

Data Analytics Engineering

IE 7300: Statistical Learning for Engineering Project Report

Milestone: Project EDA

Internet Usage Data Analysis

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Project Overview

The survey data collected on Internet users at Graphics and Visualization Unit Georgia Tech, continues to provide a rich source of information on the different range of topics.

This survey data contains general demographic information on internet users in 1997. Technology demographics and web commerce data is used widely in order to identify customer base by many companies. This helps in identifying social economic determinants of the internet users and perform segmentation based on Age, Gender, Household Income, Race, Years on internet, Marital status etc.

It has the survey details on demographics of internet users which can be further incorporated into different of news stories, articles, books, academic theses, radio shows, television etc.

In this project the deatiled exploration of Internet usage data is proposed for classifying internet users using both supervised and unsupervised learning.

Problem Statement

The objective of this project is to analyze the demographic information of Internet users with both clustering techniques as well as classification techniques.

- From Unsupervised techniques optimal clusters are identified for Internet users.
- Then supervised methods are used to classify these 2 cluster users as Novice Internet users and Expert users with goal to perform Customer segmentation.

Dataset Used

The dataset is collected from UCI website link as follows: https://archive.ics.uci.edu/ml/datasets/Internet+Usage+Data (https://archive.ics.uci.edu/ml/datasets/Internet+Usage+Data)

Data Description:

This data comes from a survey conducted by the Graphics and Visualization Unit at Georgia Tech October 10 to November 16, 1997. The subset of the survey provided is this "general demographics" of internet users. The data have been recorded as entirely numeric, with an index to the codes described in the "Coding" file.

Data Collection:

It is a demographics of internet usage dataset of 1.5M uncompressed size. This dataset includes 10104 rows and 72 feature variables. Each row corresponds to an internet user, and includes many other variables like Education level, Gender, Age, Location, Income etc.

Rows: 10104 Columns: 72

These 72 columns are about age, gender, race etc. of internet users and their values are encoded in numeric data. Out of these 72 columns 14 are selected for building clustering models and perform segmentation of Internet users. The dataset does not contain target variable, thus unsupervised methods are employed.

Data Dictionary

```
1)Use of the Internet = "Years on Internet"
   Under 6 mo=0
   6-12 mo=1
   1-3 yr=2
   4-6 yr=3
   Over 7 yr=4
2)Access Internet ="Primary Place of WWW Access"
   Primarily home=0
   Primarily work=1
   Home=2
   Work=3
   Public=4
   Distributed=5
   Friend=6
3)Age
   not say=0
   under 5=1
   over 80=80
4)Occupation="Major Occupation"
   Computer=0
   management=1
   professional=2
   education=3
   other=99
5)Education Level = "Education Attainment"
   grammar=0
   high school=1
   professional=2
   some college=3
   college=4
   masters=5
   doctoral=6
   special=7
   other=99
```

6)Gender

female=0
male=1

```
7)Marital status
   not say=0
   divorced=1
   living with another=99
   married=3
   separated=4
   single=5
   widowed=6
8)Household Income
   not say=0
   under $10=1
   $10-19=2
   $20-29=3
   $30-39=4
   $40-49=5
   $50-74=6
   $75-99=7
   Over $100=8
9)Computer platform ="Primary Computing Platform"
   dos=0
   Macintosh=1
   Win95=2
   Windows=3
   Inix=4
   0S2=5
   NT=6
   PC 4=7
   VT 100=8
   Don't know=98
   Other=99
10)Issues facing the internet="Most Import Issue Facing the Internet"
   axes=0
   privacy=1
   censorship=2
   culture=3
   encryption=4
   language=5
   navigation=6
   don't know=98
   other =99
11) Race
   1 = White
   2 = Asian
   6 = Black
   0 = !Not say
   99 = 0ther
   5 = Native Hawaiian
12)Sexual Preference
   Not say=0
   Heterosexual=1
   Gay Male=2
   Lesbian=3
   Bisexual=4
```

Transgender=5

```
13)Registered to Vote
   not say=0
   yes=1
   no=2
   not applicable=3
14) Major Geographical Location
   Africa=0
   Antarctica=1
   Asia=2
   0ceania=3
   Europe=4
   USA=5
   Canada=6
   Mexico=7
   Central America=8
   South America=9
```

Importing Modules

Middle East=10
West Indies=11

In []:

```
#import the required libraries
import pandas as pd
import matplotlib.pyplot as plt
%matplotlib inline
import numpy as np
import seaborn as sns
import plotly.express as px
import random
from sklearn.utils import shuffle
import statsmodels.api as sm
import itertools
import time
from mpl_toolkits import mplot3d
from sklearn.datasets import make blobs
from pandas import DataFrame
from abc import ABC,abstractmethod
from sklearn.base import clone
#Preprocessing methods
from sklearn.preprocessing import StandardScaler
#Split the training and test dataset
from sklearn.model_selection import train test split
from sklearn.preprocessing import OneHotEncoder
### performance matrix
from sklearn.metrics import mean_squared_error, accuracy_score, confusion_matrix, r2_score
from sklearn.metrics import plot_confusion_matrix
!pip install scikit-plot
import scikitplot as skplt
from sklearn.model_selection import StratifiedKFold,cross_validate
from sklearn.metrics import accuracy_score,precision_score,recall_score,mean_absolute_error,mean_squared_error,r2
_score,make_scorer
```

In []:

```
from google.colab import drive
drive.mount('/content/drive')
```

In []:

!jupyter nbconvert --to html /content/drive/MyDrive/SemesterThree/Stats7300/Project/ProjectEDA/ProjectCheckpoint3 .ipynb

Input Data

```
In [ ]:
```

```
import warnings
warnings.filterwarnings('ignore')
dfDataset = pd.read_csv('/content/drive/MyDrive/SemesterThree/Stats7300/Project/ProjectEDA/final_general.dat',
sep=' ', header=None, error_bad_lines=False)
```

In [588]:

dfDataset.shape #### out of 10104 users participating in survey 64 records had erros so 10040 records were selected

Out[588]:

(10040, 72)

In [589]:

dfDataset.head()

Out[589]:

	0	1	2	3	4	5	6	7	8	9	 62	63	64	65	66	67	68	69	70	71
0	5	41	2	0	0	1	0	0	0	0	 1	0	0	0	0	1	0	99	2	93819
1	2	28	2	0	0	0	0	0	0	0	 2	0	0	0	0	1	0	4	0	95708
2	99	25	0	1	1	0	0	0	1	0	 1	0	0	0	0	1	1	99	2	97218
3	29	28	0	0	0	0	1	0	0	0	 1	0	0	0	0	1	0	4	2	91627
4	15	17	0	0	0	0	0	1	1	0	 1	0	0	0	0	1	0	4	2	49906

5 rows × 72 columns

Analysis

EDA

Feature Engineering

In [590]:

```
dfDataset.columns = [
"Actual Time",
"Age",
"Community Building",
"Community Membership_Family"
"Community Membership Hobbies",
"Community Membership_None",
"Community Membership_Other"
"Community Membership_Political"
"Community Membership Professional",
"Community Membership_Religious",
"Community Membership_Support",
"Country"
"Disability_Cognitive",
"Disability_Hearing",
"Disability_Motor",
"Disability_Not Impaired",
"Disability_Not Say",
"Disability_Vision",
"Education Attainment",
"Falsification of Information",
"Gender"
"Household Income",
"How You Heard About Survey_Banner",
"How You Heard About Survey_Friend"
"How You Heard About Survey Mailing List",
"How You Heard About Survey_Others"
"How You Heard About Survey_Printed Media", "How You Heard About Survey_Remebered",
"How You Heard About Survey Search Engine",
"How You Heard About Survey_Usenet News",
"How You Heard About Survey WWW Page",
"Major Geographical Location",
"Major Occupation",
"Marital Status",
"Most Import Issue Facing the Internet",
"Opinions on Censorship"
"Primary Computing Platform",
"Primary Language",
"Primary Place of WWW Access",
"Race",
"Not Purchasing Bad experience",
"Not Purchasing_Bad press",
"Not Purchasing Cant find"
"Not Purchasing_Company policy",
"Not Purchasing Easier locally",
"Not Purchasing_Enough info"
"Not Purchasing Judge quality",
"Not Purchasing_Never tried",
"Not Purchasing_No credit",
"Not Purchasing_Not applicable",
"Not Purchasing_Not option",
"Not Purchasing_Other",
"Not Purchasing Prefer people",
"Not Purchasing_Privacy",
"Not Purchasing_Receipt
"Not Purchasing_Security"
"Not Purchasing_Too complicated",
"Not Purchasing_Uncomfortable",
"Not Purchasing_Unfamiliar vendor",
"Registered to Vote",
"Sexual Preference",
"Web Ordering",
"Web Page Creation",
"Who Pays for Access Don't Know",
"Who Pays for Access_Other",
"Who Pays for Access Parents"
"Who Pays for Access_School",
"Who Pays for Access Self",
"Who Pays for Access_Work",
"Willingness to Pay Fees",
"Years on Internet"
"Timestamp"
```

As the Dataset is having multiple Freature most important factor is to identify irrelavent features.

This part in feature Engineering covers removing those irrelevant features to begin with.

As we can see in multiple columns, values are one hot encoded resulting in many columns for single column.

For example:-

```
Who pays for access is converted into 6 columns:-
```

```
"Who Pays for Access Don't Know",
"Who Pays for Access Other",
"Who Pays for Access Parents",
"Who Pays for Access School",
"Who Pays for Access Self",
"Who Pays for Access_Work",
"Community Membership_Family",
"Community Membership Hobbies",
"Community Membership None",
"Community Membership Other",
"Community Membership_Political",
"Community Membership Professional",
"Community Membership Religious",
"Community Membership_Support",
"Not Purchasing_Bad experience",
"Not Purchasing_Bad press",
"Not Purchasing Cant find",
"Not Purchasing Company policy",
"Not Purchasing Easier locally",
"Not Purchasing Enough info",
"Not Purchasing_Judge quality",
"Not Purchasing_Never tried",
"Not Purchasing_No credit",
"Not Purchasing_Not applicable",
"Not Purchasing_Not option",
"Not Purchasing_Other",
"Not Purchasing Prefer people",
"Not Purchasing Privacy",
"Not Purchasing Receipt",
"Not Purchasing Security",
"Not Purchasing_Too complicated",
"Not Purchasing_Uncomfortable",
"Not Purchasing_Unfamiliar vendor",
"How You Heard About Survey Banner",
"How You Heard About Survey Friend",
"How You Heard About Survey Mailing List",
"How You Heard About Survey Others",
"How You Heard About Survey Printed Media",
"How You Heard About Survey Remebered",
"How You Heard About Survey_Search Engine",
"How You Heard About Survey_Usenet News",
"How You Heard About Survey WWW Page",
"Disability Cognitive",
"Disability Hearing",
"Disability_Motor",
"Disability_Not Impaired",link
"Disability_Not Say",
"Disability_Vision",
```

As these are not affecting target varible they are excluded as part of feature engineering.

Very crucial encoding which is observed throught the survey is as follows:-

```
Universal: (when applicable)
Not Say! = 0
Don't Know = 98
Other = 99
```

Feature Selection

As mentioned in Data dictionary following 14 columns are selected:-

Note the values of columns mentioed in the data dictionary file were not matching with datase columns, thus careful checking is done to match column name and data dictionary mentioned names.

In [591]:

These 72 columns are about age, gender, race etc. of internet users and their values are encoded in numeric data.

Out of these 72 columns 14 are selected for feeding it to machine learning models.

The dataset does not contain target variable, thus **unsupervised** methods are employed for clustering in datasets using KMeans, hierarchial and DBscan respectively.

Later classification models are used to classify different internet users in different categories like Expert user, Novice user using support vector machines (SVM), random forests (RF) and neural networks (NN), respectively.

```
In [309]:
```

```
df.shape
Out[309]:
(10040, 14)
In [310]:
df.info()
```

```
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 10040 entries, 0 to 10039
Data columns (total 14 columns):
# Column Non-Nul
```

#	Column	Non-Null Count	Dtype
0	Years on Internet	10040 non-null	int64
1	Primary Place of WWW Access	10040 non-null	int64
2	Age	10040 non-null	int64
3	Major Occupation	10040 non-null	int64
4	Education Attainment	10040 non-null	int64
5	Gender	10040 non-null	int64
6	Marital Status	10040 non-null	int64
7	Household Income	10040 non-null	int64
8	Primary Computing Platform	7365 non-null	float64
9	Most Import Issue Facing the Internet	10040 non-null	int64
10	Race	10040 non-null	int64
11	Sexual Preference	10040 non-null	int64
12	Registered to Vote	10040 non-null	int64
13	Major Geographical Location	10040 non-null	int64
dtyp	es: float64(1), int64(13)		
memo	ry usage: 1.1 MB		

Null checks

As it can be seen that computing platform values are missing, which can be filled using imputation techniques.

Here 98 value represents unknown so we can fill missing values with 98.

