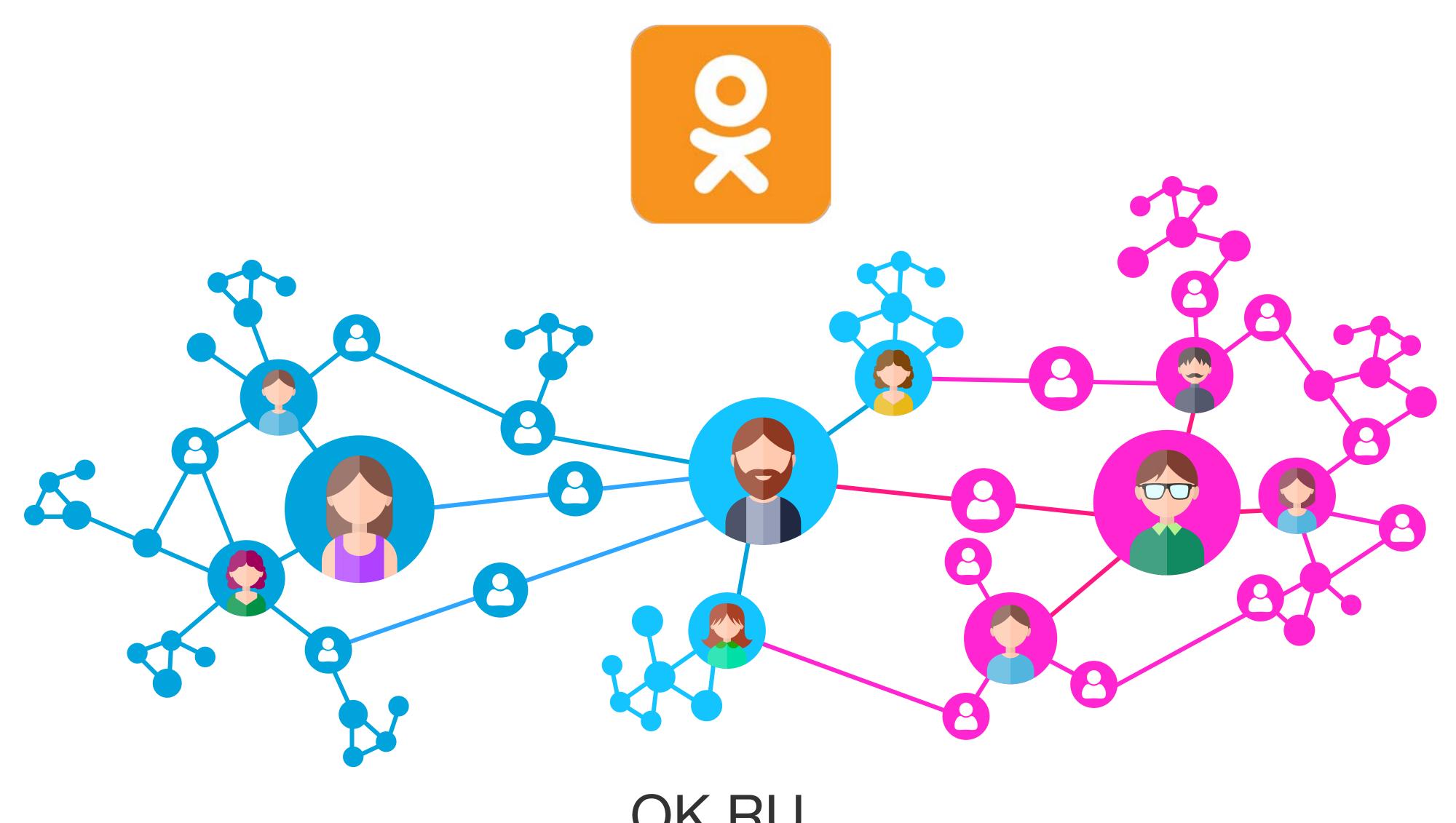
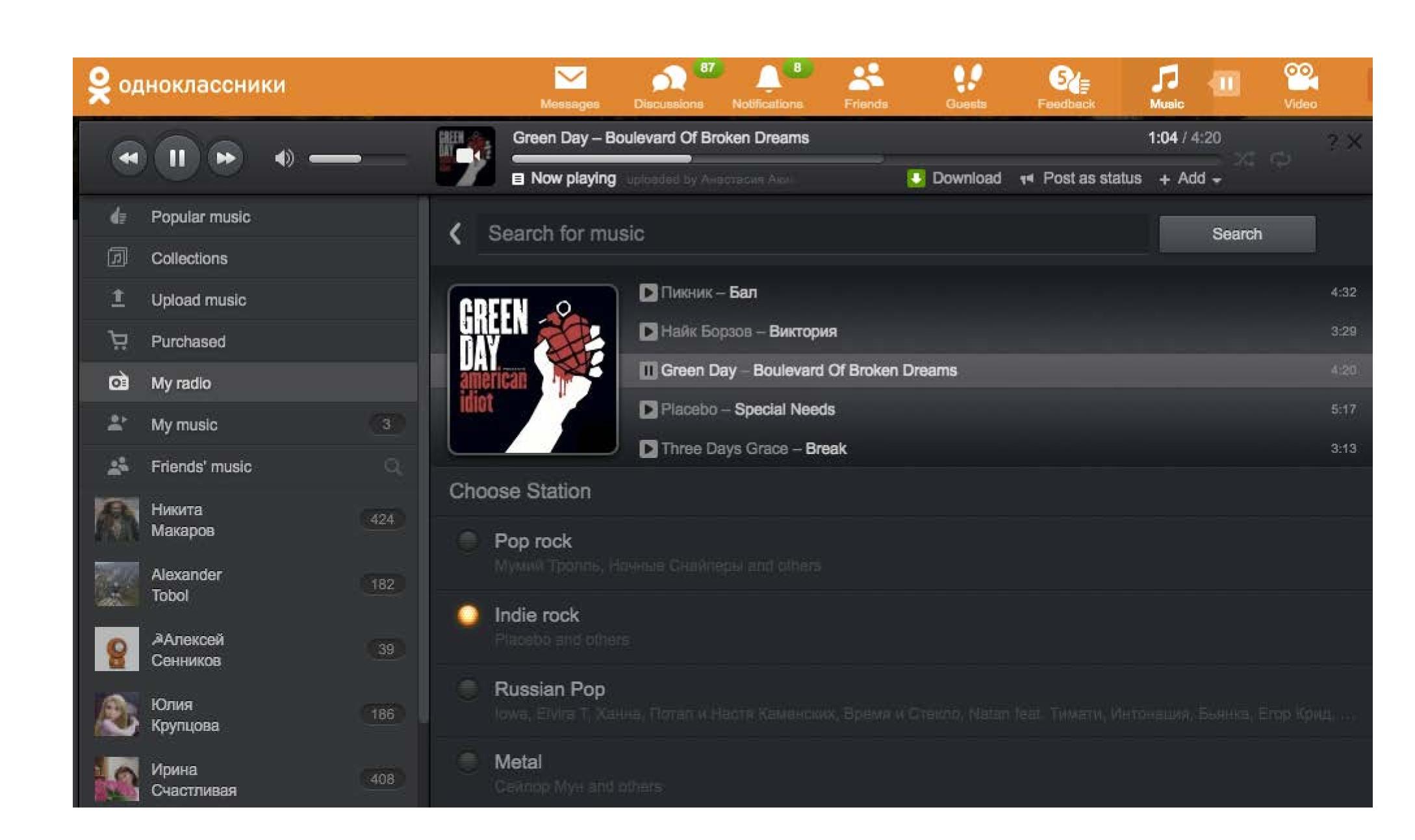
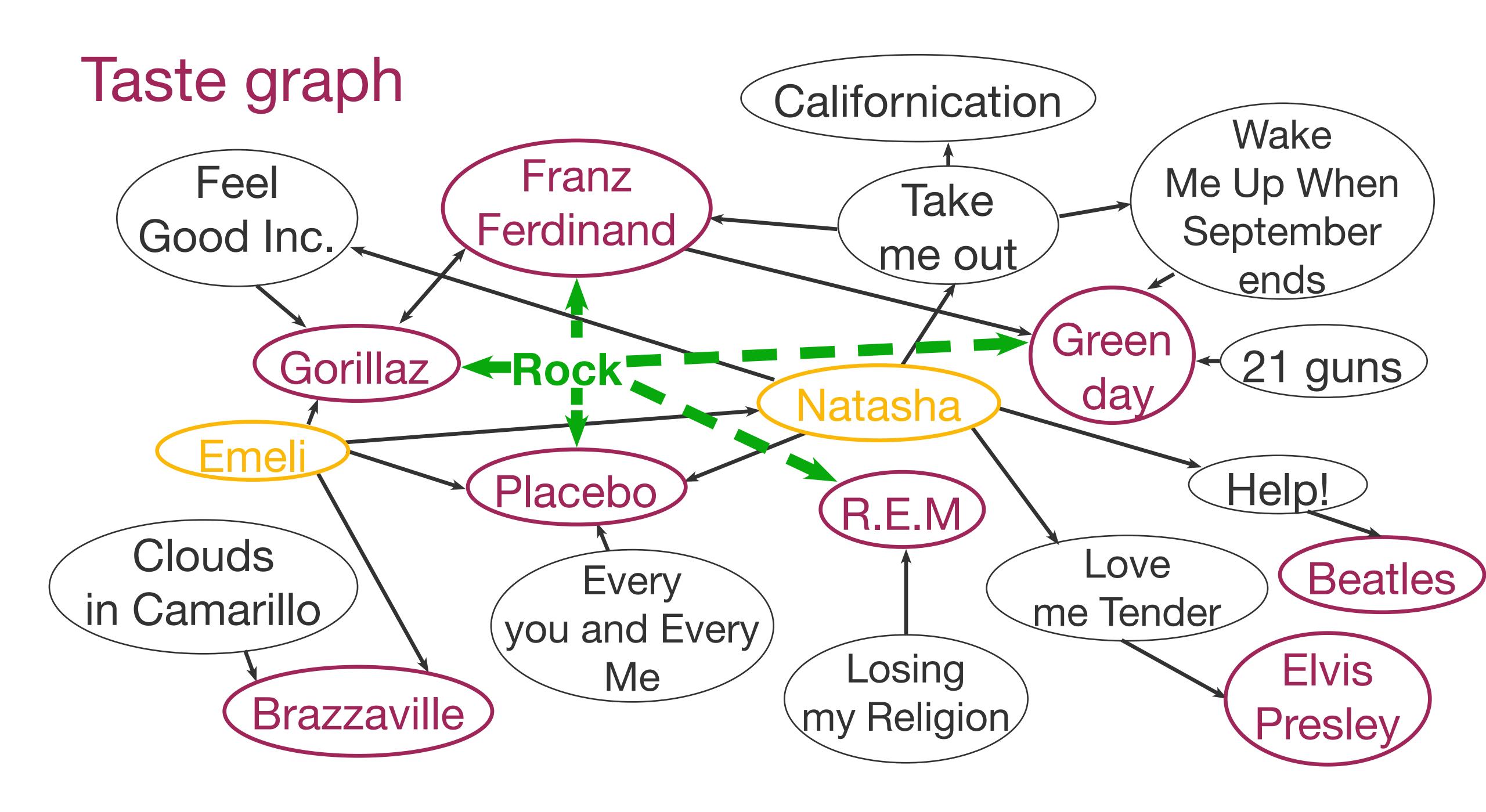
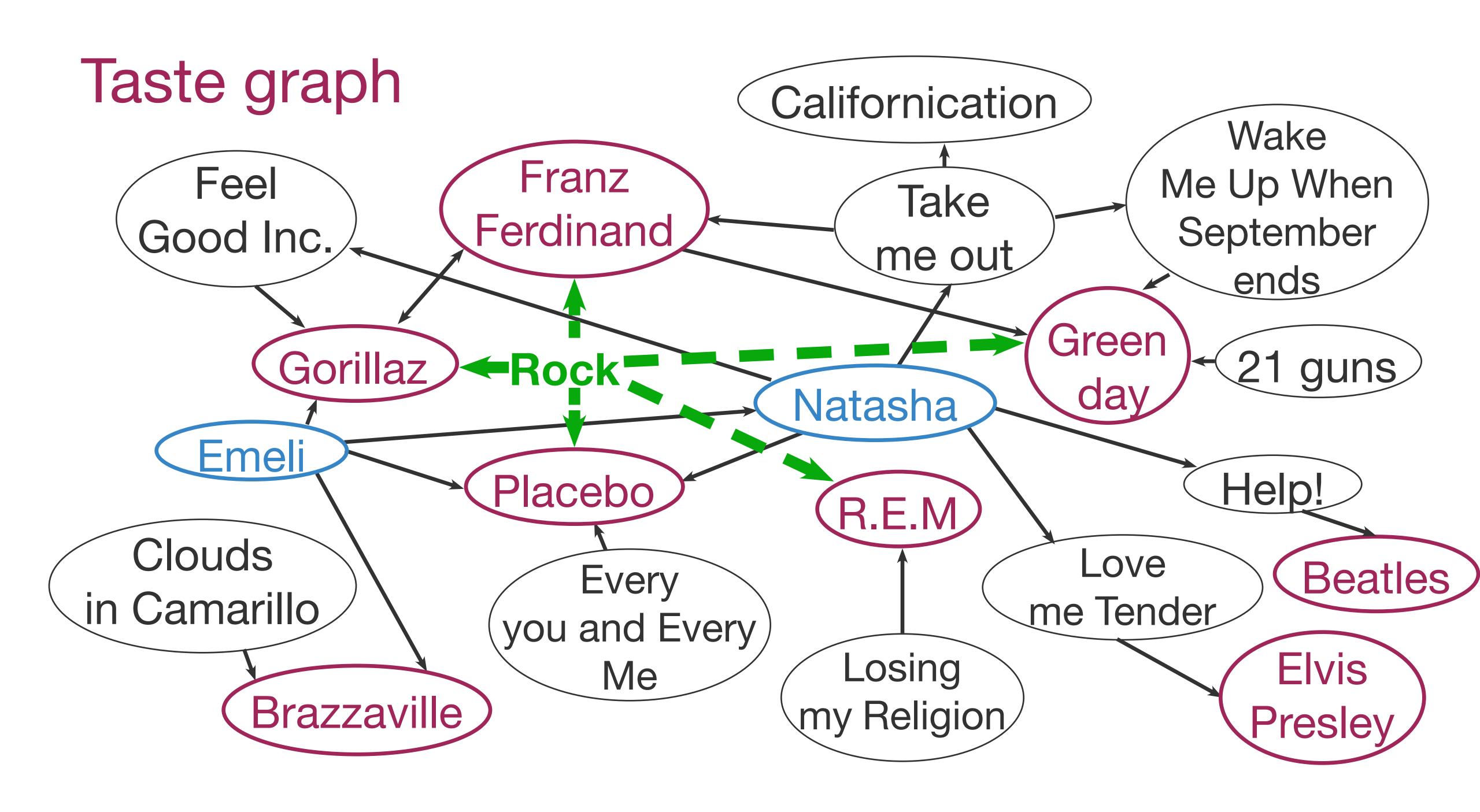
## Taste graph: components

