

# Fire Protection of Process Equipment

**API 521 6<sup>th</sup> edition**

Colin Deddis, April 2014



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deeper understanding



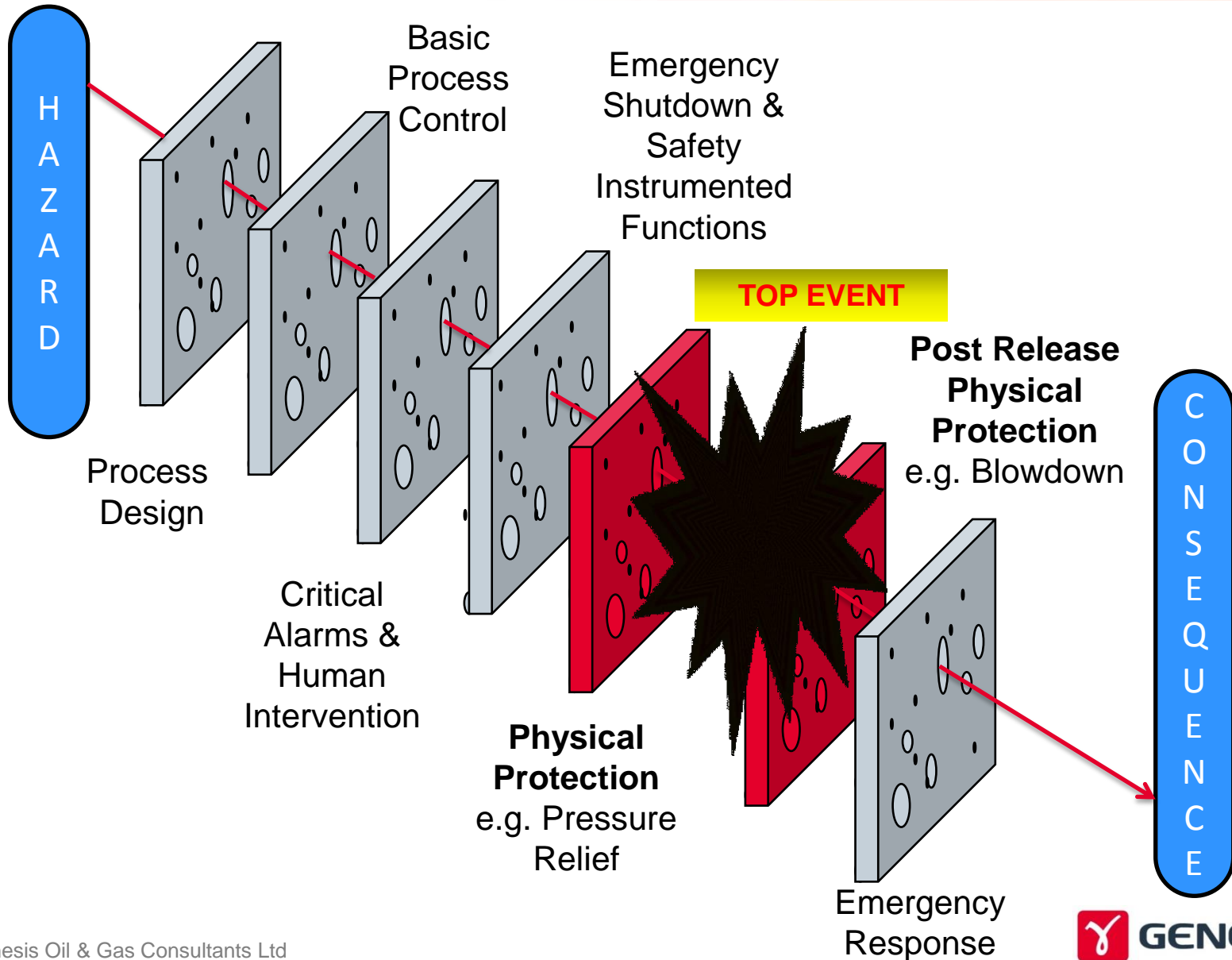
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# Fire Protection of Process Equipment



