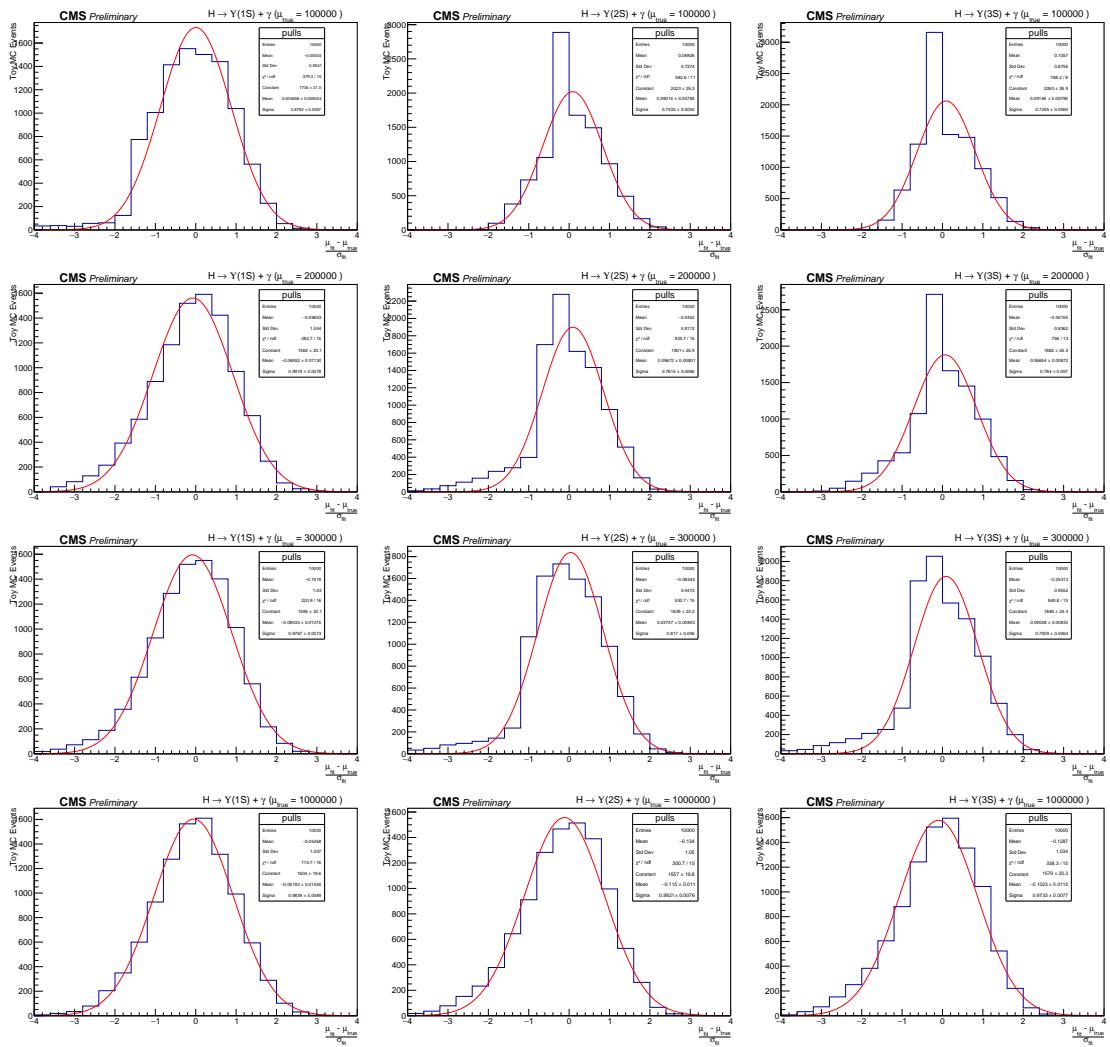
**Figure 5.68:** Examples of the toy datasets fit ( $M_{\mu\mu}$ ), for the Higgs decay analysis, after the toy dataset refit, for 1S, 2S and 3S (left to right), with  $\mu_{true}$  equals to 100000, 200000, 300000, 1000000 (top to bottom). The red lines corresponds to the background model (B), the green lines to signal model (S), the blue lines to the total (S+B) and the dots is the toy dataset.



**Figure 5.69:** Examples of the toy datasets fit ( $M_{\mu\mu\gamma}$ ), for the Higgs decay analysis, after the toy dataset refit, for 1S, 2S and 3S (left to right), with  $\mu_{true}$  equals to 100000, 200000, 300000, 1000000 (top to bottom). The red lines corresponds to the background model (B), the green lines to signal model (S), the blue lines to the total (S+B) and the dots is the toy dataset.



**Figure 5.70:** Distribution of pulls ( $\frac{\mu_{fit} - \mu_{true}}{\sigma_{fit}}$ ), for the Z decay analysis, after the toy dataset refit, for 1S, 2S and 3S (left to right), with  $\mu_{true}$  equals to 20, 50, 100, 1000 (top to bottom).



**Figure 5.71:** Distribution of pulls ( $\frac{\mu_{fit} - \mu_{true}}{\sigma_{fit}}$ ), for the Higgs decay analysis, after the toy dataset refit, for 1S, 2S and 3S (left to right), with  $\mu_{true}$  equals to 100000, 200000, 300000, 1000000 (top to bottom).

## 5.12 Results and conclusion

A two-dimensional (2D) unbinned maximum-likelihood fit to the  $m_{\mu^+\mu^-\gamma}$  and  $m_{\mu^+\mu^-}$  distributions was used to compare the data with background and signal predictions. Search has been performed for a SM Higgs and Z boson decaying into a  $\Upsilon(1S, 2S, 3S)\gamma$ , with  $\Upsilon(1S, 2S, 3S)$  subsequently decaying into  $\mu^+\mu^-$  using data obtained from  $35.9 \text{ fb}^{-1}$  of  $pp$  collisions at  $\sqrt{s} = 13 \text{ TeV}$ .

Since no excess has been observed above the background, the  $CL_s$  formalism is applied, in order to establish an upper limit in the branching fractions for each channel.

### 5.12.1 The $CL_s$ formalism for upper limits setting at CMS

The  $CL_s$  formalism [161] consist in a modified frequentist approach to obtain an upper limit for a certain parameter of a model, with respect to the data, when there is no significant excess that could justify an observation. It is based on the profile-likelihood-ratio test statistic [162] and asymptotic approximations [163]. It is a standard upper limit setting procedure for the LHC experiments [164].

When searching for non-observed phenomena, it is often usual to derive the results as a function of the signal strength modifier  $\mu$ , which is a free parameter of the full model (signal + background). It can be defined such as, the expectation value for the number of events in a bin<sup>12</sup> is:

$$E[n] = \mu s + b, \quad (5.7)$$

where,  $s$  and  $b$  are the expected number of signal and background events, respectively.

The Neyman–Pearson lemma [162] states the likelihood ratio is the optimal test between a null hypothesis and an alternative one (i.e. background-only and signal-plus-background models). On top on this, one could build a likelihood ratio test as:

$$q(\mu) = -2 \ln \left( \frac{\mathcal{L}(\text{data}|\mu s + b)}{\mathcal{L}(\text{data}|b)} \right), \quad (5.8)$$

where the denominator and numerator defines the likelihoods for the background-only and signal-plus-background models, respectively. The was the hypothesis test used by

---

<sup>12</sup>A set of common analysis criteria.

LEP and Tevatron experiments (the former one, with some modifications to include the nuisances effects).

