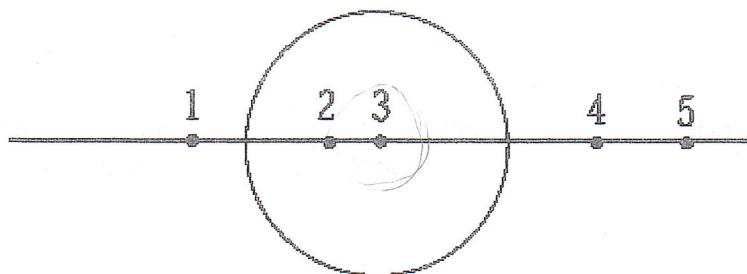


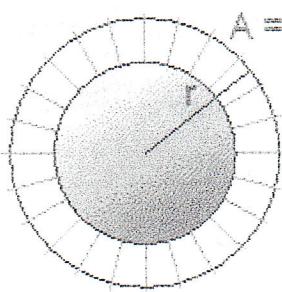
4 3.



Test masses are used to measure the gravitational field at various positions in and near a *solid sphere of uniform density*. The gravitational field will have its greatest value at point

- (A) 1
- (B) 2
- C) 3
- D) 4
- E) 5

4. Earth's gravitational field is given by $\vec{g} = -\frac{GM_E}{r^2}\hat{r}$. The total flux (field times area) for a spherical surface area A that encloses all the field lines is



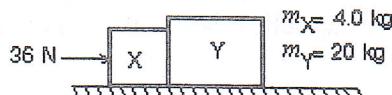
- A) $-4\pi GM_E$
- B) $-GM_E$
- C) $-GM_E/4\pi$
- D) $-2\pi GM_E$
- E) $-4GM_E$

33. An object at the surface of Earth (at a distance R from the center of Earth) weighs 90 N. Its weight at a distance $3R$ from the center of Earth is:

- (A) 10 N
- (B) 30 N
- (C) 90 N
- (D) 270 N
- (E) 810 N

$$F \propto \frac{1}{r^2}$$

34. Two blocks (X and Y) are in contact on a horizontal frictionless surface. A 36-N constant force is applied to X as shown. The magnitude of the force of X on Y is:



$$4 + 20 = 24$$

- (A) 1.5 N
- (B) 6.0 N
- (C) 29 N
- (D) 30 N
- (E) 36 N

$$F = ma$$

$$F_Y = 1.5 \cdot 20$$

$$F_Y = 30$$

$$36 = 24 \cdot a$$

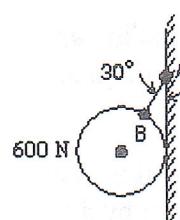
$$a = 1.5$$

35. An inelastic collision is one in which:

- (A) momentum is not conserved but kinetic energy is conserved
- (B) total mass is not conserved but momentum is conserved
- (C) neither kinetic energy nor momentum is conserved
- (D) momentum is conserved but kinetic energy is not conserved
- (E) the total impulse is equal to the change in kinetic energy

36. The 600-N ball shown is suspended on a string AB and rests against the frictionless vertical wall. The string makes an angle of 30° with the wall. The magnitude of the tension for of string is:

(e)



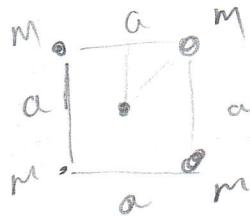
- (A) 690 N
- (B) 1200 N
- (C) 2100 N
- (D) 2400 N
- (E) none of these

$$T \cos 30^\circ = 600 \text{ N}$$

$$\approx 692.8$$

26. Each of the four corners of a square with edge a is occupied by a point mass m . There is a fifth mass, also m , at the center of the square. To remove the mass from the center to a point far away the work that must be done by an external agent is given by:

- A) $4Gm^2/a$
- B) $-4Gm^2/a$
- C) $4\sqrt{2}Gm^2/a$
- D) $-4\sqrt{2}Gm^2/a$
- E) $4Gm^2/a^2$



$$PE = -\frac{GMm}{R} = -\frac{4\sqrt{2}GMm}{a}$$

$$R = \sqrt{\frac{a^2}{4} + \frac{a^2}{4}} = \sqrt{\frac{a^2}{2}} = \frac{a}{\sqrt{2}}$$

$$\text{need } \frac{4\sqrt{2}GMm}{a}$$

27. A spaceship is returning to Earth with its engine turned off. Consider only the gravitational field of Earth and let M be the mass of Earth, m be the mass of the spaceship, and R be the distance from the center of Earth. In moving from position 1 to position 2 the kinetic energy of the spaceship increases by:

- A) $GM m \left[\frac{1}{R_2} - \frac{1}{R_1} \right] GM m / R_2$
- B) $GM m \left[\frac{1}{R_1} + \frac{1}{R_2} \right]$
- C) $GM m \frac{R_1 - R_2}{R_1}$
- D) $GM m \frac{R_2 - R_1}{R_1 R_2}$
- E) $GM m \frac{R_1 - R_2}{R_1 R_2}$

$$\text{potential} = -\frac{GMm}{R}$$

to go from r_f to r_i

$$\Delta PE = -\frac{GMm}{r_f} - \frac{GMm}{r_i}$$

$$\Delta KE = \frac{GMm}{r_f} - \frac{GMm}{r_i}$$

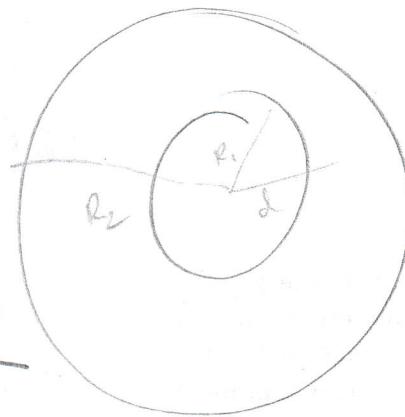
$$= \frac{r_i - r_f}{r_f r_i} \cdot GMm$$

28. A spherical shell has inner radius R_1 , outer radius R_2 , and mass M , distributed uniformly throughout the shell. The magnitude of the gravitational force exerted on the shell by a point particle of mass m , located a distance d from the center, outside the inner radius and inside the outer radius, is:

- A) 0
- B) GMm/d^2
- C) $GMm/(R_2^3 - d^3)$
- D) $GMm(d^3 - R_1^3)/d^2(R_2^3 - R_1^3)$
- E) $GMm/(d^3 - R_1^3)$

Continued from page 3

$$g = \frac{GM_{\text{enc}}}{d^2} \quad M_{\text{enc}} = M \frac{(d^3 - R_1^3)}{(R_2^3 - R_1^3)}$$



$$F_g = \frac{GmM(d^3 - R_1^3)}{d^2(R_2^3 - R_1^3)}$$

$$4\pi r^2 g = -4\pi G$$