PokerSimulation2

February 12, 2019

1 Analysis of 5-Card Poker Hands

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In [2]: import numpy as np
        import pandas as pd
        import time
In [3]: values = np.array(\)
        ["2", "3", "4", "5", "6", "7", "8", "9", "10", "Jack", "Queen", "King", "Ace"])
        suits = np.array(["Spades", "Clubs", "Hearts", "Diamonds"])
       results = np.array(\
        ["High Card", "Pair", "Two Pair", "Three of a Kind", "Straight",\
        "Flush", "Full House", "Four of a Kind", "Straight Flush", "Royal Flush"])
       results_prob = np.array(\
        [50.1177, 42.2569, 4.7539, 2.1128, .3925, .1965, .1441, .0240, .00139, .000154])
In [4]: # Builds a standard 52 card deck, each card with indices (i,j) where i represents value,
        # and j represents suit
       def build deck():
            deck = np.empty(104).reshape(52,2)
            for j in range(4):
                for i in range(13):
                    deck[i+13*j,:] = [i+2, j+1]
            return deck
In [5]: # Prints hand in an interpretable format
       def print_hand(hand):
            for i in range(hand.shape[0]):
                print(values[int(hand[i,0]-2)] + " of " + suits[int(hand[i,1]-1)])
In [6]: # Builds a full deck
        deck = build_deck()
       print_hand(deck)
```

- 2 of Spades
- 3 of Spades
- 4 of Spades
- 5 of Spades
- 6 of Spades
- 7 of Spades
- 8 of Spades
- 9 of Spades
- 10 of Spades

Jack of Spades

Queen of Spades

King of Spades

Ace of Spades

- 2 of Clubs
- 3 of Clubs
- 4 of Clubs
- 5 of Clubs
- 6 of Clubs
- 7 of Clubs
- 8 of Clubs
- 9 of Clubs
- 10 of Clubs

Jack of Clubs

Queen of Clubs

King of Clubs

Ace of Clubs

- 2 of Hearts
- 3 of Hearts
- 4 of Hearts
- 5 of Hearts
- 6 of Hearts
- 7 of Hearts
- 8 of Hearts
- 9 of Hearts

10 of Hearts

Jack of Hearts

Queen of Hearts

King of Hearts

- Ace of Hearts 2 of Diamonds
- 3 of Diamonds
- 4 of Diamonds
- 5 of Diamonds
- 6 of Diamonds
- 7 of Diamonds
- 8 of Diamonds
- 9 of Diamonds
- 10 of Diamonds

Jack of Diamonds

Queen of Diamonds

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In [7]: # Evaluates the hand value of a standard 5 card hand
        # Returns two integers (a, b) where a is the ranking representing each of
        # the 10 possible outcomes,
        # b is the value of the tie-breaking card (if there is one)
       def hand_value(hand):
            if royal_flush(hand)[0]: return 10, royal_flush(hand)[1]
            if straight_flush(hand)[0]: return 9, straight_flush(hand)[1]
            if four_of_a_kind(hand)[0]: return 8, four_of_a_kind(hand)[1]
            if full_house(hand)[0]:
                                      return 7, full_house(hand)[1]
            if flush(hand)[0]:
                                       return 6, flush(hand)[1]
           if straight(hand)[0]:
                                    return 5, straight(hand)[1]
            if three_of_a_kind(hand)[0]: return 4, three_of_a_kind(hand)[1]
            if two_pair(hand)[0]:
                                        return 3, two_pair(hand)[1]
                                        return 2, pair(hand)[1]
            if pair(hand)[0]:
           return 1, high_card(hand)
In [8]: # Prints the result of the output from hand_value(hand) in an interpretable format
        def print_result(a, b):
            print("----> " + results[int(a-1)] + " with " + values[int(b-2)])
In [9]: # Returns the highest card value in hand
        def high_card(hand):
           return np.amax(hand[:,0])
In [10]: # Evaluates if hand contains a royal flush
         # Returns 1 if true, 0 if false
        def royal_flush(hand):
            if straight_flush(hand) == (1, 14):
                 return straight_flush(hand)
            return 0, 0
In [11]: # Evaluates if hand contains a straight flush
         # Returns 1 if true, 0 if false
        def straight_flush(hand):
            if flush(hand)[0] and straight(hand)[0]:
                 return straight(hand)
            return 0, 0
In [12]: # Evaluates if hand contains a four of a kind
         # Returns two values (a, b) where a=1 if true, a=0 if false,
         # b is the value of the tie-breaking card
```

```
def four_of_a_kind(hand):
             uniques = np.unique(hand[:,0])
             if hand[hand[:,0]==uniques[0]].shape[0]==4:
                 return 1, uniques[0]
             if hand[hand[:,0]==uniques[1]].shape[0]==4:
                 return 1, uniques[1]
             return 0, 0
In [13]: # Evaluates if hand contains a full house
         # Returns two values (a, b) where a=1 if true, a=0 if false,
         # b is the value of the tie-breaking card
         def full house(hand):
             uniques = np.unique(hand[:,0])
             if hand[hand[:,0]==uniques[0]].shape[0]==3
             and hand[hand[:,0]==uniques[1]].shape[0]==2:
                 return 1, uniques[0]
             if hand[hand[:,0]==uniques[0]].shape[0]==2
             and hand[hand[:,0] == uniques[1]].shape[0] == 3:
                 return 1, uniques[1]
             return 0, 0
In [14]: # Evaluates if hand contains a flush
         # Returns two values (a, b) where a=1 if true, a=0 if false,
         # b is the value of the tie-breaking card
         def flush(hand):
             if hand[0,1] == hand[1,1] == hand[2,1] == hand[3,1] == hand[4,1]:
                 return 1, high_card(hand)
             return 0, 0
In [15]: # Evaluates if hand contains a straight
         # Returns two values (a, b) where a=1 if true, a=0 if false,
         # b is the value of the tie-breaking card
         def straight(hand):
             if high_card(hand) == 14: # Ace is treated as both a high and low card
                 sorted_acehigh = np.sort(hand[:,0], axis=0)
                 acelow = hand.copy()
                 acelow[np.where(acelow == 14)] = 1
                 sorted_acelow = np.sort(acelow[:,0], axis=0)
                 if np.all(np.diff(sorted_acehigh) == 1):
                     return 1, 14
                 if np.all(np.diff(sorted_acelow) == 1):
                     return 1, 5
             sorted_values = np.sort(hand[:,0], axis=0)
             if np.all(np.diff(sorted_values) == 1):
                 return 1, high_card(hand)
             return 0, 0
In [16]: # Evaluates if hand contains a three of a kind
         # Returns two values (a, b) where a=1 if true, a=0 if false,
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```
# b is the value of the tie-breaking card
         def three_of_a_kind(hand):
             uniques = np.unique(hand[:,0])
             if hand[hand[:,0] == uniques[0]].shape[0] == 3:
                 return 1, uniques[0]
             if hand[hand[:,0] == uniques[1]].shape[0] == 3:
                 return 1, uniques[1]
             if hand[hand[:,0] == uniques[2]].shape[0] == 3:
                 return 1, uniques[2]
             return 0, 0
In [17]: # Evaluates if hand contains a two pair
         # Returns two values (a, b) where a=1 if true, a=0 if false,
         # b is the value of the tie-breaking card
         def two_pair(hand):
             pair1 = 0
             pair2 = 0
             pair3 = 0
             uniques = np.unique(hand[:,0])
             if uniques.shape[0]==3:
                 if hand[hand[:,0] == uniques[0]].shape[0] == 2:
                      pair1 = uniques[0]
                 if hand[hand[:,0]==uniques[1]].shape[0]==2:
                     pair2 = uniques[1]
                 if hand[hand[:,0]==uniques[2]].shape[0]==2:
                     pair3 = uniques[2]
                 return 1, np.amax([pair1, pair2, pair3])
             return 0, 0
In [18]: # Evaluates if hand contains a pair
         # Returns two values (a, b) where a=1 if true, a=0 if false,
         # b is the value of the tie-breaking card
         def pair(hand):
             uniques = np.unique(hand[:,0])
             if uniques.shape[0] == 4:
                 if hand[hand[:,0] == uniques[0]].shape[0] == 2:
                     return 1, uniques[0]
                 if hand[hand[:,0] == uniques[1]].shape[0] == 2:
                     return 1, uniques[1]
                 if hand[hand[:,0]==uniques[2]].shape[0]==2:
                     return 1, uniques[2]
                 if hand[hand[:,0] == uniques[3]].shape[0] == 2:
                     return 1, uniques[3]
             return 0, 0
In [19]: # Example of the code running with cards, manually inputted
         deck = build_deck()
```