- Relief and depressuring systems as fire protection.
- Emergency depressurisation design – key features
- API empirical fire model & its limitations
- Introduction to analytical fire model
- Advantages of analytical model

# Relief and Blowdown Systems



# Emergency Depressurisation (Blowdown)

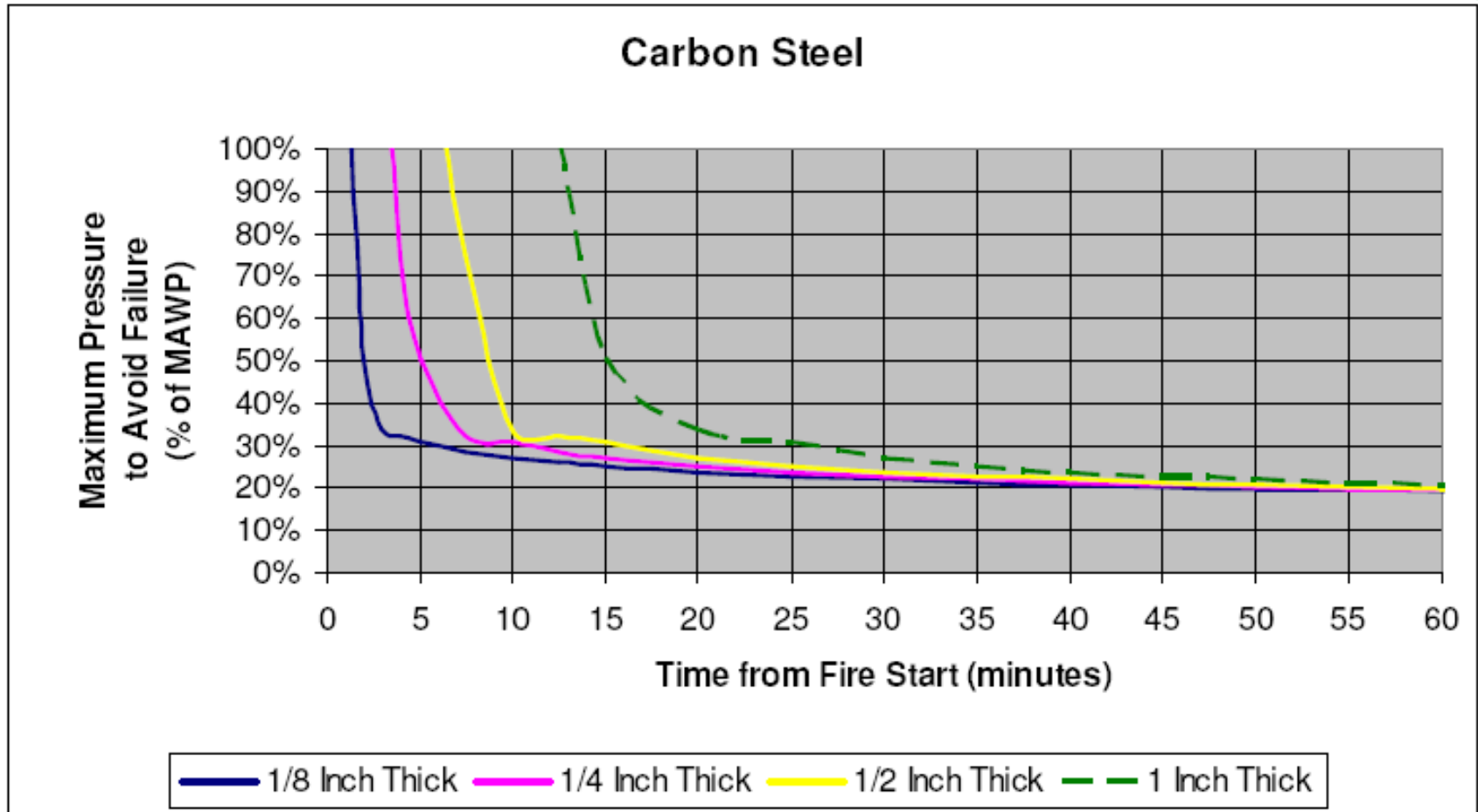


- Used to prevent incident escalation:
  - Increases survivability time and potentially mitigates failure of pressurised equipment due to high temperatures from external fire, exothermic reactions etc.
  - Minimises release of fuel from a leak (reduces likelihood and impact of a resultant fire/explosion)

