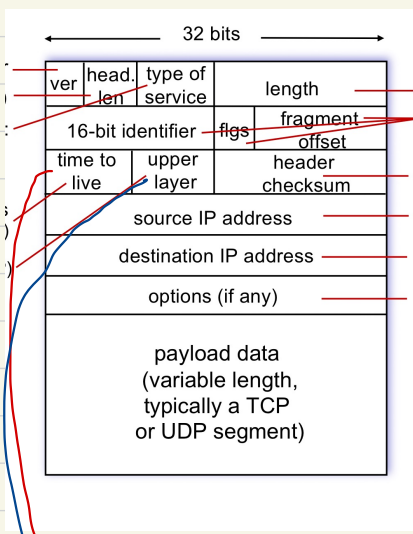


## Two key network-layer functions

- forwarding: 목적지 주소로 보고 알맞은 곳으로 보냄
- routing: forwarding table을 채워 넣는 일

Longest prefix matching: forwarding table에서 가장 긴지 매칭 되는 것을 선택

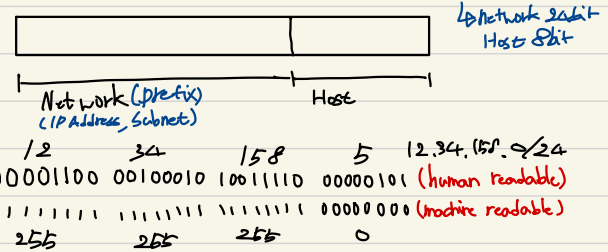
## IP (Internet Packet)



TTL: 영원히 존재 못함  
Upper layer: TCP or UDP

## IP addressing (32bit)

- Interface를 지칭함 (마번 2개씩)
- Scalability Challenge (확장성 문제) ↗ hierarchical addressing



