

1- Consider

- Propagation and queuing  $\rightarrow 50 \text{ ms}$

$\hookrightarrow$  due to  $\rightarrow \text{RTT}/2$

If the packet size is  $1 \text{ KB} \rightarrow 10^3 \text{ bytes}$

1 byte  $\rightarrow 8 \text{ bits}$ , so the packet size is  $8000 \text{ bits}$

$\rightarrow$  Calculate (packet size) / Tbps

a)  $T = 8000 \text{ bits} / 1.5 \text{ Tbps} \rightarrow 5.33 \text{ s}$

$\rightarrow$  Add P & Q, but consider also handshaking

$$5.33 + 0.2 + 0.05 \Rightarrow 5.58 \text{ s}$$

b) Considering  $\text{RTT} = 100 \text{ ms}$ , if between the packet 1 and the packet 1000 there are 999 RTTs

$$\rightarrow 999 \cdot (0,1) + 5,58 \rightarrow 99,9 + 5,58 = 105,48$$

c) With handshaking  $\rightarrow 2 \times \text{RTT} = 200 \text{ ms}$

$\rightarrow$  Packet size of  $1 \text{ KB}$ , considering 1000 packets, but 20 per RTT

$$\Rightarrow 1000/20 \rightarrow 50 \text{ RTT, with infinite bandwidth}$$

$\rightarrow 49.5 \text{ RTTs, plus handshaking}$

$$\Rightarrow 49,5 (0,1) + 0,2 = 5,15 \text{ [s]}$$

d) Consider that last batch arrives  $0.5 \text{ RTT}$  later here

d) If we send  $2^n$  packets in the  $n$  RTT, we already have sent  $2^{n+1} - 1$  packets.

$$2^{n+1} - 1 = 100 \rightarrow n = \lceil \ln(1001) / \ln(2) \rceil - 1$$

$$n \rightarrow 8.96 \approx 9$$

$\rightarrow$  with  $0.5 \text{ RTT}$  last batch, assuming infinite bandwidth and adding handshaking

$$\rightarrow 0.2 \text{ s} + 9.5 (0.1 \text{ s}) = 1,15 \text{ [s]}$$



2. The point could be to make addresses hierarchical. Considering different locations by level (customer, area, city, country).

→ Address can be distinguished for being administratively assigned, against those assigned by factory, used by ethernet.

→ There are other attributes to make a difference which could be the fixed length and variable length, but at the same time the relative length in data.

→ Fixed length implies equal values of subnet addresses in an address block. However, in variable length those values are different without any form of structure in the number of values on each subnet address.

One thing could be to call a type of number for a large retailer, considering any of dozens of phone may answer. This is applied for phone with the same non-unique address.

→ An application for these addresses could be for reaching any of several equivalent servers.

3. Considering each one of the cases, there are some answers:

a) Delay-sensitive for opening a file

→ There is an exchange of data, but the amount of data is usually small (it doesn't affect the bandwidth), when the data is exchanged.

b) Bandwidth-sensitive for reading the contents of a file

→ This applies for large files, depending on the size of the file and characteristics of the data channel. In practice most of the files are small, becoming more focused on the delay.

c) Delay-sensitive for listing the contents of a directory

→ This could differ from the directory size, but generally directories are of modest size, smaller.

d) Delay-sensitive to display the attributes of a file

→ This is because those attributes are much smaller than the file itself.



4. Consider then, the packet amount

→  $10^6 / \text{data size}$

→ The total overhead implies the previous amount, using 100 bytes

→  $100 \cdot (10^6 / \text{data size})$

→ The loss is simply data size here, so the total size is:

→ Total size = data size +  $100 \cdot (10^6 / \text{data size})$

For different sizes, it is the result.

Data size	overhead + loss
1000	$(10^8 / 1000) + 1000 \rightarrow 101000$
5000	$(10^8 / 5000) + 5000 \rightarrow 25000$
10000	$(10^8 / 10000) + 10000 \rightarrow 20000$
20000	$(10^8 / 20000) + 20000 \rightarrow 25000$

Based on the overhead + loss, the 1000 data size case is optimal.

