

Dynamical Handling of Straddle Carriers Activities on a Container Terminal in an Uncertain Environment - Swarm Intelligence Approach -

S. Balev F. Guinand **G. Lesauvage** D. Olivier



*Unité de Formation et de Recherche des
Sciences et Techniques*



*Laboratoire d'Informatique et du Traitement de
l'Information et des Systèmes*

june 29th, 2009

Outline

- 1 System description
- 2 Vehicle Routing Problem : state of the art
- 3 Ant Colony and Straddle Carrier Handling
- 4 Simulator
- 5 Preliminary Results
- 6 Conclusion

Outline

- 1 System description
- 2 Vehicle Routing Problem : state of the art
- 3 Ant Colony and Straddle Carrier Handling
- 4 Simulator
- 5 Preliminary Results
- 6 Conclusion

The CALAS project

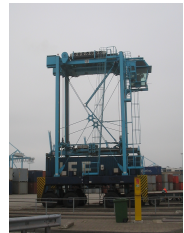
- CALAS project : localizing precisely handling trucks on a container terminal
- Laser measure system and software
- 2 companies :
 - Laser Data Technology Terminal
 - *Terminaux de Normandie*

Objective of the CALAS project :

To know the state of the terminal, in real time, for both containers and trucks location.

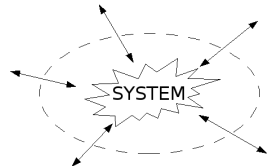
Terminal description

- Container terminal
- 3 main areas :
 - Ship handling
 - Stock area
 - Truck/Train handling
- Stock area contains many long rows of stacked containers
- Straddle carriers have to move containers from a place inside the terminal to another one
- 3 kinds of missions :
 - Preparing a ship (un)loading
 - Preparing a truck (un)loading
 - Optimizing stock area



System dynamic

- Open system means uncertain environment
- 3 kinds of unpredictable events :
 - Incoming missions
 - Trucks arriving time
 - Human behavior



Outline

- 1 System description
- 2 **Vehicle Routing Problem : state of the art**
- 3 Ant Colony and Straddle Carrier Handling
- 4 Simulator
- 5 Preliminary Results
- 6 Conclusion

VRPTW[1]

- **V**ehicle **R**outing **P**roblem
- **T**ime **W**indows

Goal

Optimizing the delivery routes of each truck

example of VRPTW : the Italian factory

- The factory produces toys and its vehicles deliver a set of stores
- Stores are spread all over the country and goods are carried by trucks
- Every truck has a restricted capacity and starts from the factory depot
- Deliveries must occur during a time interval and if a truck comes too early, it will have to wait

DVRPTW[6]

- Dynamic

Goal

Optimizing the new routes of each truck without recomputing from scratch

Dynamic Italian factory

- Italian factory problem
- While a schedule is running, stores are still allowed to ask for a delivery

(D)PDP

- DVRP where the goods have to be picked-up before being delivered

Goal

Optimizing both pickup and delivery routes

Pickup and Delivery Problem example : mail delivery problem

- A mail company employs a set of postmen
- They have to pickup mails from the mail boxes of the company
- Then, they must deliver them to their recipients as soon as possible

DSCPDPTW

- Dynamic Pickup and Delivery Problem class
- Vehicles can start from anywhere - they do not have to start from the depot
- 2 problems :
 - Minimize straddle carriers moves : shortest path problem
 - Minimize customers delays : scheduling problem

Problem dependencies

| | | |
|---------------------------|---|----------------------------------|
| appropriate scheduling | ⇒ | shortest path concept |
| scheduling shortest paths | ⇒ | reducing straddle carriers moves |

Goal

Solving these 2 interconnected problems

Outline

- 1 System description
- 2 Vehicle Routing Problem : state of the art
- 3 Ant Colony and Straddle Carrier Handling**
- 4 Simulator
- 5 Preliminary Results
- 6 Conclusion

Ant Colony Optimization[3]

- ACO is a meta-heuristic
- ACO makes a solution appear thanks to the run of artificial ants into the solution space
- ACO is adapted to the dynamic nature of this problem :
 - Positive feedback : ants spread pheromone according to solution quality
 - Negative feedback : pheromone track evaporates progressively

Scheduling with Ant Colony

Ant Colony with **one colony** provides a sorted list of missions to accomplish.

Scheduling with Ant Colony

Ant Colony with **one colony** provides a sorted list of missions to accomplish.

