

Plots and figures for part 1.a :

Design a Compensator for a unity feedback system with open loop transfer function $G(s) = K/(s(s+1)(0.5s+1))$ to satisfy the following specifications: (i) velocity error constant $K_v=5$, (ii) Phase margin =40 degrees. (iii)Gain Margin = 10dB

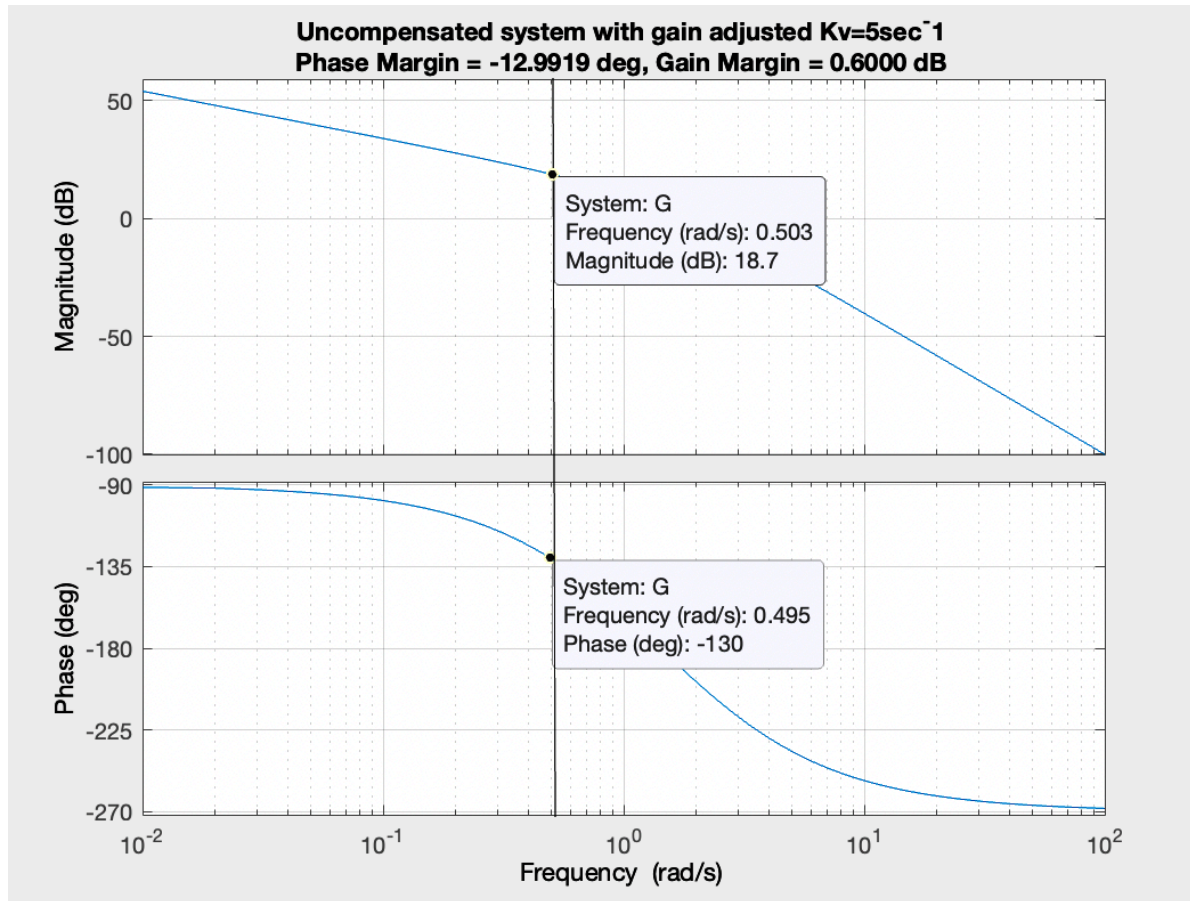


Fig 1.1: Bode plot for uncompensated gain adjusted system; $5/(s(s+1)(0.5s+1))$. The freq at $\phi=-130$ is 0.496 and the corresponding gain at that point is 18.9 dB (Values plotted in the graph are added manually so there is a slight discrepancy)

