

$$e = a \times b, \quad d = c + e, \quad L = d \times f.$$

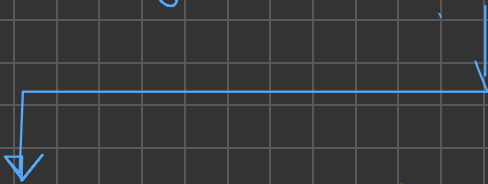
Forward Pass

$$e = a \times b$$

$$d = c + e$$

$$L = d \times f$$

(will we be updating intermediate nodes, like, e, d, L , as we have calc. grad for them)



Answer:- we calculated grad for all var. a, b, c, d, e, f, L , but we will only update, a, b, c, f , but not e, d, L , bcz, e, d, L are intermedi.

are intermediate steps, if we even later update,

c, d, L , it won't make any sense, we will waste ops. if $c = a \times b$, & we have updated, a & b , then even if we update c , it won't matter, as forward pass, we will overwrite, the value of c ,

if $a \rightarrow a+h$, $b \rightarrow b-h$, $e \rightarrow e+h'$] \rightarrow won't make sense

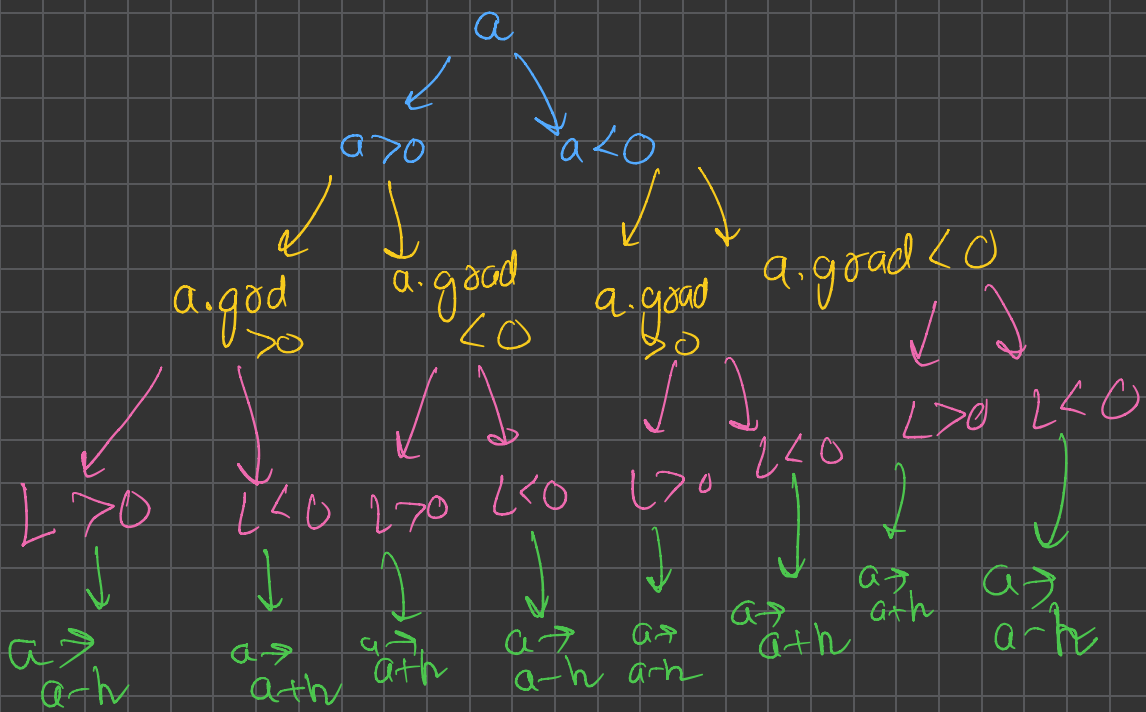
$$e = (a+h)(b-h)$$

The value of $e+h'$, will be overwritten by $(a+h)(b-h)$

< conclusion:- we will update only trainable parameters, not the intermediate parameters
Eg (a, b, c, d)

General, Assume a variable ' a ' is there





If ignoring, $a > 0$, or $a < 0$, (Assume, $L < 0$)

if $a.good > 0$, then, $\rightarrow a = a+h$

$a.good < 0$, then, $\rightarrow \cancel{a} = a-h$

$a += \alpha \cdot a.good$ (Assume $h = a.good$)

$a = a + (\alpha \cdot a.good)$ ($a.good > 0, < 0$)

$a = a + (\alpha \cdot a.good)$ ($a.good > 0$)

$a = a - (\alpha \cdot a.good)$ ($a.good < 0$)

$\rightarrow \alpha = 0.001$ ($h = \alpha \cdot a.good$)

if $L < 0$, conclusion, update, parameters in dirⁿ of gradient.

if $L > 0$, conclusion, update parameter in opp. dirⁿ of grad.

if $L < 0$

$a.data += \alpha (a.grad)$
 ↓
learning rate

if $L > 0$

$a.data -= \alpha (a.grad)$
 ↓
learning rate