

Breadth first search

Introduction

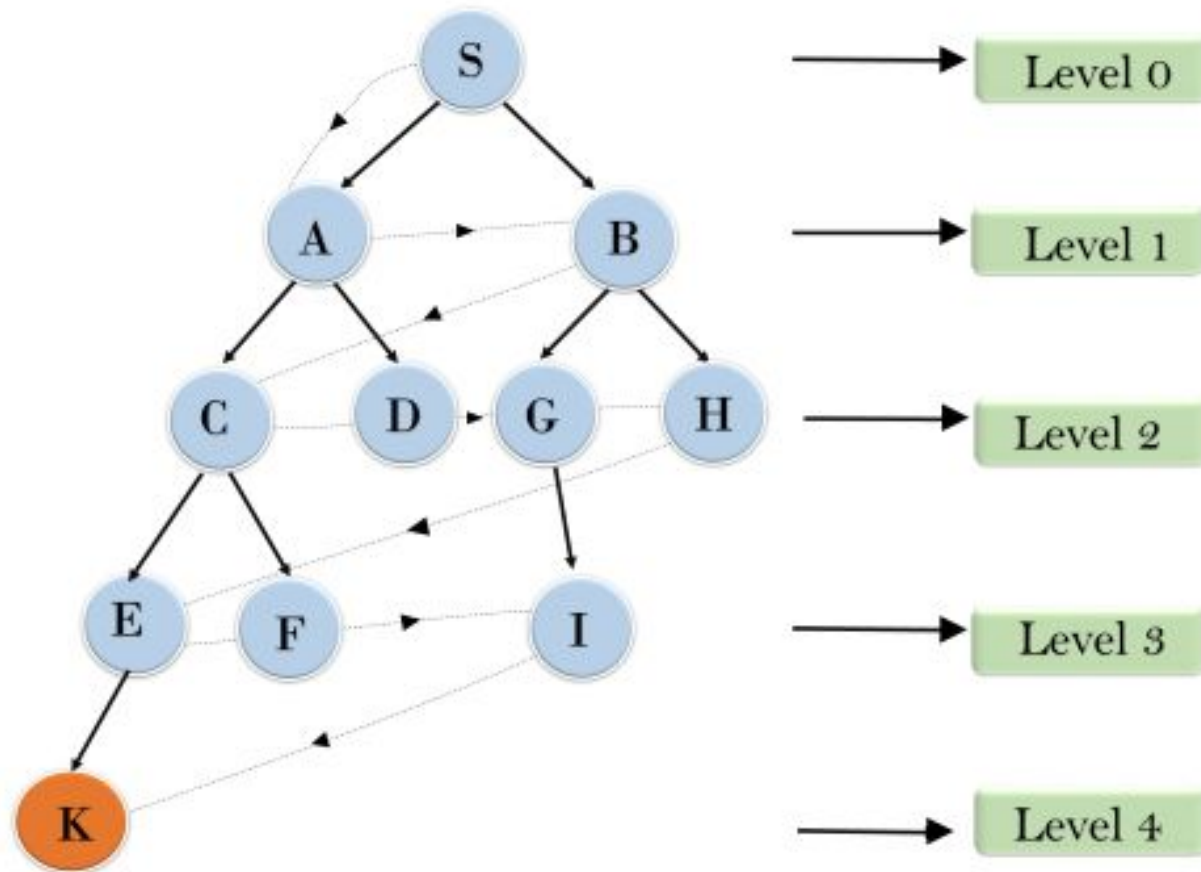
- Breadth-first search is the most common search strategy for traversing a tree or graph. This algorithm searches breadthwise in a tree or graph, so it is called breadth-first search.
- BFS algorithm starts searching from the root node of the tree and expands all successor node at the current level before moving to nodes of next level.
- The breadth-first search algorithm is an example of a general-graph search algorithm.
- Breadth-first search implemented using FIFO queue data structure.

- **Advantages:** BFS will provide a solution if any solution exists.
- If there are more than one solutions for a given problem, then BFS will provide the minimal solution which requires the least number of steps.
- **Disadvantages:**
 - It requires lots of memory since each level of the tree must be saved into memory to expand the next level.
 - BFS needs lots of time if the solution is far away from the root node.

Example:

- In the below tree structure, we have shown the traversing of the tree using BFS algorithm from the root node S to goal node K. BFS search algorithm traverse in layers, so it will follow the path which is shown by the dotted arrow, and the traversed path will be:
- S---> A--->B----->C--->D----->G--->H--->E----->F----->I----->K