AND operation → Network ID  
bitwise

# Classful Addressing

- 클래스를 정해서 18, 16, 24 이진수로 변경 → 비효율적

# Classless Inter Domain Routing (CIDR)

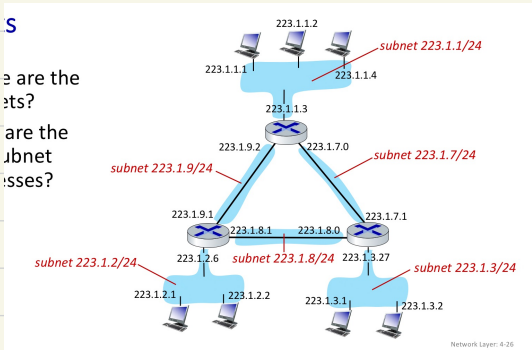
- 필요한 만큼 가변적으로 사용할 수 있음

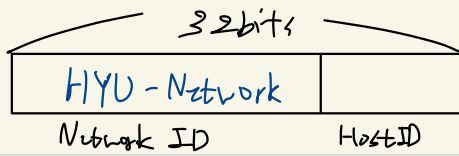
# Longest Prefix Match Forwarding

- 가장 길게 match 하는 prefix로 출력 포트 변경

# Subnets

- Network Id = Prefix = IP Address = Subnet
- 라우터를 거치지 않고 직접 접근한 수 있는 집합





Assume) HYU-Network

Subnet = 24bit Host = 8bit  $\Rightarrow 2^8 - 1$  hosts

2bit

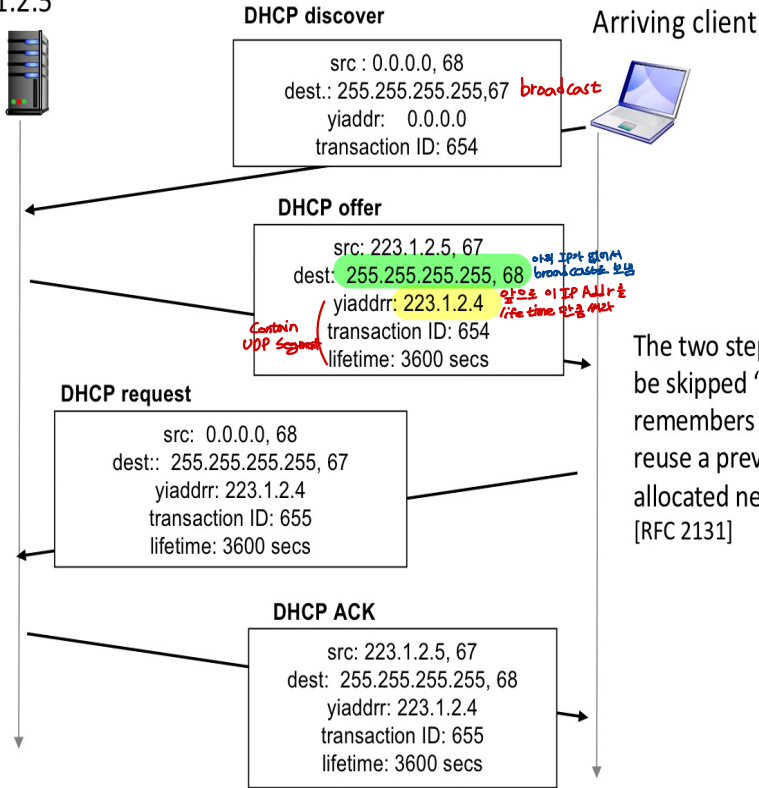
12bit  $\Rightarrow 2^{12} - 1$  hosts

(Subnet이 작을 수록 실제 네트워크는 큼)

## DHCP (Dynamic Host Configuration Protocol)

- DHCP Client port # 68
- DHCP Server port # 67

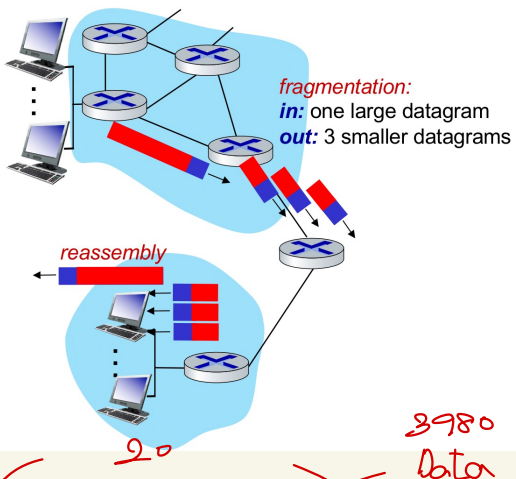
DHCP server: 223.1.2.5  
port # 67



Network Layer: 4

- DHCP에서 IP를 제공할때
  - IP Address
  - SubNet Mask
  - DNS Server IP Address
  - Gateway Router IP Address

# IP fragmentation/reassembly



MTU (Maximum Transfer Unit)

- packet size > MTU면 3단면 보냄

example:

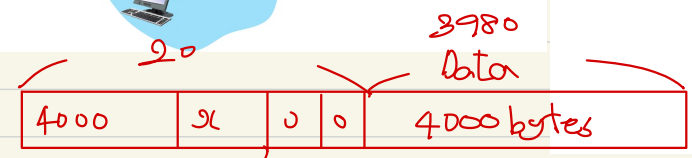
- 4000 byte datagram
- MTU = 1500 bytes

length	ID	fragflag	offset
=4000	=x	=0	=0

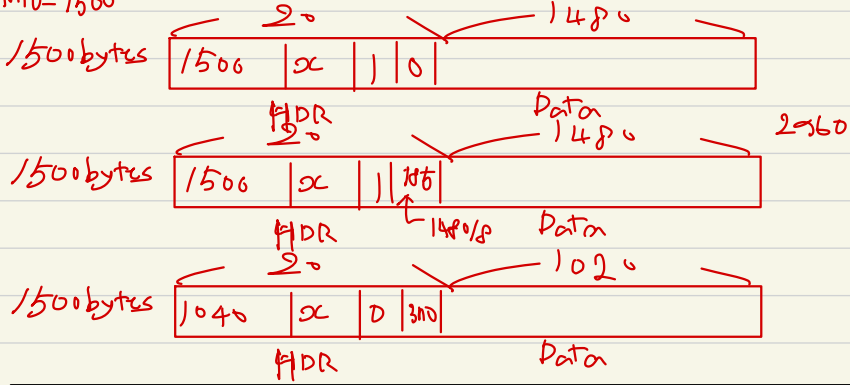
one large datagram becomes several smaller datagrams

