



LABORATOIRE DE PHYSIQUE  
DE L'ÉCOLE NORMALE SUPÉRIEURE

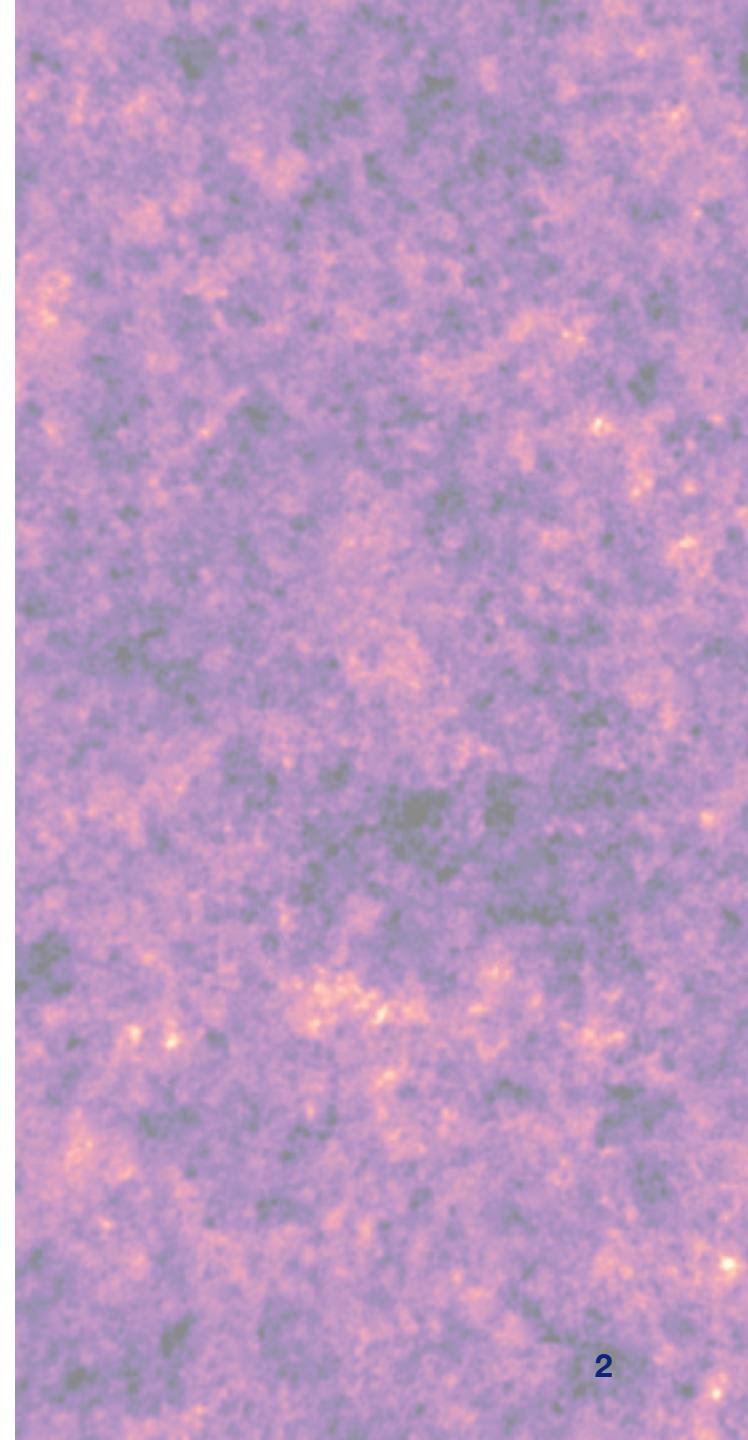
# DES Year 3: Curved-sky weak lensing mass map reconstruction and applications

Niall Jeffrey  
*(DES Collaboration)*



# Outline

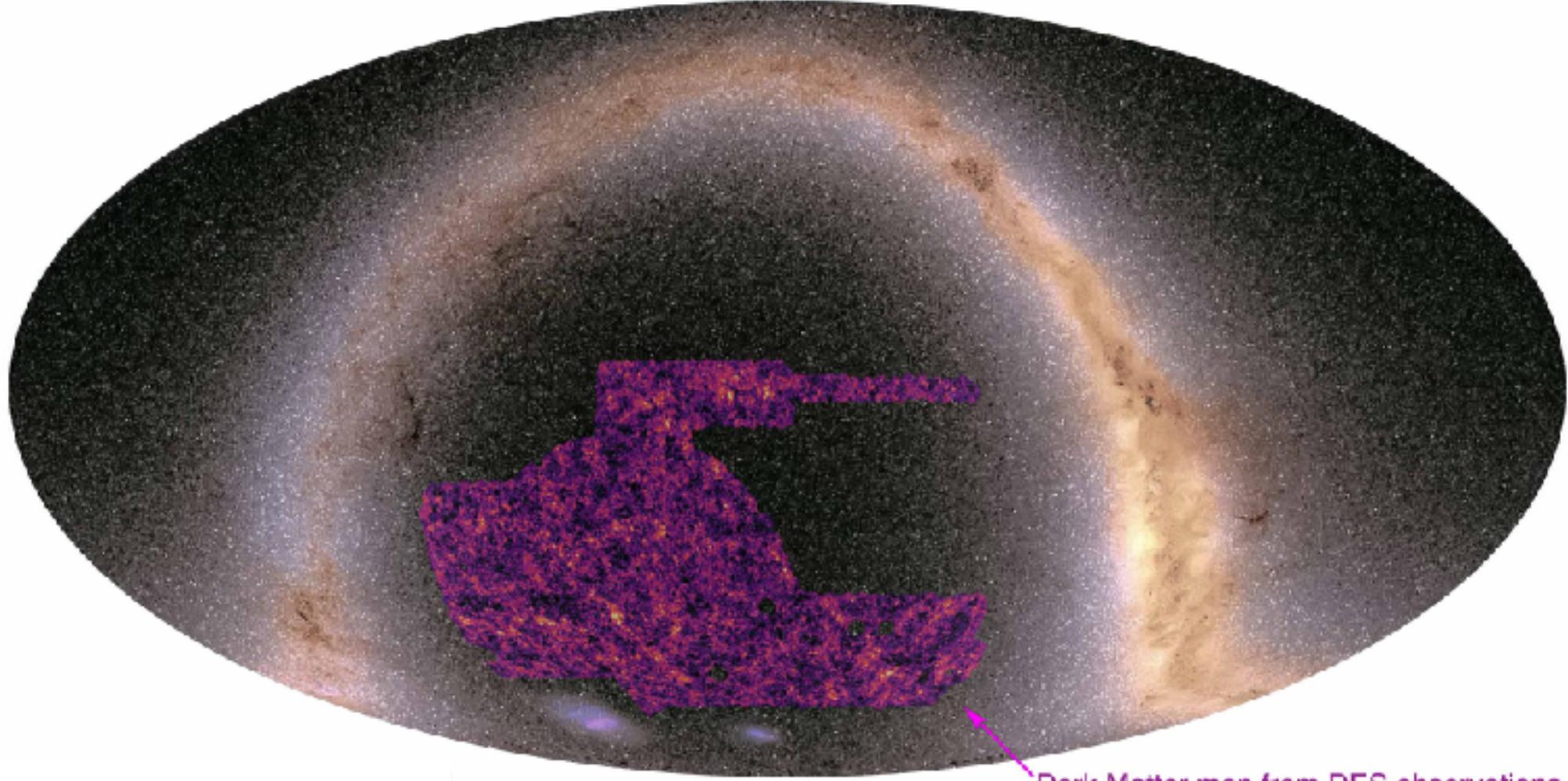
1. DES Year 3: weak lensing mass maps
2. Applications: Cosmic Web
3. Applications: Beyond 2-point
4. Future: Deep learned priors & likelihood-free inference



# 01

**DES Year 3: weak lensing mass maps**

# Largest ever Dark Matter map from galaxy lensing



# Dark Energy Survey

## Weak lensing data



- I. Ground based 5-band photometric survey
- II. Completed 6 years of observations
- III. Over 100 million source galaxies in Y3

# Bayesian Mass Mapping

$$p(\kappa|\gamma, \mathcal{M}) = \frac{p(\gamma|\kappa, \mathcal{M}) p(\kappa|\mathcal{M})}{p(\gamma|\mathcal{M})}$$

# Bayesian Mass Mapping

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SHEAR DATA  
UNKNOWN MAP  
ASSUMPTIONS

# Bayesian Mass Mapping

*Maximum posterior*

$$\hat{\kappa} = \arg \max_{\kappa} \log p(\gamma | \kappa, \mathcal{M}) + \log p(\kappa | \mathcal{M})$$

# Bayesian Mass Mapping

*Prior choice?*

$$\log p(\kappa | \mathcal{M})$$

?

# Kaiser-Squires

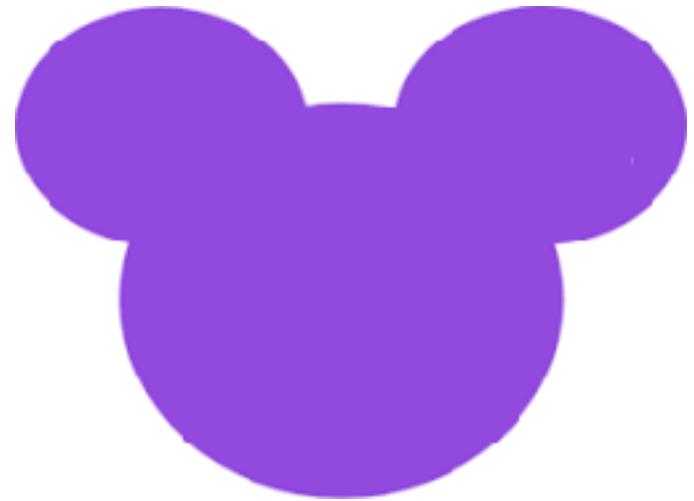
$$p(\gamma|\kappa) = \frac{1}{\sqrt{(\det 2\pi \mathbf{N})}} \exp \left[ -\frac{1}{2} (\gamma - \mathbf{A}\kappa)^\dagger \mathbf{N}^{-1} (\gamma - \mathbf{A}\kappa) \right]$$

# Kaiser-Squires

$$p(\kappa) \propto 1$$

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# Null B-mode

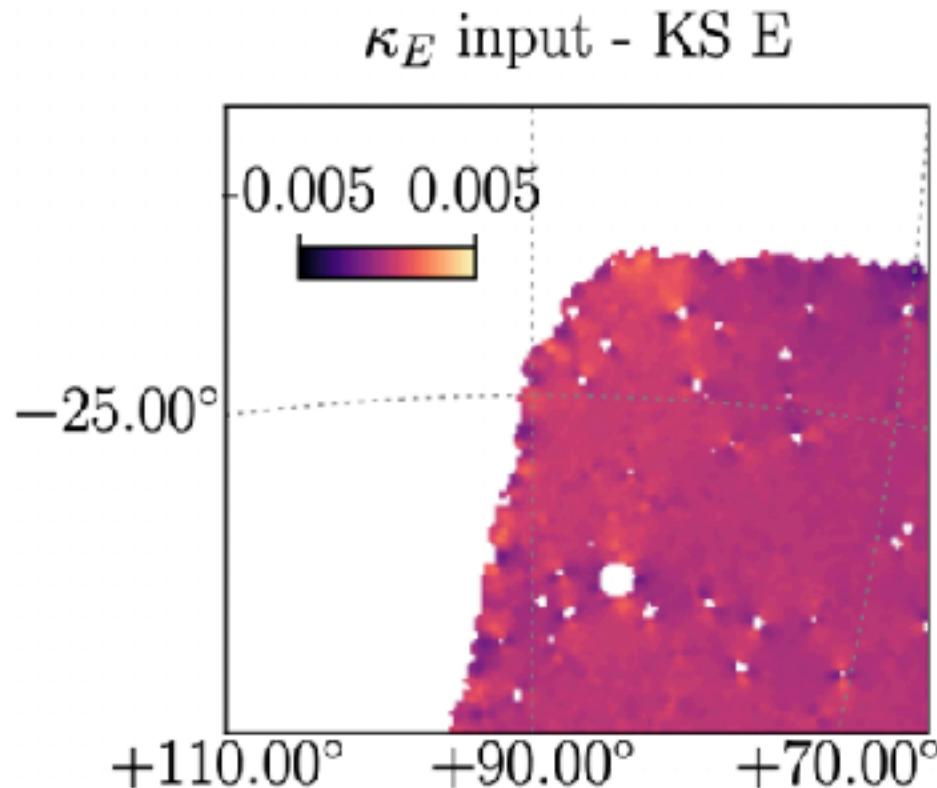
Give zero probability to maps with imaginary values

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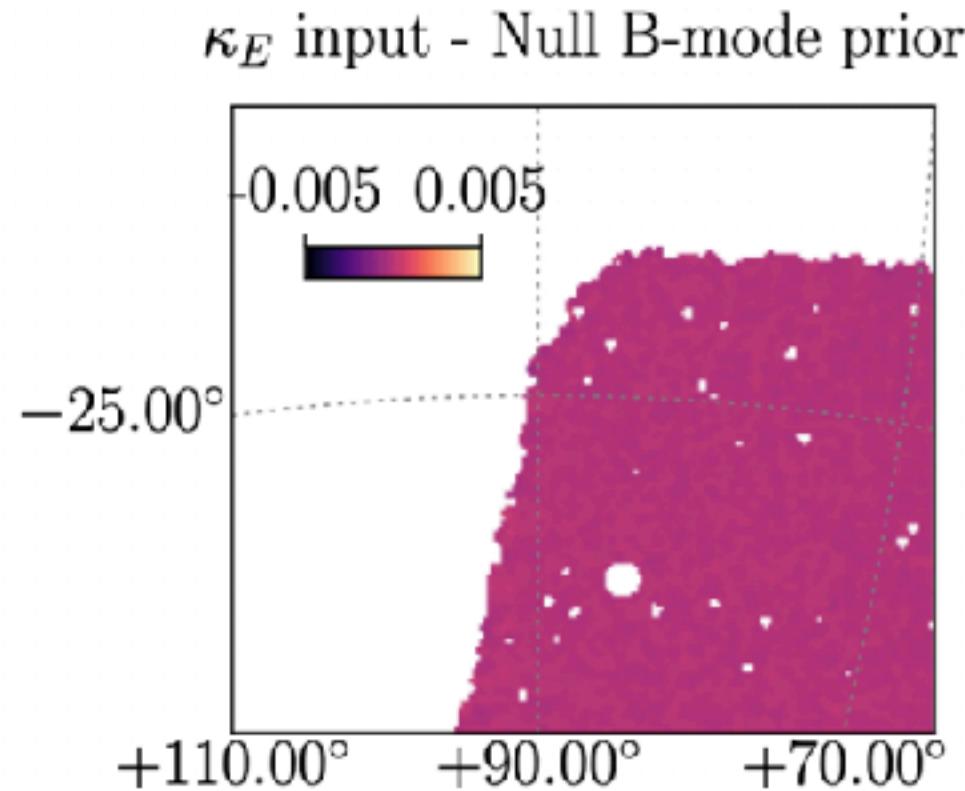
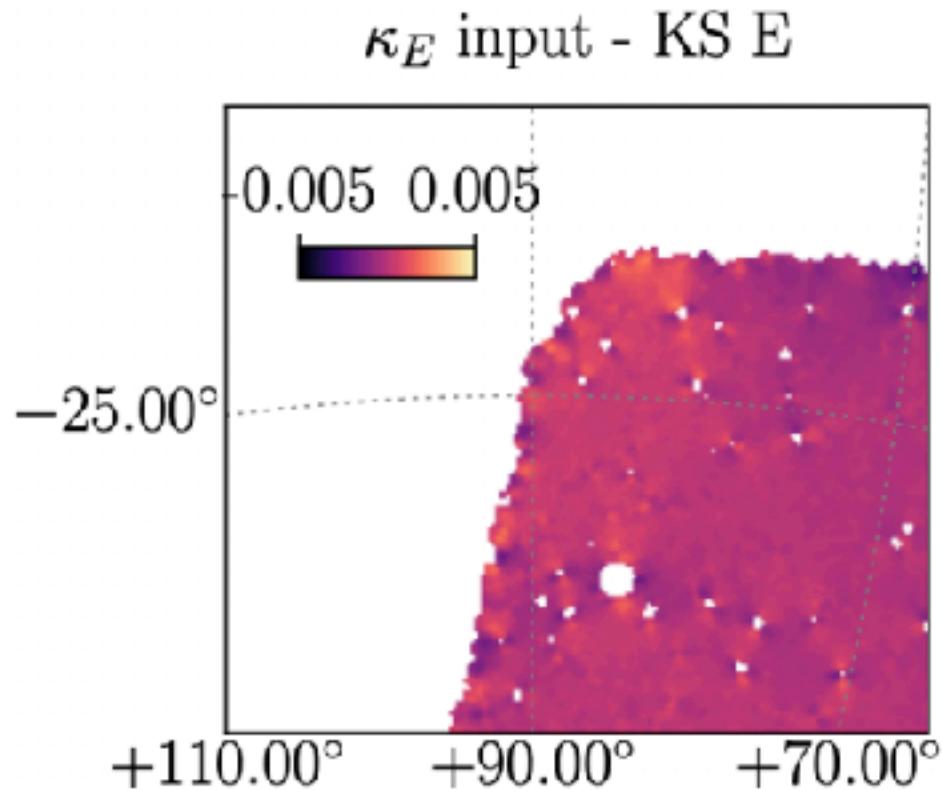
$$-\log p(\kappa) = i_{\text{Im}(\kappa)=0} + c$$

