A look through the lens



Alex Gryzlov Adform 2015-10-21

Functional programming

- Declarativity (laziness, higher-order functions)
- Immutability
- Referential transparency (pure functions)

Immutability

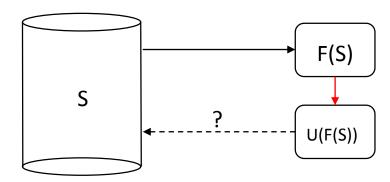
- Easier reasoning no hidden state
- Safer and cleaner concurrent programming
- Better caching



View update problem

• First formulated by E. Codd in 1974

- Some database object S
- Mapped into view state F(S)
- View state is changed to U(F(S))
- How to translate back T(U)(S)?



Bidirectional Programming

- Let's invent a new style of programming
- Programs that can be run "backwards"
- Interfaces and implementations
- Sources and views

- Pierce & Foster's Harmony/Boomerang
- Augeas config manager (has bindings for Puppet and SaltStack)

Intermission - Purescript

- Haskell-like statically typed functional language
- Compiles to JS
- Strict evaluation
- Explicit foralls (∀)
- Row types & row polymorphism

```
> let showPerson { first: x, last : y } = y ++ ", " ++ x
> :type showPerson
∀ r. { first :: String, last :: String | r } -> String
```

Effects instead of IO monad

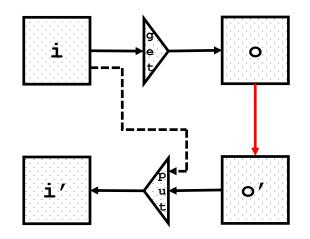


Bidirectional Programming

Bijectiveness is too strong!

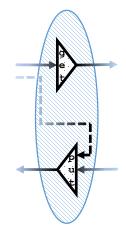
```
get :: ∀ I O. I → O
```

put :: \forall I O. $0 \rightarrow$ I \rightarrow I



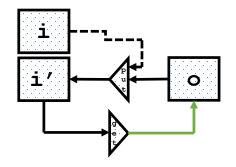
Defining get and put simultaneously:

- Infer put from get somehow
- Provide put+get pairs as building blocks ← lenses
 (we need a type system to help us)

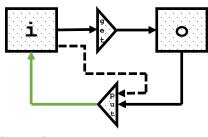


Some laws

1. get (put o i) = o

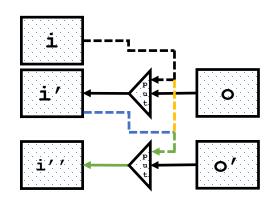


2. put (get i) i = i



3. put o' (put o i) = put o' i
(last put "wins"/no side effects)

Together with 2^{nd} law it means that updates can be "undone" put (get i) (put o i) = i



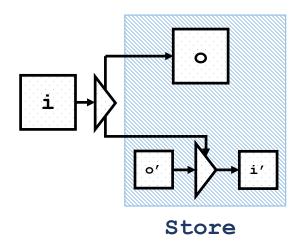
Approach #1 — Store

Let's change the notation a bit

```
Lens i o = (i -> o, o -> i -> i)

(i -> o, i -> o -> o)

i ->(o, o -> i)
```



This is a functor (over i):

```
fmap f (Store piece hole) = Store piece (f <<< hole)</pre>
```

It is also a comonad...

Intermission - comonads

```
Monad
return :: ∀ m a. a -> m a join :: ∀ m a. m (m a) -> m a
+laws
Comonad
extract :: ∀ w a. w a -> a
duplicate :: ∀ w a. w a -> w (w a)
+laws
```

Useful for manipulating things that are "endless" or "in a context"

Approach #1 – Store

```
Going back to Store...
...It is also a comonad:
extract (Store piece hole) = hole piece

duplicate (Store piece hole) =
   Store piece (\piece' -> Store piece' hole)
```

In category theory, a functor F with a function a -> F a (+laws) is called F-coalgebra

Turns out our Lens type i ->(o, o -> i) is a

coalgebra for a Store comonad

aka O'Connor lenses

Usage - records

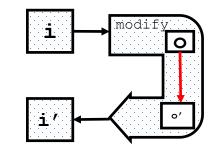
```
petrIvanov :: Person
petrIvanov = Person {
   firstName: "Petr" ,
   lastName: "Ivanov" ,
   address: Address {
      street: StreetRec {
         number: 12,
         streetName: "Lenina" ,
         designation: Street
   city: "Minsk" ,
   country: Belarus
```