In [311]: df.isna().sum()

Out[311]:

0 Years on Internet Primary Place of WWW Access 0 0 0 Major Occupation Education Attainment 0 Gender 0 Marital Status 0 0 Household Income Primary Computing Platform 2675 Most Import Issue Facing the Internet 0 0 Race Sexual Preference 0 Registered to Vote 0 Major Geographical Location dtype: int64

In [312]:

```
df["Primary Computing Platform"] = df["Primary Computing Platform"].fillna(value=98)
```

In [313]:

```
df.isna().sum()
```

Out[313]:

Years on Internet 0 Primary Place of WWW Access 0 Age 0 Major Occupation 0 Education Attainment 0 Gender 0 0 Marital Status Household Income 0 Primary Computing Platform 0 Most Import Issue Facing the Internet 0 0 Sexual Preference 0 Registered to Vote 0 Major Geographical Location dtype: int64

Duplication Checks

In [314]:

df.nunique()

Out[314]:

Years on Internet	5
Primary Place of WWW Access	8
Age	77
Major Occupation	5
Education Attainment	9
Gender	2
Marital Status	7
Household Income	9
Primary Computing Platform	11
Most Import Issue Facing the Internet	9
Race	8
Sexual Preference	6
Registered to Vote	4
Major Geographical Location	9
dtype: int64	

From here we can see the **Continuous** and **categotical** features. Age is continuous feature, It can be converted to classes and made categorical after studying its distribution.

Summary Statistics

In [315]:

```
df.describe(include='all').T
```

Out[315]:

	count	mean	std	min	25%	50%	75%	max
Years on Internet	10040.0	1.769920	1.151036	0.0	1.0	2.0	3.0	4.0
Primary Place of WWW Access	10040.0	1.915239	7.720300	0.0	0.0	1.0	2.0	99.0
Age	10040.0	34.595219	14.789693	0.0	24.0	33.0	45.0	80.0
Major Occupation	10040.0	24.259363	41.159665	0.0	1.0	2.0	3.0	99.0
Education Attainment	10040.0	5.029781	12.128278	0.0	3.0	4.0	4.0	99.0
Gender	10040.0	0.614343	0.486774	0.0	0.0	1.0	1.0	1.0
Marital Status	10040.0	12.522709	27.712164	0.0	3.0	3.0	5.0	99.0
Household Income	10040.0	3.960558	2.541740	0.0	2.0	4.0	6.0	8.0
Primary Computing Platform	10040.0	28.908068	42.927360	0.0	2.0	2.0	98.0	99.0
Most Import Issue Facing the Internet	10040.0	15.503287	33.108177	0.0	1.0	2.0	6.0	99.0
Race	10040.0	3.633964	15.381355	0.0	1.0	1.0	1.0	99.0
Sexual Preference	10040.0	1.096614	0.664460	0.0	1.0	1.0	1.0	5.0
Registered to Vote	10040.0	1.170618	0.507218	0.0	1.0	1.0	1.0	3.0
Major Geographical Location	10040.0	5.089343	3.898054	0.0	5.0	5.0	5.0	82.0

From the describe command we get the statistics summary.

From this summary statistics we can conclude following:-

On average of use of internet for users is 6 months to 1 year. Bases on internet usage categories we will classify users as Expert or Novice users.

Primary place to access the internet is work place.

Age is continuous variable with max age recorded as 80 and on an average all internet users fall in age bucket of 34 years.

Major occupation is categorical feature with most users falling in category of others than management, education and computer profession.

"Gender" and "registered to vote" are binary features.

USA encoded as 5 is major Geograpfical location to study. As it is repeated in median, 25%, 75%.

Other features like "race", "Household Income", "Primary Computing Platform" and "Most Import Issue Facing the Internet" are to plotted with bar plots to check its categorical values.

EDA Univariate Analysis

For Univariate analysis lets first divide the features in continuous and categorical.

In [83]:

We perform univariate analysis to check the distributions (using **Histograms**) of all continuous variables and understand their statistical inference.

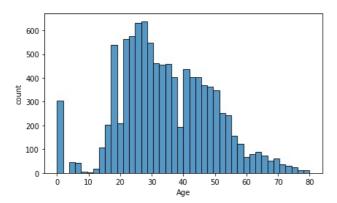
Similarly for categorical variables we check their bar plots and visualize them. As all features are encoded they are mostly categorical values.

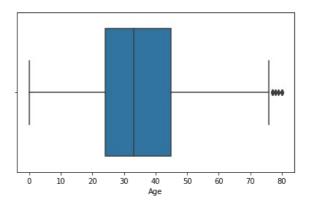
In [72]:

```
for col in num_cols:
    print('Feature Name :',col)
    print('Skew :', round(df[col].skew(), 2))
    plt.figure(figsize = (15, 4))
    plt.subplot(1, 2, 1)
    sns.histplot(x=df[col])
    plt.ylabel('count')
    plt.subplot(1, 2, 2)
    sns.boxplot(x=df[col])
    plt.show()
```

Feature Name : Age

Skew : 0.19





Insights

From hist plots and box plots we can learn following key points :-

50% of Internet users are of median age 35 and fall in range from 20 to 45. Some ouliers in age feature are for age 75 and above.

In [84]:

```
for col in binary_cols:

plt.figure(figsize = (15, 4))

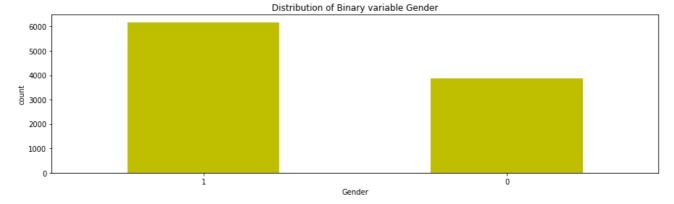
df[col].value_counts(sort=True).plot(
    kind='bar', color='y', rot=0)

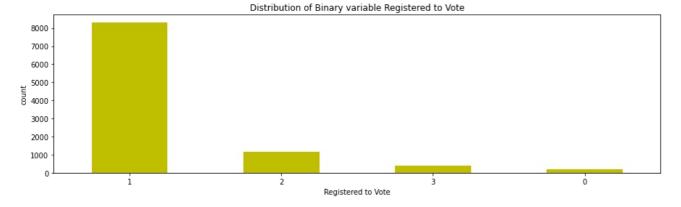
plt.ylabel('count')

plt.xlabel(col)

plt.title("Distribution of Binary variable "+ col)

plt.show()
```





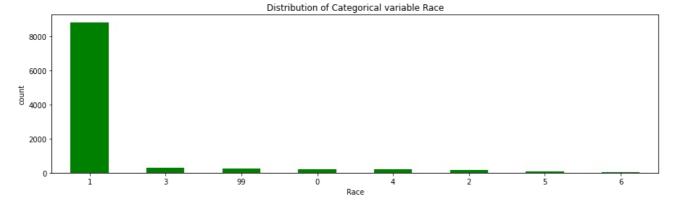
Insights

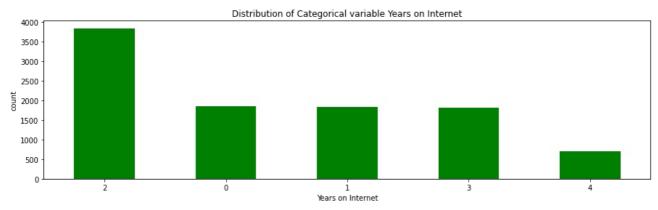
- Number of male users are more than female.
- Good to see that most of users are registered to vote

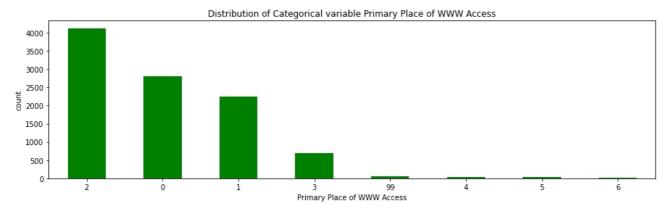
In [74]:

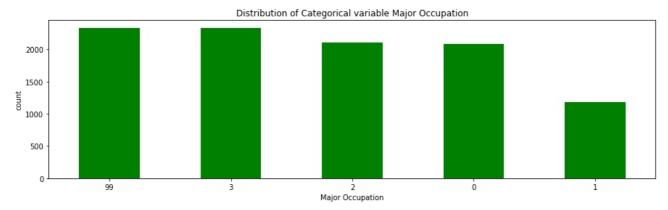
```
for col in categ_cols1:

   plt.figure(figsize = (15, 4))
   df[col].value_counts(sort=True).plot(
        kind='bar', color='g', rot=0)
   plt.ylabel('count')
   plt.xlabel(col)
   plt.title("Distribution of Categorical variable "+ col)
   plt.show()
```





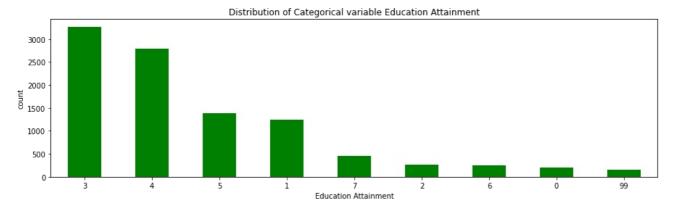


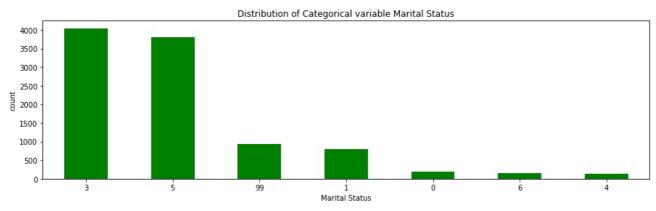


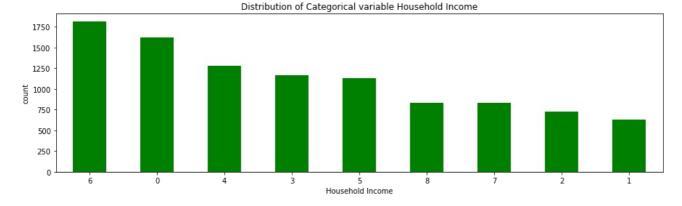
In [52]:

```
for col in categ_cols2:

plt.figure(figsize = (15, 4))
  df[col].value_counts(sort=True).plot(
        kind='bar', color='g', rot=0)
  plt.ylabel('count')
  plt.xlabel(col)
  plt.title("Distribution of Categorical variable "+ col)
  plt.show()
```



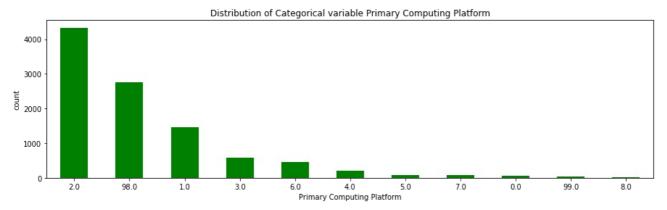


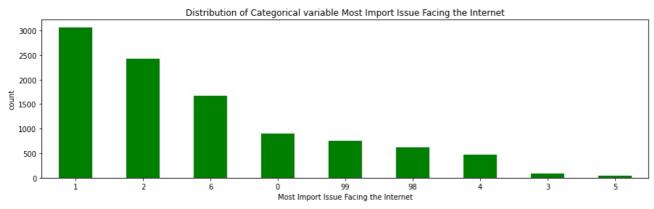


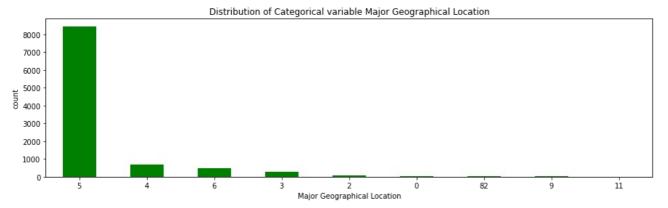
In [53]:

```
for col in categ_cols3:

plt.figure(figsize = (15, 4))
  df[col].value_counts(sort=True).plot(
        kind='bar', color='g', rot=0)
  plt.ylabel('count')
  plt.xlabel(col)
  plt.title("Distribution of Categorical variable "+ col)
  plt.show()
```





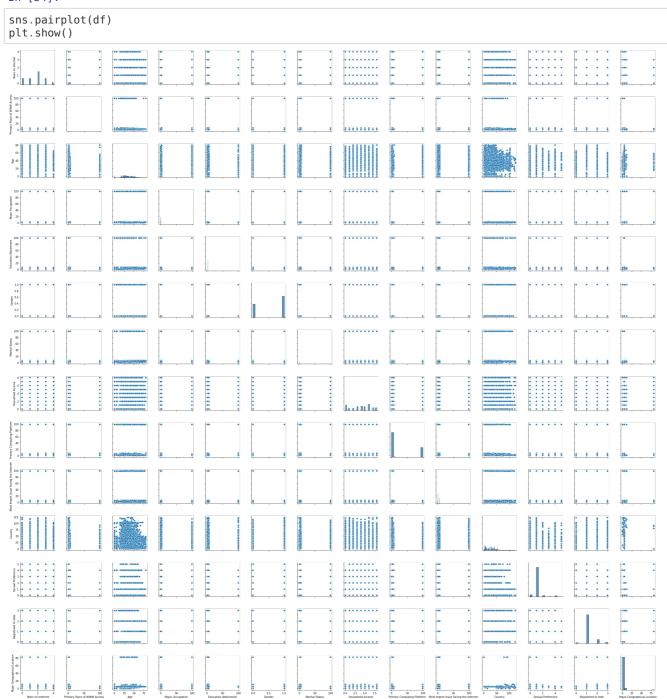


Insights

From the count plots, we can get following observations:-

- Most of the users are from years 1 to 3 on internet.
- Primary place to access internet is from Home followed by work.
- Most of the users are from educational occupation.
- Educational level of users is predominantly college students followed by high school going students for majority.
- Users are either single or married most of time.
- Commom household income range is 50 to 75k range.
- Majority of users are using Windows followed by Mac computing platform.
- Privacy and censorship are most important issues faced by internet users followed by navigation, axes and encryption.
- Almost 90% of users come from USA continent. Very less users come from Africa, west indies and south America.