# Emergency Depressurisation – Depressuring Rate

- Depressurisation targets for fire case if flare system capacity not limiting:
  - If wall thickness <25 mm – lower of 6.9 barg or 50% design pressure in 15 minutes
  - If wall thickness >25 mm – 50% of design pressure in 15 minutes
- Depressurisation targets if flare system capacity is limiting:
  - Detailed analyses
  - Passive fire protection requirements
- Depressuring rate = rate of vapour formation (liquid containing systems) + rate required to reduce pressure

# Emergency Depressurisation – Fire Case



Typical Carbon Steel (SA-515, Grade 70) Internal Pressure  
Versus Pool Fire Exposure Time to Minimize Potential for Vessel Rupture

# API 521 – Empirical Fire Model

## Relief device sizing

$$Q = C_1 F A_{ws}^{0.82}$$

Where:

$Q$  is the total heat absorption (input) to the wetted surface, expressed in W

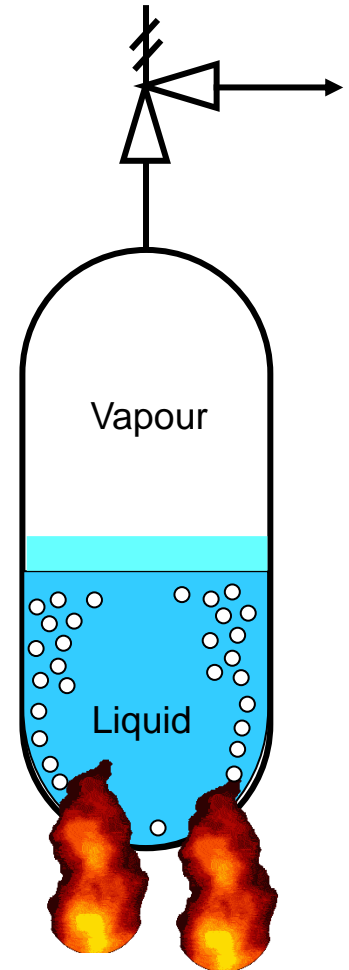
$C_1$  is a constant

$F$  is an environment factor

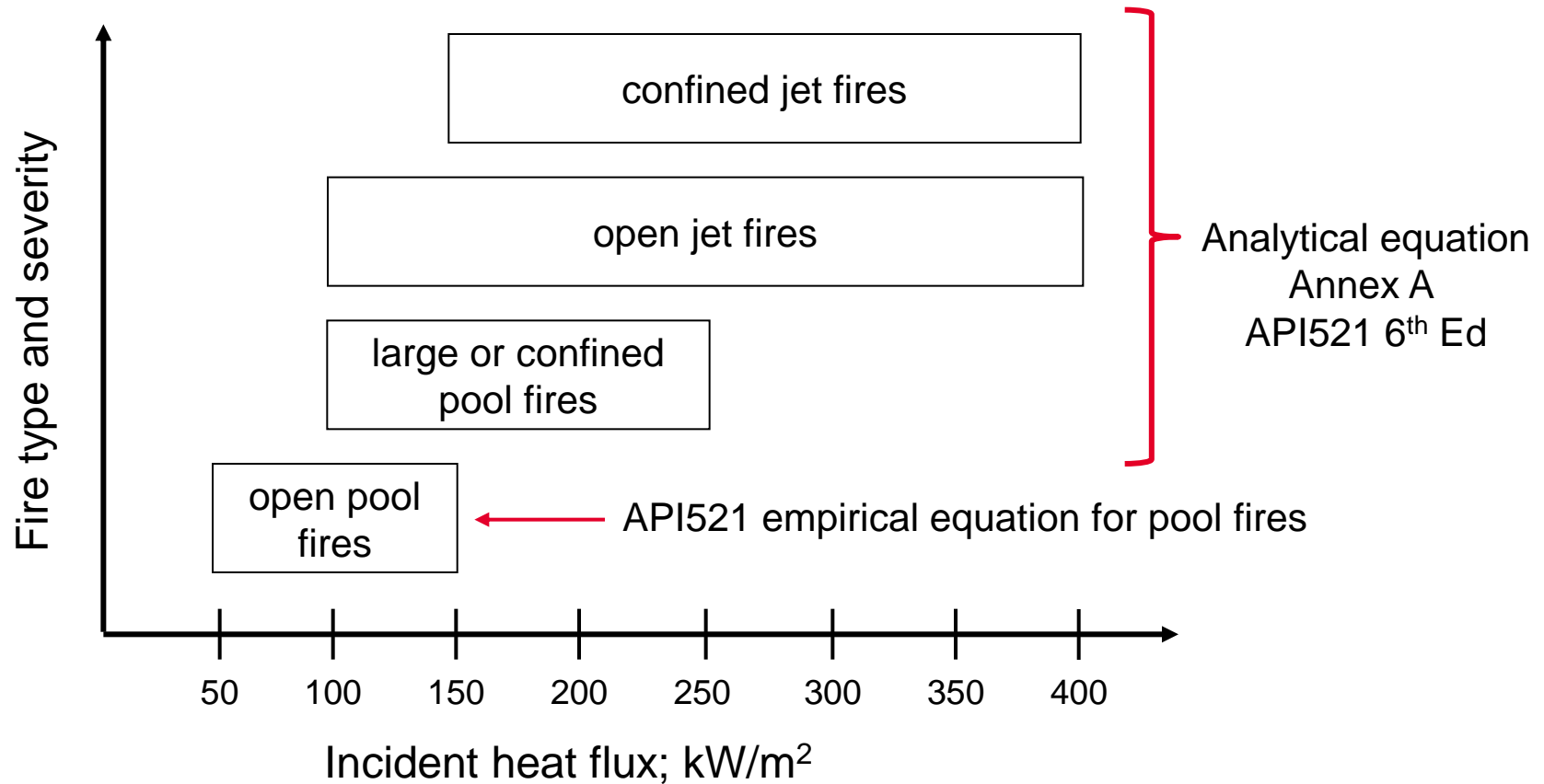
$A_{ws}$  is the total wetted surface, expressed in m<sup>2</sup>

### Limitations:

- Open pool fire (global average heat flux)
- Liquid filled systems only
- Underestimates local peak heat flux
- Relief device sizing only