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hand = np.empty(10).reshape(5,2)
         hand[0,:] = deck[17,:]
         hand[1,:] = deck[14,:]
         hand[2,:] = deck[15,:]
         hand[3,:] = deck[16,:]
         hand[4,:] = deck[13,:]
         print_hand(hand)
         a, b = hand_value(hand)
         print_result(a, b)
6 of Clubs
3 of Clubs
4 of Clubs
5 of Clubs
2 of Clubs
----> Straight Flush with 6
In [20]: # Generates a permutation of random cards in a 52 card deck,
         # where n = number of cards generated
         def random_cards(n=10):
             deck = build_deck()
             return np.random.permutation(deck)[:n,:]
In [21]: # Test random hand generator
        x = random_cards(n=5)
        print_hand(x)
         a, b = hand_value(x)
        print_result(a, b)
Jack of Hearts
Ace of Hearts
Queen of Clubs
Jack of Clubs
5 of Hearts
----> Pair with Jack
In [22]: # Function to simulate rounds of two random, computer-generated poker players
         # 5 random cards are given to player 1 (as hand1), and 5 random cards from
         # that same deck are given to player 2 (as hand2). The players compare hands
         # and the winner of the round is recorded. Then a new shuffled set of 10 cards
         # is generated and the simulation cycles again a number of times equal to the
         # value of hands (default = 1000000).
         # A progress message is printed for every 50,000 games simulated.
```