1480 bytes in data field	length = 1500	ID = x	fragflag = 1	offset = 0
offset = 1480/8	length = 1500	ID = x	fragflag = 1	offset = 185
	length = 1040	ID = x	fragflag = 0	offset = 370

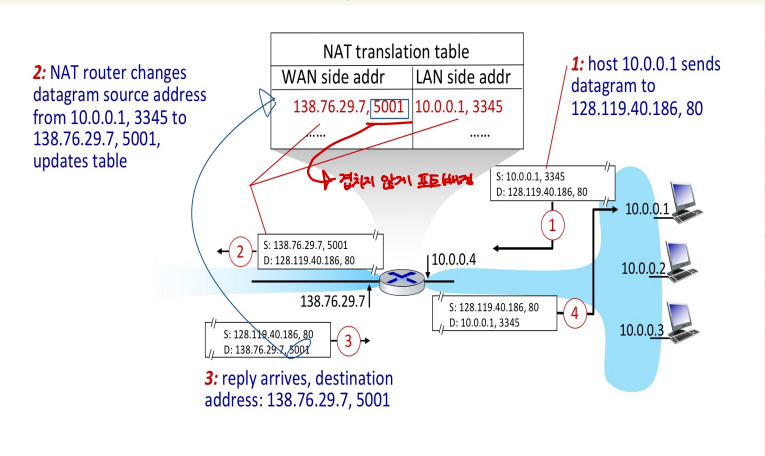
뒤에 있는가?



MTU = 1500



# NAT (network address translation)

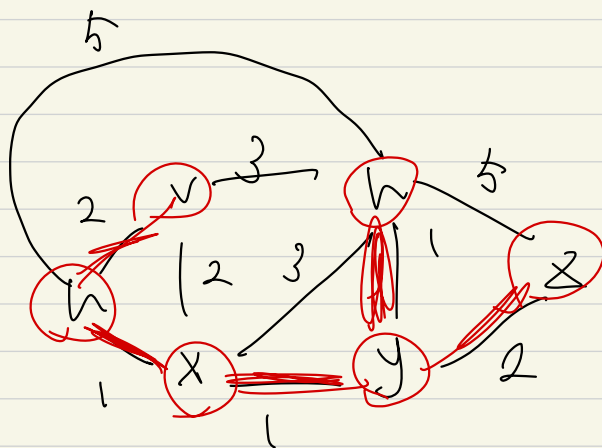


LAN (Local Area Network)  
WAN (Wide Area Network)

문제점

- Server의 역할을 하기 힘들어짐
- 계층화 개념이 무의의
  - Network layer에서 packet header에서 IP 주소를 수정
  - 패킷 연결

	$N'$	$D(v), P(v)$	$D(w), P(w)$	$D(x), P(x)$	$D(y), P(y)$	$D(z), P(z)$
0	$h$	$1, u$	$5, h$	$1, h$	$\infty$	$\infty$
1	$hx$	$2, h$	$4, x$		$2, x$	$\infty$
2	$hxr$		$4, x$		$2, x$	$\infty$
3	$hxy$		$3, y$			$4, y$
4	$hxyw$					$4, y$
5	$hxywz$					



