

Experiment-7

Aim: Demonstrate zeroR technique on Iris dataset.

Objectives:

Iris is an open access flower-based dataset is normally available on UCI dataset. The major objective of this research work is to examine the Iris data using data mining techniques supported in weka. In this work, four different classifier, viz Bayes, Network classifier, J48, Random forest and oneR has been successfully used to classify attributes the dataset.

zeroR:

- zeroR is the simplest classification which relies on the largest and ignores all predictors.
- zeroR classifier simply predicts the majority category.
- Although there is no predictability power in zeroR it is useful for determining a baseline performance as a benchmark for other classification methods.

Iris Dataset:

The Iris flower dataset is a famous dataset from statistics and is heavily borrowed by researchers in machine learning. It contains 150 instances and 4 attributes and a class attribute for the species of Iris flower.

WEKA:

WEKA (Wekka) Environment for Knowledge Analysis is a popular suite of machine learning software written in Java, developed at the University of Waikato, New Zealand. WEKA is a free software available under the GNU General Public License.

Preprocess tab:

It is first step in machine learning is to preprocess the data. It is used to select the data files, preprocess it and make it fit for applying the various machine learning algorithms.

Loading Data = The first four buttons at the top of the preprocess section enable you to load data into WEKA.

→ open file = Brings up a dialog box allowing you to browse for the data file on the local file system.

→ open URL ... Asks for a uniform Resource locator address for where the data is stored.

→ open DB ... Reads data from a database.

→ Generate ... Enables you to generate artificial data from variety of data generators. Using the open files ... button you can read files in a variety of formats - WEKA's ARFF format, CSV format, CVS format.

classify = The classify tab provide you several machine learning algorithms for the classification of your data such as linear regression, logistic regression.

Test options =

Before you run the classification algorithm, you need to set test options. Set test options in the Test options box. The test options that available are:

1. Use training set = Evaluates the classifier on how well it predicts the class at the instances it was trained on.

2. Supplied test set = Evaluates the classifier on how well it predicts the class of a set of instances loaded from a file.

Clicking on the set ... button brings up a dialog allowing you to choose the file to test on.

3. cross validation = Evaluates the classifier by cross-validation using the number of folds that are entered in the 'Folds' text field.

4. Percentage split = Evaluates the classifier on how well it predicts a certain percentage of the data, which is held out for testing. The amount of data held out depends on the value entered in the '% field'.

Steps Required :-

1. open WEKA tool.
2. click on WEKA explore.
3. click on the preprocess, and click on open file.
4. open colive, then click on open file, then select WEKA 3-9-6
5. Select data file.
6. Select iris dataset.
7. You can see the Jaliance of the graph.
8. click on the classifier, then zeroR
9. And set cross validation fold as 10.
10. Click on submit.

Output :-

preprocess	classify	cluster	associate	select attribute	visualize
open file ..	<input type="checkbox"/> data				
choose none	<input type="checkbox"/> videos				
Current relation	<input type="checkbox"/> os(cc)				
Relation = None	<input type="checkbox"/> program files				
Instances : None	<input type="checkbox"/> weka 3-9-6				
	<input type="checkbox"/> data				
	→ labels.				
	→ glass				
	→ hypothyroid				
	→ iris 2D				
	→ iris				

preprocess	classify	cluster	associate	select attribute	visualize
classifiel					
choose	zeroR				
Test Options:					
<ul style="list-style-type: none"> • use training set • supplied test set • cross-validation Folds • percentage splits % 					
<input type="text" value="10"/> <input type="text" value="60"/>					
More options --					
<input type="button" value="start"/>	<input style="border: 2px solid red; color: red; text-decoration: line-through; font-size: 1.5em; padding: 0 10px;" type="button" value="Stop"/>				

$\frac{1}{2} \times 10^{10}$

Experiment - 10

Aim: write a program to calculate chi-square value using Python. Report your observation.

Objective:

Chi-square Test

The chi-square test is a statistical procedure for determining the difference between observed and expected data. This test can also be used to determine whether it correlates to the categorical variables in one data. It helps to find out whether a difference between two categorical variables is due to chance or a relationship between them.

chi2: The test statistic

P: The P-value of the test

dof: Degrees of freedom

expected: The expected frequencies, based on the Marginal sums of the table.

Rolling 36 times
Table:

2 rows * 6 columns

Expected (E)

Observed (O)

	1	2	3	4	5
Expected (E)	6	6	6	6	6
Observed (O)	2	4	8	9	3

$$\frac{(O-E)^2}{E} + \frac{(O-E)^2}{E} + \frac{(O-E)^2}{E} + \frac{(O-E)^2}{E} + \frac{(O-E)^2}{E} + \frac{(O-E)^2}{E}$$

$$\frac{(2-6)^2}{6} + \frac{(4-6)^2}{6} + \frac{(8-6)^2}{6} + \frac{(9-6)^2}{6} + \frac{(3-6)^2}{6} + \frac{(10-6)^2}{6}$$

