20111105 second check in

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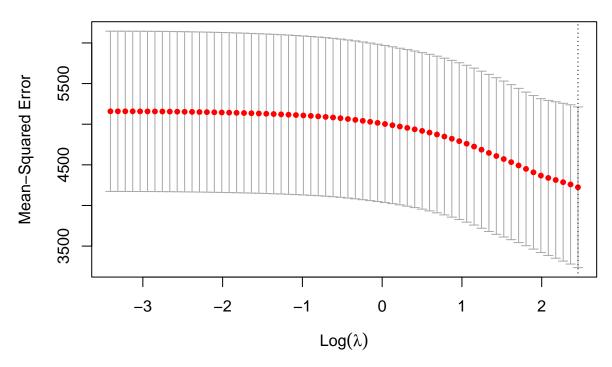
11/5/2021

```
library(tidyverse)
library(survival)
library(ggpubr)
library(survminer)
library(glmnet)
library(car)
library(pROC)
###############################
# load data
dta <- read.csv("D:\\BST_210_Heart_failure\\heart_f.csv")</pre>
# select variables we will use
dta <- dplyr::select(dta,
                       "age", "sex", "anaemia",
                       "diabetes", "ejection_fraction", "smoking",
                       "platelets", "serum_creatinine", "serum_sodium",
                       "time", "DEATH_EVENT")
# rename the variables to make our work easier
names(dta) <- c("age", "sex", "anemia",</pre>
                       "dbt", "ef", "smoking",
"plat", "ser_crt", "ser_na",
"time", "death")
dta$ser_crt_ab <- if_else(dta$ser_crt <= 1.5, 0, 1)</pre>
# check sample size
dim(dta)
## [1] 299 12
# check if there is any missing value in variables
complete.cases(dta) %>% all()
## [1] TRUE
# no missing value
```

Linear, flexible/additive or other methods (LASSO, ridge)

```
# a crude analysis
fit_lin_1 <- lm(time~ser_crt, data = dta_line)</pre>
summary(fit_lin_1)
##
## Call:
## lm(formula = time ~ ser_crt, data = dta_line)
## Residuals:
##
   Min
            1Q Median
                          3Q
## -66.93 -46.63 -26.23 31.36 170.12
##
## Coefficients:
              Estimate Std. Error t value Pr(>|t|)
##
## (Intercept) 69.6578
                       10.2774
                                 6.778 1.06e-09 ***
                         4.3805
## ser_crt
             0.6687
                                  0.153
                                           0.879
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
## Residual standard error: 62.7 on 94 degrees of freedom
## Multiple R-squared: 0.0002478, Adjusted R-squared: -0.01039
## F-statistic: 0.0233 on 1 and 94 DF, p-value: 0.879
# conduct a lasso regression to choose covariate sets for linear serum creatine as a continuous variabl
x <- dplyr::select(dta_line, -death, -time, -ser_crt_ab) %>%
       as.matrix()
y <- dta_line$time %>% as.vector()
cv <- cv.glmnet(x, y, type.measure = "mse", nfolds = 4)</pre>
plot(cv)
```





