# Formal Model to Integrate Multi-Agent System and Interactive Graphic Systems

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### Abstract:

- •A formal grammar-based model is presented to integrate the essential characteristics of a Multi-Agent System with the visualization given by an Interactive Graphic Systems.
- •This model adds several advantages, such as the separation between the implementation of the system activity and the hardware devices, or the easy reusability of components.

## Grammar

Let  $M=<\Sigma,N,R,s>$  a grammar where:

$$\Sigma = P \cup T \cup O \cup A^{D}_{ST}$$

N = { WORLD, OBJECTS, OBJECT, AGENT, TRANFOR, FIGURE}

s = WORLD

R is the set of grammar rules defined as:

**1.WORLD** → OBJECTS

2.OBJECTS → OBJECT | OBJECTS · OBJECTS

3.OBJECT → FIGURE | TRANSFOR | AGENT

**4.AGENT**  $\rightarrow a^d_{st}(OBJECTS), a^d_{st} \in A^D_{ST}, d \in D, st \in ST$ 

5.TRANSFOR → t(OBJECTS), t∈T

**6.FIGURE**  $\rightarrow p^+, p \in P$ 

## Evolution

Evolution function  $\lambda$ :

$$\lambda(a_{st}^{d}(v), e^{f}) = \begin{cases} u \in L(M) & \text{if } f = d \\ a_{st}^{d}(v) & \text{if } f \neq d \end{cases}$$

Visualization function  $\theta$ :

$$\theta(a_{st}^d(v), e^f) = \begin{cases} u \in L(E) & \text{if } f = d \\ \epsilon & \text{if } f \neq d \end{cases}$$

#### Function System Evolution η:

$$\lambda(a_{st}^{d}(v), e^{f}) = \begin{cases} u \in L(M) & \text{if } f = d \\ a_{st}^{d}(v) & \text{if } f \neq d \end{cases} \qquad \eta(w, e^{v}) = \begin{cases} w & \text{if } w \in P \\ \frac{t(\eta(y, e^{v}))}{(\lambda(a_{st}^{f}(\eta(y, e^{v})), e^{f}))} & \text{if } w = t(y) \\ \frac{t(\eta(y, e^{v}))}{(\lambda(a_{st}^{f}(\eta(y, e^{v})), e^{f}))} & \text{if } w = a_{st}^{f}(y) \end{cases}$$

Function System Visualization  $\pi$ :

$$\theta(a_{st}^{d}(v), e^{f}) = \begin{cases} u \in L(E) & \text{if } f = d \\ \epsilon & \text{if } f \neq d \end{cases} \qquad \pi(w, e^{v}) = \begin{cases} w & \text{if } w \in P \\ t(\pi(y, e^{v})) & \text{if } w = t(y) \\ \prod_{\forall f \in v} (\theta(a_{st}^{f}(\pi(y, e^{v})), e^{f})) & \text{if } w = a_{st}^{f}(y) \\ \pi(x, e^{v}) \cdot \pi(y, e^{v}) & \text{if } w = x \cdot y \end{cases}$$