① Chi-Squared - 9.6

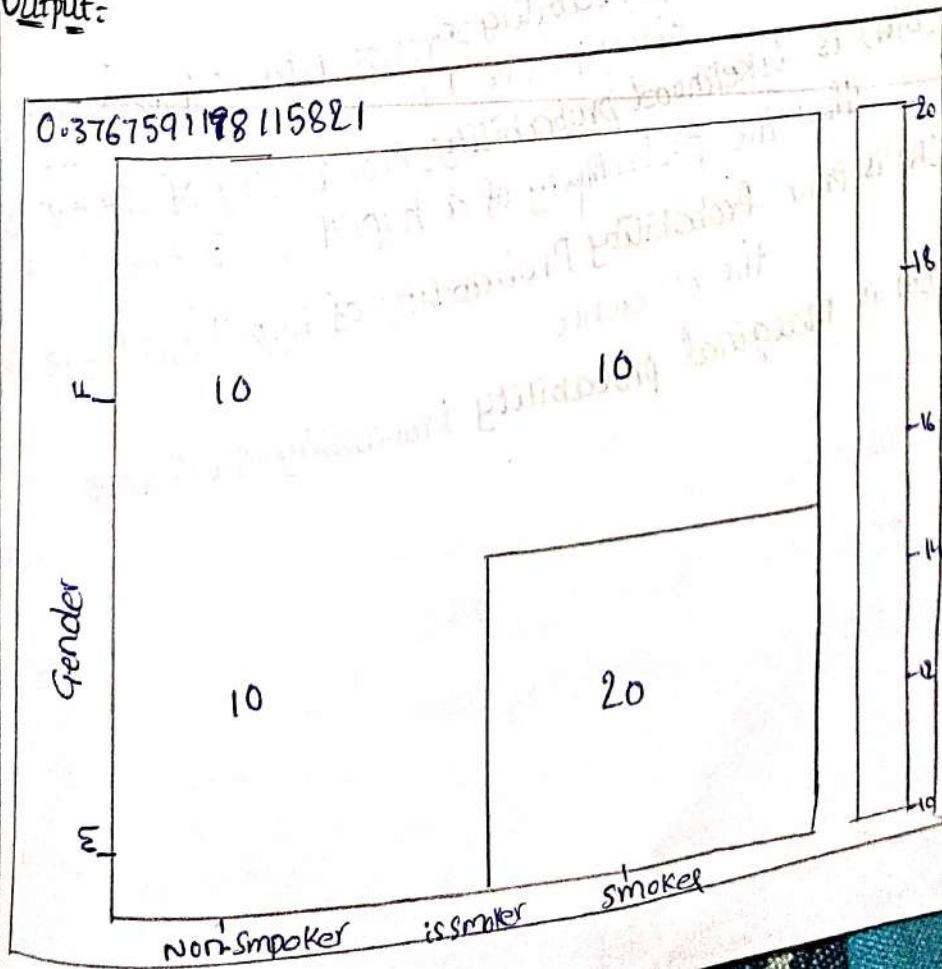
② Degree of freedom

$$(rows-1) * (columns-1) = (2-1) * (6-1) = 5$$

program:

```
import pandas as pd
import numpy as np
from scipy.stats import chi2_contingency
import seaborn as sns
import matplotlib.pyplot as plt
%matplotlib inline
df=pd.DataFrame({'Gender':['M','M','M','F','F'],*10,
'isSmoker':['Smoker','Smoker','Non-Smoker','Non-Smoker','Smoker']*10})
df.head()
Contingency=pd.crosstab(df['Gender'], df['isSmoker'])
contingency
contingency_pct=pd.crosstab(df['Gender'], df['isSmoker'], normalize='index')
contingency_pct
plt.figure(figsize=(12,8))
sns.heatmap(contingency, annot=True, cmap="YlGnBu")
C,P,dof,expected=chi2_contingency(contingency)
print(C)
```

Output:



Experiment-11

STAND BY

Aim: Write a program of Naïve Bayesian classification using Python programming language.

Objectives:

The Naïve Bayes algorithm is comprised of two words Naïve and Bayes, which can be described as:

- **Naïve:** It is called Naïve because it assumes that the occurrences of a certain feature is independent of the occurrence of other features.
- **Bayes:** It is called Bayes because it depends on the principle of Bayes theorem.

Bayes theorem:

- Bayes theorem is also known as Bayes Rule or Bayes law, which is used to determine the probability of a hypothesis with prior knowledge. It depends on the conditional probability.
- The formula for Bayes theorem is given as:

$$P(A|B) = \frac{P(B|A)P(A)}{P(B)}$$

$P(A|B)$ is Posterior probability: Probability of hypothesis A on the observed event B.

$P(B|A)$ is Likelihood probability: Probability of the evidence given that the probability of a hypothesis is true.

$P(A)$ is Prior Probability Probability of hypothesis before observing the evidence

$P(B)$ is Marginal probability Probability of evidence

Program:

```
from sklearn.datasets import load_iris
iris=load_iris()
X=iris.data
Y=iris.target
from sklearn.model_selection import train_test_split
X-train,X-test,Y-train,Y-test = train_test_split(X,Y,test_size=0.4,
random_state=1)
from sklearn.naive_bayes import GaussianNB
gnb=GaussianNB()
gnb.fit(X-train,Y-train)
Y-pred=gnb.predict(X-test)
from sklearn import metrics
print("Gaussian Naive Bayes model accuracy (in %):",metrics.accuracy_
score(Y-test,Y-pred)*100)
```

Output:

Gaussian Naive Bayes model accuracy (in %): 95.0

Experiment - 15

Ques: Write a program to compute / display dissimilarity matrix (for your own dataset containing at least four instances with two attributes) using Python.

Objectives:

The dissimilarity matrix describes pairwise distinction between n objects. It is a square symmetrical $n \times n$ matrix with the (ij) th element equal to the value chosen measure of distinction b/w the (i) th and the (j) th object.

Program:

```
from sklearn.manifold import MDS
from matplotlib import pyplot as plt
import sklearn.datasets as dt
import seaborn as sns
import numpy as np
from sklearn.metrics.pairwise import manhattan_distances,
euclidean_distances
from matplotlib.offsetbox import OffsetImage, AnnotationBbox
X = np.array([[0, 0, 0], [0, 0, 1], [1, 1, 1], [0, 1, 0], [0, 1, 1]])
mds = MDS(random_state=0)
X_transform = mds.fit_transform(X)
print(X_transform)
```

Output:

```
[ 0.72521687  0.52943352]
 [ 0.61640884 -0.48411805]
 [-0.9113603   -0.47905115]
 [-0.2190564    0.71505714]
 [-0.21120901 -0.28132146]
```

Experiment-19

Aim: Implement a java program to perform apriori algorithm.

Objectives:

Apriori algorithm refers to an algorithm that is used in mining frequent product sets and relevant association rules. Generally, the apriori algorithm operates on a database containing a huge number of transactions.

Components of apriori algorithm

- ↳ The given three components comprise the apriori algorithm.
 1. Support
 2. Confidence
 3. Lift