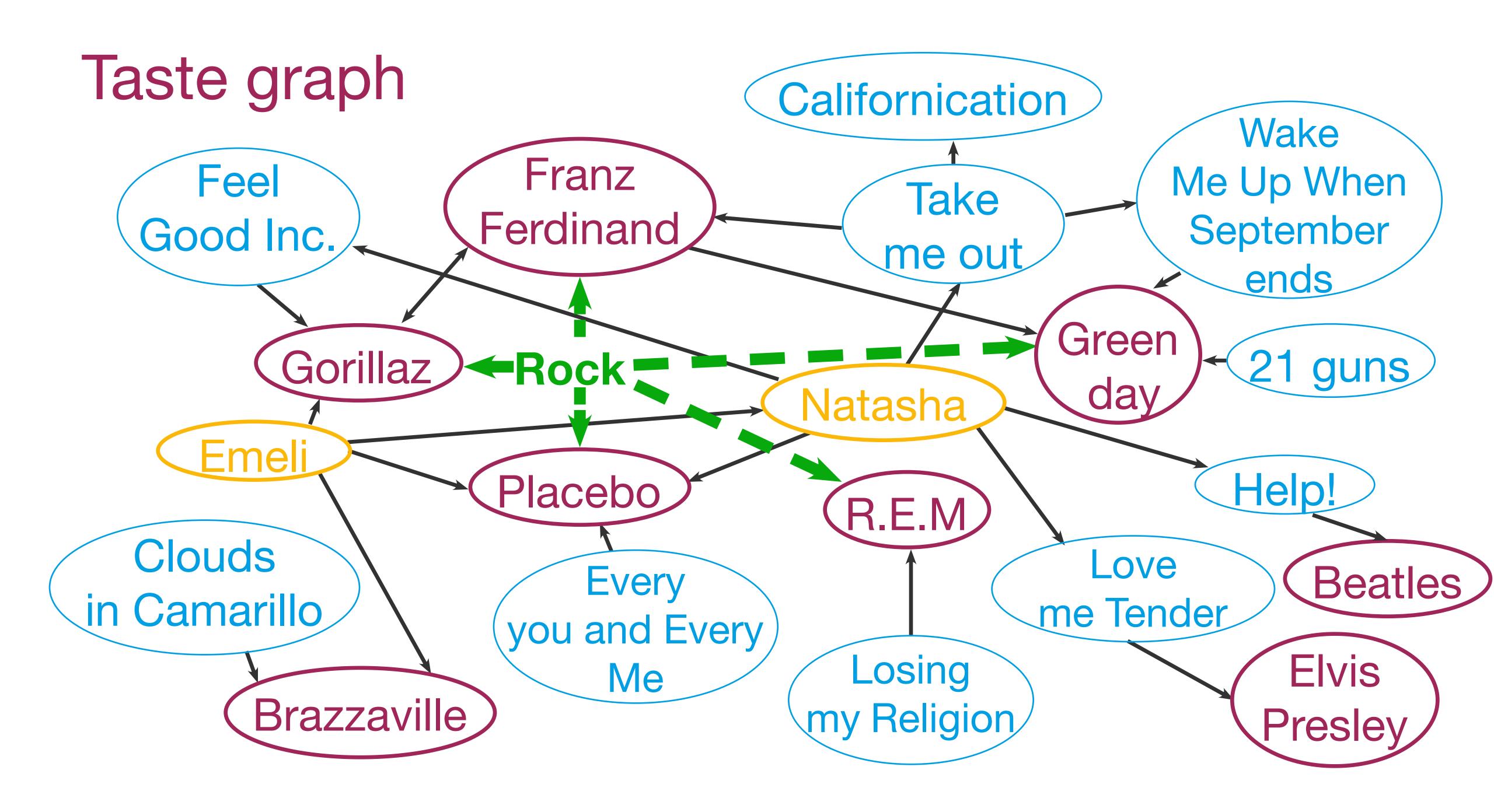


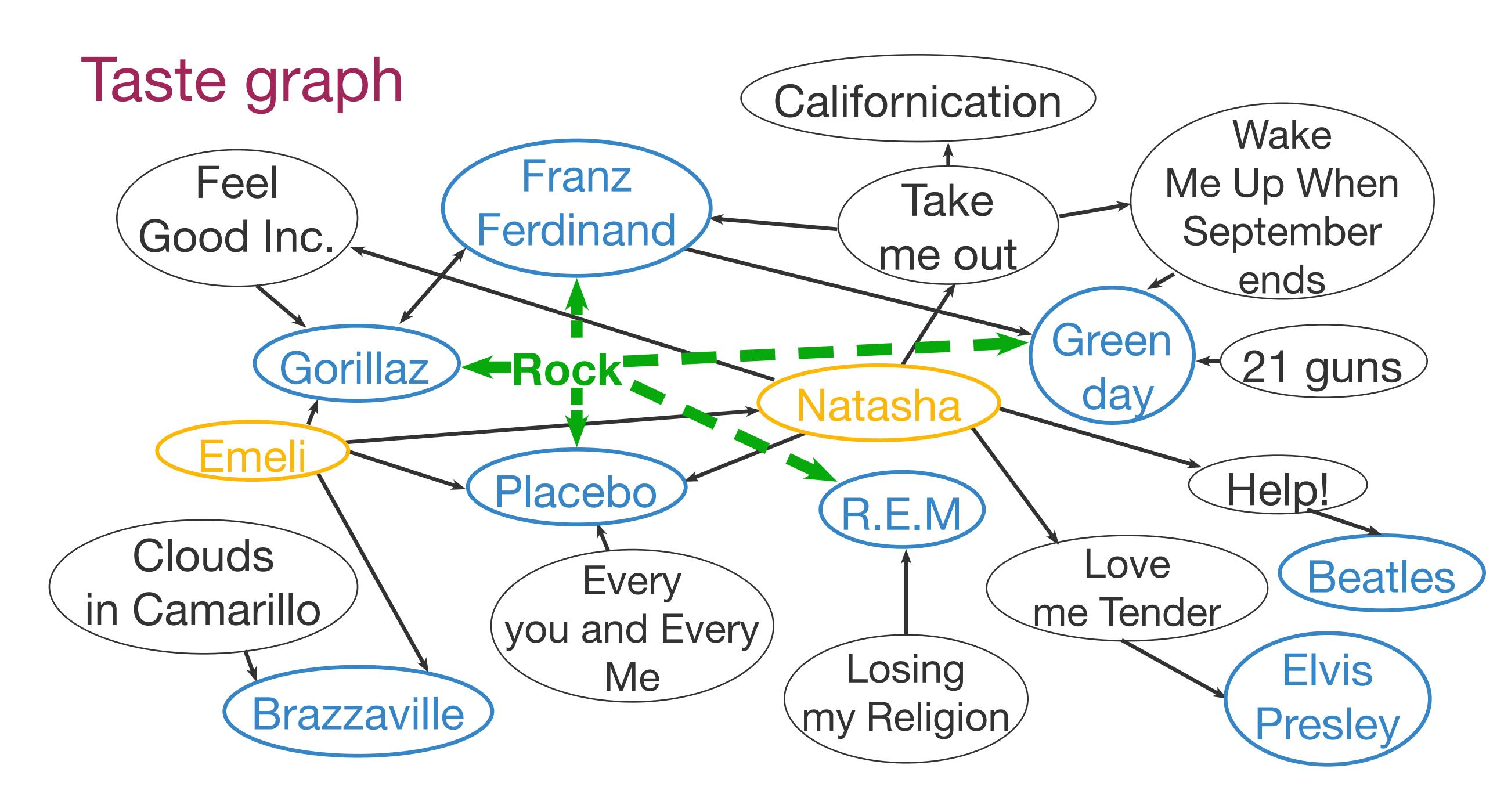
OK.RU

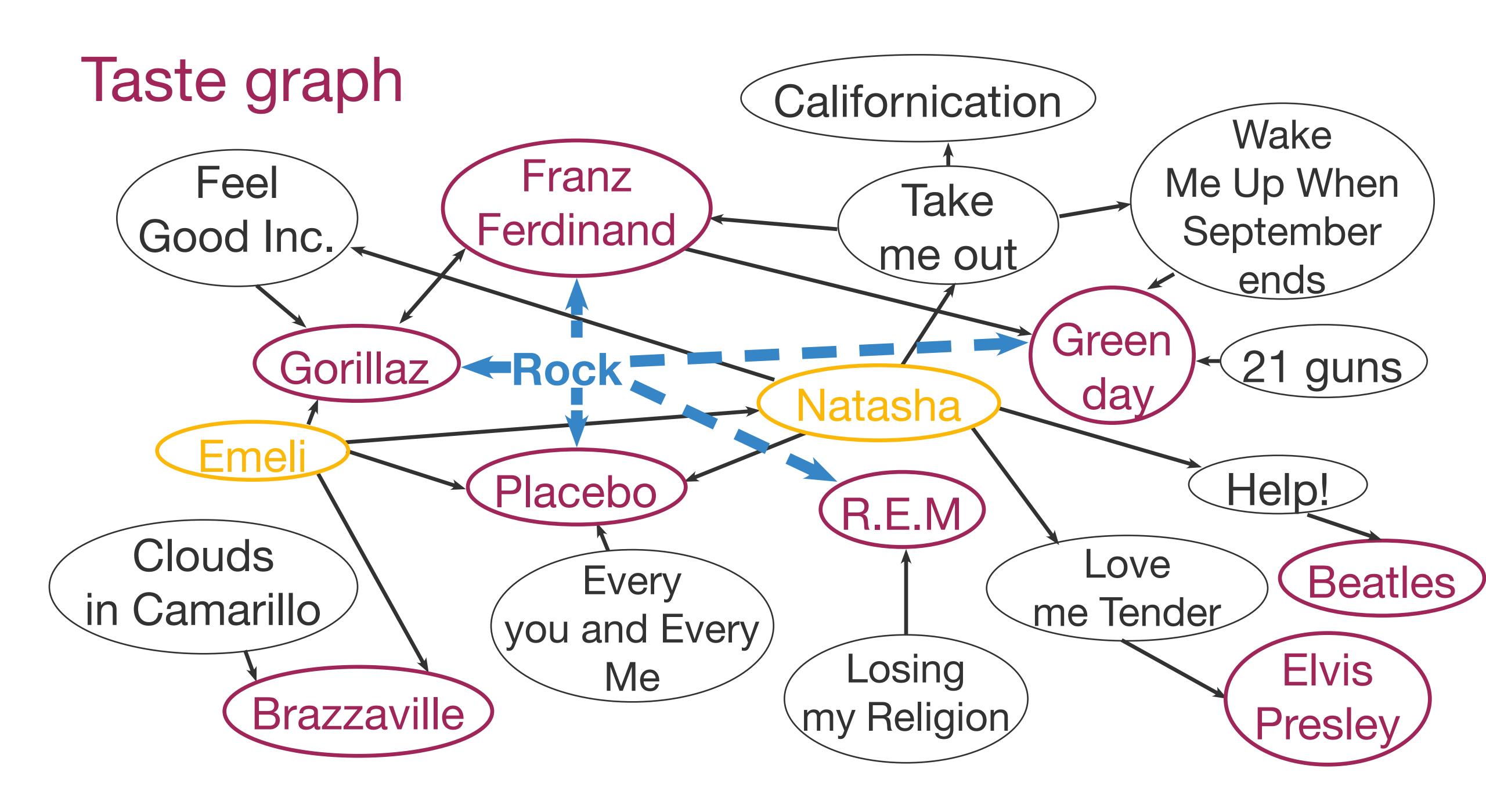


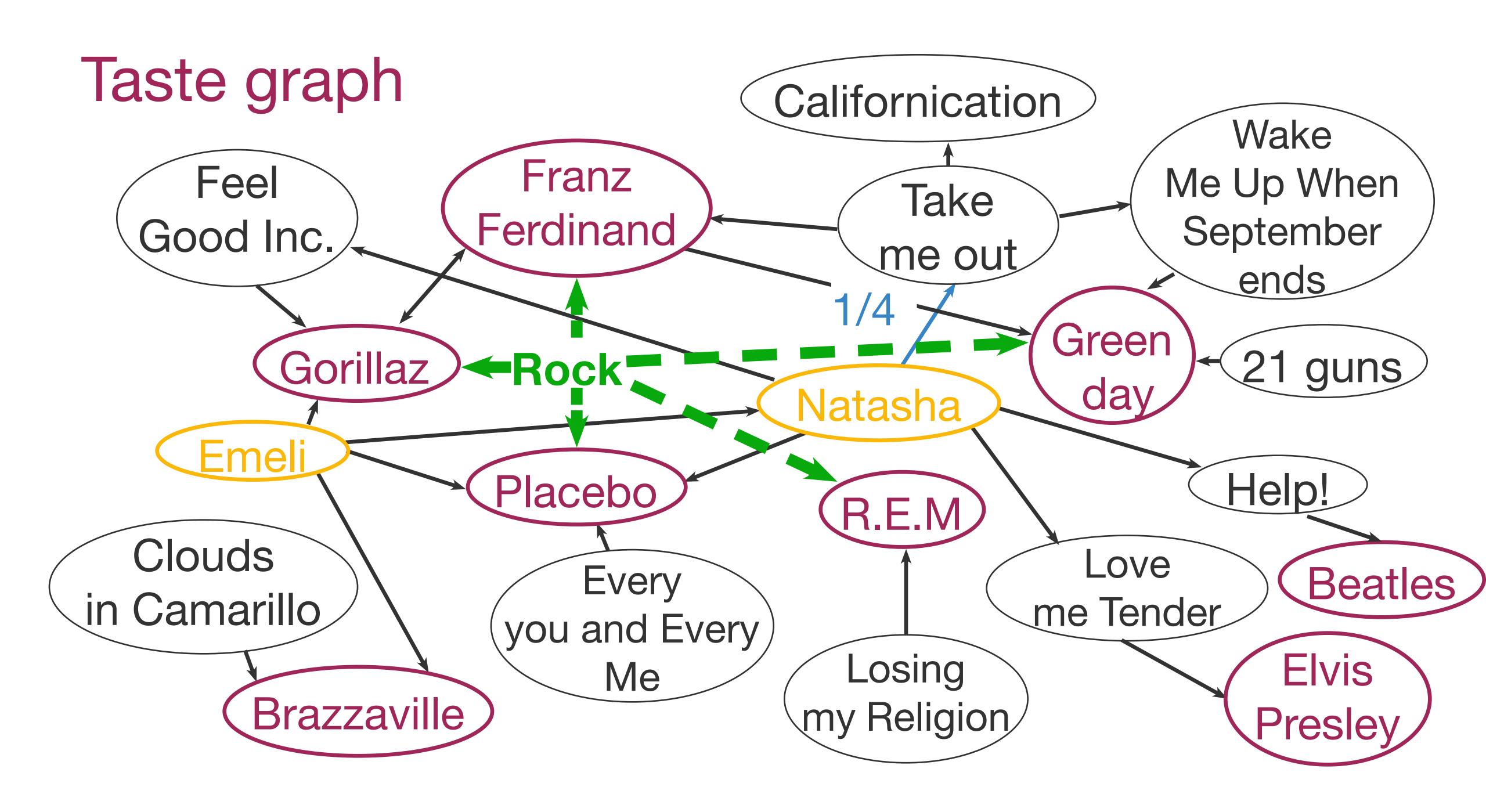


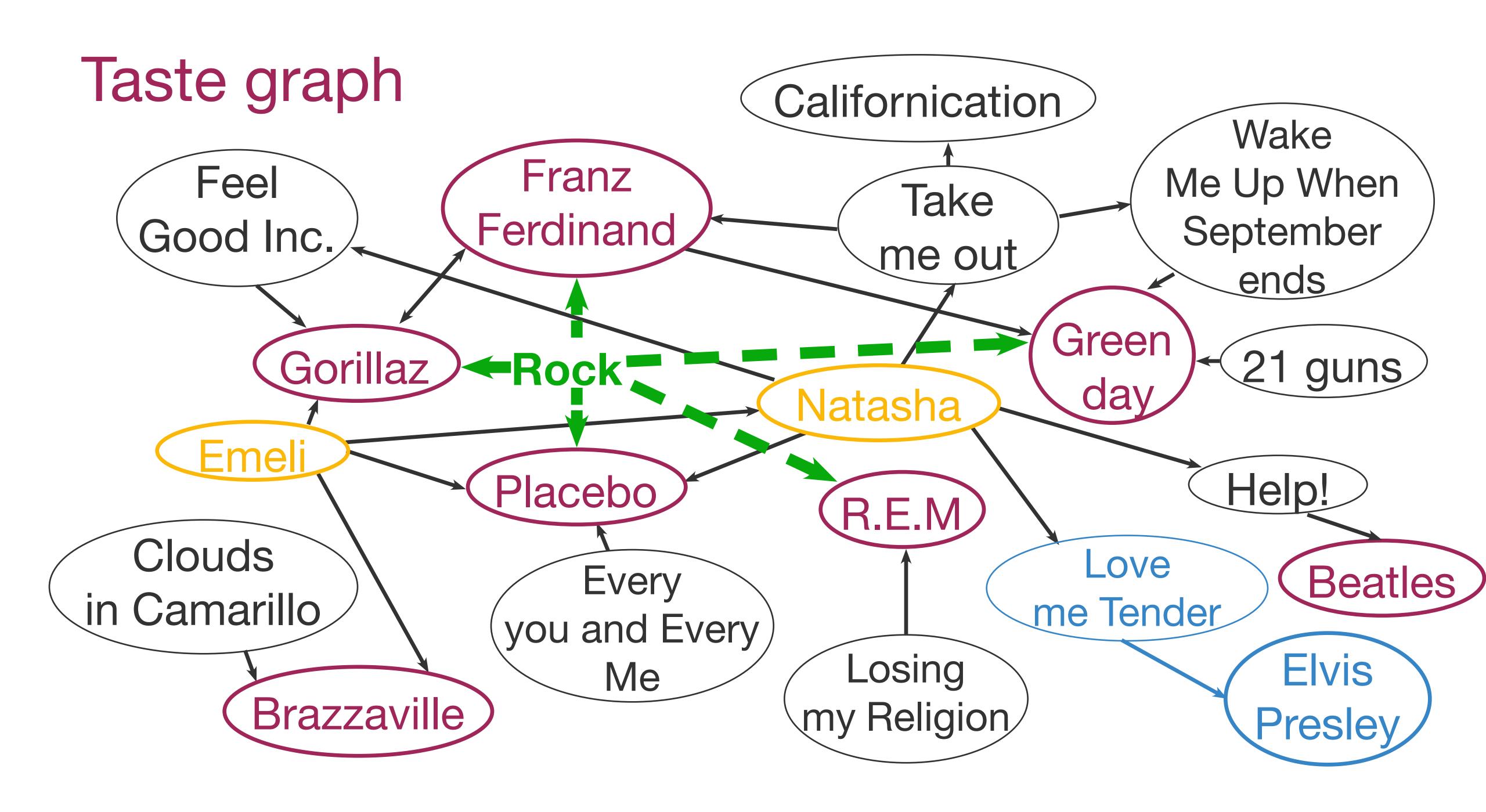


