$$V_{y}^{\text{SideY}}(i_{x'} i_{y} + 1) = \frac{V_{y}(i_{x'} i_{y} + 1) + V_{y}(i_{x} + 1, i_{y} + 1)}{2}$$

$$V_{x}^{\text{SideX}}(i_{x'} i_{y}) = \frac{V_{x}(i_{x'} i_{y}) + V_{x}(i_{x'} i_{y} + 1)}{2}$$

$$\sum_{y}^{y} \frac{V_{y}^{\text{SideX}}(i_{x'} i_{y}) + V_{x}(i_{x'} i_{y} + 1)}{2}$$

$$\sum_{y}^{y} \frac{V_{x}^{\text{SideX}}(i_{x} + 1, i_{y}) - V_{x}^{\text{SideX}}(i_{x'} i_{y})}{2} = \frac{V_{x}(i_{x'} i_{y}) + V_{x}(i_{x'} + 1, i_{y} + 1)}{2}$$

$$\sum_{y}^{y} \frac{V_{x}^{\text{SideX}}(i_{x'} i_{y} + 1) - V_{y}^{\text{SideY}}(i_{x'} i_{y})}{2} = \frac{V_{x}(i_{x'} i_{y} + 1, i_{y} + 1) + V_{x}(i_{x'} i_{y} + 1)}{2}$$

$$V_{x}^{\text{SideX}}(i_{x'} i_{y} + 1, i_{y} + 1) + V_{x}^{\text{SideX}}(i_{x'} i_{y} + 1) - V_{x}^{\text{SideY}}(i_{x'} i_{y} + 1)}$$

$$V_{y}^{\text{SideY}}(i_{x'} i_{y}) = \frac{V_{y}(i_{x} + 1, i_{y}) + V_{y}(i_{x'} i_{y})}{2}$$

$$V_{y}^{\text{SideY}}(i_{x'} i_{y}) = \frac{V_{y}(i_{x} + 1, i_{y}) + V_{y}(i_{x'} i_{y})}{2}$$