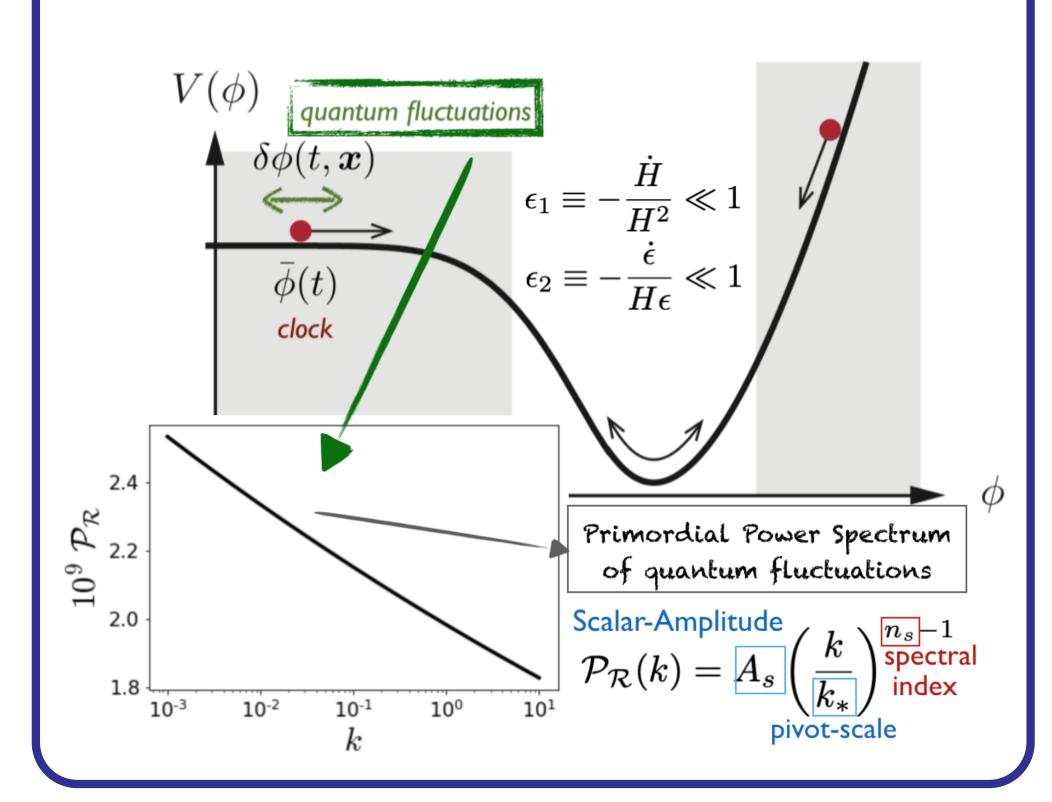
Bayesian reconstruction of the inflaton's speed of sound using CMB data

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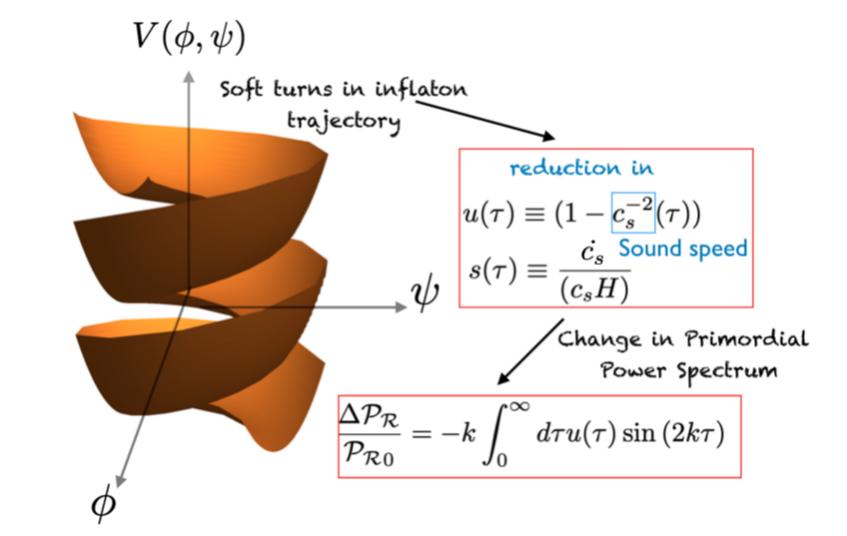
- $\Lambda$ **CDM**: our universe contains Cold Dark Matter and Dark Energy  $\Lambda$ , and is compatible with the simplest inflationary scenario: canonical Single-Field slow-roll inflation.
- Slow-roll Single-field inflation: period of accelerated expansion in the early universe  $\rightarrow d^2a/dt^2 >$ 0, with one degree of freedom  $\phi$ , and slow-roll parameters  $\epsilon_1$  and  $\epsilon_2 \ll 1$ .