# Null B-mode



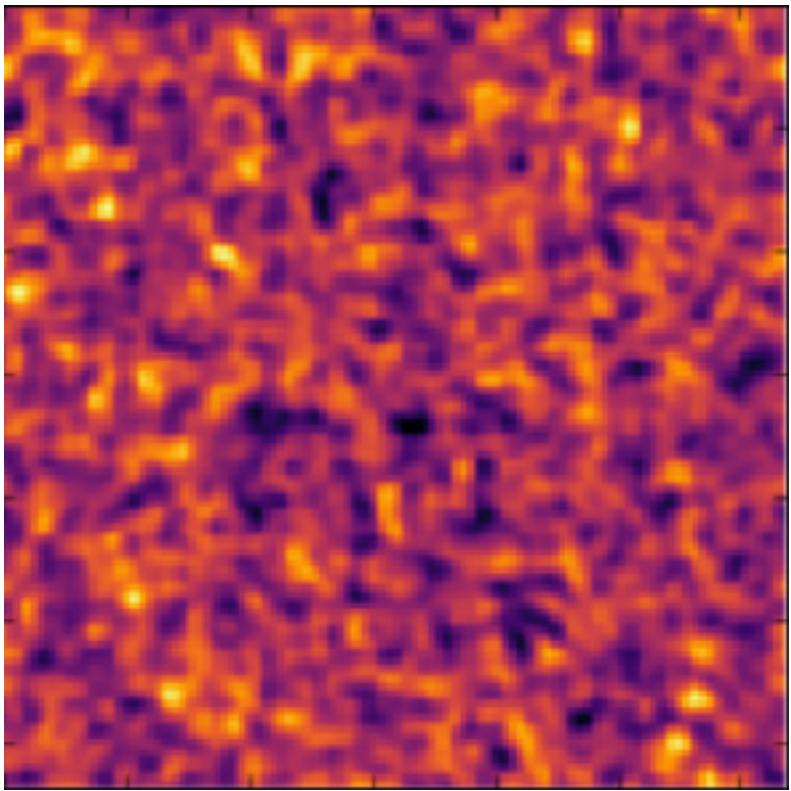
Give zero probability to maps with imaginary values

# Null B-mode



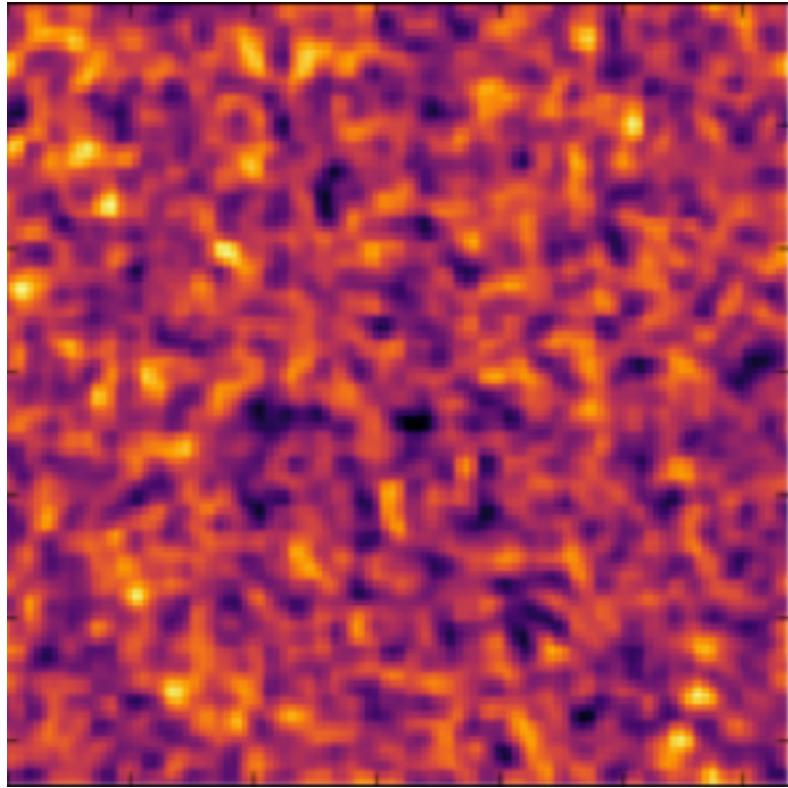
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# Gaussian & Sparsity priors



