

SESSION : 18

- Introduction to DSA
- # Is CPU
 - ↳ less everything abt. the CPU.
- clock speed : NO. OF TIMES THE LIGHT IS SWITCHED ON & OFF IN ONE SECOND.
- CC & C (Computational Complexity)
- DSA / DSA is used to optimise a process.
- If we have to optimise a program then we say space complexity ; if CPU then time complexity
- Good code
 - ↳ Readability
 - ↳ Scalability
- Big O notation to differentiate whether the code is good or bad.
- ! ~~Big O notation~~ Asymptotic Notation

SESSION - 19

time python3 my.py
↳ gives the time used by CPU.
(real).

range(100)

↳ prints the range 0 to 99.

- By changing some code we can save the CPU & RAM usage to increase the productivity.
- Big O Not^t: = Asymptotic Not^t.

ps -aux ↗ RSS (Resident set size)
↳ shows the actual ram consumed right now.

ps -o rss 4314 ↗ PID
↳ only gives rss

- computational complexity = Space + Time Complexity

- Introduction to algorithm.
↳ pseudocode : algorithm in eng.

SESSION - 20

Py

```
g = [1, 2, 3, 4, 5 — 10]
```

Function

```
def lw(g):
```

```
t = 0
```

```
for c in g:
```

```
t = c + t
```

```
print(t)
```

Only for cont.

~~def~~

```
def lw(z):
```

```
| | C = (z*(z+1))/2
```

```
| | return(C)
```

```
lw(g)
```

```
lw([1, 2, 3])
```

```
lw(range(6))
```

- Big O checks the algo for its and checks its optimality.

Timeit print("hi")

| higher magic built-in ~~function~~ fn.

* ex: $67.6 \text{ ms} \pm 4.54 \text{ ms}$ per loop
time taken by CPU

- ~~Time~~ Time complexity depends upon the no. of data being processed.

denoted by: $O(n)$.



- bigcheatsheet.com

- 512 is the min blocksize in hadoop

By Import math
 $\text{math.log}(16, 2)$

4.0 $\sim O(\log_2 n)$
Time complexity

- Log search algo / Binary algo

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- complexity: how you can reduce the space and time used by ~~the~~^{your} program.

def lw(j):

a = 0

for i in range (j):

a = i + a

print (a)

If optimise lw(10)

↳ time consumed by the compiler

- The client directly goes to D.W1 and uploads the file and in turn D.W1 uploads/~~the~~ replicates the file to D.W2 and then D.W2 to D.W3. ~~and~~
- In replication the copy of file is created (ex in Hadoop) but in backup only the changes are stored (ex Snapshot in AWS).
- In replication if we delete one file the another file automatically deletes.
- Replication is generally made for hardware failure.
- If we want to restore the changes or the file itself we make its backup.

-f lw

#!lprun lw(10)

(line wise time)

↳ line Profiling ; dp as well as report

■ 4. load - ext line - profiler

↳ loads the line - profiler module.

↳ It is used to profile the application.

↳ It provides information about the execution time of each line of code.

↳ It also provides detailed information about the execution time of each line of code.

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SESSION: 15 DSA - py

- Stack: LIFO (last in first out)

cat /proc/meminfo
↳ lists all the memory

```
# vim ab.py
def lwc():
    input()
    x = 5
    print(x)
lwc() # for calling
```

```
# ps -aux | grep ab.py
# cat /proc/3057/maps
↳ info of the process
```

#

```
def f(n): # factorial
    return n * f(n-1)
# def f(n):
#     print(n)
#     return n * f(n-1)
```

- If we want to change the ^{stack} memory for recursion

import sys

sys.getrecursionlimit()
↳ 3000

→ Max stack size is 3000
sys.setrecursionlimit(20000)

↳ Max stack size changed to 20,000

```
# def. f(n):  
    if n < 0:  
        return "not supported"  
    elif n == 0:  
        return 1  
    else:  
        return n * f(n-1)
```

- * Divide the problem into several sub-problems.
- * Create functions and then put them in a module.
- * Divide and Conquer (DAC): we divide the bigger problem into several sub-problems

. Py

$$db = [1, 2, 3, 4, 5, 6, 7, 8, 9, 10, 11]$$

def fun():

for i in db:

print(i * 2)

worst case = $O(5) = O(1)$ // BigO notation
 ↳ constant time

Here, Best case & Avg case are also constant.

~~fun~~ db = list(db)

M = math.floor(len(db) / 2)

middle-pos = math.floor(len(db) / 2)

Binary Search

Best Case (00) = $\log(1)$ Worst Case = $\log(n)$

SESSION 81 DSA - py

→ Asymptotic Analysis

- AA is the best algo with $O(1)$
- Binary Algo is the second best algo with $O(\log n)$

.py

db = list(range(1, 12)) # [1, 2, 3, ..., 11]

```
def lws(db, value) and start <= end:  
    start = 0  
    end = len(db) + 1  
    middle = int((start + end) / 2)
```

while not (db[middle] == value):

if value > db[middle]:

start = middle + 1

else:

end = middle - 1

middle = int((start + end) / 2)

if db[middle] == value:

print("found")

else:

print("not found")

- In GitHub we can also write articles for all the code.
 - We have to push the code in GitHub.
 - To write the article we need to push one file named README.md containing the article.
 - .md means ~~marked~~^{markdown} language. Therefore, tags are applicable in it.
-
- In Selection sort we check ~~for~~ for the smaller value and swaps it.
 - Best Case = $O(n^2)$
 - Worst Case = $\Omega(n^2)$

#.py

```
def maxs(arr):  
    for j in range(len(arr)):  
        min_value = j  
        for i in range(j+1, len(arr)):  
            if arr[min_value] > arr[i]:  
                min_value = i  
        arr[j], arr[min_value] = arr[min_value], arr[i]  
    print(arr)
```

class Insort:

```
def bs(self, arr):
    return "data sorted by bs"
def ss(self, arr):
    return "data sorted by ss"
def ins(self, arr):
    return "data sorted by ins"
```

- They helps in providing an isolated space. like multi-threading feature in cloud. we can create our own isolated variables inside the class.
- Functions / Modules ~~are~~ helps in organising and managing the code.

```
# team1 = Insort()      # new ws created for it.
team1.bs()
team1.ss("Hello")
```

- First argument is the position of ram. It is mandatory for us.
- The variables declared within the function are local and their scope is limited till the function is executed.

class Insort:

(self, arr = [1, 2, 4, 7, 87, 7, 6])

to any of the obj.

```
def bs(self, arr):
    return "data", self.arr
```

For dynamic data entry
Ex: team1 = wsont(db)

- If we want do something while initializing a class we need to use constructor.