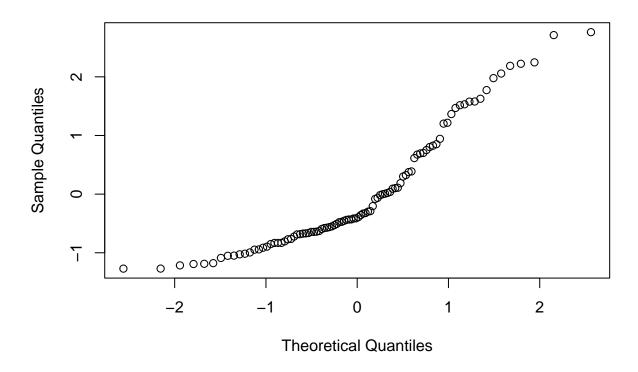
The results of the lasso tells us that we should not include any covariates in the model. Only intercept is enough. This result is not helpful in guiding covariates selection, partly because of the small sample size and null association.

```
fit_lin_2 <- lm(time~ser_crt + age + sex, data = dta_line)</pre>
summary(fit_lin_2)
##
## Call:
## lm(formula = time ~ ser_crt + age + sex, data = dta_line)
##
## Residuals:
##
      Min
              1Q Median
                            3Q
                                  Max
  -77.39 -42.70 -24.74 41.42 164.57
##
##
## Coefficients:
##
               Estimate Std. Error t value Pr(>|t|)
## (Intercept) 127.1234
                           32.9043
                                     3.863 0.000208 ***
                            4.3668
                                     0.268 0.789563
## ser_crt
                 1.1688
## age
                -0.8914
                            0.4918
                                    -1.813 0.073147
                -0.3834
                           13.5115
                                    -0.028 0.977425
## sex
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 62.24 on 92 degrees of freedom
## Multiple R-squared: 0.03597,
                                    Adjusted R-squared: 0.004537
```

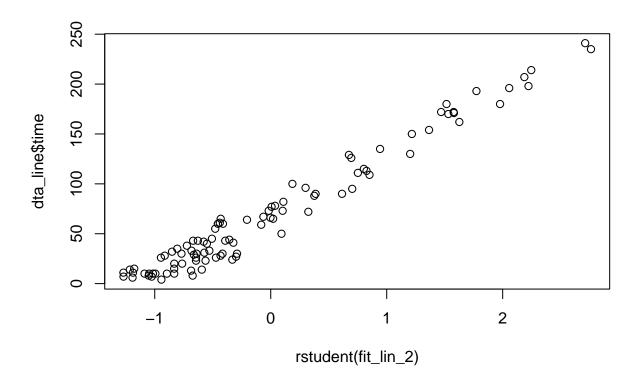
we will adjust for age and sex based on the background knowledge

```
## F-statistic: 1.144 on 3 and 92 DF, p-value: 0.3355
#try use serum creatine as a binary variable
fit_lin_3 <- lm(time~ser_crt_ab, data = dta_line)</pre>
summary(fit_lin_3)
##
## Call:
## lm(formula = time ~ ser_crt_ab, data = dta_line)
## Residuals:
     Min
            1Q Median
                         3Q
## -76.14 -49.57 -20.38 27.68 171.62
##
## Coefficients:
             Estimate Std. Error t value Pr(>|t|)
## (Intercept) 63.377
                        8.536 7.425 5.04e-11 ***
## ser_crt_ab
               16.762
                         12.754
                                1.314
                                          0.192
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
## Residual standard error: 62.14 on 94 degrees of freedom
## Multiple R-squared: 0.01804,
                                Adjusted R-squared: 0.007598
## F-statistic: 1.727 on 1 and 94 DF, p-value: 0.1919
fit_lin_4 <- lm(time~ser_crt_ab + age + sex, data = dta_line)</pre>
summary(fit_lin_2)
##
## Call:
## lm(formula = time ~ ser_crt + age + sex, data = dta_line)
## Residuals:
##
     Min
            1Q Median
                         3Q
                               Max
## -77.39 -42.70 -24.74 41.42 164.57
##
## Coefficients:
             Estimate Std. Error t value Pr(>|t|)
## ser_crt
              1.1688
                         4.3668 0.268 0.789563
              -0.8914
                         0.4918 -1.813 0.073147 .
## age
                        13.5115 -0.028 0.977425
             -0.3834
## sex
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
## Residual standard error: 62.24 on 92 degrees of freedom
## Multiple R-squared: 0.03597, Adjusted R-squared: 0.004537
## F-statistic: 1.144 on 3 and 92 DF, p-value: 0.3355
# we will do some model diagnostics with the most spares model
# residul analysis
qqnorm(rstudent(fit_lin_2))
```

Normal Q-Q Plot



plot(rstudent(fit_lin_2), dta_line\$time)

