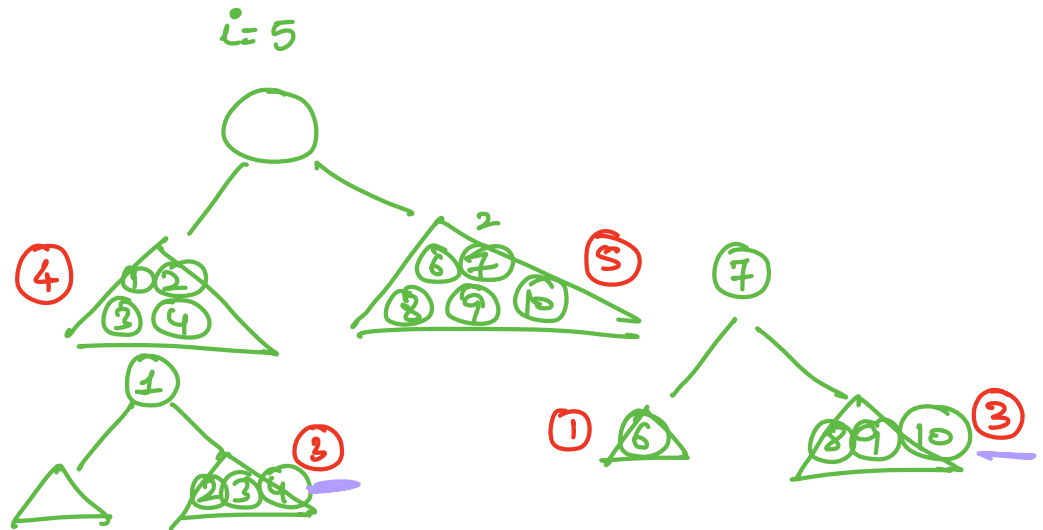


$m=10$



Bottom up:

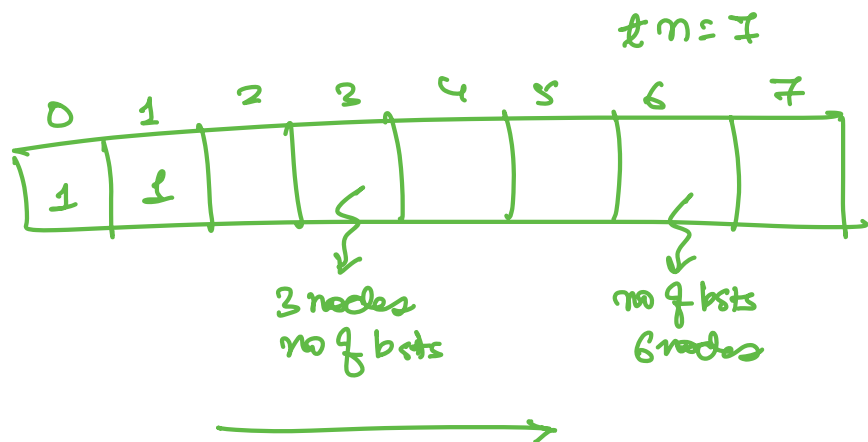
- string size

TD

- meaning

- TD BC  $\rightarrow$  BU fill

- filling dir



## 0/1 KNAPSACK

Several items each having a specific weight and price.

You are also given a knapsack of capacity  $C$  i.e. knapsack can't hold more than  $C$  unit of weight.

You need to put some items in bag/knapsack in such a way that

- Total weight of items doesn't exceed bag's capacity.
- Total profit can be maximized.

You need to tell what is the maximum profit we can achieve.

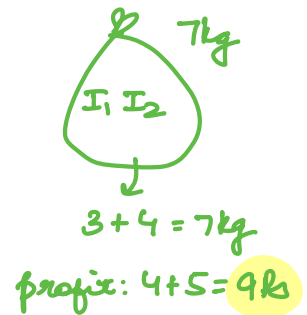
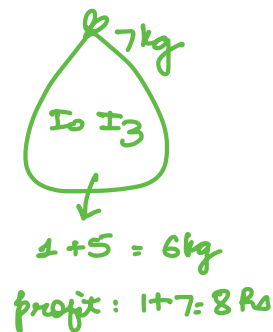
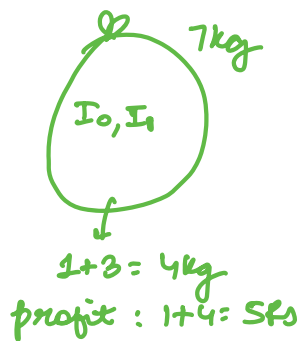
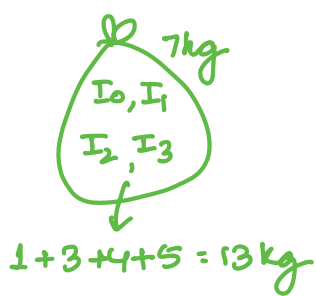
Eg :

Weight = {  $I_0$  1  $I_1$  3  $I_2$  4  $I_3$  5 }

Price = { 1 4 5 7 }

Knapsack Capacity = 7 kg  $\rightarrow$  Knapsack can't hold more than 7kg

max profit? 9  $I_1 I_2$



0/1 Knapsack:

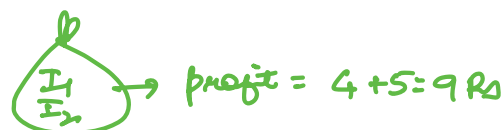
Binary: either add the items or don't add at all