With these two models, i.e. their *pdfs*, one can throw toy MC events in order to construct a distribution of  $q(\mu)$ , namely  $f(q(\mu)|\mu)$ . The *p*-value of  $f(q(\mu)|\mu)$ , as below, can be used to chose between each model.

$$p_\mu = \int_{q(\mu)_{\text{data}}}^{\infty} f(q(\mu)|\mu) dq(\mu), \quad (5.9)$$

where  $q(\mu)_{\text{data}}$  is the observed value of  $q(\mu)$  on data, for a given  $\mu$ .

If  $p_\mu$  is less than  $\alpha$  (usually 0.05 or 0.1) the background-only model can be excluded in favor of the signal-plus-background model. For the purpose of a confidence interval estimation, the argument can be reversed and one could look for all the values of  $\mu$  that would not be excluded with Confidence Level (CL)  $1 - \alpha$ .

The problem with this definition is that, when the expected signal strength is very small, e.g. a invariant mass distribution in the TeV scale, the null hypothesis and the alternative one are almost indistinguishable. In this situation, a downward fluctuation of the background might lead us to exclude the alternative hypothesis (signal) in a region of low experimental sensitivity region. Putting in number, if we expect 50 background events and 2 signal events, but we observe 40 events, the signal would be easily excluded.

In order to take this effect into account, a modified frequentist approach for upper limits setting, the  $CL_s$  was proposed during the Higgs search era at LEP. Lets start by considering a profile likelihood ratio [165] as below:

$$\lambda(\mu) = \frac{\mathcal{L}(\text{data}|\mu, \hat{\theta})}{\mathcal{L}(\text{data}|\hat{\mu}, \hat{\theta})}, \quad (5.10)$$

where,  $\mathcal{L}(\text{data}|\mu, \hat{\theta})$  is the profile likelihood function.

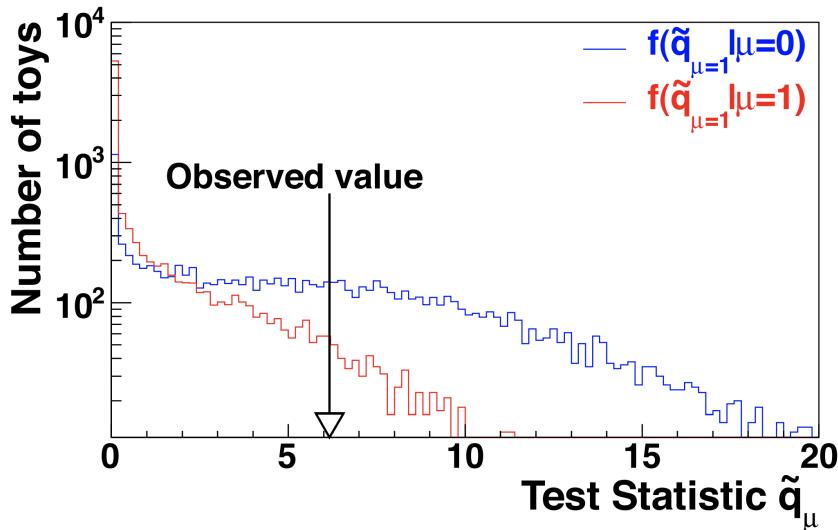
Defining  $\mu$  and the investigated signal strength,  $\hat{\theta}$  is the nuisances that maximizes the likelihood for a given  $\mu$  (fixed) while  $\hat{\mu}$  and  $\hat{\theta}$  are the signal strength and nuisances that, overall, maximizes the likelihood. The advantage of the CMS and ATLAS have a common set of statistical guidelines [166] to ensure the compatibility of the published results. Following these recommendations, the statistics test based on 5.10 is:

$$\tilde{q}_\mu = -2\ln[\lambda(\mu)], \text{ with } 0 \leq \hat{\mu} \leq \mu. \quad (5.11)$$

The left side restriction ( $0 \leq \hat{\mu}$ ) ensure us the proper physical interpretation of  $\mu$  as a positive defined signal strength, i.e., the observation a process would, for a given bin, increase the number of events. The right side restriction  $\hat{\mu} \leq \mu$  secure the interpretation of  $\tilde{q}_\mu$ 's  $p$ -value as a one-sided confidence interval. This is required for a upper limit definition.

The advantage of using the profile likelihood ratio is that, even though it takes into account the effect of nuisances in the likelihood, it is possible to prove that, with the use of Wilk's Theorem [149], that a statistic test defined as  $\tilde{q}_\mu$ , asymptotically follows a chi-square distribution with one degree of freedom (the signal strength) [163]. Thus,  $\tilde{q}_\mu$  is said to be approximately independent of any nuisance and allow a fast computation of its  $p$ -value without the need of toy MC strategies (which can computationally demanding, depending on the complexity of the models), event though this is not the standard CMS/ATLAS recommendation.

Based on  $\tilde{q}_\mu$ , defined at 5.11, one should compute the  $\tilde{q}_\mu^{\text{obs}}$ , also the  $\hat{\theta}_\mu^{\text{obs}}$  and  $\hat{\theta}_{\mu=0}^{\text{obs}}$ , which corresponds to the observed value of  $\tilde{q}_\mu$  on data, the maximum likelihood estimator for the nuisances assuming some signal strength  $\mu$  and assuming a background-only model, respectively. Then, the distributions of  $f(\tilde{q}_\mu|\mu, \hat{\theta}_\mu^{\text{obs}})$  and  $f(\tilde{q}_\mu|\mu = 0, \hat{\theta}_{\mu=0}^{\text{obs}})$  are generated tossing pseudo-random toy MC. Figure 5.72 presents an example of these two distributions.



**Figure 5.72:** Example of  $f(\tilde{q}_\mu|\mu, \hat{\theta}_\mu^{\text{obs}})$   $f(\tilde{q}_\mu|\mu = 0, \hat{\theta}_{\mu=0}^{\text{obs}})$  distributions generated with toy MC. Source: [166].

The  $CL_s$  value is defined as:

$$CL_s(\mu) = \frac{p_{s+b}(\mu)}{1 - p_b}, \quad (5.12)$$

where:

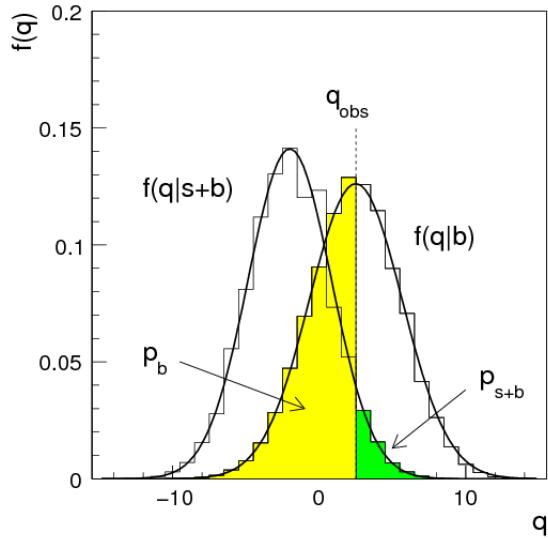
$$p_{s+b}(\mu) = \int_{\tilde{q}_\mu^{\text{obs}}}^{\infty} f(\tilde{q}_\mu | \mu, \hat{\theta}_\mu^{\text{obs}}) d\tilde{q}_\mu \quad (5.13)$$

and

$$p_b = \int_{-\infty}^{\tilde{q}_\mu^{\text{obs}}} f(\tilde{q}_\mu | \mu = 0, \hat{\theta}_{\mu=0}^{\text{obs}}) d\tilde{q}_\mu \quad (5.14)$$

Scanning different values of  $\mu$ , within  $0 \leq \hat{\mu} \leq \mu$ , one would exclude the ones which  $CL_s < \alpha$ . CMS and ATLAS recommends a CL level ( $1 - \alpha$ ) of 95%.