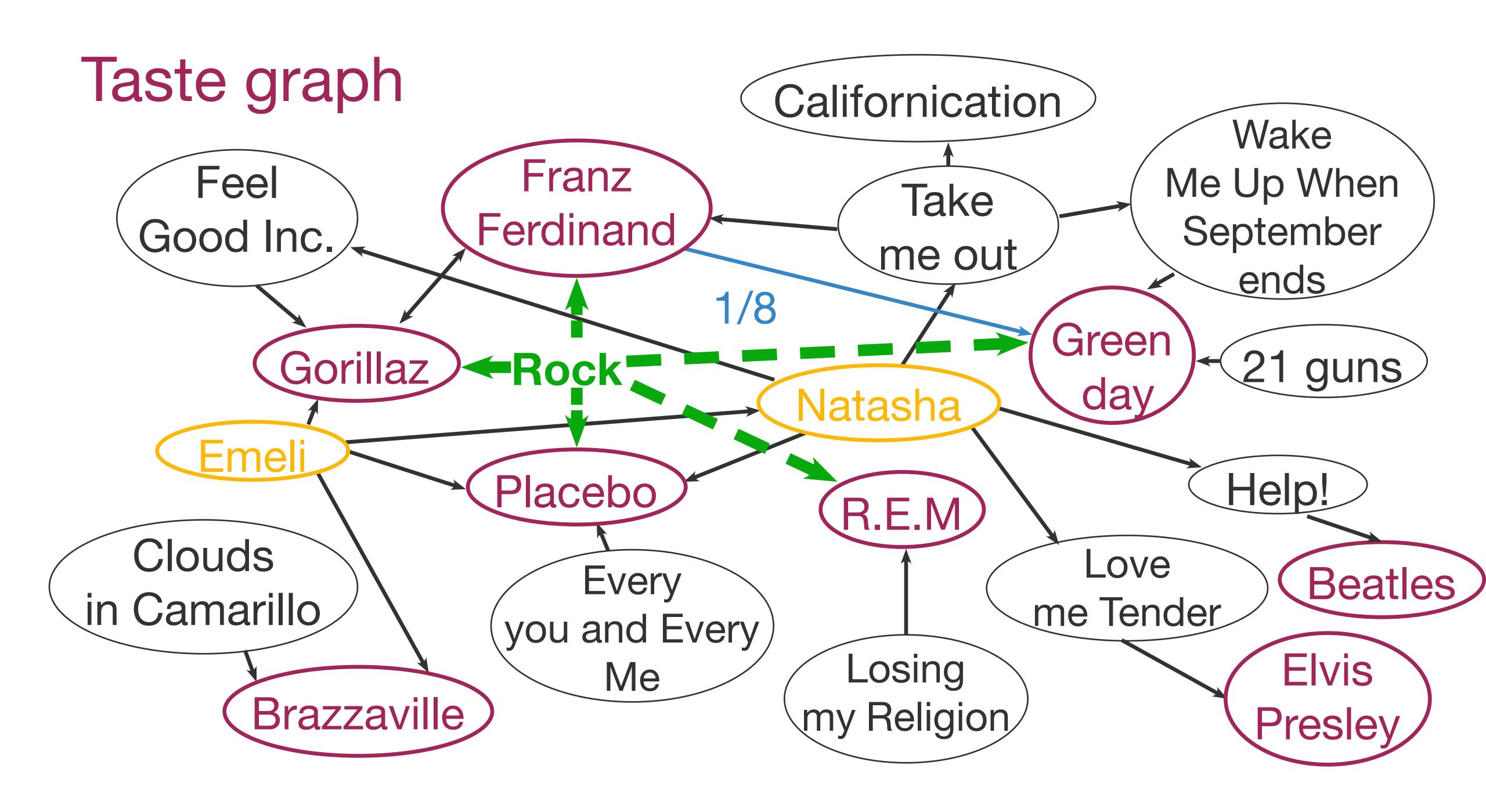




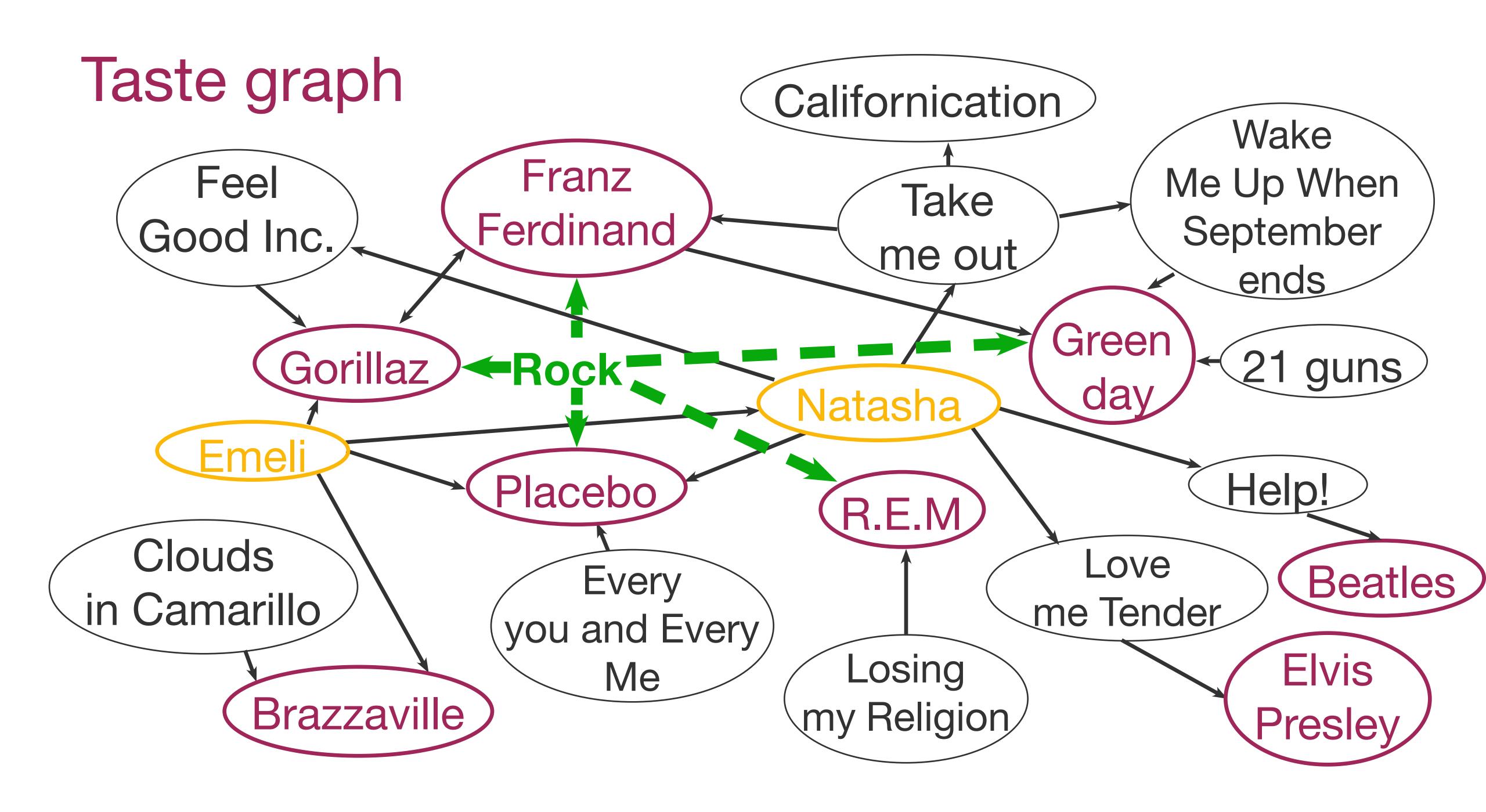








- 1. History of users' activity
- 2. Content information
- 3. Social data



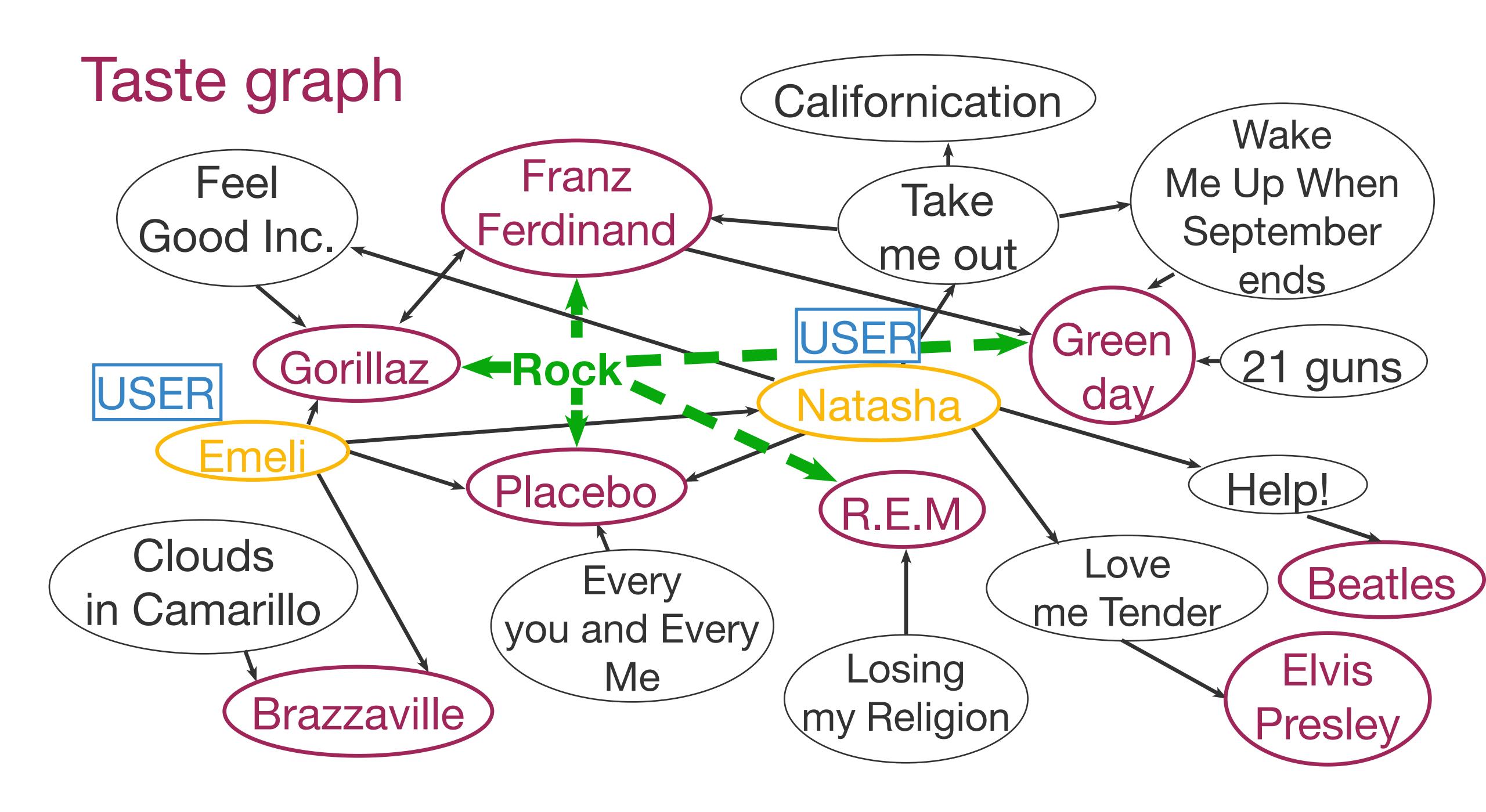
