# Prediction of patients' show up for appointment with logistic regression model

Group member: Gan Luan, Liping Li, Xindi Ruan, Xiao Liu



#### Introduction

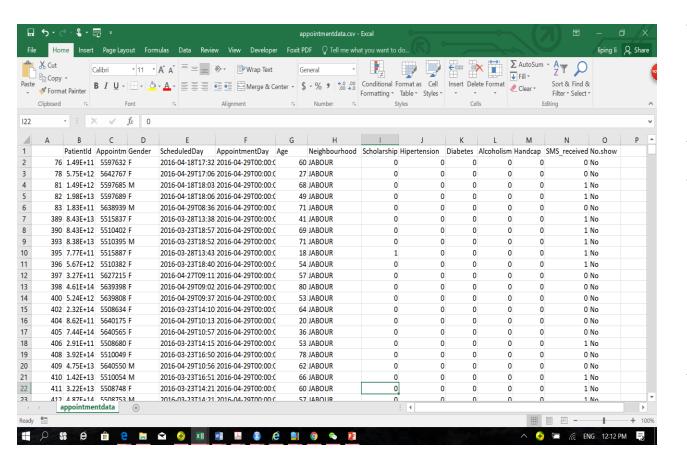
#### **Problem:**

Around 20% patients never show up in their scheduled appointment. How can we predict patients' show up?

#### **Solution:**

- Selecting one neighborhood- JABOUR to fit model from 110k medical appointments data set.
- Choosing 7 of 15 variables include one derived variable.
- Using Decision Tree, and Cross Validation to fit the model.

## Variables



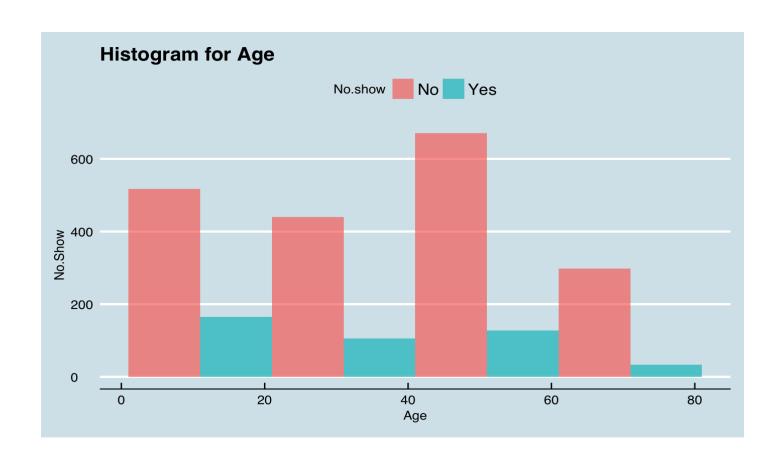
**PatientID AppointmentID** Gender **Scheduleday Appointmentday** Age Neighbourhood **Scholarship Hypertension Diabetes Alcoholism** Handicap SMS received

**Difftime** 

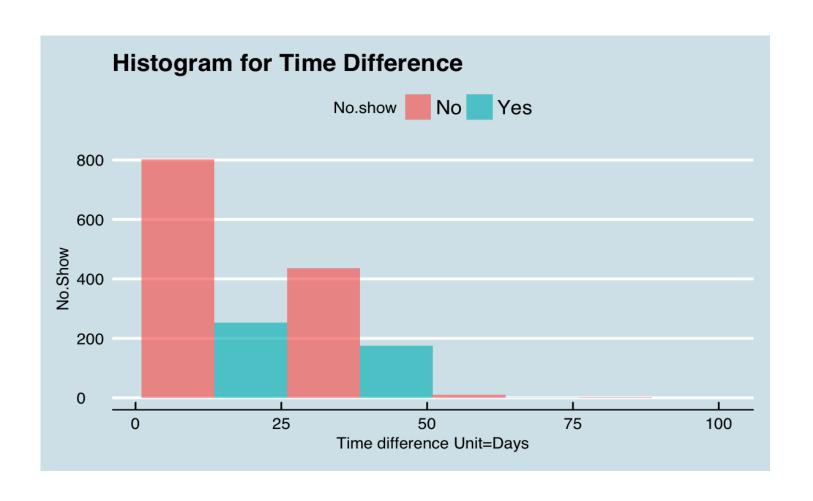
No-show

https://www.kaggle.com/joniarroba/noshowappointments

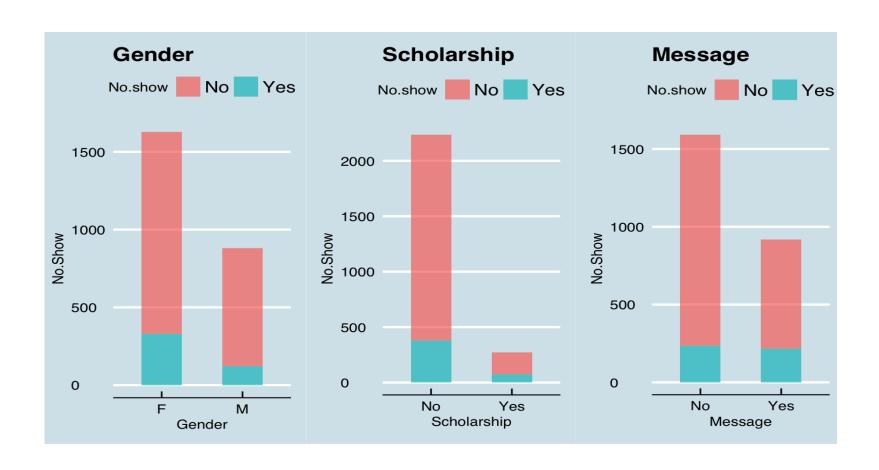
# What do variables tell us?