The main advantage of the  $CL_s$  approach is that the presence of the denominator  $1 - p_b$  in 5.12 penalizes the exclusion of regions in which the experiment is no sensitive. Figure 5.73 helps to illustrate this. One can notice that a small value of  $p_{s+b}$  (green area) is balanced by large value of  $p_b$  (yellow area). When the experimental sensitivity is higher, the two distributions tend to be far away from each other. Thus leading to a smaller compensation factor ( $p_b$ ) and enhancing the chance of a exclusive  $CL_s$  value.



**Figure 5.73:** Example of  $f(\tilde{q}_\mu | \mu, \hat{\theta}_\mu^{\text{obs}})$   $f(\tilde{q}_\mu | \mu = 0, \hat{\theta}_{\mu=0}^{\text{obs}})$  distributions generated with toy MC. In the figure,  $q$  must be read as  $\tilde{q}$ . The green area shows the  $p_{s+b}$  defined in 5.13, while the yellow one shows  $p_b$  defined in 5.14. Source: [163].

The expected upper limit and its  $\pm 1\sigma$  and  $\pm 2\sigma$  are determined by generating a large number of toy MC events, for the background-only model ( $\mu = 0$ ), with nuisances free to float, and for each simulation finding  $\mu_{95\%}$ , which defines the confidence level.

Once enough samples are generated, one should scan, from left to right, the cumulative distribution of  $\mu_{95\%}$ . The median defines the expected value and the quantiles for 16%, 84% and 2.5%, 97.5% defines the  $\pm 1\sigma$  and  $\pm 2\sigma$ , respectively.

### 5.12.2 Branching fraction upper limits

The results are summarized on table 5.11.

**Table 5.11:** Summary table for the limits on branching ratio of  $Z \rightarrow \Upsilon(1S, 2S, 3S)\gamma$  and  $H \rightarrow \Upsilon(1S, 2S, 3S)\gamma$  decays.

95% C.L. Upper Limit			
	$\mathcal{B}(Z \rightarrow \Upsilon\gamma) [\times 10^{-6}]$		
	$\Upsilon(1S)$	$\Upsilon(2S)$	$\Upsilon(3S)$
Expected	$1.6^{+0.8}_{-0.5}$	$2.0^{+1.0}_{-0.6}$	$1.8^{+1.0}_{-0.6}$
Observed	2.9	2.7	1.4
SM Prediction $[\times 10^{-8}]$	4.8	2.4	1.9
95% C.L. Upper Limit			
	$\mathcal{B}(H \rightarrow \Upsilon\gamma) [\times 10^{-4}]$		
	$\Upsilon(1S)$	$\Upsilon(2S)$	$\Upsilon(3S)$
Expected	$7.3^{+4.0}_{-2.4}$	$8.1^{+4.6}_{-2.8}$	$6.8^{+3.9}_{-2.3}$
Observed	6.9	7.4	5.8
SM Prediction $[\times 10^{-9}]$	5.2	1.4	0.9

The observed(expected) exclusion limit at 95% confidence level on the  $\mathcal{B}(Z \rightarrow \Upsilon(1S, 2S, 3S)\gamma) = 2.9, 2.7, 1.4 (1.6^{+0.8}_{-0.5}, 2.0^{+1.0}_{-0.6}, 1.8^{+1.0}_{-0.6}) \times 10^{-6}$ , and on the  $\mathcal{B}(H \rightarrow \Upsilon(1S, 2S, 3S)\gamma) = 6.9, 7.4, 5.8 (7.3^{+4.0}_{-2.4}, 8.1^{+4.6}_{-2.8}, 6.8^{+3.9}_{-2.3}) \times 10^{-4}$ .

As stated before, this analysis was done, for the  $Z$  decay, taking into account a mutually excludent categorization of events, based on the reconstructed photon properties ( $\eta_{SC}$  and R9 value), as described in Section 5.7.

At Table 5.12 we present the results obtained when there is no categorization of events (Inclusive category).

It is worth to remember that the categorization takes places only for the  $Z$  decay. For the Higgs decay, no categorization is imposed.

By taking, or not, into account any categorization, the numbers presented in both tables (5.11 and 5.12), are compatible within themselves and with the results published by the ATLAS collaboration [59]. Our interpretation to the lack of improvement of the no categorization scenario with respect to the categorized one, is that, the col-

**Table 5.12:** Summary table for the limits on branching ratio of  $Z \rightarrow \Upsilon(1S, 2S, 3S)\gamma$ , for the two possible categorization scenarios.

95% C.L. Upper Limit - $\mathcal{B}(Z \rightarrow \Upsilon\gamma) [\times 10^{-6}]$				
		without categorization		
		$\Upsilon(1S)$	$\Upsilon(2S)$	$\Upsilon(3S)$
Expected	$1.7^{+0.9}_{-0.5}$	$2.1^{+1.1}_{-0.7}$	$1.9^{+1.0}_{-0.6}$	
	2.6	2.3	1.2	
with categorization				
		$\Upsilon(1S)$	$\Upsilon(2S)$	$\Upsilon(3S)$
Expected	$1.6^{+0.8}_{-0.5}$	$2.0^{+1.0}_{-0.6}$	$1.8^{+1.0}_{-0.6}$	
	2.9	2.7	1.4	

lected statistics, after full selection, is so small, that the categorization just jeopardize the amount of events available.

# Chapter 6

## Conclusion and perspectives

In this document it was presented an analysis of the  $H/Z \rightarrow \Upsilon + \gamma$ , with 2016 data sample of the CMS detector, at center-of-mass energy  $\sqrt{s} = 13$  TeV. The obtained upper limits (Table ??), show good agreement with the Standard Model predictions and are compatible with previous measurements from other LHC experiments. Future developments of this analysis would be the measurement of the same upper limits considering the fully available statistics of CMS Run2 (2016, 2017 and 2018), the extrapolation of these results to the expected full CMS luminosity ( $3000 \text{ fb}^{-1}$ ) and an evaluation, using DELPHES [167], of the sensitivity of future colliders, such as the International Linear Collider (ILC) [168] or the FCC [169], to this decay.

**Table 6.1:** Summary table for the limits on branching ratio of  $Z \rightarrow \Upsilon(1S, 2S, 3S)\gamma$  and  $H \rightarrow \Upsilon(1S, 2S, 3S)\gamma$  decays.

	95% C.L. Upper Limit		
	$\mathcal{B}(Z \rightarrow \Upsilon\gamma) [\times 10^{-6}]$		
	$\Upsilon(1S)$	$\Upsilon(2S)$	$\Upsilon(3S)$
Expected	$1.6^{+0.8}_{-0.5}$	$2.0^{+1.0}_{-0.6}$	$1.8^{+1.0}_{-0.6}$
Observed	2.9	2.7	1.4
SM Prediction $[\times 10^{-8}]$	4.8	2.4	1.9
	$\mathcal{B}(H \rightarrow \Upsilon\gamma) [\times 10^{-4}]$		
	$\Upsilon(1S)$	$\Upsilon(2S)$	$\Upsilon(3S)$
Expected	$7.3^{+4.0}_{-2.4}$	$8.1^{+4.6}_{-2.8}$	$6.8^{+3.9}_{-2.3}$
Observed	6.9	7.4	5.8
SM Prediction $[\times 10^{-9}]$	5.2	1.4	0.9

For the Resistive Plate Chambers, it was presented contributions given to the RPC system of CMS, during the development of this study, including its maintenance and

R&D. The main challenge for the next generation of detector based on this technology is research on new gas mixtures that do not included in its composition, green houses gases. There are already developments in this direction [170].

