



7. We want elements in A, but not in both B and C. The elements in both B and C are 6, 0, -6, -12,
The elements in A, not among those, are 1, 2, 3, 4, 5, 7, 8, 9.
8. The differences are when p and q differ in truth value in the "and" and "or" columns, so there are four differences. Consequently 12 are the same.
9. Let $S = 36 + 24 + 16 + \frac{32}{3} + \dots$. Multiply both sides by $\frac{2}{3}$ and get
 $\frac{2}{3}S = 24 + 16 + \frac{32}{3} + \dots$. Subtract. On the right, all terms are the same except the first.
 So we get $\frac{1}{3}S = 36$, so $S = 108$. Note: if you know the formula for a geometric series, and when it works, that would be O.K., too, but not nearly as pretty.
10. Let $x = \text{length of } \overline{CE}$. $\triangle ABE \sim \triangle CBD$, so $\frac{BE}{DB} = \frac{AB}{CB}$, or $\frac{5}{6} = \frac{9}{x+5}$. Solve to get $x = 5.8$.
11. (Put & Take)
 $81x^4 + 64 = 81x^4 + 144x^2 + 64 - 144x^2$
 $= (9x^2 + 8)^2 - (12x)^2$
 $= (9x^2 + 8 + 12x)(9x^2 + 8 - 12x)$
12. To organize, consider possible base lengths (b) and see what leg lengths (L) work.
 If $b = 1$, then $L = 1, 2, 3, 4, 5$, or 6.
 If $b = 2$, then $L = 2, 3, 4, 5$, or 6.
 If $b = 3$, then $L = 2, 3, 4$, or 5.
 If $b = 4$, then $L = 3, 4$, or 5.
 If $b = 5$, then $L = 3$ or 4.
 If $b = 6$, then $L = 4$.
 So there are 21 possibilities.