# Frequency-domain audio features

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domain addio roataroo

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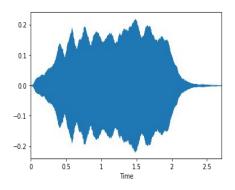
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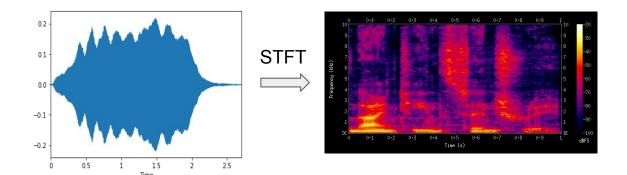
## Previously...

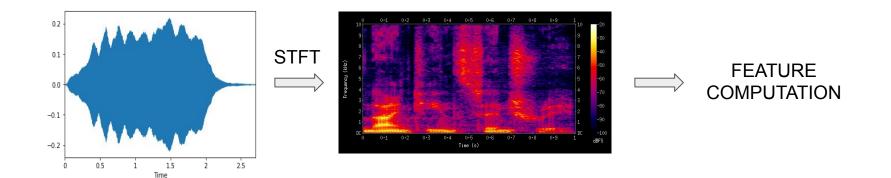
Mel-Frequency Cepstral Coefficients

## Frequency-domain features

- Band energy ratio (BER)
- Spectral centroid (SC)
- Bandwidth (BW)
- ...







#### Math conventions

•  $m_t(n)$  -> Magnitude of signal at frequency bin n and frame t

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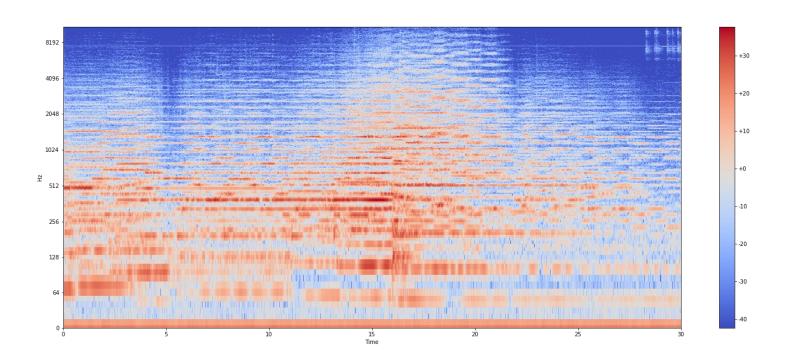
- $m_t(n)$  -> Magnitude of signal at frequency bin n and frame t
- *N* -> # frequency bins

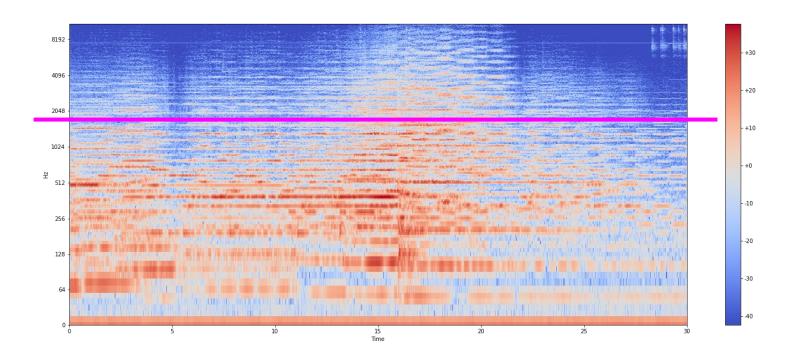
- Comparison of energy in the lower/higher frequency bands
- Measure of how dominant low frequencies are

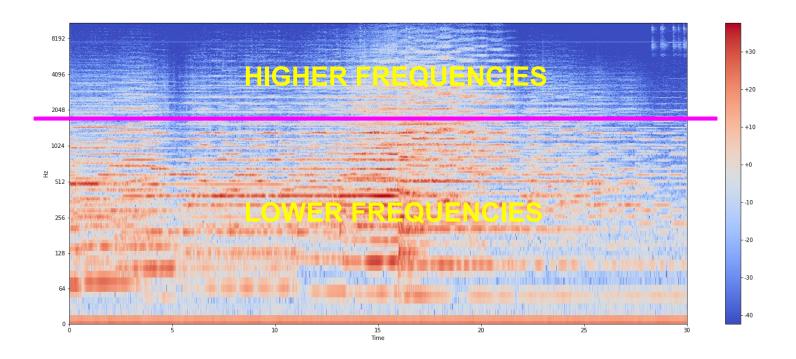
$$BER_t = \frac{\sum_{n=1}^{T} m_t(n)^2}{\sum_{n=F}^{N} m_t(n)^2}$$