Wiener filter/posterior

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Wiener filter/posterior

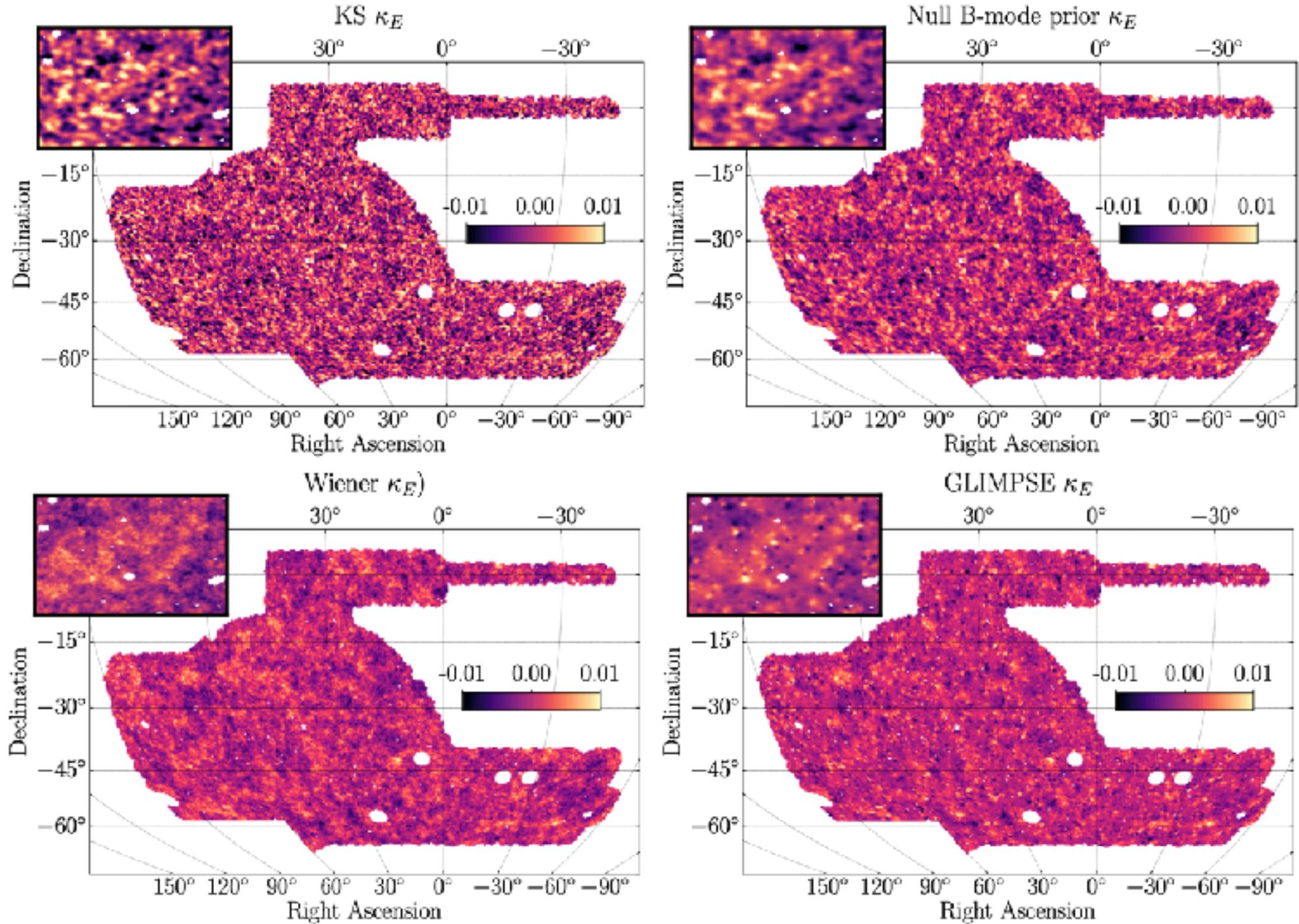


Halo-model wavelet prior

GLIMPSE

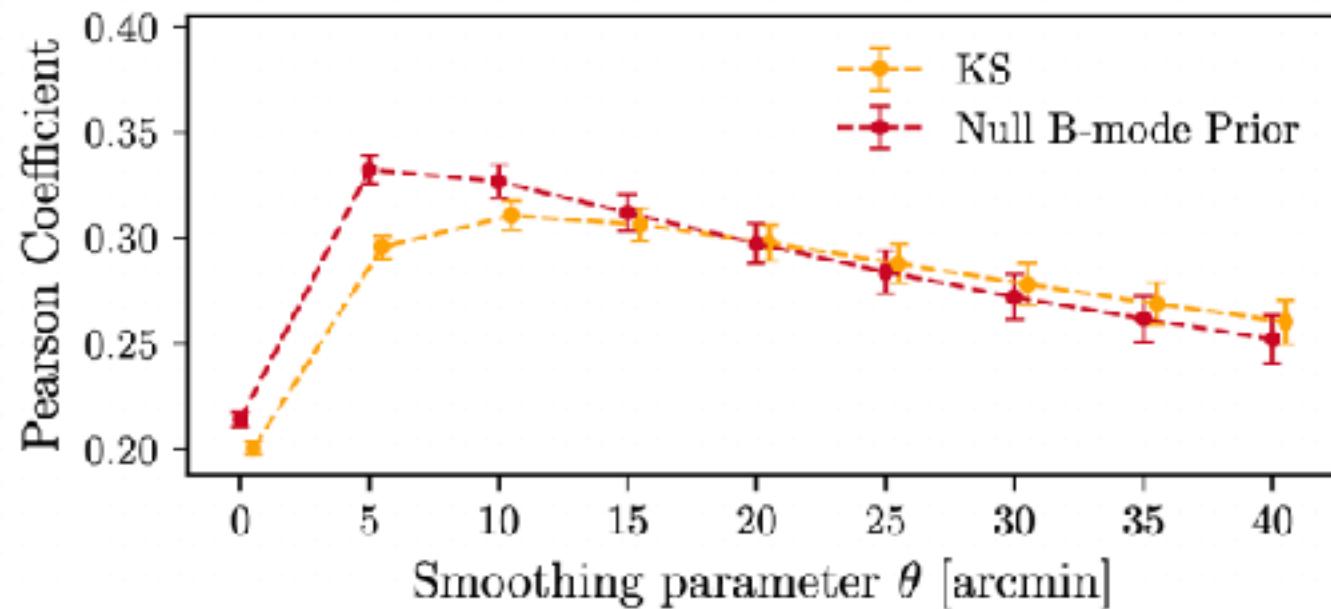
# Results

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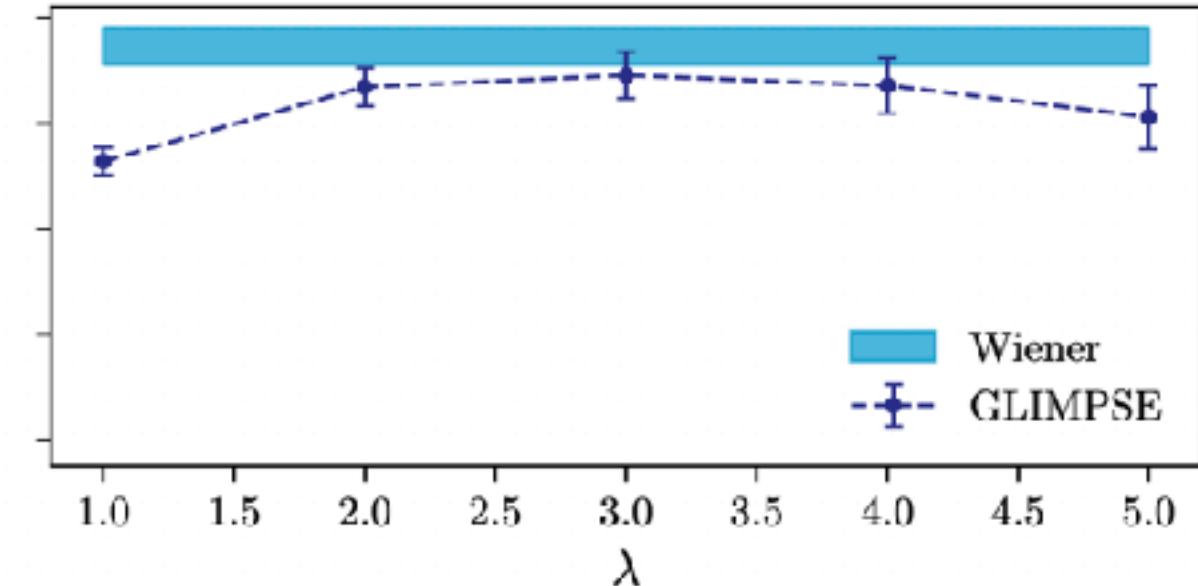
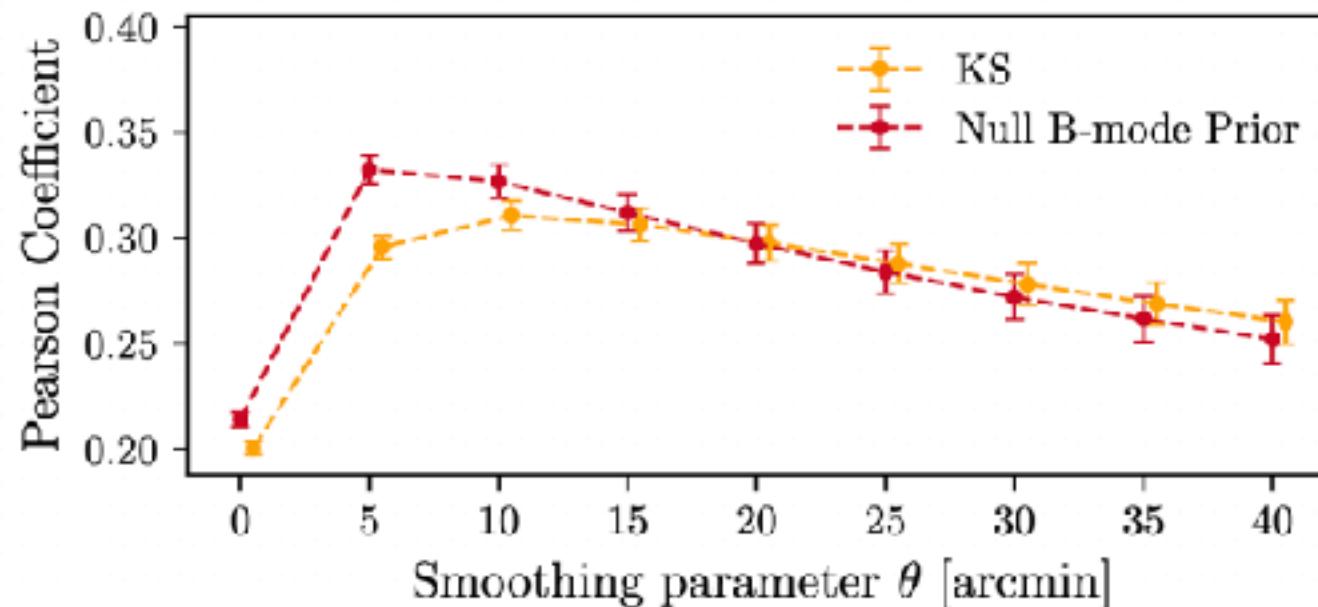


# Validation on simulations

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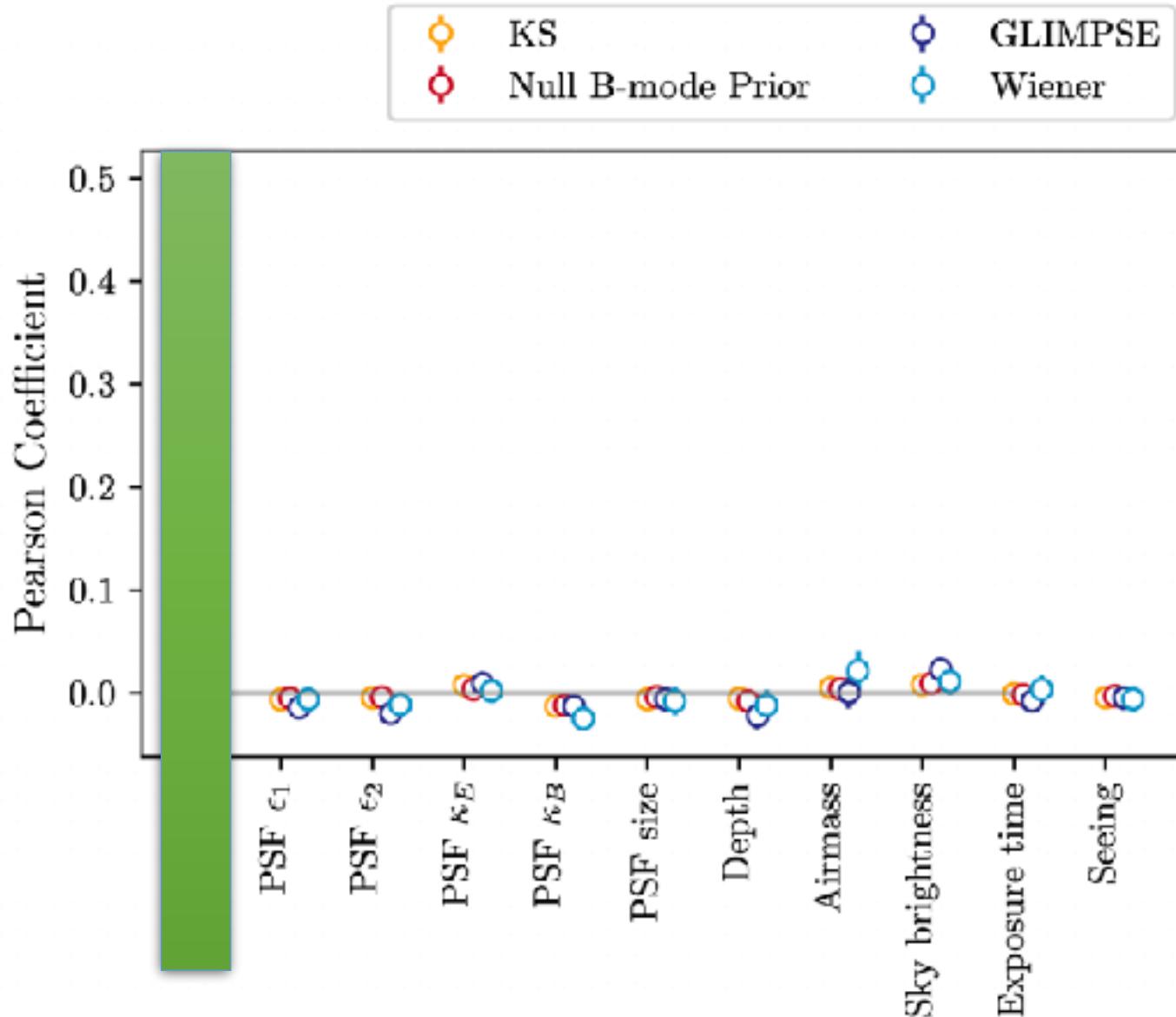
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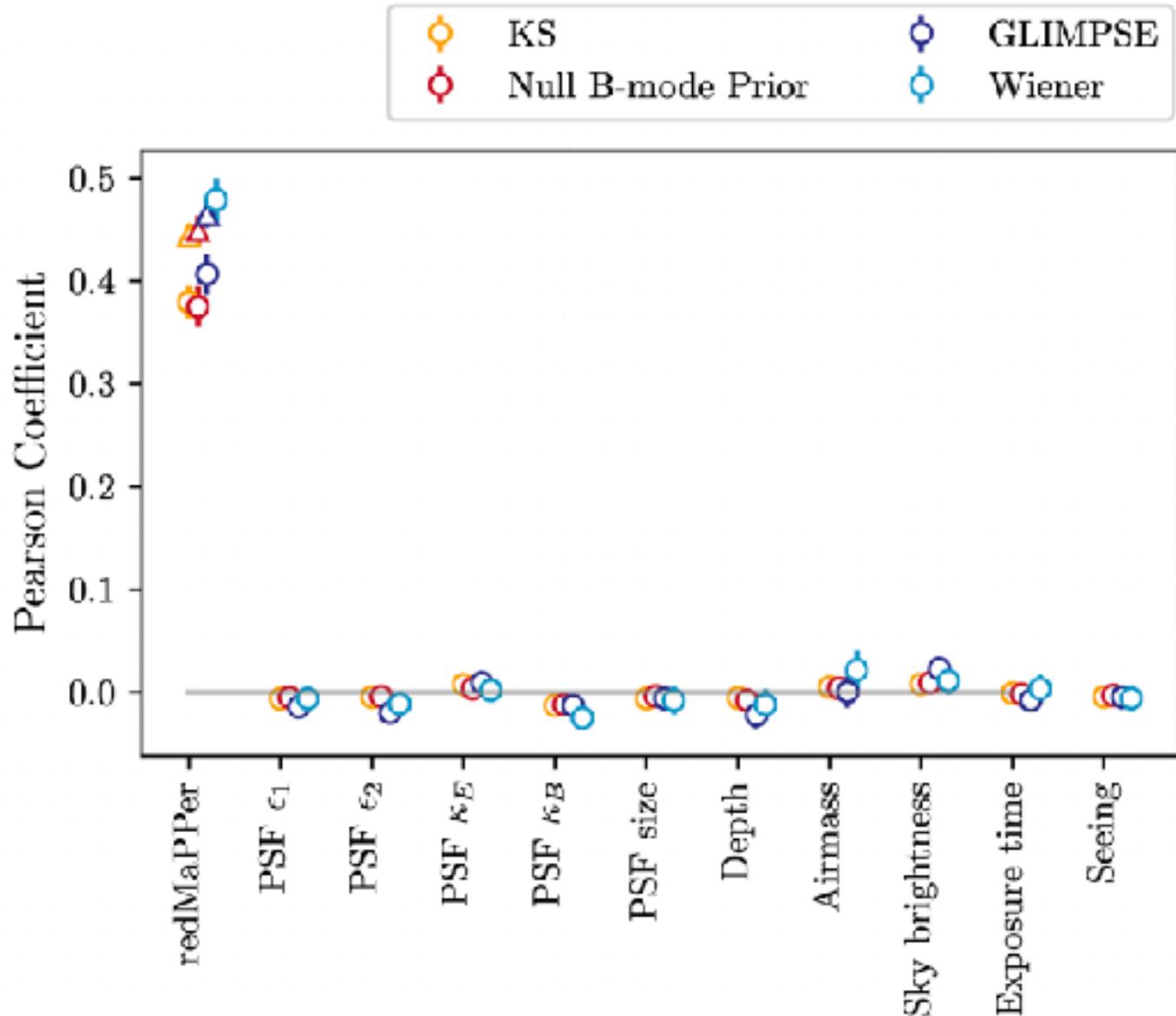
# 02

