Bank Marketing Data Set

A portugese bank wants to sell a product, called Term Deposit, to its customers. The bank has previously established contacts with 4, 521 of these prospective customers through telephone calls, to sell this product. It turned out that only about 12% of these customers actually purchased or subscribed.

The bank understands that not everyone of the customers will subscribe the Term Deposit, and does not want to invest campaign resources on those who are not likely to subscribe.

The goal of this project is to develop a model that can predict those customers who are likely to subscribe the Term Deposit.

The best model will be evaluated using Acuracy Score, Explained Variance, F Measure and Mean Error.

We are importing the following packages: Pandas and Numpy to manage the data, Seaborn and Matplot for visualizations, and the Sklearn for machine leaning processes and models

```
In [1]: %matplotlib inline
import pandas as pd
import numpy as np
from sklearn import preprocessing
import matplotlib.pyplot as plt
from sklearn.model_selection import train_test_split
import seaborn as sns
from sklearn import model_selection
```

Importing data, called "bank.csv", indicating that the header is the first row, separator is ";", and dropping all "Missing values". We also need to designate the target variable ("y")

```
In [2]: data = pd.read_table('bank.csv', header=0, sep=';')
data = data.dropna()

# designate target variable name (y)

targetName = 'y'
targetSeries = data[targetName]
#remove target from current location and insert in collum 0
del data[targetName]
data.insert(0, targetName, targetSeries)

#print dataframe and see target is in position 0
data.head()

Out[2]: y age job marital education default balance housing loan co
```

•		у	age	job	marital	education	default	balance	housing	loan	contact	day	month	duration	campaign	pdays	previous	poutcome
	0 1	10	30	unemployed	married	primary	no	1787	no	no	cellular	19	oct	79	1	-1	0	unknown
	1 1	10	33	services	married	secondary	no	4789	yes	yes	cellular	11	may	220	1	339	4	failure
	2 1	10	35	management	single	tertiary	no	1350	yes	no	cellular	16	apr	185	1	330	1	failure
	з г	10	30	management	married	tertiary	no	1476	yes	yes	unknown	3	jun	199	4	-1	0	unknown
	4 .	00 4	50	hlue-collar	married	secondary	no	0	ves	no	unknown	5	may	226	1	-1	0	unknown

Preprocessing Data And Data Vizualization

The Data processing will take three (3) steps:

Out[3]:

Encoding to transform categorical variables into numerical variables

Scaling to normalize the data and ensuring that variables with high values do not exert undue influence

Upscaling to turn the imbalanced data into a balanced data.

Encoding Data with LabelEncoder, and Dummy variables

	У	age	balance	day	duration	campaign	pdays	previous	job_admin.	job_blue- collar	 month_jun	month_mar	month_may	month_nov	month_oct	month_sep	poutcome_failure
count	4521.000000	4521.000000	4521.000000	4521.000000	4521.000000	4521.000000	4521.000000	4521.000000	4521.000000	4521.000000	 4521.000000	4521.000000	4521.000000	4521.000000	4521.000000	4521.000000	4521.000000
mean	0.115240	41.170095	1422.657819	15.915284	263.961292	2.793630	39.766645	0.542579	0.105729	0.209246	 0.117452	0.010838	0.309224	0.086043	0.017695	0.011502	0.108383
std	0.319347	10.576211	3009.638142	8.247667	259.856633	3.109807	100.121124	1.693562	0.307524	0.406815	 0.321994	0.103553	0.462225	0.280458	0.131856	0.106640	0.310898
min	0.000000	19.000000	-3313.000000	1.000000	4.000000	1.000000	-1.000000	0.000000	0.000000	0.000000	 0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000
25%	0.000000	33.000000	69.000000	9.000000	104.000000	1.000000	-1.000000	0.000000	0.000000	0.000000	 0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000
50%	0.000000	39.000000	444.000000	16.000000	185.000000	2.000000	-1.000000	0.000000	0.000000	0.000000	 0.000000	0.000000	0.000000	0.000000	0.000000	0.000000	0.000000
75%	0.000000	49.000000	1480.000000	21.000000	329.000000	3.000000	-1.000000	0.000000	0.000000	0.000000	 0.000000	0.000000	1.000000	0.000000	0.000000	0.000000	0.000000
max	1.000000	87.000000	71188.000000	31.000000	3025.000000	50.000000	871.000000	25.000000	1.000000	1.000000	 1.000000	1.000000	1.000000	1.000000	1.000000	1.000000	1.000000
8 rows	× 52 columns																

```
In [4]: from sklearn.preprocessing import RobustScaler
       data_robust = pd.DataFrame(RobustScaler().fit_transform(data), columns=data.columns)
        # Redesinating the targe variable after scaling the original data
       targetName = 'y'
targetSeries = data_robust[targetName]
       #remove target from current location and insert in collum 0
       del data_robust[targetName]
data_robust.insert(0, targetName, targetSeries)
        #reprint dataframe and see target is in position 0
        data_robust.head()
Out[4]:
           y age balance day duration campaign pdays previous job_admin. job_bblue-... month_jun month_mar month_may month_nov month_not month_sep poutcome_failure poutcome_other poutcome_suc
        0 0.0 -0.5625 0.951807 0.250000 -0.471111 -0.5 0.0 0.0 0.0
        1 0.0 -0.3750 3.079376 -0.416667 0.155556 -0.5
                                                        3400 40
                                                                       0.0
                                                                                   0.0
                                                                                             ... 0.0
                                                                                                           0.0
                                                                                                                      1.0
                                                                                                                                  0.0
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                                                                                                                                                                                                    0.0
                                                                     0.0
        2 0.0 -0.2500 0.642098 0.000000 0.000000 -0.5
                                                        331.0 1.0
                                                                                   0.0
                                                                                             ... 0.0
                                                                                                           0.0
                                                                                                                      0.0
                                                                                                                                  0.0
                                                                                                                                              0.0
                                                                                                                                                        0.0
                                                                                                                                                                    1.0
                                                                                                                                                                                                    0.0
        3 0.0 -0.5625 0.731396 -1.083333 0.062222 1.0
                                                         0.0 0.0
                                                                                             ... 1.0
                                                                                                                                  0.0
                                                                                                                                                        0.0
                                                                                                                                                                                                    0.0
        4 0.0 1.2500 -0.314670 -0.916667 0.182222 -0.5
                                                        0.0 0.0
                                                                        0.0
                                                                                                0.0
                                                                                                           0.0
                                                                                                                                  0.0
                                                                                                                                              0.0
                                                                                                                                                        0.0
                                                                                                                                                                                                    0.0
```

Splitting Data into Features (X) and Target(y), then Train and Test.