# Emergency Depressurisation – Fire Case



Guidelines for design and protection of pressure systems to withstand severe fires, Institute of Petroleum, 2003



# Analytical method - Heat absorbed

## API 521 6<sup>th</sup> Edition

$$q_{absorbed} = \underbrace{\sigma \cdot \alpha_{surface} \varepsilon_{fire} T_{fire}^4}_{\text{Radiative heat flux to equipment}} - \underbrace{\sigma \cdot \varepsilon_{surface} T_{surface}^4}_{\text{Radiative heat flux from equipment}} + \underbrace{h(T_{gas} - T_{surface})}_{\text{Convective heat transfer between combustion gases and equipment surface}}$$

Radiative heat flux  
to equipment

Radiative heat flux  
from equipment

Convective heat  
transfer between  
combustion gases  
and equipment  
surface

where:

$q_{absorbed}$  is the absorbed heat flux from the fire (W/m<sup>2</sup>)

$\sigma$  is the Stephan-Boltzmann's constant

$\alpha_{surface}$  is the equipment absorptivity

$\varepsilon_{fire}$  is the fire emissivity

$\varepsilon_{surface}$  is the equipment emissivity

$T_{fire}$  is the fire temperature (K)

$T_{surface}$  is the equipment temperature (K)

$T_{gas}$  is the equipment temperature of air/fire in contact with the equipment (K)