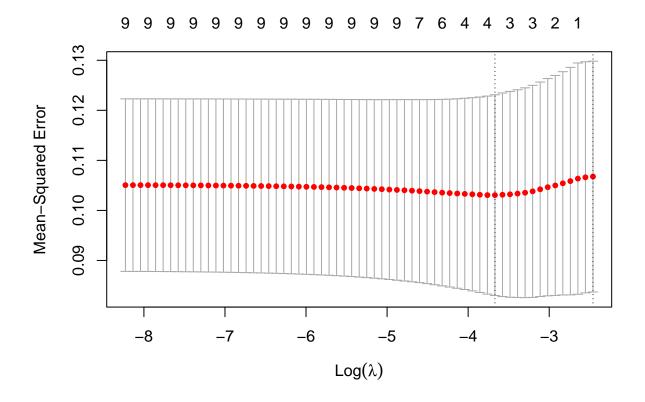


The residuals are not normally distributed. Also the residuals are clearly linear associated with the outcome. Thus, the linear model's assumption about nomarlity is violated.

Logistic, multinomial, ordinal:

```
# assess the death by the 30-days
dta$death_30 <- NA
dta$death_30[dta$death == 1& dta$time <= 30] <- "Yes"
{\tt dta\$death\_30[(dta\$death == 1\& dta\$time > 30) |}
               (dta\$death == 0\& dta\$time > 30)] \leftarrow "No"
dta$death_30[dta$death == 0& dta$time <= 30] <- "Censored"
table(dta$death_30)
##
## Censored
                 No
                         Yes
##
                259
                          35
# there are 5 patients censored at the 30 days
# we will just drop them
dta_log <- dplyr::filter(dta, death_30 != "Censored")</pre>
dta_log$death_30 <- if_else(dta_log$death_30 == "Yes", 1, 0)</pre>
# a crude logistic model
fit_log_1 <- glm(death_30~ser_crt, family = "binomial", data = dta_log)</pre>
summary(fit_log_1)
```

```
##
## Call:
## glm(formula = death_30 ~ ser_crt, family = "binomial", data = dta_log)
## Deviance Residuals:
##
                1Q
                    Median
      Min
                                  3Q
## -1.5005 -0.4824 -0.4579 -0.4422
##
## Coefficients:
##
              Estimate Std. Error z value Pr(>|z|)
## (Intercept) -2.5695
                           0.2829 -9.083 < 2e-16 ***
                           0.1300 2.822 0.00477 **
                0.3670
## ser_crt
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
## (Dispersion parameter for binomial family taken to be 1)
##
##
      Null deviance: 214.63 on 293 degrees of freedom
## Residual deviance: 206.92 on 292 degrees of freedom
## AIC: 210.92
## Number of Fisher Scoring iterations: 4
fit_log_1$coefficients %>% exp
## (Intercept)
                  ser_crt
## 0.07657599 1.44340585
confint(fit_log_1) %>% exp # check 95% CI
## Waiting for profiling to be done...
                   2.5 %
## (Intercept) 0.04271699 0.1305243
## ser_crt
              1.12006891 1.8922657
# use lasso to help determine the covariate sets
x <- dplyr::select(dta_log, -death, -time, -death_30, -ser_crt_ab) %>%
       as.matrix()
y <- dta_log$death_30 %>% as.vector()
cv <- cv.glmnet(x, y, type.measure = "mse", nfolds = 4)</pre>
plot(cv)
```