```
# b is tie-breaking card, c is a number representing game status.
         \# c = 1 \text{ if player 1 wins, } c = -1 \text{ if player 1 loses,}
         # c = 0 if tie (even after tie-breaking card)
         def simulate(hands = 1000000, display=False):
             data = np.zeros([hands, 3])
             for i in range(hands):
                 if i%50000==0:
                     print("Games simulated: "+str(i))
                 cards = random_cards()
                 hand1 = cards[:5,:]
                 hand2 = cards[5:,:]
                 a1, b1 = hand_value(hand1)
                 a2, b2 = hand_value(hand2)
                 if a1 > a2:
                     data[i,:] = [a1, b1, 1]
                 elif a1 == a2:
                     if b1 > b2:
                         data[i,:] = [a1, b1, 1]
                     elif b1 == b2:
                         data[i,:] = [a1, b1, 0]
                     else:
                         data[i,:] = [a1, b1, -1]
                 else:
                     data[i,:] = [a1, b1, -1]
                 if display:
                     print("Game "+str(i+1)+":\nHand 1:")
                     print_hand(hand1)
                     print_result(a1, b1)
                     print("\nHand 2:")
                     print_hand(hand2)
                     print_result(a2, b2)
                     print("\nStatus: "+str(int(data[i,2])))
                     print("----")
             print("Games simulated: "+str(hands)+" ---> Done!")
             return data
In [23]: # Example of small (2 game) simulation where display is enabled
         x = simulate(hands = 2, display=True)
Games simulated: 0
Game 1:
Hand 1:
9 of Spades
Ace of Clubs
3 of Hearts
Queen of Clubs
King of Hearts
----> High Card with Ace
```

Returns data, with values (a, b, c) where a is hand value of player 1,

```
Hand 2:
Jack of Spades
6 of Hearts
8 of Spades
5 of Diamonds
6 of Spades
----> Pair with 6
Status: -1
_____
Game 2:
Hand 1:
Jack of Diamonds
7 of Diamonds
2 of Clubs
2 of Spades
3 of Clubs
----> Pair with 2
Hand 2:
8 of Hearts
3 of Spades
4 of Hearts
5 of Hearts
4 of Diamonds
----> Pair with 4
Status: -1
Games simulated: 2 ---> Done!
In [24]: # Simulation with 1,000,000 games (building a larger dataset for analysis)
        start = time.time() # Track time to completion
        x = simulate()
        end = time.time()
        print("Time elapsed: " + str(round(end - start, 2)) + " seconds")
Games simulated: 0
Games simulated: 50000
Games simulated: 100000
Games simulated: 150000
Games simulated: 200000
Games simulated: 250000
Games simulated: 300000
Games simulated: 350000
Games simulated: 400000
Games simulated: 450000
Games simulated: 500000
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```
Games simulated: 550000
Games simulated: 600000
Games simulated: 650000
Games simulated: 700000
Games simulated: 750000
Games simulated: 800000
Games simulated: 850000
Games simulated: 900000
Games simulated: 950000
Games simulated: 1000000 ---> Done!
Time elapsed: 344.76 seconds
In [25]: # Distribution of hand values for player 1
         count = np.zeros(10)
         for i in range(10):
             count[i] = x[x[:,0] == i+1].shape[0]
         df1 = pd.DataFrame([results, count.astype(int), count/x.shape[0]*100, results_prob],\
                             index = ['Result', 'Hand Count', 'Percentage', 'True Probability']
                           ).transpose()
         df1
Out[25]:
                     Result Hand Count Percentage True Probability
                  High Card
                                 500563
                                           50.0563
         0
                                                            50.1177
                       Pair
                                                            42.2569
         1
                                 422762
                                           42.2762
         2
                   Two Pair
                                 47658
                                            4.7658
                                                             4.7539
            Three of a Kind
                                            2.1358
                                                             2.1128
         3
                                 21358
         4
                   Straight
                                  3928
                                            0.3928
                                                             0.3925
         5
                      Flush
                                                             0.1965
                                   1965
                                            0.1965
         6
                 Full House
                                                             0.1441
                                   1490
                                            0.149
         7
             Four of a Kind
                                    267
                                            0.0267
                                                              0.024
             Straight Flush
                                                            0.00139
         8
                                      8
                                            0.0008
                Royal Flush
                                      1
                                            0.0001
                                                           0.000154
In [26]: print('Win Rate: ' + str(100*x[x[:,2]==1].shape[0]/x.shape[0]) + '%')
         print('Tie Rate: ' + str(100*x[x[:,2]==0].shape[0]/x.shape[0]) + '%')
         print('Loss Rate: ' + str(100*x[x[:,2]==-1].shape[0]/x.shape[0]) + '%')
Win Rate: 47.0984%
Tie Rate:
            5.8867%
Loss Rate: 47.0149%
In [27]: # Export simulation data to CSV file as a pandas dataframe
         df = pd.DataFrame(x)
         df.to_csv("poker_data.csv", sep=',')
In [ ]:
```