

00 : 09 : 59

Convert the Hexadecimal number (1E.4) into
Decimal number

$$(1 * 16^1) + (14 * 16^0) + (4 * 16^{-1}) = 30.25$$

29.25

30.5

30.25

30.125

00 : 08 : 35

Convert the Decimal number (26.25) into Octal number

23.4

23.2

32.4

32.2

00 : 07 : 42

Convert the Decimal number (18.125) into
Binary number

10010.010

10010.001

10011.010

01001.001

00 : 06 : 32

The Binary subtraction using 2's complement of
the Binary numbers: F= $(1010) - (1100)$ is

F= -01

F= 10

F= 01

F= -10

00 : 06 : 35

Convert the Octal number (25.1) into Decimal
number

21.5

12.125

21.25

21.125

00 : 06 : 26

The Octal number (65.12) is equivalent to
Hexadecimal number

B1.28

35.22

35.28

35.0A

00 : 06 : 46

Convert the Hexadecimal number (1E.4) into
Decimal number

29.25

30.5

30.25

30.125

Next

Clear Answers

Question Total Count : 6

00 : 08 : 18

Convert the Decimal number (18.125) into
Binary number

10010.001



01001.001

10011.010

10010.010

Next

Clear Answers

Question Total Count : 6

00 : 09 : 56

Convert the Octal number (25.1) into Decimal number

21.5

21.125

21.25

12.125

Next

Clear Answers

Question Total Count : 6

00 : 05 : 04

The Octal number (65.12) is equivalent to
Hexadecimal number

35.0A

35.28



B1.28

35.22

Next

Clear Answers

Question Total Count : 6

00 : 02 : 23

Convert the Decimal number (26.25) into Octal number

 32.4 23.2 23.4 32.2**Next****Clear Answers****Question Total Count : 6**

Not Visited

Not Answered

00 : 03 : 04

The Binary subtraction using 2's complement of
the Binary numbers: F= (1010) - (1100) is

F= 10

F= -01

F= -10

F= 01

Next

Clear Answers

Question Total Count : 6

Not Visited

Not Answered

00 : 03 : 12

Select the Boolean expression that is
not equivalent to $x \cdot x + x \cdot x'$

x

$x.(x+x')$

$(x+x').x$

x'

Next

Clear Answers



00 : 05 : 36

Simplify $Y = AB(A + B)$.

$Y=1$

$Y=AB$ 

$Y=B$

$Y=A$

Next

Clear Answers

00 : 04 : 24

Select the expression which is not equivalent to: $x \cdot (x' + y) + y$

$x \cdot x' + y \cdot (1 + x)$

$x \cdot y$

$0 + x \cdot y + y$

y

Next**Clear Answers**



00 : 05 : 09

The Decimal number (83) is expressed
in (2 4 2 1) code as (1000 0011)

 T F[Next](#)[Clear Answers](#)

Question Total Count : 10

Not Visited

Not Answered

4

0

Answered



00 : 02 : 02

The Decimal number (35) is expressed
in (8 4 -2 -1) code as (0011 1011)

 F T[Next](#)[Clear Answers](#)

Question Total Count : 10

Not Visited

Not Answered

Answered



00 : 06 : 12

Simplify $F = A' + AB' + B$ $AB' + A$ AB' $AB' + B$ 1 [Next](#)[Clear Answers](#)

00 : 06 : 48

The Boolean function $X + YZ$ is a reduced form of $(X + Y)(X + Z)$.

F

T

Next

Clear Answers

Question Total Count : 10

Not Visited

7

Not Answered

0

Answered

3

00 : 07 : 17

The Boolean function $A + BC$ is a reduced form of

A'B + AB'C

(A + B)(A + C) _____

AB + BC

(A + C)B

Next

Clear Answers

00 : 08 : 15

The Boolean expression: $A(A + B)$ is equivalent to A

F

T —

Next

Clear Answers

Question Total Count : 10

Not Visited

9

Not Answered

0

Answered

1



00 : 09 : 59

The Decimal number (70) is equivalent
of the excess-3 number (1010 0011)

T

—

F

Next

Clear Answers

Question Total Count : 10

Not Visited

Not Answered

10

0

[1] The Decimal number (27.5) is equivalent to the Hexadecimal number (1B.4).

- (a) T (b) F

[2] The Decimal number (12.125) is equivalent to the Binary number (1100.001).

- (a) T (b) F

[3] The Binary number (1010.01) is equivalent to the Decimal number (8.25).

- (a) T (b) F

[4] The Binary number (101010.11) is equivalent to Hexadecimal number (2A.B).

- (a) T (b) F

[5] The Binary number (1011.1011) is equivalent to Octal number (13.54).

- (a) T (b) F

[6] The Hexadecimal number (3A.8) is equivalent to the Binary number (111011.1).

- (a) T (b) F

[7] The Boolean expression: $X \cdot X + X \cdot X'$ is equivalent to: X.

- (a) T (b) F

[8] The Boolean Function $F(A, B) = m_0 + m_3$ is equivalent to $F(A, B) = A' \cdot B' + A \cdot B$.

- (a) T (b) F

[9] The canonical sum of product of the function: $F(X, Y) = X' \cdot Y + Y$ is $F = m_1 + m_2$.

- (a) T (b) F

[10] The Boolean expression: $A(B + A') + A$ is equivalent to: B.

- (a) T (b) F

[11] The Binary subtraction using 2's complement of the Binary numbers $F = (11100) - (101110)...$

- (a) $F = -10010$ b) $F = -00101$ (c) $F = 01011$ (d) $F = 01010$

[12] Convert the Hexadecimal number (6C.B2) into Octal number.....

- (a) 154.541 (b) 164.544 (c) 314.13 (d) 154.544

[13] Express the decimal number (83) in 2421 codes...

- (a) 1110 0111 (b) 1110 0111 (c) 11100011 (d) 01000011

[14] Convert Binary number 111010 into Gray code.....

- (a) 100101 (b) 100110 (c) 101101 (d) 100111

[15] Convert Gray code 100111 into Binary number....

- (a) 111010 (b) 110110 (c) 111101 (d) 110111

[16] Obtain the canonical sum of product the function: F
 $F(X, Y) = X' \cdot Y + Y$

- (a) $F = m_1 + m_2$ (b) $F = m_1 + m_3$ (c) $F = m_0 + m_3$ (d) $F = m_0 + m_1$

[17] For the Boolean function $F(x, y, z) = m_1 + m_3 + m_5$ the complete expression is...