Class wsont:

```
def __init__(self, data):  
    self.all = data
```

team1 = wsont("Hello")

Now we don't need to put argument (all) in func.

~~data~~

def bs(self):
 return "data", self.all
 We can copy the actual code
 and replace ~~data~~ with
 self.all . now we don't need
 to dump the data again.

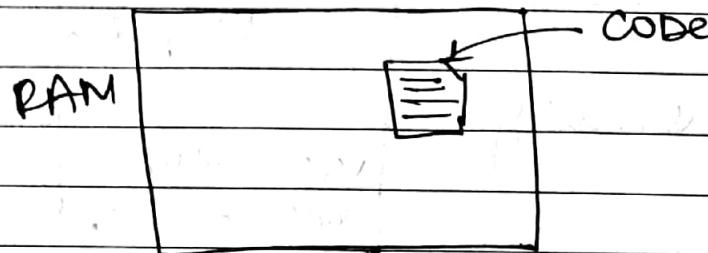
```
# def insertionSort(arr):
    for i in range(1, len(arr)):
        position = i
        currentValue = arr[i]
        "shifting value" while pos > 0 and arr[pos-1] > currentValue:
            arr[pos] = arr[pos-1]
            pos = pos - 1
            arr[pos] = currentValue currentValue
            # inserting
        return arr
```

- Add it in class.

- Change arr → self.arr

- Worst case = $O(n^2)$

#. RAM (memory)



- When we run the code they ^{load} ~~copy~~ the code on the top of RAM and a folder is created with name == pid (process id). As soon as the code is completed the dir is deleted.

cd /proc/epid>

↳ here all the files are on the top of RAM
 \therefore their size is 0.
 and are run as soon as the process is completed.

- Kernel gives the pid to all the process.

Process →

Process = stack memory +
size is fixed
(by interpreter) heap memory

Stack Mem	Heap Mem
var → Global	Code → Executed

lwt() ← Stack mem.

↳ DS from as the fn ends it is removed from the stack memory.

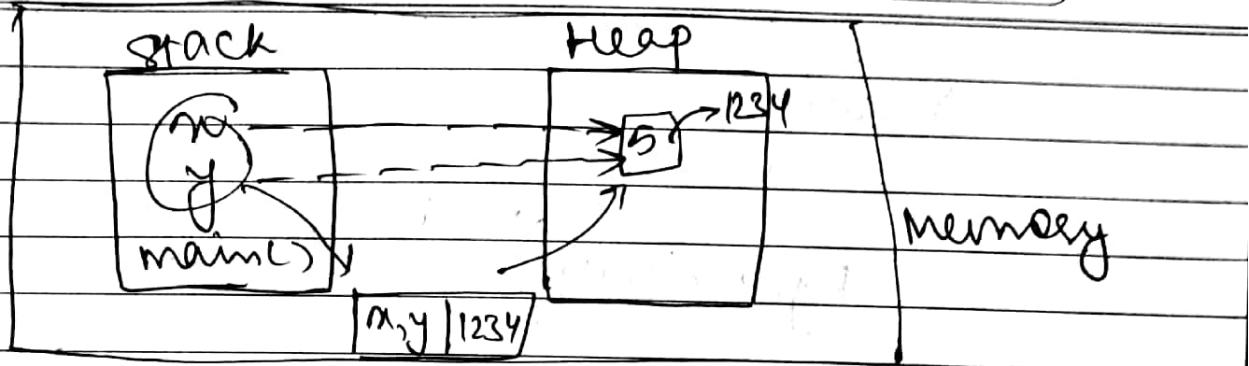
- **Heap Memory**: where all the data is stored.
- Since the space in memory is fixed.
 - ∴ we need to improvise/optimise its usage.
 - ∴ space complexity.

pmap python3
 ↳ gives pid of process

* cd /proc/3612/ ↳

vim maps

↳ gives the metadata of how much space is assigned to stack & heap.



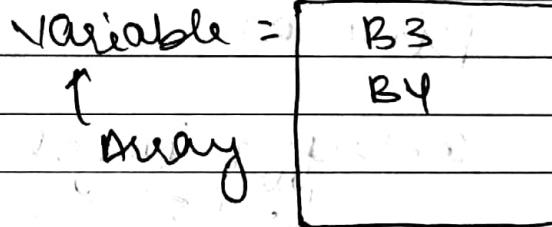
$\ggg x = 5$

$\ggg y = 5$

Array

static Dynamic
List

- In python, we always store ~~reference~~ inside a variable
- Array: when we continuously assign memory ~~to~~ to some variable.



- If the next memory ~~at~~ is free for allocation then we can also add the elements to the array or python allocates some other memory allocations where or reallocation where all the ~~not~~ continuous memory is available.
 - This re-allocation also requires time.
- $O(n)$ → time complexity
 $O(1)$ → space complexity

(shift + tab)

L for help menu in jupyter notebook

- PYTHON doesn't support static array.
by chance from array module
we can create static array.