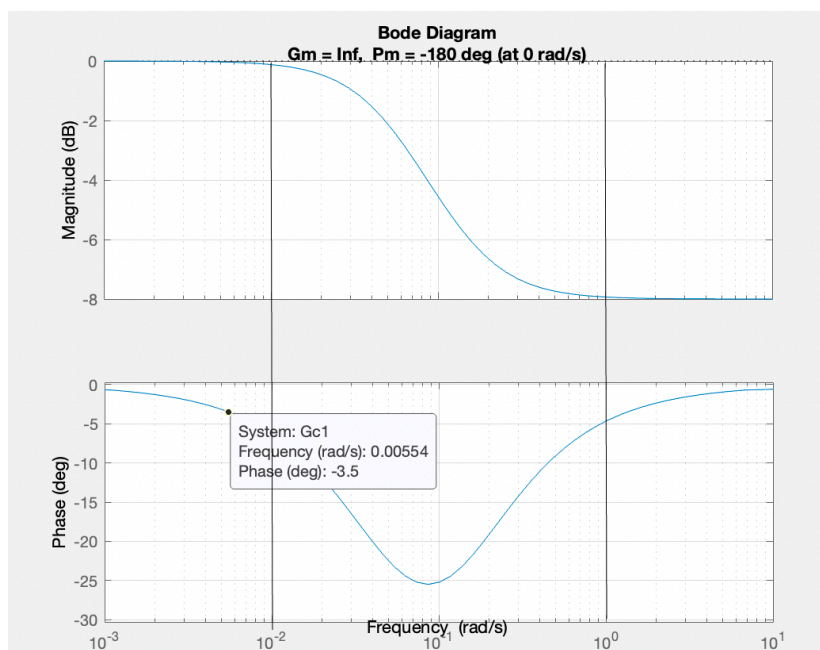


Fig 1.2: Bode plot for the lag compensator with:

Zero of the lead compensator is at $s = 0.049176$; Pole of the lead compensator is at $s = 0.0055503$

