Intermediate Microeconomics. Lecture 7 Income effect

Oscar Gálvez-Soriano¹

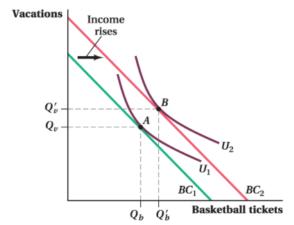
¹University of Houston Department of Economics

Summer 2021



- Normal and Inferior Goods
- 2 Income Elasticities
- 3 The Income Expansion Path
- 4 The Engel Curve

Response to an Increase in Income



Goolsbee et al., *Microeconomics*, 3e, © 2020 Worth Publishers

Figure: Consumer's Response to an Increase in Income

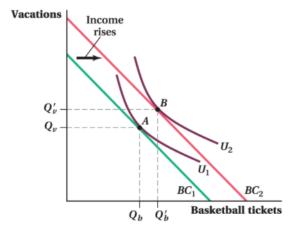


- Normal and Inferior Goods
- 2 Income Elasticities
- 3 The Income Expansion Path
- 4 The Engel Curve

Normal and Inferior Goods

- Economists call a good for which consumption rises when income rises a **normal good**
- For a normal good, the income effect is positive
- A good for which consumption decreases when income rises is an **inferior good**

Normal and Inferior Goods



Goolsbee et al., *Microeconomics*, 3e, © 2020 Worth Publishers

Figure: Consumer's Response to an Increase in Income When One Good Is Inferior

- Normal and Inferior Goods
- 2 Income Elasticities
- 3 The Income Expansion Path
- 4 The Engel Curve

Normal and Inferior Goods

• Income elasticity measures the percentage change in the quantity consumed of a good in response to a given percentage change in income

$$E_I^D = \frac{\Delta Q}{\Delta I} \cdot \frac{I}{Q}$$

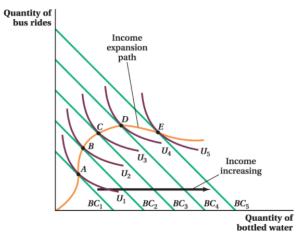
- The first ratio in the income elasticity definition is the income effect shown in the equation above $\frac{\Delta Q}{\Delta T}$
 - For normal goods: $\frac{\Delta Q}{\Delta I} > 0$
 - For inferior goods: $\frac{\Delta Q}{\Delta I} < 0$
- Necessity goods: $0 \le E_I^D \le 1$
- Luxury goods: $E_r^D > 1$



- Normal and Inferior Goods
- 2 Income Elasticities
- 3 The Income Expansion Path
- 4 The Engel Curve

- Imagine repeating the analysis in the previous section for every possible income level, starting with 0
 - For a given set of prices and a particular set of preferences, find the utility-maximizing bundle for every possible budget constraint
 - Each constraint corresponds to a different income level
- If we draw a line connecting all the optimal bundles it would trace out the income expansion path





Goolsbee et al., Microeconomics, 3e, © 2020 Worth Publishers

Figure: Income Expansion Path



- The income expansion path is a curve that connects a consumer's optimal bundles at each income level
- This curve always starts at the origin because when income is zero, the consumption of both goods must also be zero
- When both goods are normal goods, the income expansion path will be positively sloped because consumption of both goods rises when income does
- Remember that whether a given good is normal or inferior can depend on the consumer's income level



- Normal and Inferior Goods
- 2 Income Elasticities
- 3 The Income Expansion Path
- 4 The Engel Curve

The Engel Curve

A better way to see how the quantity consumed of one good varies with income is to take the information conveyed by the income expansion path and plot it on a graph with income on the vertical axis and the quantity of the good in question on the horizontal axis

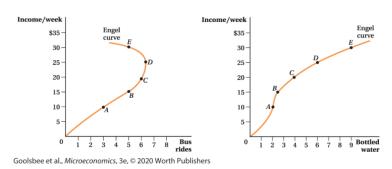


Figure: Engel Curves Show How Consumption Varies with Income

The Engel Curve

- Engel curves show the relationship between the quantity of a good consumed and a consumer's income
- If the Engel curve has a positive slope, the good is a normal good at that income level
- If the Engel curve has a negative slope, the good is an inferior good at that income

Example

Normal and Inferior Goods

Annika spends all of her income on golf and pancakes. Golf fee is \$10 per round. Pancake mix is \$2 per box. When Annika's income is \$100 per week, she buys 5 boxes of pancake mix and 9 rounds of golf. When Annika's income rises to \$120 per week, she buys 10 boxes of pancake mix and 10 rounds of golf. Determine whether each of the following statements is true or false

- Golf is a normal good, and pancake mix is an inferior good. FALSE
- Golf is a luxury good. **FALSE**

$$E_I^D = \frac{\Delta Q}{\Delta I} \cdot \frac{I}{Q} = \frac{1}{20} \cdot \frac{100}{9} = \frac{5}{9} < 1$$



Example

• Pancakes are a luxury good. TRUE

$$E_I^D = \frac{\Delta Q}{\Delta I} \cdot \frac{I}{Q} = \frac{5}{20} \cdot \frac{100}{5} = 5 > 1$$