### 2. Effective Field Theory of inflation

EFT of inflation is used to describe the comoving curvature perturbations  $\mathcal{R}$ . The effective quadratic action (when  $c_s$  is small, transient and mild) is:  $S_2 =$ 

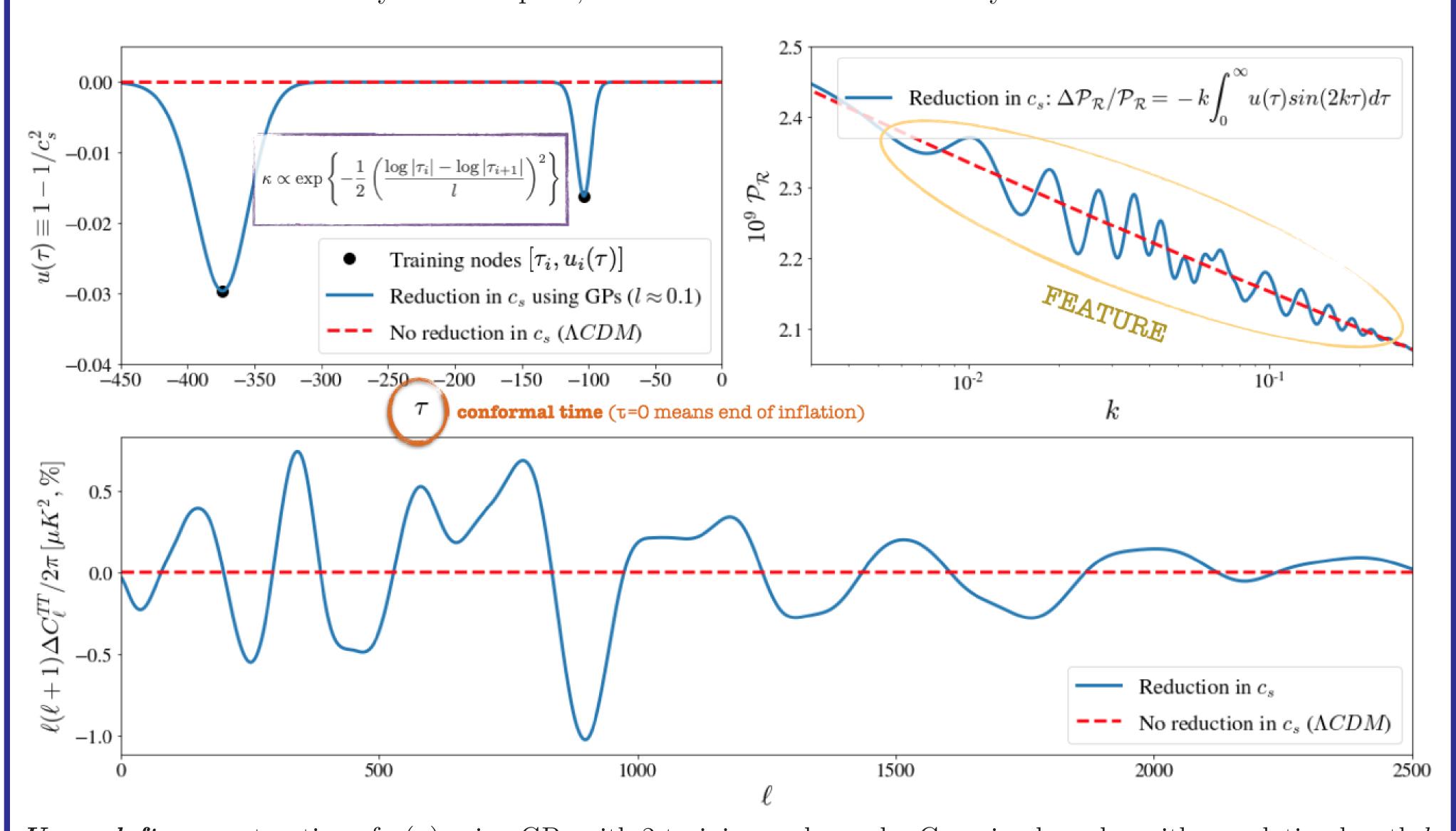
$$= \underbrace{\int d^4x a^3 M_P^2 \epsilon H^2 \left[ \dot{\mathcal{R}}^2 - \frac{(\partial_i \mathcal{R})^2}{a^2} \right]}_{S_0 \text{ (Single-Field Inflation)}}$$
$$- \underbrace{\int d^4x a^3 M_P^2 \epsilon H^2 \left[ \dot{\mathcal{R}}^2 (1 - c_s^{-2}) \right]}_{S_{\text{pert}} \text{ (perturbation)}}.$$



