

*Dr. Denton Bobeldyk*

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# CIS 365 Artificial Intelligence

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Error Reporting



# Week in Review

Blackboard Check-in



# **Delivery Methods**

Lecture

Videos

Lab Time

Small Groups



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# Methods of Error Reporting

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- ❖ Accuracy
- ❖ Precision, Recall
- ❖ ROC Curve
- ❖ AUC
- ❖ Precision-Recall Curve
- ❖ Mean Absolute Error and Mean Squared Error
- ❖ Cross Entropy Loss
- ❖ Top-k Accuracy
- ❖ Confusion Matrix



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# Accuracy

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Calculate the ratio of correct predictions to the total number of predictions.

$$\frac{\textit{predictedCorrectly}}{\textit{totalPredictions}}$$

$$\frac{\textit{truePositive} + \textit{trueNegative}}{\textit{totalPredictions}}$$

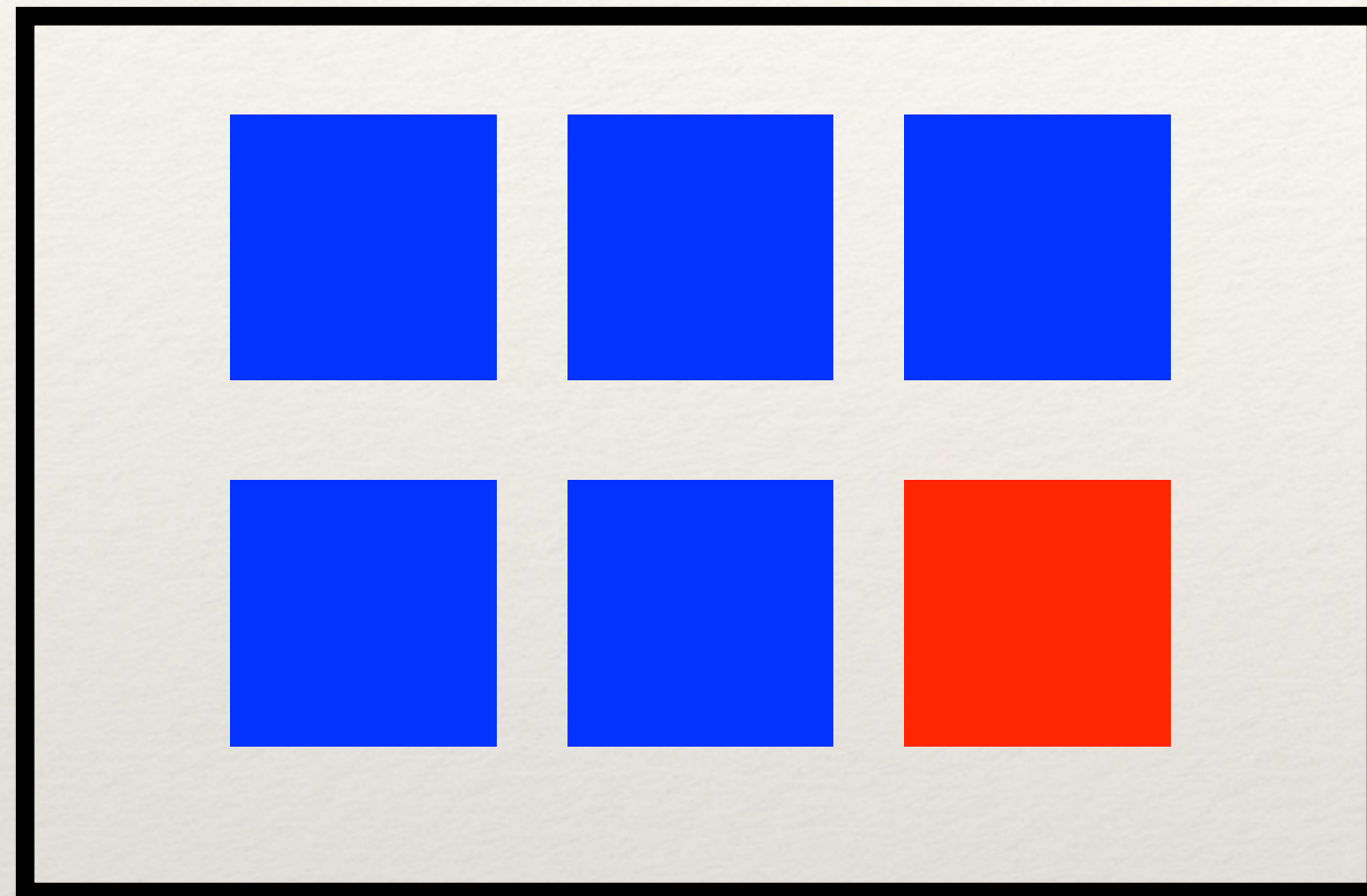


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# Accuracy Example

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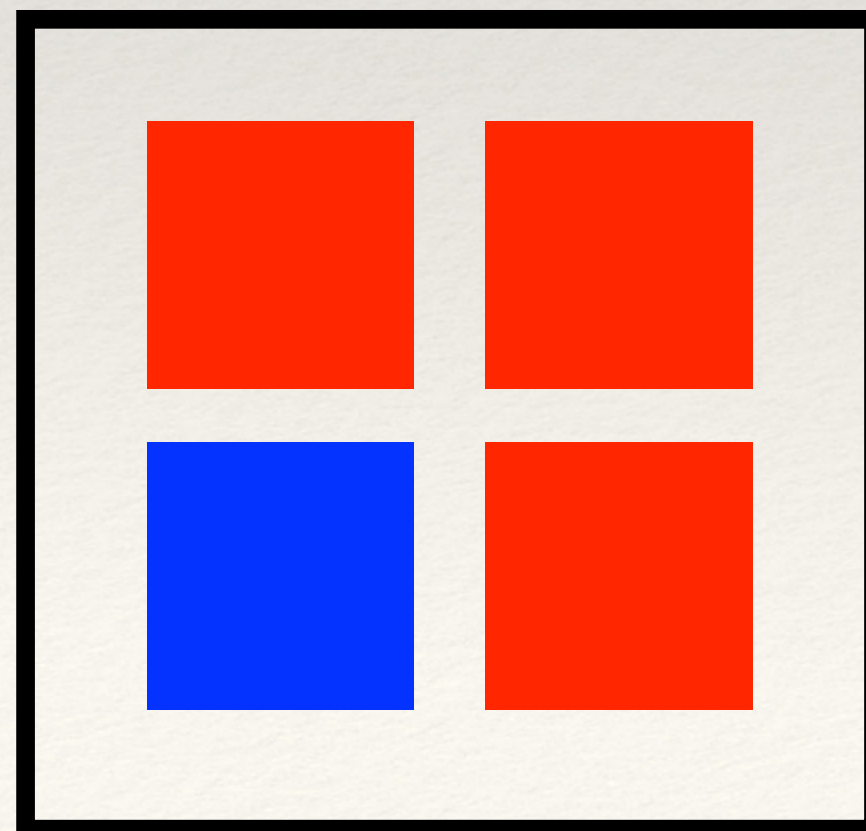
Predicted Blue