# Bibliography

1. The Super Proton Synchrotron. <https://cds.cern.ch/record/1997188> (Jan. 2012).
2. Chatrchyan, S. *et al.* The CMS experiment at the CERN LHC. *JINST* **3**, S08004 (2008).
3. Collaboration, T. A. *et al.* The ATLAS Experiment at the CERN Large Hadron Collider. *Journal of Instrumentation* **3**, S08003–S08003. <https://doi.org/10.1088%2F1748-0221%2F3%2F08%2Fs08003> (Aug. 2008).
4. Chatrchyan, S. *et al.* Observation of a new boson at a mass of 125 GeV with the CMS experiment at the LHC. *Phys. Lett.* **B716**, 30–61. arXiv: 1207.7235 [hep-ex] (2012).
5. Aad, G. *et al.* Observation of a new particle in the search for the Standard Model Higgs boson with the ATLAS detector at the LHC. *Physics Letters B* **716**, 1–29. ISSN: 0370-2693. <http://www.sciencedirect.com/science/article/pii/S037026931200857X> (2012).
6. NobelPrize.org. *The Nobel Prize in Physics 2013* <https://www.nobelprize.org/prizes/physics/2013/summary/>.
7. Collaboration, C. *Selected heavy flavor distributions from CMS with 2016 data at 13 TeV* tech. rep. CMS-DP-2016-016 (June 2016). <https://cds.cern.ch/record/2160343>.
8. Burgess, C. & Moore, G. *The Standard Model: A Primer* (Cambridge University Press, 2006).
9. Anselmino, M., Caruso, F., Mahon, J. & Oguri, V. *Introdução à QCD Perturbativa* ISBN: 9788521622994 (LTC, 2013).

10. Halzen, F. & Martin, A. D. *QUARKS AND LEPTONS: AN INTRODUCTORY COURSE IN MODERN PARTICLE PHYSICS* ISBN: 978-0-471-88741-6 (Jan. 1984).
11. Aitchison, I. & Hey, A. *Gauge theories in particle physics: A practical introduction. Vol. 2: Non-Abelian gauge theories: QCD and the electroweak theory* ISBN: 978-1-4665-1307-5 (CRC Press, 2012).
12. Commons, W. *Standard Model* [https://en.wikipedia.org/wiki/File:Standard\\_Model\\_of\\_Elementary\\_Particles.svg](https://en.wikipedia.org/wiki/File:Standard_Model_of_Elementary_Particles.svg).
13. Group, P. D. *et al.* Review of Particle Physics. *Progress of Theoretical and Experimental Physics* **2020**. 083C01. ISSN: 2050-3911. eprint: <https://academic.oup.com/ptep/article-pdf/2020/8/083C01/33653179/ptaa104.pdf>. <https://doi.org/10.1093/ptep/ptaa104> (Aug. 2020).
14. Salam, A. & Ward, J. C. On a gauge theory of elementary interactions. *Il Nuovo Cimento (1955-1965)* **19**, 165–170. <https://doi.org/10.1007/BF02812723> (1961).
15. Gell-Mann, M. Symmetries of Baryons and Mesons. *Phys. Rev.* **125**, 1067–1084. <https://link.aps.org/doi/10.1103/PhysRev.125.1067> (3 Feb. 1962).
16. Dalitz, R. *Proceedings of the XIIIth International Conference on High Energy Physics* 1967.
17. Ochs, W. The Status of Glueballs. *J. Phys. G* **40**, 043001. arXiv: 1301.5183 [hep-ph] (2013).
18. Higgs, P. W. Broken Symmetries and the Masses of Gauge Bosons. *Phys. Rev. Lett.* **13** (ed Taylor, J.) 508–509 (1964).
19. Higgs, P. W. Broken symmetries, massless particles and gauge fields. *Phys. Lett.* **12**, 132–133 (1964).
20. Higgs, P. W. Spontaneous Symmetry Breakdown without Massless Bosons. *Phys. Rev.* **145**, 1156–1163 (1966).
21. Englert, F. & Brout, R. Broken Symmetry and the Mass of Gauge Vector Mesons. *Phys. Rev. Lett.* **13** (ed Taylor, J.) 321–323 (1964).
22. Guralnik, G., Hagen, C. & Kibble, T. Global Conservation Laws and Massless Particles. *Phys. Rev. Lett.* **13** (ed Taylor, J.) 585–587 (1964).

23. Kibble, T. Symmetry breaking in nonAbelian gauge theories. *Phys. Rev.* **155** (ed Taylor, J.) 1554–1561 (1967).
24. Abe, F. *et al.* Observation of top quark production in  $\bar{p}p$  collisions. *Phys. Rev. Lett.* **74**, 2626–2631. arXiv: hep-ex/9503002 (1995).
25. Abachi, S. *et al.* Observation of the top quark. *Phys. Rev. Lett.* **74**, 2632–2637. arXiv: hep-ex/9503003 (1995).
26. Ellis, J. Outstanding questions: physics beyond the Standard Model. *Philosophical Transactions of the Royal Society A: Mathematical, Physical and Engineering Sciences* **370**, 818–830. eprint: <https://royalsocietypublishing.org/doi/pdf/10.1098/rsta.2011.0452>. <https://royalsocietypublishing.org/doi/abs/10.1098/rsta.2011.0452> (2012).
27. Collaboration, C. *Summary of the cross section measurements of Standard Model processes*. <https://twiki.cern.ch/twiki/bin/view/CMSPublic/PhysicsResultsCombined> (2020).
28. Baak, M. *et al.* The global electroweak fit at NNLO and prospects for the LHC and ILC. *Eur. Phys. J. C* **74**, 3046. arXiv: 1407.3792 [hep-ph] (2014).
29. LHC Higgs Cross Section Working Group. Handbook of LHC Higgs Cross Sections: 4. Deciphering the Nature of the Higgs Sector. arXiv: 1610.07922 [hep-ph] (2016).
30. Sirunyan, A. M. *et al.* Combined measurements of Higgs boson couplings in proton–proton collisions at  $\sqrt{s} = 13$  TeV. *Eur. Phys. J. C* **79**, 421. arXiv: 1809.10733 [hep-ex] (2019).
31. Sirunyan, A. M. *et al.* Observation of Higgs boson decay to bottom quarks. *Phys. Rev. Lett.* **121**, 121801. arXiv: 1808.08242 [hep-ex] (2018).
32. CMS Collaboration. *Measurement of Higgs boson decay to a pair of muons in proton-proton collisions at  $\sqrt{s} = 13$  TeV* CMS Physics Analysis Summary CMS-PAS-HIG-19-006 (2019). <http://cdsweb.cern.ch/record/1279362>.
33. Sirunyan, A. M. *et al.* Observation of the Higgs boson decay to a pair of  $\tau$  leptons with the CMS detector. *Phys. Lett. B* **779**, 283–316. arXiv: 1708.00373 [hep-ex] (2018).

34. Sirunyan, A. M. *et al.* A search for the standard model Higgs boson decaying to charm quarks. *JHEP* **03**, 131. arXiv: 1912.01662 [hep-ex] (2020).
35. Sirunyan, A. M. *et al.* Measurement and interpretation of differential cross sections for Higgs boson production at  $\sqrt{s} = 13$  TeV. *Phys. Lett. B* **792**, 369–396. arXiv: 1812.06504 [hep-ex] (2019).
36. Sirunyan, A. M. *et al.* Measurement of the inclusive and differential Higgs boson production cross sections in the leptonic WW decay mode at  $\sqrt{s} = 13$  TeV. arXiv: 2007.01984 [hep-ex] (July 2020).
37. Sirunyan, A. M. *et al.* A measurement of the Higgs boson mass in the diphoton decay channel. *Phys. Lett. B* **805**, 135425. arXiv: 2002.06398 [hep-ex] (2020).
38. Spira, M., Djouadi, A., Graudenz, D. & Zerwas, P. Higgs boson production at the LHC. *Nucl. Phys. B* **453**, 17–82. arXiv: hep-ph/9504378 (1995).
39. Collaboration, C. *List of CMS Higgs publications*. <http://cms-results.web.cern.ch/cms-results/public-results/publications/HIG/index.html> (2020).
40. Collaboration, C. *List of CMS Higgs public results*. <http://cms-results.web.cern.ch/cms-results/public-results/preliminary-results/HIG/index.html> (2020).
41. CMS Collaboration. *Combined Higgs boson production and decay measurements with up to 137 fb<sup>-1</sup> of proton-proton collision data at sqrt s = 13 TeV* CMS Physics Analysis Summary CMS-PAS-HIG-19-005 (2019). <http://cdsweb.cern.ch/record/1279362>.
42. Landau, L. On the angular momentum of a system of two photons. *Dokl. Akad. Nauk SSSR* **60**, 207–209 (1948).
43. Yang, C.-N. Selection Rules for the Dematerialization of a Particle Into Two Photons. *Phys. Rev.* **77**, 242–245 (1950).
44. Collaboration, C. *List of CMS Higgs publications involving spin-parity tests*. <http://cms-results.web.cern.ch/cms-results/public-results/publications/HIG/SPIN.html> (2020).

