(μ_f^{∞})

$\hat{E} = \{(r^{(0)}, r^{(1)} \dots) | x^n \in q\}$

$X^1 + X + 1 = Q$

$\tau \cdot S_s : S \to S_s : S$

U_α

$(x+y)^n = \ell_{fm}(z + y^{(m+n)})^n$

X^2

$F(\mu_p^{-1})$

$F(T) \; F$

$(i + \sqrt{2})$

$F(\mu_p)$

$0 \to H'(\Gamma, M^A) \to H'(G, H) \to H'(H, M)^\Gamma \to H^2(\Gamma, M^\Pi)$

$N f_\mu = \int_M$

$I_0 \, \Delta \, \phi$

$\frac{d}{\alpha_p^{t_m}} = \sum a_n \pi^n = \sum_n p^i x_i$

$D = (1+T)\dfrac{d}{dT}$

$N(time)$

$-Ad\ell(E^{(x)}) \to H'(G_\beta(L^{(b)}), E_{p,q})$

$\uparrow \alpha \qquad \uparrow \beta$

$-Ad\ell(E^{(x)}) \to H'(\beta(k, \varphi(A) \subset A$

$H'(E) \to \frac{}{q(\mu^n)} = \frac{t}{\pi} a_n \, a \in A$

$T \frac{\phi}{\Phi} \, | \, \rho$

$(1+T)\int aa = \bar a \quad \prime\prime a = \bar a \; \det(1 - T_\theta|\rho)$

$A = \{\sum a_n \pi^n | v_n(a_n) \geq \frac{n}{2}\}$

$\int f(x) \leq \frac{p(x)}{q(x)}$

$q(x) f - p(x) = 0$