Program:

```
import java.util.*;  
public class Main{  
    public static void main(String args[]){  
        Scanner terminal = new Scanner(System.in);  
        System.out.print("Number of transactions:");  
        int numberOfTransactions = Integer.parseInt(terminal.nextLine());  
        System.out.println("Enter transactions separated by new line  
        and items separated by spaces:");  
        ArrayList<ArrayList<String>> transactions = new ArrayList<ArrayList<String>>();  
        ArrayList<ArrayList<String>> -transactions = new ArrayList<ArrayList<String>>();  
        ArrayList<ArrayList<String>> prevItemSetsWithMinSupportCount =  
            new ArrayList<ArrayList<String>>();  
        for(int i=0; i < numberOfTransactions; i++){  
            ArrayList<String> transaction = new ArrayList<String>();  
            String str = terminal.nextLine();  
            String arr[] = str.split(" ");  
            for(int j=0; j < arr.length; j++) transaction.add(arr[j]);  
            transactions.add(transaction);  
        }  
    }  
}
```

```
- transactions.add(transaction);
}

System.out.print("Minimum support count:");
int minSupportCount = Integer.parseInt(terminal.nextLine());
ArrayList<String> items = getUniqueItems(transactions);
int x = 0;
while(true) {
    x++;
    ArrayList<Integer> supportCountList = new ArrayList<Integer>();
    ArrayList<ArrayList<String>> itemSets = getItemSets(items, x);
    for (ArrayList<String> itemSet : itemSets) {
        int count = 0;
        for (ArrayList<String> transaction : transactions) {
            if (existsInTransaction(itemSet, transaction)) count++;
        }
        supportCountList.add(count);
    }
    ArrayList<ArrayList<String>> itemSetsWithMinSupportCount =
        getItemSetsWithMinSupportCount(itemSets, supportCountList,
            minSupportCount);
    if (itemSetsWithMinSupportCount.size() == 0) {
        System.out.print("The itemset(s) that are the most
frequent itemset(s):");
        System.out.println(prevItemSetsWithMinSupportCount);
        break;
    }
    items = getUniqueItems(itemSetsWithMinSupportCount);
    prevItemSetsWithMinSupportCount = itemSetsWithMinSupportCount;
}

private static ArrayList<String> getUniqueItems(ArrayList<ArrayList<String>> data) {
```

```
ArrayList<String> toReturn = new ArrayList<String>();
for(ArrayList<String> transaction : data) {
    for(String item : transaction) {
        if(!toReturn.contains(item)) toReturn.add(item);
    }
}
Collections.sort(toReturn);
return toReturn;
}

private static ArrayList<ArrayList<String>> getItemsSets(ArrayList<String> items, int number)
{
    if(number == 1)
    {
        ArrayList<ArrayList<String>> toReturn = new ArrayList<ArrayList<String>>();
        for(String item : items) {
            ArrayList<String> aList = new ArrayList<String>();
            aList.add(item);
            toReturn.add(aList);
        }
        return toReturn;
    }
    else
    {
        int size = items.size();
        ArrayList<ArrayList<String>> toReturn = new ArrayList<ArrayList<String>>();
        for(int i = 0; i < size; i++) {
            ArrayList<String> - items = new ArrayList<String>();
            for(String item : items) {
                - items.add(item);
            }
            String thisItem = items.get(i);
            for(int j = 0; j <= i; j++) {
                - items.remove(0);
            }
            toReturn.add(thisItem);
        }
        return toReturn;
    }
}
```

```
ArrayList<ArrayList<String>> permutationsBelow =
```

```
    getItemsSets(items, number - 1);
```

```
    for (ArrayList<String> alist : permutationsBelow) {
```

```
        alist.add(thisItem);
```

```
        Collections.sort(alist);
```

```
        toReturn.add(alist);
```

```
}
```

```
    return toReturn;
```

```
}
```

```
private static boolean existsInTransaction(ArrayList<String> items,
```

```
ArrayList<String> transaction) {
```

```
    for (String item : items) {
```

```
        if (!transaction.contains(item)) return false;
```

```
}
```

```
    return true;
```

```
}
```

```
private static ArrayList<ArrayList<String>> getItemsSetsWith
```

```
minSupportCount(ArrayList<ArrayList<String>> itemSets,
```

```
ArrayList<Integer> count, int minSupportCount) {
```

```
    ArrayList<ArrayList<String>> toReturn = new ArrayList<
```

```
        ArrayList<String>>();
```

```
    for (int i = 0; i < count.size(); i++)
```

```
        int c = count.get(i);
```

```
        if (c >= minSupportCount) {
```

```
            toReturn.add(itemSets.get(i));
```

```
        }
```

```
}
```

```
    return toReturn;
```

```
}
```

```
}
```

Output:

Number of transactions: 4

Ex�e transactions separated by new line and items separated by space

Pizza burger dosa

Pizza burger

Pizza onion ~~tea~~ tea

Burger onion tea

Minimum support count: 2

The itemset(s) that are the most frequent itemset(s): [[Burger, Pizza], [Onion, tea]]

Experiment-16

Aim: Visualize the datasets using matplotlib in python.
Histogram, Box plot, Bar

Program:

Histogram

import pandas as pd

import matplotlib.pyplot as plt

Create 2D array of student details

```
stdData=[['S1','M',18,123,46],  
         ['S2','M',12,134,82],  
         ['S3','F',14,114,77],  
         ['S4','M',13,136,73],  
         ['S5','F',13,107,56],  
         ['S6','F',12,121,80],  
         ['S7','M',14,113,76],  
         ['S8','F',15,123,95],  
         ['S9','F',14,112,78],  
         ['S10','M',15,100,60]]
```

Creating the dataframe from the above data

```
df=pd.DataFrame(stdData,columns=['ID','Gender','Age','Height(cm  
'Marks'])
```

df.hist()

plt.show()

Box plot

df.plot.box()

plt.show()

Scatter plot

import numpy as np

import matplotlib.pyplot as plt

```
x=np.random.rand(50)  
y=np.random.rand(50)  
sizes=np.random.rand(50)  
plt.scatter(x,y,s=sizes*500)  
plt.show()
```

2d line plot

```
import matplotlib.pyplot as plt  
x=[1,2,3,4,5,6,7,8,9,10]  
y=[2,4,6,8,10,12,14,16,18,20]  
plt.plot(x,y)
```

3d line plot

```
import matplotlib.pyplot as plt  
x=[1,2,3,4,5,6,7,8,9,10]  
y=[2,4,6,8,10,12,14,16,18,20]  
z=[1,4,9,16,25,36,29,64,81,100]
```

```
fig=plt.figure()  
ax=plt.axes(projection='3d')  
ax.plot3D(x,y,z)  
plt.show()
```

```
import numpy as np  
import pandas as pd  
%matplotlib inline  
mu=168  
sigma=5
```

```
sample=250  
np.random.seed(0)
```

```
height_f=np.random.normal(mu,sigma,sample).astype(int)
```

mu=176

sigma=6

```
sample=250  
np.random.seed(1)
```

```
height_m=np.random.normal(mu,sigma,sample).astype(int)
```

```
gym=pd.DataFrame({height_f:height_f, height_m:height_m})
```

gym

gym.plot()