Data Visualization

Out of the 4, 521 customers of the Bank, about 88.5% did not subscribe the Term Deposit. Only 11.5% did.

```
In [6]: sns.countplot(x="y", data=data_robust) pd.value_counts(y)

Out[6]: e.e deee

1.6 521

Name: y, dtype: int64
```

A profile of the Bank's customers based of age

Using Pew's generational groups we can classify the Bank's custoemers as Millennials (18 and 34), Gen X (35 and 50), Baby Boomers(51 to 69) and the Silent generation (70 and 87).

Majority of the Bank's Customers are between the ages of 35 and 50. This group does not take loans or default loan payments. They own houses and are actively employed. 42% of this group responded positive to the campaign and subscribed the Term Deposit.

The Silent Generation (70 and 87) form the minority customers. Most of them are retired. They do not take loans or default loan payments. Half of members of this group responded positively to the campaigned, and also subscribed the Term Deposit.

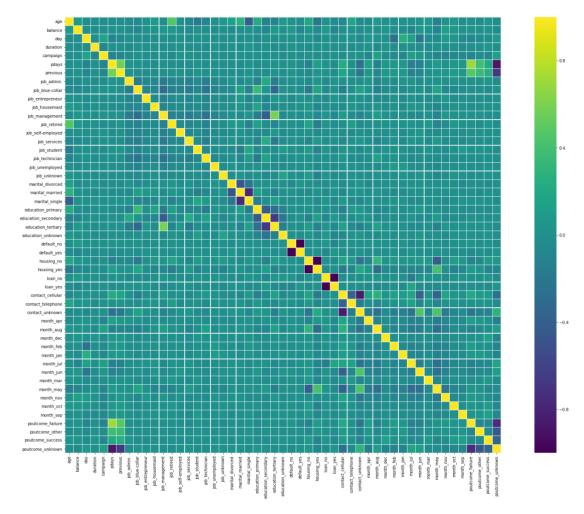
Title

A Correlation matrix showing how the Features relate to each other

```
cor.head(7)
Out[7]:
                                    day duration campaign pdays previous job_admin. job_plue- job_entrepreneur ... month_jun month_mar month_may month_nov month_oct month_sep poutcome_failure poutco
                    age balance
                1.000000 0.083820 -0.017853 -0.002367 -0.005148 -0.008894 -0.003511 -0.048385 -0.049307 0.015638
                                                                                                                  ... 0.034671 0.057909 -0.119784 0.027659 0.081766 -0.015074 0.012693
                                                                                                                  ... 0.056023 0.021805
                                                                                                                                                                              0.005975
                                                                                                                                                                                         0.025719
        balance 0.083820 1.000000 -0.008677 -0.015950 -0.009976 0.009437 0.026196 -0.022386 -0.057691 0.014523
                                                                                                                                            -0.070809
                                                                                                                                                                   0.058694
                                                                                                                  ... -0.217517 -0.024570
               -0.017853 -0.008677 1.000000 -0.024629 0.160706 -0.094352 -0.059114 0.017052
                                                                                         -0.027025 -0.015707
                                                                                                                                            -0.028992
                                                                                                                                                       0.095832
                                                                                                                                                                   0.040235
                                                                                                                                                                              -0.043666
                                                                                                                                                                                         -0.064235
                                                                                                                                                                                                          -0.02106
            ion -0.002367 -0.015950 -0.024629 1.000000 -0.068382 0.010380 0.018080 -0.038763 0.028114 0.016267
                                                                                                                  ... -0.016196 -0.026212
                                                                                                                                           0.008639
                                                                                                                                                       0.009572 0.004566
                                                                                                                                                                            -0.020023 -0.012852
                                                                                                                                                                                                         0.008109
        campaign -0.005148 -0.009976 0.160706 -0.068382 1.000000 -0.093137 -0.067833 -0.017895
                                                                                        0.008783 -0.012910
                                                                                                                  ... 0.044317 -0.004045
                                                                                                                                            -0.076263
                                                                                                                                                       -0.083385
                                                                                                                                                                   -0.058536
                                                                                                                                                                                         -0.094021
                                                                                                                                                                                                         -0.03043
                                                                                                                  ... -0.110324 0.008673
               -0.008894 0.009437 -0.094352 0.010380 -0.093137 1.000000 0.577562 0.035127
                                                                                         0.009374 -0.014704
                                                                                                                                            0.090216
                                                                                                                                                       0.012549
                                                                                                                                                                   0.059521
                                                                                                                                                                              0.047890
                                                                                                                                                                                         0.708380
                                                                                                                                                                                                         0.382970
                                                                                                                  ... -0.084432 0.019445
        previous -0.003511 0.026196 -0.059114 0.018080 -0.067833 0.577562 1.000000 0.020665 -0.014861 -0.013226
                                                                                                                                           0.027549
                                                                                                                                                      0.055400 0.088764
                                                                                                                                                                              0.059763 0.475289
                                                                                                                                                                                                         0.358382
```

Out[8]: <matplotlib.axes, subplots.AxesSubplot at 0x2029bb356a0x

Pearson Correlation of Features



We can see from the Correlation Matrix and the Colored Heatmap Matrix that Age positively correlates with balance, eventhough this correlation is weak. It suggests that older customers are more likely to have unused cash (balance) in their accounts- but this suggestion is weak

There is also a negative correlation between Age and Day, Duration, Campaign Success. This implies that it takes less time of the day and duration of contact with older customers to respond positively and subscribe the Term Deposit.

Preliminary Data Modeling to determine the quality of the data

Since the data is imbalanced (88.5% -No and 11.5% Yes), it important to determine how much this imbalance will impact the metrics: Accuracy, Explained Variance, F1 score, and Mean Squared Error.

```
In [9]:
from sklearn.inear_model_selection
from sklearn.inear_model import LogisticRegression
from sklearn.metrics import accuracy_score, explained_variance_score, fi_score, mean_squared_error

# Train model
Ir = LogisticRegression().fit(X_train, y_train)
predicted = Ir.predict(X_test)

accuracy = accuracy_score(y_test, predicted)
explained_var = explained_variance_score(y_test, predicted)
fi = fi_score(y_test, predicted)
mse = mean_squared_error(y_test, predicted)
print("Accuracy score is: ", accuracy)
print("Explained Variance is ", explained_var)
print ("Fi Score is ", 71)
print ("Mean Squared Error is ", mse)

Accuracy score is: 0.884786729858
Explained Variance is -0.8608982372747
Fi Score is 0.1897389018883
Mean Squared Error is 0.18052132720142
```

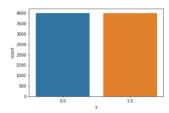
Accuracy score for the imbalanced data is 89%. But, this model is so weak that it is able to explain less than 1% of the variations in the target response. With the low F1 score, the model is misclassifying the target response, and where it accurately predicts, it does so with less precision. The Mean Squared Error tells the difference between the actual and predicted response, but this needs to be as low as possible relative to other models.