In [54]:



Insights drawn from pair plots:

- From geographical location plot it is clear that most of data points are coming from USA.
- For the majority of users their marital status is married or single. Separated, widowed and divorced people were not big users.
- For most marital status groups were three years or less on the Internet.
- Relation between age and number of years on the internet can be looked into as age affects the classification target Years on Internet
- · Relation between marital status and number of years on the internet can be studied in depth for the same reasons described for age.

Converting Age Classes

In [85]:

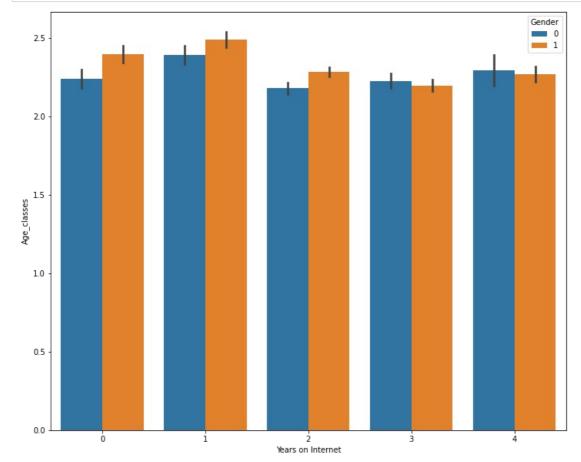
```
conditions = [
    (df['Age'] < 20),
    (df['Age'] >= 20) & (df['Age'] < 40),
    (df['Age'] >= 40) & (df['Age'] < 60),
    (df['Age'] >= 60) & (df['Age'] < 80),
    (df['Age'] >= 80) ]

values = [1,2,3,4,5]

df['Age_classes'] = np.select(conditions, values)
```

In [86]:

```
plt.figure(figsize=(12,10))
sns.barplot(data=df, x="Years on Internet",y="Age_classes", hue="Gender")
plt.show()
```

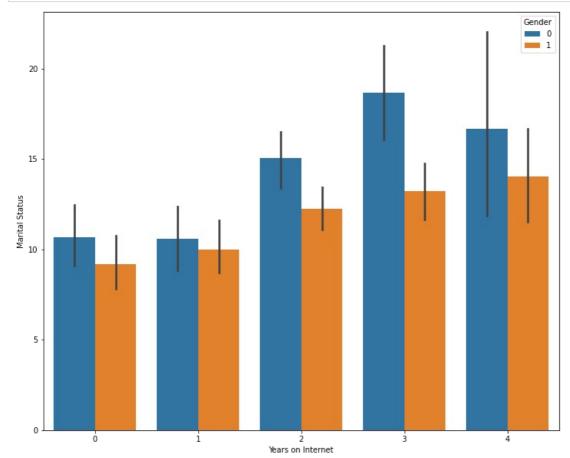


Male users are more as compared to female.

The plot shows most of internet users are of 1 to 3 years of usage and from age 20 to 50.

In [88]:

```
plt.figure(figsize=(12,10))
sns.barplot(data=df, x="Years on Internet",y="Marital Status", hue="Gender")
plt.show()
```



Most of users are either married or single 3 or 1.

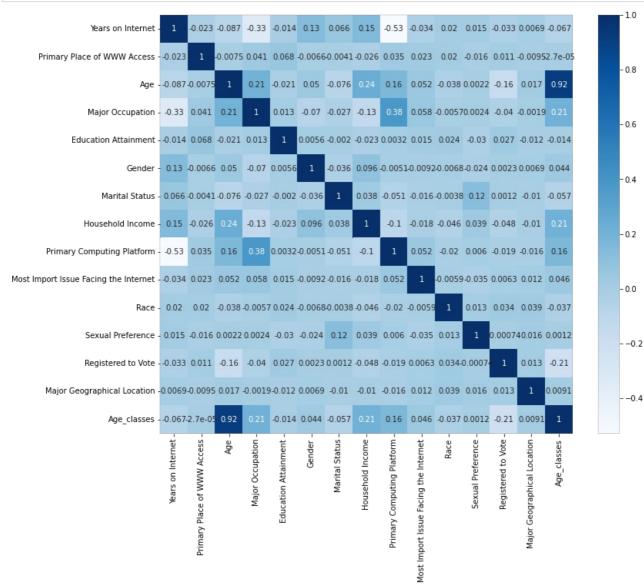
And there is more number male users married with subsequent internet usage of more than 2 years which makes complete sense.

Most of users are either married or single and been using internet for class2 i=that is 1 to 3 yeras.

EDA Multivariate Analysis

In [89]:

```
plt.figure(figsize=(12,10))
sns.heatmap(df.corr(), annot=True, cmap='Blues')
plt.show()
```



Insigths

From the Heat map, we can conculde the following:

No strong positive correlation was observed between features.

Age is moderately positive in correlation to Household Incode.

Marital status and sexual preference are positively correlated.

Years on Internet in negative correlation to age, as years increase age value is decreasing this is making sense as young students use more internet than elder population.

Rest of other features are categorical so could not be utilized here.

Algorithm and models

Unsupervised techniques

- K-Means
- · Hierarchial Clustering
- DBscan

Supervised techniques

- Support vector machines (SVM)
- · Random forests (RF)
- Neural networks (NN)

Unsupervised Methodology

K means clustering with an optimum number of clusters (k)

Elbow method

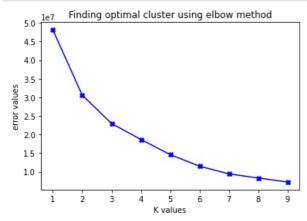
In [156]:

```
### Computing optimal cluster with elbow method
from sklearn.cluster import KMeans
k = []
wcss = []

for i in range(1,10):
   mdl = KMeans(n_clusters=i)
   mdl.fit(df)
   k.append(i)
   wcss.append(mdl.inertia_)
```

In [157]:

```
plt.plot(k,wcss,'bX-')
plt.title("Finding optimal cluster using elbow method")
plt.xlabel("K values")
plt.ylabel("error values")
plt.show()
```



From the K value plot we can be sure that for cluster size 2 the error starts decreasing in constant fasion and curve plateaus.

Thus 2 is th optimal cluster as per the elbow technique.

Now we will use PCA to reduce 12 features to 2 using PCA.

a) Show top 2 of the PCA component output

```
In [158]:
```

```
### PCA component
class PCA:
     Implement the PCA from scratch
    def __init__(self, n_components):
         Constructor for PCA class
        Aras:
        """
n_components (_type_): _description_
        self.n\_components = n\_components
        self.components = None
        self.mean = None
    def fit(self, X):
        Fit the PCA model
        Args:
        """ X (_type_): _description_
        # Mean centering
        self.mean = np.mean(X, axis=0)
        X = X - self.mean
        # covariance, function needs samples as columns
        cov = np.cov(X.T)
        # eigenvalues, eigenvectors
        eigenvalues, eigenvectors = np.linalg.eig(cov)
        # -> eigenvector v = [:,i] column vector, transpose for easier calculations
        # sort eigenvectors
        eigenvectors = eigenvectors.T
        idxs = np.argsort(eigenvalues)[::-1]
        eigenvalues = eigenvalues[idxs]
        eigenvectors = eigenvectors[idxs]
        # store first n eigenvectors
        self.components = eigenvectors[0 : self.n components]
    def transform(self, X):
        # project data
        X = X - self.mean
        return np.dot(X, self.components.T)
In [159]:
# Project the data onto the 3 primary principal components
pca = PCA(2)
pca.fit(df1)
X_projected = pca.transform(df1)
print("Shape of X:", df1.shape)
print("Shape of transformed X:", X projected.shape)
Shape of X: (7354, 15)
Shape of transformed X: (7354, 2)
In [160]:
x1 = X_projected[:, 0]
```

Transformed 12 feature variables into 3 components with highest variance as per asked.

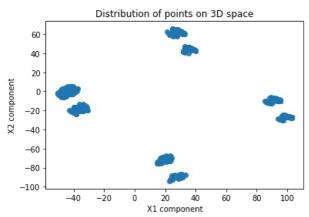
b) Plot the PCA 1, PCA 2 components

x2 = X projected[:, 1]

In [161]:

```
fig = plt.figure()
ax = plt.axes()

# Data for three-dimensional scattered points
ax.scatter(x1, x2,alpha= 0.9)
plt.title("Distribution of points on 3D space")
plt.xlabel("X1 component")
plt.ylabel("X2 component")
plt.show()
```



Helper functions for K-means

In [162]:

```
def init_centroids(k, X):
    arr = []
    for i in range(k):
        cx1 = np.random.uniform(min(X[:,0]), max(X[:,0]))
        cx2 = np.random.uniform(min(X[:,1]), max(X[:,1]))
        arr.append([cx1, cx2])
    return np.asarray(arr)
```

In [163]:

```
def dist(a, b):
    return np.sqrt(sum(np.square(a-b)))
```

In [164]:

```
def assign_cluster(k, X, cg):
    cluster = [-1]*len(X)
    for i in range(len(X)):
        dist_arr = []
        for j in range(k):
            dist_arr.append(dist(X[i], cg[j]))
        idx = np.argmin(dist_arr)
        cluster[i] = idx
    return np.asarray(cluster)
```

In [165]:

In [166]:

```
def measure_change(cg_prev, cg_new):
    res = 0
    for a,b in zip(cg_prev,cg_new):
        res+=dist(a,b)
    return res
```

In [167]:

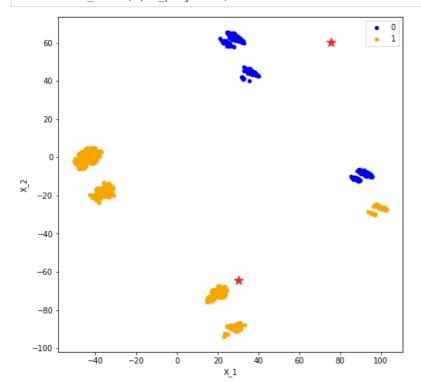
```
def show_clusters(X, cluster, cg):
    df = DataFrame(dict(x=X[:,0], y=X[:,1], label=cluster))
    colors = {0:'blue', 1:'orange', 2:'green'}
    fig, ax = plt.subplots(figsize=(8, 8))
    grouped = df.groupby('label')
    for key, group in grouped:
        group.plot(ax=ax, kind='scatter', x='x', y='y', label=key, color=colors[key])
    ax.scatter(cg[:, 0], cg[:, 1], marker='*', s=150, c='#ff2222')
    plt.xlabel('X_1')
    plt.ylabel('X_2')
    plt.show()
```

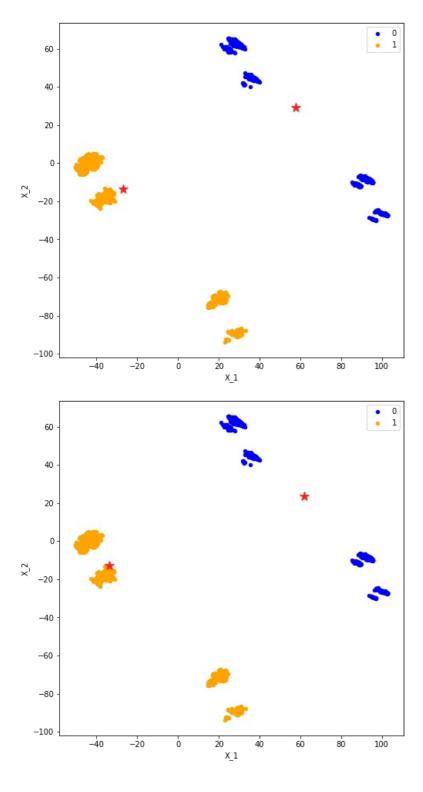
In [168]:

```
def k_means(k, X):
    cg_prev = init_centroids(k, X)
    cluster = [0]*len(X)
    cg_change = 100
    while cg_change>.001:
        cluster = assign_cluster(k, X, cg_prev)
        show_clusters(X, cluster, cg_prev)
        cg_new = compute_centroids(k, X, cluster)
        cg_change = measure_change(cg_new, cg_prev)
        cg_prev = cg_new
    return cluster
```

In [169]:

cluster = k_means(2, X_projected)





PCA

- As we had total 12 features for the purpose of making sense out of it we used PCA and projected them into lower dimensions.
- Dimentionality reduction using PCA gave projected components x_1 and x_2 which are used for clustering using KMeans custom model.
- Thus PCA is summerizing 12 features for each internet user into 2 dimentions.
- Reducing the number of features, we are improving the performance of our algorithm Kmeans.
- By decreasing the number of features the noise and thereby complexity of model is also reduced.