45. Bodwin, G., Petriello, F., Stoynev, S. & Velasco, M. Higgs boson decays to quarkonia and the  $H\bar{c}c$  coupling. *Phys. Rev. D* **88**, 053003. <https://link.aps.org/doi/10.1103/PhysRevD.88.053003> (5 Sept. 2013).
46. Bodwin, G. T., Chung, H. S., Ee, J.-H., Lee, J. & Petriello, F. Relativistic corrections to Higgs boson decays to quarkonia. *Phys. Rev. D* **90**, 113010. <https://link.aps.org/doi/10.1103/PhysRevD.90.113010> (11 Dec. 2014).
47. Aad, G., Abbott, B., *et al.* Combined Measurement of the Higgs Boson Mass in  $pp$  Collisions at  $\sqrt{s} = 7$  and 8 TeV with the ATLAS and CMS Experiments. *Phys. Rev. Lett.* **114**, 191803. <https://link.aps.org/doi/10.1103/PhysRevLett.114.191803> (19 May 2015).
48. Delaunay, C., Golling, T., Perez, G. & Soreq, Y. Enhanced Higgs boson coupling to charm pairs. *Phys. Rev. D* **89**, 033014. <https://link.aps.org/doi/10.1103/PhysRevD.89.033014> (3 Feb. 2014).
49. PÉREZ, M. A., TAVARES-VELASCO, G. & TOSCANO, J. J. NEW PHYSICS EFFECTS IN RARE Z DECAYS. *International Journal of Modern Physics A* **19**, 159–178 (2004).
50. Grossman, Yuval and König, Matthias and Neubert, Matthias. Exclusive radiative decays of W and Z bosons in QCD factorization. *Journal of High Energy Physics* **2015**, 101. ISSN: 1029-8479. [https://doi.org/10.1007/JHEP04\(2015\)101](https://doi.org/10.1007/JHEP04(2015)101) (Apr. 2015).
51. Bodwin, G. T., Chung, H. S., Ee, J.-H. & Lee, J. Z-boson decays to a vector quarkonium plus a photon. *Phys. Rev. D* **97**, 016009. <https://link.aps.org/doi/10.1103/PhysRevD.97.016009> (1 Jan. 2018).
52. Bodwin, G. T., Chung, H. S., Ee, J.-H. & Lee, J. Addendum: New approach to the resummation of logarithms in Higgs-boson decays to a vector quarkonium plus a photon [Phys. Rev. D 95, 054018 (2017)]. *Phys. Rev. D* **96**, 116014. <https://link.aps.org/doi/10.1103/PhysRevD.96.116014> (11 Dec. 2017).
53. Isidori, G., Manohar, A. V. & Trott, M. Probing the nature of the Higgs-like boson via  $h \rightarrow Vf$  decays. *Physics Letters B* **728**, 131–135. ISSN: 0370-2693. <http://www.sciencedirect.com/science/article/pii/S037026931300960X> (2014).

54. Kagan, A. L. *et al.* Exclusive Window onto Higgs Yukawa Couplings. *Phys. Rev. Lett.* **114**, 101802. <https://link.aps.org/doi/10.1103/PhysRevLett.114.101802> (10 Mar. 2015).
55. Gao, D.-N. A note on Higgs decays into Z boson and  $J/\psi(\Upsilon)$ . *Physics Letters B* **737**, 366–368. ISSN: 0370-2693. <http://www.sciencedirect.com/science/article/pii/S0370269314006698> (2014).
56. Sirunyan, A. M. *et al.* Observation of Higgs Boson Decay to Bottom Quarks. *Phys. Rev. Lett.* **121**, 121801. <https://link.aps.org/doi/10.1103/PhysRevLett.121.121801> (12 Sept. 2018).
57. Apollinari, G., Béjar Alonso, I., Brüning, O., Lamont, M. & Rossi, L. *High-Luminosity Large Hadron Collider (HL-LHC): Preliminary Design Report* <https://cds.cern.ch/record/2116337> (CERN, Geneva, 2015).
58. Aad, G. *et al.* Search for Higgs and Z Boson Decays to  $J/\psi\gamma$  and  $\Upsilon(nS)\gamma$  with the ATLAS Detector. *Phys. Rev. Lett.* **114**, 121801. <https://link.aps.org/doi/10.1103/PhysRevLett.114.121801> (12 Mar. 2015).
59. Aaboud, M. *et al.* Searches for exclusive Higgs and Z boson decays into  $J/\psi\gamma$ ,  $\psi(2S)\gamma$ , and  $\Upsilon(nS)\gamma$  at  $\sqrt{s} = 13$  TeV with the ATLAS detector. *Phys. Lett. B* **786**, 134–155. arXiv: 1807.00802 [hep-ex] (2018).
60. Chatrchyan, S. *et al.* The CMS experiment at the CERN LHC. *JINST* **3**, S08004 (2008).
61. Sirunyan, A. M. *et al.* Search for rare decays of Z and Higgs bosons to  $J/\psi$  and a photon in proton-proton collisions at  $\sqrt{s} = 13$  TeV. *Eur. Phys. J.* **C79**, 94. arXiv: 1810.10056 [hep-ex] (2019).
62. Sirunyan, A. M. *et al.* Search for Higgs and Z boson decays to  $J/\psi$  or  $\Upsilon$  pairs in proton-proton collisions at  $\sqrt{s} = 13$  TeV. *Phys. Lett. B* **797**. All figures and tables can be found at <http://cms-results.web.cern.ch/cms-results/public-results/publications/HIG-18-025> (CMS Public Pages), 134811. 31 p. <https://cds.cern.ch/record/2676242> (May 2019).
63. Sirunyan, A. M. *et al.* Observation of the  $Z \rightarrow \psi\ell^+\ell^-$  decay in pp collisions at  $\sqrt{s} = 13$  TeV. *Phys. Rev. Lett.* **121**. Submitted to Phys.Rev.Lett., 141801. 17 p. <https://cds.cern.ch/record/2623687> (June 2018).