Balancing the data with Resample (Up-sampling the minority class to be the same as the majority)

```
# First, we'll separate observations from each class into different DataFrames.
# Next, we'll resumple the minority class with replacement, setting the number of samples to match that of the majority class.
# Finally, we'll combine the up-sampled minority class DataFrame with the original majority class DataFrame.
              # Separate majority and minority classes
df_majority = data_robust[data_robust.y==0]
df_minority = data_robust[data_robust.y==1]
                # Upsample minority class
              df_minority_upsampled = resample(df_minority,
                                                                            random_state=123) # reproducible results
              # Combine majority class with upsampled minority class
data_upsampled = pd.concat([df_majority, df_minority_upsampled])
              # Display new class counts
data_upsampled.y.value_counts()
Out[10]: 1.0 4000
0.0 4000
Name: y, dtype: int64
```

Proof of Balaced Data

```
In [11]:sns.countplot(x="y", data=data_upsampled)
Out[11]: <matplotlib.axes._subplots.AxesSubplot at 0x2029bca3390>
```



Redesignate Target, Features, Test and Train Variables

```
In [12]:# designate target variable name (y)
         targetName2 = 'y'
targetSeries = data_upsampled[targetName]
#remove target from current location and insert in collum 0
         del data_upsampled[targetName]
data_upsampled.insert(0, targetName2, targetSeries)
         #reprint dataframe and see target is in position 0
         data_upsampled.head()
         # Define Dependent variables(features) as X2
         # split dataset into testing set and training
         y2 = data_upsampled.iloc[:,0]
         X_train2, X_test2, y_train2, y_test2 = train_test_split(
data_upsampled.iloc[:,1:].values, data_upsampled.iloc[:,0].values, test_size=0.70, random_state=0)
         print(X_test.shape)
print(X_train.shape)
print(y_test.shape)
         print(y_train.shape)
        (3165, 51)
(1356, 51)
```

Logistic Regression with Balanced Data

```
In [13]:# Train model
                  1rd in model
1r2 = LogisticRegression().fit(X_train2, y_train2)
predicted = 1r2.predict(X_test2)
                   accuracy = accuracy_score(y_test2, predicted)
explained_var = explained_variance_score(y_test2, predicted)
f1 = f1_score(y_test2, predicted)
mse = mean_squared_error(y_test2, predicted)
                  print("Accuracy score is: ", accuracy)
print("Explained Variance is ", explained_var)
print ("F1 Score is ", f1)
print ("Mean Squared Error is ", mse)
                  Accuracy score is: 0.821428571429
Explained Variance is 0.286262523886
F1 Score is 0.818709209572
Mean Squared Error is 0.178571428571
```

The balanced data has improved the model's performance. Accuracy is down 7% but the model is able to explain 29% of the variations in the target response. Also, the model is not misclassifying the the target response as it previously did, and it is doing so with much precision.

- Decision Tree
- KNN
- Random Forest
- Liner Support Vector Classification
- Redial Basis Function
- Artificial Neuron Network (ANA)
- Stochastic Gradient Desent
- Adaboost
- Bagging Classifier
- Gradient Boosting
- Extra Trees Classifier
- Stacking

In the following section, 12 Machine Learning Methods will be implemented to create at least 36 different models and iterations. Each method will follow FIVE (5) steps: Importing a package, Defining a function, Fitting a model, Making a prediction, and Quality evaluation.

Decision Tree Model

A decision tree is a map of the possible outcomes of a series of related choices. It allows an individual or organization to weigh possible actions against one another based on their costs, probabilities, and benefits.

A decision tree typically starts with a single node, which branches into possible outcomes. Each of those outcomes leads to additional nodes, which branch off into other possibilities. This gives it a treelike shape.

```
from sklearn.tree import DecisionTreeClassifier
         predicted = dt.predict(X test2)
          accuracy = accuracy_score(y_test2, predicted)
explained_var = explained_variance_score(y_test2, predicted)
          f1 = f1 score(y test2, predicted)
         mse = mean_squared_error(y_test2, predicted)
         print("Accuracy score is: ", accuracy)
print("Explained Variance is ", explained_var)
         print ("F1 Score is ", f1)
print ("Mean Squared Error is ", mse)
         Accuracy score is: 0.906428571429
Explained Variance is 0.637810543706
F1 Score is 0.91103565365
Mean Squared Error is 0.0935714285714
In [15]:# Decision Tree Interation 2 where split is 3
         dt = dt.fit(X_train2, y_train2)
predicted = dt.predict(X_test2)
         accuracy = accuracy_score(y_test2, predicted)
explained_var = explained_variance_score(y_test2, predicted)
f1 = f1_score(y_test2, predicted)
          mse = mean squared error(y test2, predicted)
         print("Accuracy score is: ", accuracy)
print("Explained Variance is ", explained_var)
print ("F1 Score is ", f1)
print ("Mean Squared Error is ", mse)
         Accuracy score is: 0.995892857143
Explained Variance is 0.63266061805
F1 Score is 0.909899128056
Mean Squared Error is 0.0941071428571
In [16]:# Decision Tree Interation 3 with min samples leaf is 2
         dt = dt.fit(X train2, y train2)
          predicted = dt.predict(X_test2)
          accuracy = accuracy score(y test2, predicted)
         actionary = action and_core_creat_, predicted)

f1 = f1_score(y_test2, predicted)

mse = mean_squared_error(y_test2, predicted)
         print("Accuracy score is: ", accuracy)
print("Explained Variance is ", explained_var)
print ("F1 Score is ", f1)
print ("Mean Squared Error is ", mse)
         Accuracy score is: 0.879464285714
Explained Variance is 0.518296171172
F1 Score is 0.880340365183
Mean Squared Error is 0.120535714286
```