Clustering

- In Kmeans clustering cluster size of 2 is selected using elbow method and iterative clustering is performed.
- Each iteration centroids are changing and after 5th iteration we stopped as centroids started to be at constant position.
- It is distinguishable that negative X_1 values are part of cluster 1 and positive fall in cluster 2.

Hierarchy cluster with Dendrogram

PCA with Hierarchial clusters to get optimal number of clusters

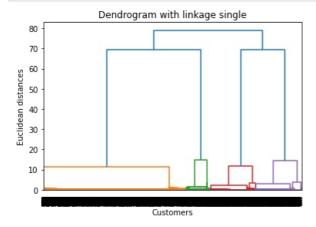
```
In [171]:
```

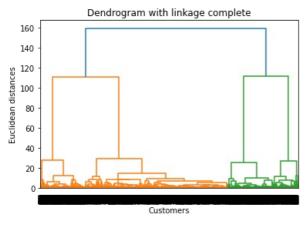
```
# Create Dendrogram with PCA components to find the Optimal Number of Clusters
import scipy.cluster.hierarchy as sch
li =["single","complete","average"]
```

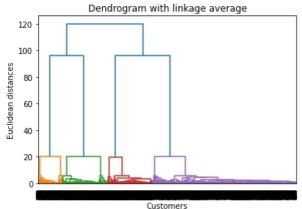
In [172]:

```
## iterative plot for different linkages
for i in range(0,len(li)):

dendro = sch.dendrogram(sch.linkage(X_projected, method = li[i]))
plt.title('Dendrogram with linkage '+li[i])
plt.xlabel('Customers')
plt.ylabel('Euclidean distances')
plt.show()
```





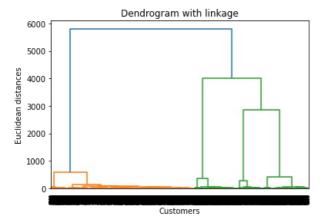


As we can see complete and average linkkages are separating all points in single clusters we can now try ward linkage.

Ward uses Anova that is analysis of variance hence it is supirior in clustering datapoints than rest methods which just consider distance measures.

In [173]:

```
## Finding optimal clusters
dendro_ward = sch.dendrogram(sch.linkage(X_projected, method = "ward"))
plt.title('Dendrogram with linkage')
plt.xlabel('Customers')
plt.ylabel('Euclidean distances')
plt.show()
```



In [174]:

```
unique_colours = set(dendro_ward["color_list"])
```

In [175]:

```
##optimal clusters
optimal_clusters = len(unique_colours)-1
```

In [176]:

```
optimal_clusters
```

Out[176]:

2

- With PCA we get better model with less noise and we have summerized 12 componets in just 2 PCA components.
- As per graph we have 2 optimum clusters for Internet usage dataset.

In [177]:

```
import math
def distance(p, q):
    return math.sqrt(sum([(pi - qi)**2 for pi, qi in zip(p, q)]))
def single_link(ci, cj):
    return min([distance(vi, vj) for vi in ci for vj in cj])
def complete_link(ci, cj):
    return max([distance(vi, vj) for vi in ci for vj in cj])
def average_link(ci, cj):
   distances = [distance(vi, vj) for vi in ci for vj in cj]
    return sum(distances) / len(distances)
def get_distance_measure(M):
    if M == 0:
        return single_link
    elif M == 1:
        return complete link
   else:
        return average link
```

```
In [178]:
```

```
import math
class AgglomerativeHierarchicalClustering:
         init (self, data, K, M):
        self.data = data
        self.N = len(data)
        self.K = K
        #0-single link, 1-complete link, 2-average link"
        self.measure = get_distance_measure(M)
        self.clusters = self.init clusters()
   def distance(p, q):
      return math.sqrt(sum([(pi - qi)**2 for pi, qi in zip(p, q)]))
   def init clusters(self):
        return {data_id: [data_point] for data_id, data_point in enumerate(self.data)}
   def find_closest_clusters(self):
        min dist = math.inf
        closest clusters = None
        clusters ids = list(self.clusters.keys())
        for i, cluster i in enumerate(clusters ids[:-1]):
            for j, cluster j in enumerate(clusters ids[i+1:]):
                dist = self.measure(self.clusters[cluster_i], self.clusters[cluster_j])
                if dist < min dist:</pre>
                    min_dist, closest_clusters = dist, (cluster_i, cluster_j)
        return closest clusters
   def merge and form new clusters(self, ci id, cj id):
        new_clusters = {0: self.clusters[ci_id] + self.clusters[cj_id]}
        for cluster id in self.clusters.keys():
            if (cluster_id == ci_id) | (cluster_id == cj_id):
                continue
            new clusters[len(new clusters.keys())] = self.clusters[cluster id]
        return new_clusters
   def run_algorithm(self):
        while len(self.clusters.keys()) > self.K:
            closest_clusters = self.find_closest_clusters()
            self.clusters = self.merge and form new clusters(*closest clusters)
   ###### custom clusters function to print hierarchial clusters
   def print(self):
        for id, points in self.clusters.items():
            print("Cluster: {}".format(id))
            for point in points:
                x = point[0]
                y = point[1]
                plt.scatter(x, y)
            plt.show()
```

```
In [179]:
```

```
## converting numpy array into dataframe
d = {"PCA1": X_projected[:,0], "PCA2": X_projected[:,1]}
df = pd.DataFrame(d)
```

In [180]:

```
df.shape
```

Out[180]: (7354, 2)

In [181]:

```
## Using few the rows of dataframe as randomly shuffled samples
df = df.sample(frac=0.125).reset_index(drop=True)
```

In [182]:

```
df.shape
```

Out[182]:

(919, 2)

Here we are randomly selecting 500 records from 4000 records to fed to Hierarchial model.

In [183]:

```
### converting dataframe back to numpy array df.values
```

Out[183]:

0) Single Link

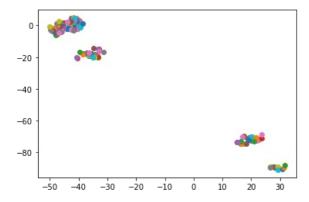
In [184]:

```
agg_hierarchical_clustering_single = AgglomerativeHierarchicalClustering(df.values, 2, 0)
agg_hierarchical_clustering_single.run_algorithm()
```

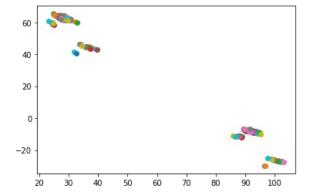
In [185]:

```
agg_hierarchical_clustering_single.print()
```

Cluster: 0



Cluster: 1



Insights:

Hierarchial method with single linkage has separated 2 clusters last cluster is showing clear outlier.

For each cluster we are having custom print function to display the datapoints within that cluster and there by showing 2 clusters separation clearly.

The PCA component 1 is going from negative axis to positive and separating clusters shown as per PCA component 1 and 2 increases

1) Complete Link

In []:

```
agg_hierarchical_clustering_complete = AgglomerativeHierarchicalClustering(df.values, 2, 1)
agg_hierarchical_clustering_complete.run_algorithm()
```

In []:

```
agg_hierarchical_clustering_complete.print()
```

Insights:

Hierarchial method has separated points in 2 clusters based on complete linkage.

For each cluster we are having custom print function to display the datapoints within that cluster and there by showing 2 graphs.

2) Average Link

Now let's see the average link clusters.

In []:

```
agg_hierarchical_clustering_average = AgglomerativeHierarchicalClustering(df.values, 2, 2)
agg_hierarchical_clustering_average.run_algorithm()
```

In []:

```
agg_hierarchical_clustering_average.print()
```

Insights:

Hierarchial method has separated poings in 2 clusters based on Average linkage.

For each cluster we are having custom print function to display the datapoints within that cluster and there by showing 2 graphs.

Complete and Average linkages are having similar separation but single linkage is different.

DBScan cluster

In [187]:

```
from sklearn.preprocessing import PolynomialFeatures
from sklearn.datasets import load iris
import numpy as np
import scipy as scipy
import matplotlib.pyplot as plt
from sklearn.decomposition import PCA
from sklearn.preprocessing import QuantileTransformer
from sklearn.preprocessing import MinMaxScaler,StandardScaler
from sklearn.metrics.pairwise import euclidean_distances
from sklearn.metrics import pairwise_distances,f1_score,precision_score,recall_score
from sklearn.model_selection import GridSearchCV
from sklearn.base import BaseEstimator, ClassifierMixin
#Custom estimator for gridsearch
class MyClassifier(BaseEstimator, ClassifierMixin):
   def __init__(self,e=0,minp=0):
        self.e =e
        self.minp=minp
   def fit(self, X,Y):
        self.Y=Y
```