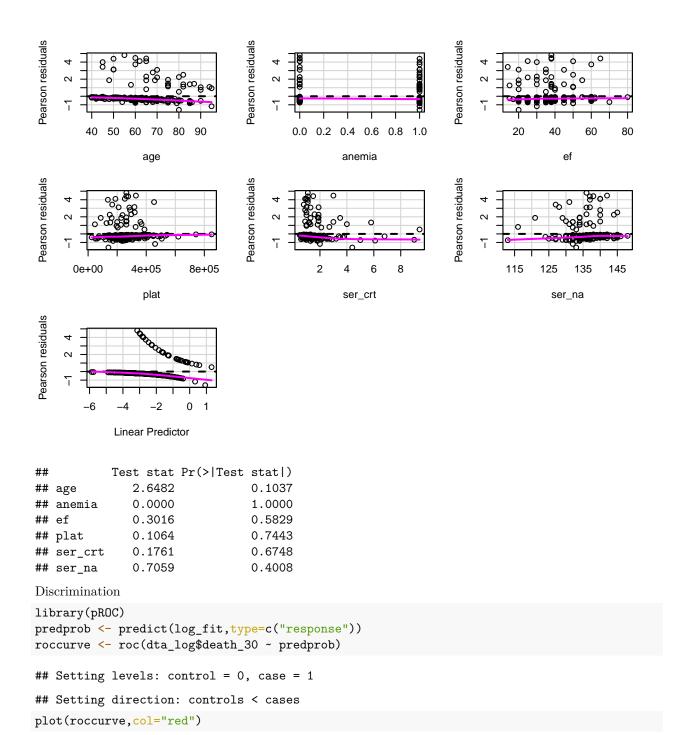
cv\$glmnet.fit

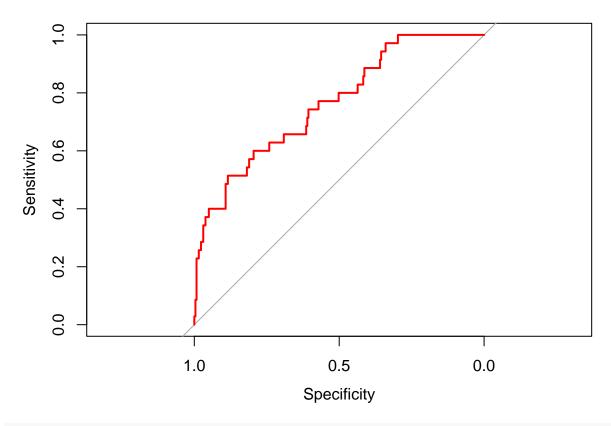
```
##
## Call:
          glmnet(x = x, y = y)
##
##
      {\tt Df}
          %Dev
                 Lambda
## 1
       0
          0.00 0.085430
## 2
          1.18 0.077840
       1
## 3
          2.16 0.070930
## 4
          2.98 0.064630
       1
## 5
          3.65 0.058890
## 6
          4.61 0.053650
       2
## 7
          5.58 0.048890
## 8
       3
          6.50 0.044550
## 9
          7.27 0.040590
       3
## 10
       3
         7.91 0.036980
## 11
       3 8.43 0.033700
## 12
       3
         8.87 0.030700
## 13
          9.28 0.027980
       4 9.69 0.025490
## 14
## 15
       4 10.03 0.023230
## 16
       4 10.31 0.021160
## 17
       4 10.55 0.019280
## 18
       4 10.74 0.017570
## 19
       5 10.92 0.016010
## 20 6 11.09 0.014590
```

```
## 21 6 11.26 0.013290
      6 11.39 0.012110
       6 11.50 0.011030
## 24
       7 11.60 0.010050
## 25
       7 11.69 0.009161
## 26
      9 11.80 0.008347
       9 11.89 0.007605
       9 11.98 0.006930
## 28
## 29
       9 12.04 0.006314
## 30
      9 12.10 0.005753
   31
      9 12.15 0.005242
## 32
       9 12.18 0.004776
       9 12.22 0.004352
   33
  34
      9 12.24 0.003965
  35
       9 12.27 0.003613
## 36
       9 12.28 0.003292
  37
       9 12.30 0.003000
  38
       9 12.31 0.002733
## 39
      9 12.32 0.002490
## 40
      9 12.33 0.002269
## 41
      9 12.34 0.002068
      9 12.34 0.001884
       9 12.35 0.001717
## 43
## 44
       9 12.35 0.001564
## 45
       9 12.36 0.001425
## 46
       9 12.36 0.001299
## 47
       9 12.36 0.001183
## 48
       9 12.36 0.001078
## 49
       9 12.37 0.000982
       9 12.37 0.000895
## 50
## 51
       9 12.37 0.000816
## 52
      9 12.37 0.000743
## 53
      9 12.37 0.000677
## 54
      9 12.37 0.000617
## 55
       9 12.37 0.000562
## 56
      9 12.37 0.000512
## 57
      9 12.37 0.000467
## 58
      9 12.37 0.000425
## 59
       9 12.37 0.000387
      9 12.37 0.000353
## 60
      9 12.37 0.000322
## 62 9 12.37 0.000293
## 63 9 12.37 0.000267
coef(cv, s = "lambda.min")
## 10 x 1 sparse Matrix of class "dgCMatrix"
                         s1
## (Intercept)
                0.469348971
## age
                0.004595103
## sex
## anemia
                0.006525718
## dbt
## ef
## smoking
```