The information of the background is encoded in primordial functions:  $\epsilon_1(t), c_s(t), s(t)...$ 

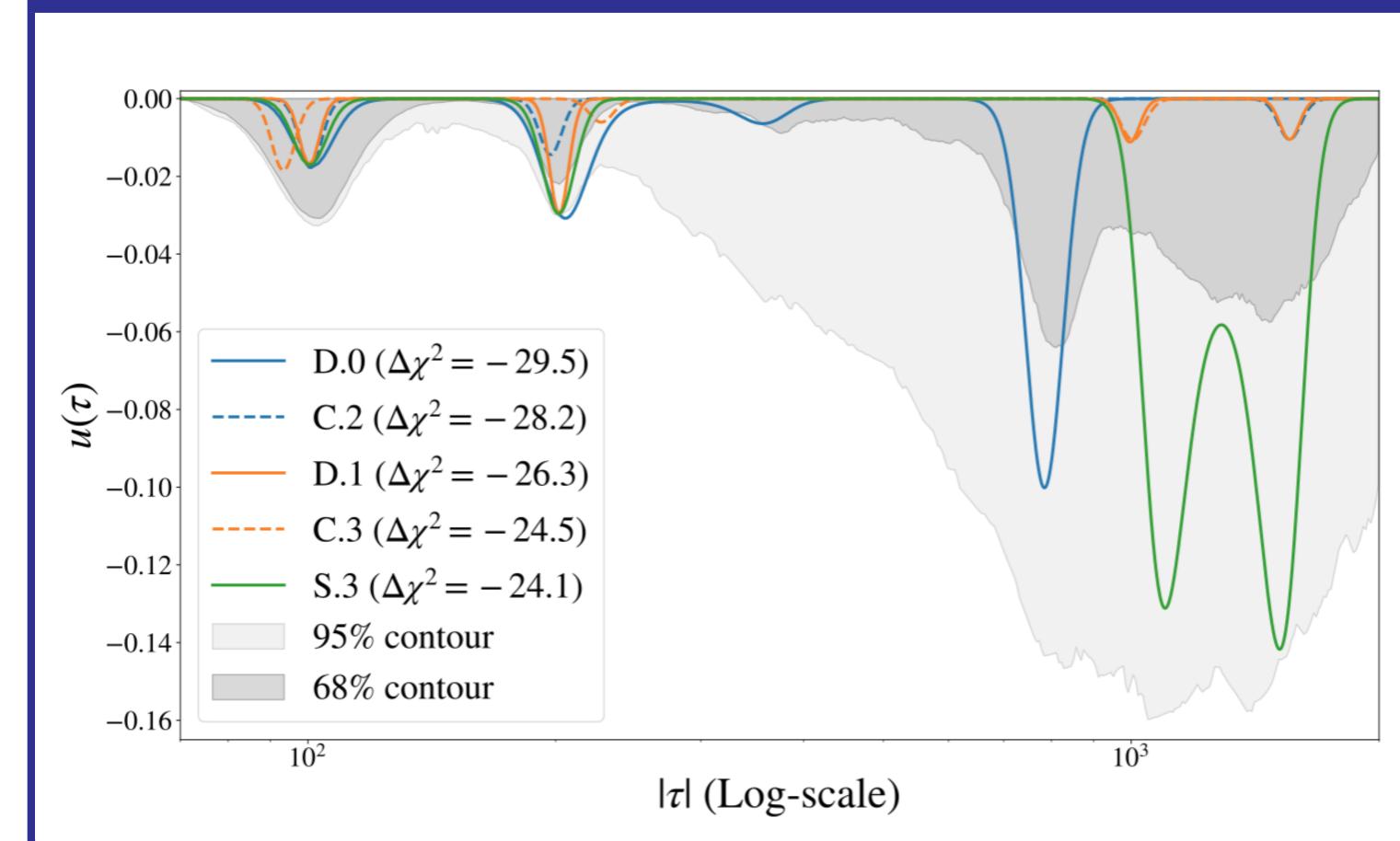
# 5. Reconstruction of the reduction in $c_s$ using Gaussian-Processes