Problem

How to set a mission to a specific straddle carrier ?

Scheduling with Ant Colony

Ant Colony with **one colony** provides a sorted list of missions to accomplish.

Problem

How to set a mission to a specific straddle carrier ?

Colored ants[2] :

- every straddle carrier represents a colony with its own color
- ants are attracted by pheromones of their own colony
- ants are repulsed by pheromones of foreign colonies

Scheduling with Ant Colony

Ant Colony with **one colony** provides a sorted list of missions to accomplish.

Problem

How to set a mission to a specific straddle carrier ?

Colored ants[2] :

- every straddle carrier represents a colony with its own color
- ants are attracted by pheromones of their own colony
- ants are repulsed by pheromones of foreign colonies

Ant Colony with **many colonies** provides a sorted list of missions per straddle carrier.

Missions graph

The directed graph can be conceptualized as follows :

- Vertices :
 - 1 mission = 1 node
 - 1 straddle carrier = 1 colored node connected to all compatible missions
- Colored Arcs :
 - Compatibility between 2 missions for a straddle carrier

Ordering missions

We say that mission m_a is **prior** to mission m_b if the time window of m_a starts before the one of m_b

Mission compatibility

We say that mission m_a is **compatible** with mission m_b if m_a is prior to m_b

Example of a mission graph construction (1)

Example

- Missions :

| Name | Start | End |
|------|-------|------|
| m0 | 5:00 | 6:00 |
| m1 | 5:30 | 6:00 |
| m2 | 7:00 | 9:00 |
| m3 | 6:00 | 7:30 |

- Straddle Carriers :

| Name | Color | Compatiblility |
|------|-------|----------------|
| s0 | green | m0, m1, m2, m3 |
| s1 | blue | m0,m3 |

Example of a mission graph construction (2)

[5:00 - 6:00]

m0

[5:30 - 6:00]

m1

[6:00 - 7:30]

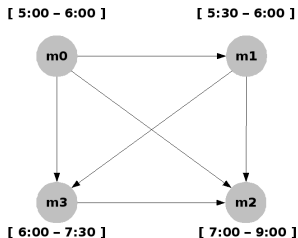
m3

[7:00 - 9:00]

m2

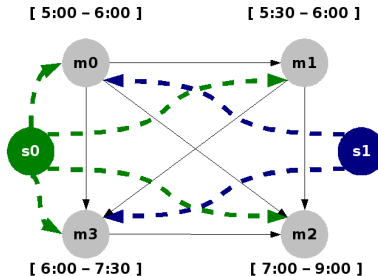
1 mission \iff 1 vertex

Example of a mission graph construction (3)



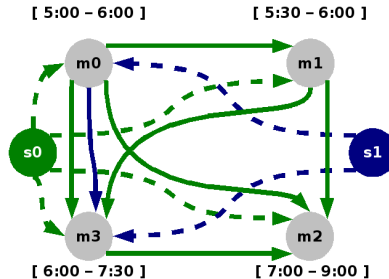
1 arc between two compatible missions

Example of a mission graph construction (4)



Adding nodes modeling straddle carriers and connecting them to every other vertices

Example of a mission graph construction (5)



Adding or Coloring edges between nodes according to their connectivity with the vehicles

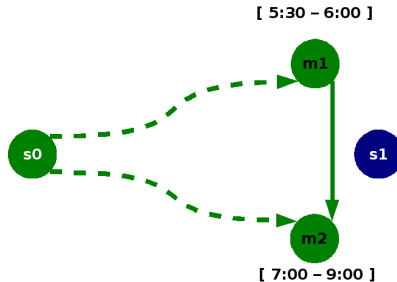
Algorithm description

Main algorithm

```
begin  
| for each colony  $c$  do  
| | for each ant  $a$  of  $c$  do  
| | | choose an unvisited destination according to the pheromone track  
| | | move towards it according to the speed of  $a$   
| | | spread pheromone according to the destination quality  
| | end for  
| end for  
| evaporation  
end
```


Solution

- The solution is the coloring of the nodes.
- When a straddle carrier is free, it chooses the mission of its color which has the highest pheromone rate.
- The chosen missions are removed from the graph and the algorithm continues running.