5 predicted correctly

1 predicted incorrectly

Predicted Red



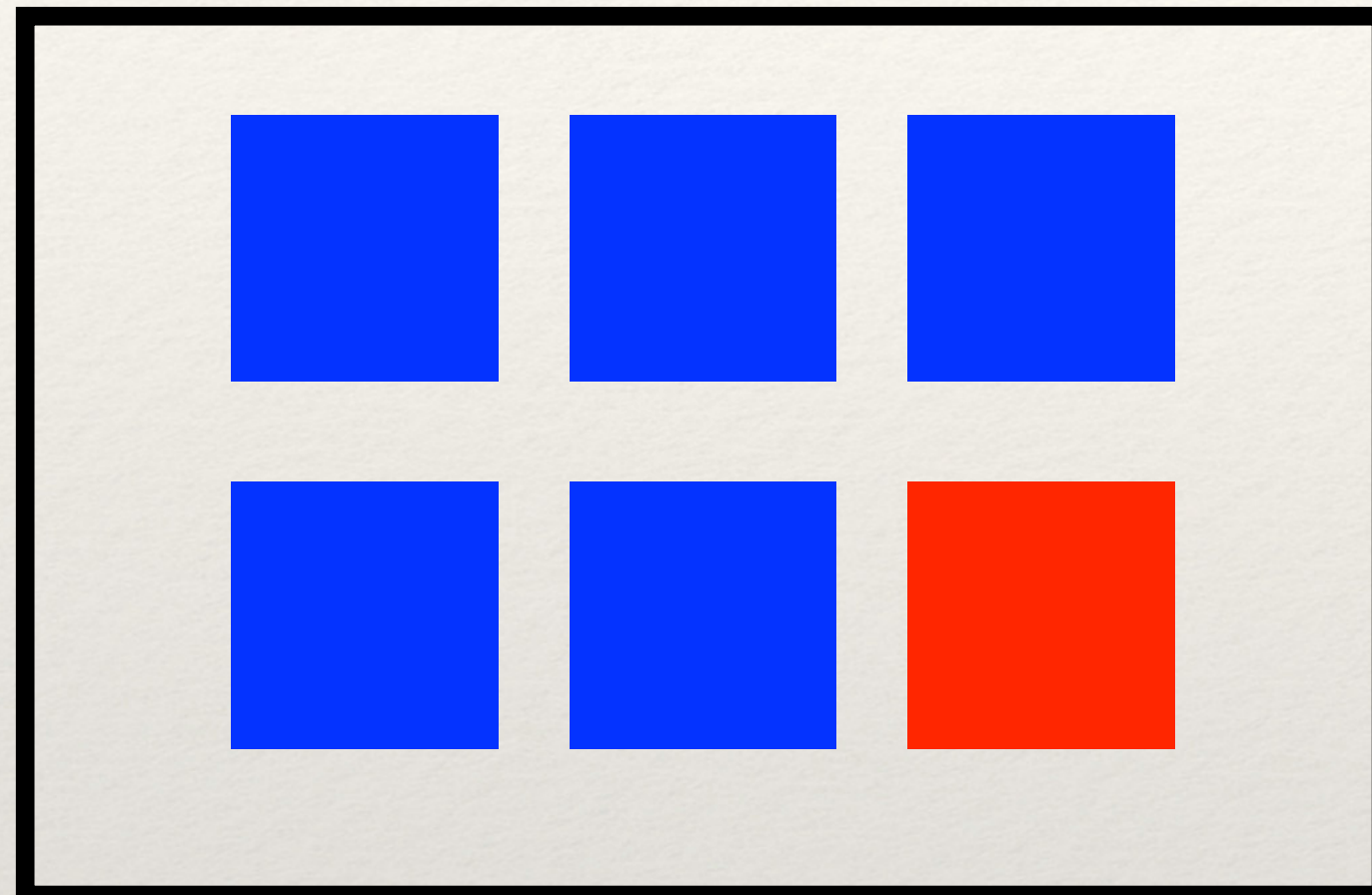
3 predicted correctly

1 predicted incorrectly



# Accuracy Example

Predicted Blue

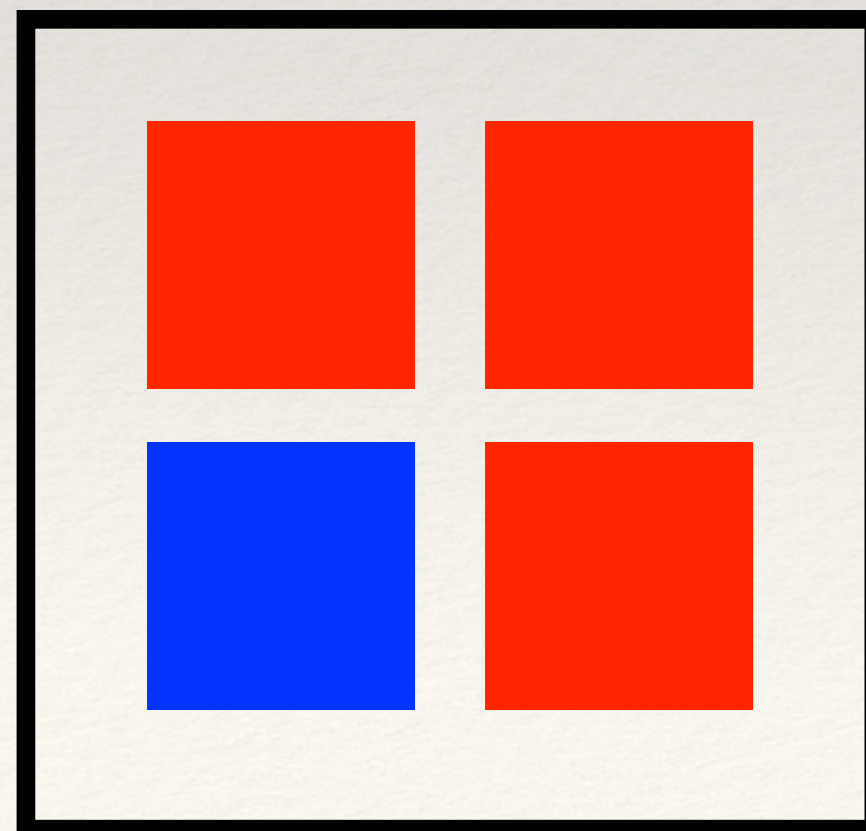


5 predicted correctly

1 predicted incorrectly

$$\frac{5 + 3}{10} = \frac{8}{10} = .8$$

Predicted Red



3 predicted correctly

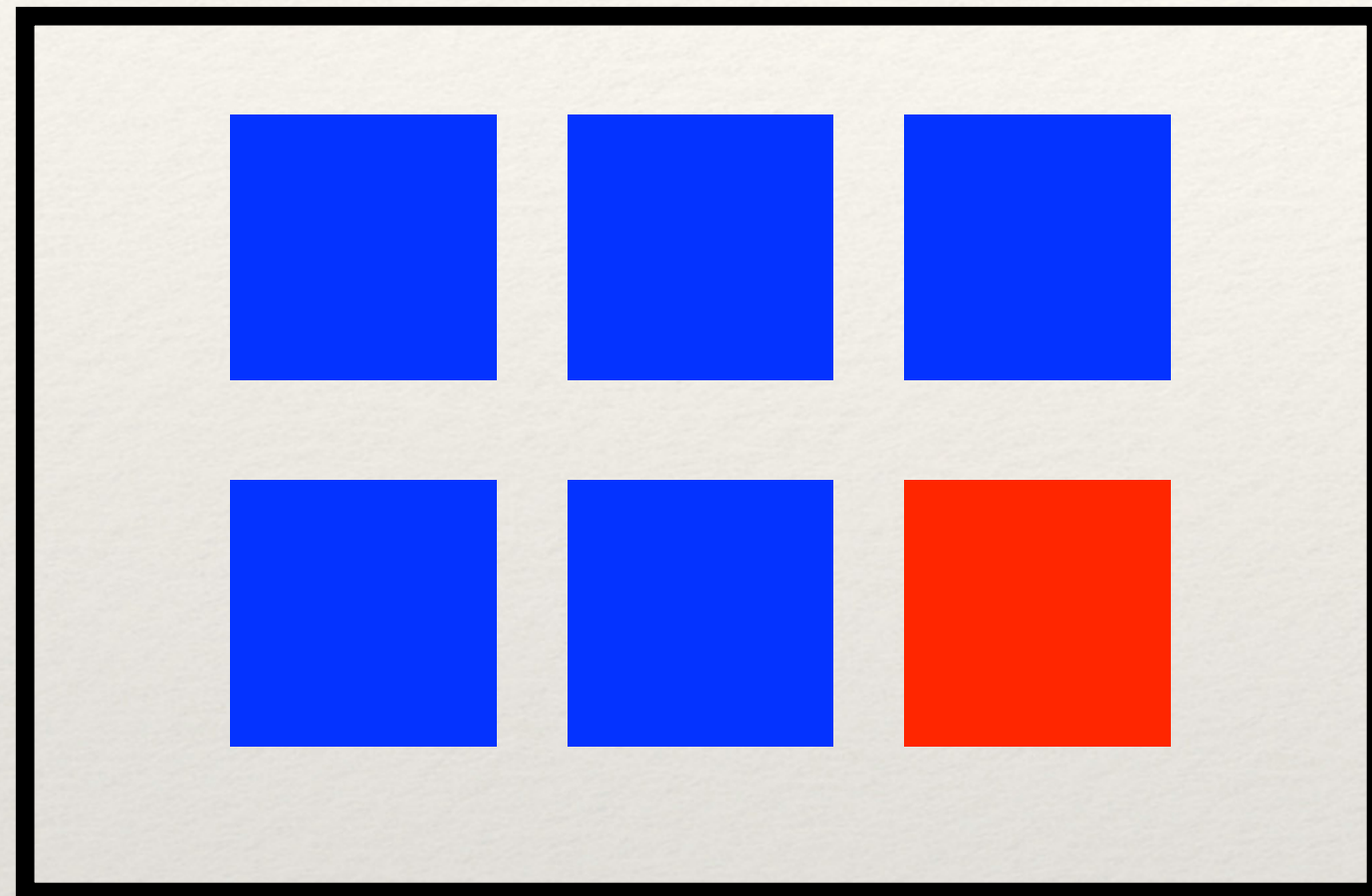
1 predicted incorrectly