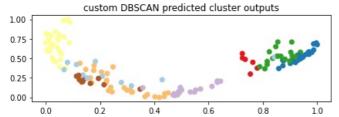
```
#print(selt.Y)
        DistanceMatrix = scipy.spatial.distance.squareform(scipy.spatial.distance.pdist(X, 'euclidean'))
                #print(DistanceMatrix)
        core point array=np.zeros(150)
        cluster_array=np.zeros(150)
        PointNeighbors=[]
        e=self.e
        k=self.minp
                #print(e)
        w=0
        for i in range(len(DistanceMatrix)):
            PointNeighbors=np.where(DistanceMatrix[i]<=e)[0]
            if len(PointNeighbors)>=k:
                core point array[i]=1
                if cluster_array[i]==0:
                    cluster_array[i]=w
                    w=w+1
                for x in range(len(PointNeighbors)):
                                        #print(cluster array[PointNeighbors[x]])
                    if cluster array[PointNeighbors[x]]==0:
                        cluster_array[PointNeighbors[x]]=cluster_array[i]
                                #print(PointNeighbors)
        for x in range(len(cluster array)):
            cluster_array[x]=cluster_array[x]-1
                #print('Number of core points -'+str( np.count nonzero(core point array)))
                #print('Number of clusters -'+str( np.count_nonzero(cluster_array)))
                #print(target data)
                #print(core point array)
                #print(cluster array)
        self.cluster_array=cluster_array
        return cluster array
   def predict(self, X):
         # Some code
         return self.cluster array
   def score(self, X, Y):
        dt=f1 score(self.Y,self.cluster array,average='weighted')
        print('Accuracy -'+str(dt))
        return (dt)
def DBSCAN(normalised distance):
        DistanceMatrix = scipy.spatial.distance.squareform(scipy.spatial.distance.pdist(normalised_distance, 'euc
lidean'))
        #print(DistanceMatrix)
        core_point_array=np.zeros(150)
        cluster array=np.zeros(150)
        PointNeighbors=[]
        e = 0.3
        k=18
        w=0
        for i in range(len(DistanceMatrix)):
                PointNeighbors=np.where(DistanceMatrix[i]<=e)[0]
                if len(PointNeighbors)>=k:
                        core_point_array[i]=1
                        if cluster array[i]==0:
                                cluster_array[i]=w
                        for x in range(len(PointNeighbors)):
```

```
#print(cluster_array[PointNeighbors[x]])
                           if cluster array[PointNeighbors[x]]==0:
                                  cluster array[PointNeighbors[x]]=cluster array[i]
                    #print(PointNeighbors)
      for x in range(len(cluster array)):
                    cluster array[x]=cluster array[x]-1
       #print('Number of core points -'+str( np.count nonzero(core point array)))
      #print('Number of clusters -'+str( np.count_nonzero(cluster_array)))
      #print(target_data)
      #print(core point array)
      print(cluster_array)
       return cluster array
#Getting iris data
iris =load iris()
input data=iris.data
#target data=iris.target
#Data Manipulations before introducing to the algorithm
poly = PolynomialFeatures(2)
input_data=poly.fit_transform(input_data)
#print(input data)
input data=QuantileTransformer(n quantiles=40, random state=0).fit transform(input data)
scaler = MinMaxScaler()
scaler.fit(input data)
normalised input data=scaler.transform(input data)
distan=pairwise distances(normalised input data,metric='euclidean')
scaler.fit(distan)
normalised distance=scaler.transform(distan)
sscaler = StandardScaler()
sscaler.fit(normalised distance)
normalised distance=sscaler.transform(normalised distance)
pca = PCA(n components=4)
normalised distance = pca.fit transform(normalised distance)
scaler.fit(normalised distance)
normalised_distance=scaler.transform(normalised_distance)
print(normalised_distance)
print('normalised distance')
#Training the algorithm using GridSearch
eps values= np.arange(0.1, 0.5, 0.001)
min_sample_values = np.arange(2,30,1)
params = {
   'e':eps values,
   'minp':min_sample_values
cv = [(slice(None), slice(None))]
gs = GridSearchCV(MyClassifier(), param_grid=params, cv=cv)
```

```
#gs.fit(normalised distance, normalised distance)
#print(gs.best params )
#para=gs.best params
#Testing the best selected parameters by plotting
#e=para['e']
#k=para['minp']
cluster array=DBSCAN(normalised distance)
#print(target_data)
#print(cluster array.astype(int))
print('precision_score- '+str(precision_score(target_data,cluster_array,average='weighted',labels=np.unique(clus#
ter array))))
print('recall score- '+str(recall score(target data,cluster array,average='weighted',labels=np.unique(cluster ar#
ray))))
plt.subplot(2, 1, 1)
plt.scatter(normalised distance[:,0], normalised distance[:,1],c=cluster array, cmap='Paired')
plt.title("custom DBSCAN predicted cluster outputs")
#plt.subplot(2, 1, 2)
#plt.scatter(normalised_distance[:,0], normalised_distance[:,1],c=target_data, cmap='Paired')
#plt.title("Actual target outputs")
plt.tight layout()
plt.show()
[[0.9268429  0.5421246  0.22176575  0.49343416]
[0.92978948 0.47714745 0.61983795 0.45965816]
 [0.98070062 0.57758797 0.55819205 0.55262771]
 [0.9391177  0.49595429  0.5680637  0.56053933]
 [0.93820261 0.57900437 0.2405278 0.51053401]
 [0.73487907 0.48708615 0.
                                 0.359717971
 [0.91222947 0.5068694 0.38024214 0.61872656]
[0.91641398 0.48145823 0.25969447 0.55987984]
 [0.93503939 0.53865278 0.80560657 0.41889325]
 [0.95573063 0.54570336 0.56827674 0.47132154]
 [0.85185568 0.52743487 0.09184133 0.37678542]
[0.90945341 0.48979158 0.32052315 0.59839583]
 [0.97050487 0.58324929 0.7226731 0.42588015]
            0.67594837 0.84225469 0.40973797]
[1.
 [0.85484523 0.7095862 0.24241567 0.16303952]
[0.72411925 0.56155327 0.02877608 0.22261474]
 [0.823545
           0.58399397 0.12159029 0.34826381]
 [0.87232134 0.47762762 0.15388088 0.5172906 ]
 [0.72464526 0.50533074 0.00955596 0.2504979 ]
 [0.83625357 0.50041861 0.06919897 0.47723139]
 [0.81576148 0.42268056 0.11270432 0.40202533]
 [0.81574522 0.46129645 0.06312048 0.49497969]
 [0.99658772 0.697564 0.48570125 0.52538392]
[0.75376425 0.29914466 0.13521585 0.52212683]
 [0.87610782 0.4681165 0.3043582 0.57333128]
 [0.85835395 0.36969312 0.51982424 0.42968575]
 [0.80708417 0.36647393 0.1534975 0.57544157]
 [0.88112457 0.49032391 0.13779617 0.46544037]
 [0.91685269 0.50752608 0.23727916 0.47315491]
 [0.90939164 0.45860081 0.44527936 0.58376402]
 [0.90069217 \ 0.43452558 \ 0.48922558 \ 0.55111444]
[0.77918895 0.37533509 0.05889885 0.43467088]
 [0.90623759 0.70888054 0.27984649 0.28824953]
 [0.8474969  0.64926222  0.14725444  0.25093164]
 [0.92000198 0.44659897 0.47421975 0.5391199 ]
            0.55806275 0.4860288 0.49494631]
 [0.965425
 [0.90279522 0.57810164 0.2248068 0.35949735]
 [0.98673678 0.68498667 0.41496419 0.46588853]
 [0.96688431 0.57761937 0.75099127 0.46995442]
 [0.89857897 0.46458105 0.21116418 0.51688772]
 [0.90787412 0.53330787 0.25884366 0.54046055]
 [0.84237907 0.51478316 1.
                                  0.250684481
 [0.98705744 0.60744917 0.62498104 0.55345182]
 [0.78847011 0.39310414 0.1087567 0.56451721]
```

```
[0.7628027  0.44967818  0.03063412  0.46881597]
[0.87360228 0.40580564 0.57824824 0.49247434]
[0.855119
           0.52954791 0.10914691 0.44684833]
[0.96975951 0.55150557 0.54524065 0.57624941]
[0.8660388    0.52796888    0.10338846    0.41313316]
[0.94717316 0.51429433 0.35516843 0.54651487]
[0.18287809 0.4603224 0.08936981 0.02865427]
[0.20539324 0.32429949 0.00403288 0.21860446]
[0.12602452 0.43636518 0.11921586 0.13708858]
[0.50070895 0.09552095 0.75532544 0.17389507]
[0.17001118 0.18595313 0.26907514 0.39332876]
[0.36566248 0.01106181 0.36766072 0.34787816]
[0.17842148 0.40824288 0.03309872 0.28239808]
[0.64395717 0.20685018 0.82143916 0.21693785]
[0.22240253 0.19027802 0.18965856 0.18249359]
[0.48952253 0.07500579 0.59225533 0.35415968]
[0.63190954 0.20945885 0.86629277 0.16847858]
[0.29916833 0.09374887 0.12153855 0.44044322]
[0.49603673 0.12755228 0.72495479 0.01482159]
[0.23142028 0.0873633 0.19664207 0.4386095 ]
[0.48597312 0.03301447 0.31744687 0.24669754]
[0.22642677 0.30607357 0.03385465 0.09618116]
[0.31160545 0.09213799 0.20047537 0.61410965]
[0.48396441 0.03764858 0.4876735 0.04162317]
[0.31580242 0.14816723 0.68927631 0.4291826 ]
[0.53247579 0.06872972 0.67496909 0.04981118]
[0.17681436 0.34520283 0.10839225 0.56399303]
[0.37460364 0.03694075 0.29900041 0.14643721]
[0.2150323  0.16244982  0.54774844  0.57967034]
[0.31933319 0.06905001 0.30908573 0.24515226]
[0.28911702 0.12306739 0.16952383 0.14130694]
[0.22466412 0.21845515 0.08659975 0.15768333]
[0.16470242 0.25108072 0.28587613 0.28004529]
[0.07418311 0.37807947 0.18948019 0.39441117]
[0.24462679 0.07112547 0.21452309 0.51238665]
[0.54798381 0.06809224 0.59356705 0.01353502]
[0.55226845 0.09441506 0.73079657 0.06365367]
[0.57020957 0.10716986 0.7352002 0.04777342]
[0.47523537 0.02441667 0.48126694 0.05447492]
[0.16435102 0.17924654 0.46269543 0.82249685]
[0.34801417 0.10554138 0.25467147 0.64581265]
[0.24794046 0.39024841 0.02413973 0.34841795]
[0.14765372 0.35755439 0.06603783 0.1889179 ]
[0.35768387 0.12351955 0.64398802 0.21237592]
[0.43902122 0.04911782 0.18538598 0.35697016]
[0.49196648 0.06042897 0.67710858 0.17942926]
[0.47307893 0.04718256 0.60621724 0.20056546]
[0.23964162 0.12948037 0.08601715 0.37925413]
[0.46900206 0.03197423 0.55049485 0.05240508]
[0.6322702  0.19298131  0.83286156  0.17220103]
[0.43688639 0.01122304 0.50349952 0.24176051]
[0.45107698 0.05751994 0.16054089 0.25474936]
[0.40205589 0.00796349 0.27003154 0.288336 ]
[0.31635567 0.06621871 0.17503625 0.20070763]
[0.61246332 0.14104911 0.75148777 0.15475896]
[0.41866694 0.
                       0.37261461 0.2330811 ]
[0.04993909 0.79868083 0.47708402 0.36808194]
[0.15320035 0.24602814 0.54124945 1.
[0.
           0.70143191 0.46767438 0.34240405]
[0.05162596 0.38967285 0.36194582 0.72012843]
[0.00496754 0.61289729 0.43664743 0.54537422]
[0.00461884 0.80170664 0.5577704 0.25457331]
[0.42896501 0.2263139 0.7759931 0.65530645]
[0.02142015 0.64379064 0.49152796 0.34358
[0.0660439  0.98404544  0.56614742  0.0743484 ]
 [0.05791059 \ 0.55672923 \ 0.21671328 \ 0.35849343] 
[0.06759729 0.35455219 0.49415774 0.81693697]
[0.00684613 0.589383
                      0.37823327 0.4496396 ]
[0.20875671 0.27067047 0.6903786 0.94079995]
[0.11318928 0.42088608 0.57581437 0.96758997]
[0.04292508 0.63911439 0.32805827 0.42833778]
[0.03610314 0.45314634 0.27808823 0.51618845]
                       0.56225068 0.02008689]
[0.08077766 1.
[0.01728797 0.78068424 0.77457999 0.43721414]
[0.27861389 0.19123572 0.7180424 0.59923219]
[0.01964396 0.79070441 0.43976948 0.23023481]
[0.1953159  0.24426646  0.49942794  0.96962367]
[0.01248385 0.74258457 0.6225583 0.33953779]
[0.12414427 0.2262214 0.43564466 0.7919513 ]
[0.04373694 0.74798459 0.35779612 0.22300367]
[0.04600754 0.73106696 0.36938197 0.15152822]
[0.13292308 0.19667975 0.34221763 0.78403163]
```

```
[0.1134914
             0.27133593 0.18351651 0.68611688]
 [0.027526
             0.480156
                         0.49820484 0.76868983]
 [0.05212037 0.58518082 0.35166742 0.24442768]
 [0.01693951 0.63236484 0.5422783 0.41486905]
[0.08884947 0.96319549 0.51396464 0.
 [0.02520928 0.50632348 0.52084681 0.76556928]
 [0.13674615 0.20353623 0.32671491 0.629954
 [0.19429894 0.24236975 0.55346409 0.650719
 [0.00281379 0.81719465 0.57199035 0.26092034]
 [0.06726838 0.77335795 0.40151556 0.32303069]
 [0.05475556 0.48317935 0.22029698 0.46038195]
 [0.14198221 0.23717018 0.18140546 0.70854574]
[0.02049331 0.65349429 0.33582343 0.29832266]
 [0.01192093 0.71854047 0.43972142 0.38870456]
 [0.02753204 0.67291125 0.36481165 0.3144555 ]
 [0.15320035 0.24602814 0.54124945 1.
 [0.01825625 0.79885295 0.45593884 0.24740855]
 [0.03678591 0.84011151 0.47232612 0.23433162]
 [0.01417722 0.58979721 0.39531125 0.50755182]
 [0.13730391 0.28677581 0.60457446 0.83963492]
 [0.02830313 0.47139825 0.29417547 0.55659579]
  [0.08660463 \ 0.69808777 \ 0.33215147 \ 0.37876503] 
 [0.12162112 0.28314427 0.24726956 0.79406631]]
normalised distance
[ 1.
          0.
      0.
              0.
                   Θ.
                     2.
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 1.
      0.
          0.
              1.
                   1. -1.
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                               1.
                                    2.
                                        0.
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                                                         0. -1.
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                                    4.
              4.
                       4.
                                                         4. -1.
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 3.
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              3.
                   3.
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                                            4.
                                                6.
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                      -1.
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      5.
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 6.
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                                                     6.
                                                         5.
                                                             5.
                                                                  5. -1.
      6.
                           5.
 5.
        -1.
              5.
                   5.
                       6.]
```



Insights:

4

696

As compared to KMeans DBscan has better cluster patterns with values spread in 8 clusters.

Features are scaled for Kmeans and Hierarchial clusters as these are distance based algorithm. Output of these algorithms gave 2 as optimal cluster.

Whereas DBscan being density based technique it is performing better and further separation of datapoints which are density packed is shown in the plot.

In Kmeans and Hierarchial PCA components can be used to reduce noice and better performace as they are distance based but not with DBscan.

Supervised Methodology

Name: Years on Internet, dtype: int64

Expert and Novice Internet users as Target Variable

```
In [592]:

df.shape

Out[592]:
(10040, 14)

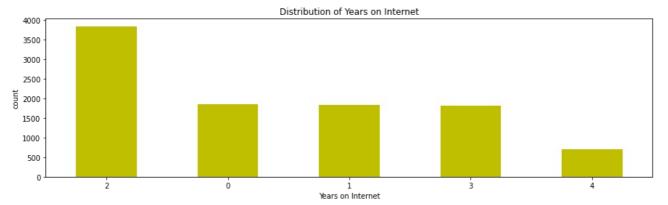
In [593]:

df['Years on Internet'].value_counts()

Out[593]:
2    3843
0    1849
1    1828
3    1824
```

In [594]:

```
plt.figure(figsize = (15, 4))
df['Years on Internet'].value_counts(sort=True).plot(
    kind='bar', color='y', rot=0)
plt.ylabel('count')
plt.xlabel('Years on Internet')
plt.title("Distribution of Years on Internet")
plt.show()
```



Encoding:

```
Under 6 mo=0
6-12 mo=1
1-3 yr=2
4-6 yr=3
Over 7 yr=4
```

- · We can use these categories to classify internet users based on years on internet.
- Novices are the once on the Internet in the past 6 months and in the past 6-12 months.
- Most Experts are the once on the Internet for 4-6 years.
- Expert users are on the internet for 7 years or more.

In [622]:

```
conditions = [
    (df['Years on Internet'].isin([0, 1])),
    (df['Years on Internet'].isin([2,3,4]))

    ]

## Novice, Expert users
values = [0,1]

df['Internet_Users_classes'] = np.select(conditions, values)
```

In [623]:

```
# Data contains 14 feature variables and 1 target variable Years on Internet
# Define features and labels
```

In [624]:

```
df['Internet_Users_classes'].value_counts()
```

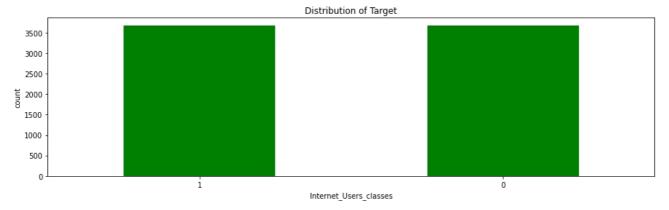
Out[624]:

1 3677 0 3677

Name: Internet_Users_classes, dtype: int64

In [625]:

```
plt.figure(figsize = (15, 4))
df['Internet_Users_classes'].value_counts(sort=True).plot(
    kind='bar', color='g', rot=0)
plt.ylabel('count')
plt.xlabel('Internet_Users_classes')
plt.title("Distribution of Target")
plt.show()
```



As we can see the dataset is biased towards Expert Internet users with 60% falling in class 1 and 40% in class of Novice users.