 $\langle V, \theta, T_V, \tau_V, E, T_E, \tau_E, R, \omega \rangle$  - taste graph

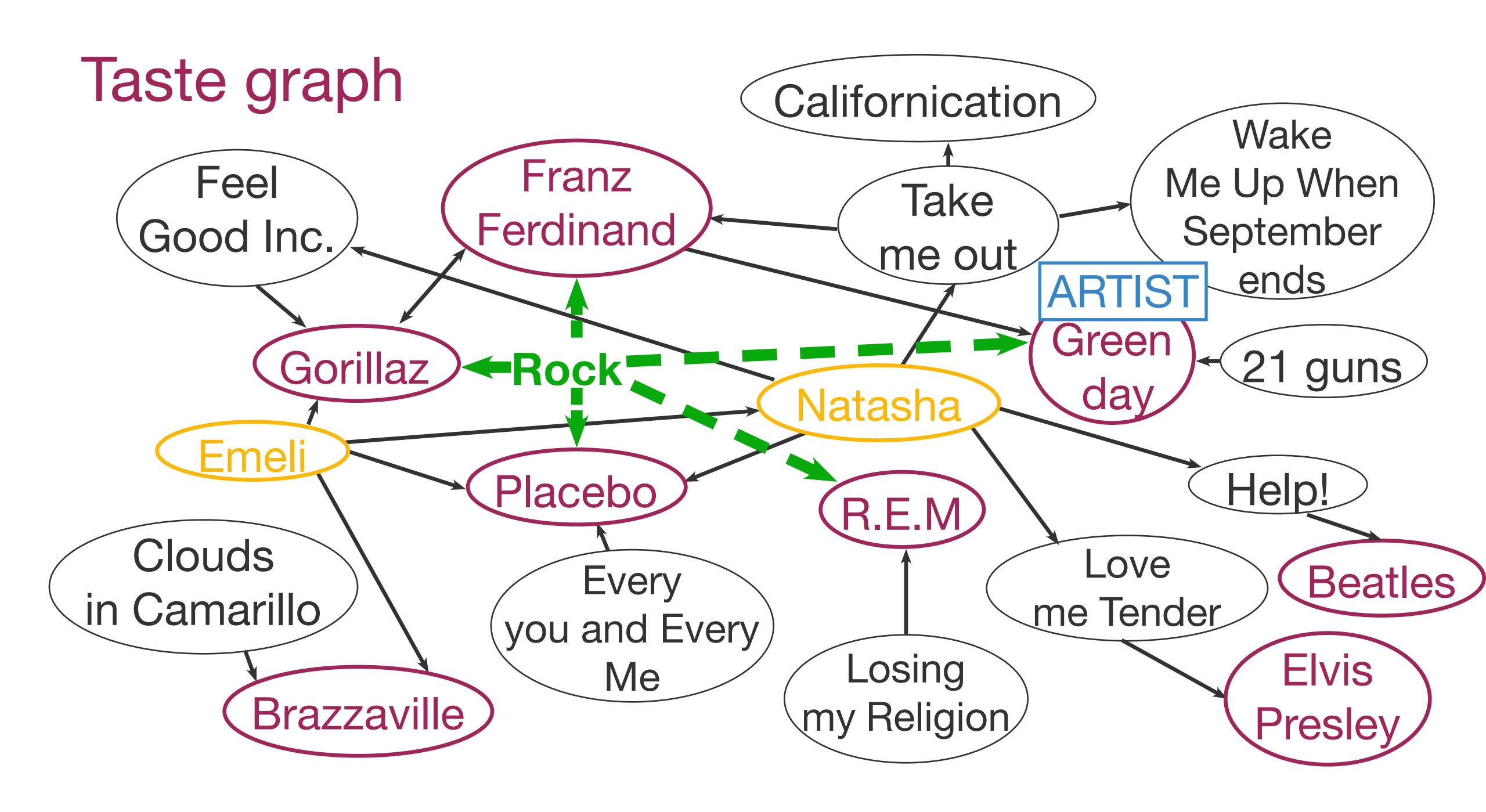
V - vetrices

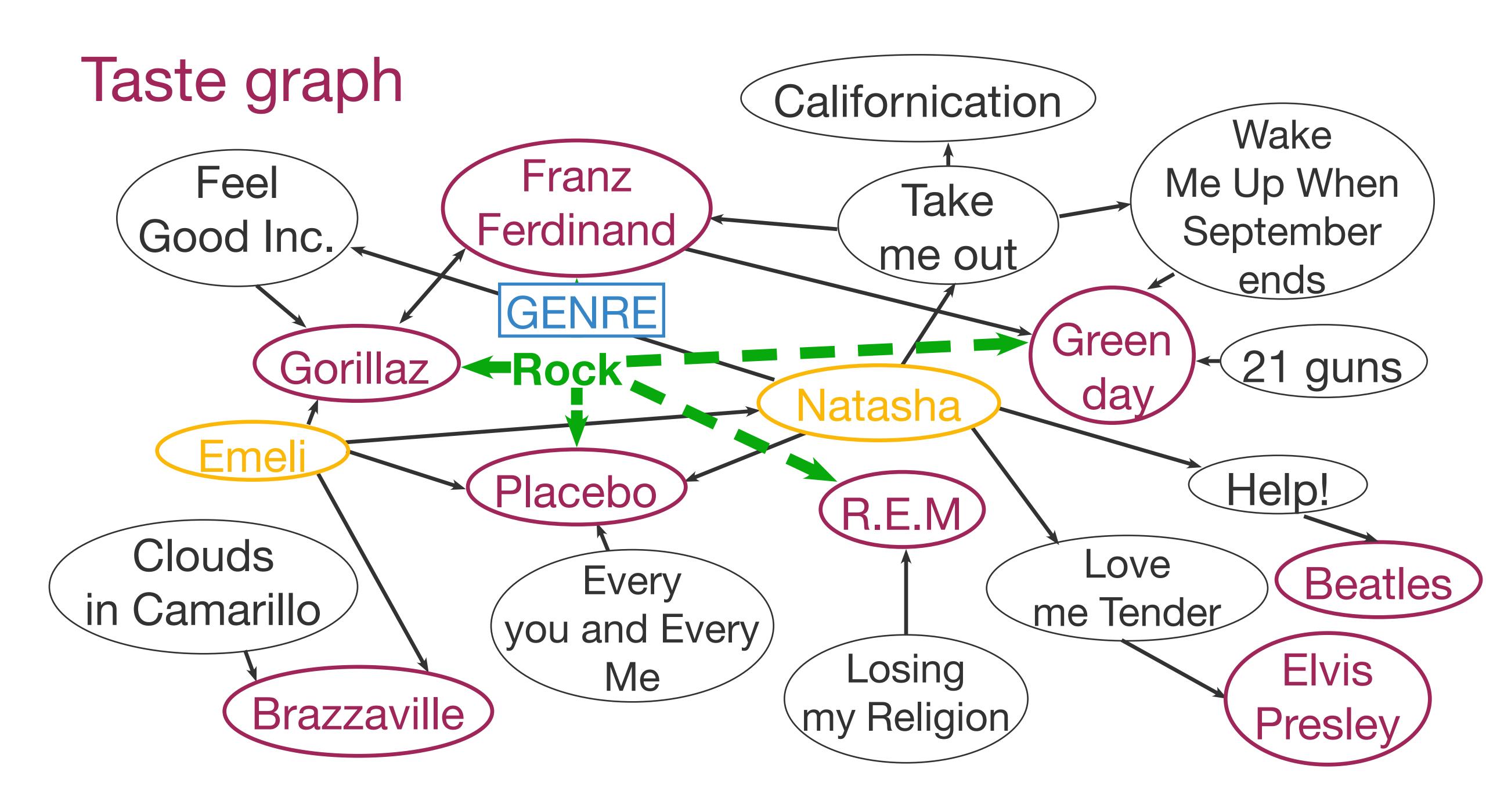
 $\theta \in V$  - zero balancing vertex