.

```
import array as arr
a = arr.array('i', [5, 10])
```

↑ ↑
typecode initialize

```
print(a)
```

```
a.buffer_info()
```

↳ (2135—44, 2)

{memory ↑, data
address }

- For update() / replace()

$O(1) \rightarrow$ Space complexity

$O(1) \rightarrow$ Time complexity

.

```
a[1] = 15
```

```
a.buffer_info()
```

↳ (2135—44, 2)

{memory address is
same as before}

~~Appended~~

a.append(20)

~~push~~
o

↳ a['i', [5, 15, 20])

a.buffer_info()

↳ (213 - 600, 3)

↳ address is ↳ no. of elements
changed

very dangerous fn

O(n) → time complexity

- For delete() / pop() ↳ when we delete last element
 $O(n)$ → time complexity
↳ worst case

if we want to push and pop instead
then we can use stack but if we want
to do insertion and deletion from both ends
then we can use double ended queue

- In dynamic array, python gives extra space for appending elements.
It generally gives $\frac{n}{2}$ space where n is no of elements.

- List is the example of dynamic array.

```
# db = [1]
```

```
import sys
```

```
print(sys.getsizeof(db))
```

64

↳ size of one element is 64

bec. of some internal data

```
db.append(2)
```

```
print(sys.getsizeof(db))
```

96

↳ Instead of inc 4 it increased

32 bytes

```
db.append(3)
```

```
print(sys.getsizeof(db))
```

128

↳ Now the size is fixed for
some ~~list~~^{append} operations.

fun () :-

- (i) print(n=5) ————— $O(1)$
- (ii) print(n) ————— $O(1)$
- (iii) a = [1, 2, 3] ————— $O(1)$
- (iv) a.append(H) ————— $O(n)$
- (v) print(a) ————— $O(1)$

$\Rightarrow O(1)$

$O(n)$

- If we have to do analysis per operation wise, then we need to use Simplified Analysis

→ Aggregate
→ Accounting
→ Potential

- Static Array (

↳ append() { $O(n)$ }

↳ remove() { $O(n)$ }

If we remove an element from n positions.

- Instead of using static array we can use dynamic array.

- In dynamic array we do ^{append} operation in a certain way

~~$O(n)$~~ + ~~$O(n)$~~ +

$O(1) + \dots + O(2) + \dots + O(4) + \dots + O(8) + \dots +$

$O(1)$

$O(1)$

$O(1)$ $O(1)$

↑ for each addition
↑ for shifting elements

- Now, to improve the performance of func() we can change the array type from static to dynamic.

Python

↳ list

array() ↳ dynamic array
↳ static array

- append() is easier in dynamic array
↳ very costly operation.

- static & dynamic array

↳ size is fixed at any point of time
↳ both provides linear, continuous memory

- Time complexity for traversing an array is constant; $O(1)$

- If our requirement only is to access the data, then array is best.
But if we want to remove, insert, append the data, the time complexity is $O(n)$.

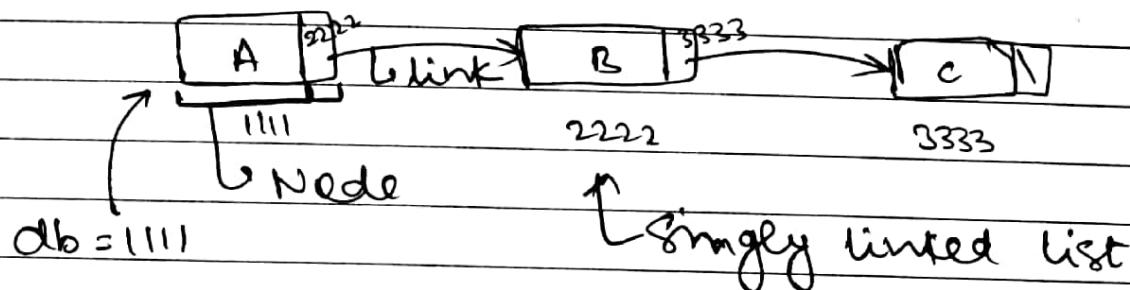
- If our requirement is to add, delete data then we use a data structure; linked list.

↳ no pre-created fn is there.

we need to create this data str.

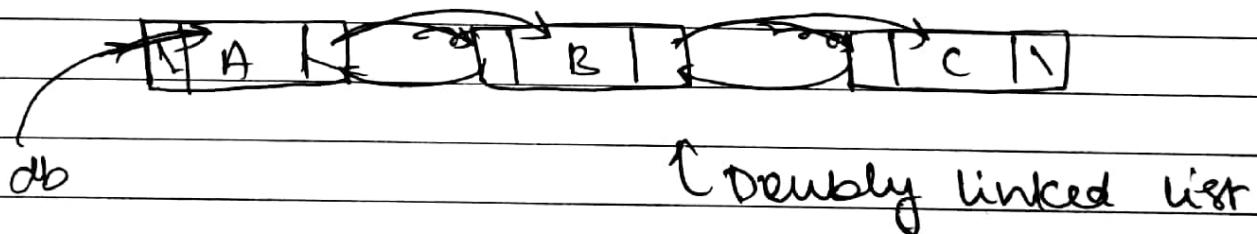
- linked list

- ↳ Don't need continuous memory
- ↳ We can delete random elements and don't need to reallocate the data

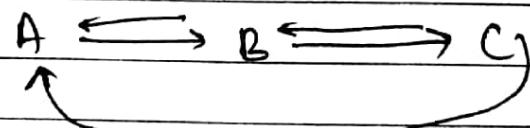


- Here, the traverse/^{access} operation is very slow. Time complexity = $O(n)$

- Use Case: In music player, we create our own custom playlist. These all the ~~old~~ songs are stored in linked list. but ~~now~~ here, we can't go back/previous.



- Here, we can also play the previous song.