KNN Model

KNN estimates how likely a data point is to be a member of one group or the other depending on what group the data points nearest to it are in. The k-nearest-neighbor is a classification (or regression) algorithm that in order to determine the classification of a point, combines the classification of the K nearest points. It is supervised because you are trying to classify a point based on the known classification of other points.

```
In [17]: from sklearn.neighbors import KNeighborsClassifier
            knn = knn.fit(X train2, y train2)
            predicted = knn.predict(X_test2)
            accuracy = accuracy_score(y_test2, predicted)
explained_var = explained_variance_score(y_test2, predicted)
f1 = f1_score(y_test2, predicted)
             mse = mean squared error(y test2, predicted)
            print("Accuracy score is: ", accuracy)
print("Explained Variance is ", explained_var)
print ("F1 Score is ", f1)
print ("Mean Squared Error is ", mse)
            Accuracy score is: 0.818035714286
Explained Variance is 0.277922259146
F1 Score is 0.82415875755
Mean Squared Error is 0.181964285714
In [18]:# Interation 2 where neighbors is 8
            knn = KNeighborsClassifier(n_neighbors=8, weights='uniform', algorithm='auto',
leaf_size=30, p=2, metric='minkowski', metric_params=None, n_jobs=1)
             knn = knn.fit(X_train2, y_train2)
            predicted = knn.predict(X_test2)
             accuracy = accuracy score(v test2, predicted)
            actinacy = actinacy_store(y_test2, predicted)
explained_var = explained_variance_score(y_test2, predicted)
f1 = f1_score(y_test2, predicted)
mse = mean_squared_error(y_test2, predicted)
            print("Accuracy score is: ", accuracy)
print("Explained Variance is ", explained_var)
print ("F1 Score is ", f1)
print ("Mean Squared Error is ", mse)
           Accuracy score is: 0.805714285714
Explained Variance is 0.222979727214
F1 Score is 0.803963963964
Mean Squared Error is 0.194285714286
In [19]:# Interation 3 where neighbors is 3
            knn = KNeighborsClassifier(n_neighbors=3, weights='uniform', algorithm='auto',
leaf_size=30, p=2, metric='minkowski', metric_params=None, n_jobs=1)
              knn = knn.fit(X_train2, y_train2)
            predicted = knn.predict(X test2)
             accuracy = accuracy_score(y_test2, predicted)
             explained_var = explained_variance_score(y_test2, predicted)
            f1 = f1_score(y_test2, predicted)
mse = mean_squared_error(y_test2, predicted)
           print("Accuracy score is: ", accuracy)
print("Explained Variance is ", explained_var)
print ("F1 Score is ", f1)
print ("Mean Squared Error is ", mse)
            Accuracy score is: 0.8525
Explained Variance is 0.423383838532
F1 Score is 0.860142228242
Mean Squared Error is 0.1475
In [20]:# Interation 4 where neighbors is 1
              knn = KNeighborsClassifier(n_neighbors=1, weights='uniform', algorithm='auto',
leaf_size=30, p=2, metric='minkowski', metric_params=None, n_jobs=1)
            knn = knn.fit(X_train2, y_train2)
predicted = knn.predict(X_test2)
            accuracy = accuracy_score(y_test2, predicted)
explained_var = explained_variance_score(y_test2, predicted)
f1 = f1_score(y_test2, predicted)
            mse = mean_squared_error(y_test2, predicted)
            print("Accuracy score is: ", accuracy)
print("Explained Variance is ", explained_var)
print ("F1 Score is ", f1)
print ("Mean Squared Error is ", mse)
            Accuracy score is: 0.897678571429
Explained Variance is 0.596939840833
F1 Score is 0.901257970016
Mean Squared Error is 0.102321428571
```

Random Forest

Random forest algorithm is a supervised classification algorithm. This algorithm creates the forest with a number of trees. In general, the more trees in the forest the more robust the forest looks like. In the same way in the random forest classifier, the higher the number of trees in the forest gives the high accuracy results.

```
In [21] from sklearn.ensemble import RandomForestClassifier
                rf = RandomForestClassifier(n_estimators=10, criterion='gini', max_depth=None, min_samples_split=2,
    min_samples_leaf=1, min_weight_fraction_leaf=0.0, max_features='auto', max_leaf_nodes=None,
    min_impurity_decrease=0.0, min_impurity_split=None, bootstrap=True, oob_score=False, n_jobs=1,
    random_state=None, verbose=0, warm_start=False, class_weight=None)
               rf = rf.fit(X_train2, y_train2)
predicted = rf.predict(X_test2)
               accuracy = accuracy_score(y_test2, predicted)
explained_var = explained_variance_score(y_test2, predicted)
f1 = f1_score(y_test2, predicted)
                mse = mean_squared_error(y_test2, predicted)
               print("Accuracy score is: ", accuracy)
print("Explained Variance is ", explained_var)
               print ("F1 Score is ", f1)
print ("Mean Squared Error is ", mse)
               Accuracy score is: 0.925892857143
Explained Variance is 0.706632810875
               F1 Score is 0.927662541398
Mean Squared Error is 0.0741071428571
               rf = RandomForestClassifier(n_estimators=12, criterion='gini', max_depth=None, min_samples_split=2,
min_samples_leaf=1, min_weight_fraction_leaf=0.0, max_features='auto', max_leaf_nodes=None,
min_impurity_decrease=0.0, min_impurity_split=None, bootstrap=True, oob_score=False, n_jobs=1,
random_state=None, verbose=0, warm_start=False, class_weight=None)
               rf = rf.fit(X_train2, y_train2)
predicted = rf.predict(X_test2)
               accuracy = accuracy_score(y_test2, predicted)
explained_var = explained_variance_score(y_test2, predicted)
f1 = f1_score(y_test2, predicted)
               mse = mean_squared_error(y_test2, predicted)
               print("Accuracy score is: ", accuracy)
print("Explained Variance is ", explained_var)
               print ("F1 Score is ", f1)
print ("Mean Squared Error is ", mse)
               Accuracy score is: 0.918214285714
Explained Variance is 0.675800732125
F1 Score is 0.920125566795
Mean Squared Error is 0.0817857142857
In [23]:# Iteration 3 where estimators is 10
               rf = RandomForestClassifier(n_estimators=10, criterion='gini', max_depth=None, min_samples_split=2,
min_samples_leaf=1, min_weight_fraction_leaf=0.0, max_features='auto', max_leaf_nodes=None,
min_impurity_decrease=0.0, min_impurity_split=None, bootstrap=True, oob_score=False, n_jobs=1,
random_state=None, verbose=0, warm_start=false, class_weight=None)
               rf = rf.fit(X_train2, y_train2)
predicted = rf.predict(X_test2)
                accuracy = accuracy_score(y_test2, predicted)
explained_var = explained_variance_score(y_test2, predicted)
f1 = f1_score(y_test2, predicted)
                mse = mean_squared_error(y_test2, predicted)
               print("Accuracy score is: ", accuracy)
print("Explained Variance is ", explained_var)
print ("F1 Score is ", f1)
               print ("Mean Squared Error is ", mse)
               Accuracy score is: 0.921071428571
Explained Variance is 0.68571563048
F1 Score is 0.92229254571
Mean Squared Error is 0.0789285714286
```