80% prediction accuracy



# Accuracy Example - Alternative

Predicted Blue



5 true positives

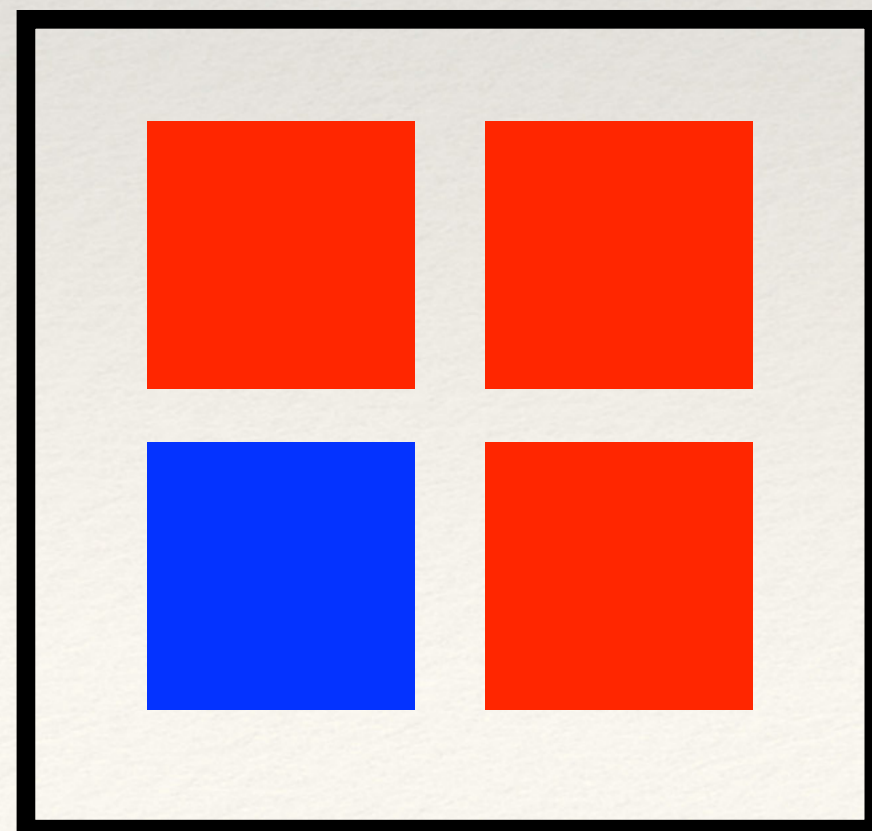
1 false positive

Can frame the problem as:

Is this square blue?

If we frame it this way, we can have true positives and true negatives

Predicted Not Blue



3 true negatives

1 false negative

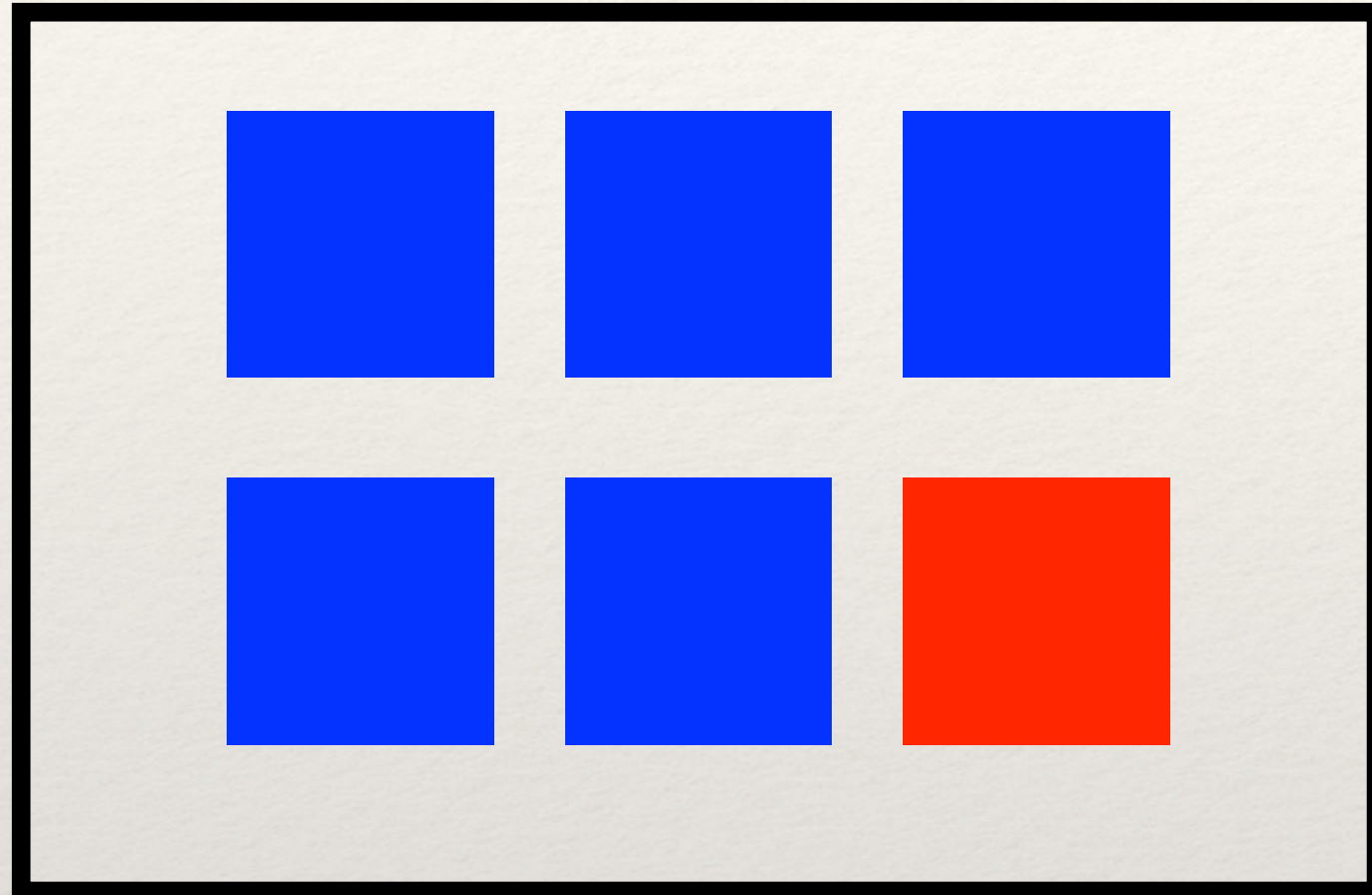
$$\frac{5 + 3}{10} = \frac{8}{10} = .8$$