 $T_V$  - vertex types

 $\tau_V:V\to T_V$  function matching vertex and its type







$$\langle V, \theta, T_V, \tau_V, E, T_E, \tau_E, R, \omega \rangle$$
 - taste graph

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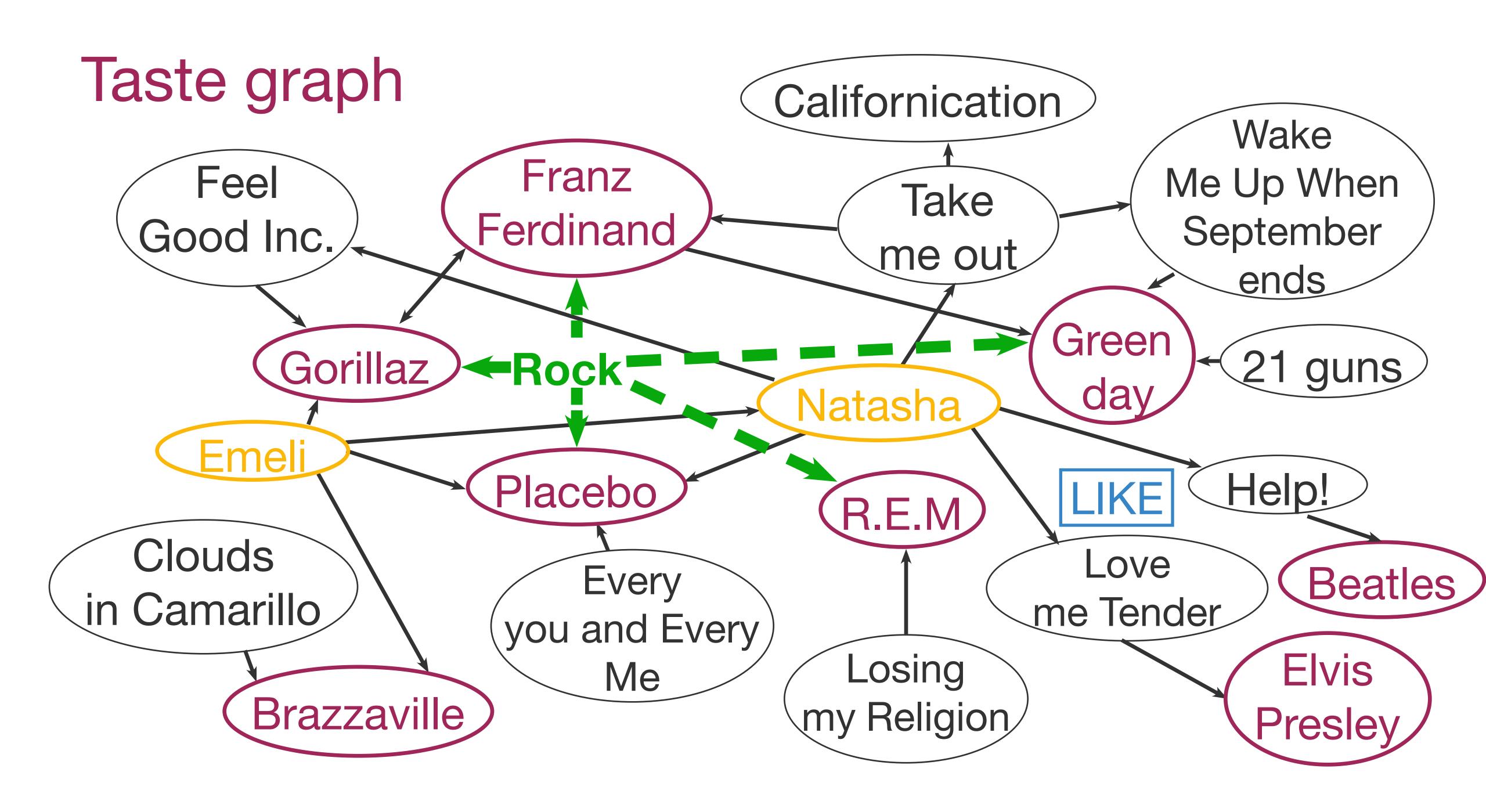
E - edges

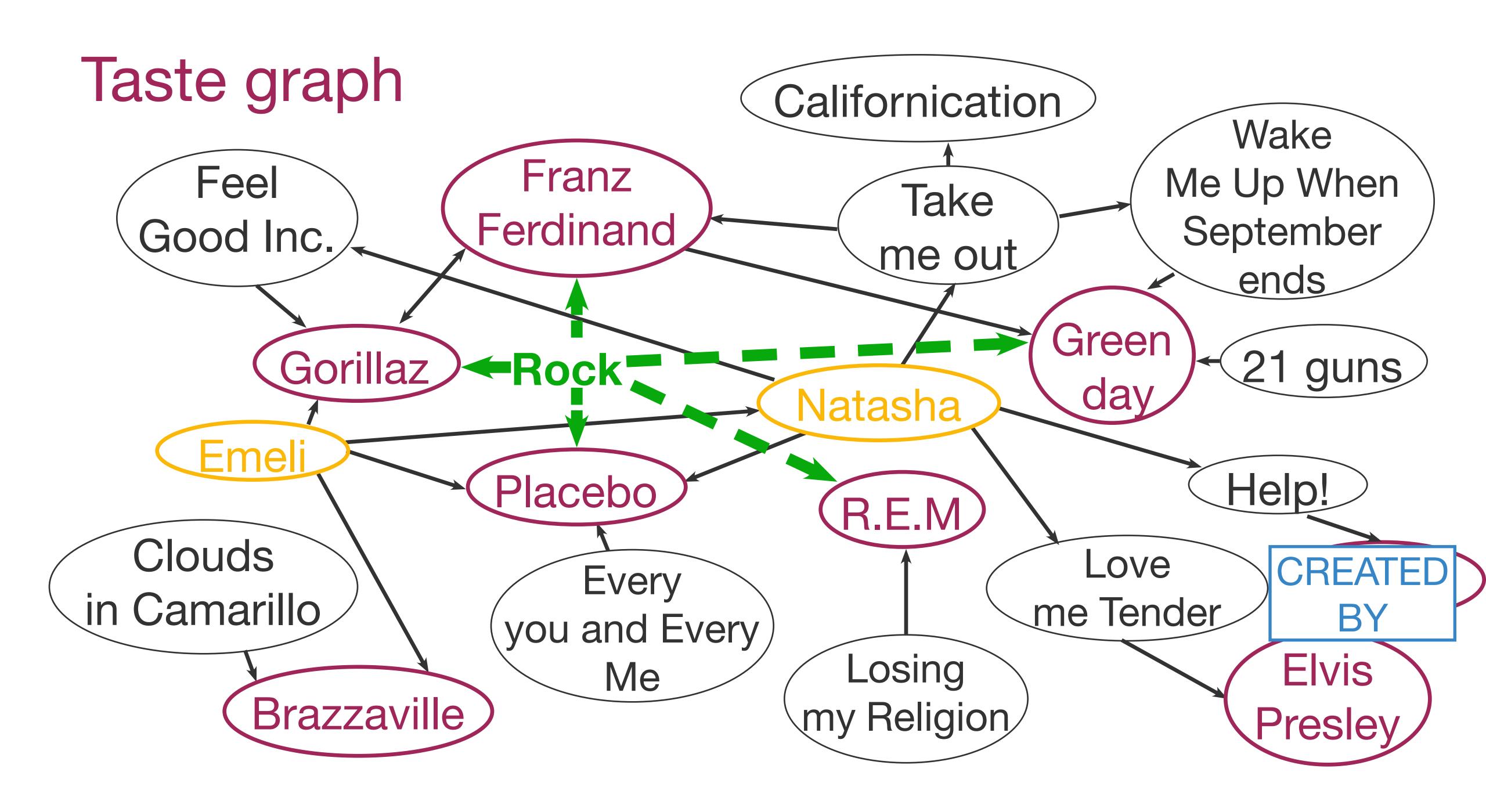
T<sub>E</sub> - edge types

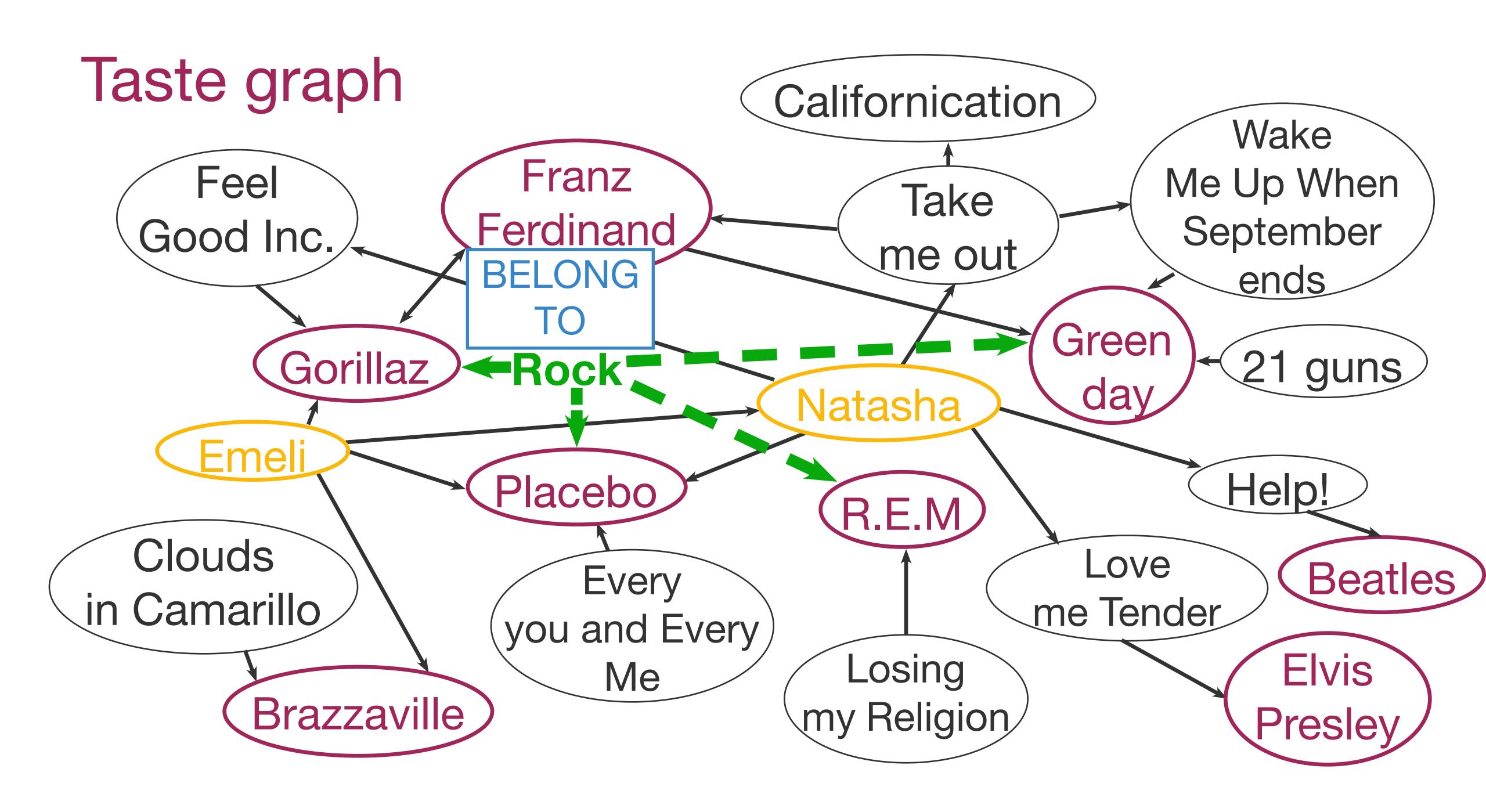
 $\tau_V: E \to T_E$  function matching edge and its type

 $R: E \rightarrow V \times V$  function mapping each edge to its start and end vertex

 $\omega: E \to [0,1]$  weight function matching each edge to its weight







$$\langle V, \theta, T_V, \tau_V, E, T_E, \tau_E, R, \omega \rangle$$
 - taste graph

V - vetrices

 $\theta \in V$  - zero balancing vertex

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A set of outgoing edges of type t in  $T_E$  from a vertex  $v \in V$  is defined as