↑ circular doubly
linked list

• Insertion / deletion operation
↳ O(1)

• Append operation

↳ O(n)

• Prepend operation

↳ O(n)

• Insertion / deletion at middle of list

↳ O(n)

• Insertion / deletion at end of list

↳ O(n)

• Insertion / deletion at beginning of list

↳ O(n)

• Insertion / deletion at middle of list

↳ O(n)

• Insertion / deletion at end of list

↳ O(n)

• Insertion / deletion at beginning of list

↳ O(n)

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• Insertion / deletion at beginning of list

↳ O(n)

• Insertion / deletion at middle of list

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↳ O(n)

• Insertion / deletion at beginning of list

↳ O(n)

• Insertion / deletion at middle of list

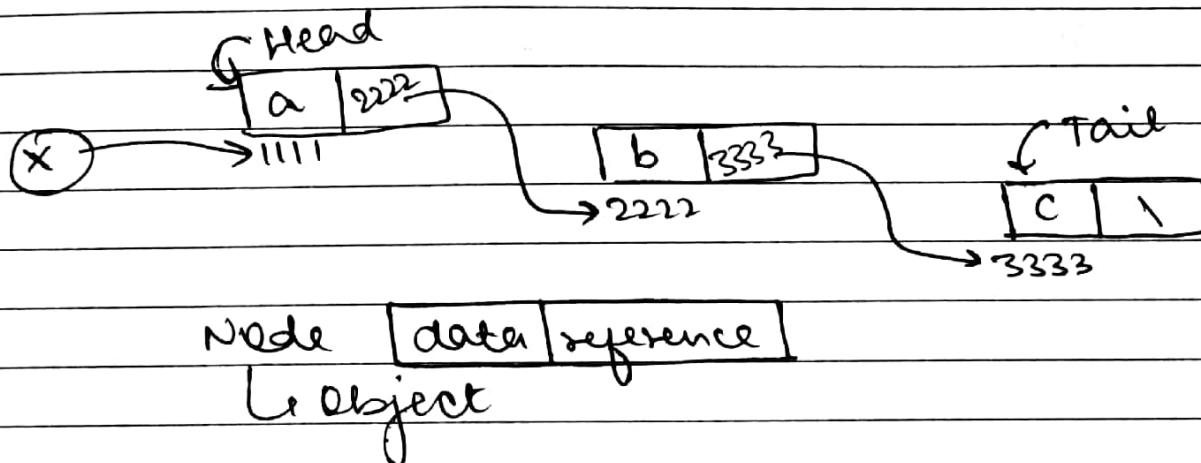
↳ O(n)

• Insertion / deletion at end of list

↳ O(n)

linked list \hookrightarrow custom DS

storage \hookrightarrow DB/NoSQL/FS



class SNODE:

```
def __init__(self, v):
    self.value = v
    self.nextnode = None
```

x1 = SNODE("a@gmail.com")

|
x1.value \hookrightarrow a@gmail.com
x1.nextnode
x1.__dict__

| gives all the values in
this object

x2 = SNODE("b@gmail.com")

| x2.__dict__

$x_3 = \text{SINODE}("c@gmail.com")$

$x_1.\text{nextnode} = x_2$

| $x_1.\text{dict}.$

I know it is linked to x_2

$x_2.\text{nextnode} = x_3$

$\text{head} = x_1$

head.value

$x_1 \curvearrowright \rightarrow a@gmail.com$

$x_2 \curvearrowright \rightarrow \text{head.nextnode.value}$

$\curvearrowright \rightarrow b@gmail.com$

$x_3 \curvearrowright \rightarrow \text{head.nextnode.nextnode.value}$

$\curvearrowright \rightarrow c@gmail.com$

traverse in LL : $O(n)$

~~total~~

while head is not None:

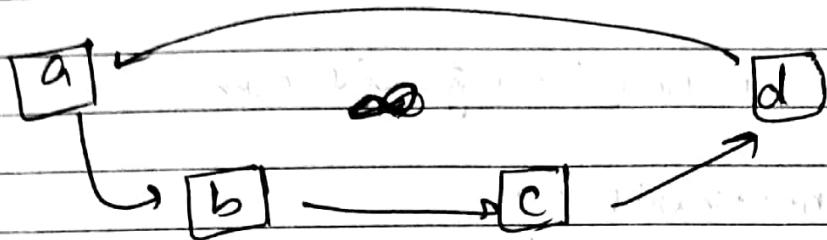
print(head.value)

head = head.nextnode

~~append~~ append : $O(1)$

$x_4 = \text{SINODE}("d@gmail.com")$

$x_3.\text{nextnode} = x_4$



Now, in ~~this~~ circular linked list
traverse operation is an infinite
loop.