80% prediction accuracy



# Accuracy Binary Example

Predicted Blue

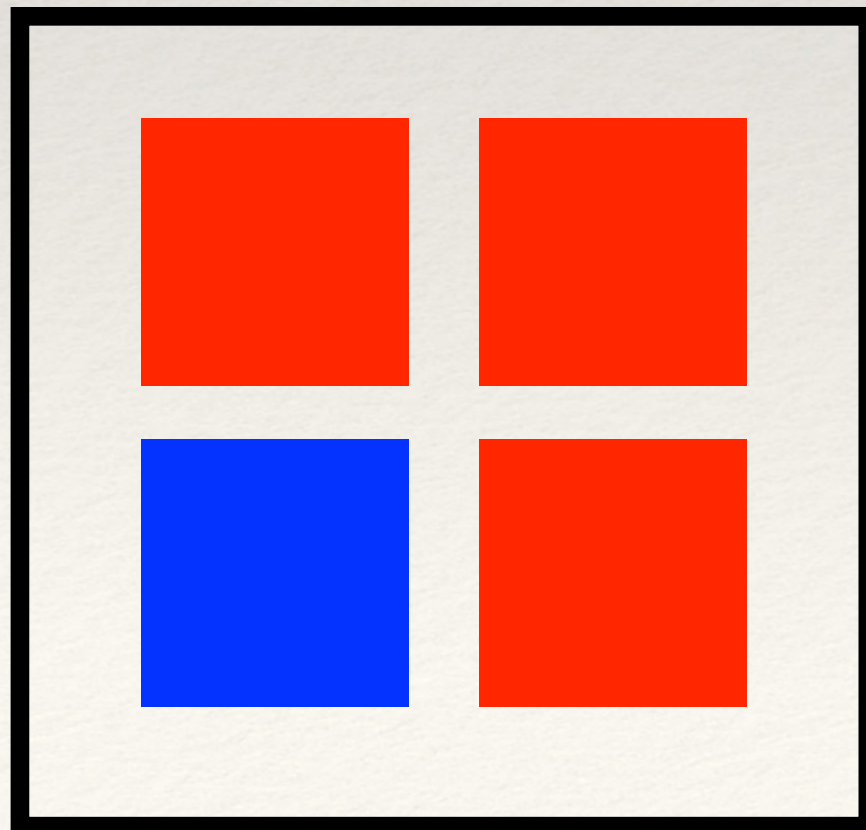


5 predicted correctly

1 predicted incorrectly

$$\frac{5 + 3}{10} = \frac{8}{10} = .8$$

Predicted Not Blue



3 predicted correctly

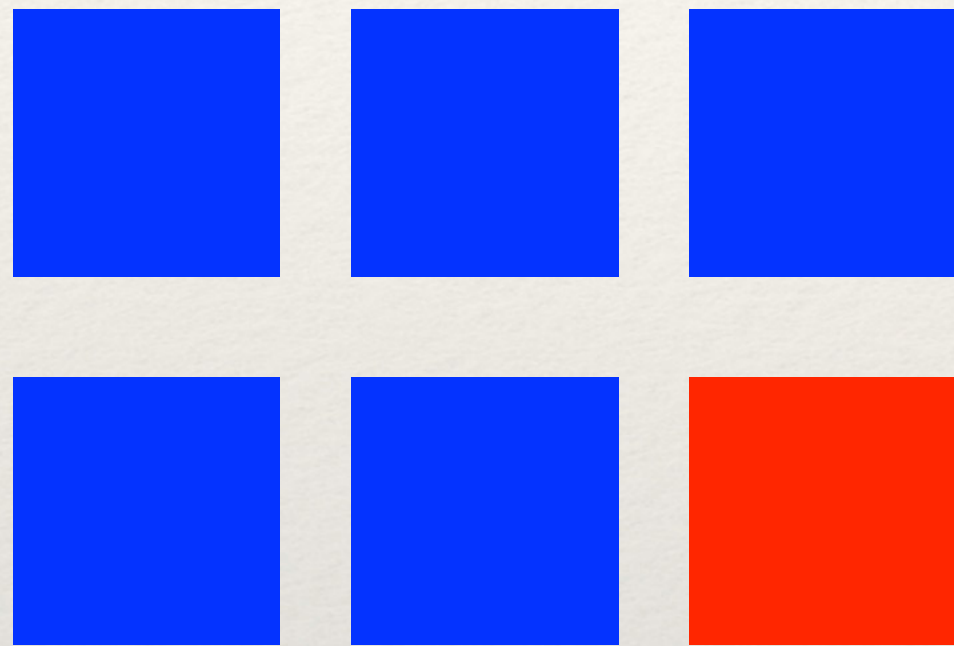
1 predicted incorrectly

80% prediction accuracy



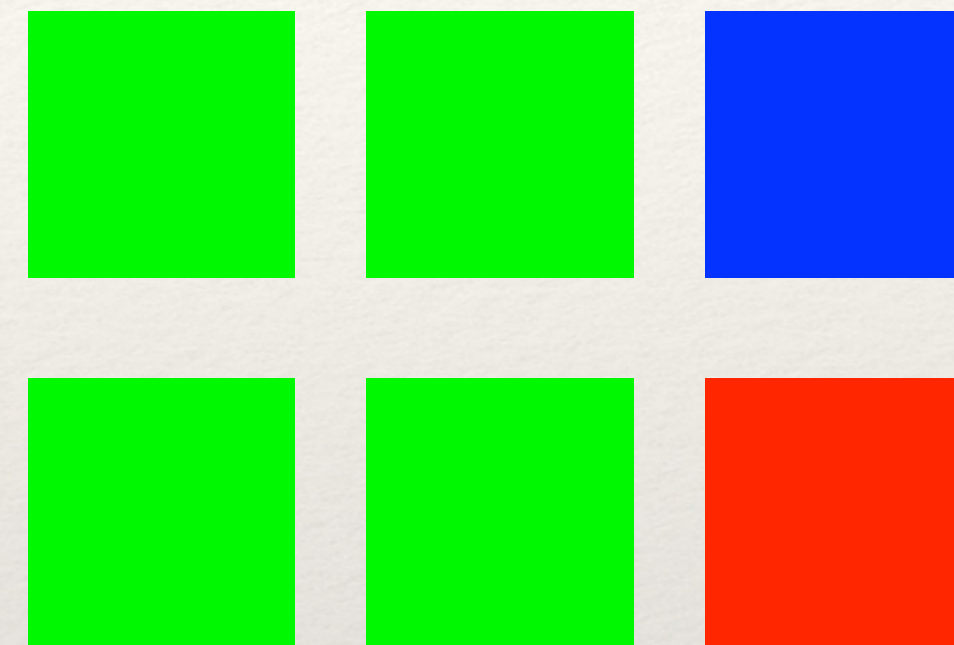
# Accuracy Multi-class Example

Predicted Blue



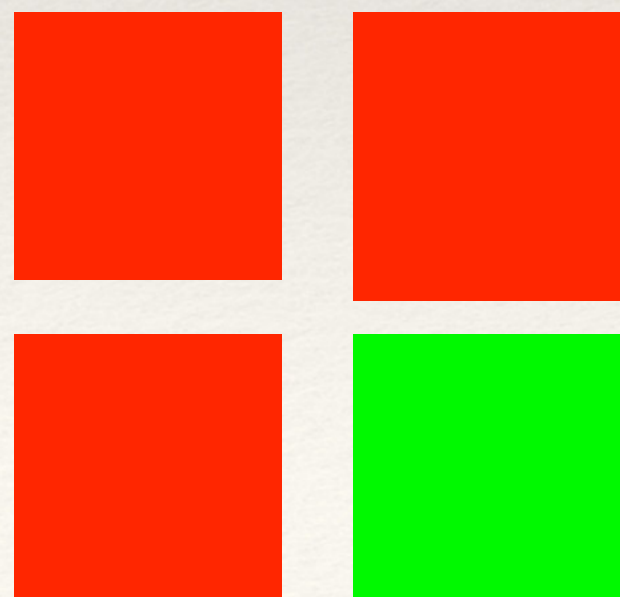
5 predicted correctly  
1 predicted incorrectly