- (a) $F = x' \cdot y' \cdot z + x' \cdot y \cdot z + x \cdot y' \cdot z$ (b) $F = x' \cdot y' \cdot z + x' \cdot y \cdot z + x \cdot y' \cdot z$
(c) $F = x' \cdot y' \cdot z + x' \cdot y \cdot z' + x \cdot y' \cdot z$ (d) $F = x' \cdot y' \cdot z + x' \cdot y \cdot z + x \cdot y' \cdot z'$

[18] Select the expression which is not equivalent to:

$$x(x' + y) + y$$

- (a) $x \cdot x' + y(1 + x)$ (b) $0 + x \cdot y + y$ (c) $x \cdot y$ (e) y

[19] The Boolean function $A + BC$ is a reduced form of

- (a) $AB + BC$ (b) $A' \cdot B + A \cdot B' \cdot C$ (c) $(A + B)(A + C)$ (d) $(A + C)B$

[20] Simplify $Y = AB(A + B)$

- (a) $Y = A$ (b) $Y = B$ (c) $Y = AB$ (d) $Y = 1$

00 : 01 : 59

The Boolean Function $F(A, B) = m_0 + m_2$ is equivalent
to $F(A, B) = A'B' + AB$

True

False

التالي

تغريغ الخانات

عدد الأسئلة الكلية : 7

لم يتم إجابته

لم يتم رؤيته

0

1

تم إجابته

6

00 : 02 : 30

The canonical sum of product of the function: F (X, Y)

= X'Y + Y is F = m1+m2



F



T

التالي

تفريغ الخانات

عدد الأسئلة الكلية : 7

لم يتم إجابته

لم يتم رؤيته

0

2

تم إجابته

5

00 : 03 : 43

Obtain the canonical product of sum form of the function. $F(A, B) = A + AB'$

F=M0. M1

F=M1. M3

F=M1. M2

F=M0. M2

التالى

تغريغ الخانات

عدد الاسئلة الكلية : 7

The canonical product of sum form of the function: F
 $(A, B) = A + AB'$ is $M_0 \cdot M_1$

T

F

التالي

تغريغ الحالات

عدد الاسئلة الكلية : 7

لم يتم إجابته

0

لم يتم رؤيته

4

تم إجابته

3

00 : 06 : 16

Obtain the canonical sum of product form of the
function: $F(A, B) = A + A'B$

$F=m_0+m_2+m_3$

$F=m_1+m_2$

$F=m_0+m_1+m_3$

$F=m_1+m_2+m_3$

التالى

تفريغ الخانات

عدد الاسئلة الكلية : 7

00 : 08 : 29

The Boolean Function $F(A,B) = M_1 \cdot M_3$ is equivalent to
 $F(A,B) = (A' + B) \cdot (A' + B')$

T

F

التالي

تفريغ الخانات

عدد الأسئلة الكلية : 7

لم يتم إجابته

لم يتم رؤيته

0

6

تم إجابته

1

00 : 09 : 14

For the Boolean function $F(x,y,z) = m_1 + m_3 + m_5$ the complete expression is

$F=x'y'z' + x'yz + xy'z$

$F=x'y'z + x'yz' + xy'z$

$F=x'y'z + x'yz + xy'z$

$F=x'y'z + x'yz + xy'z'$

التالى

تفريغ الخانات

عدد الاسئلة الكلية : 7

00 : 27 : 30

Convert the Decimal number (18.125) into
Binary number

01001.001

10010.010

10010.001

10011.010

Next

Clear Answers



حسناء عثمان يوسف
احمد حبيب

تصميم منطقي - الفصل الدراسي
الأول - اللائحة الداخلية

QUIZ

00 : 26 : 46

The Hexadecimal number (3A.8) is equivalent
to the Binary number (111011.1)

١١١٠١١,١ ← ٣٨

True

False

Next

Clear Answers

Question Total Count : 20

Not Visited

19

Not Answered

0

Answered

00 : 25 : 44

Express the function $Y(a,b,c) = M_1 \cdot M_3 \cdot M_4 \cdot M_7$
as a sum of min terms

$Y = m_1 + m_2 + m_5 + m_6$

$Y = m_0 + m_2 + m_4 + m_6$

$Y = m_0 + m_2 + m_5 + m_6$

$Y = m_0 + m_3 + m_5 + m_6$

Next

Clear Answers



احمد حبيب

الأول - اللائحة الداخلية

00 : 25 : 06

Complement of the expression $A'B + CD'$ is $(A + B')(C' + D)$

 True False[Next](#)[Clear Answers](#)

Question Total Count : 20

Not Visited

17

Not Answered

0

Answered

00 : 23 : 07

Convert the Decimal number (26.25) into Octal number

 32.2 23.4 23.2 32.4**Next****Clear Answers****Question Total Count : 20**

Not Visited

Not Answered

00 : 22 : 55

Sum-of-Products expressions can be implemented using _____

2-level OR - AND logic circuits

2-level NOR logic circuits

2-level XOR logic circuits

2-level NAND logic circuits

Next

Clear Answers

00 : 21 : 29

The Binary number (1110.01) is equivalent to
the Decimal number (14.5)

14.25

False



True

Next

Clear Answers

Question Total Count : 20

Not Visited

14

Not Answered

0

Answered

6

00 : 20 : 25

Express the decimal number (83) in 2421codes

1110 0011



0100 0011

1110 0111

1110 0111

Next

Clear Answers

Question Total Count : 20

00 : 19 : 19

The Binary number (101010.11) is equivalent to
Hexadecimal number (2A.B)

00101010.1011 True False**Next****Clear Answers****Question Total Count : 20**

Not Visited

12

Not Answered

0

Answered

8

00 : 18 : 48

The Boolean expression: $A(B + A') + A$ is equivalent to: B

False

True



Next

Clear Answers

Question Total Count : 20

Not Visited

11

Not Answered

0

Answered

9

00 : 16 : 50

Simplify $Y = AB' + (A' + B)C$.

$Y=A'B + AC$

$Y=A'B + C$

$Y=AB + AC$

$Y=AB' + C$



Next

Clear Answers

Question Total Count : 20

Not Visited

Not Answered

00 : 15 : 26

The Binary number (1011.1011) is equivalent to Octal number (13.54)

True



False

Next

Clear Answers

Question Total Count : 20

Not Visited

9

Not Answered

0

Answered

11



00 : 12 : 55

Convert the Octal number (25.1) into Decimal number

21.5

21.125



12.125

21.25

Next

Clear Answers

00 : 12 : 14

The Octal number (15.4) is equivalent to the
Binary number (1101.1)

 False True**Next****Clear Answers****Question Total Count : 20**

Not Visited

7

Not Answered

0

Answered

13

00 : 10 : 39

Obtain the canonical product of sum form of the function. $F(A, B) = A + AB'$

$F=M_0 \cdot M_2$

$F=M_1 \cdot M_3$

$F=M_1 \cdot M_2$

$F=M_0 \cdot M_1$

Next

Clear Answers

00 : 09 : 58

The Boolean expression: $A + A'B$ is equivalent to: $A+B$

 True False[Next](#)[Clear Answers](#)

Question Total Count : 20

Not Visited

5

Not Answered

0

Answered

15

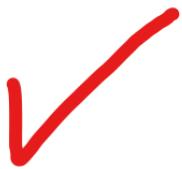
00 : 09 : 22

The Binary subtraction using 2's complement of the Binary numbers: F= $(1010) - (1100)$ is