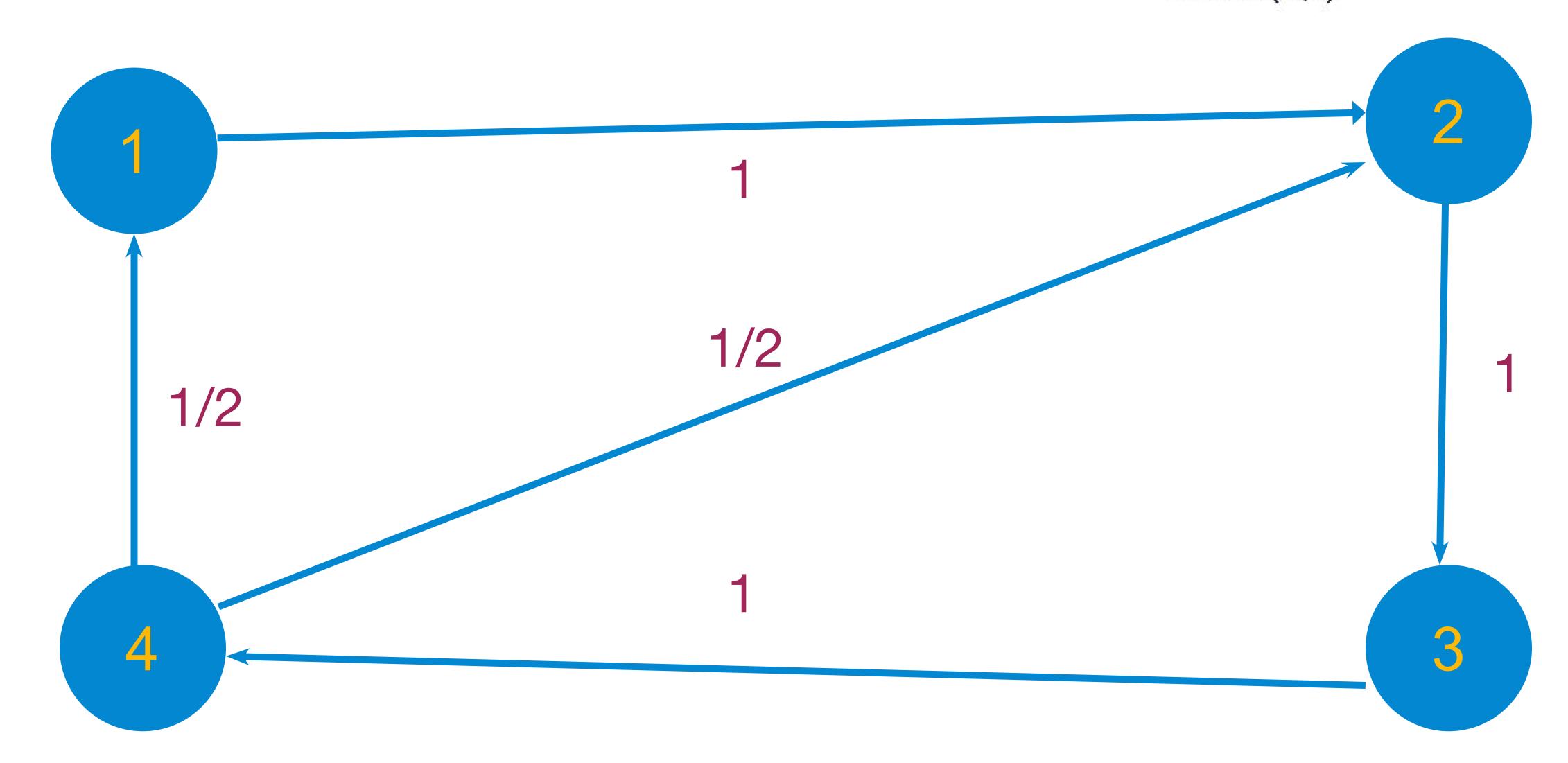
$$out(v, t) = \{e \in E | \tau_e(e) = t \text{ and } \exists v' \in V : R(e) = (v, v')\}$$

Taste graph G must satisfy the condition:

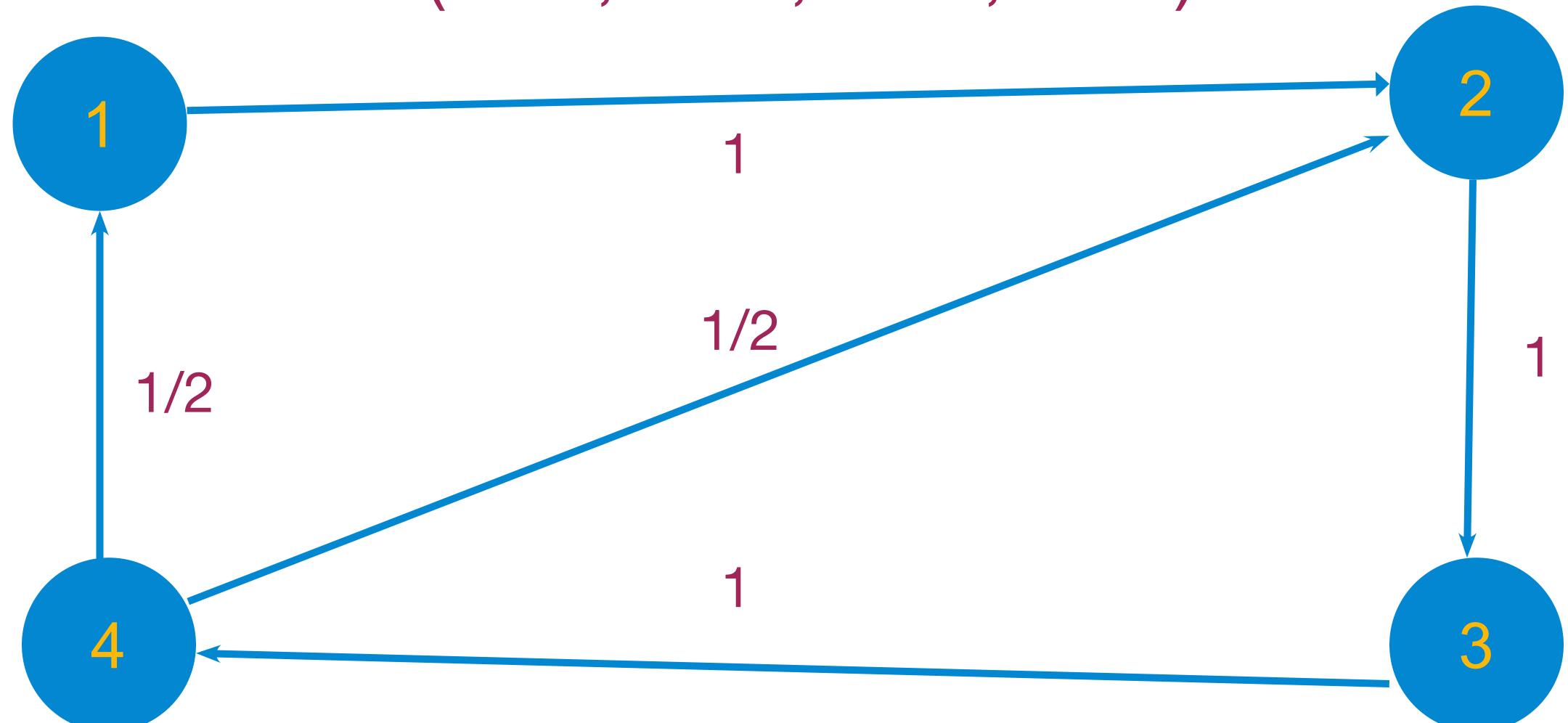
$$\forall v \in V, t \in T_E : \sum_{e \in out(v,t)} \omega(e) = 1$$

## Stochastic graph

$$\forall v \in V, t \in T_E : \sum_{e \in out(v,t)} \omega(e) = 1$$



## The stationary distribution: (0.25, 0.25, 0.25, 0.25)



A set of outgoing edges of type t in  $T_E$  from a vertex  $v \in V$  is defined as

$$out(v,t) = \{e \in E | \tau_e(e) = t \text{ and } \exists v' \in V : R(e) = (v,v')\}$$

Taste graph G must satisfy the condition:

$$\forall v \in V, t \in T_E: \sum_{e \in out(v,t)} \omega(e) = 1$$

Taste graph G is partly stochastic.

$$\forall t_v \in T_V : \sum_{t_e \in T_E} \beta(t_v, t_e) = 1$$

$$\forall t_{v} \in T_{V} : \sum_{t_{e} \in T_{E}} \beta(t_{v}, t_{e}) = 1$$

Balanced weight function  $\omega_{\beta}: E \to [0, 1]$ :

$$w_{\beta}(e) = w(e) * \beta(\tau_{\nu}(first(R(e))), \tau_{e}(e))$$

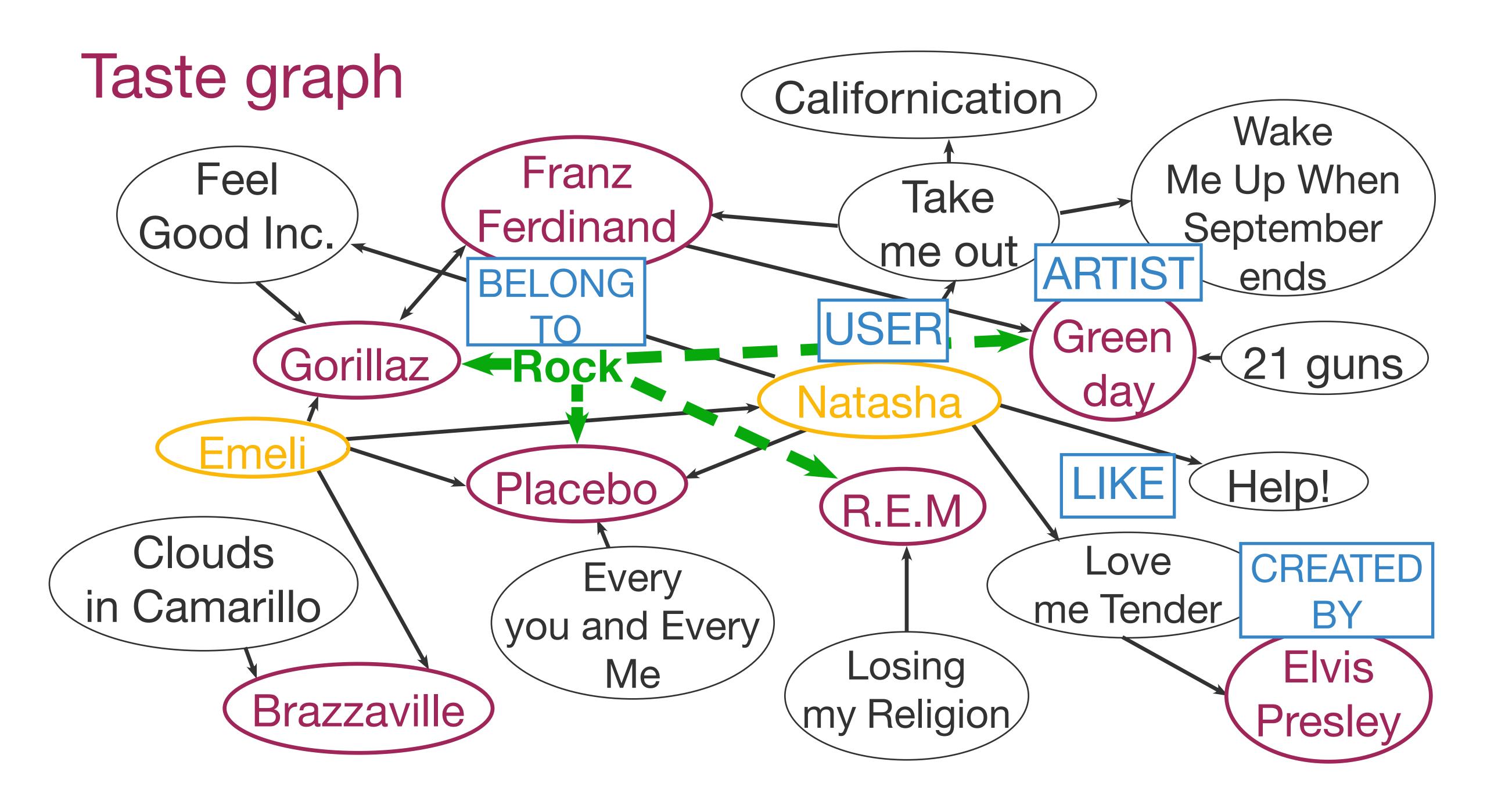
$$\forall t_v \in T_V : \sum_{t_e \in T_E} \beta(t_v, t_e) = 1$$

Balanced weight function  $\omega_{\beta}: E \to [0, 1]$ :