	$I_0$	$I_1$	$I_2$	$I_3$
wt:	1	3	4	5
price:	1	4	5	7
P/w:	1	1.3	1.25	1.4

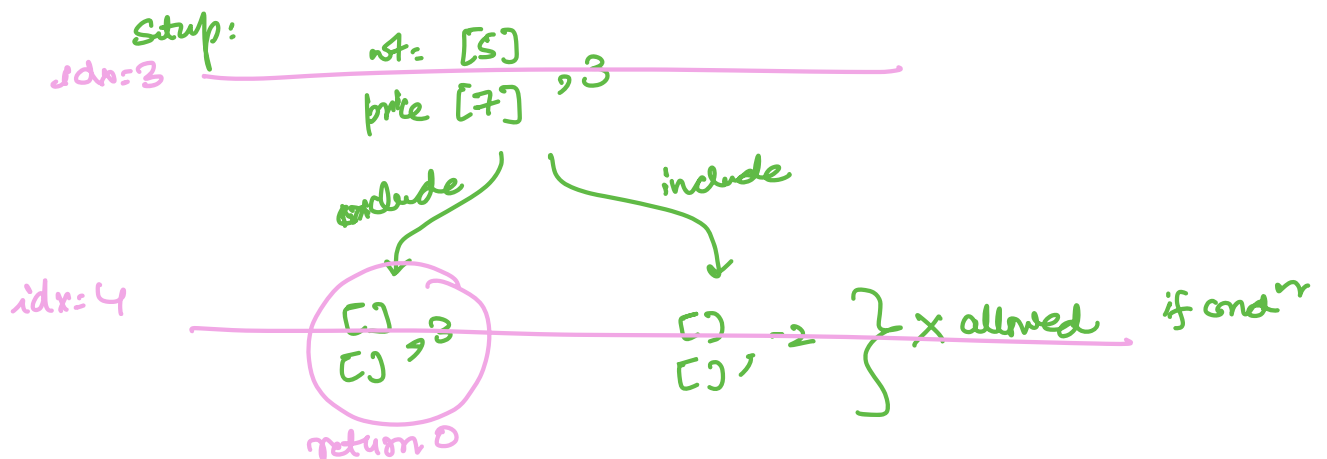
Acc to greedy strategy: Pick  $I_3$ , Remaining cap =  $7-5 = 2\text{kg}$   
now only option left is  $I_0$  whose weight is less than  $2\text{kg}$ .



If we explore all options:

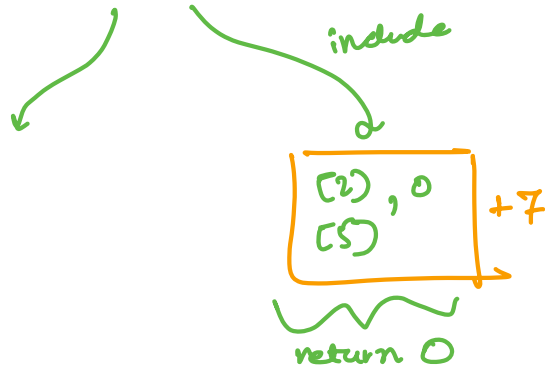


more profit?



- remaining capacity is 0

wt = [3, 2]  
price = [7, 5], 3



Bottom up:

wt: <sup>0 1 2 3</sup> [1, 3, 4, 5]

price: [1, 4, 5, 7]

cap = 7

- Strg 2D

- meaning

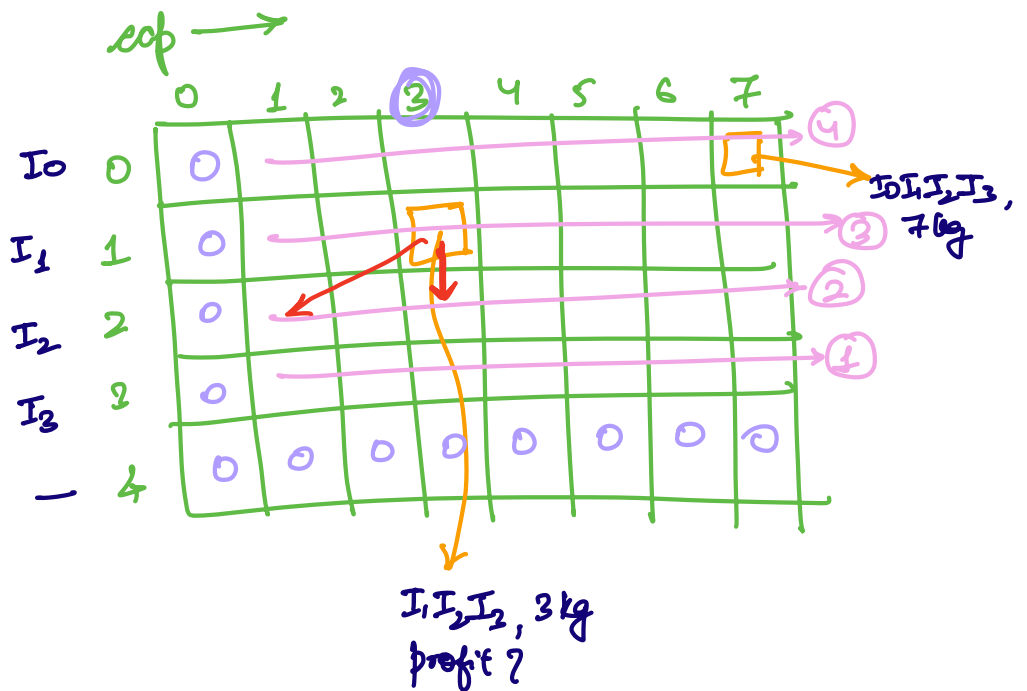
- TD BC return

↓  
BU fill

idx == w → last row

cap == 0 → other cd

- filling



wt: <sup>1 2 3</sup> [2, 4, 5]  
price: [4, 5, 7], 3 (1, 3)