F= 01

F= 10

F= -10



F= -01

Next

Clear Answers

00 : 07 : 45

Convert the Hexadecimal number (1E.4) into
Decimal number

 30.5 29.25 30.125 30.25**Next****Clear Answers**

00 : 06 : 46

The Boolean Function $F(A, B) = m_0 + m_2$ is equivalent to $F(A, B) = A'B' + AB$

 True False**Next****Clear Answers****Question Total Count : 20**

Not Visited

2

Not Answered

0

Answered

18



QUIZ - الائحة الداخلية - الفصل الدراسي الأول - تصميم منطقى

00 : 06 : 05

Complement of Boolean Function $F(A,B) = m_1 + m_3$ is equivalent to $F' = M_1 \cdot M_3$

True

False

Next

Clear Answers

Question Total Count : 20

Not Visited

1

Not Answered

0

Answered

00 : 18 : 27

Simplify the Boolean function F, together with the don't-care condition d

$$F(A,B,C,D) = m_2, m_4, m_{10}, m_{11}, \quad d(A,B,C,D) = m_1, m_3, m_6$$

$F = A'BD' + B'D$

$F = A'B'D' + B'C$

$F = AB'C + B'C$

$F = A'BD' + B'C$

التالى





00 : 11 : 03

Using Karnaugh map method, Simplify the following function

$$F(A,B,C) = AB' + A'C + ABC$$

$F = AB + AC$

$F = AB' + C$

$F = A'B + AC'$

$F = AB + A$

التالى

تفريغ الخانات



00 : 07 : 51

A combinational circuit with three inputs (a, b, c) and one output (z). The output is 0 when the binary value of the inputs is less than 5, and the output is 1 otherwise. Find output(z)

z=ab+bc

z=ab'+ac

z=ab+ac

z=ac+bc

التالي

الخلفية

00 : 05 : 42

Using Karnaugh map method, Simplify the following function:

$$F(A,B,C) = m_3 + m_4 + m_6 + m_7$$

$F = AC + BC$

$F = A'C + BC$

$F = AC' + AB$

$F = AC' + BC$

التالى

تفريغ الخانات

00 : 04 : 47

For a half - adder, the outputs sum and carry are given by

sum = $m_0 + m_2$, carry = m_3

sum = $m_0 + m_1$, carry = m_3

sum = $m_1 + m_2$, carry = m_3

sum = $m_1 + m_2$, carry = m_2

التالى

تفريغ الخانات



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QUIZ

5

00 : 19 : 03

How many NOT gates and AND gates are required for the construction of a 4-to-1 multiplexer?

3 NOT gates and 5 AND gates

3 NOT gates and 4 AND gates

2 NOT gates and 4 AND gates

2 NOT gates and 5 AND gates

Next



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QUIZ

00 : 18 : 13

How many OR gates are required for an Octal-to-Binary encoder?

Number of OR gates =2

Number of OR gates =4

Number of OR gates =3

Number of OR gates =8

Next

Clear Answers



00 : 13 : 58

$$\begin{aligned} F(A,B,C,D) &= m_1 + m_3 + m_7 + m_{11} + m_{15} & d(A,B,C,D) \\ &= m_0 + m_2 + m_5 \end{aligned}$$

$F = A'B' + B'C$

$F = A'D + CD$

$F = A'B' + CD$

$F = A'B' + A'B$

Next

Clear Answers



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الأول - اللائحة الداخلية

QUIZ

00 : 13 : 42

5

How many AND gates are required for a 3-to-8 Decoder?

Number of AND gates =2

Number of AND gates =10

Number of AND gates =8

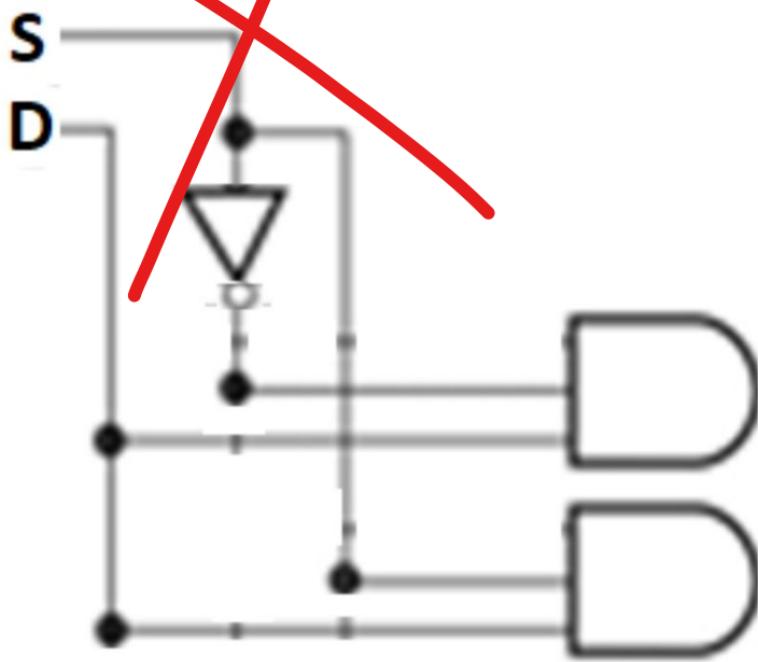
Number of AND gates =3

Next

Clear Answers

00 : 13 : 31

Mention the type of the following circuit? if S = 1, then the output will be



Multiplexer, output Y0=D

De-multiplexer, output Y1=D

Multiplexer, output Y1=D



00 : 10 : 38

Using Karnaugh map method, Simplify the following function

$$F(A,B,C) = AB' + (A' + B)C.$$



$$F = AB' + C$$



$$F = AB + A$$



$$F = A'B + AC'$$



$$F = A'B + C$$

Next

Clear Answers

00 : 10 : 27

If a Decoder has two inputs, then the output is given by

m0, m1, m2, m3

m0, m1, m3, m4

m1, m2, m3, m4

m0, m1, m2, m4

Next

Clear Answers

Question No.1

a) (1) $(10110.0101)_2$

$$= 0 \times 2^0 + 1 \times 2^1 + 1 \times 2^2 + 0 \times 2^3 + 1 \times 2^4 + \\ 0 \times 2^{-1} + 1 \times 2^{-2} + 0 \times 2^{-3} + 1 \times 2^{-4} \\ = (22, 3125)_{10}$$

(2) $(26.24)_8$

$$= 6 \times 8^0 + 2 \times 8^1 + 2 \times 8^{-1} + 4 \times 8^{-2} \\ = (22, 3125)_{10}$$

(3) $(1C.5B)_{16}$

$$= 12 \times 16^0 + 1 \times 16^1 + 5 \times 16^{-1} + 11 \times 16^{-2} \\ = (28, 355)_{10}$$

