

## Assignment-2

### 1. Theoretical Description

A matrix is considered sparse if it is populated by only a few non-zero values. This is in contrast with a dense matrix, which is filled with multiple non-zero values. Matrices like these are commonplace in many situations.

For instance, in a social media platform, there are multiple users registered, but each of them is connected only with a few people. Therefore, the interaction matrix can be of million-by-million in size, but it would have at most one hundred non-zero entries in each row, and can be rightfully dubbed sparse.

### 2. The Problem

- Create two sparse rating matrices **A**, **B** of size  $m*n$ ; where  $m$  = number of user, and  $n$  = number of item. These rating matrices will contain ratings given by different users to different items at 2 different timestamp. Generate the value of ratings  $r$  so that they lie between 1 to 5, and the value of  $p$  which lies between 0 and  $n/20$ . Select  $p$  random column indices of matrix using any in-built function and fill them with the rating values.
- Write a function to represent A, B as sparse matrix representation. Print A and B in sparse matrix representation.
- Write a function to represent a sparse matrix **C** which is an average of **A** and **B**;  $C = (A + B)/2$ . Print **C**.
- Compare the time taken to calculate the average of matrices in normal 2D representation and sparse matrix representation. Also, compare the time complexity when the matrix size is increased. (Note: Increase the value of  $n$  for the comparison, i.e.,  $n = 50, 10,000$ , and  $10^6$ .)