$h$  is the convection heat transfer coefficient of air/fire in contact with equipment (W/m<sup>2</sup>K)

# Analytical method

## Recommended range of parameter values – pool fire

Parameter	Description	Pool Fire	
		Surface Average Heat Flux	Local Peak Heat Flux
$\epsilon_{\text{fire}}$	Hydrocarbon flame emissivity	0.6 to 1.0	0.6 to 1.0
$\epsilon_{\text{surface}}$	Equipment emissivity	0.3 to 0.8	
$\alpha_{\text{surface}}$	Equipment absorptivity		
$h$	Convective heat transfer coefficient between equipment and surrounding air	10 W/m <sup>2</sup> ·K to 30 W/m <sup>2</sup> ·K (1.76 Btu/h·ft <sup>2</sup> ·°R to 5.28 Btu/h·ft <sup>2</sup> ·°R)	
$T_{\text{gas}}$	Temperature of combustion gases flowing over the surface	773 K to 1173 K (500 °C to 900 °C) 1392 °R to 2112 °R (932 °F to 1652 °F)	1173 K to 1423 K (900 °C to 1150 °C) 2112 °R to 2562 °R (1652 °F to 2102 °F)
$T_{\text{fire}}$	Fire temperature	873 K to 1273 K (600 °C to 1000 °C) 1572 °R to 2292 °R (1112 °F to 1832 °F)	
$T_{\text{surface}}$	Equipment temperature	Note 3	
$\sigma$	Stefan-Boltzmann constant	5.67 x 10 <sup>-8</sup> W/m <sup>2</sup> ·K <sup>4</sup> (0.1713 x 10 <sup>-8</sup> Btu/h·ft <sup>2</sup> ·°R <sup>4</sup> )	
$q_{\text{fire}}$	Note 1	30 kW/m <sup>2</sup> to 100 kW/m <sup>2</sup> (9510 Btu/h·ft <sup>2</sup> to 31,700 Btu/h·ft <sup>2</sup> )	60 kW/m <sup>2</sup> to 200 kW/m <sup>2</sup> (19,020 Btu/h·ft <sup>2</sup> to 63,400 Btu/h·ft <sup>2</sup> )
$q_{\text{absorbed}}$	Note 2	25 kW/m <sup>2</sup> to 75 kW/m <sup>2</sup> (7925 Btu/h·ft <sup>2</sup> to 23,775 Btu/h·ft <sup>2</sup> )	45 kW/m <sup>2</sup> to 150 kW/m <sup>2</sup> (14,265 Btu/h·ft <sup>2</sup> to 47,750 Btu/h·ft <sup>2</sup> )
NOTE 1 Typical range in fire heat flux. A wider range of heat fluxes is possible. The fire heat flux is found by ignoring the reradiation (by setting $\epsilon_{\text{surface}} = 0$ ), setting $\alpha_{\text{surface}} = 1$ , and setting the equipment temperature < 323 K (582 °R).			
NOTE 2 Typical range in absorbed heat flux at start of fire [i.e. at wall temperatures of < 323 K (582 °R)]. A wider range of heat fluxes is possible.			
NOTE 3 The equipment temperature is a variable that increases as the surface heats up.			