here, $x^4.\text{nextnode} = x^1$

circular loop

number defined

number may have

number of 1 or 2

number may have

number of 1 or 2

number of 1 or 2 or 3 or 4 or 5 or 6 or 7 or 8 or 9 or 0

number of 1 or 2 or 3 or 4 or 5 or 6 or 7 or 8 or 9 or 0

number of 1 or 2 or 3 or 4 or 5 or 6 or 7 or 8 or 9 or 0

number of 1 or 2 or 3 or 4 or 5 or 6 or 7 or 8 or 9 or 0

number of 1 or 2 or 3 or 4 or 5 or 6 or 7 or 8 or 9 or 0

number of 1 or 2 or 3 or 4 or 5 or 6 or 7 or 8 or 9 or 0

number of 1 or 2 or 3 or 4 or 5 or 6 or 7 or 8 or 9 or 0

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DSA

Tree

- DSA

- ↳ Time

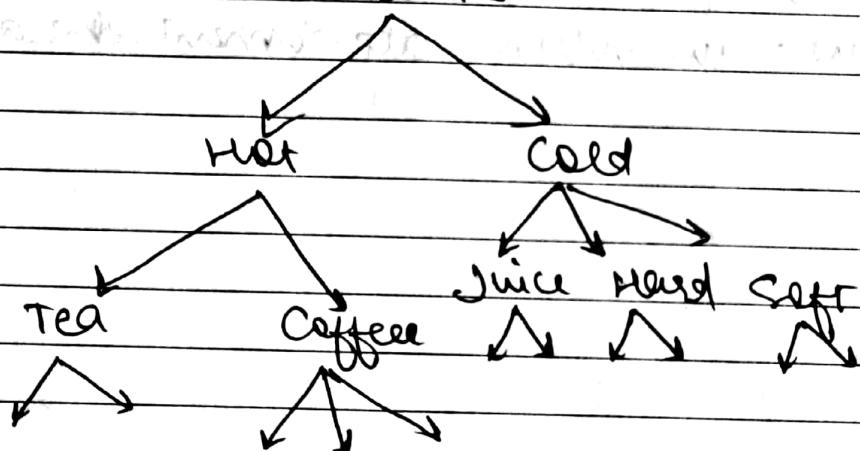
- ↳ Space

- ↳ Simplicity

• Ques. in, DSA is search operation

↳ ~~insertion~~ CRUD

Drinks

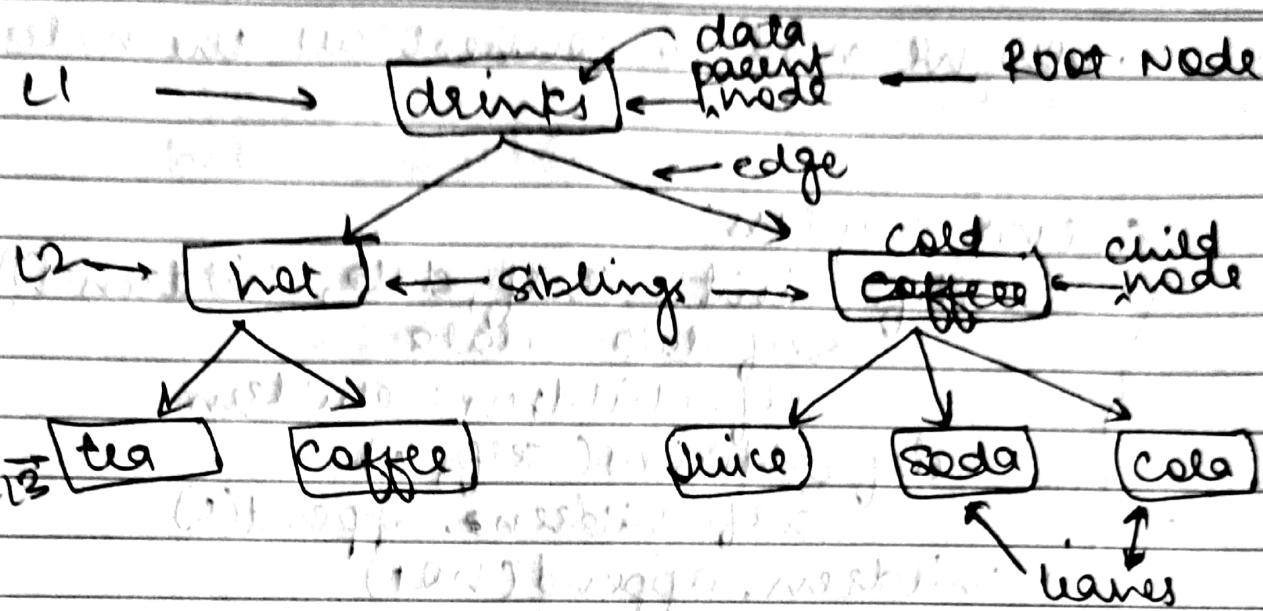


- Physical DS

↳ linked list
Array

- Tree → Plan

↳ Array (list)
(Implementation) linked list



#.py.

```

class MyClass:
    def __init__(self):
        self.data = "drinks"
  
```

```

a = MyClass()
  
```

```

a.data
  
```

\rightarrow prints "drinks"

```

class MyClass:
    def __init__(self, data):
        self.data = data
  
```

```

hot = MyClass("hot")
  
```

```

cold = MyClass("cold")
  
```

Now we need to connect all the nodes

class myclass:

def __init__(self, data, children=[]):

self.data = data

self.children = children

def addchild(self, c):

self.children.append(c)

a. children.append(net)

a. children.append(cold)

tea = myclass("tea", [])

tea.__dict__

class TreeNode:

def __init__(self, data, children[]):

self.data = data

self.children = children

def addchild(self, ^{TreeNode}c):

self.children.append(^{TreeNode}c)

a. addchild(net)

a. addchild(cold)

net.addchild(tea)

Coffee = Tree Node ("coffee", [])

hot.addchild(Coffee)

hot.dict

↳ 2 children

~~hot.addchild~~

Soup = Tree Node ("soup", [])

hot.addchild(Soup)

hot.dict

↳ 3 children

hot.children[0].data

↳ tea

[1].data

↳ coffee

for i in hot.children:
print(i.data)

for i in tree.children:

c = ~~tree~~.data & i print(i.data)

for j in c.children:

print(j.data)

↳ tea coffee soup

cola = PreNodo ("cola", [])

~~Cola~~

Cold. add child (cola)