Linear Support Vector Classification

The Linear Support Vector is similar to SVC with parameter kernel='linear', but implemented in terms of "liblinear" rather than "libsvm", so it has more flexibility in the choice of penalties and loss functions and should scale better to large numbers of samples.

```
In [25]:# Iteration2 were penalty is l1
             lsv = LinearSVC(penalty='l1', loss='squared_hinge', dual=False, tol=0.0001, C=1.0,
    multi_class='ovr', fit_intercept=True, intercept_scaling=1, class_weight=None, verbose=0,
    random_state=None, max_iter=1000)
             lsv = lsv.fit(X_train2, y_train2)
predicted = lsv.predict(X_test2)
             accuracy = accuracy score(y test2, predicted)
              explained_var = explained_variance_score(y_test2, predicted)
f1 = f1_score(y_test2, predicted)
              mse = mean squared error(y test2, predicted)
             print("Accuracy score is: ", accuracy)
print("Explained Variance is ", explained_var)
print ("F1 Score is ", f1)
print ("Mean Squared Error is ", mse)
            Accuracy score is: 0.817321428571
Explained Variance is 0.271400763197
F1 Score is 0.812396845773
Mean Squared Error is 0.182678571429
In [26]:# Iteration2 were penalty is L2, and hinge
              lsv = LinearSVC(penalty='12', loss='hinge', dual=True, tol=0.0001, C=1.0,
                                יפו איני, שרופים בין בין איני איני בין איני איני בין איני
multi_class='ovr', ftt_intercept=True, intercept_scaling=1, class_weight=None, verbose=0, random_state=None, max_iter=1000)
             lsv = lsv.fit(X train2, y train2)
               predicted = lsv.predict(X_test2)
              accuracy = accuracy score(y test2, predicted)
             actionary = action and_core_creat_, predicted)

f1 = f1_score(y_test2, predicted)

mse = mean_squared_error(y_test2, predicted)
             print("Accuracy score is: ", accuracy)
print("Explained Variance is ", explained_var)
print ("F1 Score is ", f1)
print ("Mean Squared Error is ", mse)
             Accuracy score is: 0.805178571429
Explained Variance is 0.222334950144
F1 Score is 0.808428446005
Mean Squared Error is 0.194821428571
```

Radial basis function kernel

In machine learning, the (Gaussian) radial basis function kernel, or RBF kernel, is a popular kernel function used in various kernelized learning algorithms. In particular, it is commonly used in support vector machine classification

```
In [27]: from sklearn.svm import SVC
              rbf = SVC(C=1.0, kernel='rbf', degree=3, gamma='auto',
    coef0=0.0, shrinking=True, probability=False, tol=0.001, cache_size=200, class_weight=None,
    verbose=False, max_iter=-1, decision_function_shape='ovr', random_state=None)
              rbf = rbf.fit(X_train2, y_train2)
              predicted = rbf.predict(X test2)
              accuracy = accuracy_score(y_test2, predicted)
               explained_var = explained_variance_score(y_test2, predicted)
              f1 = f1_score(y_test2, predicted)
mse = mean_squared_error(y_test2, predicted)
            print("Accuracy score is: ", accuracy)
print("Explained Variance is ", explained_var)
print ("F1 Score is ", f1)
print ("Mean Squared Error is ", mse)
              Accuracy score is: 0.823035714286
Explained Variance is 0.293541808276
F1 Score is 0.825742922455
Mean Squared Error is 0.176964285714
In [28]:# Iteration and C-2
              rbf = SVC(C=2.0, kernel='rbf', degree=4, gamma='auto',
    coef0=0.0, shrinking=frue, probability=False, tol=0.001, cache_size=200, class_weight=None,
    verbose=False, max_iter=-1, decision_function_shape='ovr', random_state=None)
              rbf = rbf.fit(X_train2, y_train2)
predicted = rbf.predict(X_test2)
              accuracy = accuracy_score(y_test2, predicted)
explained_var = explained_variance_score(y_test2, predicted)
f1 = f1_score(y_test2, predicted)
              mse = mean_squared_error(y_test2, predicted)
              print("Accuracy score is: ", accuracy)
print("Explained Variance is ", explained_var)
              print ("F1 Score is ", f1)
print ("Mean Squared Error is ", mse)
             Accuracy score is: 0.837321428571
Explained Variance is 0.35127199656
F1 Score is 0.840371473629
Mean Squared Error is 0.162678571429
```

Artificial Neuron Network (ANN)

An Artificial Neurol Network (ANN) is a computational model. It is based on the structure and functions of biological neural networks. It works like the way human brain processes information. It includes a large number of connected processing units that work together to process information.

```
In [30]:from sklearn.neural_network import MLPClassifier
               ann = MLPClassifier(activation='relu', alpha=1e-05, batch_size='auto',
    beta_1=0.9, beta_2=0.999, early_stopping=False,
    epsilon=1e-08, hidden_layer_sizes=(5, 2), learning_rate='constant',
    learning_rate_init=0.001, max_iter=200, momentum=0.9,
                             rearring_rate_init=0.001, max_itter=2.00, momentum=0.9,
nesterovs_momentum=True, power_t=0.5, random_state=1, shuffle=True,
solver='lbfgs', tol=0.0001, validation_fraction=0.1, verbose=False,
warm_start=False)
               ann = ann.fit(X_train2, y_train2)
predicted = ann.predict(X_test2)
               accuracy = accuracy_score(y_test2, predicted)
explained_var = explained_variance_score(y_test2, predicted)
f1 = f1_score(y_test2, predicted)
               mse = mean_squared_error(y_test2, predicted)
               print("Accuracy score is: ", accuracy)
print("Explained Variance is ", explained_var)
               print ("F1 Score is ", f1)
print ("Mean Squared Error is ", mse)
              Accuracy score is: 0.760892857143
Explained Variance is 0.8501341914374
F1 Score is 0.749953314659
Mean Squared Error is 0.239107142857
In [31]:# Iteration 2- where hidden layer 5, 1
                ann = MLPClassifier(activation='relu', alpha=1e-05, batch size='auto',
                              intricassifier(action=real approximate os, outco size= auto , beta 1=0.9, beta 2=0.999, early_stopping=False, epsilon=le-08, hidden_layer_sizes=(5, 1), learning_rate='constant', learning_rate_init=0.001, max_iter=200, momentum=0.9,
                             nesterovs_momentum=True, power_t=0.5, random_state=1, shuffle=True, solver='lbfgs', tol=0.0001, validation_fraction=0.1, verbose=False, warm_start=False)
               ann = ann.fit(X train2, v train2)
                predicted = ann.predict(X_test2)
               accuracy = accuracy_score(y_test2, predicted)
               fl = fl_score(y_test2, predicted)

fl = fl_score(y_test2, predicted)

mse = mean_squared_error(y_test2, predicted)
              print("Accuracy score is: ", accuracy)
print("Explained Variance is ", explained_var)
print ("F1 Score is ", f1)
print ("Mean Squared Error is ", mse)
              Accuracy score is: 0.835
Explained Variance is 0.343097294755
F1 Score is 0.838968281631
Mean Squared Error is 0.165
In [32]:# Iteration 3- where hidden Laver 3, 1
                ann = MLPClassifier(activation='relu', alpha=1e-05, batch_size='auto',
                            MLPCLassitier(activation='relu', alpha=1e-0s, batch_size='auto', beta_=0.9, beta_2=0.99, early_stoping=false, epsilon=1e-08, hidden_layer_sizes=(3, 1), learning_rate='constant', learning_rate_init=0.001, max_itte="200, momentum=0.9, nesterovs_momentum=True, power_t=0.5, random_state=1, shuffle=True, solver='lbfgs', tol=0.0001, validation_fraction=0.1, verbose=False, warm_start=False)
               ann = ann.fit(X_train2, y_train2)
               predicted = ann.predict(X_test2)
                accuracy = accuracy_score(y_test2, predicted)
               explained_var = explained_variance_score(y_test2, predicted)
               f1 = f1_score(y_test2, predicted)
mse = mean_squared_error(y_test2, predicted)
               print("Accuracy score is: ", accuracy)
              print("Accuracy score is: ", accuracy)
print("Explained Variance is ", explained_var)
print ("F1 Score is ", f1)
print ("Mean Squared Error is ", mse)
              Accuracy score is: 0.826785714286
Explained Variance is 0.335072722052
F1 Score is 0.839669421488
Mean Squared Error is 0.173214285714
```