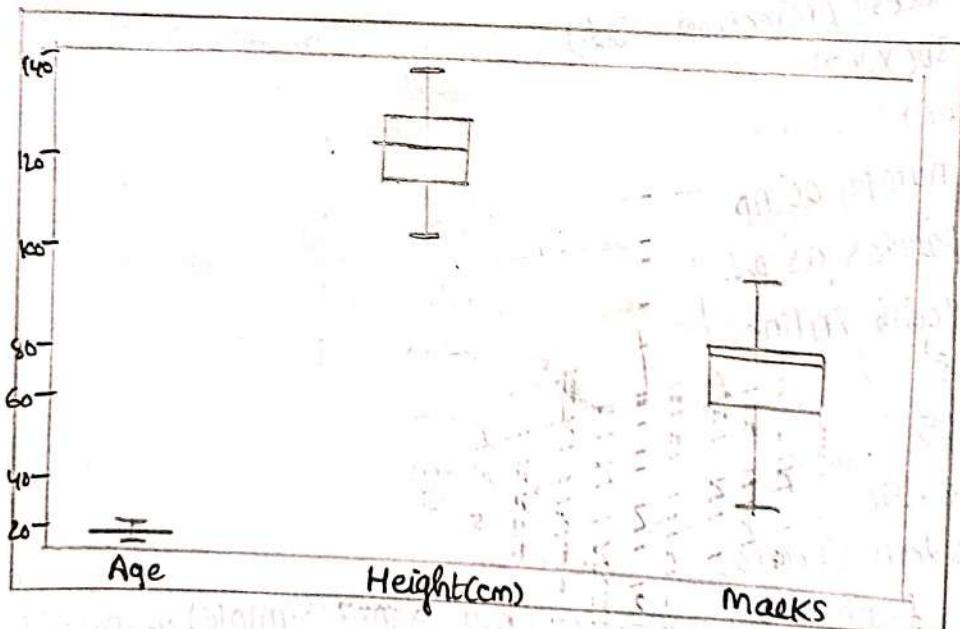
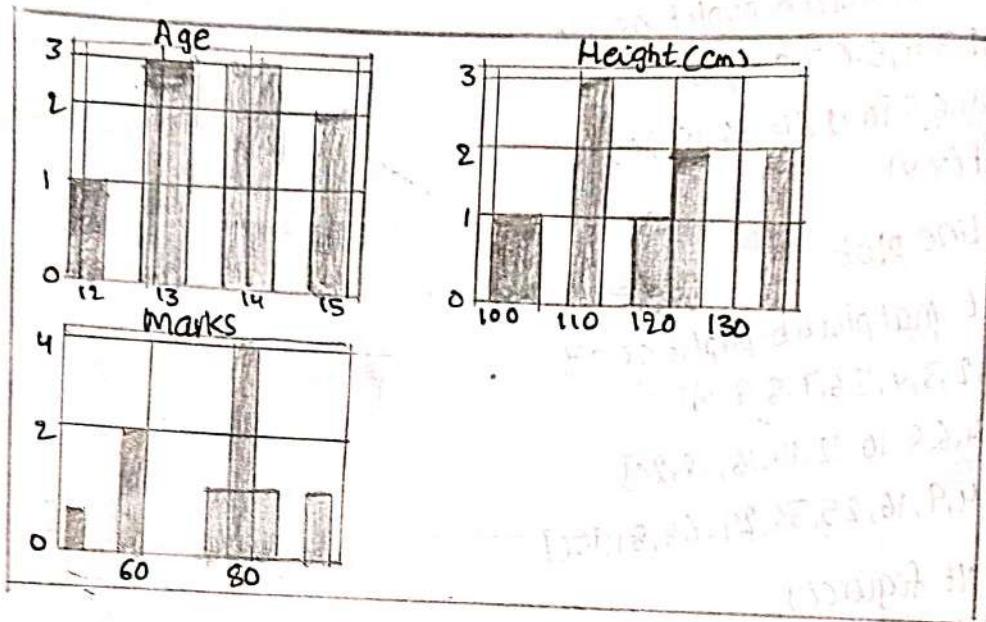
gym.groupby('height-m').count()

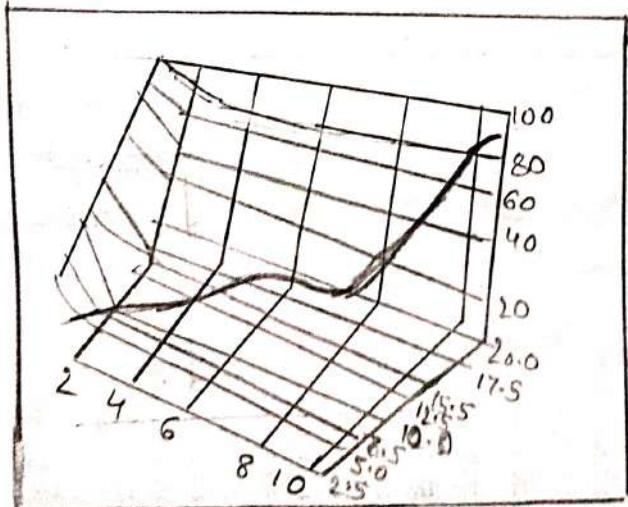
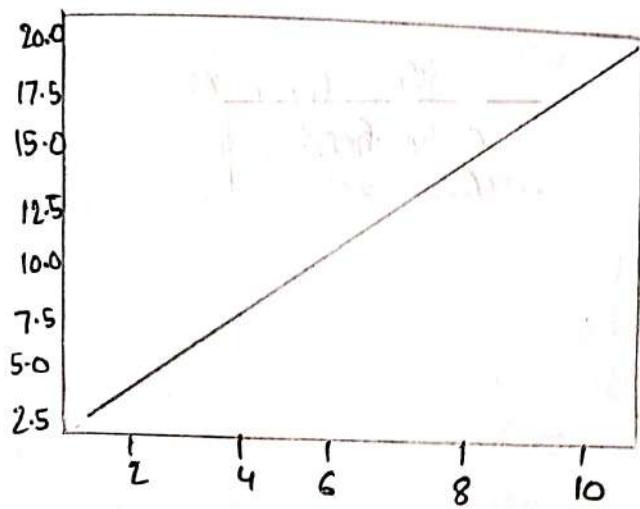
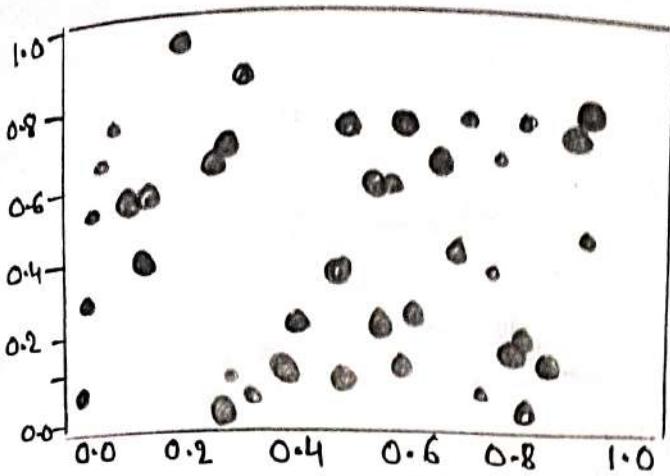
gym.groupby('height-m').count().plot()