## Applications: Cosmic web

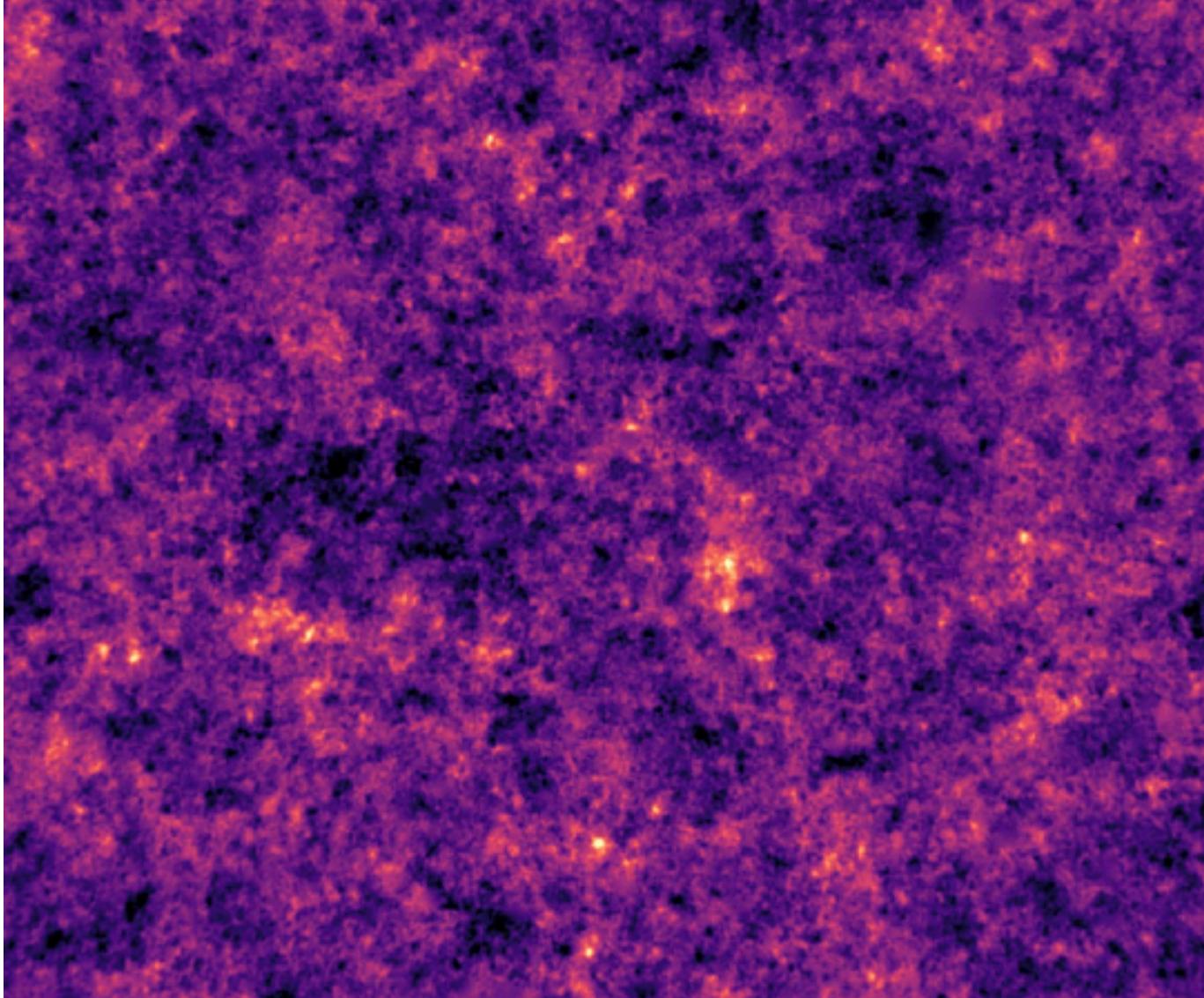
# Foreground correlations



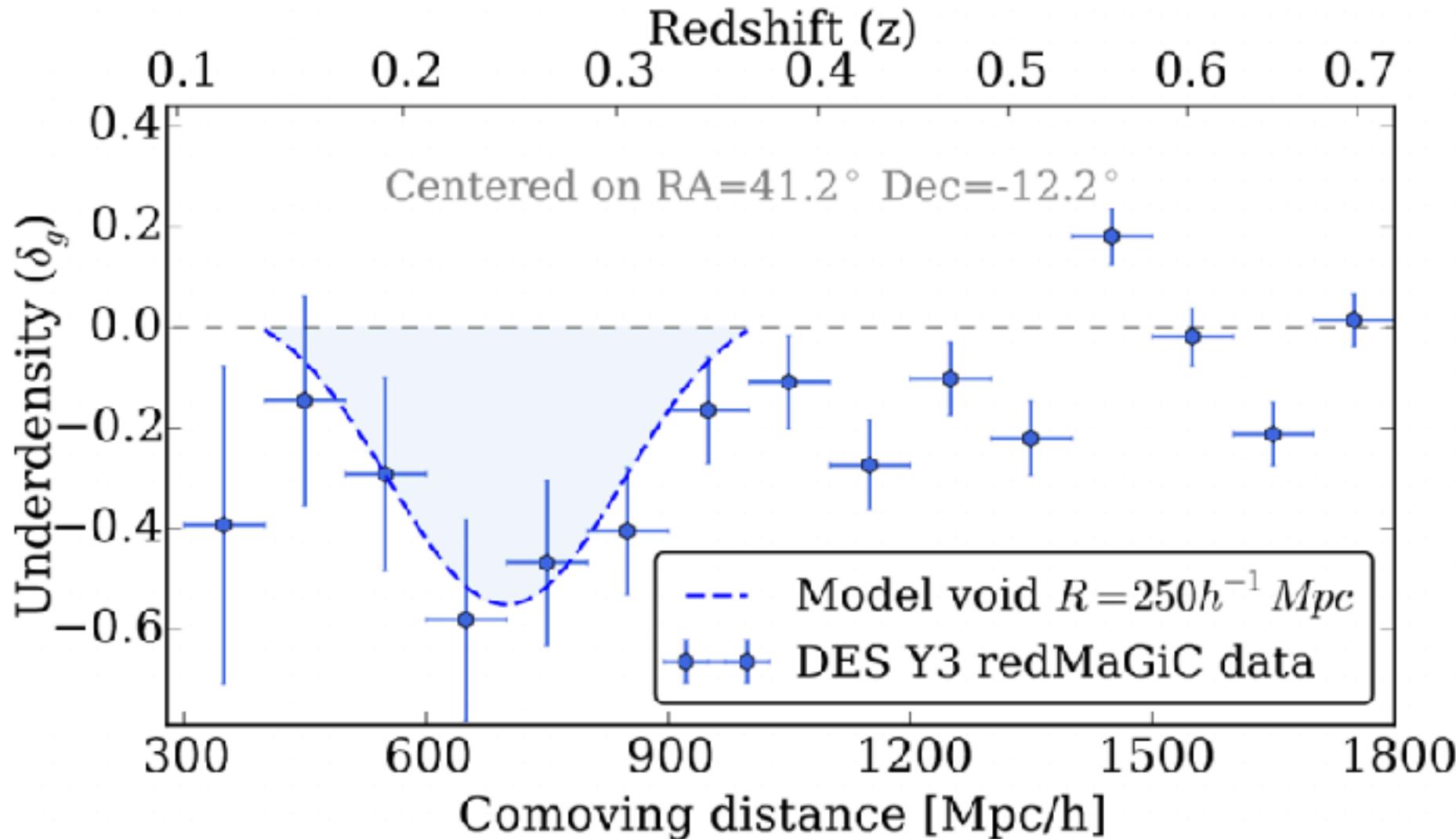
# Foreground correlations



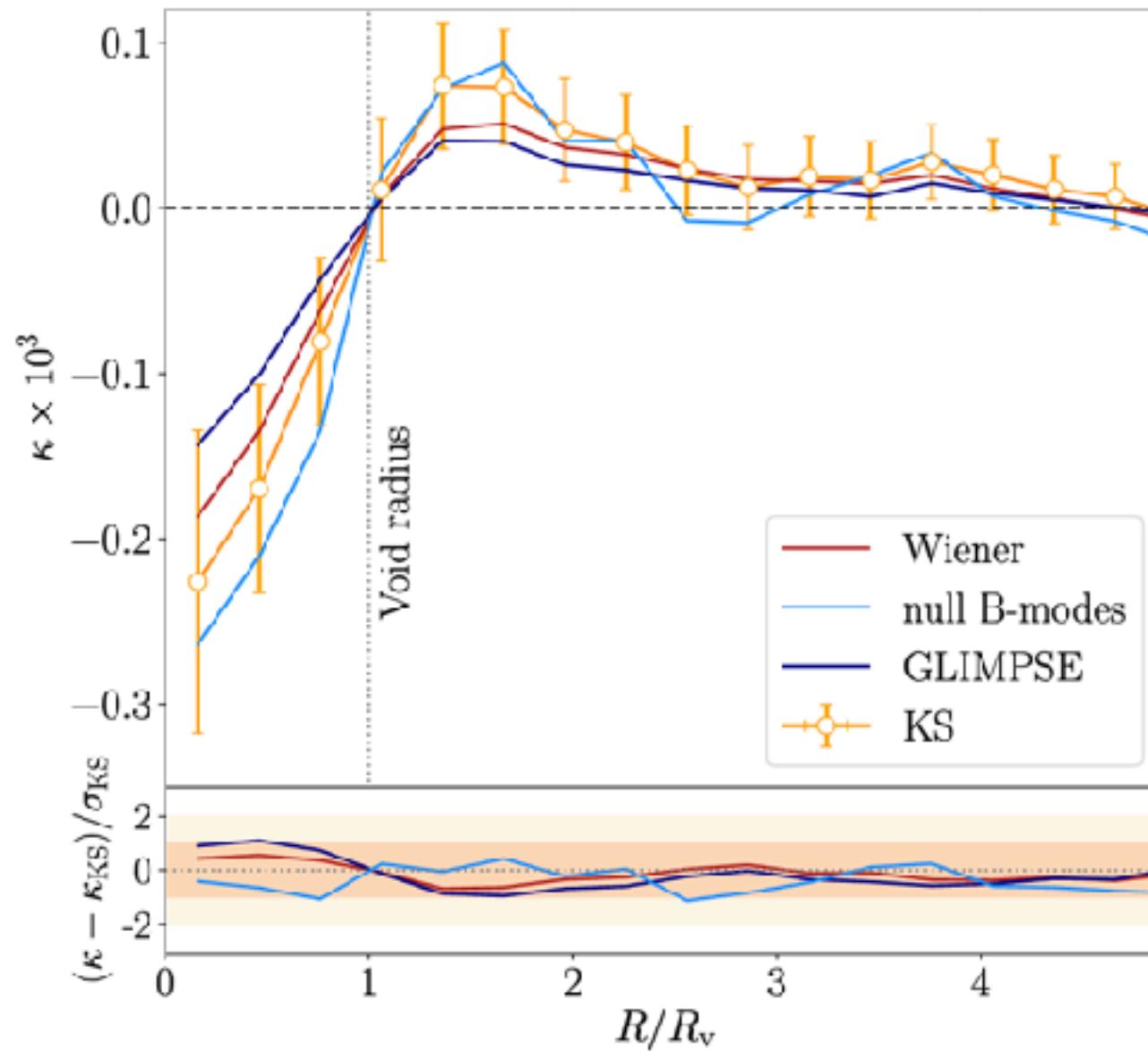
# Cosmic Voids



# “Vole” line-of-sight

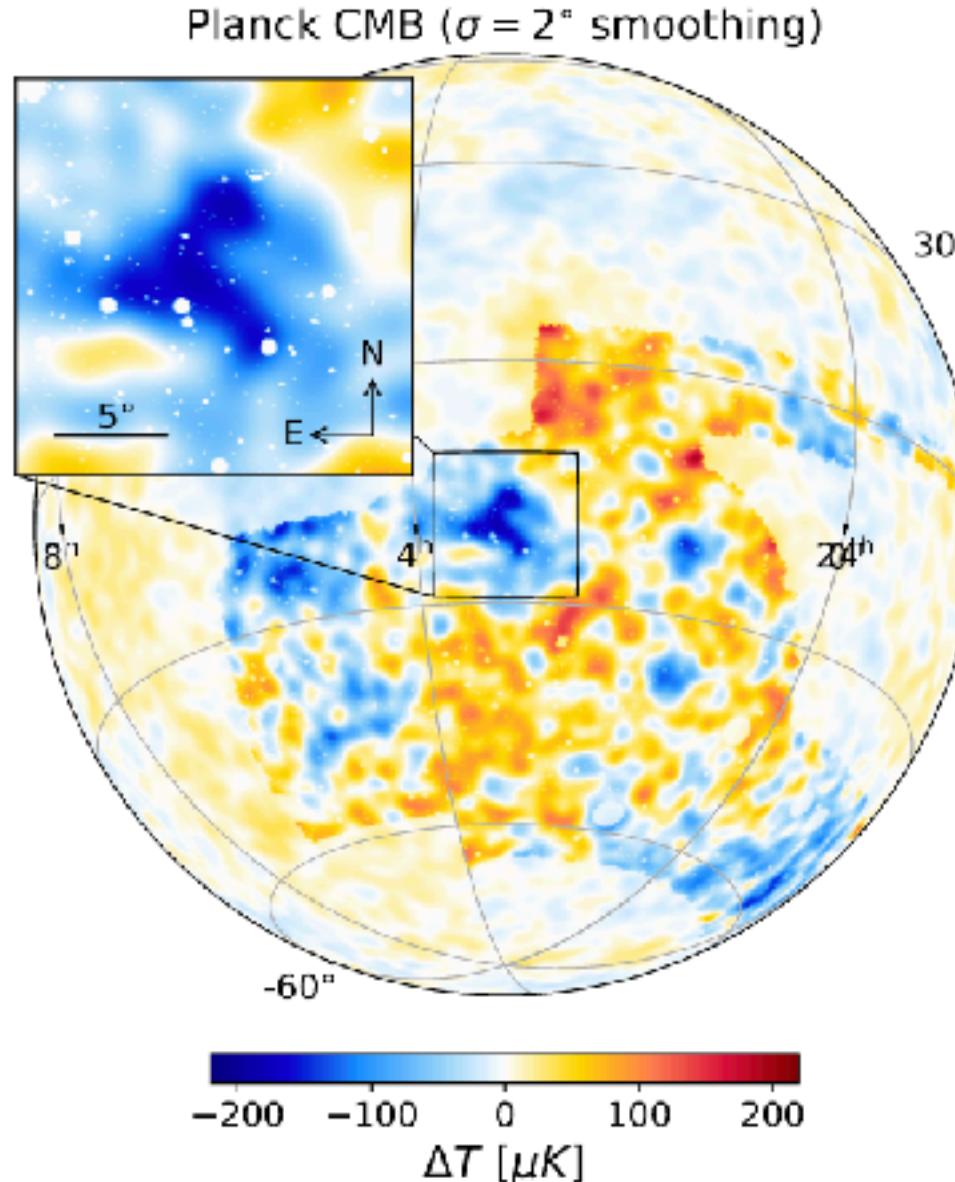


# Cosmic Void profiles



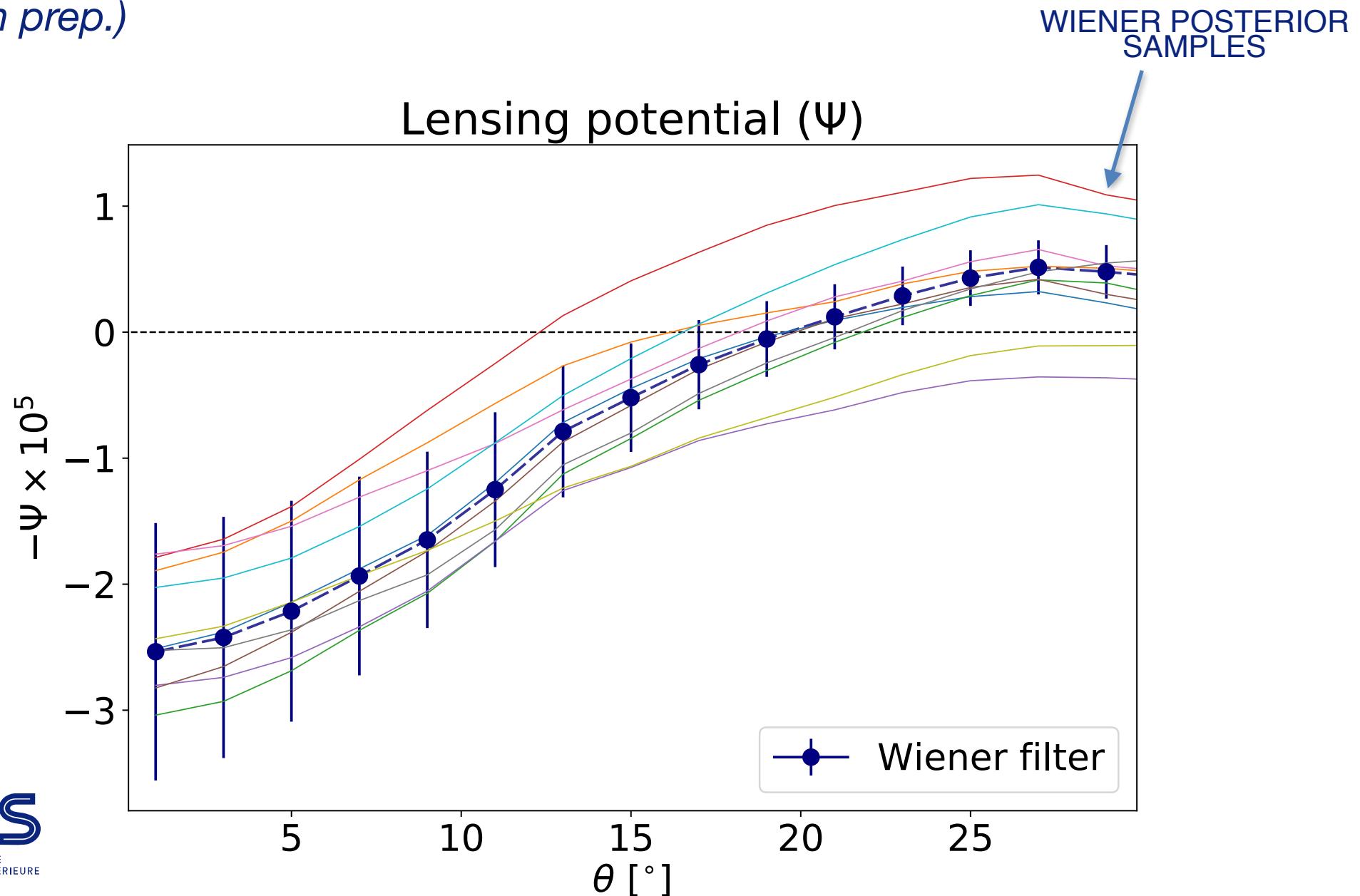
# CMB Cold Spot

(A. Kovacs *in prep.*)