And the gain added is 18.9 dB at $\omega = 0.496$

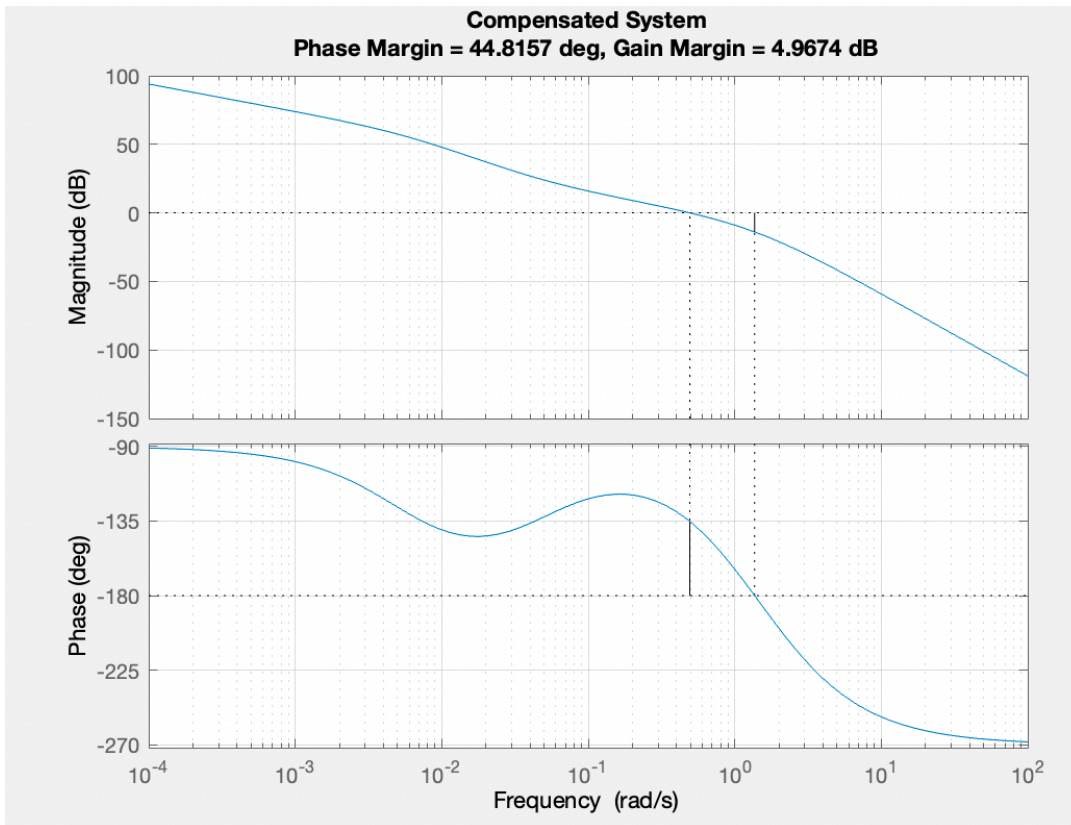


Fig 1.3: Bode plot for compensated gain adjusted system; $(101.7 s + 5)/(90.09 s^4 + 270.8 s^3 + 181.7 s^2 + s)$. The system parameters obtains are :

- GM= 4.9674
- PM=44.8157
- $w_{gc} = 1.3671$

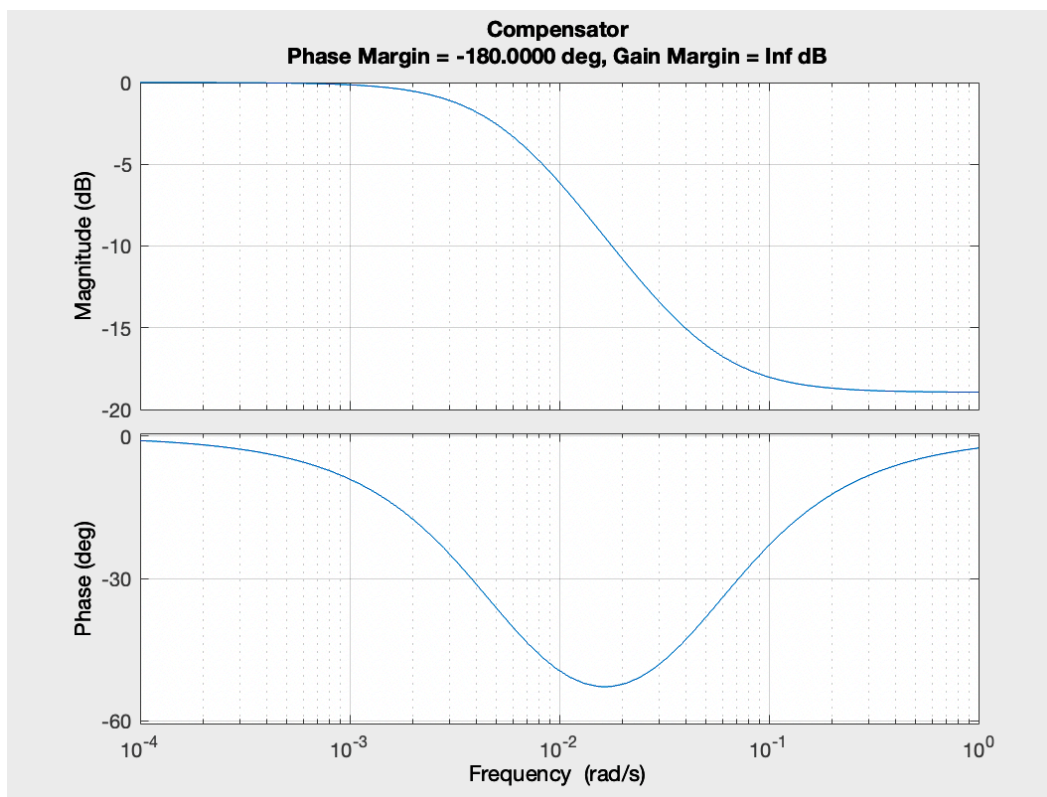


Fig 1.4: Bode plot for the secondary lag compensator with:

Zero of the lead compensator is at $s = 0.1367$;
Pole of the lead compensator is at $s = 0.054$

And the gain added is 8 dB at $w = 1.367$

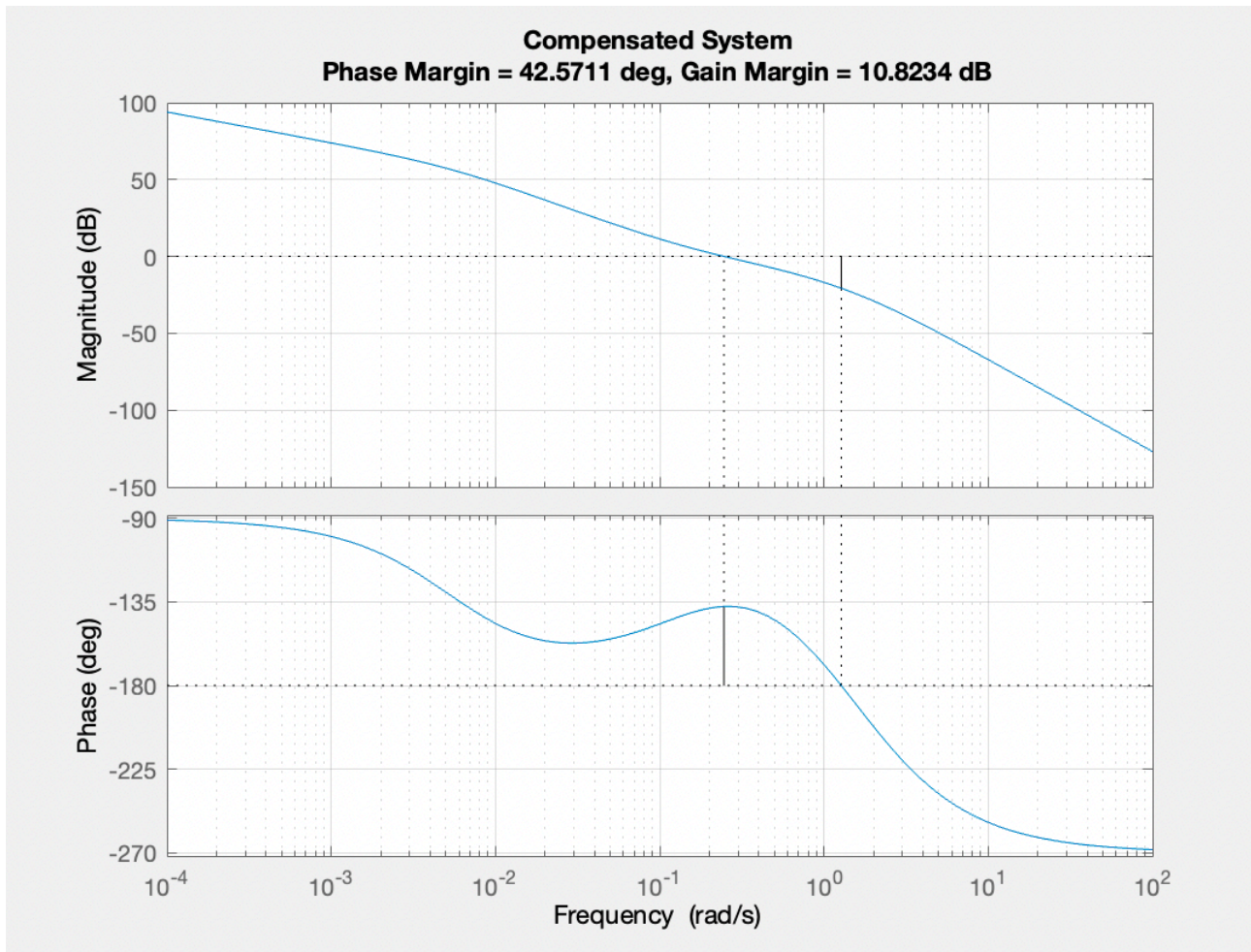


Fig 1.5: Bode plot for compensated gain adjusted system: $(743.7 s^2 + 138.2 s + 5)/(1655 s^5 + 5065 s^4 + 3609 s^3 + 200 s^2 + s)$. The system parameters obtains are :