(4) $(43.12)_5$

$$= 3 \times 5^0 + 4 \times 5^1 + 1 \times 5^{-1} + 2 \times 5^{-2} \\ = (23, 28)_{10}$$

b) $(24.125)_{10}$

→ To Binary:

$$\begin{array}{r} 24/2 = 12 & \text{J.WI} \\ 12/2 = 6 & \\ 6/2 = 3 & \\ 3/2 = 1 & \uparrow \\ 1/2 = 0 & \end{array}$$

$$\begin{array}{r} 0.125 * 2 = 0.25 \\ 0.25 * 2 = 0.5 \\ 0.5 * 2 = 1 \end{array}$$

$$= (11000.001)_2$$

→ To octal:-

$$\begin{array}{r} 24/8 = 3 \\ 3/8 = 0.375 \rightarrow *8 = 3 \end{array}$$

$$0.125 * 8 = 1$$

$$= (30.1)_8$$

\rightarrow To Hexadecimal:

$$\begin{array}{r} 24/16 = 1.5 \\ 1/16 = 0.0625 \end{array}$$

$0.5 * 16 = 8$
 $0.0625 * 16 = 1 \uparrow$

$$0.125 * 16 = 2$$

$$= (18.2)_{16}$$

(c) ① $M = 11011$

$$N = 10001$$

\rightarrow 2's Complement

$$M - N = 01111$$

$$\begin{array}{r} 11011 \\ + 01111 \\ \hline \end{array}$$

Carry

$$\therefore M - N = 01010$$

② $M = 10001$, $N = 11011$ 2's Comp 00101

$$\begin{array}{r} 10001 \\ + 00101 \\ \hline \end{array}$$

$$10110$$

2's comp \rightarrow 01010

$$\therefore M - N = -(01010)$$

4)

6. 24

→ BCD code: (8 4 2 1)

6 → 0 1 1 0
2 → 0 0 1 0
4 → 0 1 0 0

= (0110.0010 0100)_{BCD}

→ (2 4 2 1) code

6 → 1 1 0 0
2 → 0 0 1 0
4 → 0 1 0 0

= (1100.0010 0100)₂₄₂₁

→ excess-3 code:

+3

9. 57

= (1001.0101 0111)_{excess}

(8 4 2 1)

8 → 1 0 0 1
5 → 0 1 0 1
7 → 0 1 1 1

$$(F) (1) \quad 14/2 = 5$$

$$1B' + 4B^\circ / 2B^\circ = 5B^\circ$$

$$B + 4 / 2 = 5A$$

$$B + 4 = 10$$

$$B = 10 - 4$$

$$\boxed{B = 6}$$

$$(2) \quad 59/4 = 13$$

$$5B' + 4B^\circ / 4B^\circ = 1B' + 3B^\circ$$

$$5B + 4 / 4 = B + 3$$

$$5B + 4 = 4B + 12$$

$$\boxed{B = 8}$$

$$(3) \quad 24 + 17 = 40$$

$$2B' + 4B^\circ + 1B' + 7B^\circ = 4B' + 0B^\circ$$

$$2B + 4 + B + 7 = 4B$$

$$3B + 11 = 4B$$

$$\boxed{B = 11}$$

Question No. 2

(a) $A'C + A'B + AB'C + BC$

$$A'(C+B) + C(AB' + B)$$

$$A'(C+B) + C(A+B)(B+B')$$

$$A'C + A'B + A'C + BC$$

$$C(A'+A) + BC + A'B$$

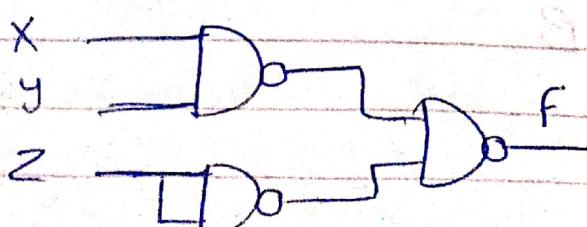
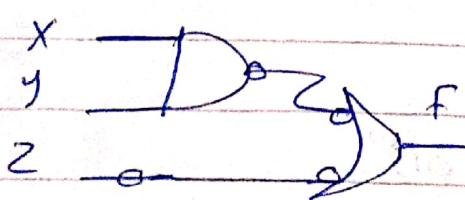
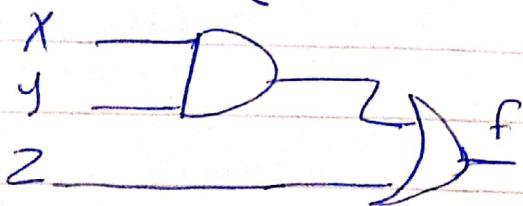
$$= C + BC + A'B$$

$$C(1+B) + A'B$$

$$= A'B + C$$

(b) $F = XY + Z$

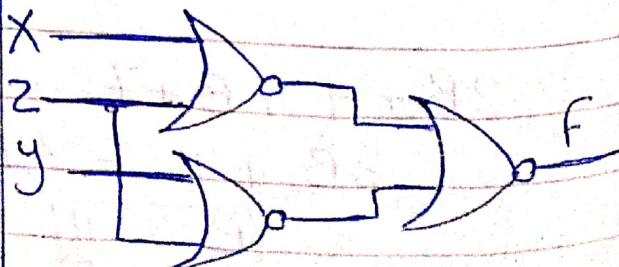
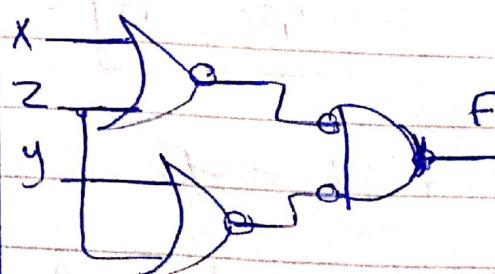
(NAND)



(NOR)

$$F = XY + Z$$

$$= (X+Z)(Z+Y)$$



Question No. 3

$$\begin{aligned}(a) F &= A(A+B+C)(A'+B+C)(A+B'+C)(A+B+C') \\&= (A + BB' + CC')(A+B+C)(A'+B+C)(A+B'+C)(A+B+C') \\&= (A+BB'+C)(A+BB'+C')(A+B+C)(A'+B+C)(A+B'+C)(A+B+C') \\&= \underline{(A+B+C)} \underline{(A+B'+C)} \underline{(A+B+C')} \underline{(A+B'+C')} \cancel{(A+B+C)} \cancel{(A'+B+C)} \\&\quad \underline{(A+B'+C)} \underline{(A+B+C')} \\&= (A+B+C) \underbrace{(A+B'+C)}_{1} \underbrace{(A+B+C')}_{1} (A+B'+C') (A'+B+C) \\&= (A+B+C)(CC')(A+B'+CC')(A'+B+C) \\&= (A+B)(A+B')(A'+B+C) \\&= (A+B'B')(A'+B+C) \\&= A(A'+B+C) \\&= AA' + AB + AC \\&= AB + AC \quad \#\end{aligned}$$

(b) $y = AB + B'C'D$, Convert to POS.