Problems

- Not easily composable
- Not too efficient
- Can't change the type after modification

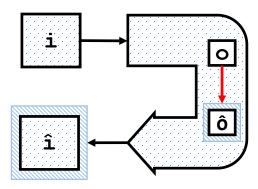
Approach #2 – Modify

```
modify :: \forall I O. (0 \rightarrow 0) \rightarrow I \rightarrow I modify f i = put (f (get i)) i
```



type Lens I Î O Ô =
$$\forall F. (Functor F) \Rightarrow (O \rightarrow F \hat{O}) \rightarrow I \rightarrow F \hat{I}$$

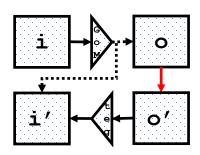
aka van Laarhoven lenses



The Zoo

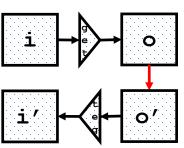
• Prism

```
getOrModify :: ∀ I O. I -> Either I O
reverseGet :: ∀ I O. O -> I
```



• Iso

get :: ∀ I 0. I -> 0 reverseGet :: ∀ I 0. 0 -> I

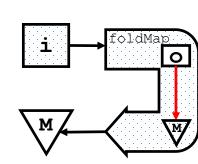


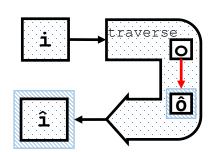
Traversal

traverse ::
$$\forall$$
 F I O. (Applicative F) => (0 -> F O) -> I -> F I

• Fold

```
foldMap :: (Monoid M) => (0 -> M) -> I -> M
```





Usage – traversals & prisms

```
foo :: Array (Tuple
               (Either Int (Maybe String))
               (Maybe Boolean)
foo = [
        Tuple (Left 1) Nothing ,
        Tuple (Left 2) (Just true),
        Tuple (Right (Just "three")) (Just true),
        Tuple (Right (Just "four")) (Just false),
        Tuple (Right Nothing) Nothing
```

Approach #3 — Profunctor

```
class Profunctor p where
   dimap :: ∀ a b c d. (a -> b) -> (c -> d) -> p b c -> p a d
class (Profunctor p) <= Strong p where</pre>
   first :: ∀ a b c. p a b -> p (Tuple a c) (Tuple b c)
   second :: ∀ a b c. p b c -> p (Tuple a b) (Tuple a c)
class (Profunctor p) <= Choice p where</pre>
   left :: ∀ a b c. p a b -> p (Either a c) (Either b c)
   right :: ∀ a b c. p b c -> p (Either a b) (Either a c)
newtype Star f a b = Star (a -> f b)
instance profunctorStar :: (Functor f) => Profunctor (Star f) where
   dimap f g (Star ft) = Star (f >>> ft >>> map g)
class (Strong p, Choice p) <= Wander p where
   wander :: \forall s t a b. (\forall f. (Applicative f) => (a -> f b) -> s -> f t)
          -> p a b -> p s t
```

Approach #3 — Profunctor

```
type Optic p s t a b = p a b → p s t

type Iso s t a b = ∀ p. (Profunctor p) => Optic p s t a b

type Lens s t a b = ∀ p. (Strong p) => Optic p s t a b

type Prism s t a b = ∀ p. (Choice p) => Optic p s t a b

type Traversal s t a b = ∀ p. (Wander p) => Optic p s t a b

type Fold r s t a b = Optic (Star (Const r)) s t a b
```

Usage - UI

- UI is a profunctor (actually a monad ⊗)
- Components access a local view model
- Child components can be embedded in a bigger component using lenses and traversals that focus on the respective sub-states
- Components provide a handler function that, given a new state, triggers an update of the UI and generates a view that is finally rendered using virtual-dom

Other usages

- Monomorphic containers
- DB views
- GADTs
- ...

Links

- http://www.janis-voigtlaender.eu/papers/ThreeComplementaryApproachesToBidirectionalProgramming.pdf
- http://www.seas.upenn.edu/~harmony/
- http://artyom.me/lens-over-tea-1
- http://zrho.me/posts/2015-08-23-optic-ui.html
- http://www.haskellforall.com/2015/10/explicit-is-better-than-implicit.html