Methods for Handling Imbalanced Data

- Random Under Sampling
- Random Over Sampling

In [599]:

```
# class count
count_class_1, count_class_0 = df['Internet_Users_classes'].value_counts()
```

In [600]:

```
count_class_0
```

Out[600]:

3677

In [601]:

```
count_class_1
```

Out[601]:

6363

In [602]:

```
# separate according to `label`
df_class_0 = df[df['Internet_Users_classes'] == 0]
df_class_1 = df[df['Internet_Users_classes'] == 1]
```

In [603]:

```
# sample only from class 1 quantity of rows of class 0 df_class_1_under = df_class_1.sample(count_class_0)
```

In [604]:

```
df = pd.concat([df_class_1_under, df_class_0], axis=0)
```

In [626]:

```
df['Internet_Users_classes'].value_counts()
```

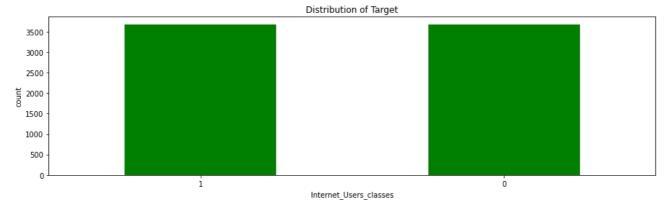
Out[626]:

1 3677 0 3677

Name: Internet_Users_classes, dtype: int64

In [627]:

```
plt.figure(figsize = (15, 4))
df['Internet_Users_classes'].value_counts(sort=True).plot(
    kind='bar', color='g', rot=0)
plt.ylabel('count')
plt.xlabel('Internet_Users_classes')
plt.title("Distribution of Target")
plt.show()
```



As we can see the dataset bias is removed using undersampling.

Define features and labels

In [640]:

df.head()

Out[640]:

	Years on Internet	Primary Place of WWW Access	Age	Major Occupation	Education Attainment	Gender	Marital Status	Household Income	Primary Computing Platform	Most Import Issue Facing the Internet	Race	Sexual Preference	Registered to Vote
5140	2	0	37	3	4	0	3	3	3.0	2	1	1	1
672	2	0	21	3	3	1	5	8	2.0	2	1	1	1
9467	3	0	24	3	4	0	99	2	2.0	2	1	1	1
5292	3	0	39	0	3	0	5	3	1.0	99	1	1	1
3127	3	2	17	3	1	0	5	5	2.0	2	1_	1	3

In [641]:

```
# Data contains 14 feature variables and 1 target variable Years on Internet
# Define features and labels
```

In [642]:

```
y=df["Internet_Users_classes"].values
```

In [643]:

```
df = df.loc[:, df.columns != 'Internet_Users_classes']
```

In [644]:

```
df2.shape
```

Out[644]:

(7354, 13)

In [645]:

```
x = df2.values
```

```
In [646]:
x.shape
Out[646]:
(7354, 13)
```

Feature Scaling

```
In [647]:
sc =StandardScaler()
x = sc.fit transform(x)
Split the dataset into training and test dataset 80:20
In [648]:
Xtrain, Xtest, Ytrain, Ytest = train_test_split(x, y, test_size=0.2, random_state=1234)
In [649]:
Xtrain.shape
Out[649]:
(5883, 13)
In [650]:
Xtest.shape
```

(1471, 13)

Out[650]:

```
In [651]:
Ytrain.shape
```

```
Out[651]:
(5883,)
```

In [652]:

```
Ytest.shape
```

Out[652]:

(1471,)

SVM Classifier

In [659]:

```
class SVM:
   def __init__(self, learning_rate=0.01, lambda_param=0.01, n_iters=10000):
       self.lr = learning_rate
       self.lambda_param = lambda_param
       self.n_iters = n_iters
       self.w = None
       self.b = None
   def fit(self, X, y):
       n samples, n features = X.shape
       y_{-} = np.where(y <= 0, -1, 1)
       self.w = np.zeros(n_features)
       self.b = 0.1
       condition = y_[idx] * (np.dot(x_i, self.w) - self.b) >= 1
               if condition:
                   self.w -= self.lr * (2 * self.lambda_param * self.w)
               else:
                   self.w -= self.lr * (
                       2 * self.lambda_param * self.w - np.dot(x_i, y_[idx])
                   self.b -= self.lr * y_[idx]
   def predict(self, X):
       approx = np.dot(X, self.w) - self.b
       return np.sign(approx)
```

In [654]:

```
clf = SVM()
```

In [664]:

```
clf.fit(Xtrain, Ytrain)
predictions = clf.predict(Xtrain)
```

In [663]:

```
np.unique(predictions)
```

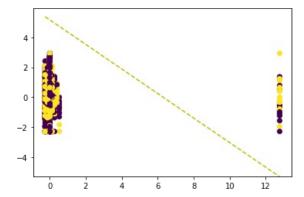
Out[663]:

array([nan])

In [355]:

```
def visualize_svm():
    def get_hyperplane_value(x, w, b, offset):
         return (-w[0] * x + b + offset) / w[1]
    fig = plt.figure()
    ax = fig.add_subplot(1, 1, 1)
plt.scatter(Xtrain[:, 0], Xtrain[:, 1], marker="o", c=Ytrain)
    x0_1 = np.amin(Xtrain[:, 0])
    x0^{-}2 = np.amax(Xtrain[:, 0])
    x1 1 = get hyperplane value(x0 1, clf.w, clf.b, 0)
    x1_2 = get_hyperplane_value(x0_2, clf.w, clf.b, 0)
    x1\_1_m = get\_hyperplane\_value(x0\_1, clf.w, clf.b, -1)
    x1_2m = get_hyperplane_value(x0_2, clf.w, clf.b, -1)

x1_1p = get_hyperplane_value(x0_1, clf.w, clf.b, 1)
    x1_2^-p = get_hyperplane_value(x0_2, clf.w, clf.b, 1)
    ax.plot([x0_1, x0_2], [x1_1, x1_2], "y--")
    ax.plot([x0_1, x0_2], [x1_1_m, x1_2_m], "k")
ax.plot([x0_1, x0_2], [x1_1_p, x1_2_p], "k")
    x1 min = np.amin(Xtrain[:, 1])
    x1_max = np.amax(Xtrain[:, 1])
    ax.set_ylim([x1_min - 3, x1_max + 3])
    plt.show()
visualize svm()
```



We can see clear classification between Novice and Expert internet users.

In [412]:

```
## Training accuracy
accuracy_score(Ytrain, predictions)
```

Out[412]:

0.4968553459119497

In [413]:

```
predictions_test = clf.predict(Xtest)
```

In [414]:

```
## Test accuracy
accuracy_score(Ytest, predictions_test)
```

Out[414]:

0.512576478585996

In [415]:

```
## Analysing output plots for test data

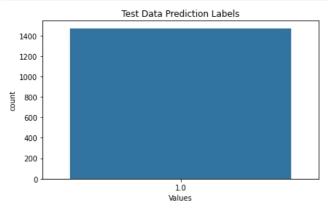
plt.figure(figsize = (15, 4))

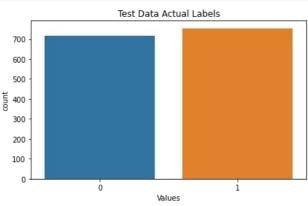
plt.subplot(1, 2, 1)
plt.title("Test Data Prediction Labels")

sns.countplot(x=predictions_test)
plt.xlabel("Values")
plt.ylabel("count")

plt.subplot(1, 2, 2)
plt.title("Test Data Actual Labels")

sns.countplot(x=Ytest)
plt.xlabel("Values")
plt.ylabel("count")
plt.ylabel("count")
plt.ylabel("count")
```



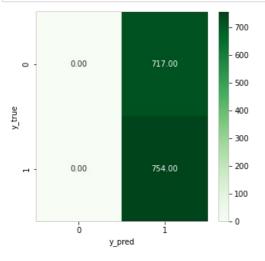


In [376]:

```
cm_SVM = confusion_matrix(Ytest, predictions_test)
```

In [377]:

```
f, ax =plt.subplots(figsize = (5,5))
sns.heatmap(cm_SVM,annot = True, cmap = 'Greens', fmt='.2f')
plt.xlabel("y_pred")
plt.ylabel("y_true")
plt.show()
```



Accuracy for SVM

M	odel	Train	Test
- ;	SVM	50.00%	51. %

Random Forest Classifier

```
## define the random forest classes ##
#class for random forest classifier
#from sklearn.tree import DecisionTreeClassifier
#base class for the random forest algorithm
class RandomForest(ABC):
    #initializer
        __init__(self,n_trees=100):
    def
        self.n_trees = n_trees
        self.trees = []
    #private function to make bootstrap samples
         make bootstraps(self,data):
        #initialize output dictionary & unique value count
        dc = \{\}
        unip = 0
        #get sample size
        b_size = data.shape[0]
        #get list of row indexes
        idx = [i for i in range(b_size)]
        #loop through the required number of bootstraps
        for b in range(self.n_trees):
            #obtain boostrap samples with replacement
            sidx = np.random.choice(idx,replace=True,size=b_size)
            b_samp = data[sidx,:]
            #compute number of unique values contained in the bootstrap sample
            unip += len(set(sidx))
            #obtain out-of-bag samples for the current b
            oidx = list(set(idx) - set(sidx))
            o_samp = np.array([])
            if oidx:
               o samp = data[oidx,:]
            #store results
            dc['boot '+str(b)] = {'boot':b samp,'test':o samp}
        #return the bootstrap results
        return(dc)
    #public function to return model parameters
   def get_params(self, deep = False):
        return {'n_trees':self.n_trees}
   #protected function to obtain the right decision tree
   @abstractmethod
   def make tree model(self):
        pass
   #protected function to train the ensemble
   def _train(self,X_train,y_train):
        #package the input data
        training_data = np.concatenate((X_train,y_train.reshape(-1,1)),axis=1)
        #make bootstrap samples
        dcBoot = self.__make_bootstraps(training_data)
        #iterate through each bootstrap sample & fit a model ##
        tree_m = self._make_tree_model()
        dc0ob
               = {}
        for b in dcBoot:
            #make a clone of the model
            model = clone(tree m)
            #fit a decision tree model to the current sample
            model.fit(dcBoot[b]['boot'][:,:-1], dcBoot[b]['boot'][:,-1].reshape(-1, 1))
            #append the fitted model
            self.trees.append(model)
            #store the out-of-bag test set for the current bootstrap
            if dcBoot[b]['test'].size:
                dcOob[b] = dcBoot[b]['test']
            else:
                dc0ob[b] = np.array([])
        #return the oob data set
        return(dc0ob)
    #protected function to predict from the ensemble
    def predict(self,X):
        #check we've fit the ensemble
        if not self.trees:
            print('You must train the ensemble before making predictions!')
            return(None)
        #loop through each fitted model
        predictions = []
        for m in self.trees:
            #make predictions on the input X
            yp = m.predict(X)
            #append predictions to storage list
            predictions.append(yp.reshape(-1,1))
        #compute the ensemble prediction
```

```
ypred = np.mean(np.concatenate(predictions,axis=1),axis=1)
#return the prediction
return(ypred)
```

In [134]:

```
#class to control tree node
class Node:
    #initializer
    def __init__(self):
    self.__Bs = None
    self.__Bf = None
    self.__bf = None
        self.__left = None
self.__right = None
         self.\overline{leafv} = None
    #set the split, feature parameters for this node
    def set_params(self,Bs,Bf):
         self.__Bs = Bs
         self._Bf = Bf
    #get the split, feature parameters for this node
    def get params(self):
         return(self. Bs,self. Bf)
    #set the left/right children nodes for this current node
    def set_children(self,left,right):
         self.__left = left
         self.__right = right
    #get the left child node
    def get_left_node(self):
         return(self.__left)
    #get the right child node
    def get_right_node(self):
         return(self.__right)
```