Sol:

$$y = AB(C+C')(D+D') + (A+A')B'C'D$$

$$= ABCD + ABCD' + ABC'D + ABC'D' +$$

$$AB'C'D + A'B'C'D$$

$$= \Sigma(15, 14, 13, 12, 11, 3)$$

$$\therefore POM = \pi(0, 1, 2, 4, 5, 6, 7, 8, 9, 10)$$

$$= (A+B+C+D)(A+B+C+D')(A+B+C'+D)(A+B+C+D)$$

$$(A+B'+C+D')(A+B'+C'+D)(A+B'+C'+D')$$

$$(A'+B+C+D)(A'+B+C+D')(A'+B+C'+D)$$

Question No. 4

(a)

	00	01	11	10
00	m_0	m_1	m_3	m_2
01	m_4	m_5	m_7	m_6
11	m_{12}	m_3	m_{13}	m_{14}
10	m_8	m_9	m_{11}	m_{10}

$$F = \bar{w}x + \bar{y}z + \bar{w}z + xy$$

$$POS = \pi(0, 2, 8, 10, 11, 14, 15)$$

$$\begin{aligned}
 &= (w+x+y+z)(w+x+\bar{y}+z)(\bar{w}+x+y+z)(\bar{w}+x+\bar{y}+z) \\
 &\quad (\bar{w}+x+\bar{y}+\bar{z})(\bar{w}+\bar{x}+\bar{y}+z)(\bar{w}+\bar{x}+\bar{y}+\bar{z})
 \end{aligned}$$

(b)

	AB	CD	00	01	11	10
00						
01	X					
11						
10	X					

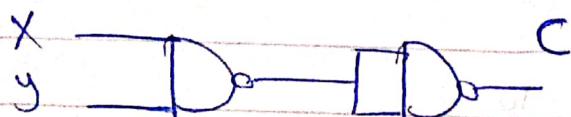
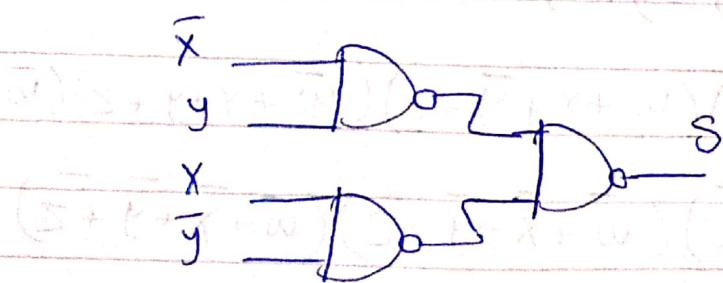
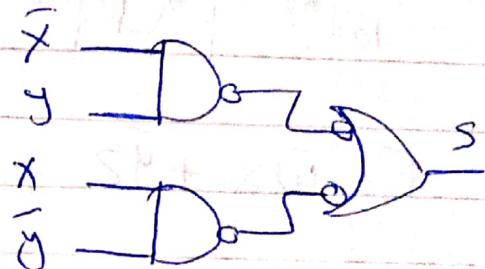
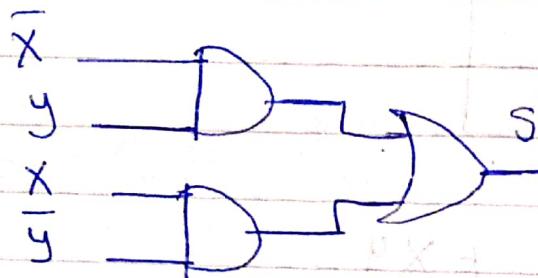
$$F = AB + \bar{C}D + BD + A\bar{C}\bar{D}$$

Question No. 5

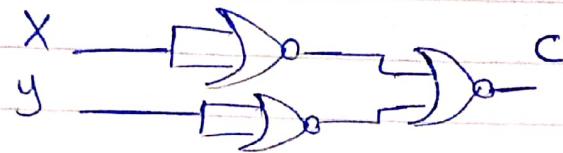
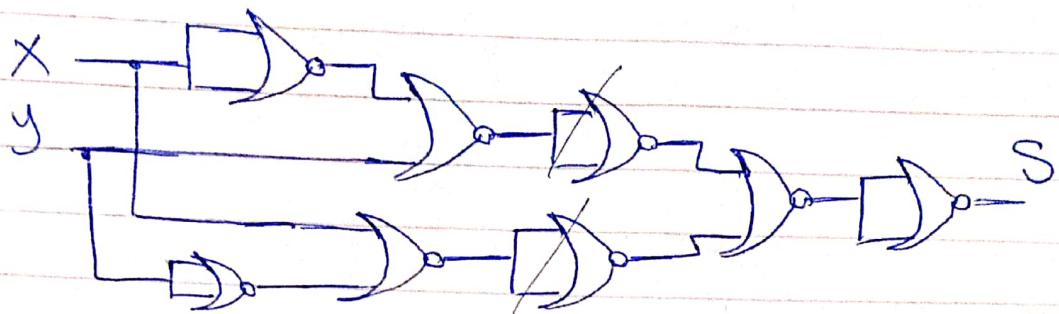
(a) NAND gates:-

$$S = \bar{X}Y + X\bar{Y}$$

$$C = XY$$

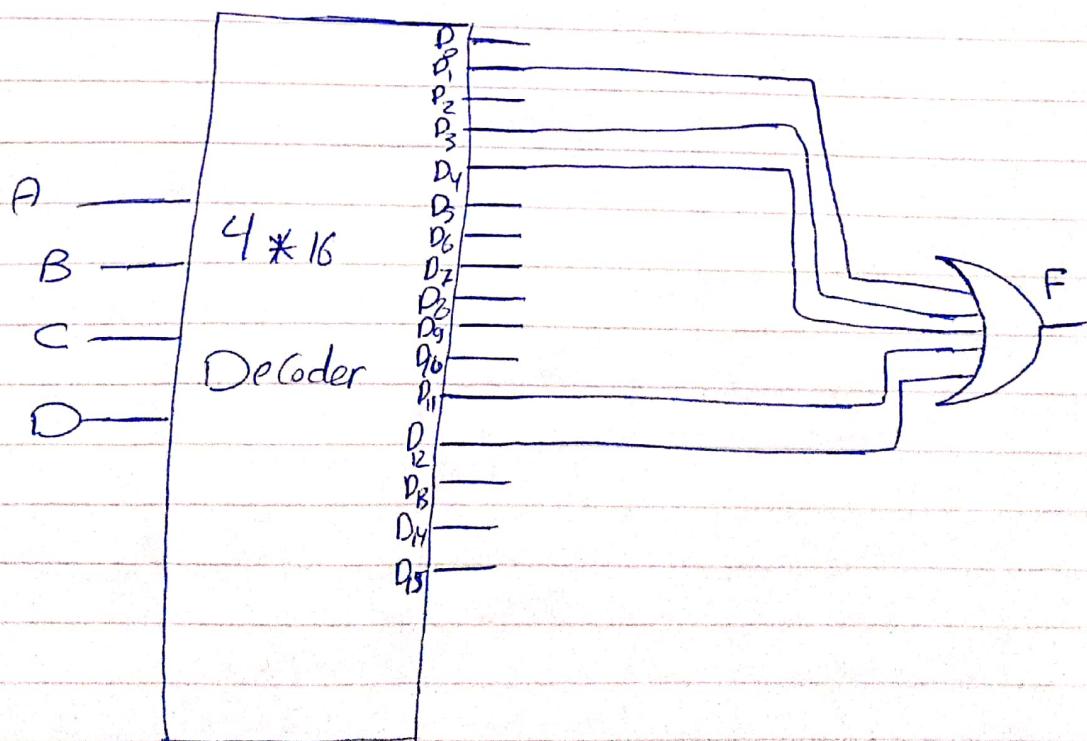


(b) NOR gates:-



Question No. 6

(b)



