

BIT Manipulation

1. A bit is a basic unit of computation . It can either be 1 or 0.
2. 1 Byte is equal to 8 BITS.
3. The range of value a 3 bit message can store is $2^3 = 8$ and n bit message can store value ranging from 2^n

3-bit message		
A	B	C
0	0	0
0	0	1
0	1	0
0	1	1
1	0	0
1	0	1
1	1	0
1	1	1

4. Size of int is 4 bytes .
Int = 4 bytes = 4×8 bits .
Therefore the range of values it can store is 2^{32} .
Signed int can store value ranging from -2,147,483,648 to 2,147,483,647
Unsigned int can store value ranging from 0 to 4,294,967,295
5. Any number that we see in real life is a decimal number.
Example 55 is a decimal number. It has a base 10.
6. Octal number has a base 8. Values ranging from (0,1,2,...,7)
7. Binary number has a base 2 (0,1)
8. Hexadecimal number has a base 16 . Values ranging from (0,1,2,3,4,5...9,A,B,C,D,E,F)
Where A-10, B-11, C-12, D-13, E- 14, F- 15.
9. **Converting any number into its decimal format.**
 $(3192)_{10} = 2 \times 10^0 + 9 \times 10^1 + 1 \times 10^2 + 3 \times 10^3 = 2 \times 1 + 9 \times 10 + 1 \times 100 + 3 \times 1000 = (3192)_{10}$
 $(3172)_8 = 2 \times 8^0 + 7 \times 8^1 + 1 \times 8^2 + 3 \times 8^3 = 2 \times 1 + 7 \times 8 + 1 \times 64 + 3 \times 512 = (1658)_{10}$
 $(1010)_2 = 0 \times 2^0 + 1 \times 2^1 + 0 \times 2^2 + 1 \times 2^3 = 0 + 2 + 0 + 8 = (10)_{10}$

10. converting a number from decimal to any other format.

Keep on dividing the number by the base of the other format and note the remainder of the number.

Decimal number : 17

2	17	1
2	8	0
2	4	0
2	2	0
	1	

Binary number: 10001

377 × 301

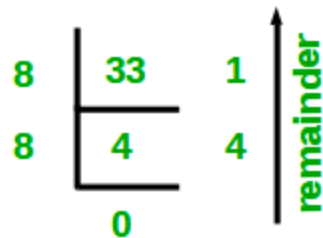


Decimal to Binary Conversion

(160)₁₀

2	160	
2	80	0
2	40	0
2	20	0
2	10	0
2	5	0
2	2	1
	1	0

Decimal Number: 33



Octal Number: 41

179 x 290

11. What will be length number if an integer number is converted into hexadecimal format

Int = 4 bytes = 4*8 bits =32 bit.

In the binary representation it will be 32 bits long.

Example:-

☐ 1111 1111 1111 1111 1111 1111 1111 1111₂

☐ 1000 0000 0000 0000 0000 0000 0000 0000₂

☐ 1111 0000 0000 0000 0000 0000 0000 0000₂

☐ 0111 1111 1111 1111 1111 1111 1111 1111₂

96 x 480

Range of number we can have is $2^{32} == (2^4)^8 == (16)^8$.

Therefore the maximum Hexadecimal number will be size 8.

Ranging from

0000 0000

0000 0001

0000 0002

.

.

.

FFFF FFFE

FFFF FFFF

12. Watch this video to understand the various operations :-
https://www.youtube.com/watch?v=NLKQEOgBANw&ab_channel=HackerRank

13. Understand about the right and left shift operations from this video
https://www.youtube.com/watch?v=MijDgxTWaFs&ab_channel=ApnaCollege

14. Property of right shift operation :-
Those many bits are remove from the right
 $110101 \gg 3 == 110$

Property

Whenever we do a right shift we actually perform integer division the number by 2^n where n is the number specified in right operation

Example:-

$$15 \gg 0 = 15 / (2^0) = 15.$$

$$15 \gg 1 = 15 / (2^1) = 7$$

$$15 \gg 2 = 15 / (2^2) = 3$$

$$100 \gg 4 = 100 / (2^4) = 6$$

(Note the division here is integer division)

15. Property of left shift is multiplying the number by 2^n .
Those many bits are added to the right
 $110101 \ll 3 == 110101000$

Example :-

$$6 \ll 4 = 6 * (2^4) = 96$$

$$4 \ll 7 = 4 * (2^7) = 512$$

16. Or Operation

101010

110110

111110

Property

Whenever we do an OR operation between 2 numbers $A \text{ OR } B = R$
R is always greater than(greatest between A and B)

17. AND Operation

101010
110110
100010

Property

Whenever we do an AND operation between 2 numbers $A \text{ AND } B = R$
R is always less than(smallest between A and B)

18. XOR Operation

XOR between same bits gives 0 ($1 \wedge 1 = 0$, $0 \wedge 0 = 0$)
And XOR between different bits gives 1 ($1 \wedge 0 = 1$, $0 \wedge 1 = 1$)

Property

Whenever we do an XOR operation between 2 same numbers output is 0 and XOR between a number and 0 we get the same number A .

$A \wedge A = 0$
 $A \wedge 0 = A$

Try to Solve the following question using XOR property

1. Swap value in a variable without using 3 variable