4+0

5+0+0

4+1

$$D_X(y) = \min \{ (x_v + D_v(y)) \}$$

1 0

0  
1+5

5+0+0  
1+1

	X	Y	Z
X	0	4	5
Y	4	0	1
Z	5	1	0

	X	Y	Z
X	0	1	2
Y	4	0	1
Z	5	1	0

	X	Y	Z
X	0	1	2
Y	1	0	1
Z	5	1	0

	X	Y	Z
X	0	1	2
Y	1	0	1
Z	2	1	0

	X	Y	Z
X	0	4	5
Y	4	0	1
Z	5	1	0

	X	Y	Z
X	0	4	5
Y	1	0	1
Z	5	1	0

	X	Y	Z
X	0	1	2
Y	1	0	1
Z	5	1	0

	X	Y	Z
X	0	1	2
Y	1	2	1
Z	2	1	0

	X	Y	Z
X	0	4	5
Y	4	0	1
Z	5	1	0

	X	Y	Z
X	0	4	5
Y	4	0	1
Z	5	1	0

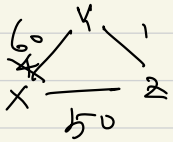
	X	Y	Z
X	0	1	2
Y	1	0	1
Z	2	1	0

	X	Y	Z
X	0	1	2
Y	1	0	1
Z	2	1	0

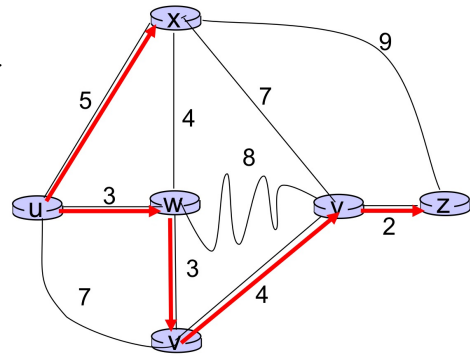
$D_x$	$x$	$y$	$z$
$x$			
$y$			
$z$			

$D_y$	$x$	$y$	$z$
$x$	$\infty$	$\infty$	$\infty$
$y$	60	0	1
$z$	$\infty$	$\infty$	$\infty$

$D_z$	$x$	$y$	$z$
$x$			
$y$			
$z$			



	$N'$	$D(u, p(u))$	$D(w, p(w))$	$D(x, p(x))$	$D(y, p(y))$	$D(z, p(z))$
0	u	7, u	3, u	5, u	$\infty$	$\infty$
1	uw	6, w		5, u	11, w	$\infty$
2	uw x	6, w			11, w	14, x
3	uw x v				10, v	14, x
4	uw x v y					12, y
5	uw x v y z					



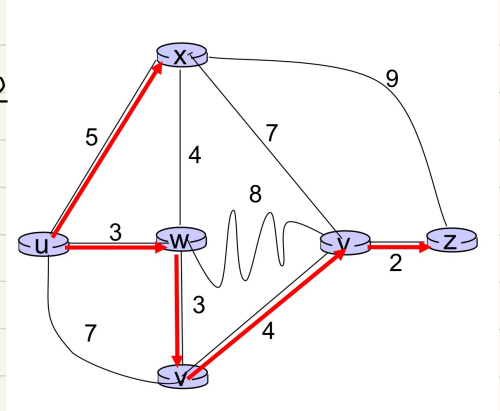
# Routing Protocol

- link state (Dijkstra's Algorithm) - **iteration**

- $C_{x,y}$ : link cost from  $x$  to  $y$
- $D(v)$ : least cost path from source to destination  $v$
- $p(v)$ : predecessor node along path from source to  $v$
- $N'$ : set of nodes whose least cost path definitively known (내가 알고 있는 최단경로에 포함)

$$D(b) = \min(D(b), D(a) + C_{a,b})$$

	$N'$	$D(v), p(v)$	$D(w), p(w)$	$D(x), p(x)$	$D(y), p(y)$	$D(z), p(z)$
0	u	7, u	8, u	5, u	$\infty$	$\infty$
1	uw	6, w		5, u	11, w	$\infty$
2	uw x	6, w			11, w	14, x
3	uw x v				10, v	14, x
4	uw x v y					12, y
5	uw x v y z					



Resulting forwarding table in u

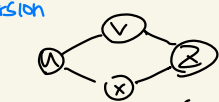
destination	outgoing link
v	(u, w)
w	(u, w)
x	(u, x)
y	(u, w)
z	(u, w)



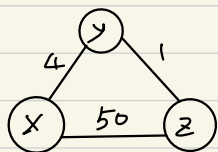
- Distance Vector (Bellman-Ford) - recursion

$$D_x(y) = \min_v \{ C_{x,v} + D_v(y) \}$$

← 관련 값이 많음



$$D_v(z) = \min \begin{cases} C_{v,z} + D_v(z) \\ C_{v,x} + D_x(z) \end{cases}$$



$$D_x(y) = \min \begin{cases} C_{x,y} + D_y(y) & 4 \\ C_{x,z} + D_z(y) & 51 \end{cases}$$