API 521 6<sup>th</sup> Ed, Table A2

# Analytical method

## Recommended range of parameter values – jet fire

Parameter	Description	Jet fire			
		Surface Average Heat Flux		Local Peak Heat Flux	
Leak rates Note 5		>2 kg/s (>4.41 lb/s) (large jet)	≤2 kg/s (≤4.41 lb/s) (small jet)	>2 kg/s (>4.41 lb/s) (large jet)	≤2 kg/s (≤4.41 lb/s) (small jet)
$\epsilon_{\text{fire}}$	Hydrocarbon flame emissivity	0.6 to 1.0	NA	0.6 to 1.0	0.6 to 1.0
$\epsilon_{\text{surface}}$	Equipment emissivity	0.3 to 0.8	NA	0.3 to 0.8	0.3 to 0.8
$\alpha_{\text{surface}}$	Equipment absorptivity		NA		
$h$	Convective heat transfer coefficient between equipment and surrounding air	10 W/m <sup>2</sup> ·K to 100 W/m <sup>2</sup> ·K (1.76 Btu/h·ft <sup>2</sup> ·°R to 17.6 Btu/h·ft <sup>2</sup> ·°R)	NA	50 W/m <sup>2</sup> ·K to 150 W/m <sup>2</sup> ·K (8.8 Btu/h·ft <sup>2</sup> ·°R to 26.4 Btu/h·ft <sup>2</sup> ·°R)	50 W/m <sup>2</sup> ·K to 150 W/m <sup>2</sup> ·K (8.8 Btu/h·ft <sup>2</sup> ·°R to 26.4 Btu/h·ft <sup>2</sup> ·°R)
$T_{\text{gas}}$	Temperature of combustion gases flowing over the surface	573 K to 1173 K (300 °C to 900 °C) 1032 °R to 2112 °R (572 °F to 1652 °F)	NA	1173 K to 1523 K (900 °C to 1250 °C)	1123 K to 1473 K (850 °C to 1200 °C)
$T_{\text{fire}}$	Fire temperature	773 K to 1273 K (500 °C to 1000 °C) 1392 °R to 2292 °R (932 °F to 1832 °F)	NA	2112 °R to 2742 °R (1652 °F to 2282 °F)	2022 °R to 2652 °R (1562 °F to 2192 °F)
$T_{\text{surface}}$	Equipment temperature	Note 3			
$\sigma$	Stefan-Boltzmann constant	5.67 x 10 <sup>-8</sup> W/m <sup>2</sup> ·K <sup>4</sup> (0.1713 x 10 <sup>-8</sup> Btu/h·ft <sup>2</sup> ·°R <sup>4</sup> )			
$q_{\text{fire}}$	Note 1	40 kW/m <sup>2</sup> to 150 kW/m <sup>2</sup> (12,680 Btu/h·ft <sup>2</sup> to 47,550 Btu/h·ft <sup>2</sup> )	NA	150 kW/m <sup>2</sup> to 400 kW/m <sup>2</sup> (47,550 Btu/h·ft <sup>2</sup> to 126,800 Btu/h·ft <sup>2</sup> )	150 kW/m <sup>2</sup> to 300 kW/m <sup>2</sup> (47,550 Btu/h·ft <sup>2</sup> to 95,100 Btu/h·ft <sup>2</sup> )
$q_{\text{absorbed}}$	Note 2	30 kW/m <sup>2</sup> to 120 kW/m <sup>2</sup> (9510 Btu/h·ft <sup>2</sup> to 38,040 Btu/h·ft <sup>2</sup> )	NA	120 kW/m <sup>2</sup> to 320 kW/m <sup>2</sup> (38,040 Btu/h·ft <sup>2</sup> to 101,440 Btu/h·ft <sup>2</sup> )	120 kW/m <sup>2</sup> to 250 kW/m <sup>2</sup> (38,040 Btu/h·ft <sup>2</sup> to 79,250 Btu/h·ft <sup>2</sup> )

