

Detecting Pendent Vertices and Pendent Edges in Incidence Matrix

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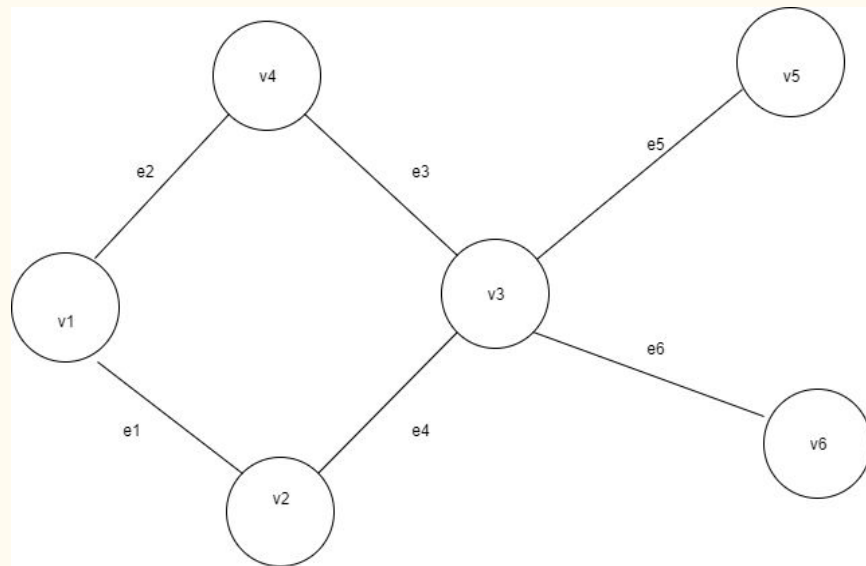
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Problem Definition and Objective

- Given an incidence matrix, the objective is to try and design an algorithm to find the pendent vertices and edges present in the graph. The idea is to find such vertices and edges independently.

	e1	e2	e3	e4	e5	e6
v1	1	1	0	0	0	0
v2	1	0	0	1	0	0
v3	0	0	1	1	1	1
v4	0	1	1	0	0	0
v5	0	0	0	0	1	0
v6	0	0	0	0	0	1



Methodologies

★ Approach 1:

n: vertices m: edges g(n,m): graph

Pendent(n,m)

```
    pendent[n] = false
    vertex = 0 // number of pendent vertices
    edge = 0   // number of pendent edges
    for(i: 0 to n)
        count = 0
        for(j:0 to m)
            if(g(i,j) := 1)
                count = count+1
        if(count := 1)
            vertex = vertex+1
            pendent[i] = true;
    for(i: 0 to m)
        for(j: 0 to n)
            if(g(j,i) := 1 && pendent[j] := true){
                edge = edge+1
                break
```

Time Complexity : $O(nxm)$
Space Complexity : $O(n)$

★ Approach 2:

n: vertices ,m: edges ,g(n,m): graph

Pendent(n,m)

pendent[m] = {false}

vertex := 0 // number of pendent vertices

edge := 0 // number of pendent edges

for(i: 0 to n)

count := 0

index := 0

for(j:0 to m)

if(g(i,j) := 1)

count := count+1

index := j

if(count := 1)

vertex = vertex + 1

if(pendent[index] := false)

pendent[index] := true

edge := edge + 1

Time Complexity : $O(nxm)$

Space Complexity : $O(m)$

★ Approach 3:

n: vertices m: edges g(n,m): graph

```

Pendent(n,m)
    pendent[n] = false
    vertex = 0 // number of pendent vertices
    edge = 0   // number of pendent edges
    for(i: 0 to m)
        u,v //vertices of edge i
        for(j: 0 to m)
            if(j!=i)
                if(g(u,j) := 1)
                    flag1 = true
                if(g(u,j) := 1)
                    flag2 = true
        if(!flag1||!flag2)
            edge := edge + 1
        if(!flag1 && !pendent[u])
            vertex = vertex + 1
            pendent[u] = true
        if(!flag2 && !pendent[v])
            vertex = vertex + 1
            pendent[v] = true

```

Time Complexity : $O(m \times (n+m))$
 Space Complexity : $O(n)$

Result & Analysis