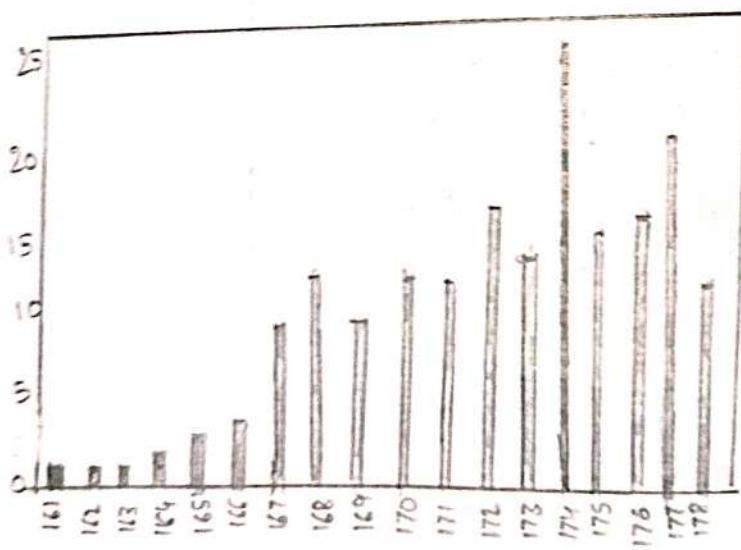
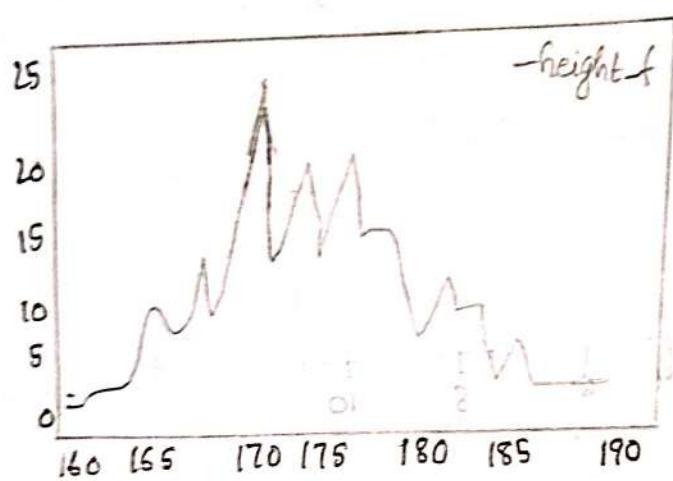
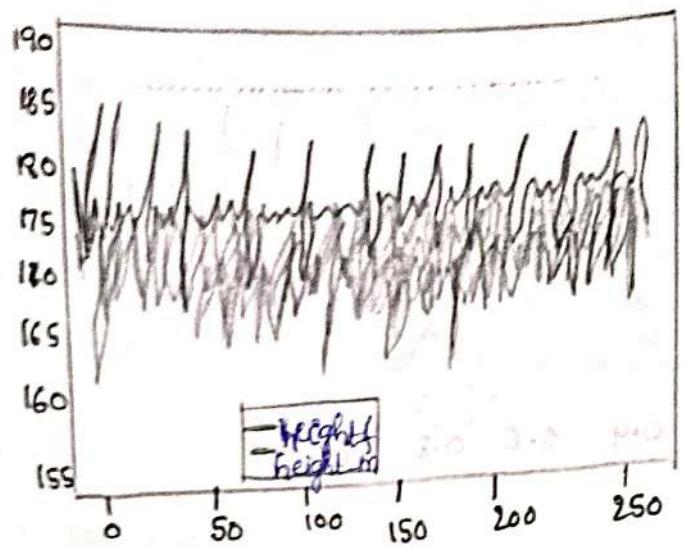
gym.groupby('height-m').count().plot.bar()

gym.groupby('height-m').count().plot(kind='bar')

Output:







Experiment-1

Aim: Creation of a Data warehouse.

- Build Data warehouse / Data mart.
- Design multidimensional data models namely star, snowflake, and fact constellation schemas for any one enterprise.
- Write ETL scripts and implement using data warehouse tools.
- Perform various OLAP operations and such slice, dice, roll up, drill up and pivot.

Input: Multi-dimensional data models.

Analysis: Star schema, snowflake schema and fact constellation schema, OLAP operations.

Objective:

The goal of a data warehouse is to create a store of historical data that can be retrieved and analyzed to provide useful insight into the organization's operations. A data warehouse is a vital component of business intelligence.

Multidimensional data models:

A multidimensional model views data in the form of a data cube. A data cube enables data to be modeled and viewed in multiple dimensions. It is defined by dimensions and facts.

Star schema:

Star schema is the fundamental schema among the data mart schema and it is simplest. This schema is widely used to develop and build a data warehouse and dimensional data marts.

Snowflake schema:

The snowflake schema is a variant of the star schema. Here the centralized fact table is connected to multiple dimensions. In the snowflake schema, dimensions are present in a normalized form in multiple related tables.

Fact Constellation schemas

Fact constellation is a schema for representing multidimensional model. It is a collection of multiple fact tables having some dimension tables.

OLAP:

OLAP stands for Online analytical Processing, OLAP is a class of software technology which authorizes analysts, managers, and executives to gain insight into information through fast, consistent, interactive access in a wide variety of possible views of data.

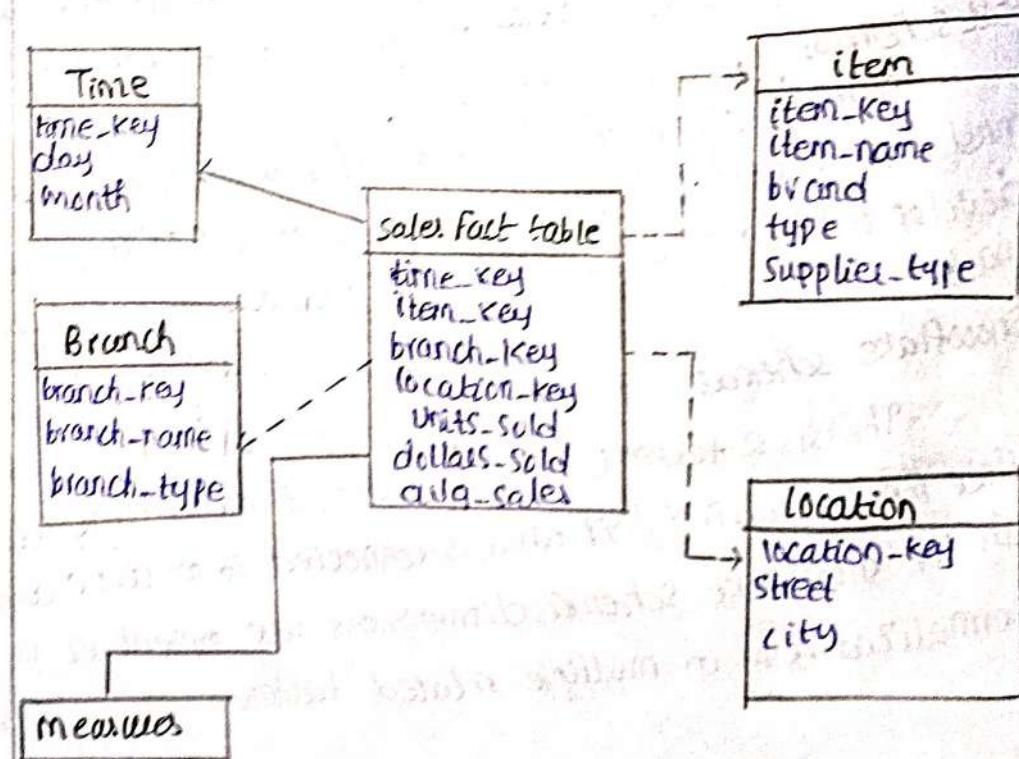
Slice: It selects a single dimension from the OLAP cube which results in a new sub-cube creation.