Predicted Green



4 predicted correctly  
2 predicted incorrectly

Predicted Red



3 predicted correctly  
1 predicted incorrectly

$$\frac{5 + 3 + 4}{16} = \frac{12}{16} = .75$$

75% prediction accuracy

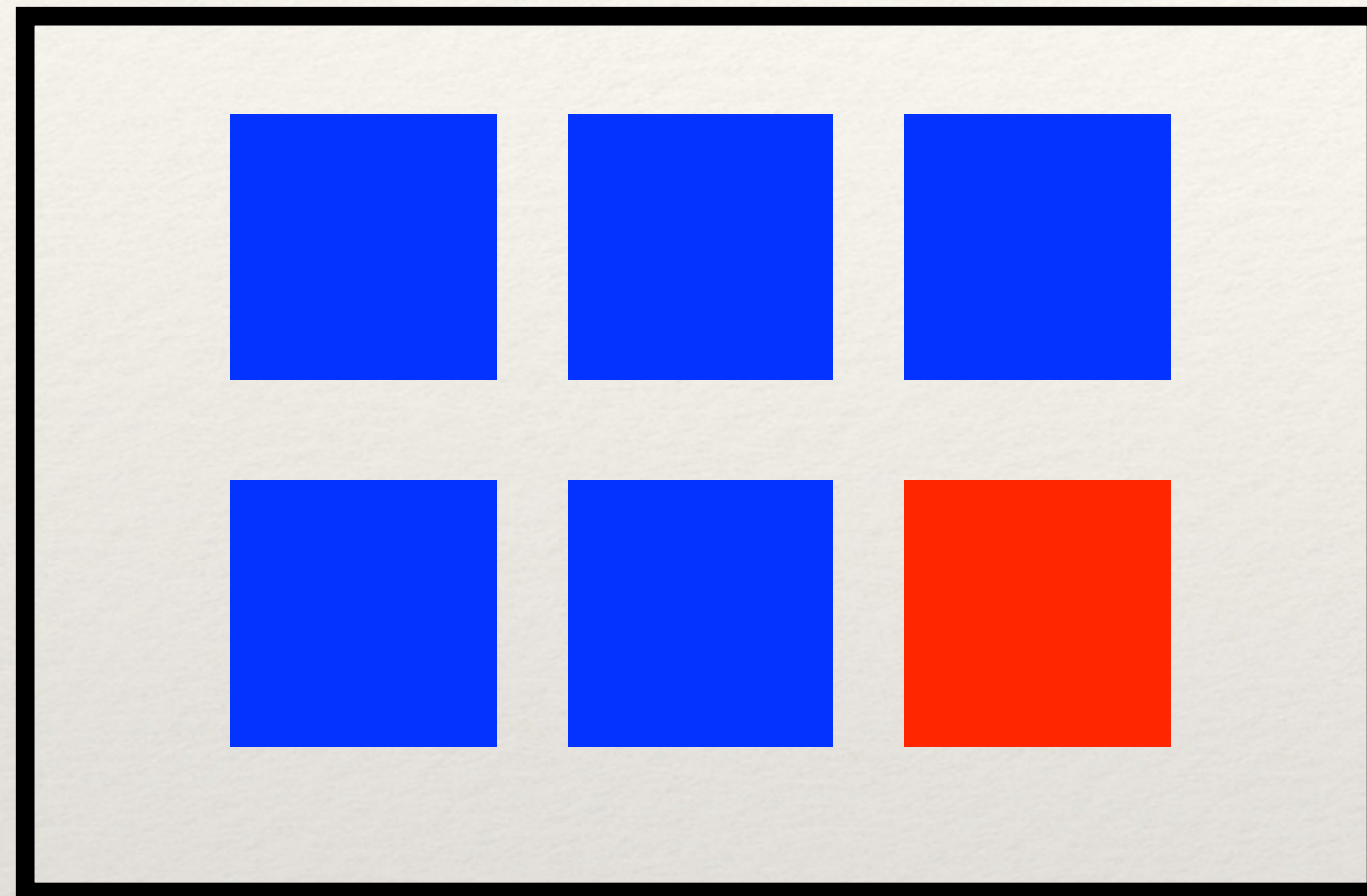


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# Confusion Matrix

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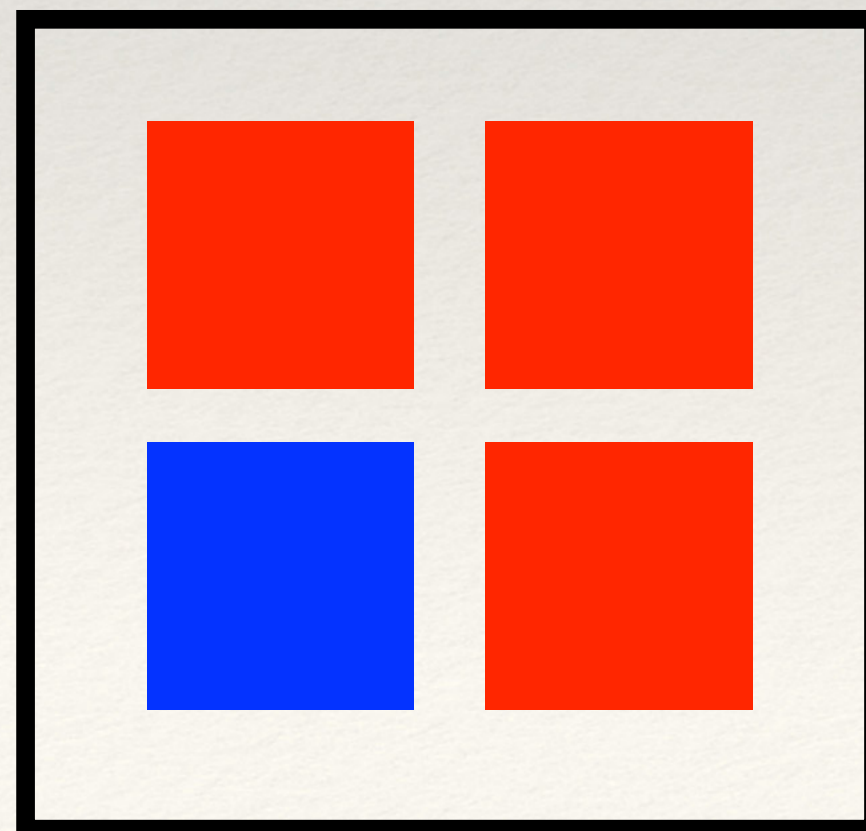
Predicted Blue



5 predicted correctly

1 predicted incorrectly

Predicted Red



3 predicted correctly

1 predicted incorrectly



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# Confusion Matrix

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		Predicted Class	
		$\omega_1$	$\omega_2$
Actual Class	$\omega_1$	A	B
	$\omega_2$	C	D

$\omega$  Is a notation that's used to refer to a class



# Confusion Matrix

	$\omega_1$	$\omega_2$
$\omega_1$	A	B
$\omega_2$	C	D

A = number of data points from class  $\omega_1$  that were correctly classified as  $\omega_1$

B = number of data points from class  $\omega_1$  that were incorrectly classified as  $\omega_2$

C = number of data points from class  $\omega_2$  that were incorrectly classified as  $\omega_1$

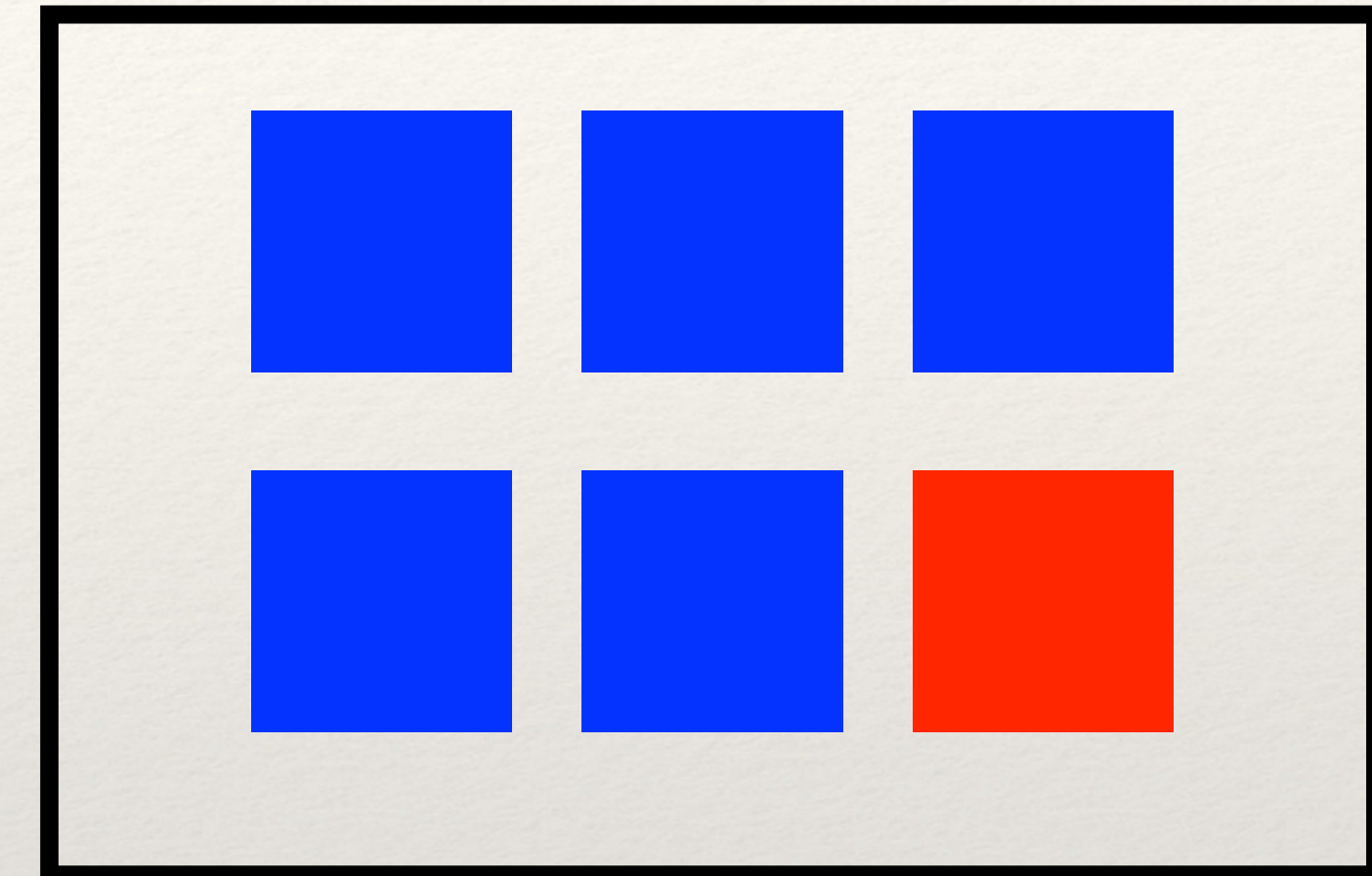
D = number of data points from class  $\omega_2$  that were correctly classified as  $\omega_2$