5. a) Considering  $T(x) = 11001001$ , with a value  $K=3$ , a derivation could be  $T(x) = 11001001000$

→ Applying division

$$\begin{array}{r}
 11010011 \\
 1001 \overline{) 11001001000} \\
 \underline{1001} \phantom{000} \\
 1011 \phantom{00} \\
 \underline{1001} \phantom{00} \\
 1000 \phantom{00} \\
 \underline{1001} \phantom{00} \\
 1100 \phantom{00} \\
 \underline{1001} \phantom{00} \\
 1010 \phantom{00} \\
 \underline{1001} \phantom{00} \\
 11 \leftarrow \text{CRC}
 \end{array}$$

Answer: message sent is 1101001011

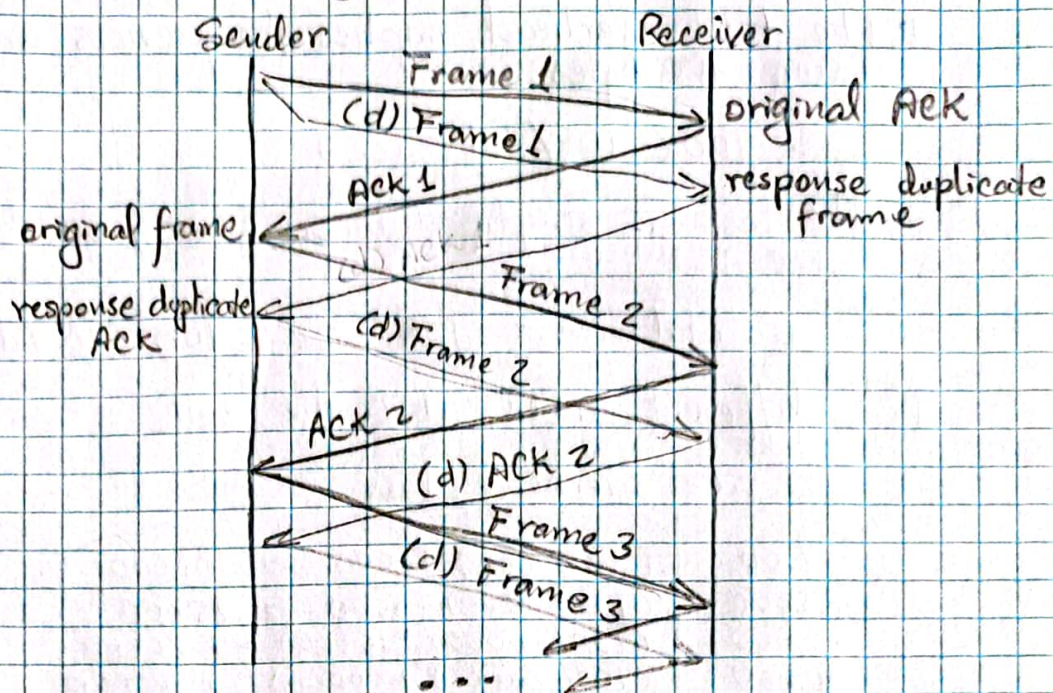
b) with the leftmost bit inverted, the next result is:

$$\begin{array}{r}
 1000001 \\
 1001 \overline{) 1001001011} \\
 \underline{1001} \phantom{000} \\
 001011 \phantom{00} \\
 \underline{1001} \phantom{00} \\
 10
 \end{array}$$

→ With 10, the remainder is not zero, applies a hence ERROR.



6. a) The timeline then implies a duplication that could continue for the next frames, maybe with no ending, as it shows the next diagram.



- b) In that case, a duplicate data frame must cross in the network with previous ACK for it.

- If sender and receiver apply a retransmit-on-timeout strategy, with the same timeout interval
- With an ACK lost, both sender and receiver will indeed retransmit the same time.
- With retransmissions synchronized enough that they cross in the network, that would depend on other factors helping to have modest latency delay or 'slow host'
- In right conditions, the phenomenon of the Sorcerer can be reproduced, in a reliable way.



7) Considering both cases, the transaction time could be reduced in terms of applied RTTs, considering the second case better.

