## **Basic Ordination**

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## Introduction

#### Introduction

- · Ordination comes from the German word ordnung, meaning to put things in order
- This is exactly what we we do in ordination we arrange our samples along gradients by fitting lines and planes through the data that describe the main patterns in those data
- · Linear and unimodal methods
- Principle Components Analysis (PCA) is a linear method most useful for environmental data or sometimes with species data and short gradients
- Correspondence Analysis (CA) is a unimodal method most useful for species data, especially where non-linear responses are observed

# **Principal Components Analysis**

#### Ordination

- Regression gives us a basis from which to work
- · Instead of doing many regressions, do one with all the species data once
- · Only now we don't have any explanatory variables, we wish to uncover these underlying gradients
- PCA fits a line through our cloud of data in such a way that it maximises the variance in the data captured by that line (i.e.~minimises the distance between the fitted line and the observations)
- Then we fit a second line to form a plane, and so on, until we have one PCA line or axis for each of our species
- Each of these subsequent axes is uncorrelated with previous axes they are orthogonal so the variance each axis explains is uncorrelated

5

## **Principal Components Analysis**

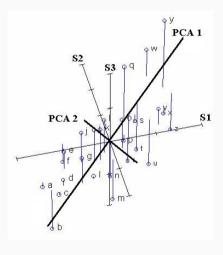
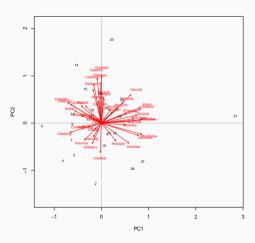


Figure 1:

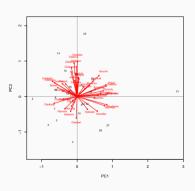
## Vegetation in lichen pastures — PCA

Data are cover values of 44 understorey species recorded at 24 locations in lichen pastures within dry *Pinus* sylvestris forests



#### Vegetation in lichen pastures — PCA biplots

- · Have two sets of scores
  - · Species scores
  - Site scores \end{enumerate}
- Sample (species) points plotted close together have similar species compositions (occur together)
- In PCA, species scores often drawn as arrows point in direction of increasing abundance
- Species arrows with small angles to an axis are highly correlated with that axis



#### Eigenvalues

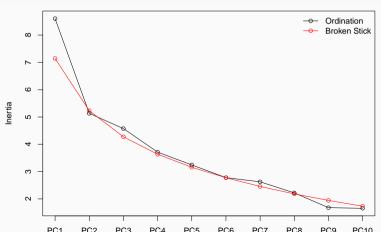
#### Eigenvalues $\lambda$ are the amount of variance (inertia) explained by each axis

```
head(eigenvals(pca), 6L)

PC1 PC2 PC3 PC4 PC5 PC6

8.602826 5.133623 4.575623 3.713926 3.244925 2.779195

screeplot(pca, bstick = TRUE, type = "l", main = NULL)
```

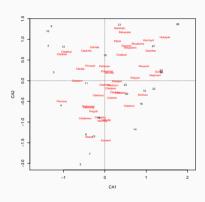


# **Correspondence Analysis**

## Correspondence Analysis

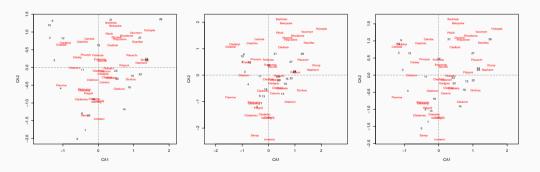
## Vegetation in lichen pastures — CA biplots

- · Have two sets of scores
  - 1. Species scores
  - 2. Site scores
- Sample (species) points plotted close together have similar species compositions (occur together)
- In CA, species scores drawn as points this is the fitted optima along the gradients
- Abundance of species declines in concentric circles away from the optima



## Vegetation in lichen pastures — CA biplots

- · Species scores plotted as weighted averages of site scores, or
- · Site scores plotted as weighted averages of species scores, or
- · A symmetric plot



# Vegan usage

#### Vegan basics

- · The majority of vegan functions work with a single vector, or more commonly an entire data frame
- This data frame may contain the species abundances
- · Where subsidiary data is used/required, these two are supplied as data frames
- · For example; the environmental constraints in a CCA
- It is not a problem if you have all your data in a single file/object; just subset it into two data frames after reading it into R

```
spp <- allMyData[, 1:20] ## columns 1-20 contain the species data
env <- allMyData[, 21:26] ## columns 21-26 contain the environmental data
```

### Simple vegan usage

First we start with a simple correspondence analysis (CA) to illustrate the basic features

Here I am using one of the in-built data sets on lichen pastures

For various reasons to fit a CA we use the cca() function

Store the fitted CA in ca1 and print it to view the results

```
ca1 <- cca(varespec)
ca1
Call: cca(X = varespec)
              Inertia Rank
Total
               2.083
Unconstrained 2.083 23
Inertia is mean squared contingency coefficient
Eigenvalues for unconstrained axes:
         CA2
                CA3
                       CA4
                              CA5
                                     CA6
0.5249 0.3568 0.2344 0.1955 0.1776 0.1216 0.1155 0.0889
(Showed only 8 of all 23 unconstrained eigenvalues)
```

