

bias $\frac{1}{\sqrt{n}}$ \rightarrow $\frac{1}{\sqrt{n}}$ w \rightarrow $\frac{1}{\sqrt{n}}$ bias

$$net_{hi} = (w_i \cdot i_i) + (w_j \cdot i_j) + b_i$$

$$out_{hi} = \frac{1}{1 + e^{-net_{hi}}}$$

$$E_{total} = \sum err$$

$$err = \frac{1}{2} (target - output)^2$$

$$w_i^* = w_i - \eta \cdot \frac{\partial E_{total}}{\partial w_i}$$

layer output

input error

$\frac{\partial E_{total}}{\partial out_{hi}}$

$\frac{\partial E_{total}}{\partial out_{oi}}$

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$$\frac{\partial E_{total}}{\partial w_i} = \frac{\partial E_{total}}{\partial out_{oi}} \cdot \frac{\partial out_{oi}}{\partial net_{oi}} \cdot \frac{\partial net_{oi}}{\partial w_i}$$

$$\frac{\partial E_{total}}{\partial out_{oi}} = - (target - out_{oi})$$

$$\frac{\partial out_{oi}}{\partial net_{oi}} = out_{oi} (1 - out_{oi})$$

$$\frac{\partial net_{oi}}{\partial w_i} = out_{hi} \rightarrow w \text{ var edge}$$

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$$\frac{\partial E_{total}}{\partial out_{oi}} = \sum \left(\frac{\partial E_{total}}{\partial out_{oi}} \cdot \frac{\partial out_{oi}}{\partial net_{oi}} \right) \cdot w_i$$

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CNN Convolution \rightarrow filter \rightarrow bias + bias \rightarrow output

hyperparameter: 1. filter size, 2. stride, 3. padding, 4. pooling

output convolution: $n_{out} = \left\lfloor \frac{n_{in} + 2p - k}{s} \right\rfloor + 1$

$n_{out} = 10 \rightarrow 10 \times 10 \times \text{channel}$

Avg precision: $AP = \frac{1}{K} \sum_{k=1}^K p(k)$

Precision-recall plot: $AP = \frac{1}{K} \sum_{k=1}^K p(k)$

Binary class: sigmoid, Binary cross entropy

Multi class: softmax, Categorical cross-entropy

Yolo: detect location \rightarrow bounding box \rightarrow label \rightarrow CNN

① Traditional (sliding window) pyramid search issue: random

② Region base CNN (RCNN 2014): Random bounding box \rightarrow CNN

③ Yolo (You only look once 2016): speed, high acc, ez 2 use

vector: $\begin{bmatrix} 0 & 1 \\ float & x \\ float & y \\ float & h \\ float & w \\ 0 & 1 \end{bmatrix}$

Anchor box: $k \cdot k$ cell

IOU (Intersection over Union): $IOU(A, B) = \frac{|A \cap B|}{|A \cup B|}$

NMS (Non Maximum Suppression): IOU \rightarrow threshold

Mean avg Precision: $mAP = \frac{1}{K} \sum_{k=1}^K AP_k$

Performance: accuracy, train, test, val

overfit: high acc / low val acc

underfit: low both

pooling: max, avg

hyper: 1. pooling size, 2. stride, 3. type

MLP: $w * h * k + k$

CNN: filter size $^2 + 1$

class: $AP = \frac{1}{K} \sum_{k=1}^K AP_k$

Mean avg Precision: $mAP = \frac{1}{K} \sum_{k=1}^K AP_k$

Performance: accuracy, train, test, val

overfit: high acc / low val acc

underfit: low both

hold out method: split train/test

Random sub-sampling: ignore valid btw

K Cross-validation: hold out n samples

noisy dataset: IOU \rightarrow threshold

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Random sub-sampling: ignore valid btw

K Cross-validation: hold out n samples

	label	1	0
predict	1	TP	FP
	0	FN	TN

$\text{precision} = \frac{tp}{tp+fp}$
 $\text{recall} = \frac{tp}{tp+fn}$

$F1 = 2 \cdot \frac{\text{precision} \cdot \text{recall}}{\text{precision} + \text{recall}}$

True Position Rate
 $\frac{TP}{TP+FN}$
 False Position Rate
 $\frac{FP}{FP+TN}$

Unsupervised Learning

no label req/for clustering
Measure

- ① Distance Metric: euclidean distance = $\sqrt{(x_2-x_1)^2 + (y_2-y_1)^2}$
- ② Cosine Similarity: dot product = $\sum_{i=0}^n x_i y_i$

$\sqrt{\sum_{i=0}^n x_i^2} \cdot \sqrt{\sum_{i=0}^n y_i^2}$

plot Roc

- Rank sample
- assign 0,0
- assign +1 assign y
- assign -1 assign x

base on probability in label

k mean (k = number cluster)

- cal dist between each centroid to each point
- choose nearest centroid for each point
- cal new centroid by avg xy

Many to one

cluster base rec sys

- collaborative filtering algo: user item metric
- content filtering algo: item item
- item-item feature matrix
- cluster base cal step
- split cluster
- avg feature that u want

RNN

def GenXY (dat, timestep):

```

X, Y = [], []
for i in range(len(dat) - timestep):
    X.append(dat[i:i+timestep])
    Y.append(dat[i+timestep])
X = np.array(X)
Y = np.array(Y)
return X, Y

```

timestep = 10
trainX, trainY = GenXY(train, timestep)

Many to Many

trainX, trainY = GenXY(train, 5, 3)

def GenXY (dat, timestep, outlen):

```

X, Y = [], []
for i in range(len(dat) - timestep - outlen + 1):
    X.append(dat[i:i+timestep])
    Y.append(dat[i+timestep:i+timestep+outlen])
X = np.array(X)
Y = np.array(Y)
return X, Y

```

```

df = scaler.fit_transform(df.value.reshape(-1, 1))
n = int(len(df) * 0.8) | train = df[:n] | test = df[n:]
from tensorflow.keras.layers import Input, SimpleRNN, GRU, LSTM, Dense
import tensorflow.keras.models
model = Sequential([
    Input(shape=(timestep, 1)),
    LSTM(32, activation='tanh'),
    Dense(1, activation='sigmoid')
])

```

```

model.summary()
model.compile(
    loss='mean_squared_error',
    optimizer='adam'
)
model.fit(xTrain, yTrain, epochs=100)

```

CNN

import ImageDataGenerator

```

from tensorflow.keras.preprocessing.image import ImageDataGenerator
trainPath = './img'
train = ImageDataGenerator(
    rescale=1./255, validation_split=0.1
)
trainGen = train.flow_from_directory(
    trainPath, target_size=(100, 100), batch_size=32,
    class_mode='categorical', subset='training'
)

```

```

from tensorflow.keras.utils import to_categorical
y = to_categorical(train_label)
from tensorflow.keras.models import Sequential
from tensorflow.keras.layers import Input, Conv2D, MaxPooling, Flatten, Dense
model = Sequential([
    Input(shape=(28, 28, 1)),
    Conv2D(30, (3, 3), activation='relu',
    strides=(1, 1), padding='same'),
    Flatten(), Dense(64, activation='relu'),
    Dense(10, activation='softmax')
])

```

```

hist = model.fit(train, y, validation_split=0.1, epochs=50)
acc = cnn.evaluate(test_img, y)

```

```

model.compile(optimizer='sgd', learning_rate=0.005,
    loss='categorical_crossentropy', metrics=['accuracy'])

```