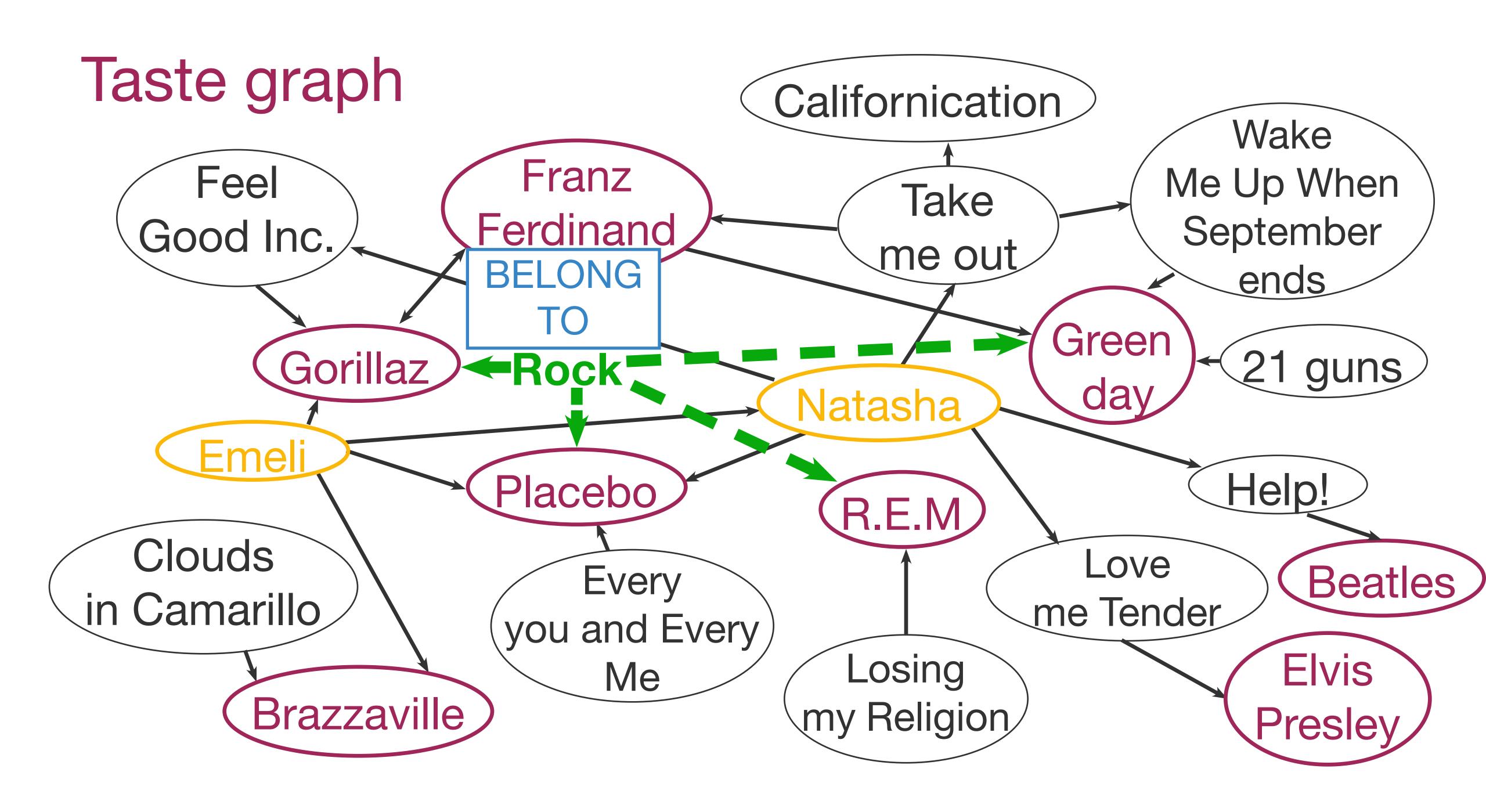
$$w_{\beta}(e) = w(e) * \beta(\tau_{\nu}(first(R(e))), \tau_{e}(e))$$

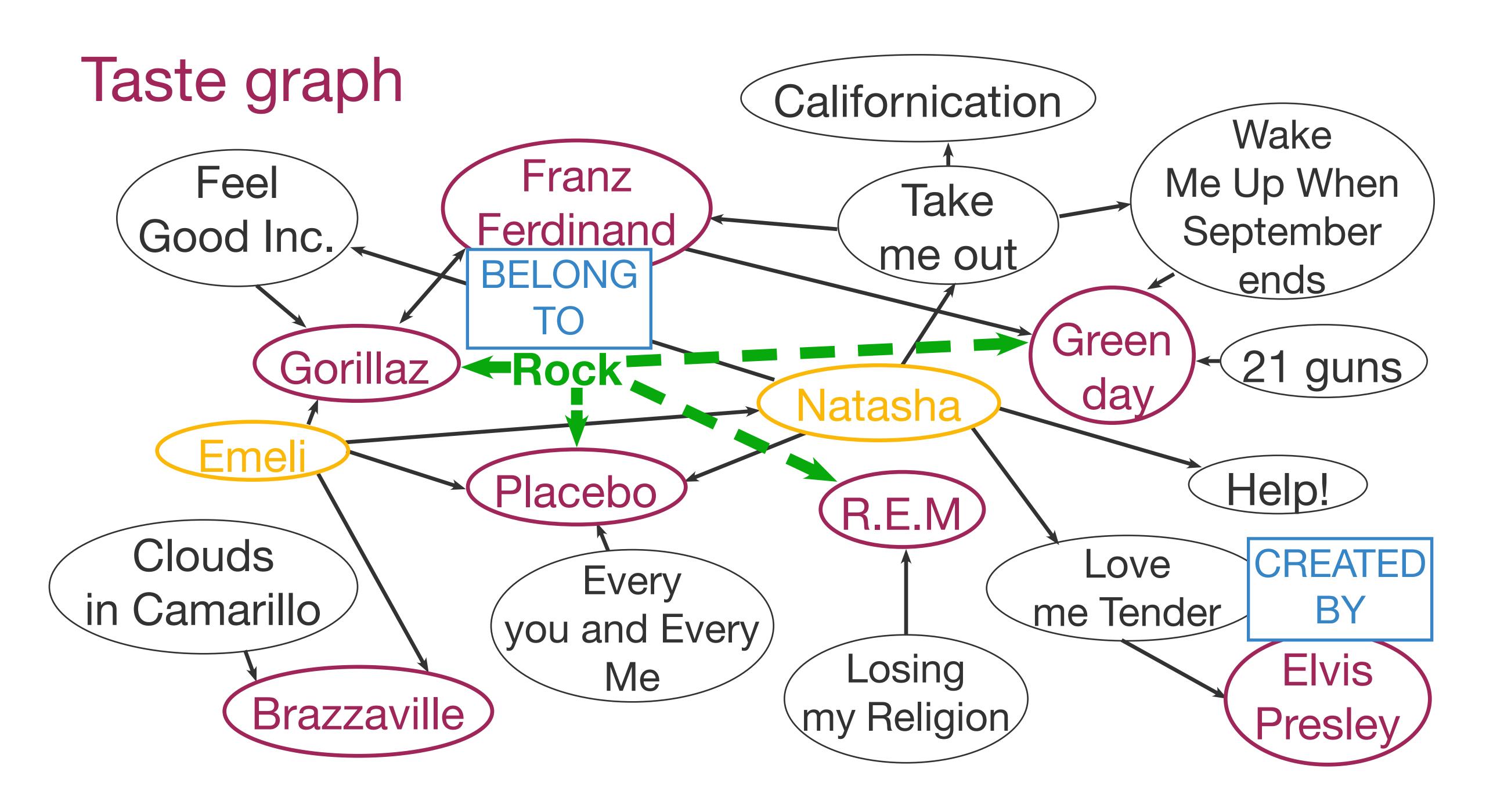
Under weight function  $\beta$  graph G is stochastic:

$$\forall v \in V: \sum_{t_e \in T_E, e \in out(v, t_e)} \omega_{\beta}(e) = 1$$



 Different parts of the taste graph should be constructed independently and then combined together

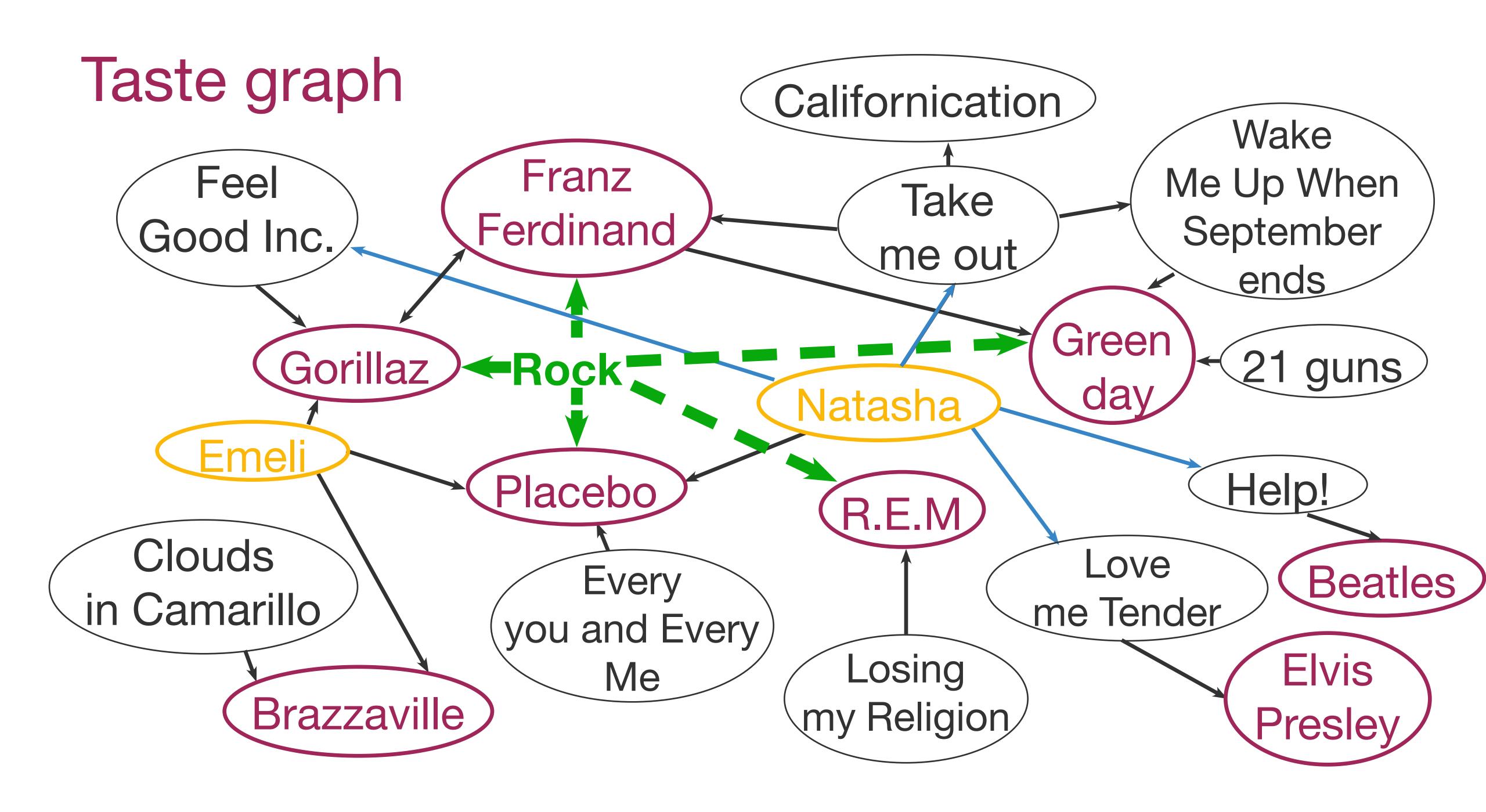


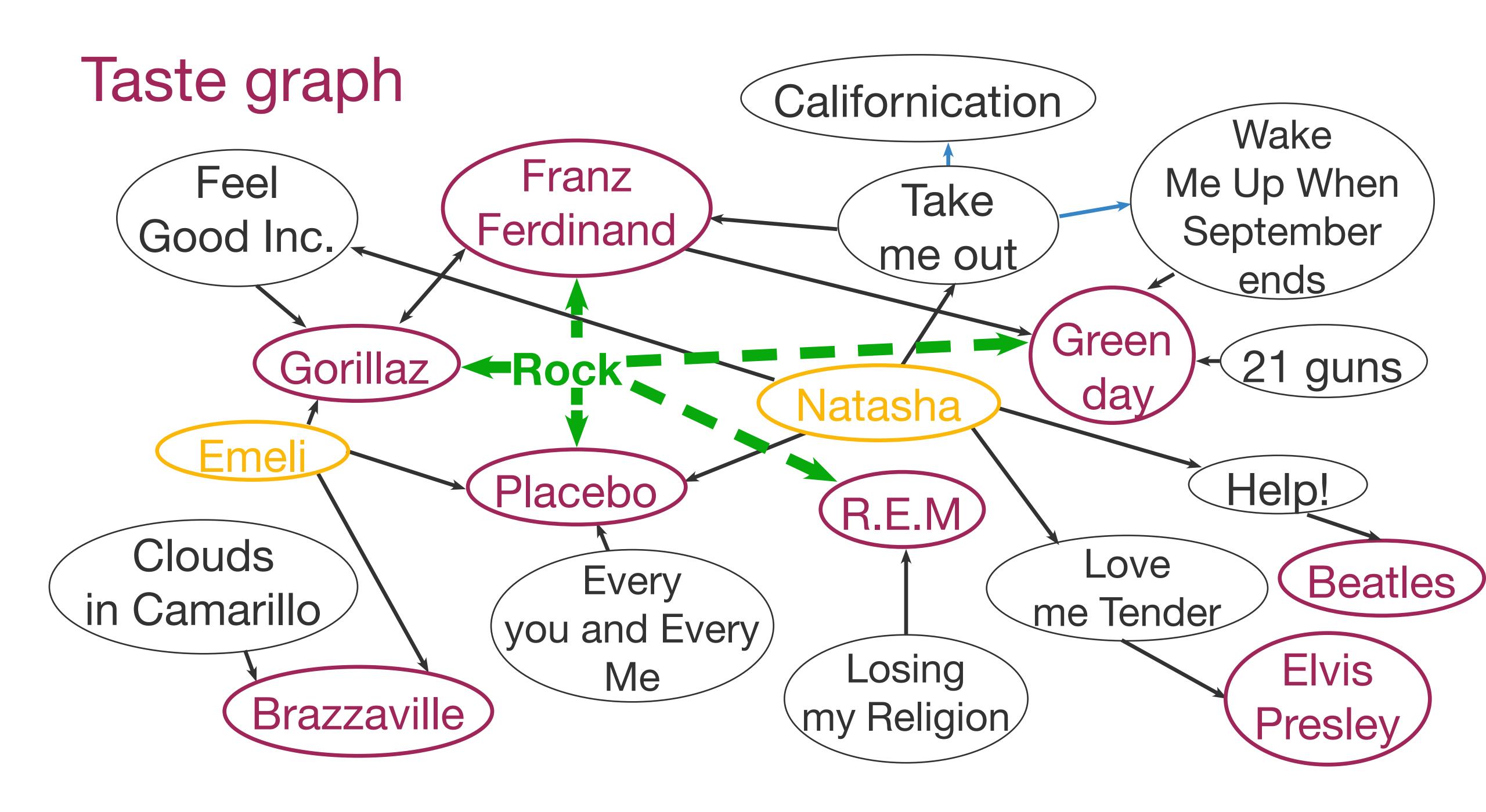


- Different parts of the taste graph to be constructed independently and then combined
- Different parts of the graph can be updated at a different frequency, depending on the natural dynamics of the part

$$\forall t_v \in T_V : \sum_{t_e \in T_E} \beta(t_v, t_e) = 1$$

 increasing the weight of user–track links we increase the impact of collaborative recommendations





$$\forall t_v \in T_V : \sum_{t_e \in T_E} \beta(t_v, t_e) = 1$$

- increasing the weight of user–track links we increase the impact of collaborative recommendations
- decreasing the impact of social recommendations.