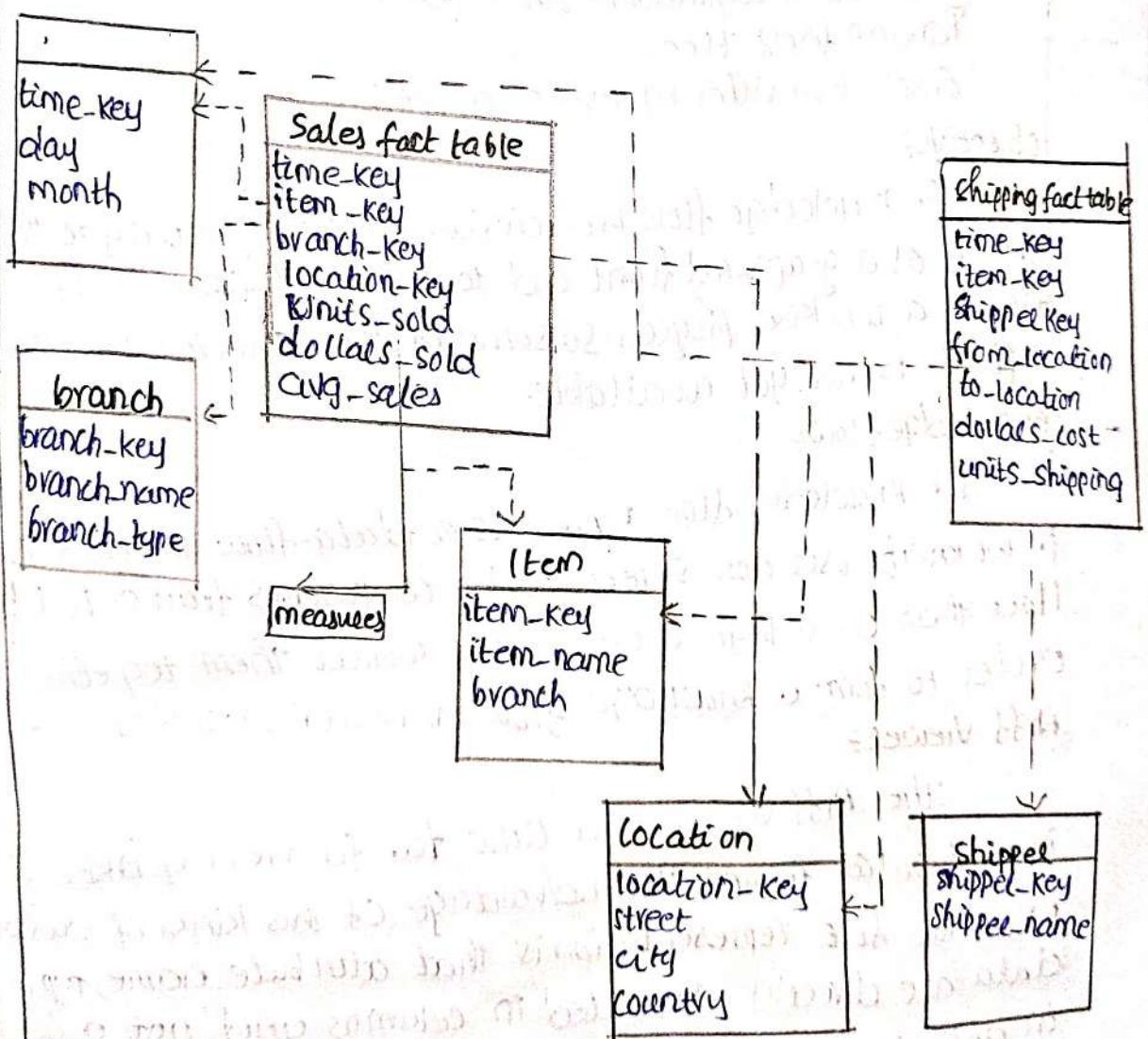
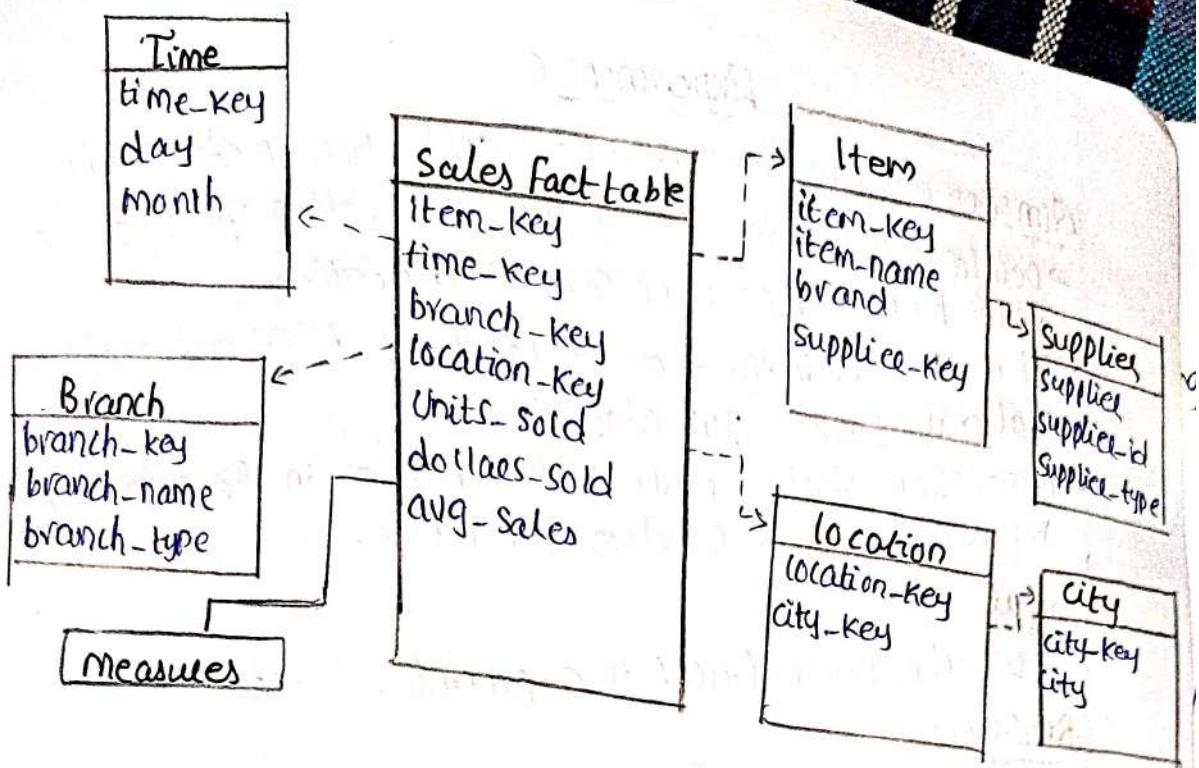
Dice: It selects a sub-cube from the OLAP cube by selecting two or more dimensions.