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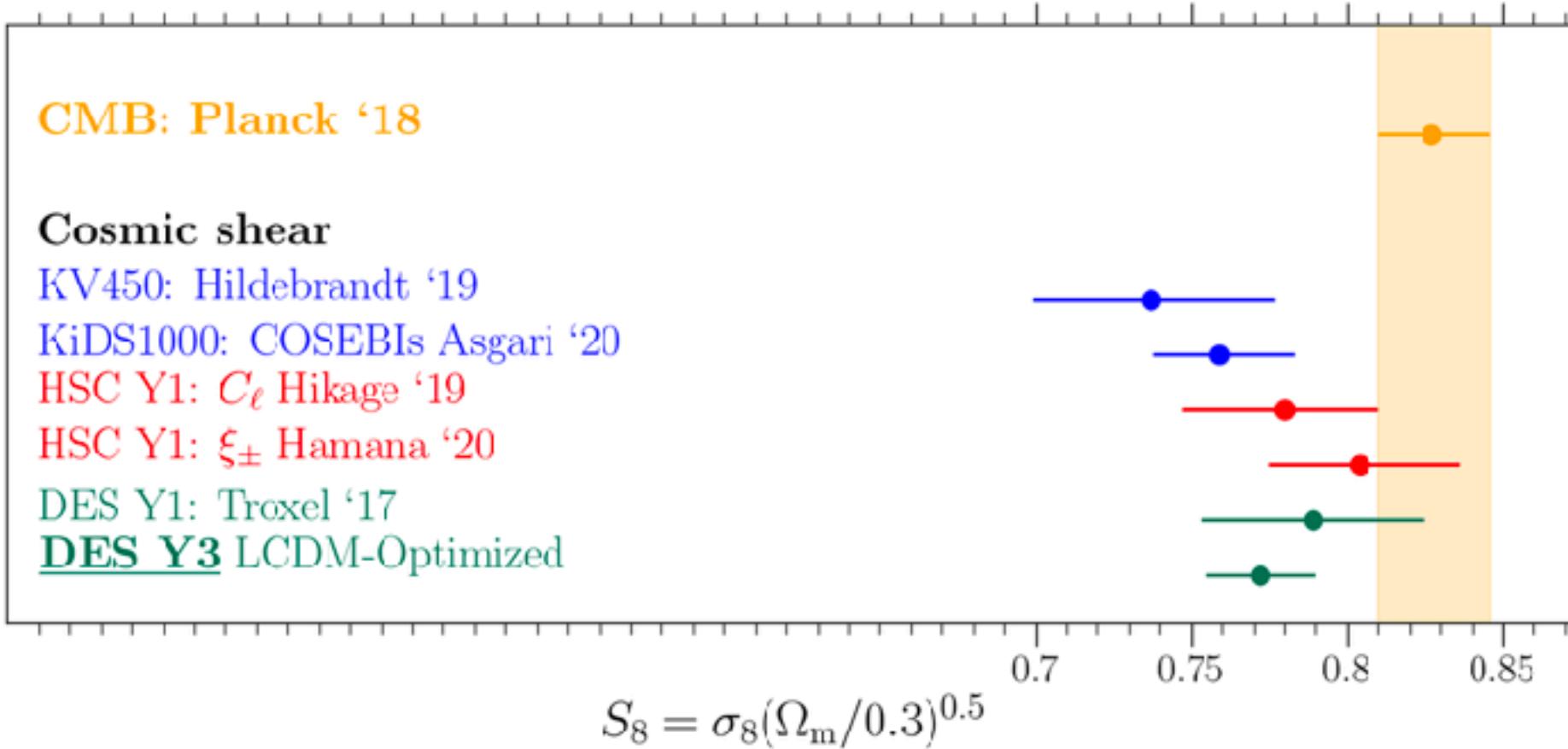
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# 03

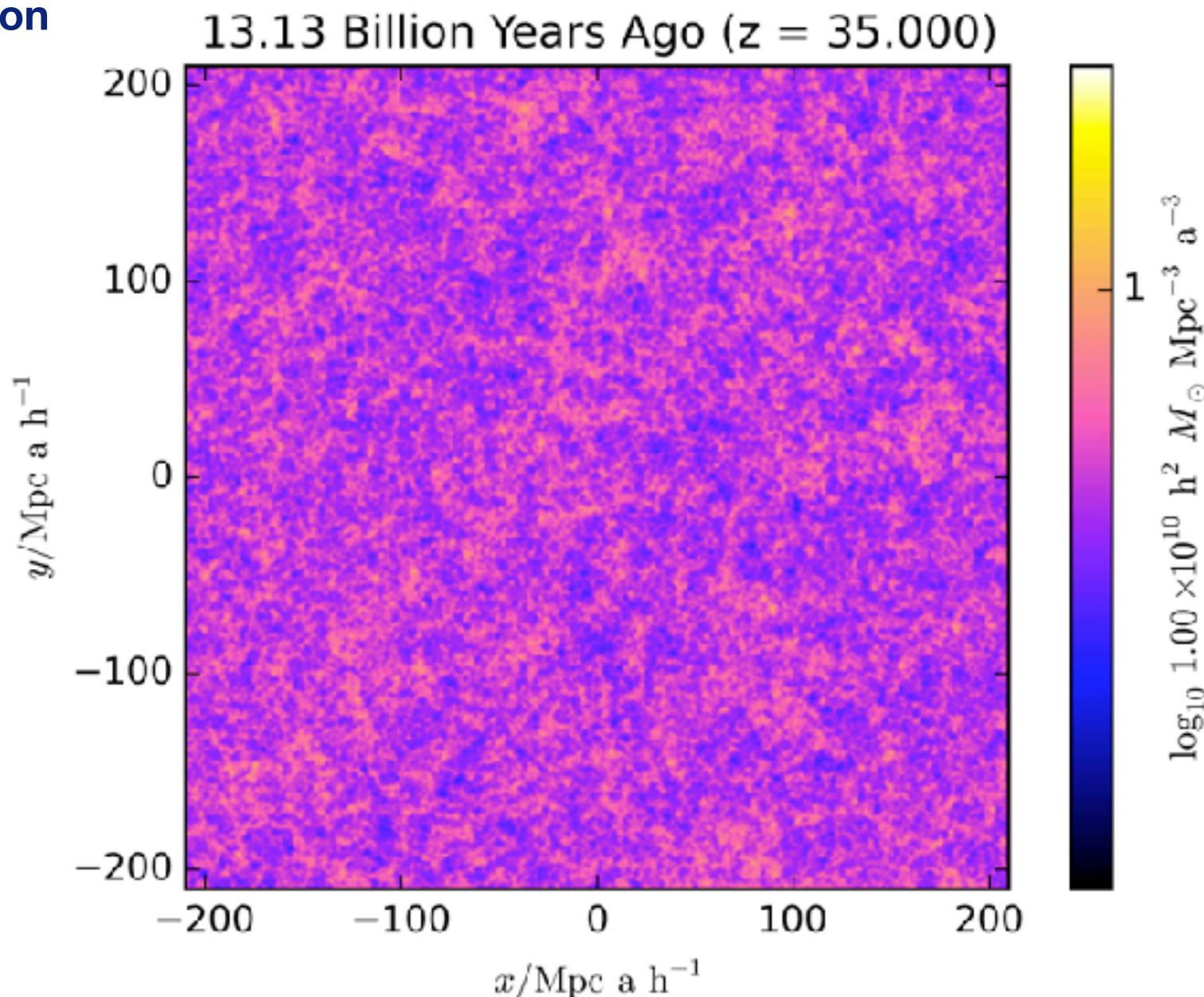
## Applications: Beyond 2-point

# Lensing is low?



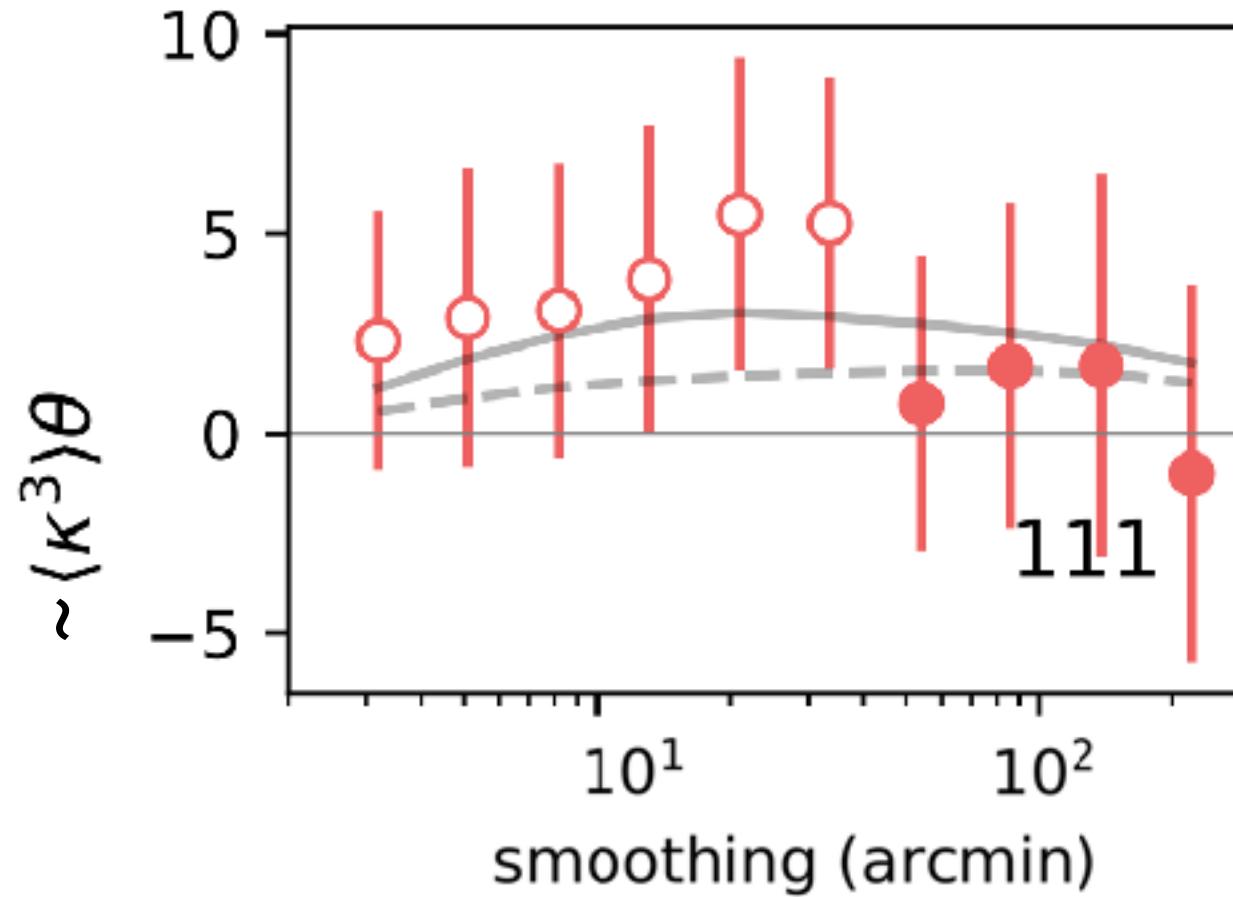
# Growth of structure

L-PICOLA simulation



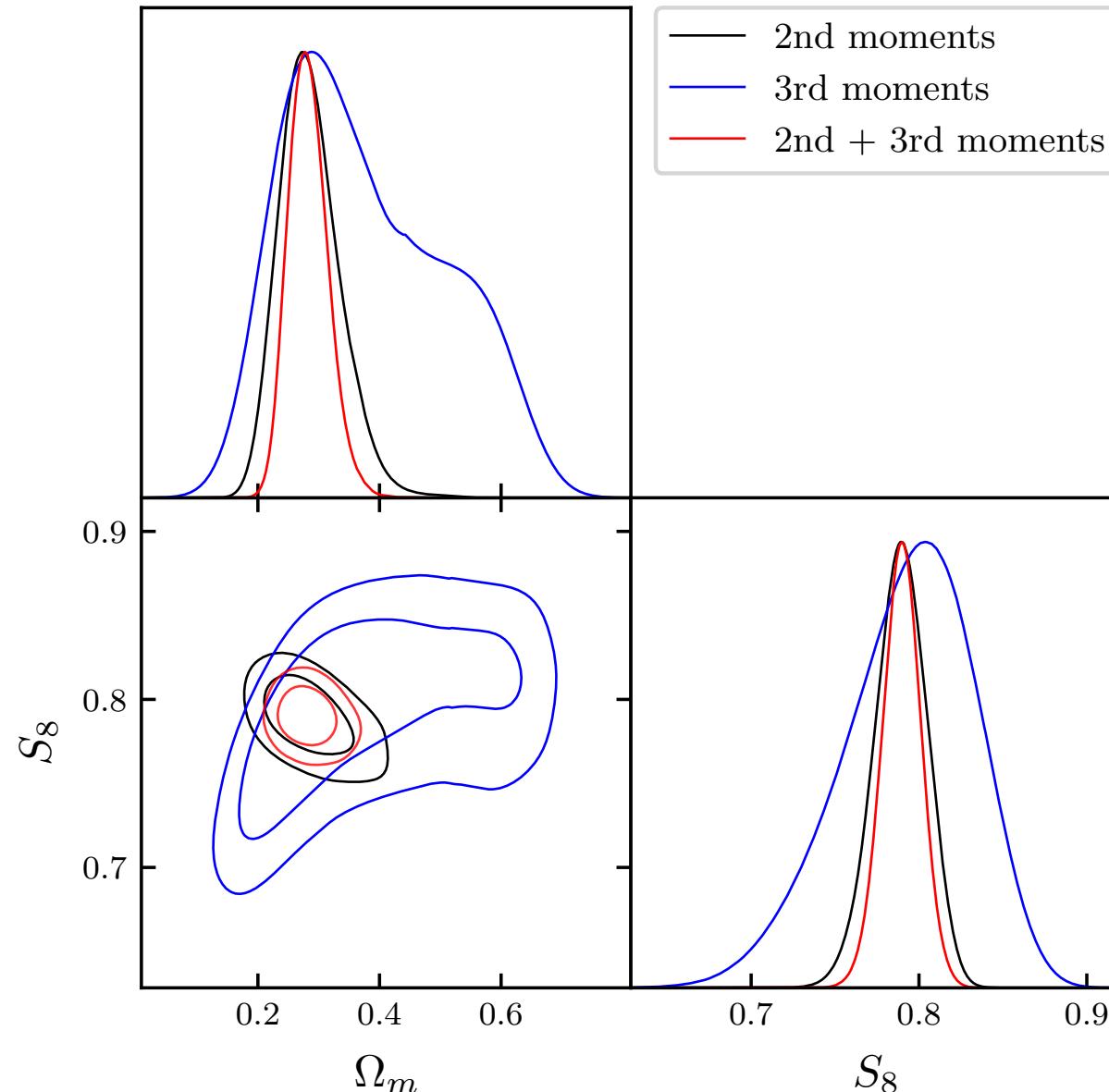
# Higher-order moments

Blinded! (Gatti et al. in prep.)