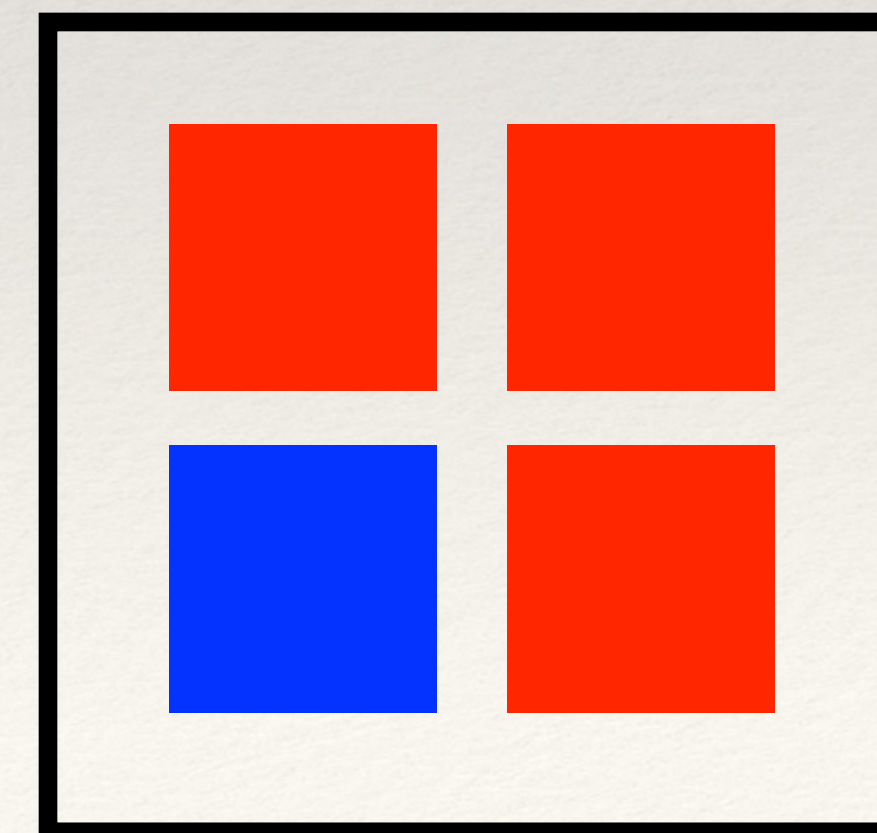
# Confusion Matrix Example

	$\omega_1$	$\omega_2$
$\omega_1$	5	1
$\omega_2$	1	3

Predicted Blue



Predicted Red

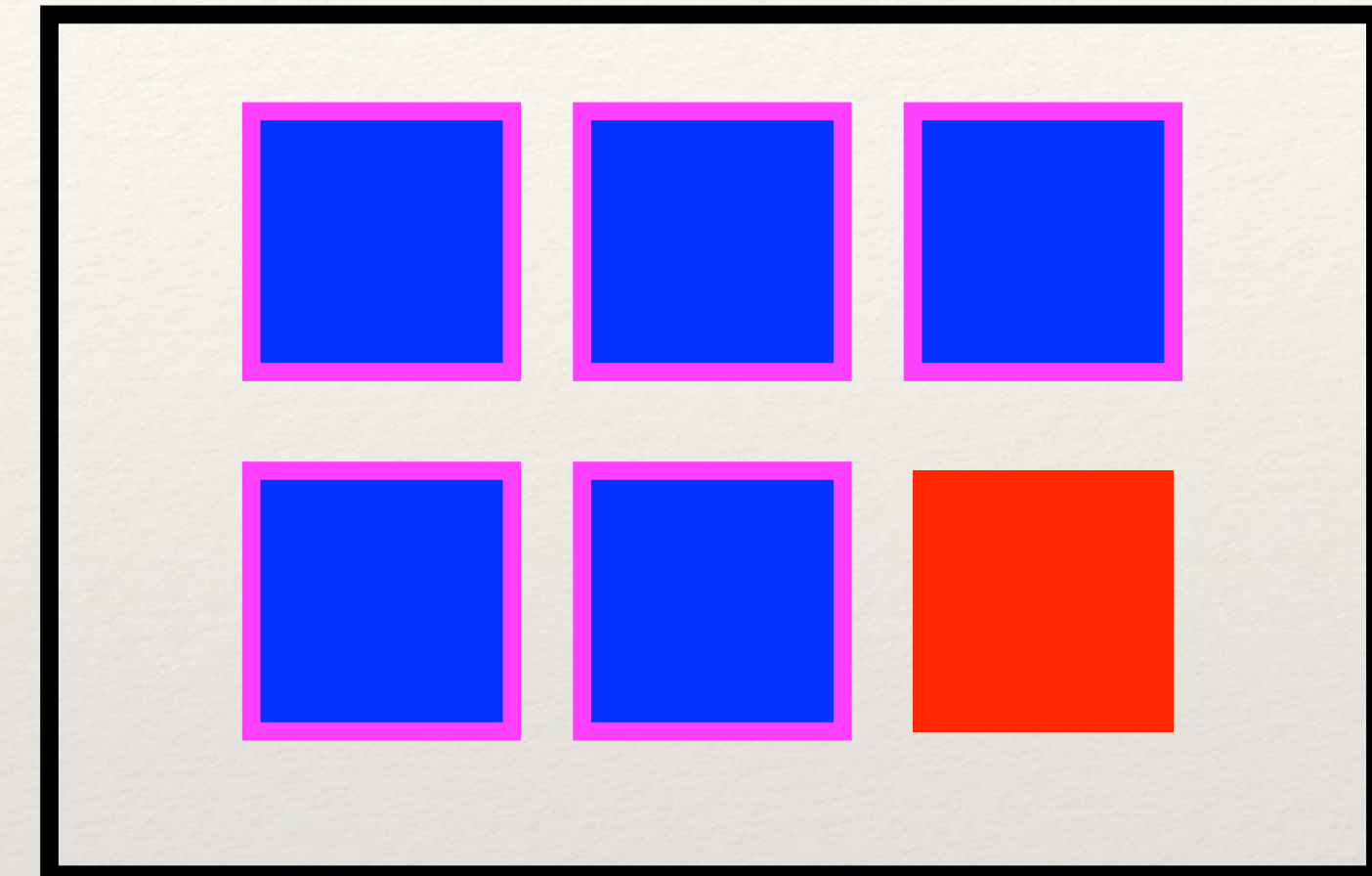




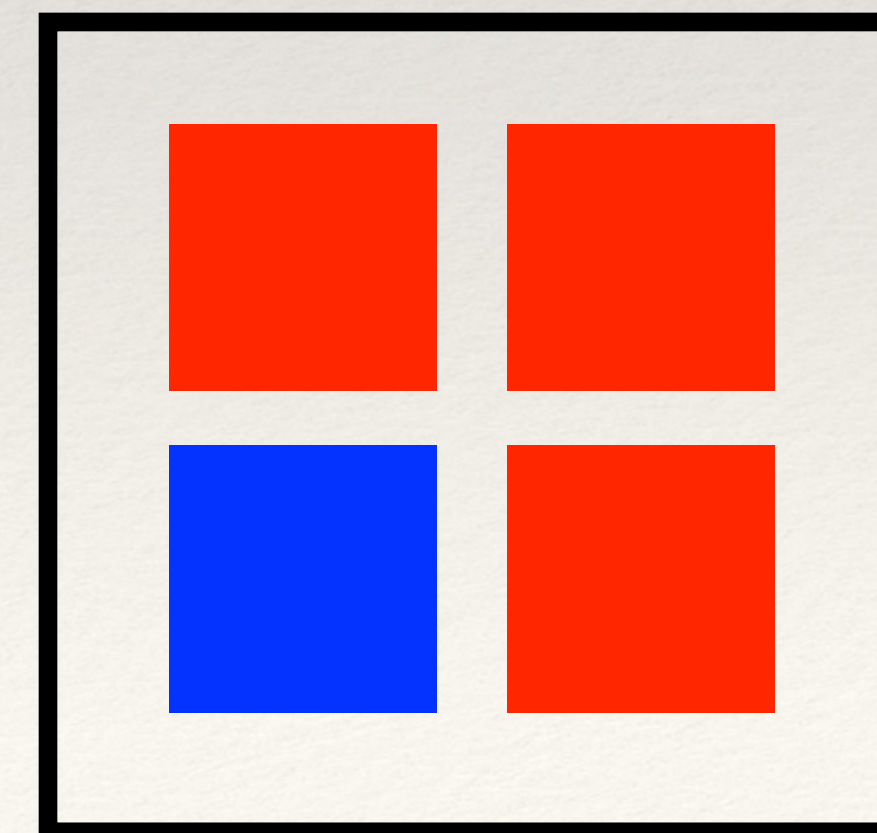
# Confusion Matrix Example

	$\omega_1$	$\omega_2$
$\omega_1$	5	1
$\omega_2$	1	3

Predicted Blue



Predicted Red

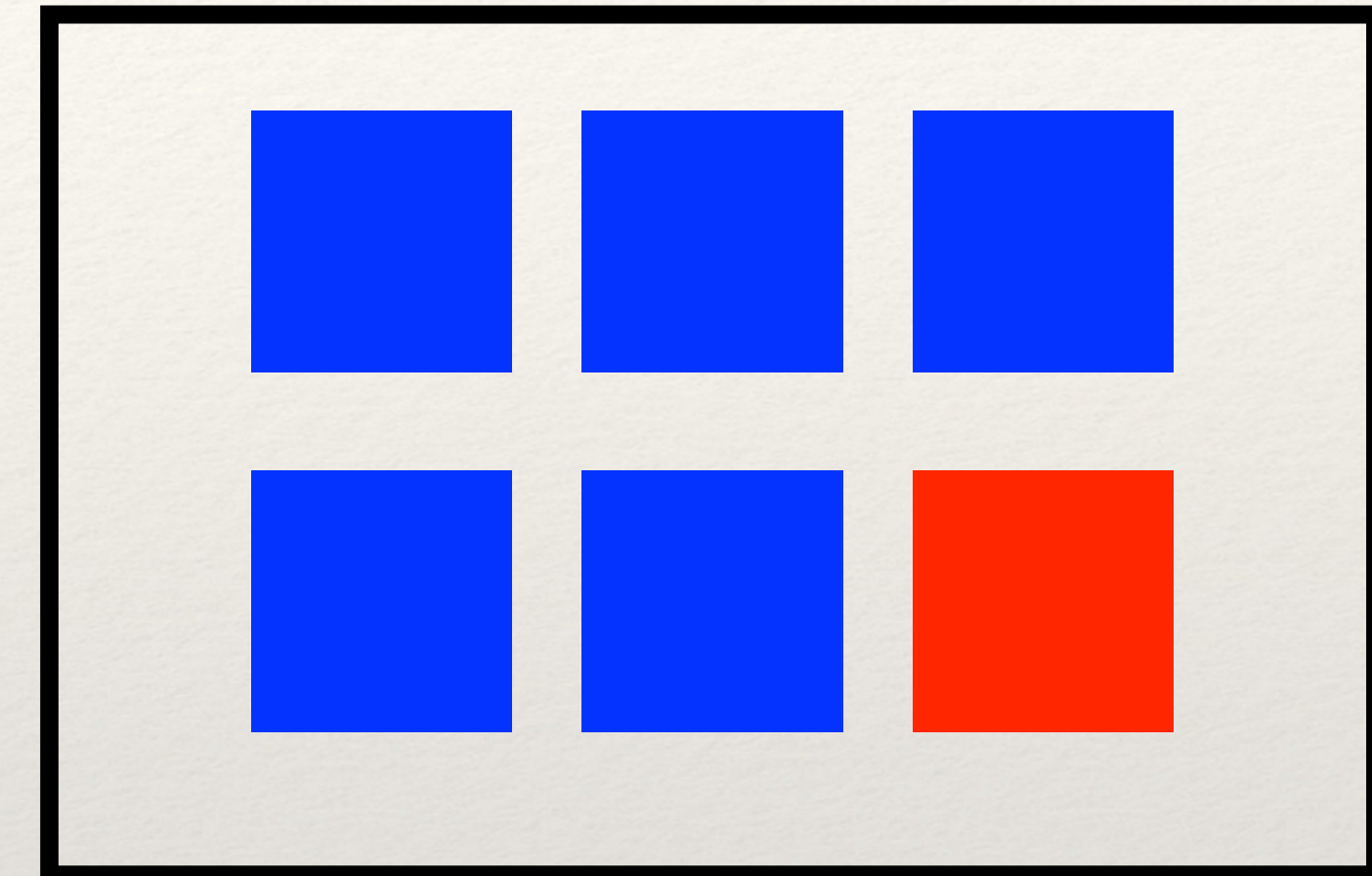




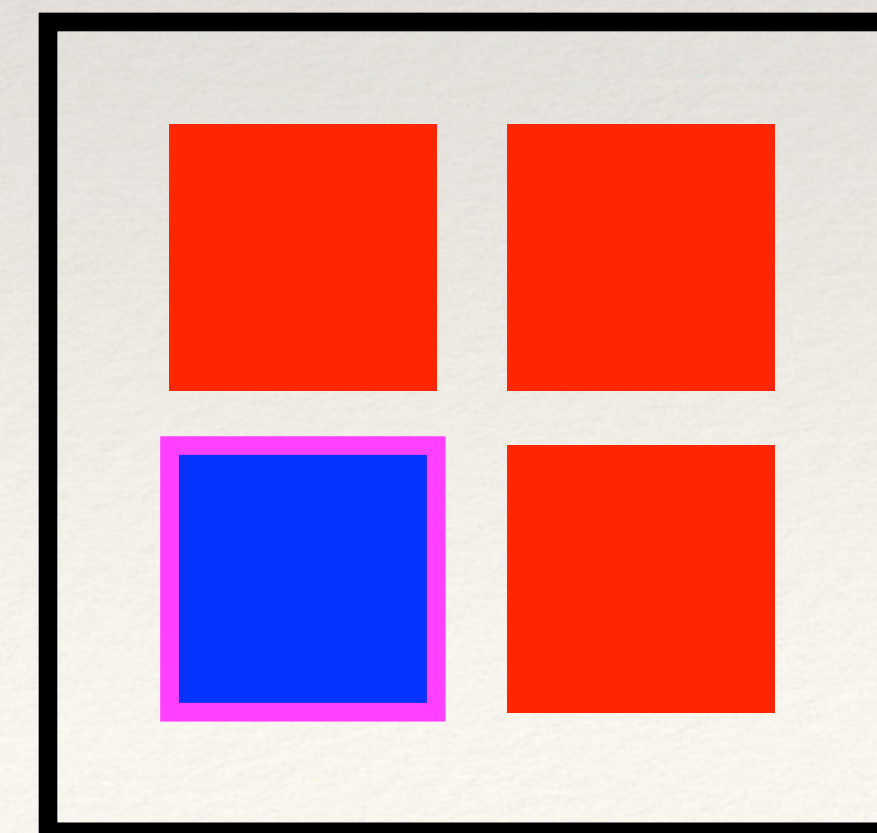
# Confusion Matrix Example

	$\omega_1$	$\omega_2$
$\omega_1$	5	1
$\omega_2$	1	3

Predicted Blue



Predicted Red

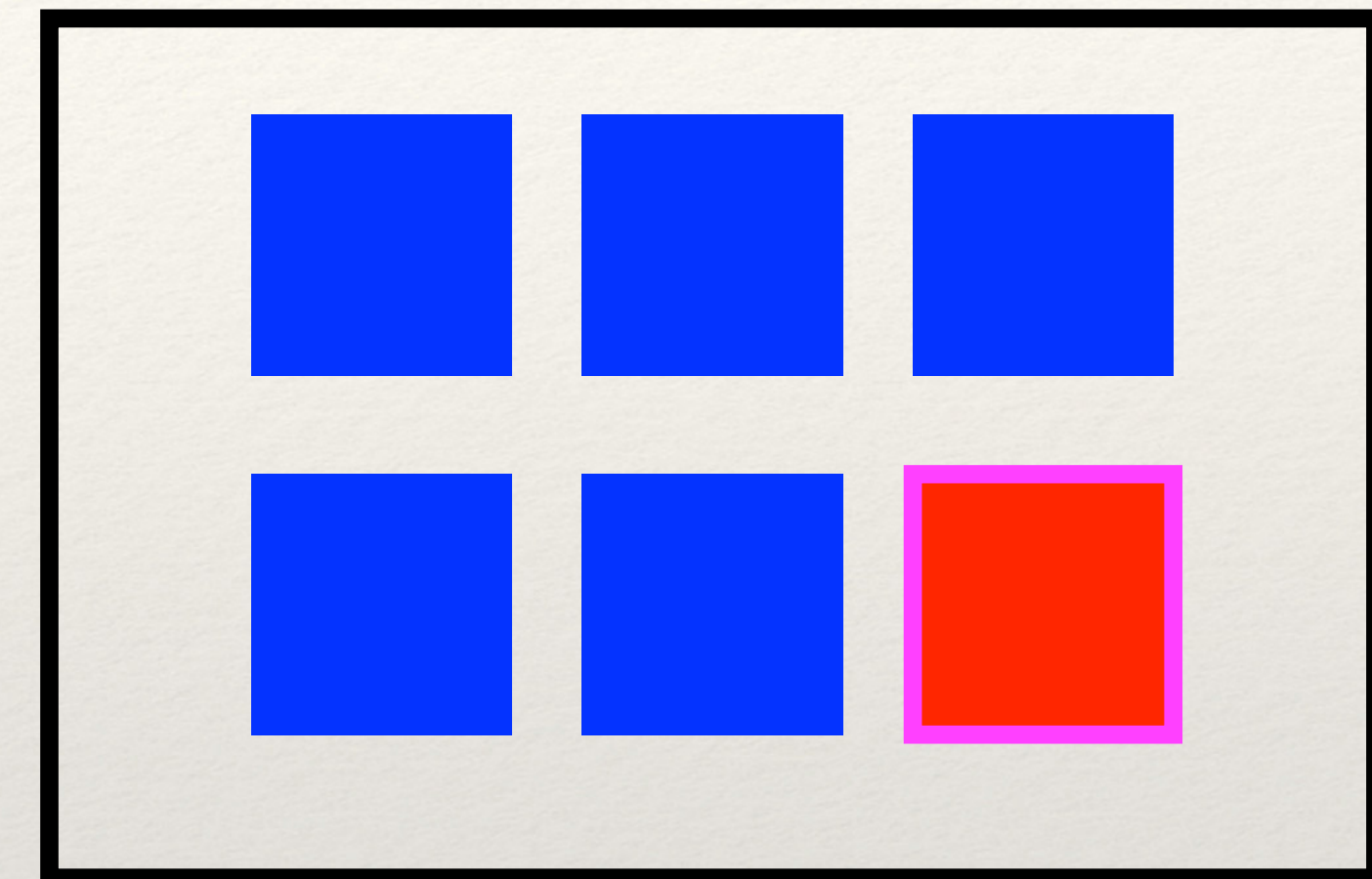




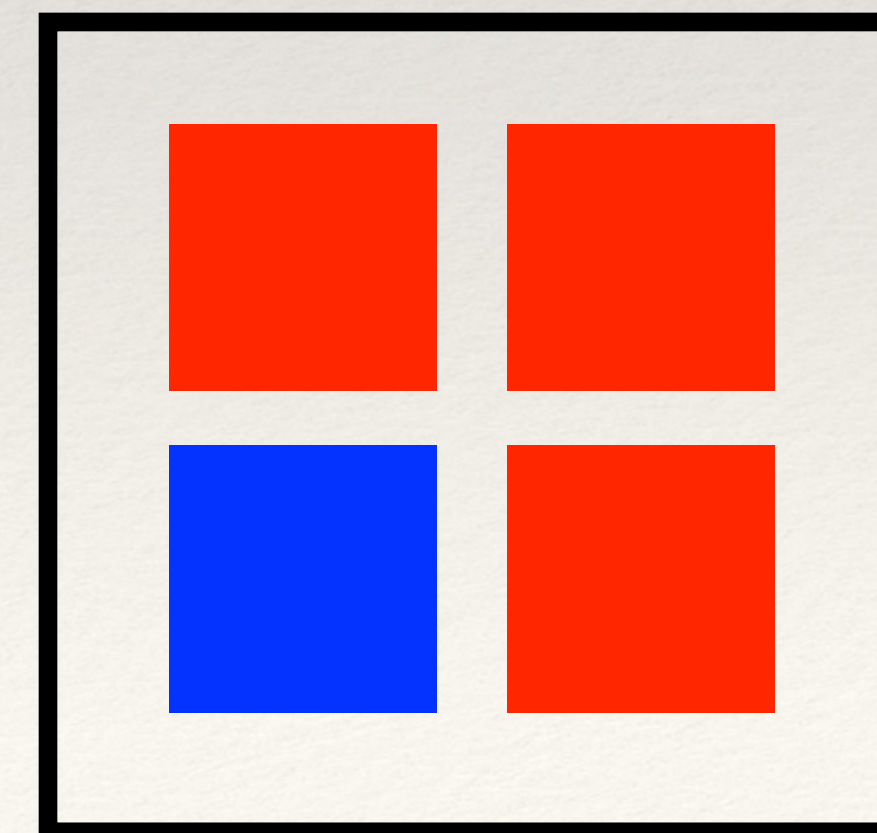
# Confusion Matrix Example

	$\omega_1$	$\omega_2$
$\omega_1$	5	1
$\omega_2$	1	3

Predicted Blue



Predicted Red

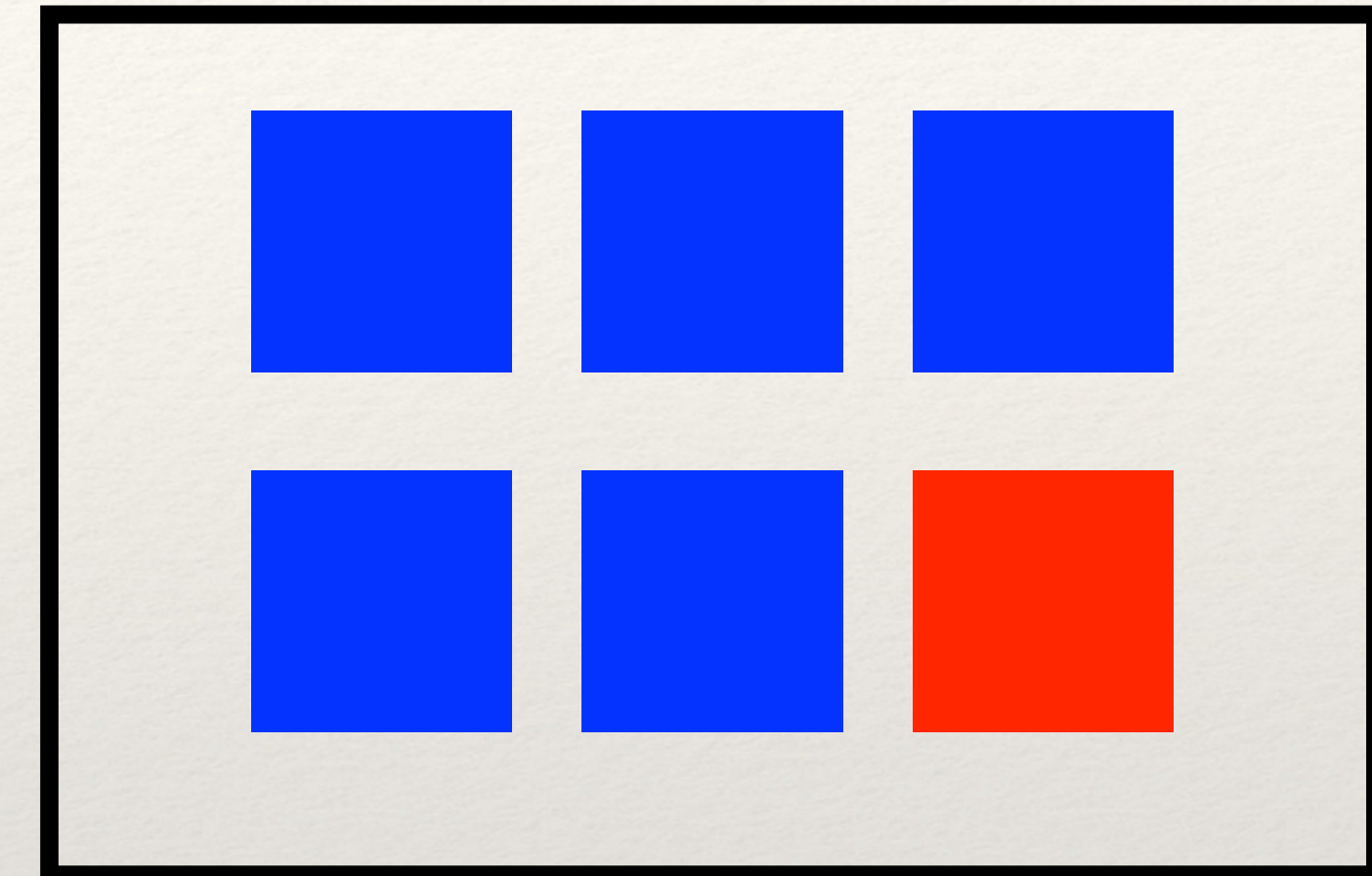




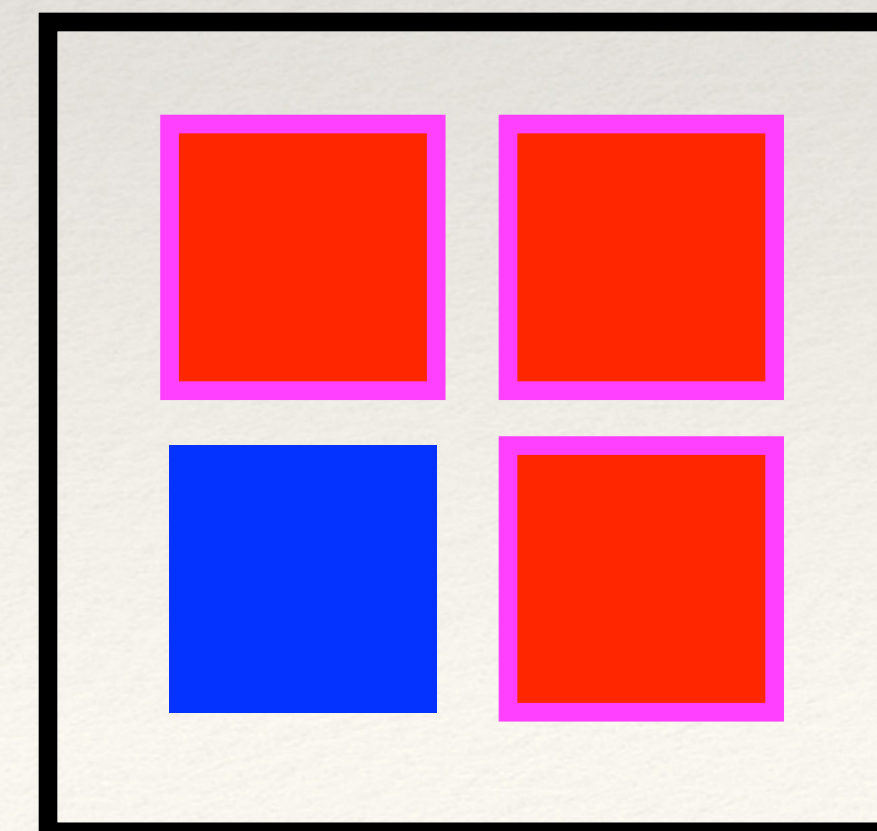
# Confusion Matrix Example

	$\omega_1$	$\omega_2$
$\omega_1$	5	1
$\omega_2$	1	3

Predicted Blue