API 521 6<sup>th</sup> Ed, Table A4

# Analytical method

## Stress calculations

$$\sigma_{hoop}(t) = \frac{P(t) \cdot OD}{2 \cdot wt}$$

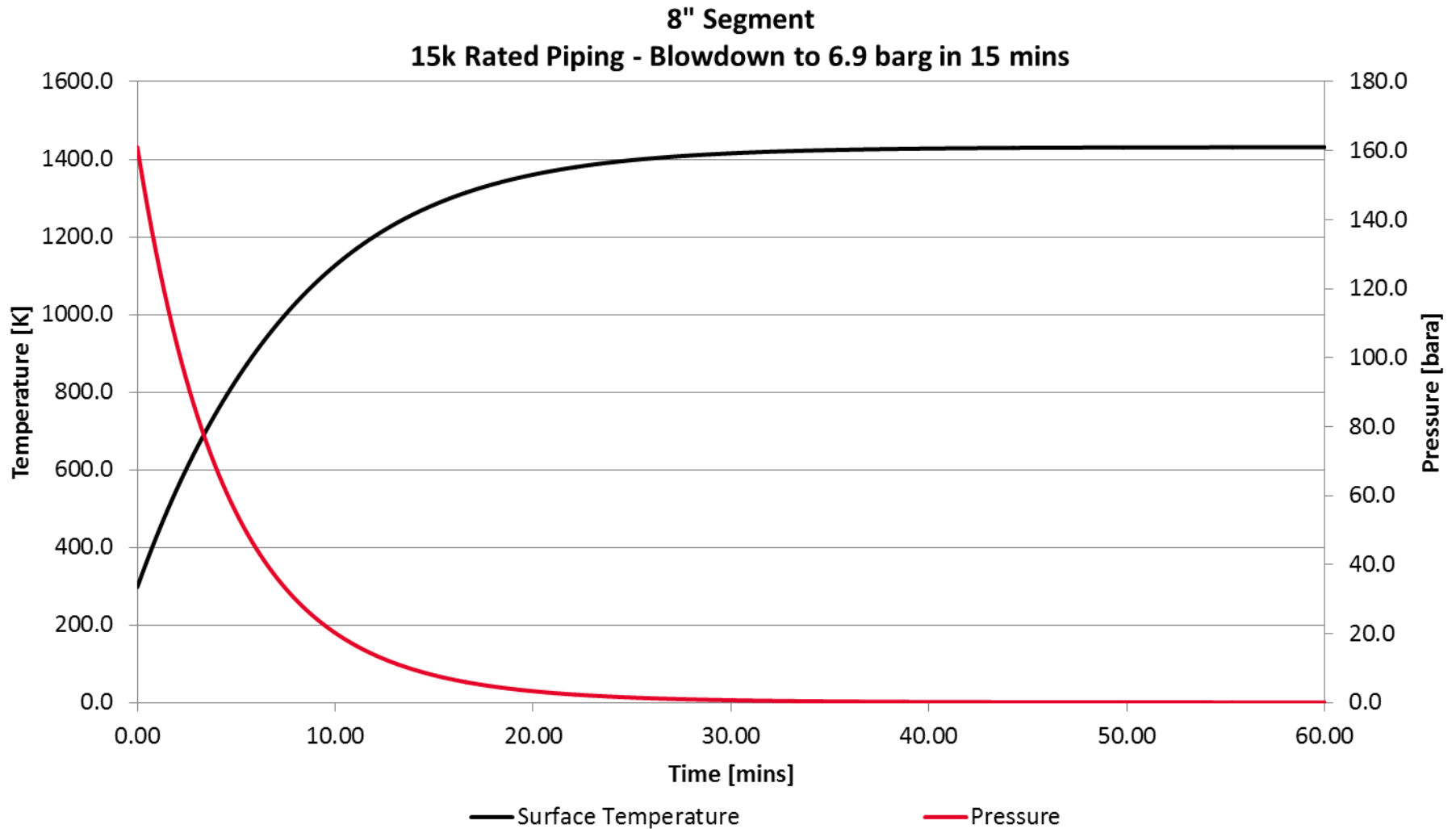
$$\sigma_{axial}(t) = \frac{P(t) \cdot OD}{4 \cdot wt}$$

$$\sigma_{von\_Mises} = \sqrt{\sigma_{hoop}^2 + \sigma_{axial}^2 - \sigma_{hoop} \cdot \sigma_{axial}}$$

where:

$\sigma_{hoop}$	is the hoop stress
$\sigma_{axial}$	is the axial (longitudinal) stress
$\sigma_{von\_Mises}$	is the equivalent (total) stress
$P$	is the system pressure
$OD$	is the outer diameter
$wt$	is the wall thickness