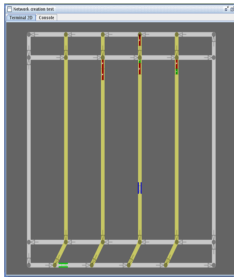


Outline

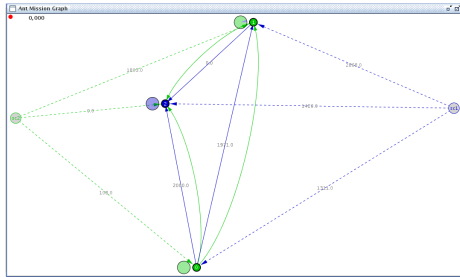
- 1 System description
- 2 Vehicle Routing Problem : state of the art
- 3 Ant Colony and Straddle Carrier Handling
- 4 Simulator**
- 5 Preliminary Results
- 6 Conclusion

2 parallel views of the system

- Terminal implementation



- ACO modeling[4]



ACO \iff Terminal

Effects of ACO results must appear on the terminal and the terminal state must affect the ACO setting (mission graph)

Dynamism handling

A scenario file is read all along the execution of the simulation. It contains dynamic events.

Measure of dynamism

According to A. Larsen[5], we can measure how dynamic is a scenario by these two formulas :

- Degree of Dynamism (dod) = $\frac{\eta_d}{\eta_s + \eta_d}$

- Effective Degree of Dynamism (edod) = $\frac{\sum_{i=1}^{\eta_d} \frac{t_i}{T}}{\eta_s + \eta_d}$

η_s : number of static requests ;

η_d : number of dynamical requests.

Outline

- 1 System description
- 2 Vehicle Routing Problem : state of the art
- 3 Ant Colony and Straddle Carrier Handling
- 4 Simulator
- 5 Preliminary Results**
- 6 Conclusion

Preliminary results

- Test the relevance of both our modeling and our algorithm on simulated data
- Function of the measures of dynamism

| | Static | Half Dynamic | Dynamic |
|----------------------|--------|--------------|---------|
| <i>dod</i> | 0 | 0.5 | 1 |
| <i>edod</i> | 0 | 0.25 | 1 |
| End time | 22693 | 22276 | 22693 |
| Number of overrun tw | 3 | 5 | 7 |
| Overrun time penalty | 6467 | 8477 | 12485 |

The exceeded time windows and the time penalties evolve in the same way that *dod* and *edod*.

Outline

- 1 System description
- 2 Vehicle Routing Problem : state of the art
- 3 Ant Colony and Straddle Carrier Handling
- 4 Simulator
- 5 Preliminary Results
- 6 Conclusion

Conclusion

- The problem to solve belongs to the Dynamic Pickup and Delivery Problem with Time Windows class
- It does not totally fit, so it is an original and unsolved problem
- Swarm intelligence has been used to solve it, containing :
 - Ant Colony System
 - Colored Ants
 - A Graph modeling
- A simulator is being developed and will allow to measure the solution relevance
- Preliminary results confirm that our modelling is able to handle dynamics

Conclusion

- The problem to solve belongs to the Dynamic Pickup and Delivery Problem with Time Windows class
- It does not totally fit, so it is an original and unsolved problem
- Swarm intelligence has been used to solve it, containing :
 - Ant Colony System
 - Colored Ants
 - A Graph modeling
- A simulator is being developed and will allow to measure the solution relevance
- Preliminary results confirm that our modelling is able to handle dynamics

Thank you for your attention



G. Berbeglia, J.-F. Cordeau, I. Gribkovskaia, and G. Laporte.

Static pickup and delivery problems: A classification scheme and survey.
TOP, 2007.



C. Bertelle, A. Dutot, F. Guinand, and D. Olivier.

Distribution of agent based simulation with colored ant algorithm.
In *14th European Simulation Symposium*, 2002.



M. Dorigo.

Learning and Natural Algorithms.
PhD thesis, Politecnico di Milano, Italie, 1992.



Antoine Dutot, Frédéric Guinand, Damien Olivier, and Yoann Pigné.

Graphstream: A tool for bridging the gap between complex systems and dynamic graphs.
In *EPNACS: Emergent Properties in Natural and Artificial Complex Systems*, 2007.



A. Larsen.

The Vehicle Routing Problem.
PhD thesis, Department of Mathematical Modelling, Technical University of Denmark, 2000.



Snezana Mitrovic-Minic.

The dynamic pickup and delivery problem with time windows.
PhD thesis, Simon Fraser University, 2001.