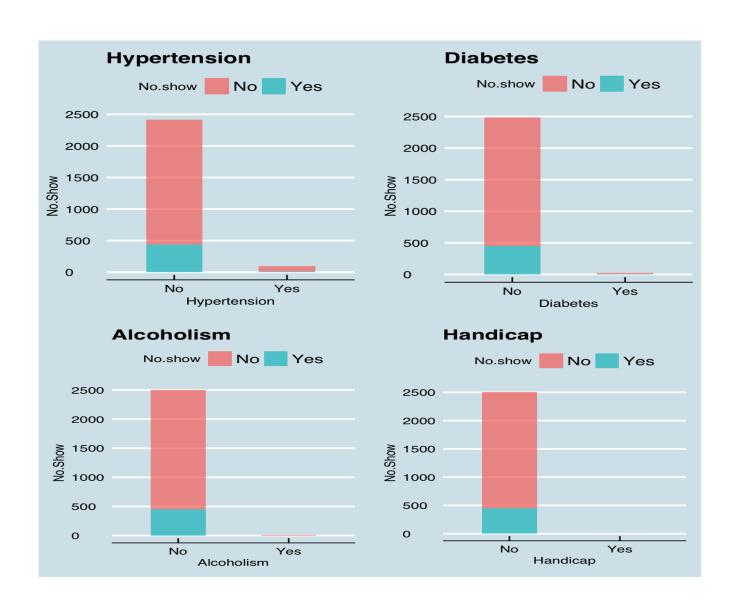
## What do variables tell us?



## Bar graphs of Categorical Variables



# Bar graphs of Categorical Variables Patient History Variables



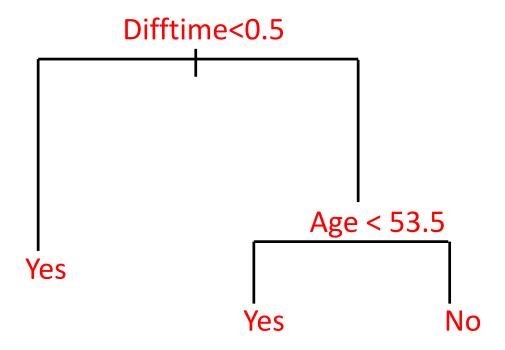
#### **Decision tree**

## Why we choose decision tree

- Easier to explain and interpret
- More closely reflect the human decision-making
- Straightforward for qualitative variables
- Our model has several qualitative predictors, decision tree is a good fit.

<u>Gareth James</u>, <u>Daniela Witten</u>, <u>Trevor Hastie</u> and <u>Robert Tibshirani</u>, An Introduction to Statistical Learning with Applications in R, 1st ed. 2013, Corr. 7th printing 2017 Edition, Springer, 2013

# Decision tree



# All possible models

Logistic regression model was chosen since our response variable is binary.

The possible number of variables we can contain in our models are 1, 2, ..., 7.

For each number of variables, we fit all the possible models.

For example, if we are allowed to contain 1 parameter, we can fit 7 models. If we are allowed to contain 2 parameters, we can fit  $\binom{7}{2} = 21$  models.

## **Cross validation**

For each model, we use cross validation to calculate prediction error.



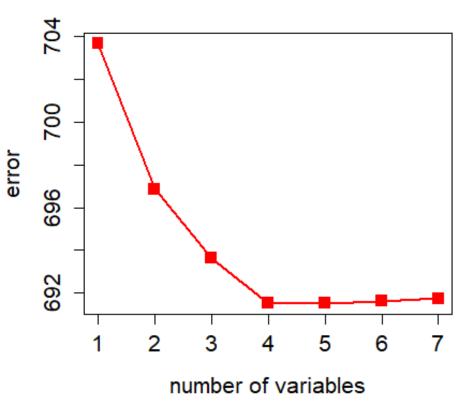
## Error calculation

$$\sum_i e_i$$
 ,

real response = 'Yes'

Response	Predicted prob	e <sub>i</sub>
Yes	0.9	0.1
Yes	0.1	0.9
No	0.1	0.1
No	0.9	0.9

## Lowest error vs number of variables



When 2 variables are allowed, variables are: Age and difftime.

Model with 4 variables could provide the best prediction result; variables selected are: Age, difftime, Gender, and Scholarship.

## Final model

$$\log\left(\frac{p}{1-p}\right)$$

$$= -1.637 - 0.391 * I(Gender = M) + 0.401 * scholarship + 0.039 * difftime - 0.012 * Age$$

p is the probability that patient will not show up for the appointment.

No significant violation of model assumption was detected.

# Model prediction

If the predicted probability is higher than 0.5, we predicted the response be 'Yes'; otherwise we predict the response be 'No'.

Then we compared the predicted response and real response and calculated the correct prediction rate.

For the original data, the correct prediction rate is 82%.

For data from some other cities, the correct prediction rates are also about 80%.

## Discussion



- Cut off probability
- Correlation between variables

Improve the tree: Boosting or Bagging

# Acknowledgement

Prof. Loh

Prof. Fang

Questions?

# Model assumption check

#### residuals vs Age for response is Yes

# residuals vs Age for response is No