Roll up: It is just opposite of the drill down operation. It performs aggregation on the OLAP cube.

Drill down: In drill down operation, the less detailed data is converted into highly detailed data.

Pivot: It is also known as rotation operation as it rotates the current view to get a new view of the representation. In the sub-cube obtained at the slice operation.





Experiment-6

- Aim: Demonstrate knowledge flow application on data sets.
- Develop a knowledge flow layout for finding strong association rules by using Apriori, FP Growth algorithms.
 - Set up the knowledge flow to load an ARFF and perform a cross validating using J48 algorithm.
 - Demonstrate plotting multiple ROC curves in the same plot window by using J48 and Random forest tree.

Input:

weather.nominal.arff is a predefined data set.

Analysis:

Classification algorithms - J48 algorithm,
Random forest tree.

Association rules by using apriori

Objective:

The knowledge flow provides an alternative way to the explorer as a graphical front end to WEKA's algorithm knowledge flow is a working progress. So, some of the functionality from explorer is not yet available.

Knowledge flow:

The knowledge flow represents a data-flow inspired interface to WEKA. The user can select WEKA components from a tool bar. Place them on a layout canvas and connect them together in order to form a knowledge flow for processing and analyzing ARFF files.

The ARFF viewer is a little tool for viewing ARFF files in a tabular format. The advantage of this kind of display over the file representation is that attribute name, type and data are directly associated in columns and not separated in definition and data part.

Association Rule: Association rules are mined out after frequent itemsets in a big dataset are found. These datasets are found out using mining algorithms such as Apriori and FP Growth.

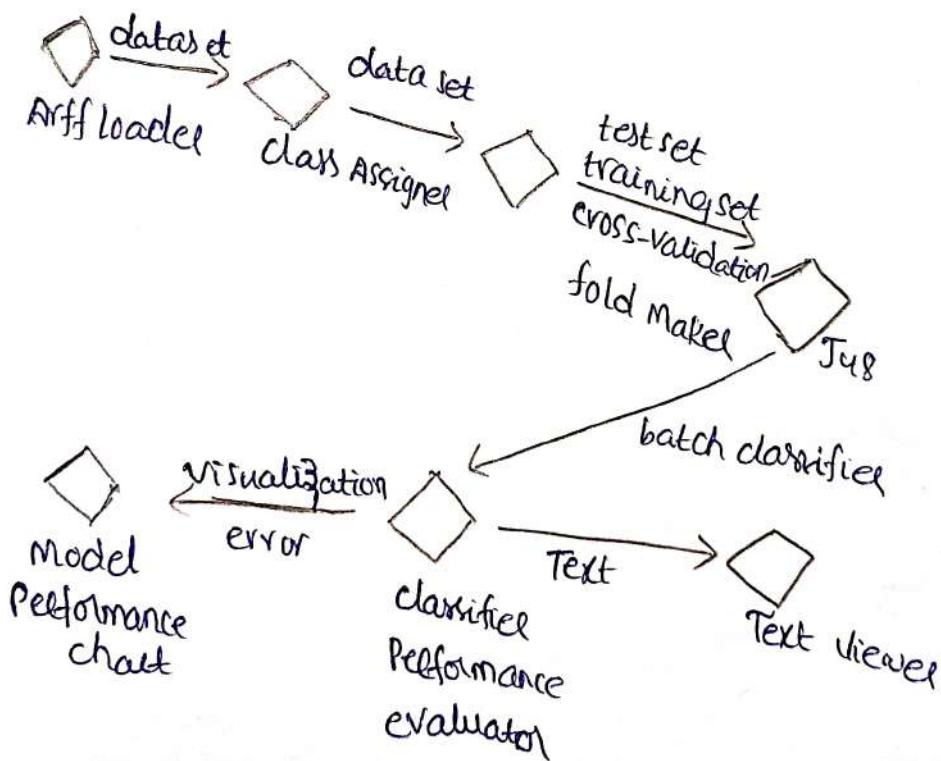
Apriori algorithm: Apriori is a simple algorithm, which applies for mining frequent itemsets from the transaction dataset to find association between various item sets.

FP Growth algorithm: FP Growth is an algorithm for finding patterns in data and it's much more efficient than its predecessor. WEKA implementation of FP Growth requires data to be supplied in binary format.

Roc curve: The WEKA explorer enables you to plot the ROC curve for a certain class label of dataset, run a classifier on a dataset, right-click on the result list on the result you want to display the curve for select visualize threshold curve and choose.

Cross-validation: WEKA does stratified cross-validation by default and with 10-fold cross-validation. WEKA invokes the learning algorithm.

Output:



Exercise-8

Ques: write a java program to prepare a simulated dataset with unique instances.