Gaussian Processes (GPs): non-linear and non-parametric regression technique based on a collection of random variables indexed by time or space, whose distribution is defined by a kernel.



Upper-left: reconstruction of  $u(\tau)$  using GPs with 2 training nodes and a Gaussian kernel  $\kappa$  with correlation length l. *Upper-right*: corresponding feature in the primordial power spectrum  $\mathcal{P}_{\mathcal{R}}$  from the reconstruction. **Bottom**: difference in the CMB angular power spectrum of temperature anisotropies due to the feature.

### 7. Methodology

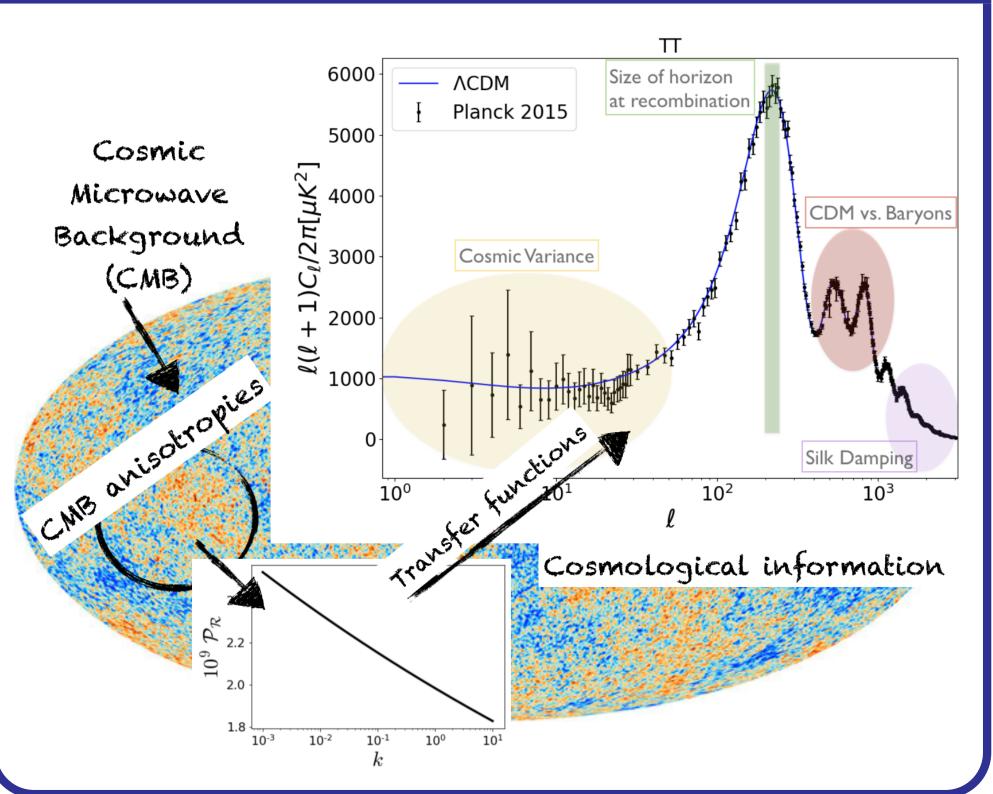


- Sample the posterior distribution of the parameters of interest.
- 2. Parameters: Cosmological and perturbativity ones  $(\tau_i, u_i(\tau), s)$ .
- How: Bayesian tool COBAYA and the sampling algorithm Polychord.
- 4. Theory Code: CAMB (modified accordently).
- Data: Planck Release 3 (2018) likelihoods  $low \ell +$ plikHM\_TTTEEE\_unbinned + lensing.
- Computation: 16 MPI processes and 8 cores each.