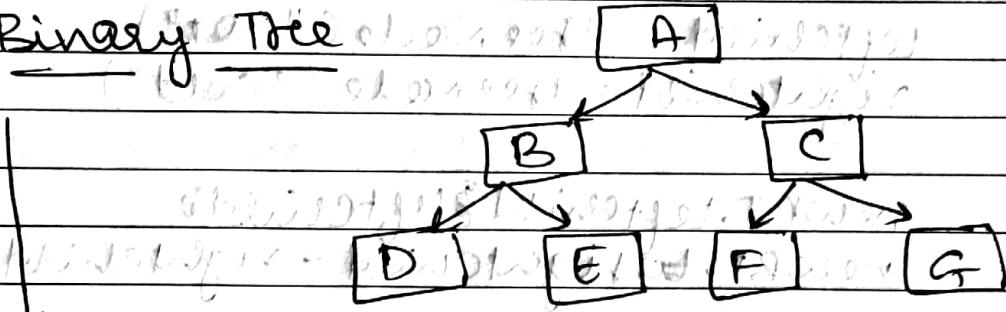
Session: 163

DSA

Tree

→ Array
→ L.L

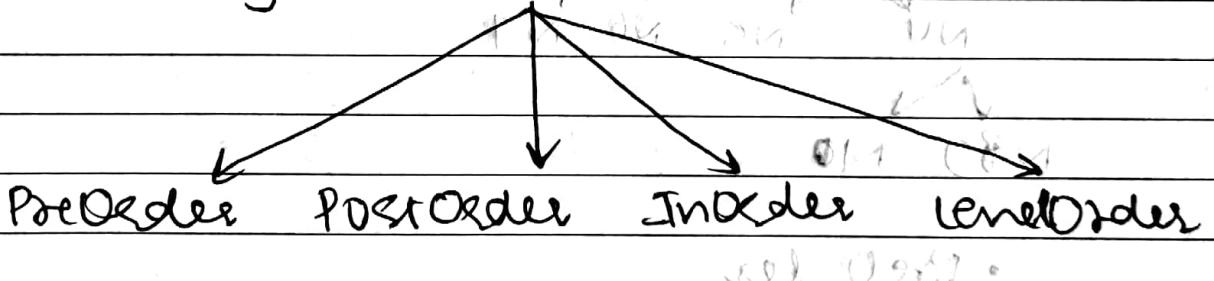
Binary Tree



Huffman Coding

- Most of the routing tables are based on Binary Tree
- Indexing also uses Binary Trees behind the scene.

Binary Tree Traversal



class TreeNode :

```

def __init__(self, data,
             self.data = data
             self.leftchild = None
             self.rightchild = None)
  
```

newBT = Tree Node ("Drinks")

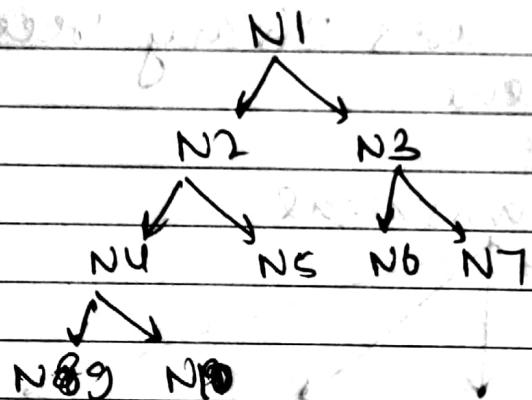
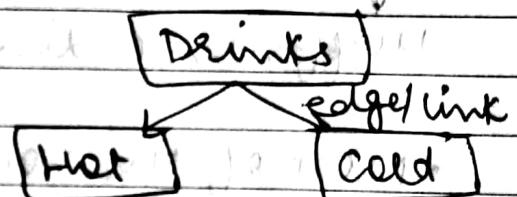
newBT.leftChild

leftChild = Tree Node ("Hot")

rightChild = Tree Node ("Cold")

newBT.leftChild.leftChild

newBT.leftChild.rightChild = rightChild



Pre Order

root → left → right

e.g.: N1 → N2 → N4 → N9 → N10 → N5

N7 ← N6 ← N3



Drinking time
drinking
and
eating

```

def preOrderTraversal(rootNodetree):
    if not tree:
        return
    print(tree.data)
    preOrderTraversal(tree.leftchild)
    preOrderTraversal(tree.rightchild)
    preOrderTraversal(rootNode)

```

• PostOrder

process

left → right → root

ex: N9 → N10 → N4 → N5 → N2 → ~~N3~~

N1 ← N8 ← N7 ← N6

```

def postOrderTraversal(tree):

```

if not tree:

return

~~postordT~~(tree.leftchild)

~~postordT~~(tree.rightchild)

print(tree.data)

• InOrder

left → root → right

ex: N9 → N4 → N10 → N2 → N5 → N1

N7 ← N3 ← N6

def inorder —

~~if tree == None:~~
 \\$inorder — (tree.leftchild)

 print(tree.data)

 inorder — (tree.rightchild)

 if tree == None:
 return

 inorder(tree.leftchild)

 print(tree.data)

 inorder(tree.rightchild)

 if tree == None:
 return

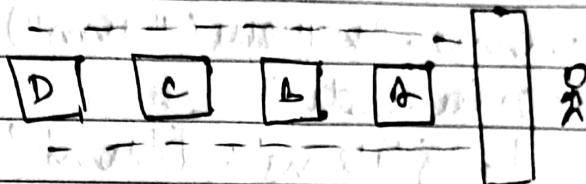
Session 16c

DSIR

Queue (FCFS) / FIFO

↳ first come first serve basis

↳ First In First Out



ex: Jobs in map reduced cluster.