```
## plat
## ser_crt
              0.023603212
## ser na
              -0.004874799
best_cov <- c("age", "anemia", "ef", "plat", "ser_crt", "ser_na")</pre>
coef(cv, s = 0.010050)
## 10 x 1 sparse Matrix of class "dgCMatrix"
##
                          s1
## (Intercept) 7.850451e-01
              5.613910e-03
## age
               3.373783e-04
## sex
## anemia
              3.544657e-02
## dbt
               -5.075034e-04
## ef
## smoking
               .
               -3.718755e-08
## plat
## ser_crt
               3.344088e-02
## ser_na
               -7.619702e-03
include_cov <- c("sex", "age", "anemia", "ef", "plat", "ser_crt", "ser_na")</pre>
coef(cv, s = 0.016010)
## 10 x 1 sparse Matrix of class "dgCMatrix"
## (Intercept) 0.6699599884
              0.0052104089
## age
## sex
## anemia
              0.0242794930
## dbt
              -0.0000444681
## ef
## smoking
## plat
## ser_crt
               0.0296350188
## ser_na
              -0.0067224731
exclude_cov <- c("age", "anemia", "ef", "ser_crt", "ser_na")</pre>
According to the lasso results, we will perform three logitatic regressions and compare their results.
log_fun <- function(set){</pre>
        x_matrix <- dta_log[set,]</pre>
        y <- dta_log$death_30
        fit <- glm(y~x, family = "binomial")</pre>
        OR <- coef(fit)["xser_crt"] %>% exp()
        CI <- confint(fit)["xser_crt",] %>% exp()
        aic <- fit$aic
        return(list(OR, CI, aic))
lapply(list(best_cov, exclude_cov, include_cov), log_fun)
## Waiting for profiling to be done...
## Waiting for profiling to be done...
## Waiting for profiling to be done...
## [[1]]
## [[1]][[1]]
```

```
## xser_crt
## 1.324913
##
## [[1]][[2]]
##
       2.5 %
                97.5 %
## 0.9826464 1.7762613
## [[1]][[3]]
## [1] 198.6465
##
##
## [[2]]
## [[2]][[1]]
## xser_crt
## 1.324913
##
## [[2]][[2]]
                97.5 %
       2.5 %
## 0.9826464 1.7762613
## [[2]][[3]]
## [1] 198.6465
##
##
## [[3]]
## [[3]][[1]]
## xser_crt
## 1.324913
##
## [[3]][[2]]
##
       2.5 %
                97.5 %
## 0.9826464 1.7762613
##
## [[3]][[3]]
## [1] 198.6465
Diagnostics for the model
log_fit <- glm(death_30~age+anemia+ef+plat+ser_crt+ser_na, family = "binomial", data = dta_log)</pre>
residualPlots(log_fit)
```





auc(roccurve)

Area under the curve: 0.7629