64. Sirunyan, A. M. *et al.* Search for decays of the 125 GeV Higgs boson into a Z boson and a  $\rho$  or  $\phi$  meson. arXiv: 2007.05122 [hep-ex] (July 2020).
65. LHC Machine. *JINST* **3** (eds Evans, L. & Bryant, P.) S08001 (2008).
66. Brüning, O. S. *et al.* *LHC Design Report* <http://cds.cern.ch/record/782076> (CERN, Geneva, 2004).
67. Brüning, O. S. *et al.* *LHC Design Report* <http://cds.cern.ch/record/815187> (CERN, Geneva, 2004).
68. Benedikt, M., Collier, P., Mertens, V., Poole, J. & Schindl, K. *LHC Design Report* <http://cds.cern.ch/record/823808> (CERN, Geneva, 2004).
69. Lefèvre, C. *The CERN accelerator complex. Complexe des accélérateurs du CERN* Dec. 2008. <http://cds.cern.ch/record/1260465>.
70. Baird, S. *Accelerators for pedestrians; rev. version* tech. rep. AB-Note-2007-014. CERN-AB-Note-2007-014. PS-OP-Note-95-17-Rev-2. CERN-PS-OP-Note-95-17-Rev-2 (CERN, Geneva, Feb. 2007). <http://cds.cern.ch/record/1017689>.
71. Alves A.Augusto, J. *et al.* The LHCb Detector at the LHC. *JINST* **3**, S08005 (2008).
72. Aamodt, K. *et al.* The ALICE experiment at the CERN LHC. *JINST* **3**, S08002 (2008).
73. High-Luminosity Large Hadron Collider (HL-LHC): Technical Design Report V. 0.1. **4/2017** (eds Apollinari, G. *et al.*) (Nov. 2017).
74. Sakuma, T. Cutaway diagrams of CMS detector. <http://cds.cern.ch/record/2665537> (May 2019).
75. UZH CMS. *UZH CMS wiki* <https://wiki.physik.uzh.ch/cms/latex:tikz>.
76. Chatrchyan, S. *et al.* Description and performance of track and primary-vertex reconstruction with the CMS tracker. *JINST* **9**, P10009. arXiv: 1405.6569 [physics.ins-det] (2014).
77. Khachatryan, V. *et al.* Performance of electron reconstruction and selection with the CMS detector in proton-proton collisions at  $\sqrt{s} = 8$  TeV. *JINST* **10**, P06005. arXiv: 1502.02701 [physics.ins-det] (2015).

78. Khachatryan, V. *et al.* Performance of photon reconstruction and identification with the CMS detector in proton-proton collisions at  $\sqrt{s} = 8$  TeV. *JINST* **10**, P08010. arXiv: 1502.02702 [physics.ins-det] (2015).
79. Cacciari, M., Salam, G. P. & Soyez, G. The anti- $k_t$  jet clustering algorithm. *JHEP* **04**, 063. arXiv: 0802.1189 [hep-ex] (2008).
80. Cacciari, M., Salam, G. P. & Soyez, G. FastJet User Manual. *Eur. Phys. J.* **C72**, 1896. arXiv: 1111.6097 [hep-ph] (2012).
81. *The CMS muon project: Technical Design Report* <https://cds.cern.ch/record/343814> (CERN, Geneva, 1997).
82. Sirunyan, A. M. *et al.* Performance of the CMS muon detector and muon reconstruction with proton-proton collisions at  $\sqrt{s} = 13$  TeV. *JINST* **13**, P06015. arXiv: 1804.04528 [physics.ins-det] (2018).
83. Chatrchyan, S. *et al.* The Performance of the CMS Muon Detector in Proton-Proton Collisions at  $\sqrt{s} = 7$  TeV at the LHC. *JINST* **8**, P11002. arXiv: 1306.6905 [physics.ins-det] (2013).
84. Sauli, F. The gas electron multiplier (GEM): Operating principles and applications. The gas electron multiplier (GEM): Operating principles and applications. *Nucl. Instrum. Methods Phys. Res., A* **805**, 2–24. 23 p. <http://cds.cern.ch/record/2262884> (2016).
85. Teyssier, D. F. *CMS Drift Tubes performance* tech. rep. (2016), 709–713.
86. Khachatryan, V. *et al.* The CMS trigger system. *JINST* **12**, P01020. arXiv: 1609.02366 [physics.ins-det] (2017).
87. Sirunyan, A. M. *et al.* Particle-flow reconstruction and global event description with the CMS detector. *JINST* **12**, P10003. arXiv: 1706.04965 [physics.ins-det] (2017).
88. Khachatryan, V. *et al.* Jet energy scale and resolution in the CMS experiment in pp collisions at 8 TeV. *JINST* **12**, P02014. arXiv: 1607.03663 [hep-ex] (2017).
89. Sirunyan, A. M. *et al.* Performance of missing transverse momentum reconstruction in proton-proton collisions at  $\sqrt{s} = 13$  TeV using the CMS detector. *JINST* **14**, P07004. arXiv: 1903.06078 [hep-ex] (2019).

90. Thaler, J. & Van Tilburg, K. Identifying Boosted Objects with  $N$ -subjettiness. *JHEP* **03**, 015. arXiv: 1011.2268 [hep-ph] (2011).
91. Dasgupta, M., Fregoso, A., Marzani, S. & Salam, G. P. Towards an understanding of jet substructure. *JHEP* **09**, 029. arXiv: 1307.0007 [hep-ph] (2013).
92. Butterworth, J. M., Davison, A. R., Rubin, M. & Salam, G. P. Jet substructure as a new Higgs search channel at the LHC. *Phys. Rev. Lett.* **100**, 242001. arXiv: 0802.2470 [hep-ph] (2008).
93. Larkoski, A. J., Marzani, S., Soyez, G. & Thaler, J. Soft drop. *JHEP* **05**, 146. arXiv: 1402.2657 [hep-ph] (2014).
94. Sirunyan, A. M. *et al.* Pileup mitigation at CMS in 13 TeV data. *JINST* **15**, P09018. arXiv: 2003.00503 [hep-ex] (2020).
95. Santonico, R. & Cardarelli, R. Development of resistive plate counters. *Nuclear Instruments and Methods in Physics Research* **187**, 377–380. ISSN: 0167-5087. <http://www.sciencedirect.com/science/article/pii/0029554X81903633> (1981).
96. Abbrescia, M., Fonte, P. & Peskov, V. *Resistive gaseous detectors: designs, performance, and perspectives* (Wiley-VCH, Weinheim, 2018).
97. Beroual, A. & Fofana, I. in *Discharge in Long Air Gaps* 2-1 to 2-22 (IOP Publishing, 2016). ISBN: 978-0-7503-1236-3. <http://dx.doi.org/10.1088/978-0-7503-1236-3ch2>.
98. Loeb, L. B. & Meek, J. M. The Mechanism of Spark Discharge in Air at Atmospheric Pressure. I. *Journal of Applied Physics* **11**, 438–447. eprint: <https://doi.org/10.1063/1.1712792> (1940).
99. Dong Hyun, Kim. *Work on CMS Muon Detector (RPC) during Long Shutdown 1 (LS1) - Point 5, Cessy, CMS cavern* CMS Collection. May 2015. <https://cds.cern.ch/record/2016815>.
100. Bernardini, P. *et al.* Precise measurements of drift velocities in helium gas mixtures. *Nuclear Instruments and Methods in Physics Research Section A: Accelerators, Spectrometers, Detectors and Associated Equipment* **355**, 428–433. ISSN: 0168-9002. <http://www.sciencedirect.com/science/article/pii/0168900294011443> (1995).