In [135]:

```
class RandomForestClassifier(RandomForest):
   #initializer
   def __init__(self,n_trees=100,max_depth=None,min_samples_split=2,loss='gini',balance_class_weights=False):
       super().__init__(n_trees)
        self.max depth
                                   = max depth
       self.min_samples_split
                                   = min_samples_split
        self.loss
                                   = loss
        self.balance class weights = balance class weights
   #protected function to obtain the right decision tree
   def make tree model(self):
        return(DecisionTreeClassifier())
   #public function to return model parameters
   def get_params(self, deep = False):
        return {'n trees':self.n trees,
                'max depth':self.max depth,
                'min_samples_split':self.min_samples_split,
                'loss':self.loss,
                'balance_class_weights':self.balance_class_weights}
   #train the ensemble
   def fit(self,X_train,y_train,print_metrics=False):
        #call the protected training method
       dcOob = self._train(X_train,y_train)
       #if selected, compute the standard errors and print them
       if print metrics:
            #initialise metric arrays
           accs = np.array([])
           pres = np.array([])
            recs = np.array([])
            #loop through each bootstrap sample
            for b,m in zip(dc0ob,self.trees):
                #compute the predictions on the out-of-bag test set & compute metrics
                if dcOob[b].size:
                    yp = m.predict(dc0ob[b][:,:-1])
                    acc = accuracy_score(dc0ob[b][:,-1],yp)
                    pre = precision score(dc0ob[b][:,-1],yp,average='weighted')
                    rec = recall score(dc0ob[b][:,-1],yp,average='weighted')
                    #store the error metrics
                   accs = np.concatenate((accs,acc.flatten()))
                    pres = np.concatenate((pres,pre.flatten()))
                   recs = np.concatenate((recs,rec.flatten()))
            #print standard errors
            print("Standard error in accuracy: %.2f" % np.std(accs))
            print("Standard error in precision: %.2f" % np.std(pres))
            print("Standard error in recall: %.2f" % np.std(recs))
   #predict from the ensemble
   def predict(self,X):
       #call the protected prediction method
        ypred = self._predict(X)
        #convert the results into integer values & return
        return(np.round(ypred).astype(int))
```

In [136]:

```
#create a random forest with balanced class weights
rfc = RandomForestClassifier()
```

In [137]:

```
## train the ensemble & view estimates for prediction error rfc.fit(Xtrain,Ytrain,print_metrics=True)
```

Standard error in accuracy: 0.01 Standard error in precision: 0.01 Standard error in recall: 0.01

In [138]:

Mean Accuracy: 0.77 Mean Precision: 0.77 Mean Recall: 0.77

In [139]:

```
accuracy_score(Ytest, rfc.predict(Xtest))
```

Out[139]:

0.7872195785180149

In [143]:

```
## Analysing output plots for test data

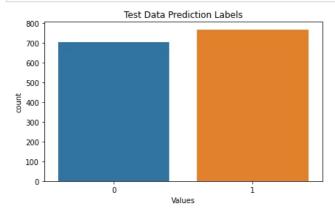
plt.figure(figsize = (15, 4))

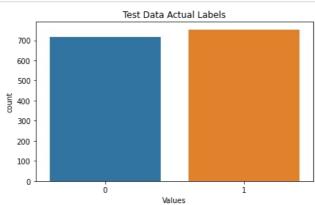
plt.subplot(1, 2, 1)
plt.title("Test Data Prediction Labels")

sns.countplot(x=rfc.predict(Xtest))
plt.xlabel("Values")
plt.ylabel("count")

plt.subplot(1, 2, 2)
plt.title("Test Data Actual Labels")

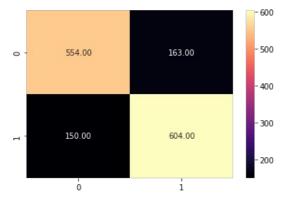
sns.countplot(x=Ytest)
plt.xlabel("Values")
plt.ylabel("count")
plt.ylabel("count")
plt.ylabel("count")
```





In [155]:

```
cm = confusion_matrix(Ytest, rfc.predict(Xtest))
sns.heatmap(cm,annot = True, cmap = 'magma', fmt='.2f')
plt.show()
```



Model	Train	Test
RFT	77 00%	78 72%

Neural Network

With relu Activation Function

```
In [ ]:
```

```
class NeuralNet():
    A two layer neural network
        __init__(self, layers=[13,8,1], learning_rate=0.001, iterations=100):
        self.params = {}
        self.learning_rate = learning_rate
        self.iterations = iterations
        self.loss = []
        self.sample size = None
        self.layers = layers
        self.X = None
        self.y = None
    def init_weights(self):
        Initialize the weights from a random normal distribution
        np.random.seed(1) # Seed the random number generator
        self.params["W1"] = np.random.randn(self.layers[0], self.layers[1])
        self.params['b1'] =np.random.randn(self.layers[1],)
self.params['W2'] = np.random.randn(self.layers[1],self.layers[2])
        self.params['b2'] = np.random.randn(self.layers[2],)
    def relu(self,Z):
        The ReLu activation function is to performs a threshold
        operation to each input element where values less
        than zero are set to zero.
        return np.maximum(0,Z)
    def dRelu(self, x):
        x[x \le 0] = 0
        x[x>0] = 1
        return x
    def eta(self, x):
      ETA = 0.0000000001
      return np.maximum(x, ETA)
    def sigmoid(self,Z):
        The sigmoid function takes in real numbers in any range and
        squashes it to a real-valued output between 0 and 1.
        return 1/(1+np.exp(-Z))
    def entropy_loss(self,y, yhat):
        nsample = len(y)
        yhat_inv = 1.0 - yhat
        y inv = 1.0 - y
        yhat = self.eta(yhat) ## clips value to avoid NaNs in log
        yhat inv = self.eta(yhat inv)
        loss = -1/nsample * (np.sum(np.multiply(np.log(yhat), y) + np.multiply((y_inv), np.log(yhat_inv))))
        return loss
    def forward_propagation(self):
        Performs the forward propagation
        Z1 = self.X.dot(self.params['W1']) + self.params['b1']
        A1 = self.relu(Z1)
        Z2 = A1.dot(self.params['W2']) + self.params['b2']
```

```
yhat = self.sigmoid(Z2)
    loss = self.entropy_loss(self.y,yhat)
    # save calculated parameters
    self.params['Z1'] = Z1
    self.params['Z2'] = Z2
    self.params['A1'] = A1
    return yhat,loss
def back_propagation(self,yhat):
    Computes the derivatives and update weights and bias according.
    y_{inv} = 1 - self.y
    yhat inv = 1 - yhat
    dl_wrt_yhat = np.divide(y_inv, self.eta(yhat_inv)) - np.divide(self.y, self.eta(yhat))
    dl_wrt_sig = yhat * (yhat_inv)
    dl_wrt_z2 = dl_wrt_yhat * dl_wrt_sig
    dl wrt A1 = dl wrt z2.dot(self.params['W2'].T)
    dl_wrt_w2 = self.params['A1'].T.dot(dl_wrt_z2)
    dl_wrt_b2 = np.sum(dl_wrt_z2, axis=0, keepdims=True)
    dl wrt z1 = dl wrt A1 * self.dRelu(self.params['Z1'])
    dl_wrt_w1 = self.X.T.dot(dl_wrt_z1)
    dl wrt b1 = np.sum(dl wrt z1, axis=0, keepdims=True)
    #update the weights and bias
    self.params['W1'] = self.params['W1'] - self.learning_rate * dl_wrt_w1
    self.params['W2'] = self.params['W2'] - self.learning_rate * dl_wrt_w2
self.params['b1'] = self.params['b1'] - self.learning_rate * dl_wrt_b1
    self.params['b2'] = self.params['b2'] - self.learning_rate * dl_wrt_b2
def fit(self, X, y):
    Trains the neural network using the specified data and labels
    self.X = X
    self.y = y
    self.init weights() #initialize weights and bias
    for i in range(self.iterations):
        yhat, loss = self.forward_propagation()
        self.back_propagation(yhat)
        self.loss.append(loss)
def predict(self, X):
    Predicts on a test data
    Z1 = X.dot(self.params['W1']) + self.params['b1']
    A1 = self.relu(Z1)
    Z2 = A1.dot(self.params['W2']) + self.params['b2']
    pred = self.sigmoid(Z2)
    return np.round(pred)
def acc(self, y, yhat):
    Calculates the accuracy between the predicted values and actual
    acc = int(sum(y == yhat) / len(y) * 100)
    return acc
def plot_loss(self):
    Plots the loss curve
    plt.plot(self.loss)
    plt.xlabel("Iteration")
    plt.ylabel("logloss")
    plt.title("Loss curve for training")
    plt.show()
```

number of hidden nodes 5
nn5 = NeuralNet(layers=[14,5,1], learning_rate=0.001, iterations=10000) # create the NN model
nn5.fit(Xtrain, Ytrain) #train the model

```
In [ ]:
```

```
train_pred = nn5.predict(Xtrain)
test_pred = nn5.predict(Xtest)
```

```
np.unique(train_pred)
```

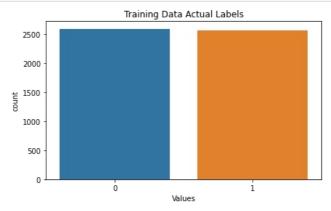
Out[]:

array([0., 1.])

```
## Analysing output plots for Training data
plt.figure(figsize = (15, 4))
plt.subplot(1, 2, 1)
plt.title("Training Data Prediction Labels")
sns.countplot(x=train_pred[:, 0])
plt.xlabel("Values")
plt.ylabel("count")

plt.subplot(1, 2, 2)
plt.title("Training Data Actual Labels")
sns.countplot(x=Ytrain[:, 0])
plt.xlabel("Values")
plt.ylabel("Count")
plt.ylabel("count")
plt.show()
```





```
## Analysing output plots for test data

plt.figure(figsize = (15, 4))

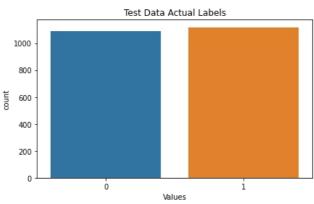
plt.subplot(1, 2, 1)
plt.title("Test Data Prediction Labels")

sns.countplot(x=test_pred[:, 0])
plt.xlabel("Values")
plt.ylabel("count")

plt.subplot(1, 2, 2)
plt.title("Test Data Actual Labels")

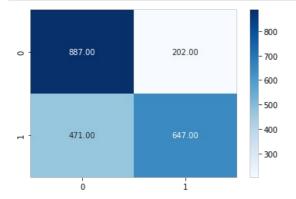
sns.countplot(x=Ytest[:, 0])
plt.xlabel("Values")
plt.ylabel("count")
plt.ylabel("count")
plt.ylabel("count")
```





In []:

```
NN_5Nodes = confusion_matrix(Ytest, test_pred)
sns.heatmap(NN_5Nodes,annot = True, cmap = 'Blues', fmt='.2f')
plt.show()
```



In []:

```
print("Train accuracy is {}".format(nn5.acc(Ytrain, train_pred)))
print("Test accuracy is {}".format(nn5.acc(Ytest, test_pred)))
```

Train accuracy is 70 Test accuracy is 69

with Sigmoid Activation function

```
selt.layers = layers
        self.X = None
        self.y = None
   def init_weights(self):
        Initialize the weights from a random normal distribution
        np.random.seed(1) # Seed the random number generator
        self.params["W1"] = np.random.randn(self.layers[0], self.layers[1])
        self.params['b1'] =np.random.randn(self.layers[1],)
        self.params['W2'] = np.random.randn(self.layers[1],self.layers[2])
        self.params['b2'] = np.random.randn(self.layers[2],)
   def eta(self, x):
     ETA = 0.0000000001
      return np.maximum(x, ETA)
   def tanh(self,Z):
        return (np.exp(Z) - np.exp(-Z)) / (np.exp(Z) + np.exp(-Z))
    # tanh activation function
   def dtanh(self, x):
            return 1-(((np.exp(x) - np.exp(-x))) / (np.exp(x) + np.exp(-x)))*((np.exp(x) - np.exp(-x))) / (np.exp(x) - np.exp(-x))
) + np.exp(-x)))
    def sigmoid(self,Z):
        The sigmoid function takes in real numbers in any range and
        squashes it to a real-valued output between 0 and 1.
        return 1/(1+np.exp(-Z))
   def dsigmoid(self,Z):
        The sigmoid function takes in real numbers in any range and
        squashes it to a real-valued output between 0 and 1.
        return (1/(1+np.exp(-Z))) * (1-(1/(1+np.exp(-Z))))
   def entropy loss(self,y, yhat):
        nsample = len(y)
        yhat inv = 1.0 - yhat
        y_{inv} = 1.0 - y
        yhat = self.eta(yhat) ## clips value to avoid NaNs in log
        yhat_inv = self.eta(yhat_inv)
        loss = -1/nsample * (np.sum(np.multiply(np.log(yhat), y) + np.multiply((y_inv), np.log(yhat_inv))))
        return loss
   def forward_propagation(self):
        Performs the forward propagation
        Z1 = self.X.dot(self.params['W1']) + self.params['b1']
        A1 = self.sigmoid(Z1)
        Z2 = A1.dot(self.params['W2']) + self.params['b2']
        yhat = self.sigmoid(Z2)
        loss = self.entropy_loss(self.y,yhat)
        # save calculated parameters
        self.params['Z1'] = Z1
        self.params['Z2'] = Z2
        self.params['A1'] = A1
        return yhat,loss
   def back_propagation(self,yhat):
        Computes the derivatives and update weights and bias according.
        y inv = 1 - self.y
        yhat inv = 1 - yhat
        dl_wrt_yhat = np.divide(y_inv, self.eta(yhat_inv)) - np.divide(self.y, self.eta(yhat))
        dl_wrt_sig = yhat * (yhat_inv)
dl_wrt_z2 = dl_wrt_yhat * dl_wrt_sig
        dl_wrt_A1 = dl_wrt_z2.dot(self.params['W2'].T)
        dl_wrt_w2 = self.params['A1'].T.dot(dl_wrt_z2)
        dl_wrt_b2 = np.sum(dl_wrt_z2, axis=0, keepdims=True)
        dl_wrt_z1 = dl_wrt_A1 * self.dsigmoid(self.params['Z1'])
        dl_wrt_w1 = self.X.T.dot(dl_wrt_z1)
```

```
dl_wrt_bl = np.sum(dl_wrt_zl, axis=0, keepdims=True)
    #update the weights and bias
    self.params['W1'] = self.params['W1'] - self.learning_rate * dl_wrt_w1
self.params['W2'] = self.params['W2'] - self.learning_rate * dl_wrt_w2
self.params['b1'] = self.params['b1'] - self.learning_rate * dl_wrt_b1
    self.params['b2'] = self.params['b2'] - self.learning_rate * dl_wrt_b2
def fit(self, X, y):
    Trains the neural network using the specified data and labels
    self.X = X
    self.y = y
    self.init_weights() #initialize weights and bias
    for i in range(self.iterations):
         yhat, loss = self.forward_propagation()
         self.back_propagation(yhat)
         self.loss.append(loss)
def predict(self, X):
    Predicts on a test data
    Z1 = X.dot(self.params['W1']) + self.params['b1']
    A1 = self.sigmoid(Z1)
    Z2 = A1.dot(self.params['W2']) + self.params['b2']
    pred = self.sigmoid(Z2)
    return np.round(pred)
def acc(self, y, yhat):
    Calculates the accuracy between the predicted values and actual
    acc = int(sum(y == yhat) / len(y) * 100)
    return acc
def plot_loss(self):
    Plots the loss curve
    plt.plot(self.loss)
    plt.xlabel("Iteration")
    plt.ylabel("logloss")
    plt.title("Loss curve for training")
    plt.show()
```