(a)

Question No. 6

Inputs

Outputs

	x	y	z		A	B	C
1							
m_0	0	0	0		m_1	0	0
m_1	0	0	1		m_2	0	1
m_2	0	1	0		m_3	0	1
m_3	0	1	1		m_4	1	0
m_4	1	0	0		m_5	0	1
m_5	1	0	1		m_6	0	1
m_6	1	1	0		m_7	1	0
m_7	1	1	1				

$$A = \bar{x}yz + xy\bar{z} + xyz$$

$$B = \bar{x}\bar{y}z + \bar{x}y\bar{z} + x\bar{y}\bar{z} + x\bar{y}z$$

$$C = \bar{x}\bar{y}\bar{z} + \bar{x}y\bar{z} + x\bar{y}z + xy\bar{z}$$

⇒ Simplify:

(A)

	$\bar{y}z$	xy	$\bar{y}\bar{z}$	$\bar{x}y$	$\bar{x}\bar{y}z$	$\bar{x}\bar{y}\bar{z}$
x	00	01	11	10		
0			1			
1			1	1		

$$\therefore A = xy + yz$$

(B)

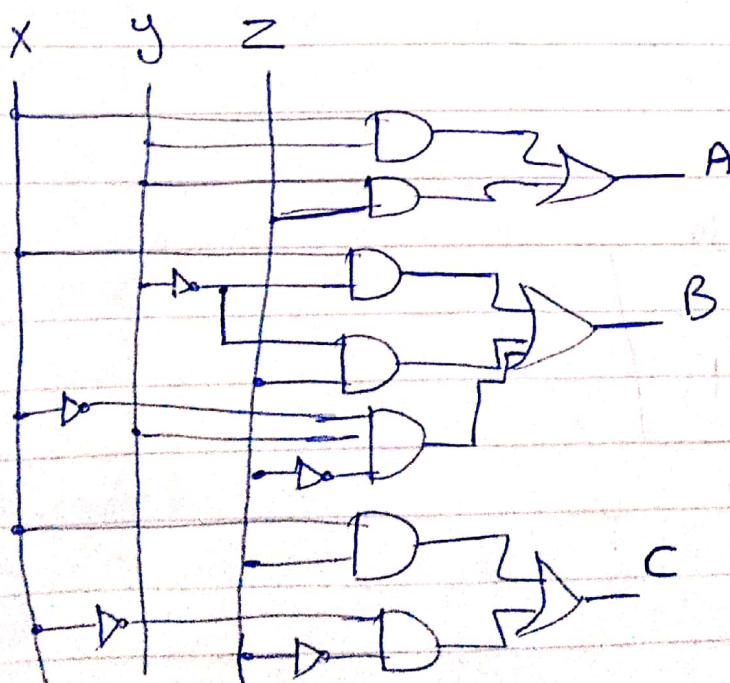
	$x \setminus yz$	00	01	11	10	
0	1	1	1	1	1	
1	1	1	1	1	1	

$$\therefore B = x\bar{y} + \bar{y}z + \bar{x}yz$$

(C)