Python

>>> q = []

q.insert(0, "a")

↳ ["a"] enqueue

q.insert(0, "b")

↳ ["b", "a"]

q.insert(0, "c")

↳ ["c", "b", "a"]

q.pop() ← dequeue

↳ ["a", "b"]

q.pop() ← dequeue

↳ ["b"]

#.py

class Queue:

def __init__(self):

self.items = []

def enqueue(self, item):

self.items.insert(0, item)

def dequeue(self):

return self.items.pop()

movie = Queue()

movie.enqueue("krish")

movie.enqueue("jam")

movie.enqueue("tom")

movie._dict

Le { 'items': ['tom', 'jam', 'krish'] }

movie.dequeue()

Le 'krish'

movie.dequeue()

Le 'jam'

Le 'tom'

PART OF
CURS

{ def size(self):

~~self.items~~

~~len~~

return len(self.items)

def isEmpty(self):

~~return~~ self.items == []

def peek(self):

return self.items[-1]

*.py

import queue as q

dir(q)

} we can also

} import from lib.

mylist = q.Queue()

del(mylist)

↳ Use all the fns.

from multiprocessing import Queue

queue

q3 = Queue(maxsize=3)

q3.put(1)

q3.put(2)

q3.put(3)

(1, 2, 3) ↳ queue

but q3.get()

return 1st item from q3. It will print 1st item.

It has 3 arguments at queue. 1st item.

On running

100% used & new 960ms of total 900.

behaviour of thread

100% used & 100% free but still working

at same time but by each thread

at same time but by each thread

100% used

task is not working with other things

↳ 100% used & 100% free but still working

at same time but by each thread

100% used & 100% free but still working

↳ 100% used & 100% free but still working

at same time but by each thread

100% used & 100% free but still working

at same time but by each thread

session: 166

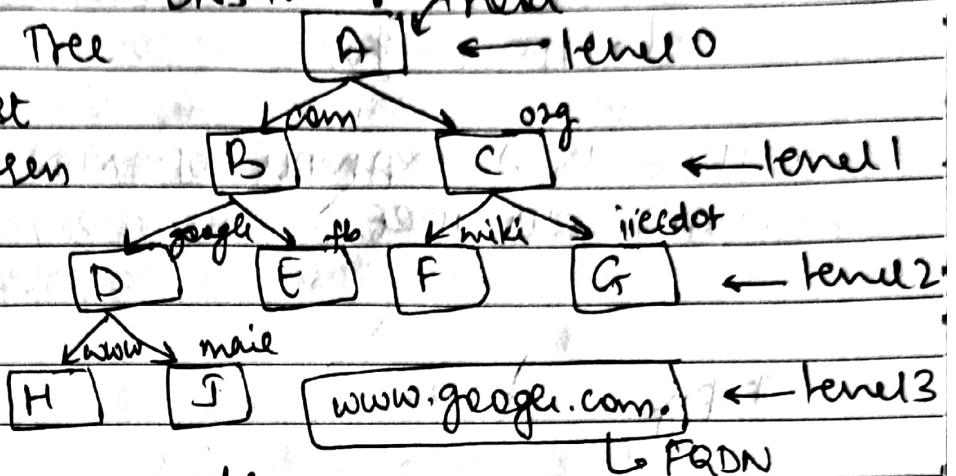
DSA

DNS Tree • root

- Binary Tree

↳ almost

2 children

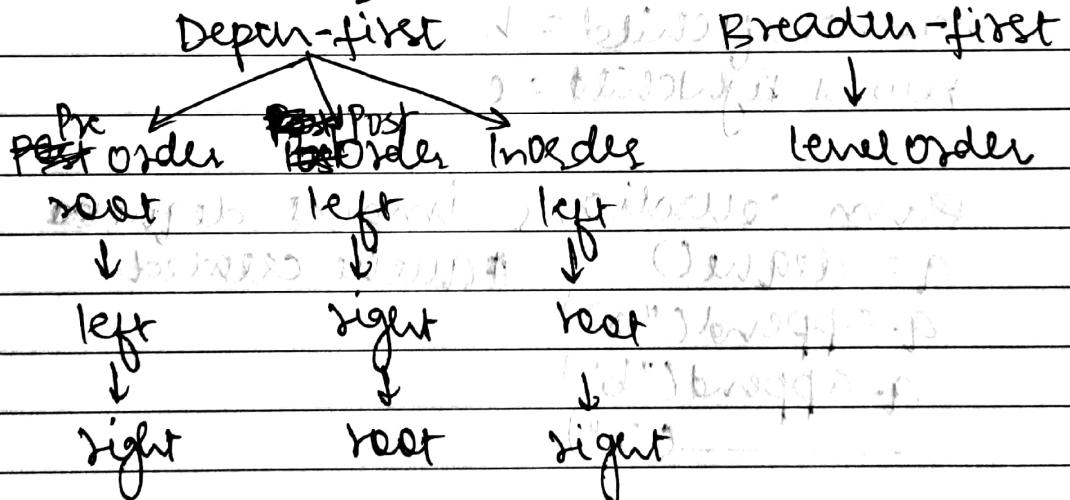


- Generic Tree; can have more than 2 children

- we calculate the depth of a node w.r.t. the root.

- More depth & more time required

Traversals of Tree



- Level Order (Breadth-first)

↳ FIFO (algo)

- TREE IS A EXAMPLE OF NON-LINEAR DATA STRUCTURE.

#.py

```
class TreeNode:
```

```
    def __init__(self, data):
```

```
        self.data = data
```

```
        self.leftChild = None
```

```
        self.rightChild = None
```

```
newBT = TreeNode("Drinks")
```

```
h = TreeNode("Hot")
```

```
c = TreeNode("Cold")
```

```
newBT.leftChild = h
```

```
newBT.rightChild = c
```

```
from collections import deque
```

```
q = deque() # Queue created
```

```
q.append("a")
```

```
q.append("b")
```

```
q.append("c")
```

def level_order_traversal(rootNode):

if rootNode is None:

return "no node found"

~~else~~ deque(q)

q = deque()

q.append(rootNode)

while len(q) != 0:

p = q.popleft()

print(p.data)

if p.leftchild is not None:

q.append(p.leftchild)

if p.rightchild is not None:

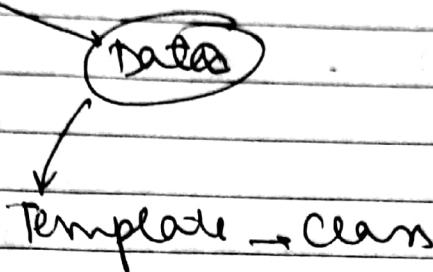
q.append(p.rightchild)