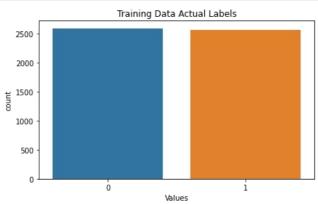
nn_sigmoid = NeuralNet_sigmoid(layers=[14,5,1], learning_rate=0.001, iterations=50000) # create the NN model
nn sigmoid.fit(Xtrain, Ytrain) #train the model

```
train_pred = nn_sigmoid.predict(Xtrain)
test_pred = nn_sigmoid.predict(Xtest)
```

```
## Analysing output plots for Training data
plt.figure(figsize = (15, 4))
plt.subplot(1, 2, 1)
plt.title("Training Data Prediction Labels")
sns.countplot(x=train_pred[:, 0])
plt.xlabel("Values")
plt.ylabel("count")

plt.subplot(1, 2, 2)
plt.title("Training Data Actual Labels")
sns.countplot(x=Ytrain[:, 0])
plt.xlabel("Values")
plt.xlabel("Values")
plt.ylabel("count")
plt.show()
```





```
## Analysing output plots for test data

plt.figure(figsize = (15, 4))

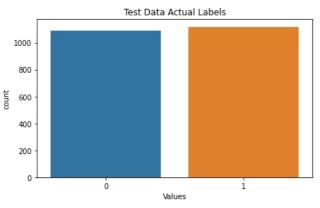
plt.subplot(1, 2, 1)
plt.title("Test Data Prediction Labels")

sns.countplot(x=test_pred[:, 0])
plt.xlabel("Values")
plt.ylabel("count")

plt.subplot(1, 2, 2)
plt.title("Test Data Actual Labels")

sns.countplot(x=Ytest[:, 0])
plt.xlabel("Values")
plt.ylabel("count")
plt.ylabel("count")
plt.ylabel("count")
```



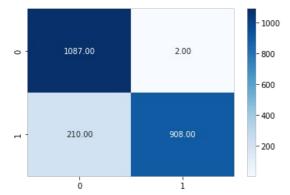


```
print("Train accuracy is {}".format(nn_sigmoid.acc(Ytrain, train_pred)))
print("Test accuracy is {}".format(nn_sigmoid.acc(Ytest, test_pred)))
```

Train accuracy is 91 Test accuracy is 90

In []:

```
NN sigmoid = confusion matrix(Ytest, test pred)
sns.heatmap(NN sigmoid,annot = True, cmap = 'Blues', fmt='.2f')
plt.show()
```



with tanh activation function

```
class NeuralNet_tanh():
   A two layer neural network
    def
          _init__(self, layers=[13,5,1], learning_rate=0.001, iterations=100):
        self.params = {}
        self.learning_rate = learning_rate
        self.iterations = iterations
        self.loss = []
        self.sample size = None
        self.layers = layers
        self.X = None
        self.y = None
    def init_weights(self):
        Initialize the weights from a random normal distribution
        np.random.seed(1) # Seed the random number generator
        self.params["W1"] = np.random.randn(self.layers[0], self.layers[1])
        self.params['b1'] =np.random.randn(self.layers[1],)
self.params['W2'] = np.random.randn(self.layers[1],self.layers[2])
        self.params['b2'] = np.random.randn(self.layers[2],)
    def eta(self, x):
      ETA = 0.0000000001
      return np.maximum(x, ETA)
    def tanh(self, x):
      return np.tanh(x)
    def dtanh(self, x):
            return 1 - np.tanh(x)**2
    def sigmoid(self,Z):
        The sigmoid function takes in real numbers in any range and
        squashes it to a real-valued output between 0 and 1.
        return 1/(1+np.exp(-Z))
    def dsigmoid(self,Z):
        The sigmoid function takes in real numbers in any range and
        squashes it to a real-valued output between 0 and 1.
        return (1/(1+np.exp(-Z))) * (1-(1/(1+np.exp(-Z))))
```

```
def entropy_loss(self,y, yhat):
    nsample = len(y)
    yhat_inv = 1.0 - yhat
    y_inv = 1.0 - y
    yhat = self.eta(yhat) ## clips value to avoid NaNs in log
    yhat_inv = self.eta(yhat_inv)
    loss = -1/nsample * (np.sum(np.multiply(np.log(yhat), y) + np.multiply((y_inv), np.log(yhat_inv))))
    return loss
def forward_propagation(self):
    Performs the forward propagation
    Z1 = self.X.dot(self.params['W1']) + self.params['b1']
    A1 = self.tanh(Z1)
    Z2 = A1.dot(self.params['W2']) + self.params['b2']
    yhat = self.sigmoid(Z2)
    loss = self.entropy_loss(self.y,yhat)
    # save calculated parameters
    self.params['Z1'] = Z1
    self.params['Z2'] = Z2
    self.params['A1'] = A1
    return yhat, loss
def back propagation(self,yhat):
    Computes the derivatives and update weights and bias according.
    y inv = 1 - self.y
    yhat_inv = 1 - yhat
    dl_wrt_yhat = np.divide(y_inv, self.eta(yhat_inv)) - np.divide(self.y, self.eta(yhat))
    dl_wrt_sig = yhat * (yhat_inv)
    dl_wrt_z2 = dl_wrt_yhat * dl_wrt_sig
    dl_wrt_A1 = dl_wrt_z2.dot(self.params['W2'].T)
    dl wrt w2 = self.params['A1'].T.dot(dl wrt z2)
    dl_wrt_b2 = np.sum(dl_wrt_z2, axis=0, keepdims=True)
    dl_wrt_z1 = dl_wrt_A1 * self.dtanh(self.params['Z1'])
    dl_wrt_w1 = self.X.T.dot(dl_wrt_z1)
    dl_wrt_b1 = np.sum(dl_wrt_z1, axis=0, keepdims=True)
    #update the weights and bias
    self.params['W1'] = self.params['W1'] - self.learning_rate * dl_wrt_w1
    self.params['W2'] = self.params['W2'] - self.learning_rate * dl_wrt_w2
    self.params['b1'] = self.params['b1'] - self.learning_rate * dl_wrt_b1
    self.params['b2'] = self.params['b2'] - self.learning_rate * dl_wrt_b2
def fit(self, X, y):
    Trains the neural network using the specified data and labels
    self.X = X
    self.y = y
    self.init weights() #initialize weights and bias
    for i in range(self.iterations):
        yhat, loss = self.forward_propagation()
        self.back_propagation(yhat)
        self.loss.append(loss)
def predict(self, X):
    Predicts on a test data
    Z1 = X.dot(self.params['W1']) + self.params['b1']
    A1 = self.tanh(Z1)
    Z2 = A1.dot(self.params['W2']) + self.params['b2']
    pred = self.sigmoid(Z2)
    return np.round(pred)
def acc(self, y, yhat):
    Calculates the accuracy between the predicted values and actual
    acc = int(sum(y == yhat) / len(y) * 100)
    return acc
```

```
def plot_loss(self):
    Plots the loss curve
    plt.plot(self.loss)
    plt.xlabel("Iteration")
    plt.ylabel("logloss")
    plt.title("Loss curve for training")
    plt.show()
```

nn_tanh = NeuralNet_tanh(layers=[14,5,1], learning_rate=0.001, iterations=50000) # create the NN model nn_tanh.fit(Xtrain, Ytrain) #train the model

In []:

```
train_pred = nn_tanh.predict(Xtrain)
test_pred = nn_tanh.predict(Xtest)
```

In []:

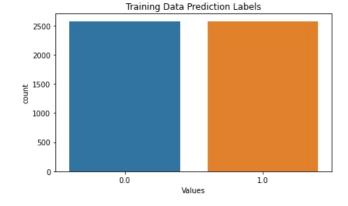
```
np.unique(train pred)
```

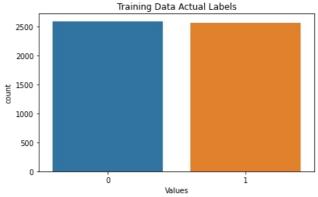
Out[]:

array([0., 1.])

```
## Analysing output plots for Training data
plt.figure(figsize = (15, 4))
plt.subplot(1, 2, 1)
plt.title("Training Data Prediction Labels")
sns.countplot(x=train_pred[:, 0])
plt.xlabel("Values")
plt.ylabel("count")

plt.subplot(1, 2, 2)
plt.title("Training Data Actual Labels")
sns.countplot(x=Ytrain[:, 0])
plt.xlabel("Values")
plt.ylabel("count")
plt.show()
```





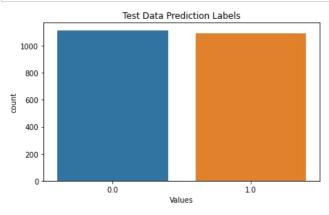
```
## Analysing output plots for test data
plt.figure(figsize = (15, 4))

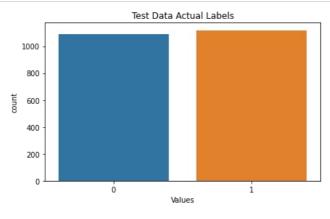
plt.subplot(1, 2, 1)
plt.title("Test Data Prediction Labels")

sns.countplot(x=test_pred[:, 0])
plt.xlabel("Values")
plt.ylabel("count")

plt.subplot(1, 2, 2)
plt.title("Test Data Actual Labels")

sns.countplot(x=Ytest[:, 0])
plt.xlabel("Values")
plt.ylabel("count")
plt.ylabel("count")
plt.show()
```





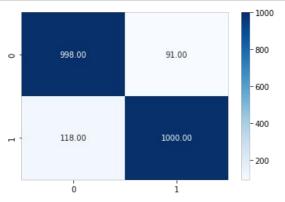
In []:

```
print("Train accuracy is {}".format(nn_tanh.acc(Ytrain, train_pred)))
print("Test accuracy is {}".format(nn_tanh.acc(Ytest, test_pred)))
```

Train accuracy is 89 Test accuracy is 90

In []:

```
NN_tanh = confusion_matrix(Ytest, test_pred)
sns.heatmap(NN_tanh, annot = True, cmap = 'Blues', fmt='.2f')
plt.show()
```



Model outcome and Performace Comparison

Accuracy

Model	Train	Test
SVM	50.00%	51.00 %
RF	77.00 %	78.72%
NN	89.0 %	90.0%

As we move from traditional machine learning models to more sophisticated neural nets accuracy takes leap.

The class imbalance was removed to make sure model is predicting based on accurate inputs.

Conclusion

Overall we tried to analyse the survey data from graphics and visualizations team at Gorgia Tech.

The survey data is used to study Internet user demographics.

Using Internet Data our efforts have been directed to understand who is using it, their age class, marital status and overall how it is being used.

For data Analysis we started with removing uneccessary features, null checks, duplicates and then summary statistics.

We used different visualizations for performing EDA for example Univariate, Bi-Variate, and Multivariate Analysis.

For each plot we have identified the insights and continued the exploration further.

Among the top findings, the gender ratio continues to move closer and closer to par, with 40% of the US respondents reporting being female.

Privacy overpowers censorship as the number one most important issue facing the Internet during 90s and continues to be important issue now.

Overall most of Internet users in 1997 were between age class 20 to 50 years.

Years on Internet is mostly between 3 to 7 years that is Expert Users.

Large amount of internet users were married or single.

Finally Web has truly become an important tool to access information and perform analytics.

In this analysis both Unsupervised and Supervised methods were focused towards customer segmentation into two types, Novice users and Expert users.

Results and trends with different algorithms are studied, compared and documented for business use as well as for public reasearch further.