

# Solución taller sobre capítulo 4 parte 2

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```
library(foreign)
```

```
## Warning: package 'foreign' was built under R version 4.1.2
```

```
library(dplyr)
```

```
##
```

```
## Attaching package: 'dplyr'
```

```
## The following objects are masked from 'package:stats':
```

```
##
```

```
##      filter, lag
```

```
## The following objects are masked from 'package:base':
```

```
##
```

```
##      intersect, setdiff, setequal, union
```

1.

```
datos <- read.dta("polls.dta")
```

```
# Usando solo la inf del survey = 9158
```

```
datis <- subset(datos, survey == 9158)
```

```
library(lme4)
```

```
## Loading required package: Matrix
```

```
M1 <- glmer(bush ~ female + black + (1 | state),  
            data=datis, family=binomial(link="logit"))
```

2

```
length(unique(datis$state))
```

```
## [1] 49
```

### 3

```
summary(M1)
```

```
## Generalized linear mixed model fit by maximum likelihood (Laplace
##   Approximation) [glmerMod]
##   Family: binomial ( logit )
## Formula: bush ~ female + black + (1 | state)
##   Data: datis
##
##           AIC          BIC    logLik deviance df.resid
##    2666.7    2689.1  -1329.3   2658.7     2011
##
## Scaled residuals:
##      Min       1Q   Median       3Q      Max
## -1.7276 -1.0871  0.6673  0.8422  2.5271
##
## Random effects:
##   Groups Name            Variance Std.Dev.
##   state (Intercept) 0.1692   0.4113
## Number of obs: 2015, groups: state, 49
##
## Fixed effects:
##              Estimate Std. Error z value Pr(>|z|)
## (Intercept)  0.44523    0.10139   4.391 1.13e-05 ***
## female      -0.09705    0.09511  -1.020   0.308
## black       -1.74161    0.20953  -8.312 < 2e-16 ***
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## Correlation of Fixed Effects:
##      (Intr) female
## female -0.551
## black  -0.119 -0.005
```

$$y_{ij} \sim \text{Bernoulli}(\hat{p}_{ij}) \quad (1)$$

$$\text{logit}(\hat{p}_{ij}) = 0.44523 - 0.09705_{\text{female}} - 1.74161_{\text{black}} + b_{0i} \quad (2)$$

$$b_0 \sim N(0, 4.052) \quad (3)$$

### 4

Se tiene que el ser mujer disminuye en 0.09705 unidades el valor de la función logit asociada al modelo y que el ser una persona de color disminuye en 1.74161 unidades el valor de la función logit asociada al modelo.

## 5 Modelo para state 39

```
random_effects <- ranef(M1)$state  
random_effects[39,]
```

```
## [1] 0.357593
```

$$y_{39j} \sim \text{Bernoulli}(p_{\hat{39j}}) \quad (4)$$

$$\text{logit}(p_{\hat{39j}}) = 0.44523 - 0.09705_{female} - 1.74161_{black} + 0.357593 \quad (5)$$

## 6

```
datos_nuevos <- rbind(c(0,0),  
                     c(0,1),  
                     c(1,1),  
                     c(1,0))  
colnames(datos_nuevos) <- c("female", "black")  
datos_nuevos <- data.frame(datos_nuevos)  
datos_nuevos['state'] <- 39  
  
predict(M1, newdata=datos_nuevos, type='response')
```

```
##           1           2           3           4  
## 0.5656377 0.1857997 0.1715638 0.5416600
```