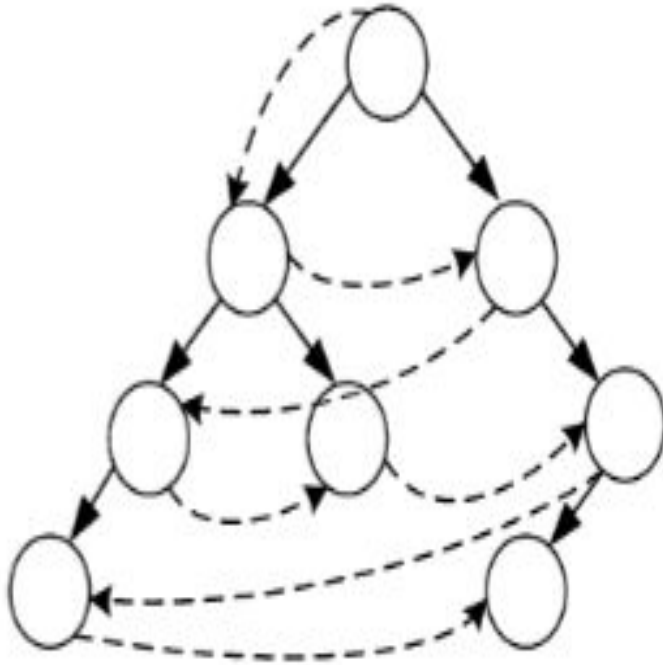
Breadth First Search



S----> A---->B----->C---->D----->G---->H---->E----->F----->I----->K

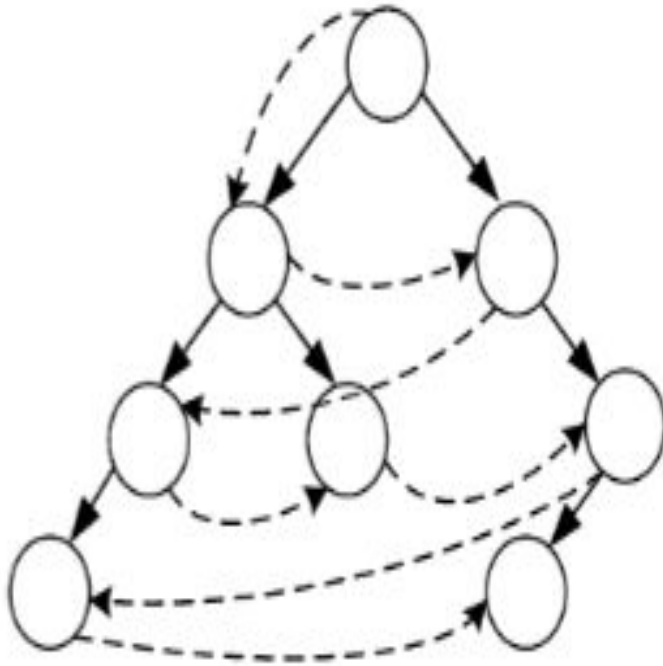
- **Time Complexity:** Time Complexity of BFS algorithm can be obtained by the number of nodes traversed in BFS until the shallowest Node. Where the d = depth of shallowest solution and b is a node at every state.
- **$T(b) = 1 + b^2 + b^3 + \dots + b^d = O(b^d)$**
- **Space Complexity:** Space complexity of BFS algorithm is given by the Memory size of frontier which is $O(b^d)$.
- **Completeness:** BFS is complete, which means if the shallowest goal node is at some finite depth, then BFS will find a solution.
- **Optimality:** BFS is optimal if path cost is a non-decreasing function of the depth of the node.

Example(2)



ALGORITHM

- Create a node list (Queue) that initially contains the first node.
- Do till a goal state is found
 - Remove X from node-list if empty. Then exit.
- Check if this is goal state.
- If yes, return the state.
- If not, get the next level nodes, i.e. node reachable from the parent and add to node-list.

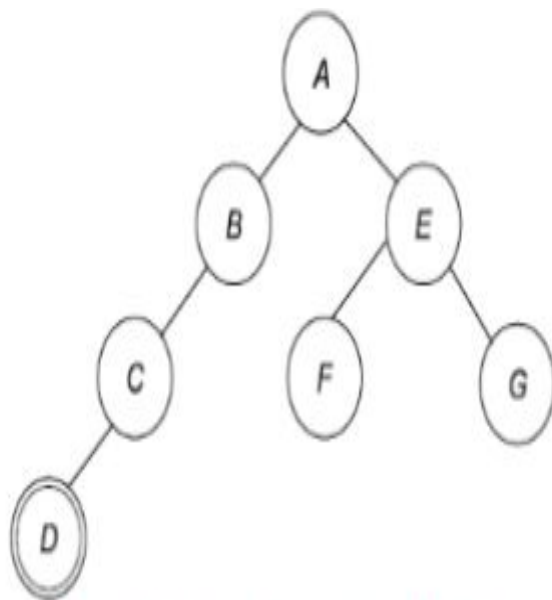


Let

A = Start State

D = Goal state

Now Solving by the queue method



Queue	Check
A	— Removed A, is it goal? No, add children. So, B and E are added.
BE	
E	Removed B, is it goal? No, add children. So, C is added at the end of queue.
EC	
C	Removed E, is it goal? No, add children. So, F and G are added.
CFG	
FG	Removed C, is it goal? No, add children. So, D is added.
FGD	
GD	Removed F, is it goal? No, add children. Cannot be added, leaf node, so remove the next node.
D	Removed G, is it goal? No, add children. Cannot be added, leaf node, so remove the next node.
Empty	Removed D, is it goal? YES!