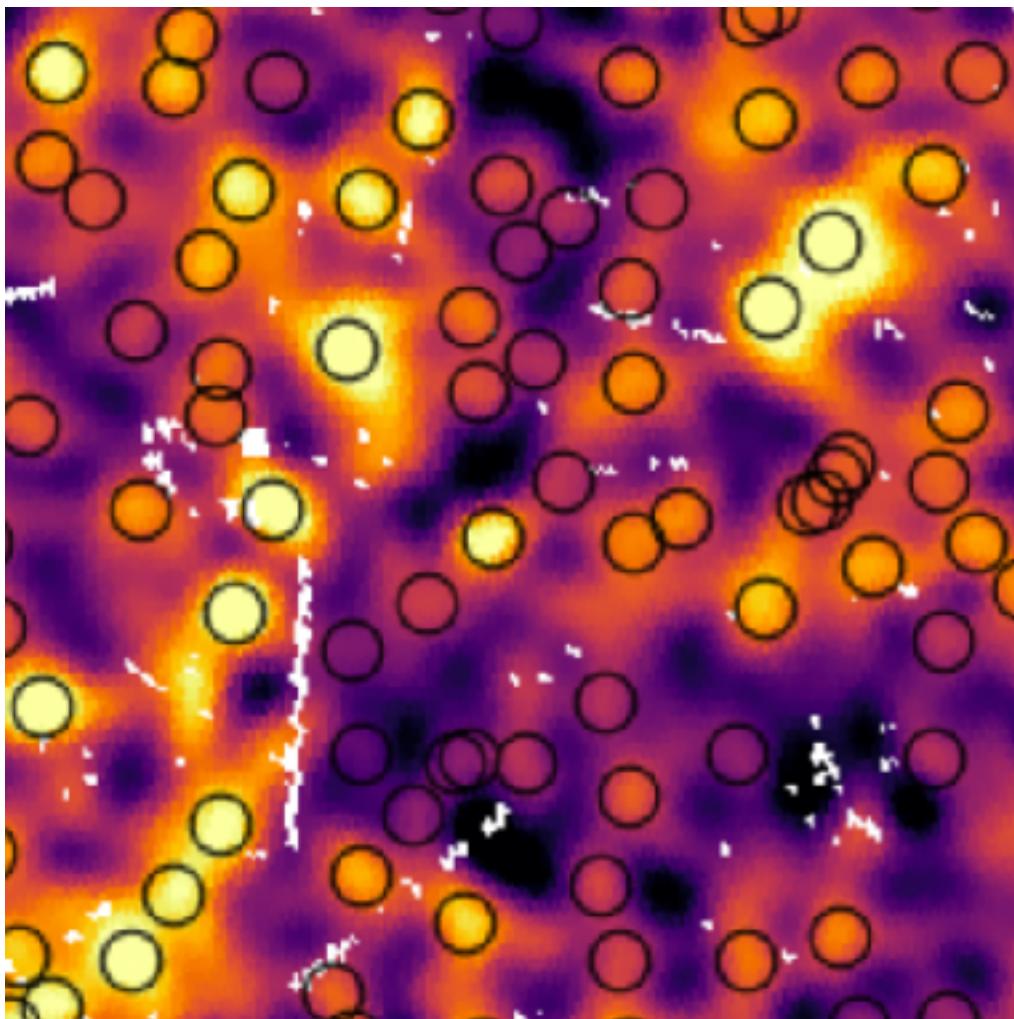
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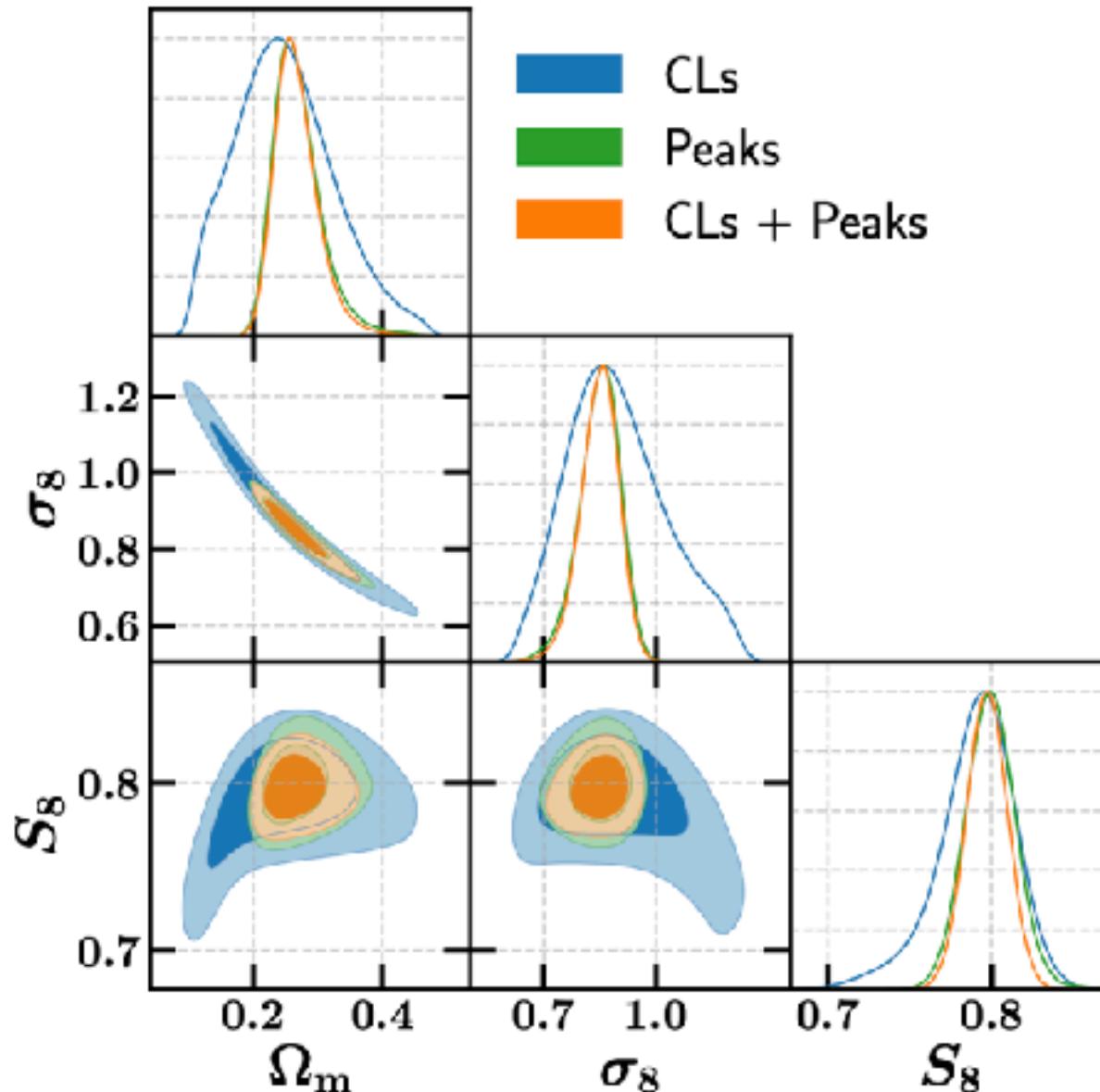
# Inference with peak count emulator

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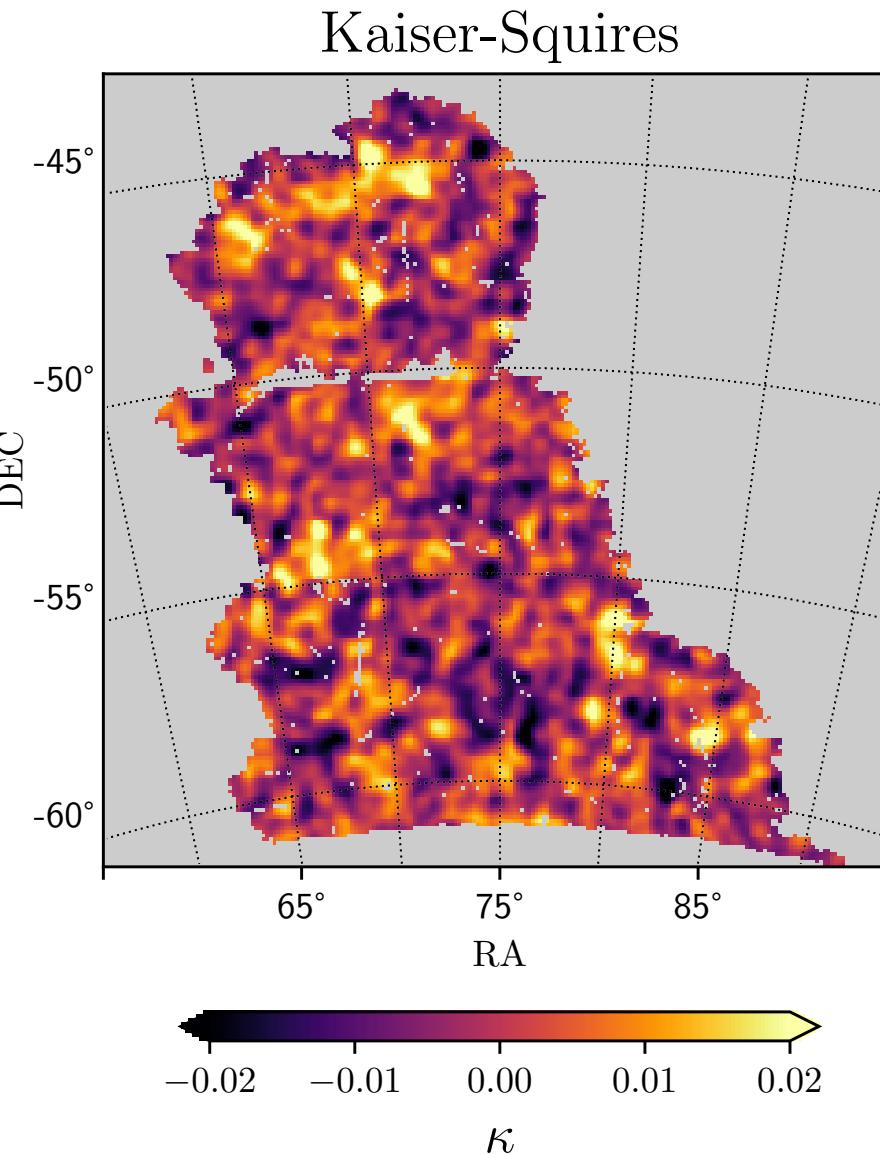
# 04 Future: Deep learned priors & likelihood-free inference

# Weak lensing mass maps

NJ, Lanusse, Lahav, Starck 1908.00543

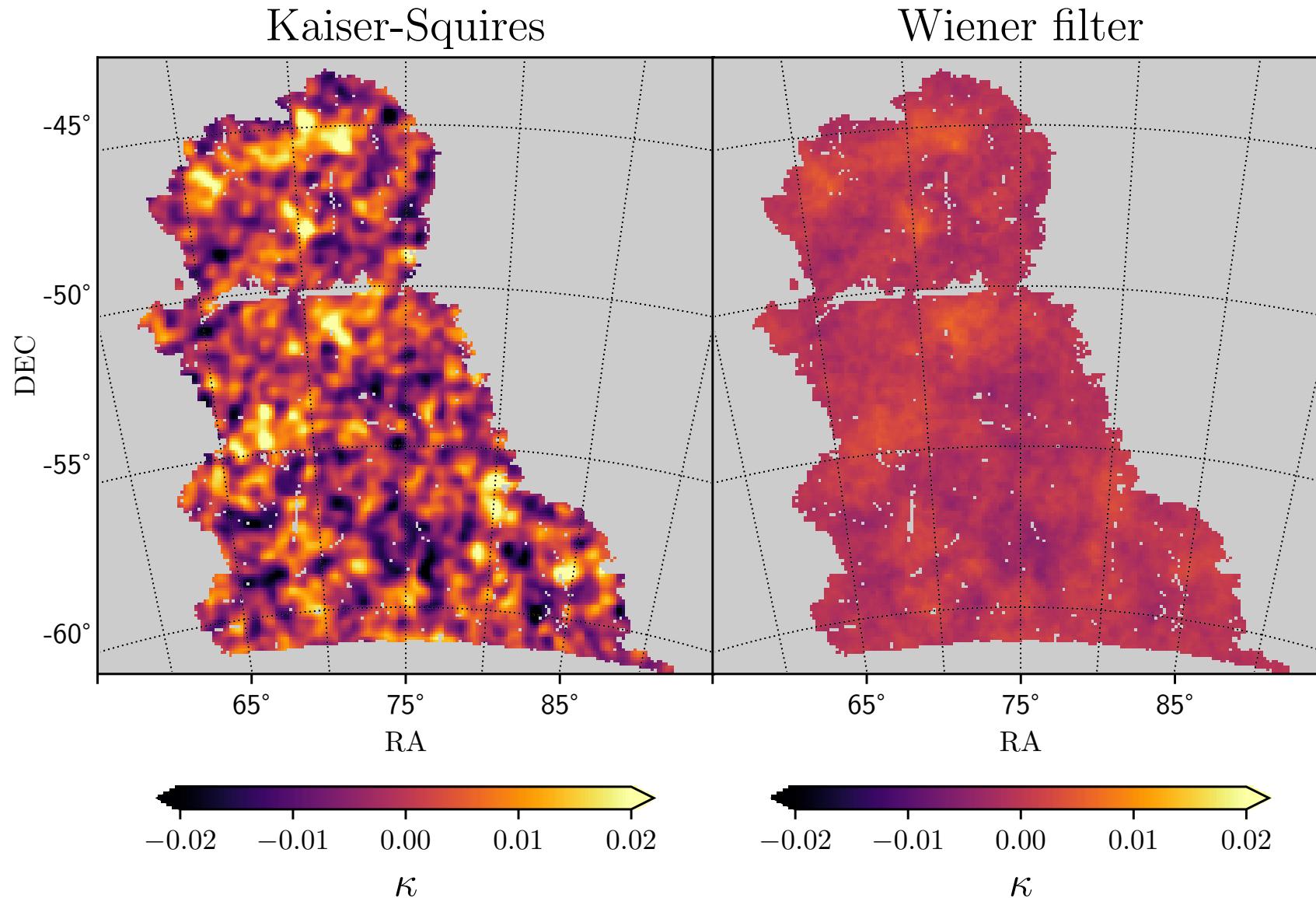
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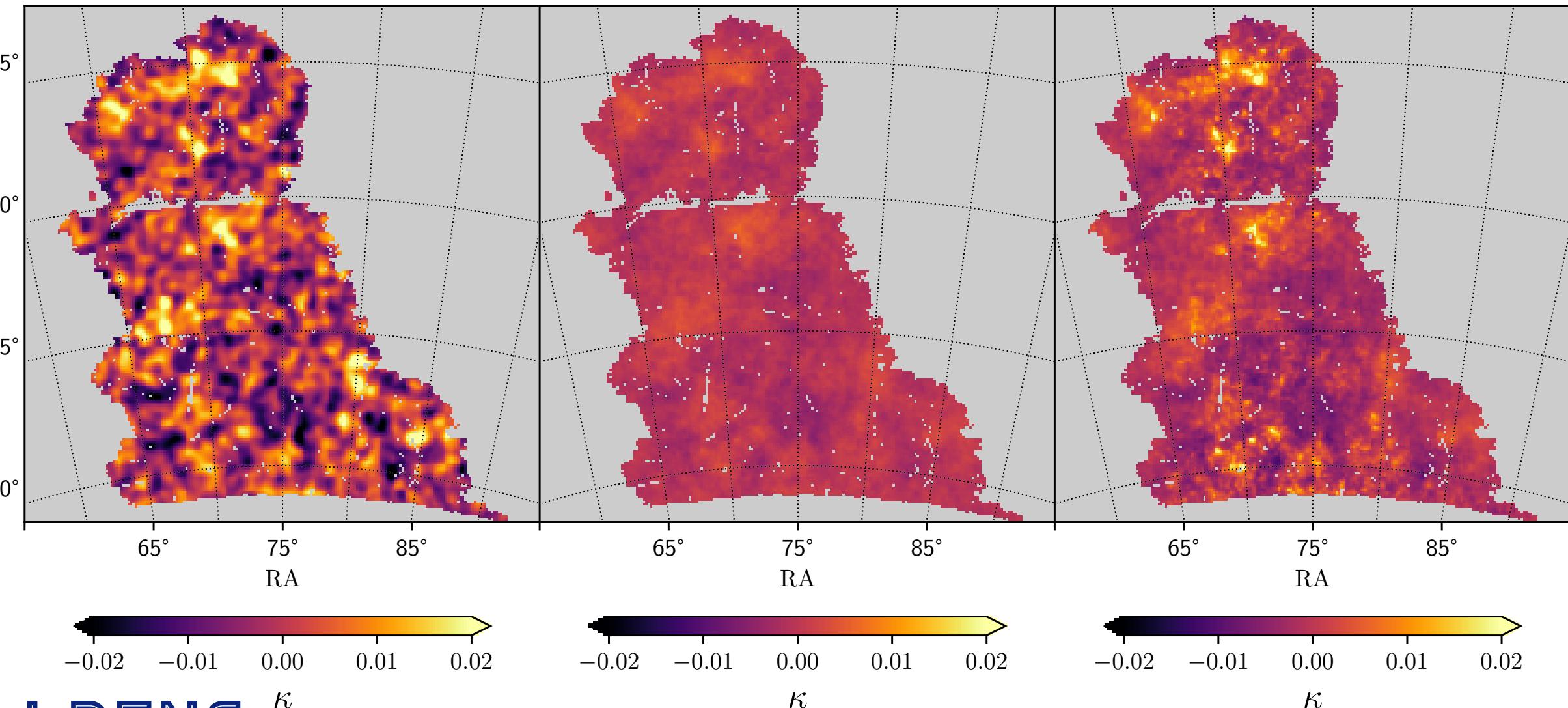
# Weak lensing mass maps