Stochastic Gradient Descent

```
In [33]:from sklearn.linear_model import SGDClassifier
                sdg = SGDClassifier(alpha=0.0001, average=False, class_weight=None, epsilon=0.1,
                              SGCLassitier(alpha=0.0001, average=False, class_weight=Mone, eps
eta0=0.0, fit_intercept=True, ll_ratio=0.15,
learning_rate='optimal', loss='hinge', max_iter=50, n_iter=None,
n_jobs=1, penalty='12', power_t=0.5, random_state=None,
shuffle=True, tol=0.21, verbose=0, warm_start=False)
                sdg = sdg.fit(X train2, y train2)
                predicted = sdg.predict(X_test2)
                accuracy = accuracy score(y test2, predicted)
               section and a section and according to the sexplained_var = explained_variance_score(y_test2, predicted)

f1 = f1_score(y_test2, predicted)

mse = mean_squared_error(y_test2, predicted)
               print("Accuracy score is: ", accuracy)
print("Explained Variance is ", explained_var)
print ("F1 Score is ", f1)
print ("Mean Squared Error is ", mse)
              Accuracy score is: 0.666785714286
Explained Variance is -0.0983358373983
F1 Score is 0.558447704685
Mean Squared Error is 0.333214285714
In [34]:# Tteration 2- where menalty is [1
                sdg = SGDClassifier(alpha=0.0001, average=False, class_weight=None, epsilon=0.1,
                              eta0=0.0, fit_intercept=True, ll_ratio=0.15, learning_rate='optimal', loss='hinge', max_iter=50, n_iter=None, n_jobs=1, penalty='ll', power_t=0.5, random_state=None, shuffle=True, tol=0.21, verbos=0, warm_start=False)
               sdg = sdg.fit(X_train2, y_train2)
predicted = sdg.predict(X_test2)
                accuracy = accuracy_score(y_test2, predicted)
explained_var = explained_variance_score(y_test2, predicted)
                f1 = f1 score(y test2, predicted)
                mse = mean_squared_error(y_test2, predicted)
               print("Accuracy score is: ", accuracy)
print("Explained Variance is ", explained_var)
              print ("F1 Score is ", f1)
print ("Mean Squared Error is ", mse)
               Accuracy score is: 0.710357142857
Explained Variance is -0.0723983245235
F1 Score is 0.659243697479
Mean Squared Error is 0.289642857143
In [35]:# Iteration 3- where epsilon is .2
               sdg = SGDClassifier(alpha=0.0001, average=False, class_weight=None, epsilon=0.2, eta0=0.0, fit_intercept=True, ll_ratio=0.15, learning_rate='optimal', loss='hinge', max_iter=50, n_iter=None, n_jobs=1, penalty='12', power_teb'.5, random_state=None, shuffle=True, tol=0.21, verbose=0, warm_start=False)
               sdg = sdg.fit(X_train2, y_train2)
predicted = sdg.predict(X_test2)
                accuracy = accuracy_score(y_test2, predicted)
               actionary = actionary_core(__test_, predicted)

f1 = f1_score(y_test2, predicted)

mse = mean_squared_error(y_test2, predicted)
               print("Accuracy score is: ", accuracy)
print("Explained Variance is ", explained_var)
print ("F1 Score is ", f1)
print ("Mean Squared Error is ", mse)
              Accuracy score is: 0.761785714286
Explained Variance is 0.0777583288807
F1 Score is 0.780303030303
Mean Squared Error is 0.238214285714
```

Adaboost

An AdaBoost classifier is a meta-estimator that begins by fitting a classifier on the original dataset and then fits additional copies of the classifier on the same dataset but where the weights of incorrectly classified instances are adjusted such that subsequent classifiers focus more on difficult cases.

```
In [36]:from sklearn.ensemble import AdaBoostClassifier

ada = AdaBoostClassifier(base_estimator=None, n_estimators=50, learning_rate=1.0, algorithm='SAMME.R', random_state=None)

ada = ada.fit(X_train2, y_train2)
predicted = ada.predict(X_test2)

accuracy = accuracy_score(y_test2, predicted)
explained_var = explained_variance_score(y_test2, predicted)
f1 = f1_score(y_test2, predicted)
mse = mean_squared_error(y_test2, predicted)
print("Accuracy score is: ", accuracy)
print("Explained Variance is ", explained_var)
print ("F1 Score is ", f1)
print ("Mean Squared Error is ", mse)

Accuracy score is: 0.831428571429
Explained Variance is 0.3182582627
F1 Score is 0.831986871257
Mean Squared Error is 0.416571428571
Mean Squared Error is 0.416571428571
```

```
In [37]:# Interation 2 estimators is 30
            ada = AdaBoostClassifier(base estimator=None, n estimators=30, learning rate=1.0, algorithm='SAMME.R', random state=None)
            ada = ada.fit(X_train2, y_train2)
           predicted = ada.predict(X test2)
           accuracy = accuracy_score(y_test2, predicted)
            explained var = explained variance score(y test2, predicted)
           f1 = f1 score(v test2, predicted)
           mse = mean_squared_error(y_test2, predicted)
          print("Accuracy score is: ", accuracy)
print("Explained Variance is ", explained_var)
print ("F1 Score is ", f1)
print ("Mean Squared Error is ", mse)
          Accuracy score is: 0.831964285714
Explained Variance is 0.327887061078
F1 Score is 0.831934273977
Mean Squared Error is 0.168035714286
In [38]:# Interation 3 Learning rate is 2
            ada = AdaBoostClassifier(base_estimator=None, n_estimators=30, learning_rate=2.0, algorithm='SAMME.R', random_state=None)
           ada = ada.fit(X_train2, y_train2)
predicted = ada.predict(X_test2)
           accuracy = accuracy_score(y_test2, predicted)
explained_var = explained_variance_score(y_test2, predicted)
f1 = f1_score(y_test2, predicted)
           mse = mean_squared_error(y_test2, predicted)
           print("Accuracy score is: ", accuracy)
print("Explained Variance is ", explained_var)
           print ("F1 Score is ", f1)
print ("Mean Squared Error is ", mse)
          Accuracy score is: 0.278571428571
Explained Variance is -1.81168160028
F1 Score is 0.161825726141
Mean Squared Error is 0.721428571429
```