- GM = 10.8234
- Pm = 42.5711

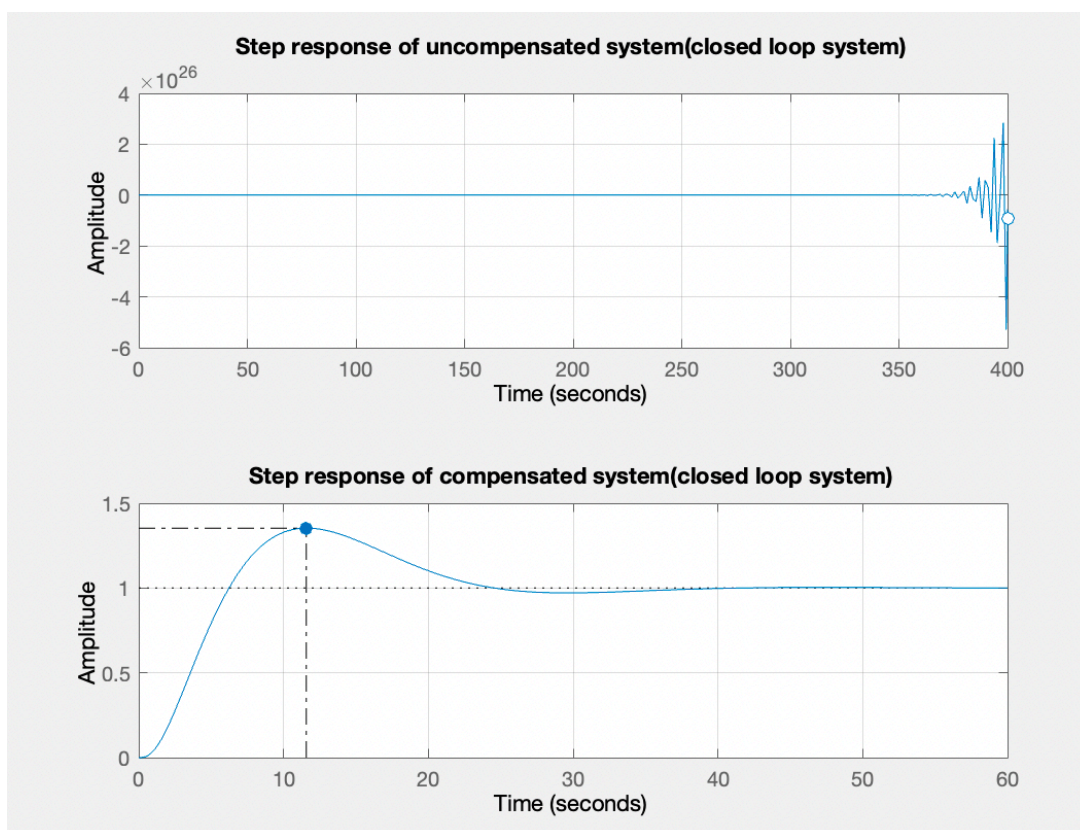


Fig 1.6: Step response of the compensated vs uncompensated system with

- $T_{\text{rise}} = 7.8\text{s}$
- $T_{\text{settling}} = 35\text{s}$
- $T_{\text{peak}} = 11.9\text{s}$
- $M_p (\%) = 33\%$