NJ, Lanusse, Lahav, Starck 1908.00543

Kaiser-Squires

Wiener filter

DeepMass



# Parameter inference

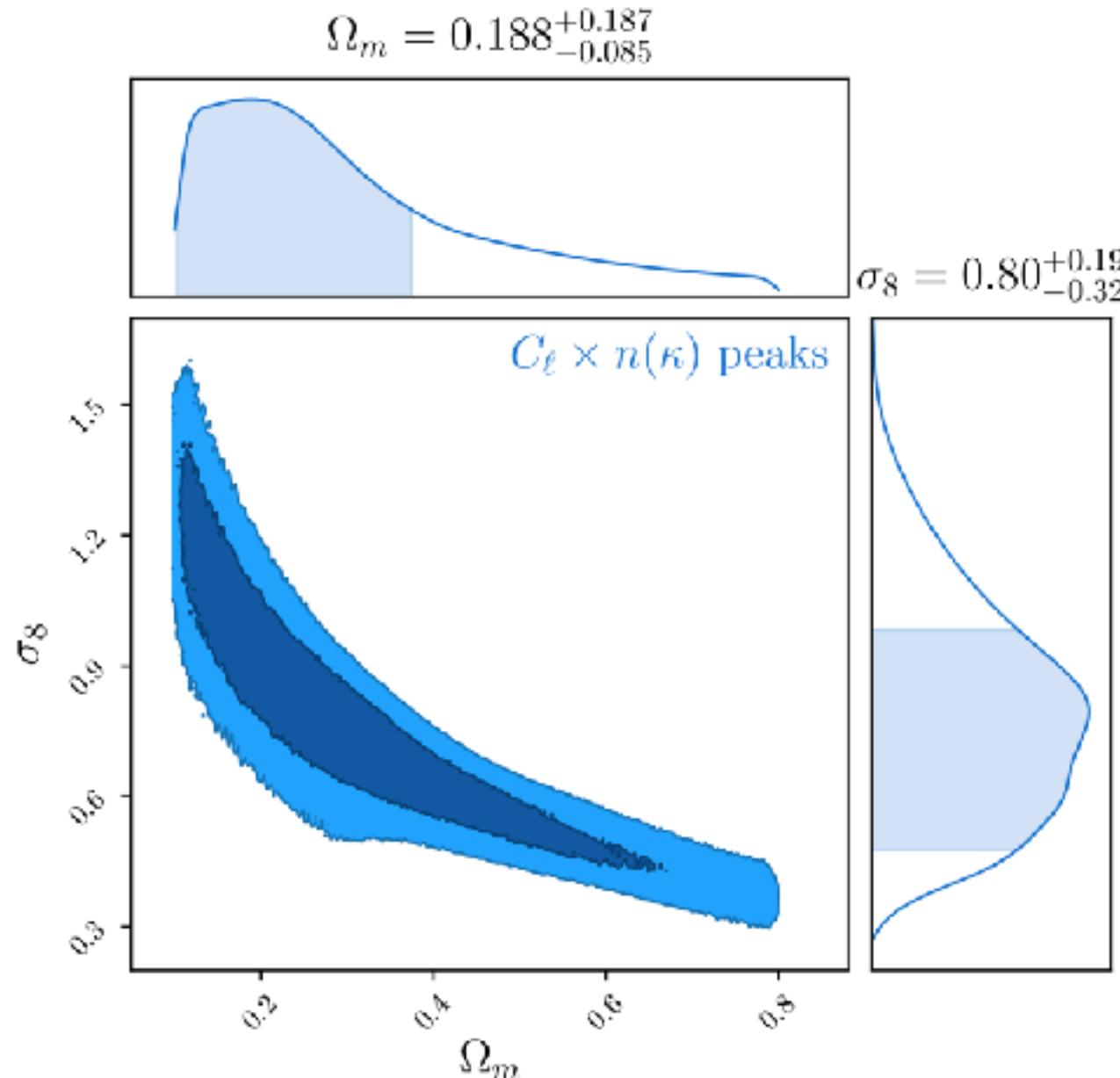
1. Observed “data” summary statistic  $d_o$
2. Unknown parameters  $\theta$  of a given model

$$p(\theta | d_o) \propto p(d_o | \theta) p(\theta)$$



# Posterior with learned likelihood:

NJ, Alsing, Lanusse 2009.08459



# Forward modelled mock data

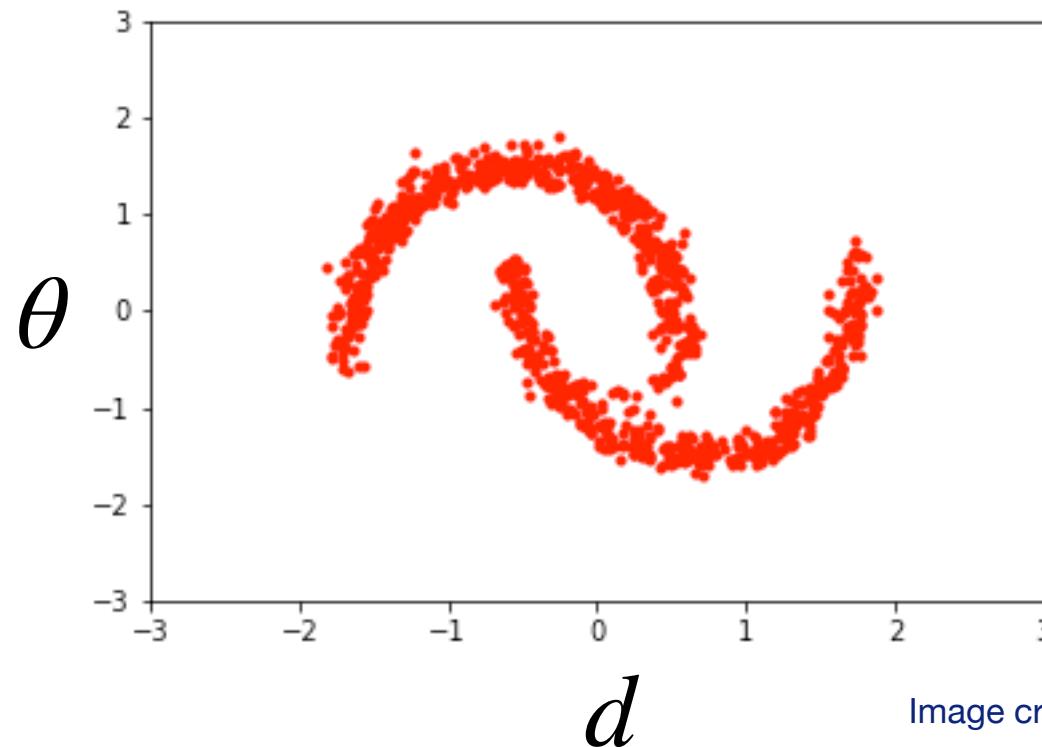
$$\{\mathbf{d}_i, \theta_i\}$$

- I.  $\mathbf{d}_i$  are simulated data vector summary statistics (inc. noise)
- II. Draw  $\mathbf{d}_i$  from the distribution  $p(\mathbf{d} | \theta_i)$  by running a simulation

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# Forward modelled mock data

$$P(d, \theta) ?$$

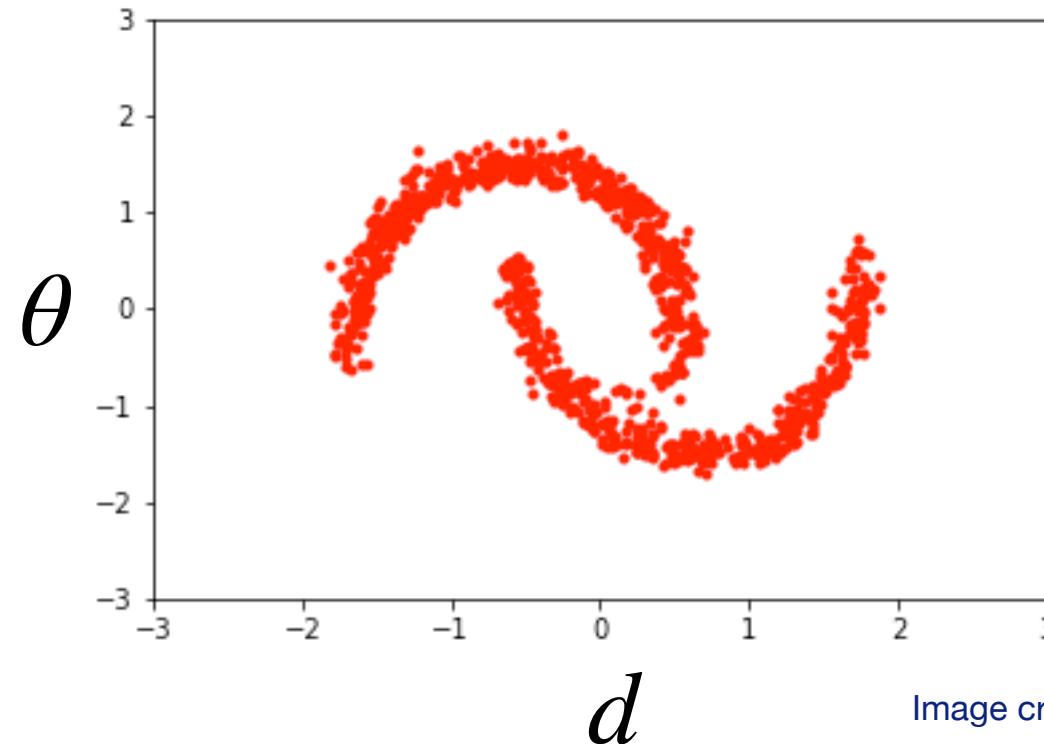


Image credit: Eric Jang

# Neural density estimation

*Normalizing flow from simple known distribution*

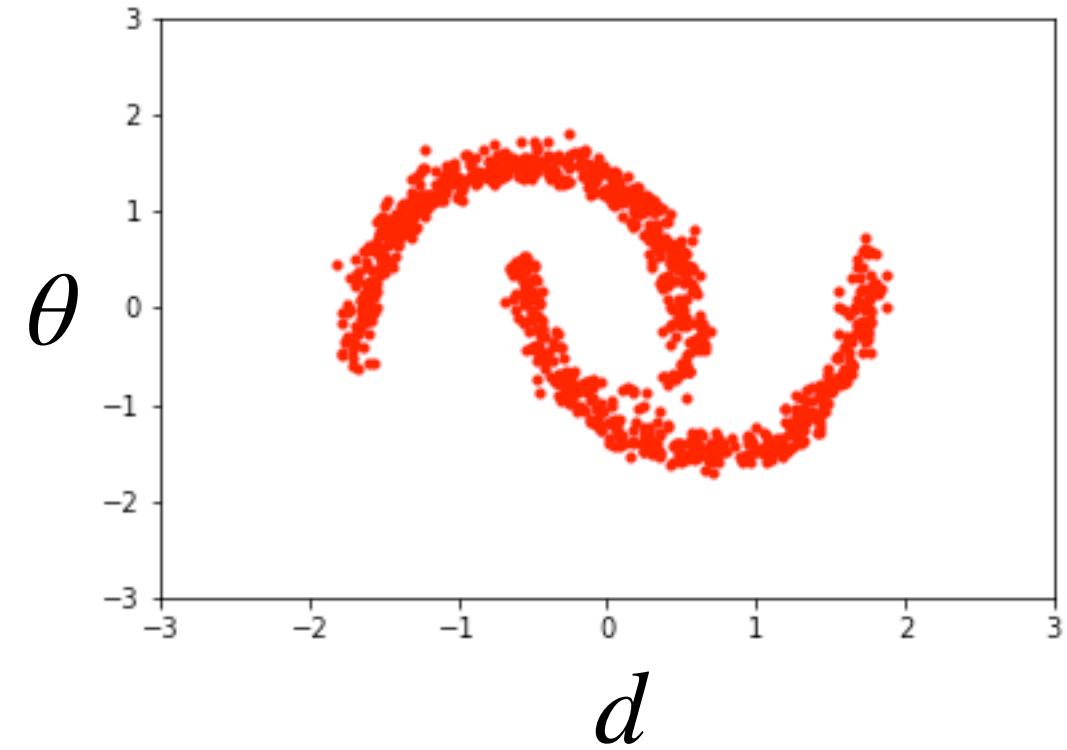
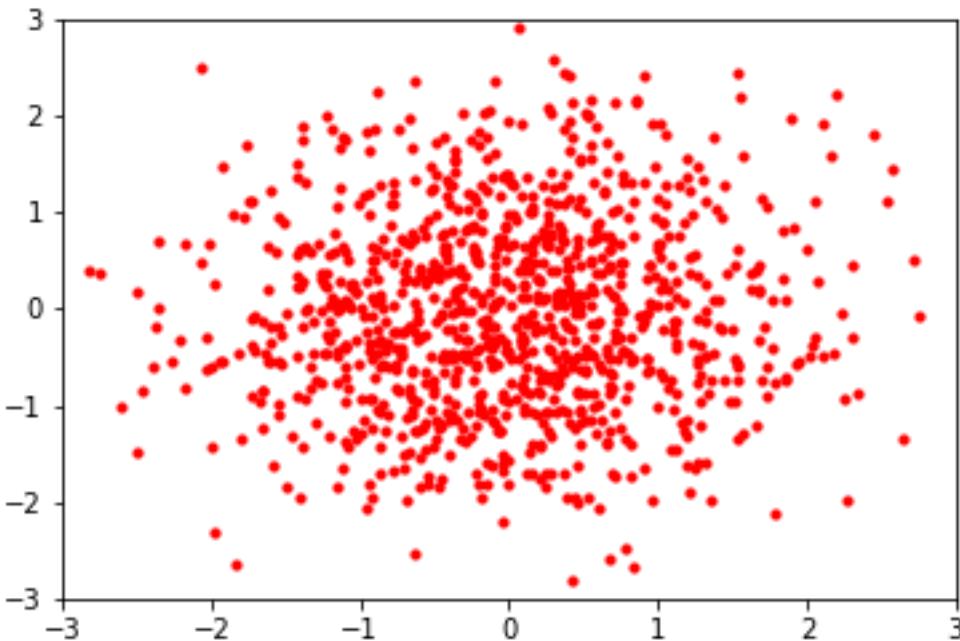
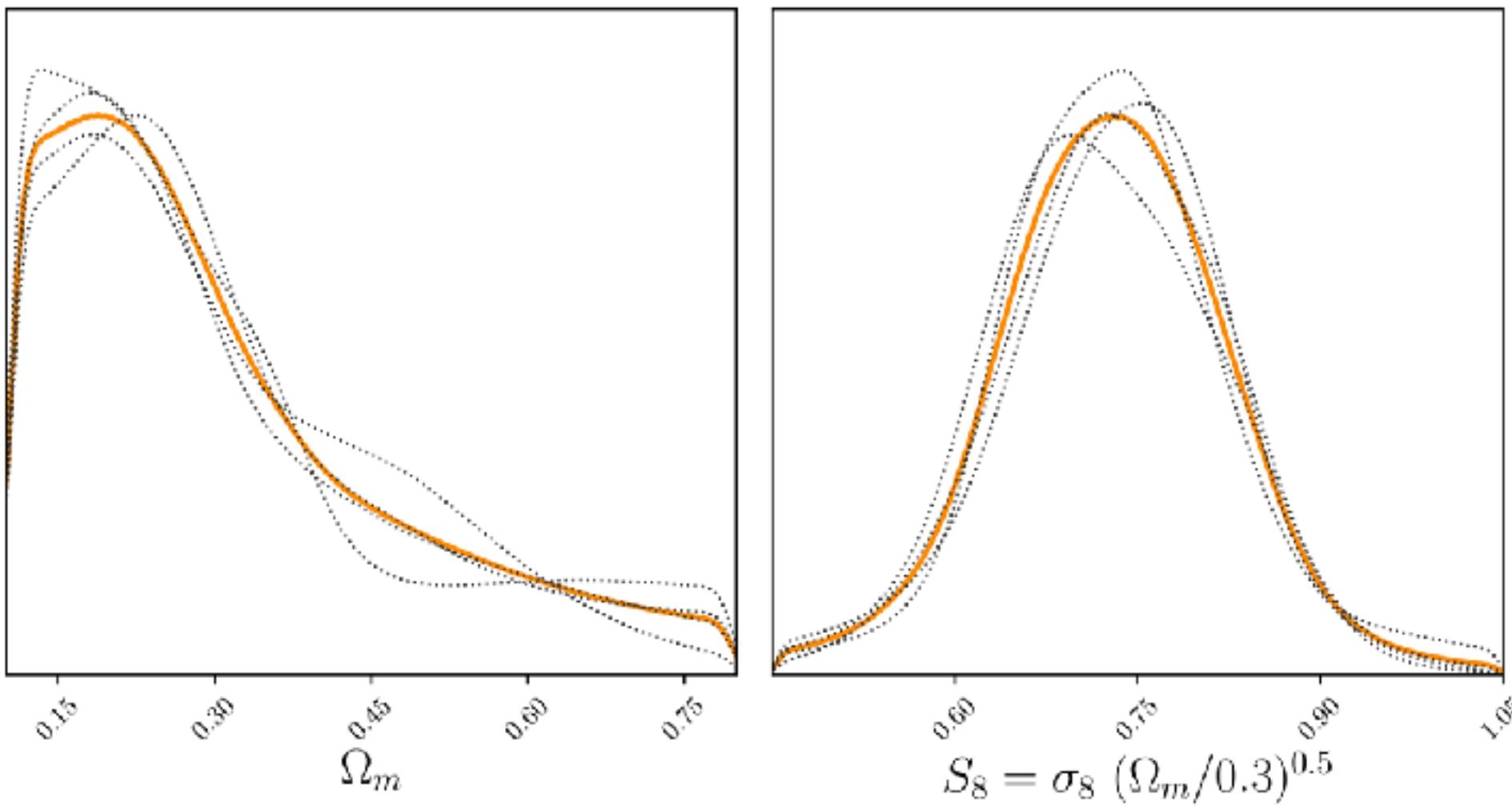