	$x \setminus yz$	00	01	11	10	
0	1				1	
1	1	1	1			

$$\therefore C = xz + \bar{x}\bar{z}$$

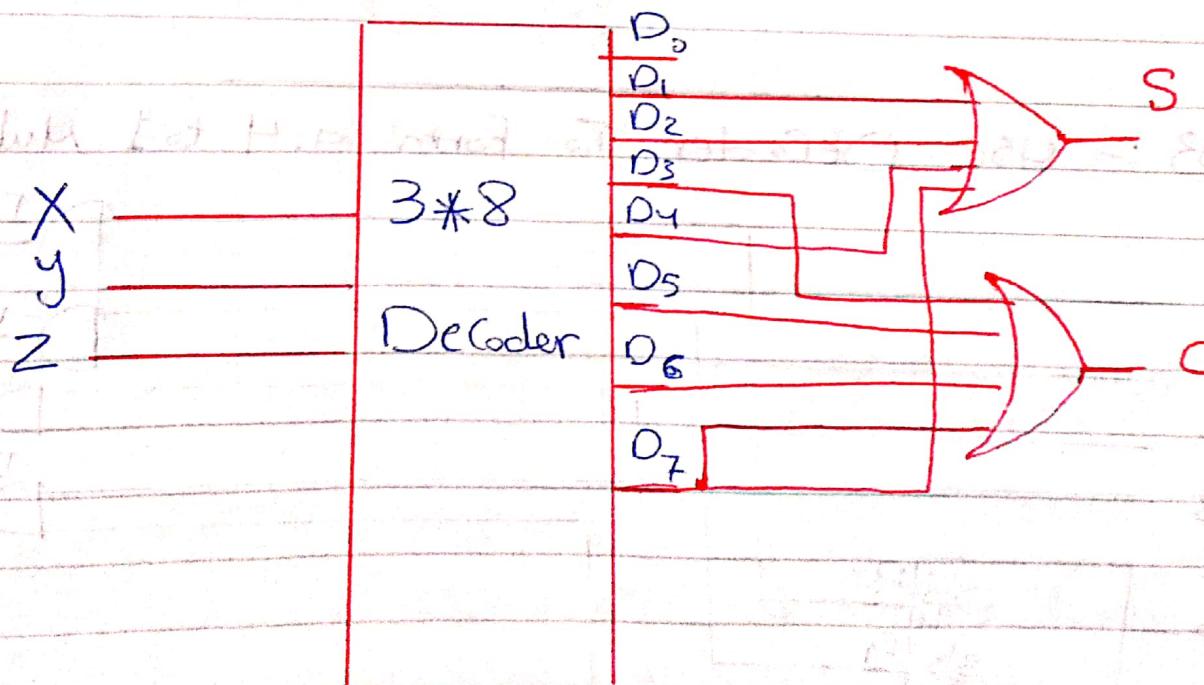


⇒ Examples on Designing:-

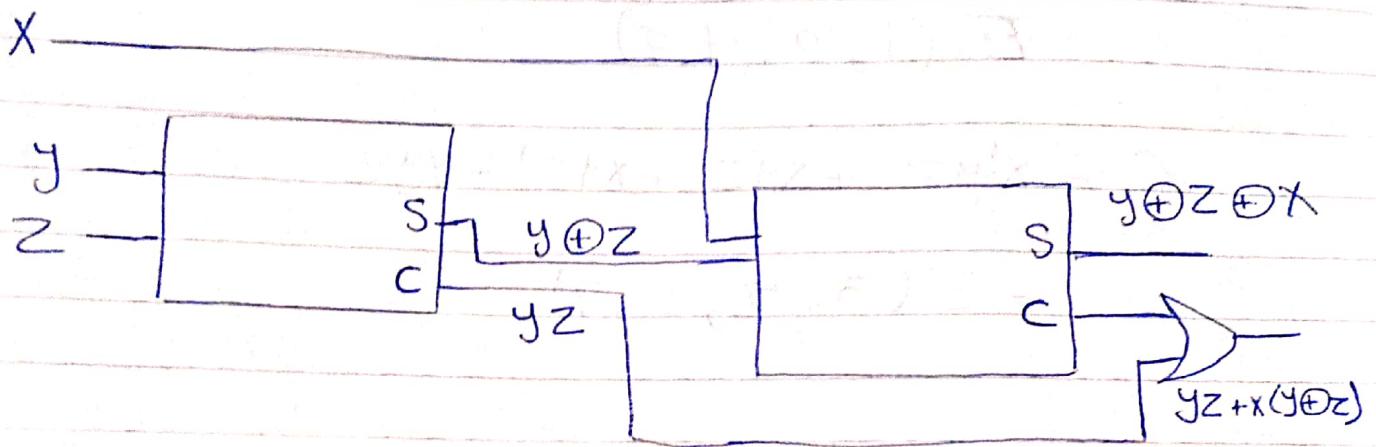
Q1 :- Design Full Adder using Decoder 3*8

Sol:- $S = x'y'z + x'y'z' + x'y'z' + xyz$
 $= \sum(1, 2, 4, 7)$

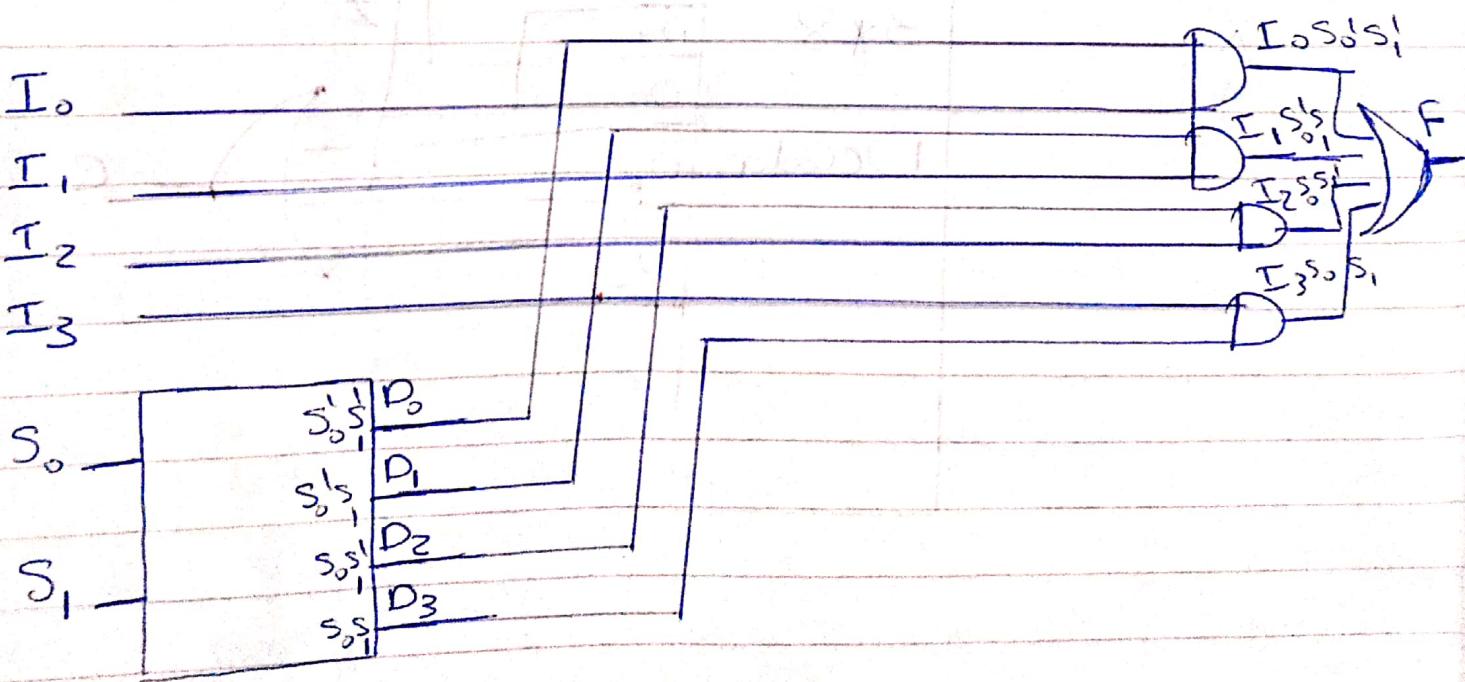
C = x'y'z + xy'z + xyz' + xyz
 $= \sum(3, 5, 6, 7)$



Q2 :- Design Full Adder using half Adder.



Q3 :- Use Decoder To Form a 4 to 1 Multiplexer



Multiplexer J1 ایجاد *

$$F = I_0S_0'S_1 + I_1S_0S_1 + I_2S_0'S_1 + I_3S_0S_1$$

Q4:- Using a Decoder and external gates,
design the Combinational Circuit defined
The following three Boolean Function.