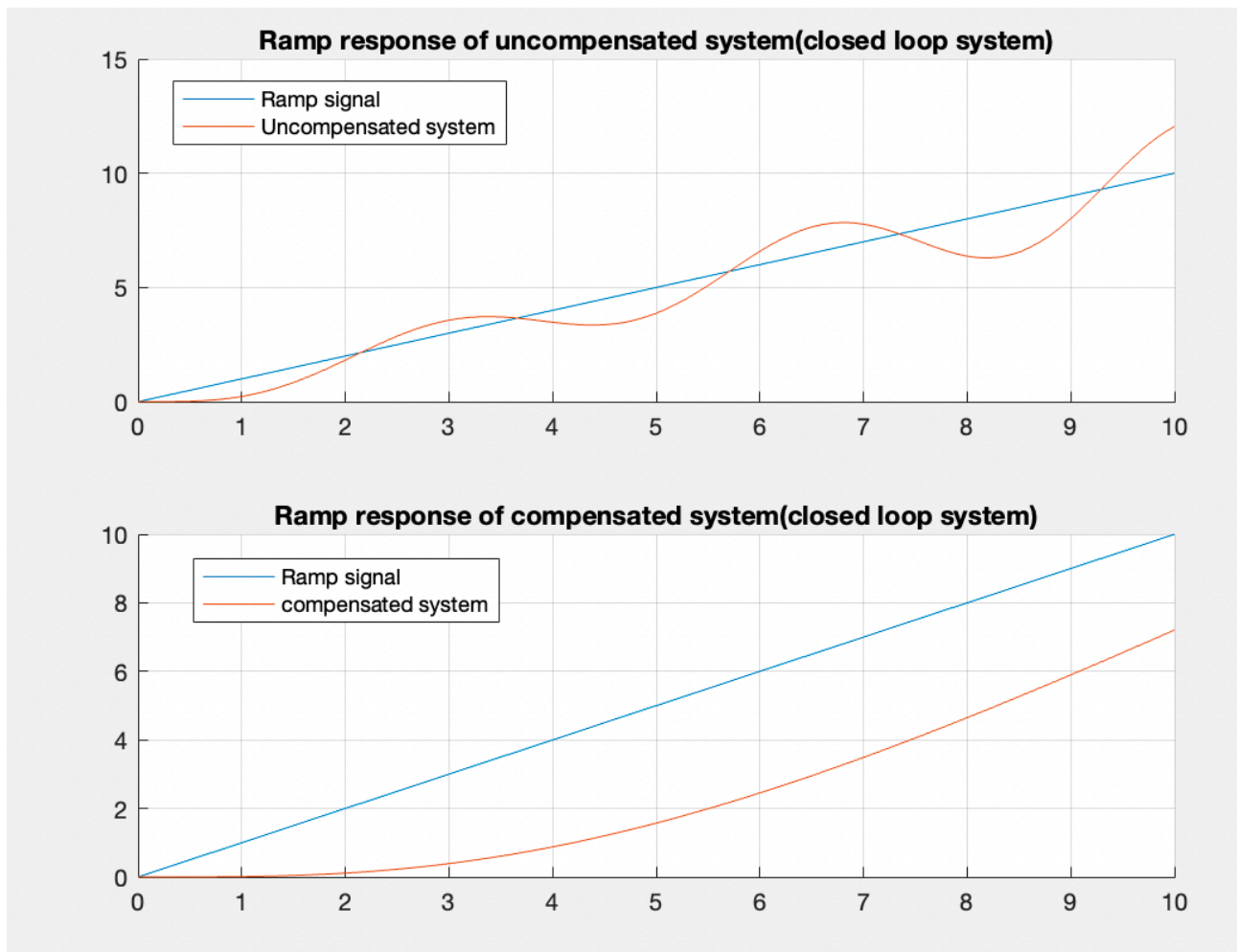


Fig 1.7: Ramp response of compensated vs uncompensated system for 0-10sec