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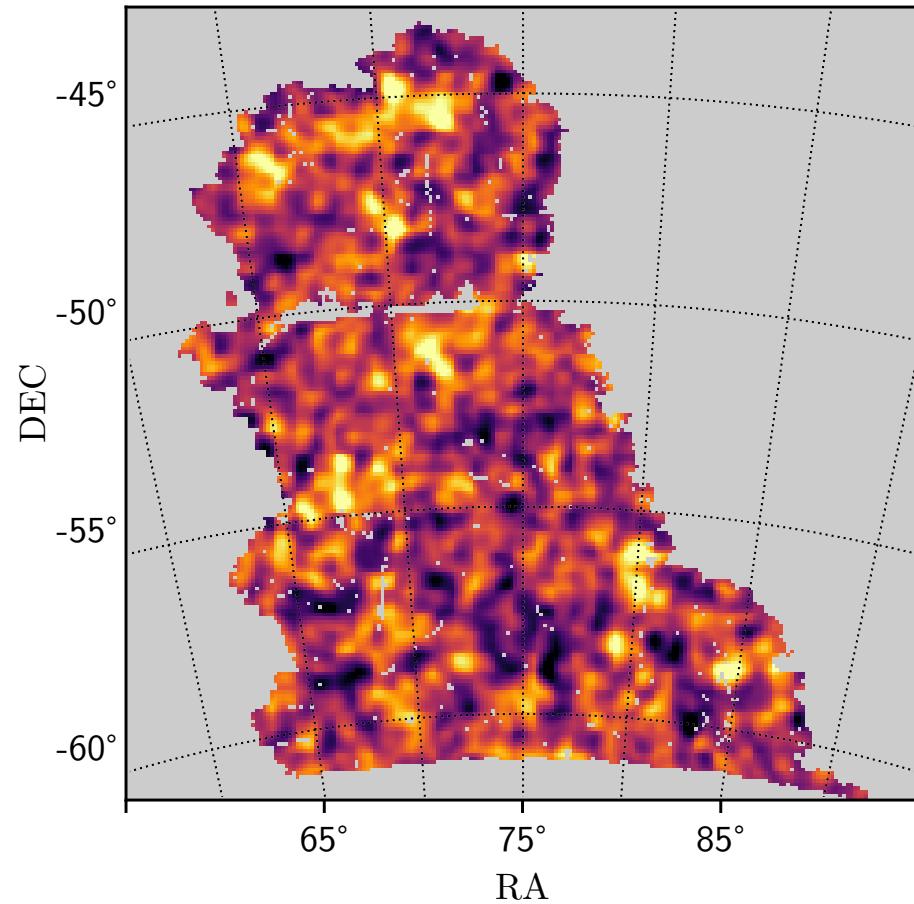
# Density estimation validation:



# Deep convolutional compression of maps:

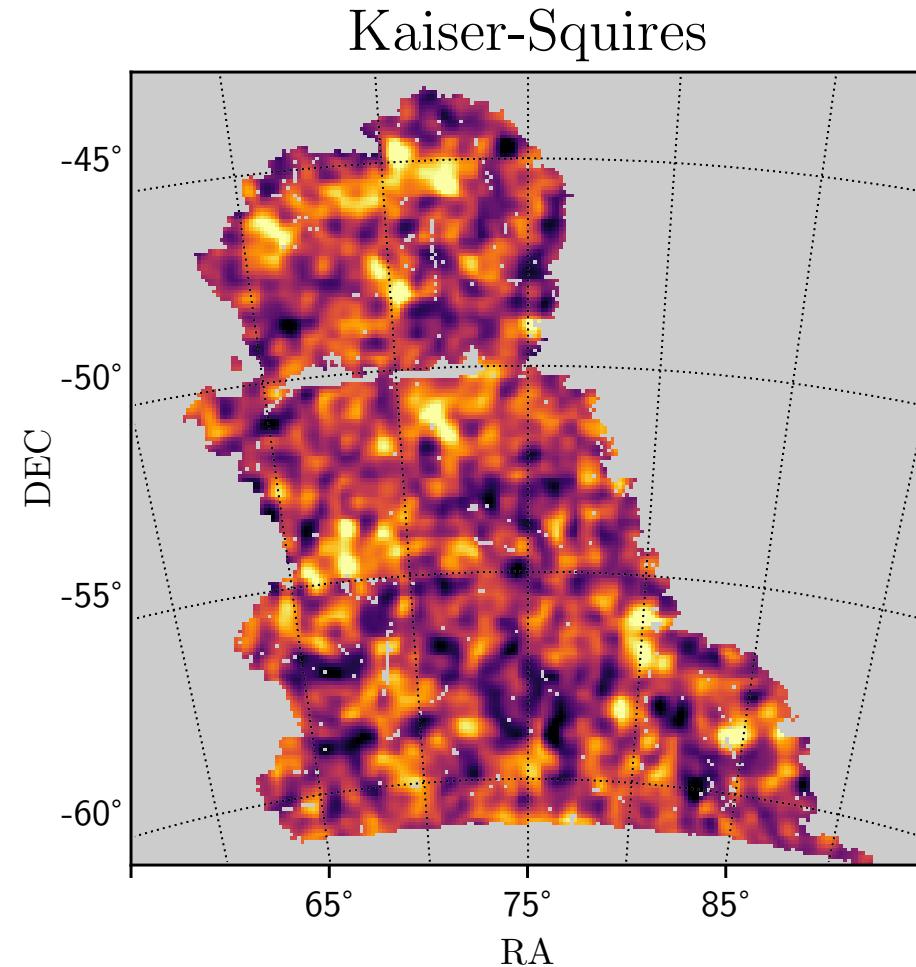
# Deep convolutional compression of maps:

Kaiser-Squires

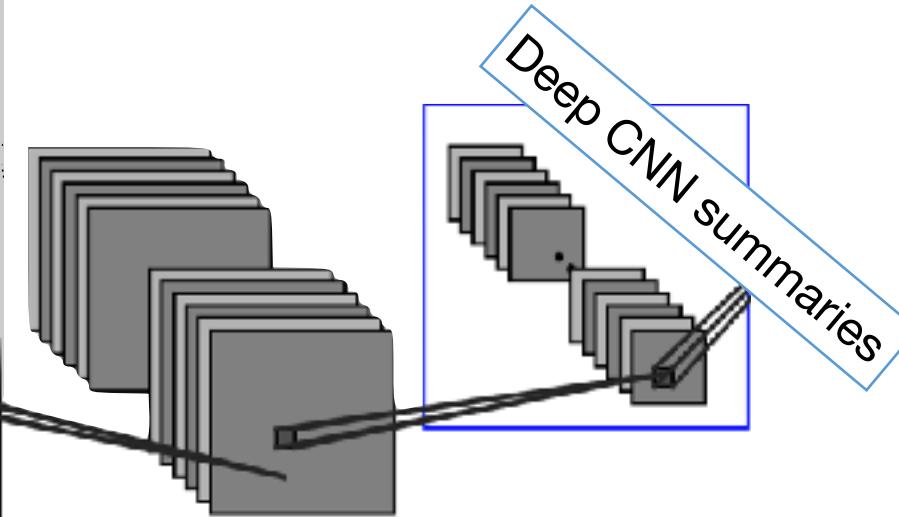


$$\mathbf{t} = F(\text{map})$$

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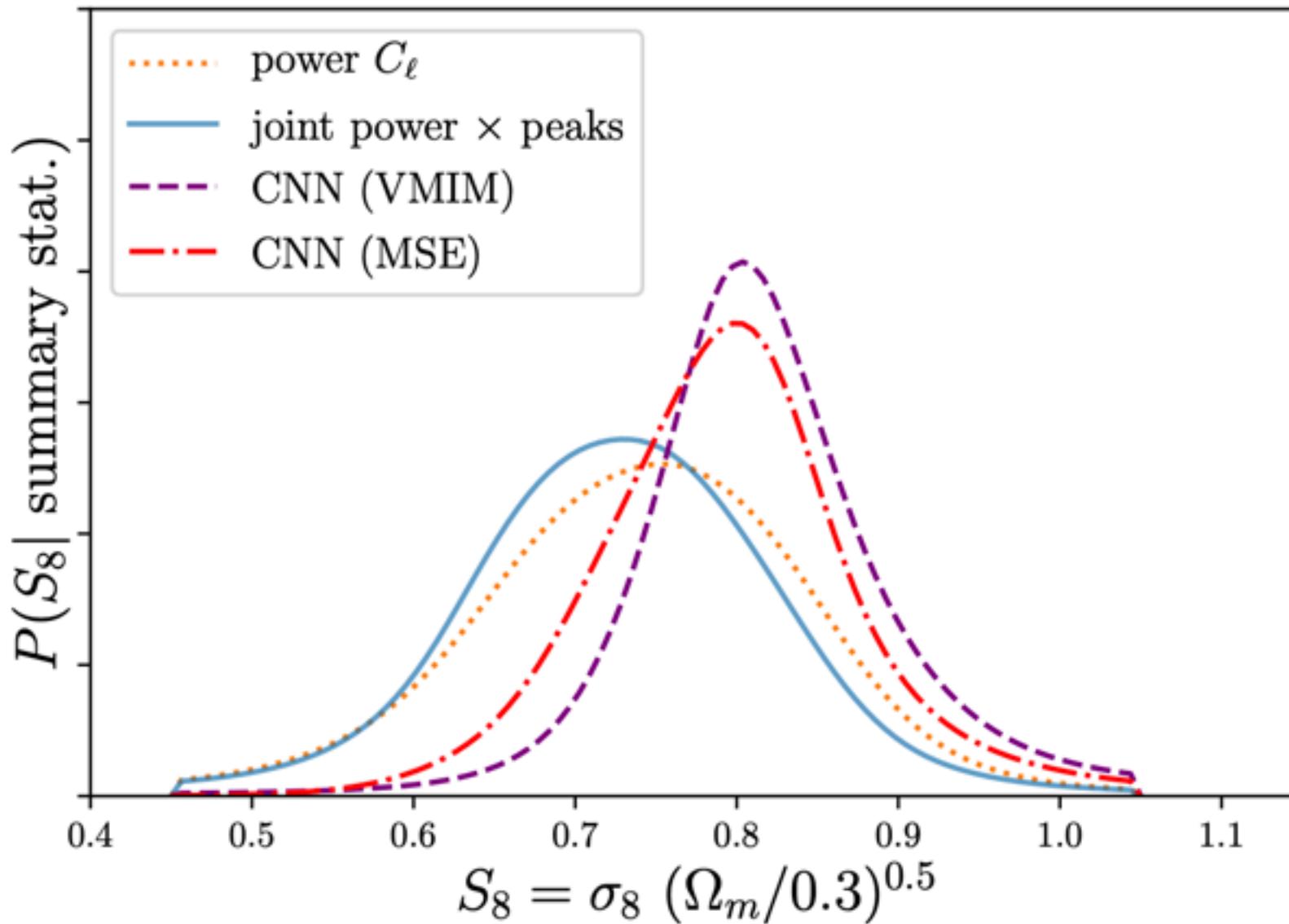
$$\mathbf{t} = F(\text{map})$$

# Deep convolutional compression of maps:

$$\mathbf{t} = F(\text{map})$$

$$I(\mathbf{t}, \boldsymbol{\theta}) = D_{\text{KL}}(p(\mathbf{t}, \boldsymbol{\theta}) \parallel p(\mathbf{t})p(\boldsymbol{\theta}))$$

# Deep convolutional compression of maps:



# Merci !