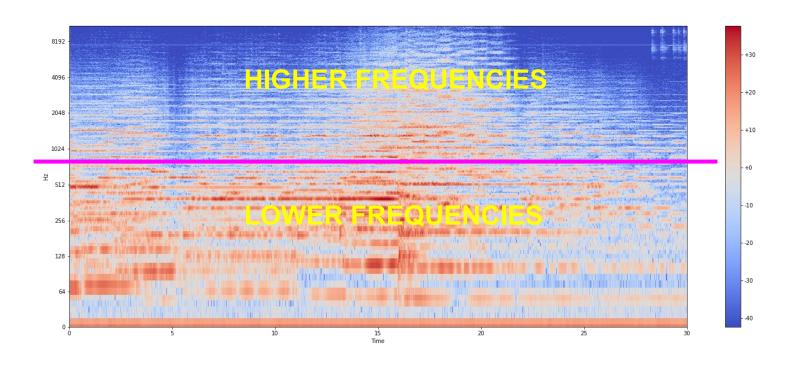
$$BER_t = \frac{\sum_{n=1}^{F-1} m_t(n)^2}{\sum_{n=F}^{N} m_t(n)^2}$$

Split frequency 
$$\sum_{m=1}^{Power at \, t, \, n} m_t(n)^2$$
  $BER_t = \frac{n=1}{N} m_t(n)^2$   $\sum_{m=F}^{N} m_t(n)^2$ 









$$BER_t = \frac{\sum_{n=1}^{T} m_t(n)^2}{\sum_{n=F}^{N} m_t(n)^2}$$

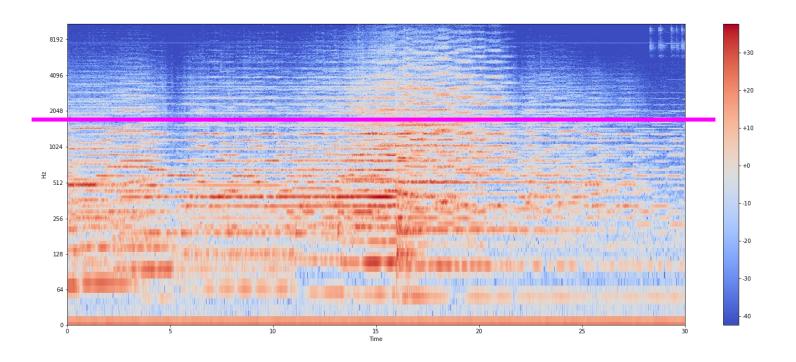
Power in the lower frequency bands

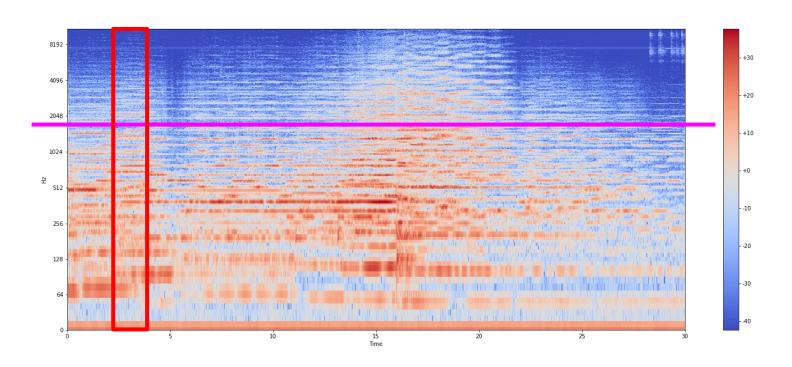
$$BER_{t} = \frac{\sum_{n=1}^{F-1} m_{t}(n)^{2}}{\sum_{n=F}^{N} m_{t}(n)^{2}}$$