Session: 169

DEPT

Abstract Data Type

Process

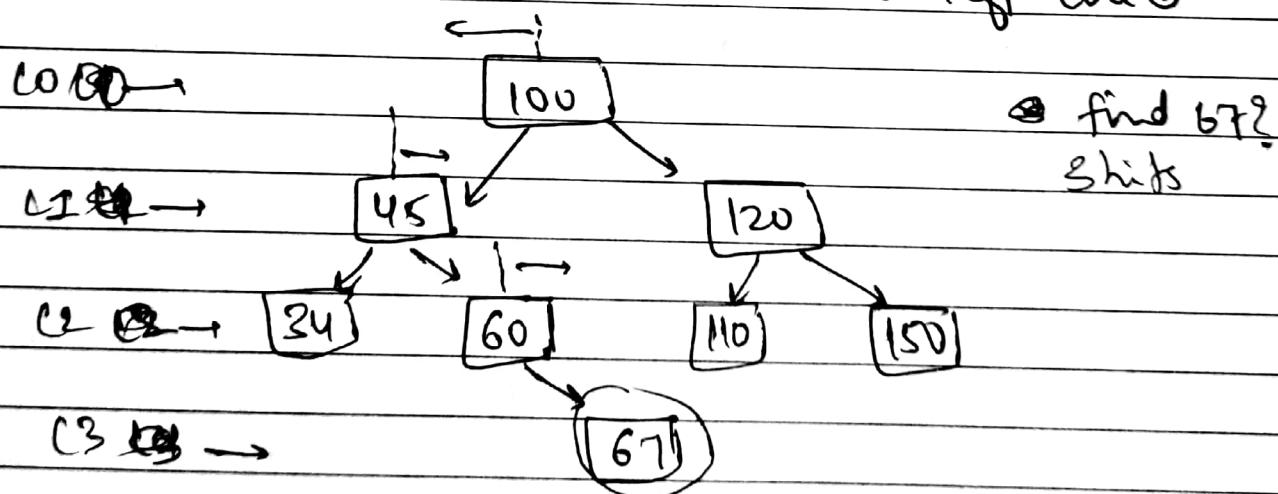


List = [13, 1, 12, 19, 21]

Binary Search Tree

List = [100, 120, 45, 60, 34, 67, 150, 91, 110]

- If the child is gr. than root then it is the right child. If child is less than root then it is left child



- We can observe $O(n)$ to $O(\log_2 n)$ without sorting the data.

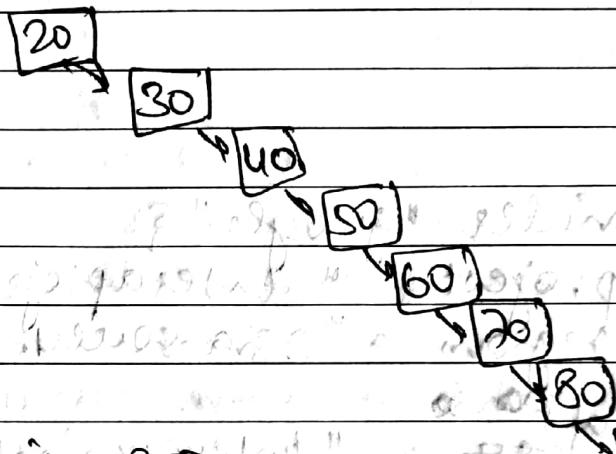
search = 110

$$\text{Time} = \log_2 \text{total data}$$

$$= \underline{\underline{3}}$$

ordinary algo = $O(n) \approx 8$

$$x = [20, 30, 40, 50, 60, 70, 80, 90]$$



$$\text{Time} = 8$$

(+3)

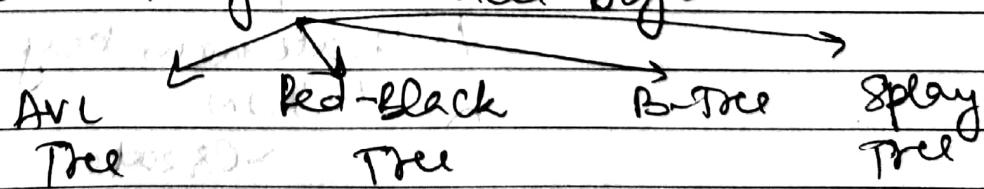
exception in BST.

If we provide data in sorted order the worst time is $O(n)$ not $\log n$.

Construct Tree

↳ height of tree is balanced

Degs → Height Balanced Degs



Session: 170

DSR

Binary Search Tree

#.py

class BSTNode:

def __init__(self, data):

self.data = data

self.leftChild = None

self.rightChild = None

newNode = BSTNode(None)

def insertNode(rootNode, nodeValue):

if rootNode.data == None:

rootNode.data = nodeValue

elif nodeValue <= rootNode.data:

if rootNode.leftChild is None:

rootNode.leftChild = BSTNode(nodeValue)

else:

insertNode(rootNode.leftChild, nodeValue)

else:

if rootNode.rightChild is None:

rootNode.rightChild = BSTNode(nodeValue)

else:

insertNode(rootNode.rightChild, nodeValue)

return "node insertion success...."

insertNode (newNode, 60)

insertNode (newNode, 60)

insertNode (newNode, 80)

insertNode (newNode, 20)

insertNode (newNode, 50)

insertNode (newNode, 90)

insertNode (newNode, 70)

Best case = O(1)

Worst case = ~~O(n log n)~~

Time complexity

AVL = O(n)

Height balanced binary search tree

AVL = O(n log n)

Height balanced binary search tree

AVL = O(n log n)

AVL = O(n log n)