$$\langle V, \theta, T_V, \tau_V, E, T_E, \tau_E, R, \omega \rangle$$
 - taste graph

V - vetrices

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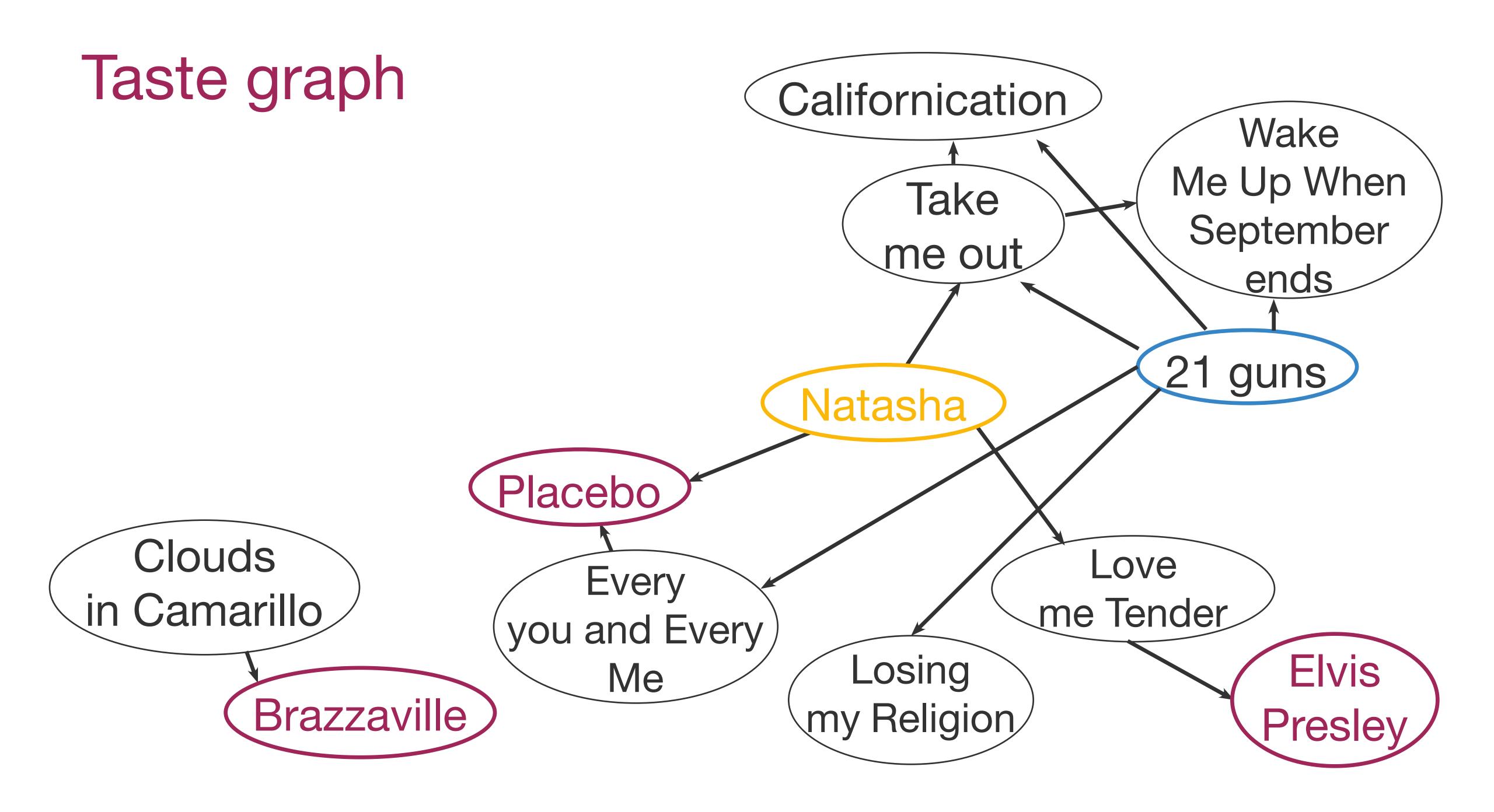
E - edges

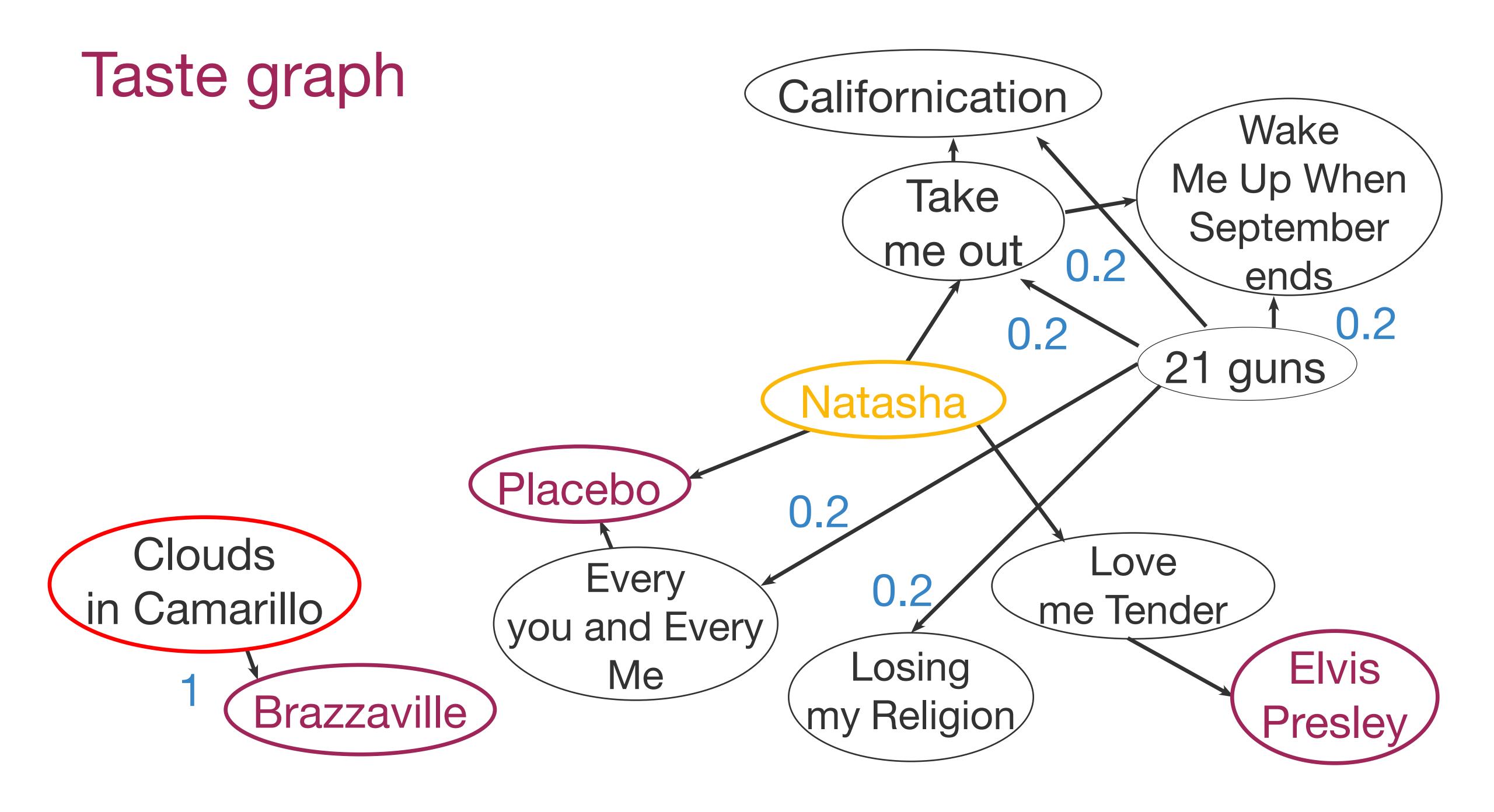
T<sub>E</sub> - edge types

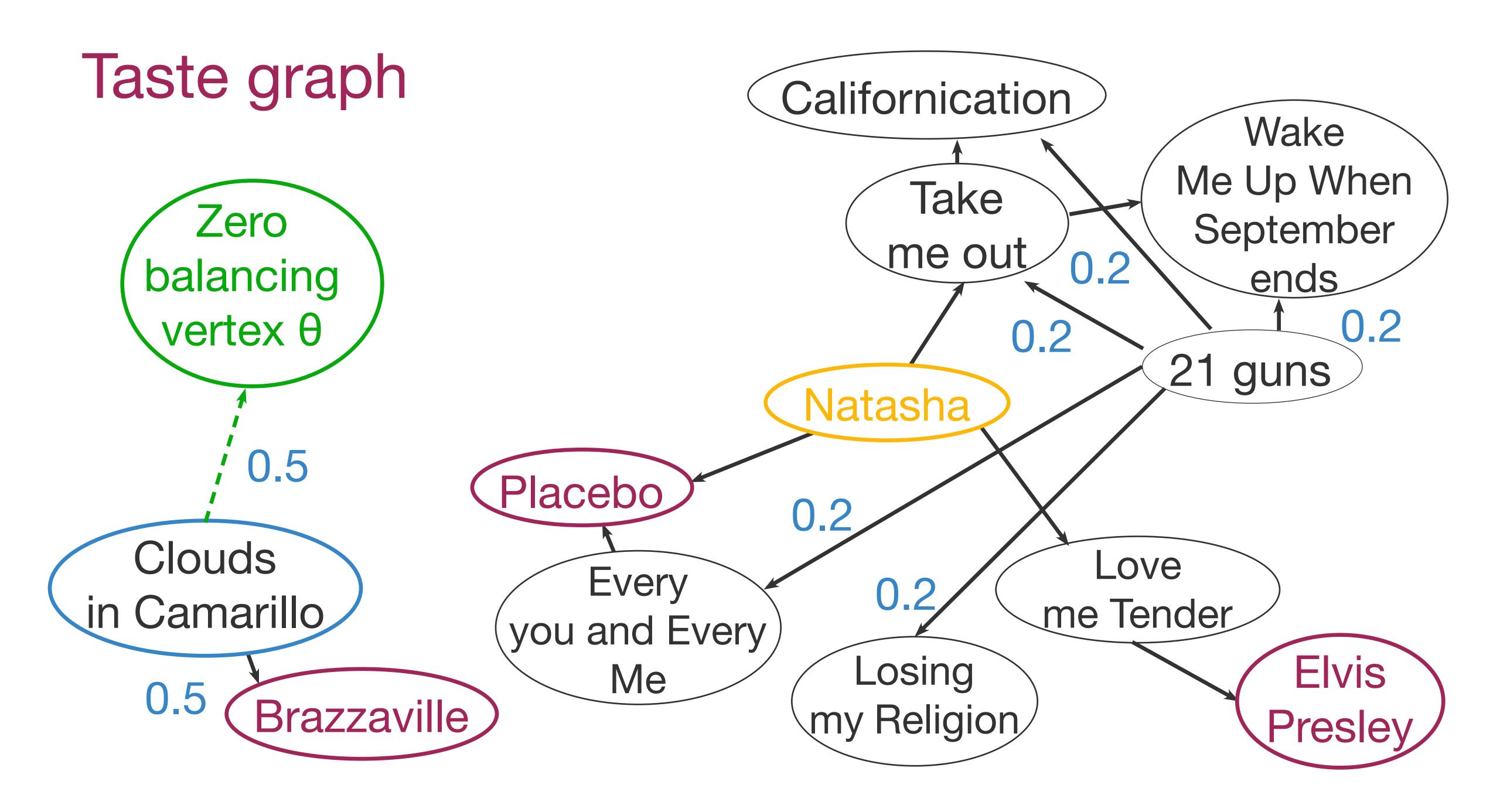
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## Summary

 you can answer the question: "What parts does the taste graph consist of?"