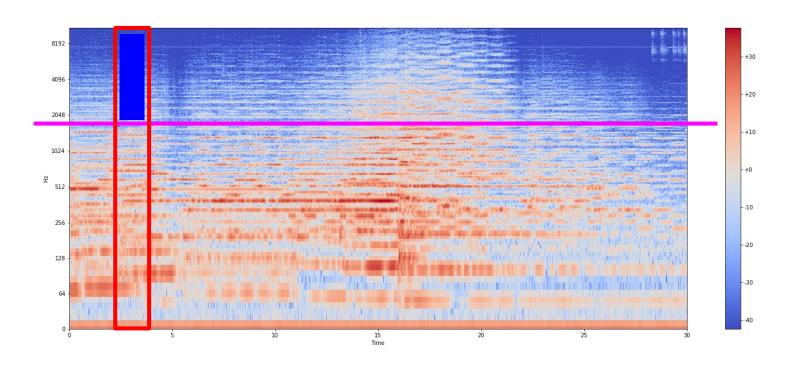
Power in the lower frequency bands

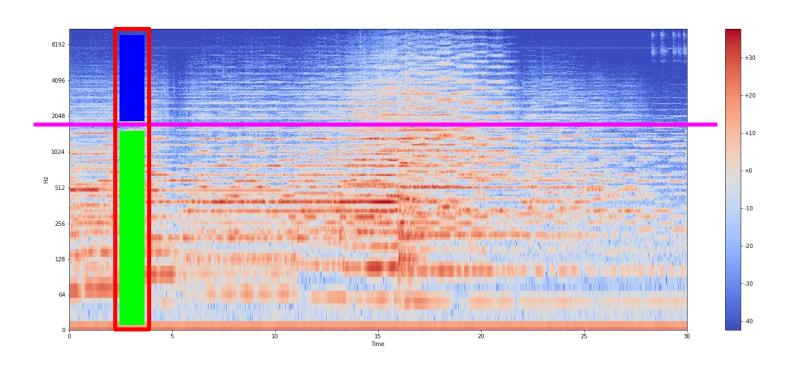
$$BER_{t} = \frac{\sum_{n=1}^{F-1} m_{t}(n)^{2}}{\sum_{n=F}^{N} m_{t}(n)^{2}}$$

Power in the higher frequency bands









### Band energy ratio applications

- Music / speech discrimination
- Music classification (e.g., music genre classification)

- Centre of gravity of magnitude spectrum
- Frequency band where most of the energy is concentrated
- Measure of "brightness" of sound

$$SC_t = \frac{\sum_{n=1}^{N} m_t(n) \cdot n}{\sum_{n=1}^{N} m_t(n)}$$

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 Sum of weights  $\sum\limits_{n=1}^{N} m_t(n)$ 

## Spectral centroid applications

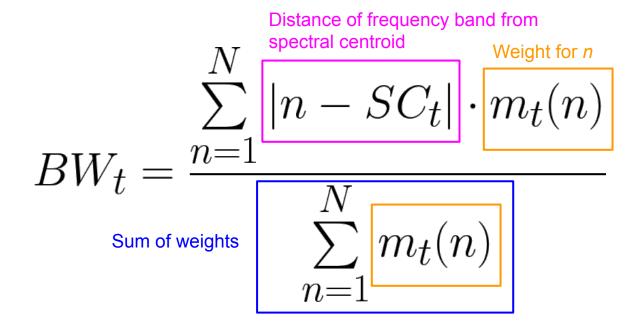
- Audio classification
- Music classification

- Derived from spectral centroid
- Spectral range around the centroid
- Variance from the spectral centroid
- Describe perceived timbre

$$BW_{t} = \frac{\sum_{n=1}^{N} |n - SC_{t}| \cdot m_{t}(n)}{\sum_{n=1}^{N} m_{t}(n)}$$

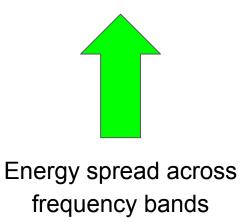
$$BW_t = rac{\sum\limits_{n=1}^{N}|n-SC_t|\cdot \boxed{m_t(n)}}{\sum\limits_{n=1}^{N}\boxed{m_t(n)}}$$

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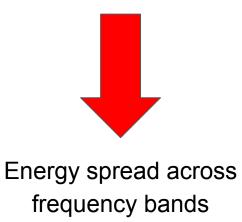
Energy spread across frequency bands







Energy spread across frequency bands







## Bandwidth applications

Music processing (e.g., music genre classification)

## What's up next?

- Implement band energy ratio in Python (almost!) from scratch
- Visualise BER for music in different genres