101. Et al., E. G. Drift velocity measurements in C2H2F4 based mixtures. *Proceedings of the 4th International Workshop on Resistive Plate Chamber and Related Detectors, in Napoli, Italy, 15-16 October* (1997).
102. Bressi, G. *et al.* AN APPARATUS TO SEARCH FOR FREE NEUTRON ANTI-NEUTRON OSCILLATIONS. *Nucl. Instrum. Meth. A* **261**, 449–461 (1987).
103. Ge, H. *et al.* The production of residual nuclides in Pb irradiated by 400 MeV/u carbon ions. *Nucl. Instrum. Meth. B* **337**, 34–38 (2014).
104. Abbrescia, M. *et al.* A Horizontal muon telescope implemented with resistive plate chambers. *Nucl. Instrum. Meth. A* **336**, 322–329 (1993).
105. Antoniazzi, L., Introzzi, G., Lanza, A., Liguori, G. & Torre, P. The E771 RPC muon detector. *Nucl. Instrum. Meth. A* **315**, 92–94 (1992).
106. Di Ciaccio, A. *et al.* Muon tracking and hadron punchthrough measurements using resistive plate chambers. *Nucl. Instrum. Meth. A* **315**, 102–108 (1992).
107. De Asmundis, R. *Performances of the RPC trigger system in the L3 experiment in 3rd International Workshop on Resistive Plate Chambers and Related Detectors (RPC 95)* (1995), 139–155.
108. Boutigny, D. *et al.* BaBar technical design report (Mar. 1995).
109. Gelmi, A. *Longevity studies for the CMS-RPC system* tech. rep. CMS-CR-2018-136 (CERN, Geneva, July 2018). <https://cds.cern.ch/record/2634505>.
110. Shah, M. *et al.* *Experiences from the RPC data taking during the CMS RUN-2* in *15th Workshop on Resistive Plate Chambers and Related Detectors* (May 2020). arXiv: 2005.12532 [physics.ins-det].
111. *Public CMS Data Quality Information* twiki.cern.ch/twiki/bin/view/CMS/ Public/ DataQuality. Access: 20/02/2018.
112. Gutleber, J., Murray, S. & Orsini, L. Towards a homogeneous architecture for high-energy physics data acquisition systems. *Computer Physics Communications* **153**, 155–163. ISSN: 0010-4655. <http://www.sciencedirect.com/science/article/pii/S0010465503001619> (2003).
113. *Dojo* <https://dojotoolkit.org/>. Access: 20/02/2018.
114. *Polymer Project* Access: 20/02/2018.

115. Pedraza-Morales, M. I. *RPC upgrade project for CMS Phase II* 2018. arXiv: 1806.11503 [physics.ins-det].
116. Pfeiffer, D. *et al.* The radiation field in the Gamma Irradiation Facility GIFT at CERN. *Nuclear Instruments and Methods in Physics Research Section A: Accelerators, Spectrometers, Detectors and Associated Equipment* **866**, 91–103. ISSN: 0168-9002. <http://www.sciencedirect.com/science/article/pii/S0168900217306113> (2017).
117. Alves Jr., A. A. *et al.* The LHCb Detector at the LHC. *JINST* **3**, S08005 (2008).
118. Charpak, G., Bouclier, R., Bressani, T., Favier, J. & Zupancic, C. The Use of Multiwire Proportional Counters to Select and Localize Charged Particles. *Nucl. Instrum. Meth.* **62**, 262–268 (1968).
119. *LHCb Muon Group Home Page* [Online; accessed 1-October-2019]. 2019. <http://lhcb-muon.web.cern.ch/lhcb-muon/>.
120. *CAEN Programmable Logic Unit - V2495* [Online; accessed 1-October-2019]. 2019. <https://www.caen.it/products/v2495/>.
121. *Resistive Plate Chambers are getting dolled up* <https://cms.cern/news/resistive-plate-chambers-are-getting-dolled>. Access: 20/09/2019.
122. Binetti, C., Liuzzi, R., Loddo, F., Marangelli, B. & Ranieri, A. A new Front-End board for RPC detector of CMS (Sept. 1999).
123. *Flask (web framework)* [Online; accessed 1-October-2019]. 2019. <https://palletsprojects.com/p/flask/>.
124. CMS Collaboration. *CMS Luminosity Measurements for the 2016 Data Taking Period* CMS Physics Analysis Summary CMS-PAS-LUM-17-001 (2010). <http://cdsweb.cern.ch/record/1279362>.
125. Melo, E. *Study on the pile-up impact in the variables commonly used to identify hard single diffractive events* PhD thesis (UERJ, 2009).
126. Agostinelli, S. *et al.* GEANT4—a simulation toolkit. *A506*, 250–303 (2003).
127. Nason, P. A New method for combining NLO QCD with shower Monte Carlo algorithms. *JHEP* **11**, 040. arXiv: hep-ph/0409146 [hep-ph] (2004).

128. Frixione, S., Nason, P. & Oleari, C. Matching NLO QCD computations with Parton Shower simulations: the POWHEG method. *JHEP* **11**, 070. arXiv: 0709.2092 [hep-ph] (2007).
129. Alioli, S., Nason, P., Oleari, C. & Re, E. A general framework for implementing NLO calculations in shower Monte Carlo programs: the POWHEG BOX. *JHEP* **06**, 043. arXiv: 1002.2581 [hep-ph] (2010).
130. Djouadi, A. The anatomy of electroweak symmetry breaking: Tome I: The Higgs boson in the Standard Model. *Physics Reports* **457**, 1–216. ISSN: 0370-1573. <http://www.sciencedirect.com/science/article/pii/S0370157307004334> (2008).
131. Sjöstrand, T., Mrenna, S. & Skands, P. A brief introduction to PYTHIA 8.1. *Computer Physics Communications* **178**, 852–867. ISSN: 0010-4655. <http://www.sciencedirect.com/science/article/pii/S0010465508000441> (2008).
132. Sjöstrand, T. *et al.* An Introduction to PYTHIA 8.2. *Comput. Phys. Commun.* **191**, 159–177. arXiv: 1410.3012 [hep-ph] (2015).
133. Khachatryan, V. *et al.* Event generator tunes obtained from underlying event and multiparton scattering measurements. *Eur. Phys. J. C* **76**, 155. arXiv: 1512.00815 [hep-ex] (2016).
134. The NNPDF collaboration *et al.* Parton distributions for the LHC run II. *Journal of High Energy Physics* **2015**, 40. ISSN: 1029-8479. [https://doi.org/10.1007/JHEP04\(2015\)040](https://doi.org/10.1007/JHEP04(2015)040) (Apr. 2015).
135. Alwall, J. *et al.* The automated computation of tree-level and next-to-leading order differential cross sections, and their matching to parton shower simulations. *Journal of High Energy Physics* **2014**, 79. ISSN: 1029-8479. [https://doi.org/10.1007/JHEP07\(2014\)079](https://doi.org/10.1007/JHEP07(2014)079) (July 2014).
136. Abbasabadi, A., Bowser-Chao, D., Dicus, D. A. & Repko, W. W. Radiative Higgs boson decays  $H \rightarrow f\bar{f}\gamma$ . *Phys. Rev. D* **55**, 5647–5656. <https://link.aps.org/doi/10.1103/PhysRevD.55.5647> (9 May 1997).
137. De Florian, D. *et al.* *Handbook of LHC Higgs Cross Sections: 4. Deciphering the Nature of the Higgs Sector* 869 pages, 295 figures, 248 tables and 1645 citations. Working Group web page: <https://twiki.cern.ch/twiki/bin/view/LHCPhysics/LHCHXSWG>. <https://cds.cern.ch/record/2227475> (Oct. 2016).