## **Events**

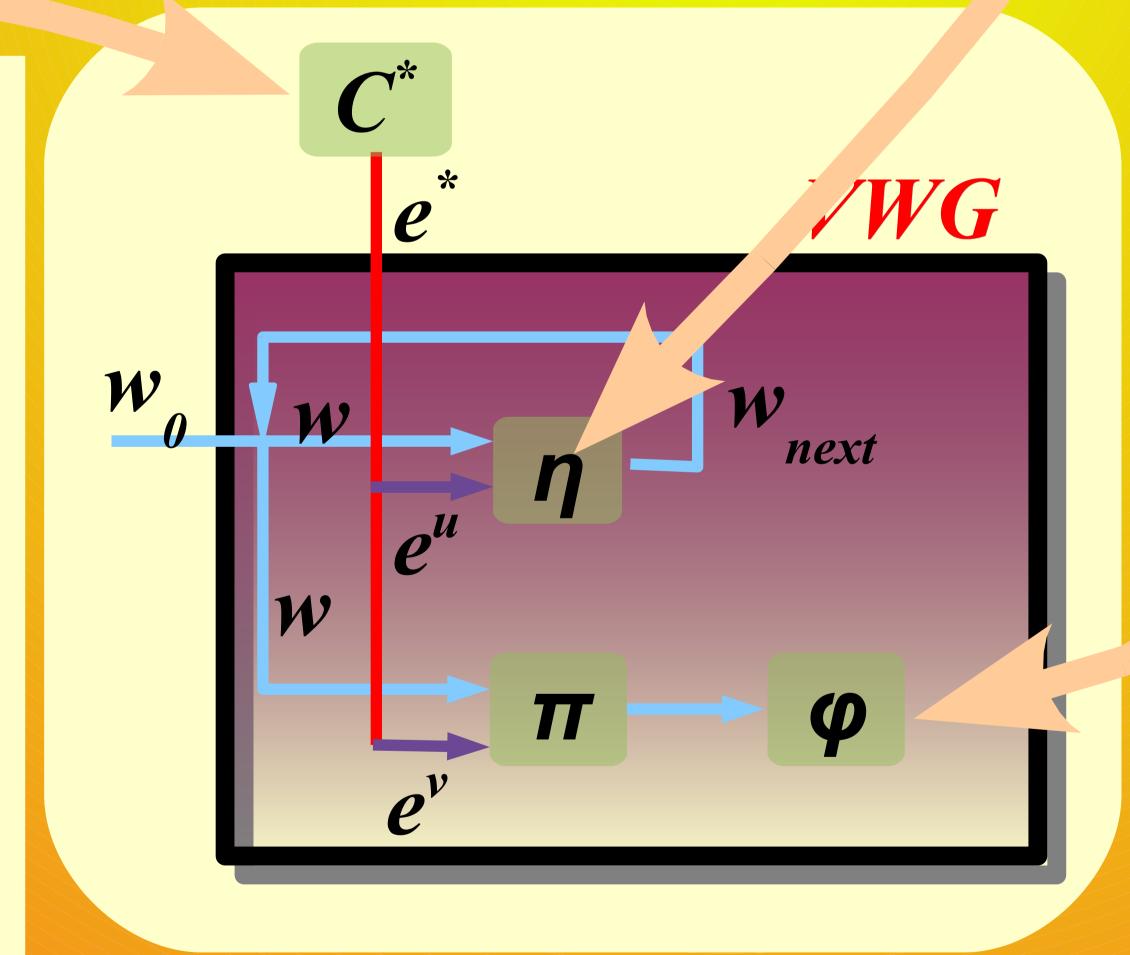
D is the set of all type events

C<sup>d</sup>(t) generator which create events type of d∈D

C\* is the set of all event generators associated with input device

Type of event

Event data



## Render

 $\varphi$  is render function defined as:

$$\varphi(w) = \begin{cases} \alpha(w) & \text{if } w \in P \\ \beta(t); \varphi(v); \delta(t) & \text{if } w = t(v) \\ \wedge v \in L(M) \\ \wedge t \in T & \text{T: Transfor.} \end{cases}$$

$$\alpha: P \to G$$

$$\beta: T \to G$$

$$\delta: T \to G$$

## Case of Study

$$\lambda(BO^{efe},e^{i}) = \begin{cases} TR_{i}^{r=1} \cdot BO^{efe} & i = c \\ FA^{r=1} \cdot BO^{efe} & i = f \\ BO^{efe} & i = e \\ BO^{efe} & i \neq cfe \end{cases}$$

$$\lambda(FA_{\langle f+1 \rangle}^{l},e^{i}) = \begin{cases} FA_{\langle f+1 \rangle}^{l} & i = t \land f + 1 < N \\ \varepsilon & i = t \land f + 1 \ge N \\ FA_{\langle f \rangle}^{l} & i \neq t \end{cases}$$

$$\lambda(TR_{\langle s,f \rangle}^{tb},e^{i}) = \begin{cases} TR_{\langle s,f+1 \rangle}^{t} & i = t \land f + 1 < N \\ \varepsilon & i = t \land f + 1 \ge N \\ TR_{\langle s,f+1 \rangle}^{tb} & i = t \land f + 1 \ge N \land s = s_1 \\ TR_{\langle s,f+1 \rangle}^{tb} & i = t \land f + 1 \ge N \land s = s_1 \\ TR_{\langle s,f+1 \rangle}^{tb} & i = t \land f + 1 \ge N \land s = s_1 \\ TR_{\langle s,f+1 \rangle}^{tb} & i = t \land f \ge 0 \land s = s_3 \\ \varepsilon & i = t \land f = 0 \land s = s_3 \\ TR_{\langle s,f \rangle}^{tb} & i \neq b, t \end{cases}$$

 $\pi(FA_{\langle f \rangle}^{v}, e^{i}) = \begin{cases} D_{(i,j)}(FA) & i = v \\ \varepsilon & i \neq v \end{cases}$ 

 $D_{(i,j)}(S_{(f)}(TR)) \qquad i=v \land s=s_1$  $\pi(TR^{v}_{\langle s,f\rangle},e^{i}) = \begin{cases} D_{(i,j)}(TR) & i = v \land s = s_{2} \\ D_{(i,j)}(S_{(-f)}(TR)) & i = v \land s = s_{3} \end{cases}$ 

This example is an application to simulate fires in forests caused by lightning