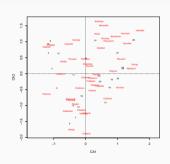
#### scores() & scaling in cca(), rda()

- · When we draw the results of many ordinations we display 2 or more sets of data
- · Can't display all of these and maintain relationships between the scores
- · Solution; scale one set of scores relative to the other
- · Controlled via the **scaling** argument
  - · scaling = 1 Focus on species, scale site scores by  $\lambda_i$
  - · scaling = 2 Focus on sites, scale species scores by  $\lambda_i$
  - · scaling = 3 Symmetric scaling, scale both scores by  $\sqrt{\lambda_i}$
  - · scaling = -1 As above, but
  - · scaling = -2 For cca() multiply results by  $\sqrt{(1/(1-\lambda_i))}$
  - scaling = -3 this is Hill's scaling
  - $\cdot$  scaling < 0 For rda() divide species scores by species'  $\sigma$
  - $\cdot$  scaling = 0 raw scores

#### Basic ordination plots

- Basic plotting can be done using the plot() method
- · choices = 1:2 select which axes to plot
- scaling = 3 scaling to use
- display = c("sites", "species") which scores (default is both)
- type = "text" display scores using labels or points ("points")
- Other graphics arguments can be supplied but the apply for all scores

#### plot(ca1, scaling = "symmetric")



# Non-Metric Multidimensional Scaling

#### Non-Metric Multidimensional Scaling

- · Aim is to find a low-dimensional mapping of dissimilarities
- · Similar idea to PCoA, but does not use the actual dissimilarities
- NMDS attempts to find a low-dimensional mapping that preserves as best as possible the rank order of the original dissimilarities ( $d_{ii}$ )
- · Solution with minimal stress is sought; a measure of how well the NMDS mapping fits the  $d_{ij}$
- · Stress is sum of squared residuals of monotonic regression between distances in NMDS space  $(d_{ij}^*) \& d_{ij}$
- · Non-linear regression can cope with non-linear responses in species data
- Iterative solution; convergence is not guaranteed
- Must solve separately different dimensionality solutions

#### Non-Metric Multidimensional Scaling

- Use an appropriate dissimilarity metric that gives good gradient separation rankindex()
  - · Bray-Curtis
  - Jaccard
  - Kulczynski
- Wisconsin transformation useful; Standardize species to equal maxima, then sites to equal totals wisconsin()
- · Iterative solution; use many random starts and look at the fits with lowest stress
- · Only conclude solution reached if lowest stress solutions are similar (Procrsutes rotation)
- Fit NMDS for 1, 2, 3, ...dimensions; stop after a sudden drop in stress observed in a screeplot
- NMDS solutions can be rotated at will; common to rotate to principal components
- Also scale axes in half-change units; samples separated by a distance of 1 correspond, on average, to a 50% turnover in composition

#### NMDS in vegan

#### Vegan implements all these ideas via the metaMDS() wrapper

```
data(dune)
set.seed(10)
(sol <- metaMDS(dune, trace = FALSE))
Call:
metaMDS(comm = dune, trace = FALSE)
global Multidimensional Scaling using monoMDS
         dune
Data:
Distance: bray
Dimensions: 2
Stress:
            0.1183186
Stress type 1. weak ties
Two convergent solutions found after 20 tries
Scaling: centring, PC rotation, halfchange scaling
Species: expanded scores based on 'dune'
```

#### NMDS in vegan

#### If no convergent solutions, continue iterations from previous best solution

```
(sol <- metaMDS(dune, previous.best = sol, trace = FALSE))

Call:
metaMDS(comm = dune, trace = FALSE, previous.best = sol)

global Multidimensional Scaling using monoMDS

Data: dune
Distance: bray

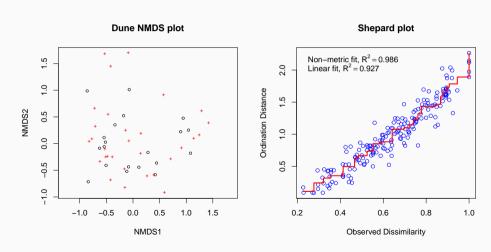
Dimensions: 2

Stress: 0.1183186

Stress type 1, weak ties
Two convergent solutions found after 40 tries
Scaling: centring, PC rotation, halfchange scaling
Species: expanded scores based on 'dune'
```

#### NMDS in vegan

```
layout(matrix(1:2, ncol = 2))
plot(sol, main = "Dune NMDS plot")
stressplot(sol, main = "Shepard plot")
layout(1)
```



#### Links

I have several **vegan**-related posts on my blog. For a list of posts see http://www.fromthebottomoftheheap.net/blog/

#### Re-use

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