Project Python AspiR

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Introduction

- Objective : design an optimize algorithm.
- On a grid read in a file, this algorithm gives the smaller number of displacements that n_{rob} robots can do to cover all the grid.

Classes

- Room : characterize the length and the width of a grid.
 - Method : has_Wall().
- AspiR: model the problem.
 - Attributes : the grid, colors of robots, positions in the grid.
- **Robot** : characterize the color of a robot, and the problem associated.
 - Methods: get_index() (setter and getter), can_move(), compute_move() (move the robot).

Definitions and notations

- The problem is resolved in the file *main.py*.
- We use a method similar to trees. Even if trees are not implemented in Python, we use the type **list** to do that.
- The root refer to the initial configuration (positions of all robots at initial time).
- Each node refer to one configuration BW, BS, BE, BN, RW, RS, RE or RN.
- For a node, we will call score the number of different squares visited by all displacements associated to it and its parents nodes.
- Take a branch of the tree corresponds to add a new displacement in the grid (BS or RS etc.)
- A **level** of the tree correspond to a time when there is the same number of displacements in the grid. For instance :
 - level 2 : [BW, BW]... [BW, RS], ... [RN,RN]
 - level 3 : [BW, BW, BW], [BW, BW, BS]...

Solution

- For each level of the tree :
 - The program look at all possible branches before take them, and for each possibilities, the score associated.
 - The algorithm select some branches among (we will precise how), and take them.
- When a branch is taken, the algorithm takes all branches selected in the level (the number of displacements in the grid remains the same) before go to an other level.
- The algorithm stopped the first time it find a node where the score is equal at the number of squared in the grid.

Strategies to optimize the program

• If all branches are taken, it's $\exp(k_{opt} \log(4n_{rob}))$ combinations of displacements which are tested, before arrive to k_{opt} optimal displacements!

Strategies:

- Open the file only once, and stock its content in a list.
- Don't take the branches that involve a blocked robot (by a wall or an other robot).
- Don't take the branches that involve a round trip (for instance: RS after RN).
- Select only branches that lead to a better score (or at least equal):
 this is controllable by the variable precision (the user can modify this).

Variable precision

- If **precision** = 0 : the algorithm takes only branches that lead to a better **score** that the previous branch.
 - Warning: in a level, if k_{rest} is the number of displacements that rest before the optimal path is find, then for each branch rejected by this way, it's $\exp(k_{rest} \log(4n_{rob}))$ combinations of displacement that will never be tested by the algorithm!
- If **precision** = $k_0 > 0$: the algorithm takes only branches that lead to a score that is at least equal to **better_score** k_0 (this is less restrictive).
- Decrease precision, makes the algorithm faster, but solution can be not the best.
- Increase precision, makes the algorithm slower, but give it more chance to find an optimal solution.

Exemple

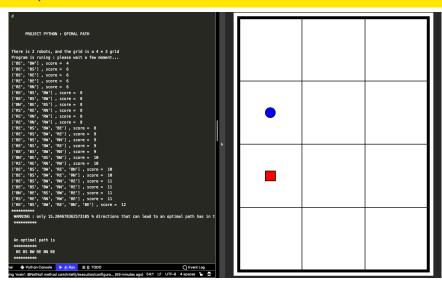


Figure 1: algorithm running for **precision** = 0

Results

Table 1: Results

Test_case	Results_obtained	Expected_results	Error	Execution_time	Precision
Case_Aspi_R_0	6	6	0	0.76 s	20
Case_Aspi_R_1	6	6	0	0.97 s	20
Case_Aspi_R_2	10	10	0	23.41 s	5
Case_Aspi_R_3	18	16	+2	24.1 s	3
Case_Aspi_R_4	15	13	+2	2.9 s	0
Case_Aspi_R_5	11	11	0	40 min	5
Case_Aspi_R_6	14	14	0	29 min	4
Case_Aspi_R_7	14	14	0	1h04	3

• For file Case_Aspi_R_3 and Case_Aspi_R_4 we should be increase the **precision** to have better results.