

1. The financial press conventionally reports Treasury bill prices as:
  - a) Discounts from \$100 face value for 360-day
  - b) Discounts from \$100 face value for 365-day
  - c) None of the above

Answer:

The correct answer is **a**.

2. What would be the price of a U.S Treasury bill with a face value of \$ 100,000 that has 180 days left to maturity and has a discount quote of 0.358%?
  - a) 99,821.00
  - b) 98,851.36
  - c) 99,713.66
  - d) 94,456.36

Answer:

The correct answer is **a**.

Recall that the Treasury bill prices can be computed as

$$B_0 = \text{Face value} \times (1 - d \times D/360)$$

where  $d$  = discount,  $D$  = days to maturity

$$B_0 = 100,000 \times (1 - 0.358\% \times 180/360) = 99,821.00$$

3. A \$100,000 face value Treasury bill with 54 days to maturity is selling for \$98,999. What is the yield to maturity on this security? Round off to two-digits after the decimal point. State your answer as a percentage rate (if your answer is one point two three percent, input 1.23)

Answer:

The correct answer is **6.74**.

Recall that yield to maturity is expressed as an annual percentage rate. You need to first find the 54-day rate of return and then annualize it to express it as a yield to maturity.

$$[(\text{Face value} - \text{purchase price}) / \text{Purchase price}] \times (360/D)$$

$$\text{The 54-day rate of return is } (100,000 - \$98,999) / \$98,999 = 1.011\%$$

We annualize this rate of return to express it as a yield to maturity:

$$1.01 \% \times (360/54) = 6.7408\%$$

4. Refer back to question 3. What is the effective annual yield? Round off to two digits after the decimal point. State your answer as a percentage rate (if your answer is one point two three percent, input 1.23)

Answer:

The correct answer is **6.94**.

$$\text{Remember that } \text{EAR} = (1 + \text{APR}/m)^m - 1$$

Similarly, the effective annual yield will be the compounded rate of return over the year. Think about how many times this investment will compound.

Recall that the 54-day return is 011%. To find the effective annual yield, we need to compound it:

$$\text{EAR} = (1 + 1.011\%)^{360/54} - 1 = 6.937\%$$