# 4. Bayes' Theorem

The probability distribution (**posterior**) of the parameters  $\theta$  given the observed data d and a given model M:

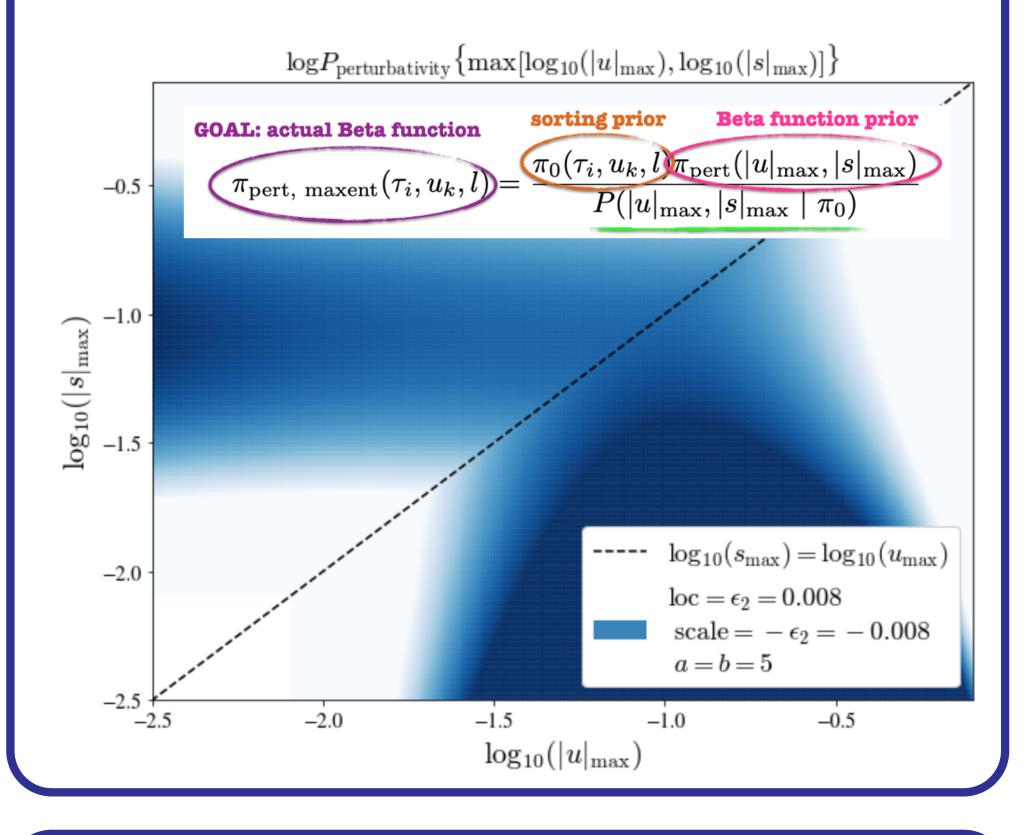
$$P(\theta|d, M) \propto \mathcal{L}(d|\theta, M)\Pi(\theta|M).$$
 (1)

- $\mathcal{L}(d|\theta, M)$  (*likelihood*): probability of observing the data d given the set of parameters  $\theta$  and the  $\operatorname{model} M$ .
- $\Pi(\theta|M)$  (**prior**): probability distribution of the parameters  $\theta$  given some external information.

#### 6. Priors

Parameters of the reconstruction of the inflaton's speed of sound profile  $u(\tau)$  need to verify theoretical conditions:

- 1. Sorting condition on the number i of training nodes (uniform):
  - $1.8 < \log_{10}(|\tau_i|) < \log_{10}(|\tau_{i+1}|) < 3.3 ;$  $-4 < \log_{10}(|u_i|) < 0.$
- 2. Correlation length l (uniform):  $-2 < \log_{10} l < 2$ .
- 3. Theoretical prior on EFT parameters:  $max(\epsilon_1, \epsilon_2) \ll max(|u|_{max}, |s|_{max}) \ll 1.$
- 4. Impose a Beta distribution on  $(|u|_{max}, |s|_{max})$ as prior using Maximum Entropy principle:



#### 8. Conclusions

- Tested feature templates not analyzed by Planck Collaboration. Interesting reductions are found but not significative.
- Analysis pipeline is modular, flexible and robust. Easily extendable to other observables (i.e. Large Scale Structure).
- Possible reductions of the inflaton's speed of sound are crucial to give a prediction of the whole bispectrum (3-point correlation function) and increase statistical significance.