

DSA Data Structures Array String Linked List Stack Queue Tree Binary Tree Binary Search Tree

Sum of nodes in a Binary Search Tree with values from a given range

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Given a <u>Binary Search Tree</u> consisting of **N** nodes and two positive integers **L** and **R**, the task is to find the sum of values of all the nodes that lie in the range [L, R].

Examples:

Output: 32

Explanation:

The nodes in the given Tree that lies in the range [7, 15] are [7, 10, 15]. Therefore, the sum of nodes is [7, 10, 15].

Approach: The given problem can be solved by performing any <u>Tree</u>

<u>Traversal</u> and calculating the sum of nodes which are lying in the range [L, R].

Below is the implementation of the above approach:

C++

```
// C++ program for the above approach
#include <bits/stdc++.h>
using namespace std;
// Class for node of the Tree
class Node {
public:
    int val;
    Node *left, *right;
};
// Function to create a new BST node
Node* newNode(int item)
{
    Node* temp = new Node();
    temp->val = item;
    temp->left = temp->right = NULL;
    // Return the newly created node
    return temp;
}
// Stores the sum of all nodes
// lying in the range [L, R]
int sum = 0;
// Function to perform level order
// traversal on the Tree and
// calculate the required sum
int rangeSumBST(Node* root, int low,
                int high)
{
    // Base Case
    if (root == NULL)
        return 0;
    // Stores the nodes while
    // performing level order traversal
    queue<Node*> q;
    // Push the root node
    // into the queue
    q.push(root);
    // Iterate until queue is empty
    while (q.empty() == false) {
        // Stores the front
        // node of the queue
```

```
Node* curr = q.front();
        q.pop();
        // If the value of the node
        // lies in the given range
        if (curr->val >= low
            && curr->val <= high) {
            // Add it to sum
            sum += curr->val;
        // If the left child is
        // not NULL and exceeds low
        if (curr->left != NULL
            && curr->val > low)
            // Insert into queue
            q.push(curr->left);
        // If the right child is not
        // NULL and exceeds low
        if (curr->right != NULL
            && curr->val < high)
            // Insert into queue
            q.push(curr->right);
    }
    // Return the resultant sum
    return sum;
}
// Function to insert a new node
// into the Binary Search Tree
Node* insert(Node* node, int data)
{
    // Base Case
    if (node == NULL)
        return newNode(data);
    // If the data is less than the
    // value of the current node
    if (data <= node->val)
        // Recur for left subtree
        node->left = insert(node->left,
                            data);
    // Otherwise
    else
        // Recur for the right subtree
```

```
node->right = insert(node->right,
                             data);
    // Return the node
    return node;
}
// Driver Code
int main()
{
    /* Let us create following BST
         10
        / \
       5 15
     / \
     3 7 18 */
    Node* root = NULL;
    root = insert(root, 10);
    insert(root, 5);
    insert(root, 15);
    insert(root, 3);
    insert(root, 7);
    insert(root, 18);
    int L = 7, R = 15;
    cout << rangeSumBST(root, L, R);</pre>
    return 0;
}
```

Java

```
// Java program for the above approach
import java.util.*;

public class GFG{

// Class for node of the Tree
static class Node
{
   int val;
   Node left, right;
};

// Function to create a new BST node
static Node newNode(int item)
{
   Node temp = new Node();
   temp.val = item;
   temp.left = temp.right = null;
```