Bagging Classifier

Bootstrap aggregating, also called bagging, is a machine learning ensemble meta-algorithm designed to improve the stability and accuracy of machine learning algorithms used in statistical classification and regression. It also reduces variance and helps to avoid overfitting. Although it is usually applied to decision tree methods, it can be used with any type of method. Bagging is a special case of the model averaging approach.

```
In [39]: from sklearn.ensemble import BaggingClassifier
          bag = bag.fit(X_train2, y_train2)
predicted = bag.predict(X_test2)
          accuracy = accuracy_score(y_test2, predicted)
explained_var = explained_variance_score(y_test2, predicted)
f1 = f1_score(y_test2, predicted)
          mse = mean_squared_error(y_test2, predicted)
          print("Accuracy score is: ", accuracy)
print("Explained Variance is ", explained_var)
          print ("F1 Score is ", f1)
print ("Mean Squared Error is ", mse)
         Accuracy score is: 0.919285714286
Explained Variance is 0.684984500478
F1 Score is 0.922469982847
Mean Squared Error is 0.0807142857143
In [40]:# Iteration 2 where estimators is 15
          bag = BaggingClassifier(base estimator=None, n estimators=15, max samples=1.0, max features=1.0,
                                            bootstrap_features=False, oob_score=False, warm_start=False, n_jobs=1, random_state=None, verbose=0)
          bag = bag.fit(X_train2, y_train2)
           predicted = bag.predict(X_test2)
          accuracy = accuracy_score(y_test2, predicted)
           explained_var = explained_variance_score(y_test2, predicted)
          f1 = f1_score(y_test2, predicted)
mse = mean_squared_error(y_test2, predicted)
         print("Accuracy score is: ", accuracy)
print("Explained Variance is ", explained_var)
print ("F1 Score is ", f1)
print ("Mean Squared Error is ", mse)
         Accuracy score is: 0.914821428571
Explained Variance is 0.673088586757
F1 Score is 0.919302994417
Mean Squared Error is 0.0851785714286
In [41]:# Iteration 3 where estimators is 30
           bag = BaggingClassifier(base_estimator=None, n_estimators=30, max_samples=1.0, max_features=1.0,
                                            bootstrap=True, bootstrap features=False, oob score=False, warm start=False, n jobs=1,
                                           random_state=None, verbose=0)
          bag = bag.fit(X_train2, y_train2)
          predicted = bag.predict(X_test2)
           accuracy = accuracy_score(y_test2, predicted)
           explained_var = explained_variance_score(y_test2, predicted)
          f1 = f1_score(y_test2, predicted)
           mse = mean_squared_error(y_test2, predicted)
         print("Accuracy score is: ", accuracy)
print("Explained Variance is ", explained_var)
print ("F1 Score is ", f1)
print ("Mean Squared Error is ", mse)
          Accuracy score is: 0.915535714286
Explained Variance is 0.675945759133
F1 Score is 0.919979698867
Mean Squared Error is 0.0844642857143
```

Gradient Boosting

Gradient boosting is a machine learning technique for regression and classification problems, which produces a prediction model in the form of an ensemble of weak prediction models, typically decision trees. It builds the model in a stage-wise fashion like other boosting methods do, and it generalizes them by allowing optimization of an arbitrary differentiable loss function.

```
In [42]: from sklearn.ensemble import GradientBoostingClassifier
            gb = gb.fit(X_train2, y_train2)
            predicted = gb.predict(X_test2)
            accuracy = accuracy_score(y_test2, predicted)
explained_var = explained_variance_score(y_test2, predicted)
f1 = f1_score(y_test2, predicted)
            mse = mean_squared_error(y_test2, predicted)
           print("Accuracy score is: ", accuracy)
print("Explained Variance is ", explained_var)
print ("F1 Score is ", f1)
print ("Mean Squared Error is ", mse)
           Accuracy score is: 0.868571428571
Explained Variance is 0.481145659796
F1 Score is 0.873409012728
Mean Squared Error is 0.131428571429
In [43]:# Iteration 2 where is .2
            predicted = gb.predict(X_test2)
            accuracy = accuracy_score(y_test2, predicted)
explained_var = explained_variance_score(y_test2, predicted)
            f1 = f1 score(v test2, predicted)
            mse = mean_squared_error(y_test2, predicted)
            print("Accuracy score is: ", accuracy)
print("Explained Variance is ", explained_var)
            print ("F1 Score is ", f1)
print ("Mean Squared Error is ", mse)
            Accuracy score is: 0.888214285714
Explained Variance is 0.562289355285
F1 Score is 0.893064571233
Mean Squared Error is 0.111785714286
            gb = GradientBoostingClassifier(loss='deviance', learning_rate=0.8, n_estimators=100, subsample=1.0, criterion='friedman_mse',
    min_samples_split=2, min_samples_leaf=1, min_weight_fraction_leaf=0.0, max_depth=3,
    min_impurity_decrease=0.0, min_impurity_split=None, init=None, random_state=None,
    max_features=None, verbose=0, max_leaf_nodes=None, warm_start=False, presort='auto')
            gb = gb.fit(X_train2, y_train2)
predicted = gb.predict(X_test2)
            accuracy = accuracy_score(y_test2, predicted)
explained_var = explained_variance_score(y_test2, predicted)
f1 = f1_score(y_test2, predicted)
            mse = mean squared error(y test2, predicted)
           print("Accuracy score is: ", accuracy)
print("Explained Variance is ", explained_var)
print ("F1 Score is ", f1)
print ("Mean Squared Error is ", mse)
            Accuracy score is: 0.918035714286
Explained Variance is 0.681926433169
F1 Score is 0.921658986175
Mean Squared Error is 0.0819642857143
```

Extra Trees Classifier

The Extra-Tree method (standing for extremely randomized trees) with the main objective of further randomizing tree building in the context of numerical input features, where the choice of the optimal cut-point is responsible for a large proportion of the variance of the induced tree.