Predicted Red





# Confusion Matrix Example

	$\omega_1$	$\omega_2$
$\omega_1$	5	1
$\omega_2$	1	3

The numbers on the **diagonal** are the correct predictions and for a system that is performing well, we expect those numbers to be the highest



# Confusion Matrix

	$\omega_1$	$\tilde{\omega}_1$
$\omega_1$	True Positive	False Negative
$\tilde{\omega}_1$	False Positive	True Negative

$$\text{Accuracy} = \frac{TP + TN}{TP + TN + FP + FN}$$

$$\text{Precision} = \frac{TP}{TP + FP}$$

$$\text{Recall} = \frac{TP}{TP + FN}$$



# Confusion Matrix Multi-Class Example

	predicted 0	predicted 1	predicted 2	predicted 3	predicted 4	predicted 5	predicted 6	predicted 7	predicted 8	predicted 9
actual 0	954	0	0	7	1	10	6	3	7	3
actual 1	0	1031	4	3	1	4	1	2	16	2
actual 2	12	21	852	18	11	8	14	20	29	5
actual 3	2	5	9	899	1	71	0	12	23	7
actual 4	2	8	2	2	861	7	7	1	4	89
actual 5	7	5	9	24	3	833	12	8	12	2
actual 6	11	6	2	0	6	31	902	0	8	1
actual 7	3	10	5	3	7	7	1	1041	0	14
actual 8	2	28	4	29	2	31	1	9	882	21
actual 9	7	3	1	7	10	11	1	44	4	873

Retrieved from: [https://ml4a.github.io/demos/confusion\\_mnist/](https://ml4a.github.io/demos/confusion_mnist/)



# Confusion Matrix Multi-Class Example

	predicted 0	predicted 1	predicted 2	predicted 3	predicted 4	predicted 5	predicted 6	predicted 7	predicted 8	predicted 9
actual 0	954	0	0	7	1	10	6	3	7	3
actual 1	0	1031	4	3	1	4	1	2	16	2
actual 2	12	21	852	18	11	8	14	20	29	5
actual 3	2	5	9	899	1	71	0	12	23	7
actual 4	2	8	2	2	861	7	7	1	4	89
actual 5	7	5	9	24	3	833	12	8	12	2
actual 6	11	6	2	0	6	31	902	0	8	1
actual 7	3	10	5	3	7	7	1	1041	0	14
actual 8	2	28	4	29	2	31	1	9	882	21
actual 9	7	3	1	7	10	11	1	44	4	873

What information does this confusion matrix tell us?



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# In Class Exercise

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## Confusion Matrix Worksheet



End