138. Li, Y. & Petriello, F. Combining QCD and electroweak corrections to dilepton production in the framework of the FEWZ simulation code. *Phys. Rev. D* **86**, 094034. <https://link.aps.org/doi/10.1103/PhysRevD.86.094034> (9 Nov. 2012).
139. Campbell, J. M. & Ellis, R. MCFM for the Tevatron and the LHC. *Nuclear Physics B - Proceedings Supplements* **205-206**. Loops and Legs in Quantum Field Theory, 10–15. ISSN: 0920-5632. <http://www.sciencedirect.com/science/article/pii/S0920563210001945> (2010).
140. Khachatryan, V. *et al.* Search for a Higgs boson decaying into  $\gamma^*\gamma \rightarrow \ell\ell\gamma$  with low dilepton mass in pp collisions at  $\sqrt{s} = 8$  TeV. *Phys. Lett. B* **753**, 341–362. arXiv: 1507.03031 [hep-ex] (2016).
141. Brambilla, N., Eidelman, S., Heltsley, B., *et al.* Heavy quarkonium: progress, puzzles, and opportunities. *The European Physical Journal C* **71**, 1534. ISSN: 1434-6052. <https://doi.org/10.1140/epjc/s10052-010-1534-9> (Feb. 2011).
142. Palestini, S. Angular distribution and rotations of frame in vector meson decays into lepton pairs. *Phys. Rev. D* **83**, 031503. <https://link.aps.org/doi/10.1103/PhysRevD.83.031503> (3 Feb. 2011).
143. Sirunyan, A. *et al.* Particle-flow reconstruction and global event description with the CMS detector. *Journal of Instrumentation* **12**, P10003. <http://stacks.iop.org/1748-0221/12/i=10/a=P10003> (2017).
144. Sirunyan, A. M. *et al.* Measurements of properties of the Higgs boson decaying into the four-lepton final state in pp collisions at  $\sqrt{s} = 13$  TeV. *JHEP* **11**, 047. arXiv: 1706.09936 [hep-ex] (2017).
145. Khachatryan, V. *et al.* Observation of the diphoton decay of the Higgs boson and measurement of its properties. *The European Physical Journal C* **74**, 3076. ISSN: 1434-6052. <https://doi.org/10.1140/epjc/s10052-014-3076-z> (Oct. 2014).
146. Bernstein, S. Démonstration du théorème de Weierstrass fondée sur le calcul des probabilités. *Commun. Soc. Math. Kharkov* **13** (1912).
147. Gaiser, J. E. *Charmonium Spectroscopy From Radiative Decays of the  $J/\psi$  and  $\psi'$*  PhD thesis (SLAC, 1982). <http://www-public.slac.stanford.edu/sciDoc/docMeta.aspx?slacPubNumber=slac-r-255.html>.

148. Dauncey, P. D., Kenzie, M., Wardle, N. & Davies, G. J. Handling uncertainties in background shapes: the discrete profiling method. *JINST* **10**, P04015. arXiv: 1408.6865 [physics.data-an] (2015).
149. Wilks, S. S. The Large-Sample Distribution of the Likelihood Ratio for Testing Composite Hypotheses. *Ann. Math. Statist.* **9**, 60–62. <https://doi.org/10.1214/aoms/1177732360> (Mar. 1938).
150. To Gamma Gamma Working Group, H. *Further measurement of  $H \rightarrow \gamma\gamma$  at  $\sqrt{13}$  TeV* CMS Note 2016/209 (CERN, 2016). [http://cms.cern.ch/iCMS/jsp/db\\_notes/noteInfo.jsp?cmsnoteid=CMS%20AN-2016/209](http://cms.cern.ch/iCMS/jsp/db_notes/noteInfo.jsp?cmsnoteid=CMS%20AN-2016/209).
151. *Updated measurements of Higgs boson production in the diphoton decay channel at  $\sqrt{s} = 13$  TeV in pp collisions at CMS*. CMS Physics Analysis Summary CMS-PAS-HIG-16-020 (CERN, Geneva, 2016). <http://cds.cern.ch/record/2205275>.
152. Butterworth, J. *et al.* PDF4LHC recommendations for LHC Run II. *J. Phys.* **G43**, 023001. arXiv: 1510.03865 [hep-ph] (2016).
153. Martin, A. D., Stirling, W. J., Thorne, R. S. & Watt, G. Parton distributions for the LHC. *Eur. Phys. J.* **C63**, 189–285. arXiv: 0901.0002 [hep-ph] (2009).
154. Lai, H.-L. *et al.* New parton distributions for collider physics. *Phys. Rev.* **D82**, 074024. arXiv: 1007.2241 [hep-ph] (2010).
155. Alekhin, S. *et al.* The PDF4LHC Working Group Interim Report. arXiv: 1101.0536 [hep-ph] (2011).
156. Botje, M. *et al.* The PDF4LHC Working Group Interim Recommendations. arXiv: 1101.0538 [hep-ph] (2011).
157. Ball, R. D. *et al.* Impact of Heavy Quark Masses on Parton Distributions and LHC Phenomenology. *Nucl. Phys.* **B849**, 296–363. arXiv: 1101.1300 [hep-ph] (2011).
158. Passarino, G. Higgs Boson Production and Decay: Dalitz Sector. *Phys. Lett.* **B727**, 424–431. arXiv: 1308.0422 [hep-ph] (2013).
159. Sirunyan, A. *et al.* Performance of the CMS muon detector and muon reconstruction with proton-proton collisions at  $\sqrt{s}=13$  TeV. *Journal of Instrumentation* **13**, P06015–P06015. <https://doi.org/10.1088/2F1748-0221%2F13%2F06%2Fp06015> (June 2018).

160. Khachatryan, V. *et al.* Performance of photon reconstruction and identification with the CMS detector in proton-proton collisions at  $\sqrt{s} = 8$  TeV. *JINST* **10**. Comments: Submitted to JINST, P08010. 59 p. <http://cds.cern.ch/record/1988093> (Feb. 2015).
161. Read, A. L. Presentation of search results: the CLs technique. *Journal of Physics G: Nuclear and Particle Physics* **28**, 2693–2704. <https://doi.org/10.1088%2F0954-3899%2F28%2F10%2F313> (Sept. 2002).
162. Neyman, J. & Pearson, E. S. On the Problem of the Most Efficient Tests of Statistical Hypotheses. *Philosophical Transactions of the Royal Society of London. Series A, Containing Papers of a Mathematical or Physical Character* **231**, 289–337. ISSN: 02643952. <http://www.jstor.org/stable/91247> (1933).
163. Cowan, G., Cranmer, K., Gross, E. & Vitells, O. Asymptotic formulae for likelihood-based tests of new physics. *The European Physical Journal C* **71**, 1554. ISSN: 1434-6052. <https://doi.org/10.1140/epjc/s10052-011-1554-0> (Feb. 2011).
164. *Procedure for the LHC Higgs boson search combination in Summer 2011* tech. rep. CMS-NOTE-2011-005. ATL-PHYS-PUB-2011-11 (CERN, Geneva, Aug. 2011). <https://cds.cern.ch/record/1379837>.
165. Annis, D. H. Kendall's Advanced Theory of Statistics, Vol. 1: Distribution Theory (6th ed.). Alan Stuart and J. Keith Ord; Kendall's Advanced Theory of Statistics, Vol. 2A: Classical Inference and the Linear Model (6th ed.). Alan Stuart and J. Keith Ord, and Steven F. Arnold. *Journal of the American Statistical Association* **101**, 1721–1721. <https://EconPapers.repec.org/RePEc:bes:jnlasa:v:101:y:2006:p:1721-1721> (2006).
166. *Procedure for the LHC Higgs boson search combination in Summer 2011* tech. rep. CMS-NOTE-2011-005. ATL-PHYS-PUB-2011-11 (CERN, Geneva, Aug. 2011). <https://cds.cern.ch/record/1379837>.
167. Ovyn, S., Rouby, X. & Lemaitre, V. DELPHES, a framework for fast simulation of a generic collider experiment. arXiv: 0903.2225 [hep-ph] (Mar. 2009).
168. Aihara, H. *et al.* The International Linear Collider. A Global Project. arXiv: 1901.09829 [hep-ex] (Jan. 2019).

169. Abada, A. *et al.* FCC-hh: The Hadron Collider: Future Circular Collider Conceptual Design Report Volume 3. *Eur. Phys. J. ST* **228**, 755–1107 (2019).
170. Rigoletti, G. *et al.* Studies of RPC detector operation with eco-friendly gas mixtures under irradiation at the CERN Gamma Irradiation Facility. *PoS EPS-HEP2019*, 164 (2020).