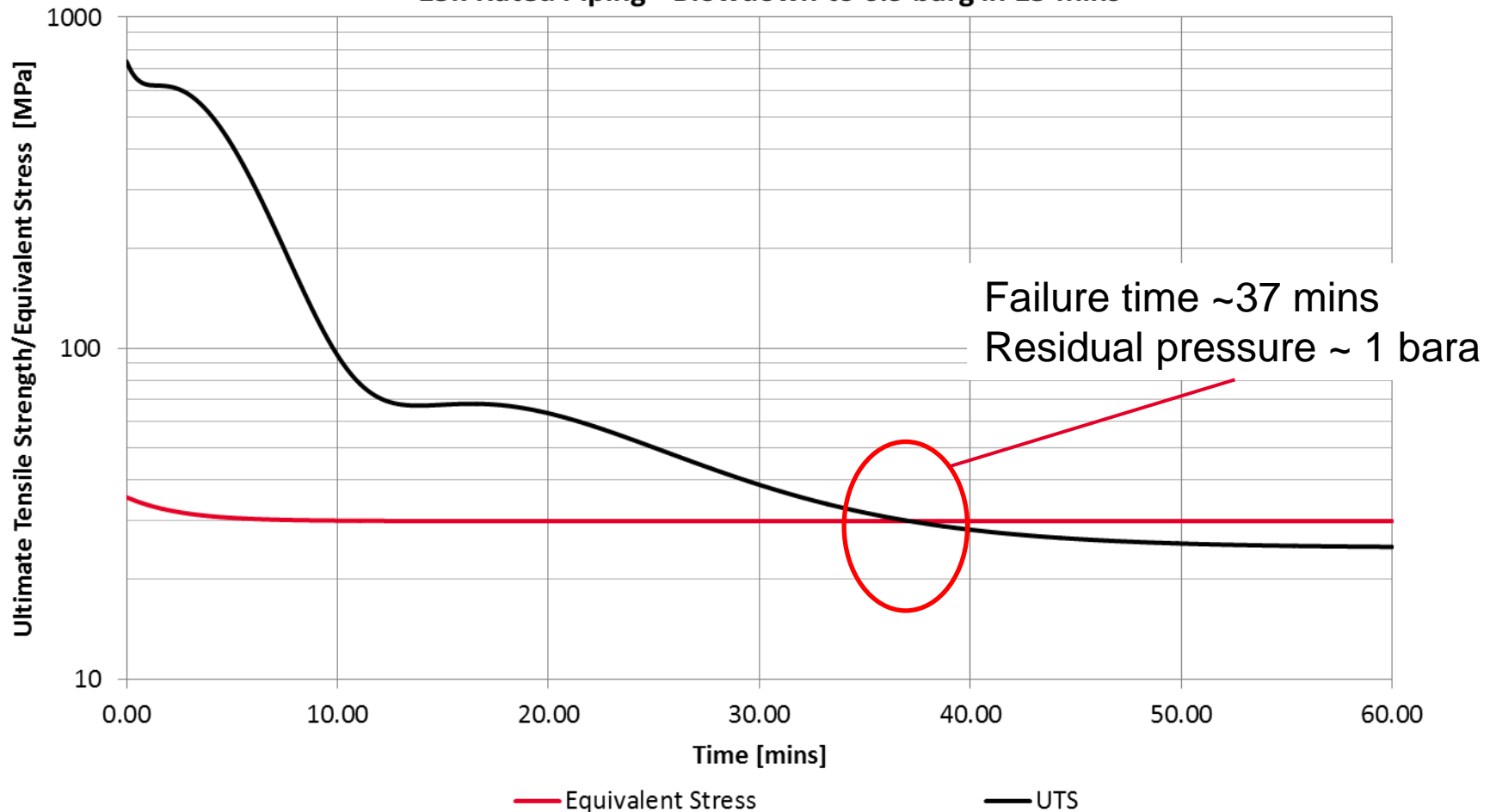
# Example of Analytical Method



# Example of Analytical Method

8" Segment

15k Rated Piping - Blowdown to 6.9 barg in 15 mins



# Advantages of Analytical Model

- Applicable for all types of fires
- Time dependent properties of flame can be incorporated in the analysis
- Handles vapour/dense phase systems
- Allows optimisation of depressuring targets during design

Thank-you

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*Any questions?*