node \ to	X	Y	Z
X	0	4	50
Y	∞	0	1
Z	∞	∞	0

	X	Y	Z
X	0	4	5
Y	4	0	1
Z	50	1	0

	X	Y	Z
X	0	4	5
Y	4	0	1
Z	5	1	0

node \ to	X	Y	Z
X	∞	∞	∞
Y	4	0	1
Z	∞	∞	∞

	X	Y	Z
X	0	4	50
Y	4	0	1
Z	50	1	0

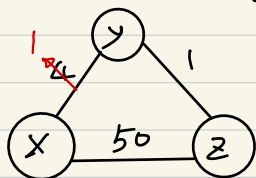
	X	Y	Z
X	0	4	5
Y	4	0	1
Z	5	1	0

node \ to	X	Y	Z
X	∞	∞	∞
Y	∞	∞	∞
Z	50	1	0

	X	Y	Z
X	0	4	50
Y	4	0	1
Z	5	1	0

	X	Y	Z
X	0	4	5
Y	4	0	1
Z	5	1	0

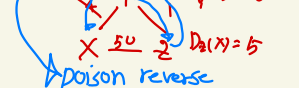
link cost changes



good news travels fast

bad news travels slow

count-to-infinity problem

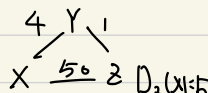


	X	Y	Z
X	0	4	5
Y	4	0	1
Z	5	1	0

	X	Y	Z
X	0	1	2
Y	4	0	1
Z	5	1	0

	X	Y	Z
X	0	1	2
Y	1	0	1
Z	5	1	0

poisoned reverse



y에 의존

y에 의존 값은 넘겨줄 때  
0으로 넘겨줌

	X	Y	Z
X	0	4	5
Y	4	0	1
Z	5	1	0

	X	Y	Z
X	0	4	5
Y	1	0	1
Z	5	1	0

	X	Y	Z
X	0	1	2
Y	1	0	1
Z	5	1	0

	X	Y	Z
X	0	4	5
Y	4	0	1
Z	5	1	0

	X	Y	Z
X	0	4	5
Y	4	0	1
Z	5	1	0

	X	Y	Z
X	0	1	2
Y	1	0	1
Z	2	1	0

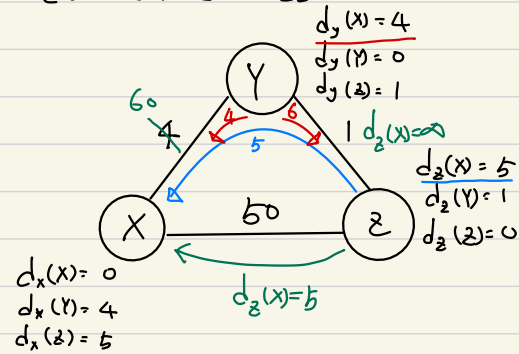
# Link Cost Changes

- link cost가 줄어든다면

: 금방 안정화가 됨

- link cost가 늘어난다면

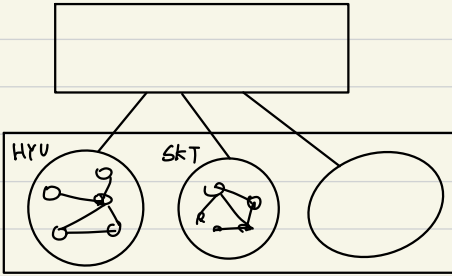
: 안정화되는데 시간이 오래걸림



$$D_Y(X) = \min \left\{ \begin{array}{l} C_{YX} + D_X(X) \\ C_{YZ} + D_Z(X) \end{array} \right\}$$

$60 + 0$   
 $1 + 5$   
poison reverse

## Hierarchical routing



C

	x	r	z
x	0	4	50
r	<del>20</del>	<del>10</del>	<del>00</del>
z	00	60	<del>00</del>

	x	r	z
x	00	00	00
r	4	0	1
z	00	20	10

	x	r	z
x	00	00	00
r	00	00	00
z	50	1	0

D

	x	r	z
x	0	4	50
r	4	0	1
z	50	1	0

	x	r	z
x	0	4	50
r	4	0	1
z	50	1	0

	x	r	z
x	0	4	50
r	4	0	1
z	5	1	0

	x	r	z
x	0	4	5
r	4	0	1
z	5	1	0

	x	r	z
x	0	4	5
r	4	0	1
z	5	1	0

	x	r	z
x	0	4	5
r	4	0	1
z	5	1	0