Stacking-Voting Classifier

Voting Classifier is a way of combining the predictions from multiple machine learning algorithms. It works by first creating two or more standalone models from your training dataset. A Voting Classifier can then be used to wrap your models and average the predictions of the sub-models when asked to make predictions for new data.

```
In [48]:# Soft Voting
         from sklearn.ensemble import VotingClassifier
from sklearn.model_selection import cross_val_score
         clf1 = LogisticRegression()
         clf2 = RandomForestClassifier()
         clf3 = DecisionTreeClassifier()
         clf4 = KNeighborsClassifier()
clf5 = ExtraTreesClassifier()
         eclf1 = VotingClassifier(estimators =[
('lr', clf1), ('rf', clf2), ('dt', clf3), ('knn', clf4), ('extree', clf5)],
voting='soft', weights=None, n_jobs=1, flatten_transform=None)
         eclf1 = eclf1.fit(X, y)
         scores = cross_val_score(clf, X2, y2, cv=5, scoring='accuracy')
print("Accuracy: %0.2f (+/- %0.2f) [%s]" % (scores.mean(), scores.std(), label))
In [49]:clf1 = LogisticRegression()
         clf2 = RandomForestClassifier()
clf3 = DecisionTreeClassifier()
clf4 = KNeighborsClassifier()
clf5 = ExtraTreesClassifier()
         eclf1 = VotingClassifier(estimators=[
         ('logreg', clff1), ('randforest', clf2), ('decisiontree', clf3), ('KNN', clf4), ('extratrees', clf5)], voting='hard') eclf1 = eclf1.fit(X2, y2)
         print('5-fold cross validation:\n')
         scores = cross_val_score(clf, X2, y2, cv=5, scoring='accuracy')
print("Accuracy: %0.2f (+/- %0.2f) [%s]" % (scores.mean(), scores.std(), label))
         5-fold cross validation:
        Accuracy: 0.82 (+/- 0.01) [Logistic Regression]
Accuracy: 0.98 (+/- 0.00) [Random Forest]
Accuracy: 0.96 (+/- 0.01) [Decision Tree]
Accuracy: 0.90 (+/- 0.01) [RNN]
Accuracy: 0.90 (+/- 0.00) [Extra Trees]
```

```
In [50]:# Iteration 3- Hard voting where cv is 3
          clf1 = LogisticRegression()
clf2 = RandomForestClassifier()
clf3 = DecisionTreeClassifier()
           clf4 = KNeighborsClassifier()
          clf5 = ExtraTreesClassifier()
          eclf1 = VotingClassifier(estimators=[
    ('logreg', clf1), ('randforest', clf2), ('decisiontree', clf3), ('XNN', clf4), ('extratrees', clf5)], voting='hard')
eclf1 = eclf1.fit(X2, y2)
          scores = cross_val_score(clf, X2, y2, cv=3, scoring='accuracy')
print("Accuracy: %0.2f (+/- %0.2f) [%s]" % (scores.mean(), scores.std(), label))
         Accuracy: 0.82 (+/- 0.01) [Logistic Regression]
Accuracy: 0.97 (+/- 0.00) [Random Forest]
Accuracy: 0.95 (+/- 0.00) [Decision Tree]
Accuracy: 0.89 (+/- 0.01) [KNN]
Accuracy: 0.98 (+/- 0.00) [Extra Trees]
```

Summary Of Models

```
In [58]:summary = pd.read_excel("model summary.xlsx")
summary
      Model Interation Accuracy% Explained Variable % F Score % Mean Error  

Representation  

Model 3 50 200 0
Out[58]:
                                         333.0
                                                          67.0
       2 Extra Trees
                          Model 1 93
                                             72.0
                                                                        0.07
                                                         92.0
92.0
       3 Random Forest Model 2 92
                                             69.0
                                                                        0.08
       4 Bagging
                          Model 3 92
                                             69.0
                                                                        0.08
       6 Random Forest
                        Model 3 92
                                             68.0
                                                             92.0
                                                                        0.08
       7 Boosting
                          Model 3 92
                                             68.0
                                                             92.0
                                                                        0.08
       8 Decision Tree
                          Model 1 91
                                             66.0
       9 Bagging
                          Model 1 91
                                             66.0
       10 Bagging
                          Model 2 91
                                             65.0
                                                             91.0
                                                                        0.10
       11 Decision Tree
                          Model 2 90
                                             61.0
                                                              91.0
                                             54.0
       13 Redial Basis
                          Model 3 88
                                                              88.0
       14 Decision Tree
                          Model 3 88
                                             52 0
                                                              88.0
                                                                        0.12
       15 Boosting
                          Model 1 87
                                             48.0
                                                             87.0
       16 KNN
                          Model 3
                                             42.0
       17 Redial Basis
                          Model 2 84
                                             35.0
                                                              84.0
                                                                        0.16
       18 ANN
                          Model 2 84
                                             34.0
                                                              84.0
                                                                        0.17
                          Model 3 83
       20 Adaboost
                          Model 1 83
                                             33.0
       21 Adahonst
                          Model 2 83
                                             33.0
                                                              83.0
                                                                        0 17
       22 Redial Basis
                          Model 1 82
                                            29.0
                                                                        0.18
       23 KNN
       24 Liner SVC
                          Model 2 82
                                             27.0
                                                              81.0
       25 Liner SVC
                          Model 3 81
                                             23.0
                                                              80.0
                                                                        0.19
       26 KNN
                          Model 2 81
                                             22.0
       27 Stochastic Gradient
       28 Stochastic Gradient Model 1 79
                                             17.0
                                                              80 O
                                                                        0.21
       29 Liner SVC
                          Model 1 78
                                             15.0
                                                              80.0
                                                                        0.21
       31 ANN
                          Model 1 76
                                                              75.0
       32 Adaboost Model J
33 Stacking- Extra T Votes Model 1 99

- and T Votes Model 2 99
                                             -1.8
                                                              16.0
                                                                        0.72
                                                                        NaN
```

NaN

NaN

NaN

35 Stacking- Extra T Votes Model 3 98

Decision

The most important metrics for measuring the quality of the models is the Explained Variable Score. It measures how much of the variations in the target response ("y) that can be explained by a model. The higher the Explained Variable Score, the better.

From the model summary, there is a positive correlation between Explained Variable and Accuracy Score, and Explained Variable and the F Score. Meaning, where the Explained Variable Score is high, the Accuracy Score and the F Score of that model will also be high.

Also, there is a negative correlation between Explained Variable Score and Mean Squared Error (MSE). Meaning, where the Explained Variable is high, the MSE reduces.

Therefore, based on the metrics, the Extra Trees Classifier Model- (Iteration 2) is the best fit. This model has the highest Explained Variable score of 73%, Accuracy of 93%, F score of 93% and MSE of 0.067

In addition, the Stacking Voting Classifier voted 99%, 99% and 98% on all three iterations for the Extra Trees Classifier Model.