Program:

```
import java.sql.*;
class DataBase{
    Public static void main (String args[]){
        try {
            Class.forName("Oracle.jdbc.driver.OracleDriver");
            Connection con=DriverManager.getConnection ("jdbc:oracle:thin:@localhost:1521:xe", "System", "8639");
            Statement stmt=con.createStatement();
            ResultSet rs=stmt.executeQuery ("Select * from employee");
            while(rs.next())
            {
                System.out.println (rs.getInt(1)+" "+rs.getString(2)+" "+
                    rs.getInt(3)+" "+rs.getInt(4));
            }
            con.close();
        }
        catch (Exception e)
        {
            System.out.println(e);
        }
    }
}
```

Output:

1	Venkat	672	0
2	Nirmala	671	1
3	Pradeep	669	1
4	Srinivas	669	1
5	Krishna	668	2
6	Deepa	668	3
7	Keerthi	668	4
8	Aravind	681	1
9	Srikanth	668	8
10	Suresh	667	3
11	Rahul	667	9
12	Kunal	667	4

Experiment-13

Aim: Write a program to cluster your choice of data using simple K-means algorithm using jdk.

Objective:

K-means clustering is an unsupervised learning algorithm, which groups the unlabeled dataset as input divides the dataset into K-number of clusters, and repeats the process until it does not find the best clusters. The value of K should be predetermined in this algorithm.

The K-means clustering algorithm mainly performs two tasks:

- Determines the best value for K Center points or centroids by an iterative process.
- Assigns each data point to its closest K-center. Those data points which are near to the particular K-center, create a cluster.

Hence each cluster has datapoints with some commonalities, and it is away from other clusters.

Program:

```
import java.util.*;  
class Main{  
    public static void main(String args[]){  
        int dataset[][] = {{2,1},{5,2},{2,2},{4,1},{4,3},  
                           {7,5},{3,6},{5,7},{1,4},{4,1}};  
        int i,j,K=2;  
        int part1[][] = new int [10][2],  
            part2[][] = new int [10][2];  
        float mean1[][] = new float [1][2];  
        float mean2[][] = new float [1][2];  
        float temp1[][] = new float [1][2];  
        float temp2[][] = new float [1][2];  
        int sum11=0;  
        int sum12=0,sum21=0,sum22=0;
```

```

double dist1, dist2;
int i1=0, i2=0, itr=0;
System.out.println("Dataset:");
for(i=0; i<10; i++)
{
    System.out.println(dataset[i][0] + " " + dataset[i][1]);
}
System.out.println("Number of partitions: " + k);
mean1[0][0]=2;
mean1[0][1]=2;
mean2[0][0]=5;
mean2[0][1]=7;
while(!Arrays.deepEquals(mean1, temp1) || !Arrays.deepEquals(mean2, temp2))
{
    for(i=0; i<10; i++)
    {
        Part1[i][0]=0;
        Part1[i][1]=0;
        Part2[i][0]=0;
        Part2[i][1]=0;
    }
    if(i1==0, i2==0)
    {
        for(i=0; i<10; i++)
        {
            dist1=math.sqrt(math.pow(dataset[i][0]-mean1[0][0], 2)+math.pow(dataset[i][1]-mean1[0][1], 2));
            dist2=math.sqrt(math.pow(dataset[i][0]-mean2[0][0], 2)+math.pow(dataset[i][1]-mean2[0][1], 2));
            Part1[i][0]=dataset[i][0];
            Part1[i][1]=dataset[i][1];
            i1++;
        }
    }
    else
    {
        for(i=i1; i<i2; i++)
        {
            dist1=math.sqrt(math.pow(dataset[i][0]-mean1[0][0], 2)+math.pow(dataset[i][1]-mean1[0][1], 2));
            dist2=math.sqrt(math.pow(dataset[i][0]-mean2[0][0], 2)+math.pow(dataset[i][1]-mean2[0][1], 2));
            if(dist1 < dist2)
                Part1[i][0]=dataset[i][0];
            else
                Part2[i][0]=dataset[i][0];
        }
    }
    for(i=i2; i<10; i++)
    {
        dist1=math.sqrt(math.pow(dataset[i][0]-mean1[0][0], 2)+math.pow(dataset[i][1]-mean1[0][1], 2));
        dist2=math.sqrt(math.pow(dataset[i][0]-mean2[0][0], 2)+math.pow(dataset[i][1]-mean2[0][1], 2));
        if(dist1 < dist2)
            Part1[i][0]=dataset[i][0];
        else
            Part2[i][0]=dataset[i][0];
    }
    for(i=0; i<10; i++)
    {
        mean1[0][0]=(Part1[i][0]+Part2[i][0])/2;
        mean1[0][1]=(Part1[i][1]+Part2[i][1])/2;
        mean2[0][0]=(Part1[i][0]+Part2[i][0])/2;
        mean2[0][1]=(Part1[i][1]+Part2[i][1])/2;
    }
    temp1=copy.deepcopy(Part1);
    temp2=copy.deepcopy(Part2);
}

```

```
Part2[i][0] = dataset[i][0];
```

```
Part2[i][1] = dataset[i][1];
```

```
i2++;
```

```
}
```

```
}
```

```
temp1[0][0] = mean1[0][0];
```

```
temp1[0][1] = mean2[0][1];
```

```
temp2[0][0] = mean2[0][0];
```

```
temp2[0][1] = mean2[0][1];
```

```
sum11 = 0; sum12 = 0; sum21 = 0; sum22 = 0;
```

```
for(i=0; i < i1; i++)
```

```
{
```

```
sum11 += part1[i][0];
```

```
sum12 += part1[i][1];
```

```
}
```

```
for(i=0; i < i2; i++)
```

```
{
```

```
sum21 += part2[i][0];
```

```
sum22 += part2[i][1];
```

```
}
```

```
mean1[0][0] = (float) sum11 / i1;
```

```
mean1[0][1] = (float) sum12 / i1;
```

```
mean2[0][0] = (float) sum21 / i2;
```

```
mean2[0][1] = (float) sum22 / i2;
```

```
itr++;
```

```
}
```

```
System.out.println("In Final partition:");
```

```
System.out.println("Part1:");
```

```
{
```

```
System.out.println(part1[i][0] + " " + part1[i][1]);
```

```
}
```

```
System.out.println("In Part2:");
```

```
for(i=0; i < i2; i++)
```

```
{
```

```
System.out.println(part1[i][0] + "" + part2[i][1]);
```

```
System.out.println("In Finalmeans:");
```

```
System.out.println("Mean1:" + mean1[0][0] + " " + mean1[0][1]);
```

```
System.out.println("Mean2:" + mean2[0][0] + " " + mean2[0][1]);
```

```
System.out.println("In Total Iteration:" + itr);
```

Output:

Dataset:

2 1

5 2

2 2

4 1

4 3

7 5

3 6

5 7

1 4

4 1

Number of partitions: 2

Final Partition: Part1: 2 1 5 2 2 2 8 4 1 4 3 1 4 8 1 Part2: 7 5 3 6 5

Final mean:

Mean1: 3.142857 2.0

Mean2: 5.0 6.0

Total Iteration: 2