$$F_1 = x'y'z' + xz$$

$$F_2 = x'y'z + x'y$$

$$F_3 = x'y'z' + xy$$

Solu:
=

$$F_1 = x'y'z + xz(y+y')$$

$$= x'y'z + xyz + xy'z = \Sigma(3, 7, 5)$$

$$F_2 = x'y'z' + x'y(z+z')$$

$$= x'y'z' + x'y'z + x'y'z' = \Sigma(4, 3, 2)$$

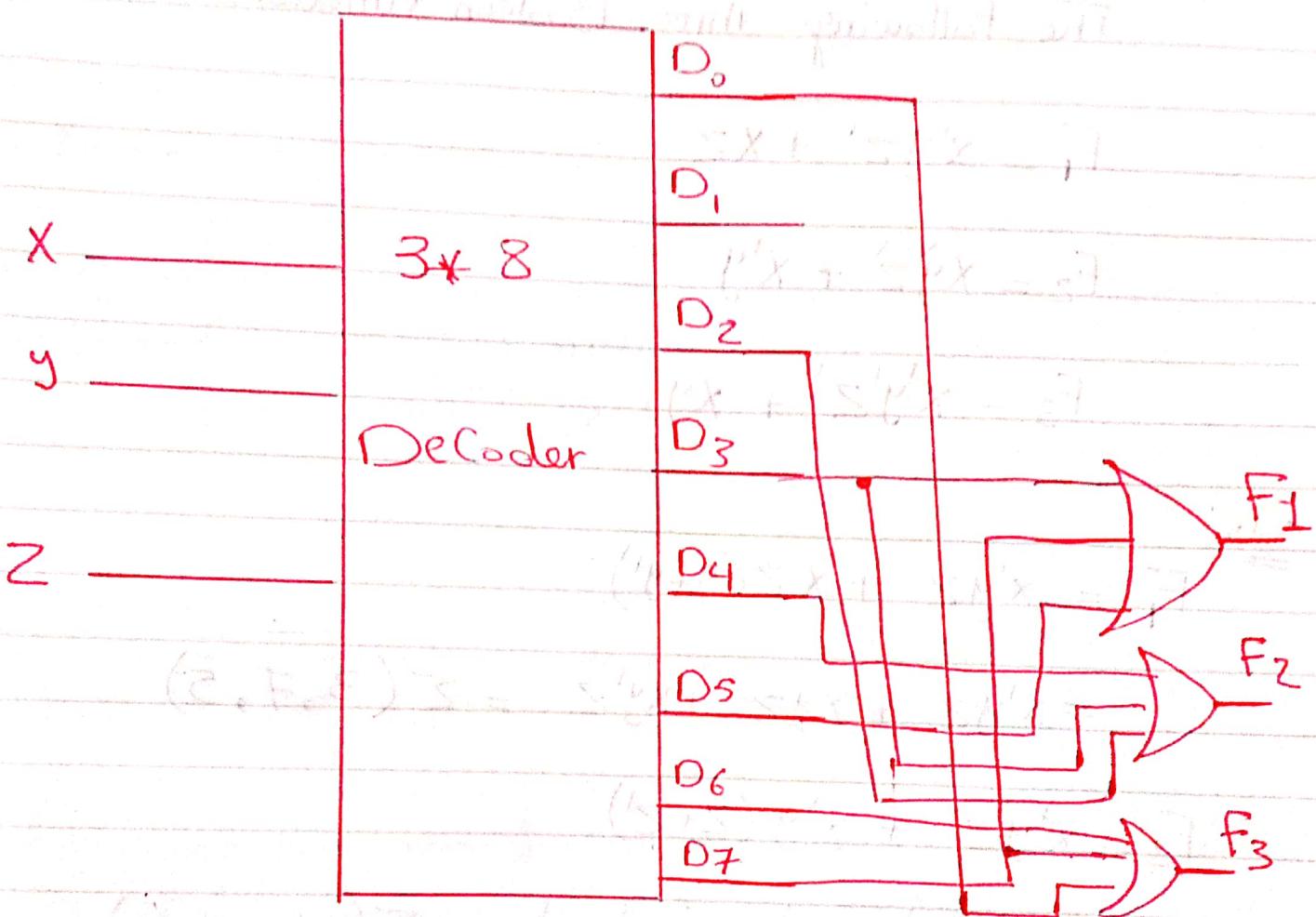
$$F_3 = x'y'z' + xy(z+z')$$

$$= x'y'z' + xyz + xyz' = \Sigma(0, 7, 6)$$

Redundant code for 3 input bits

3 input bits x, y, z have 8 possible combinations

Redundant code for 3 input bits



Examples on Sheet Ch 3:

3.2) a) $A\bar{B}'C' + \underline{A'\bar{B}C'} + A'\bar{B}C' + \underline{A'B'C}$

$$= AB'C' + A'\bar{B}C' + A'B'(C \cancel{+} C')$$

$$= AB'C' + A'\bar{B}C' + A'B'$$

$$= AB'C' + A'(BC' + B')$$

$$= AB'C' + A'(B \cancel{/} B')(C' + B')$$

$$= AB'C' + A'C' + A'B'$$

$$= B'(AC' + A') + A'C'$$

$$= B'(A \cancel{/} A')(C' + A') + A'C'$$

$$= (A'B' + B'C' + A'C')$$

b) $\underline{ABC} + \underline{A'BC} + \underline{\underline{AB'C}} + \underline{\underline{ABC'}} + \underline{\underline{AB'C'}} + \underline{\underline{A'BC'}}$

$$= AB(C \cancel{+} C') + A'B(C \cancel{+} C') + AB'(C \cancel{+} C') + A'B'C'$$

$$= AB + A'B + AB' + A'B'C'$$

$$= A(B \cancel{/} B') + A'(B + B'C')$$

$$= A + A'(B \cancel{/} B')(B + C')$$

$$= A + A'B + A'C'$$

##

$$\text{c) } A(A+B+C)(A'+B'+C)(A+B'+C)(A+B+C')$$

~~$$= (A+A+B+AC)(A+A+B+C)($$~~

$$= (A+BB'+CC')(A+B+C)(A'+B+C)(A+B'+C)(A+B+C')$$

$$= (A+BB'+C)(A+BB'+C')(A+B+C)(A'+B'+C)(A+B'+C')(A+B+C')$$

$$= \underline{(A+B+C)} \underline{(A+B'+C)} \underline{(A+B+C')} \underline{(A+B'+C')} \underline{(A+B+C)} \underline{(A'+B+C)}$$

$$= (A+B+C) \underbrace{(A+B'+C)}_{(A+B'+C')} \underbrace{(A+B+C')}_{(A+B'+C')} \underbrace{(A+B'+C')}_{(A+B+C)} \underbrace{(A+B+C)}_{(A'+B+C)}$$

$$= (A+B+C)(A+B'+C)$$

$$= (A+B) \underbrace{(A+B')}_{(A'+B+C)} (A'+B+C)$$

$$= (A+B) \underbrace{(A+B')}_{(A'+B+C)}$$

$$= A \underbrace{(A'+B+C)}_{AB+AC}$$

$$= AB + AC$$

#

3.9) a)

A	B	y	index	Minterm
0	0	0	①	\bar{m}_0 $\bar{A}\bar{B}$
0	1	0	②	\bar{m}_1 $\bar{A}B$
1	0	0	③	m_2 $A\bar{B}$
1	1	1	④	m_3 AB

$$y = \Sigma (0, 3)$$

$$= m_0 + m_3 = \bar{A}\bar{B} + AB$$

b)

A	B	C	y	Minterms
0	0	0	0	m_0
0	0	1	0	m_1
0	1	0	0	m_2
0	1	1	1	$m_3 = \bar{A}BC$
1	0	0	0	m_4
1	0	1	1	$m_5 = A\bar{B}C$
1	1	0	1	$m_6 = ABC$
1	1	1	1	$m_7 = ABC$

$$y = \Sigma (3, 5, 6, 7)$$

$$\begin{aligned}
 &= m_3 + m_5 + m_6 + m_7 \\
 &= \bar{A}BC + A\bar{B}C + ABC + ABC
 \end{aligned}$$