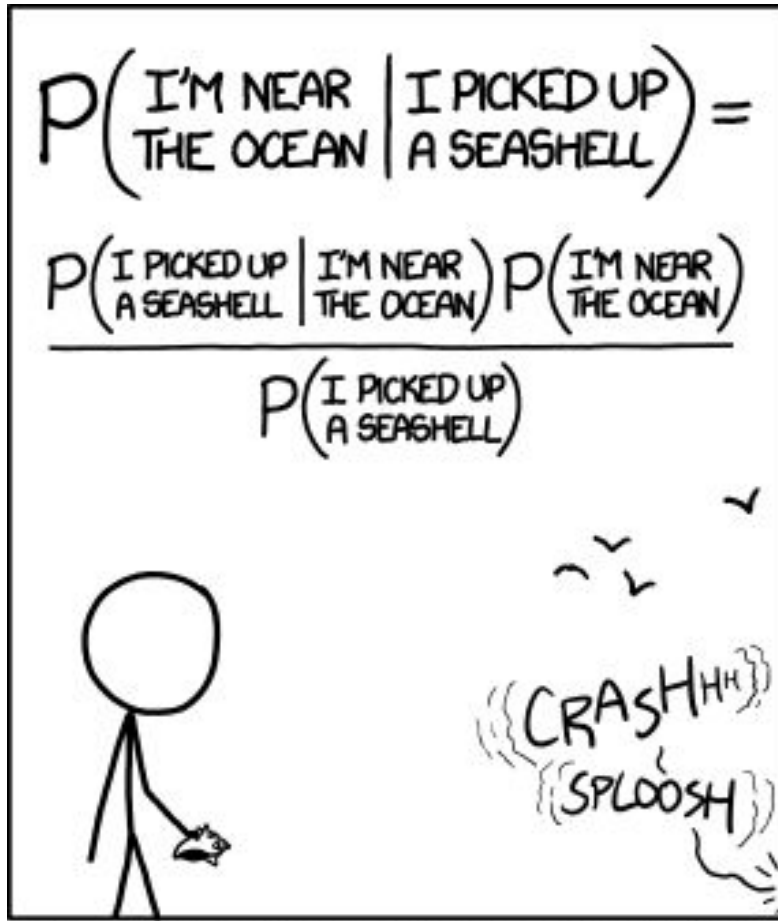


The Naive Bayes Classifier for Sentiment Analysis



STATISTICALLY SPEAKING, IF YOU PICK UP A SEASHELL AND *DON'T* HOLD IT TO YOUR EAR, YOU CAN PROBABLY HEAR THE OCEAN.

LIN f313 Language and Computers
Fall 2025

Instructor: Gabriella Chronis





Bridie @BBBridie · Jun 12

i just wanna eat **vegemite** toast all the time



1





Bridie @BBBridie · Jun 12

i just wanna eat **vegemite** toast all the time



1



Grant Stoddart @grants780 · Jun 10

Replying to @ArtSimone

I put tomato sauce in the fridge and **vegemite** in the bin 🗑️



1



23





Bridie @BBBridie · Jun 12



i just wanna eat **vegemite** toast all the time



1



Grant Stoddart @grants780 · Jun 10



Replying to @ArtSimone

I put tomato sauce in the fridge and **vegemite** in the bin 🗑️



1



23



GRAY @grayola · Jun 10



who tf eats **vegemite** we need to talk



4



Liam Wyatt @Wittylama · Jun 13

Lockdown has clearly been hitting the Australians in Italy hard...

"Frequently bought together" on [@AmazonIT](#) for ~\$57AUD!
twin pack of 220g [@Vegemite](#) + 1L of [@absolutvodka](#)

amazon.it prime

Torna all'inizio

Spesso comprati insieme



Prezzo totale: 36,43 €

Aggiungi entrambi al carrello

i Questi articoli sono spediti e venduti da venditori diversi. [Mostra dettagli](#)



12



Our Task:

Given a new tweet about Vegemite, determine the **polarity** of the tweet:

- **positive (POS)** or **negative (NEG)** (assuming we've already weeded out the **neutral**)

Resources:

- We have access to a dataset of 5000 tweets about Vegemite, already labeled for polarity.

IDEA: Use the **joint probabilities** we observe of different events happening together in order to make predictions.



Kerry Carpenter @Kezzacarpenter · Jun 23, 2020

Breakfast. Vegemite toast!!!! I paid for THIS!!



23



16



Breakfast of Champions



David Feng ✓ @DavidFeng · Jun 9

Bit of a cunt I am forgetting **Vegemite** ad of late. Cued for **breakfast** tomorrow morning now.



Andrew McDonald @andrewmcdonald · Mar 17, 2020

● A guide to '**Vegemite**' and what it means in Australia ●

VEGEMITE: a jar of **vegemite**

LITTLE VEGEMITES: children

BIG VEGEMITES: the giant containers of **vegemite** that only big families and cafes buy

THE BIG VEGEMITE: A rental villa in southern NSW

BREAKFAST: **vegemite** on toast



8

28



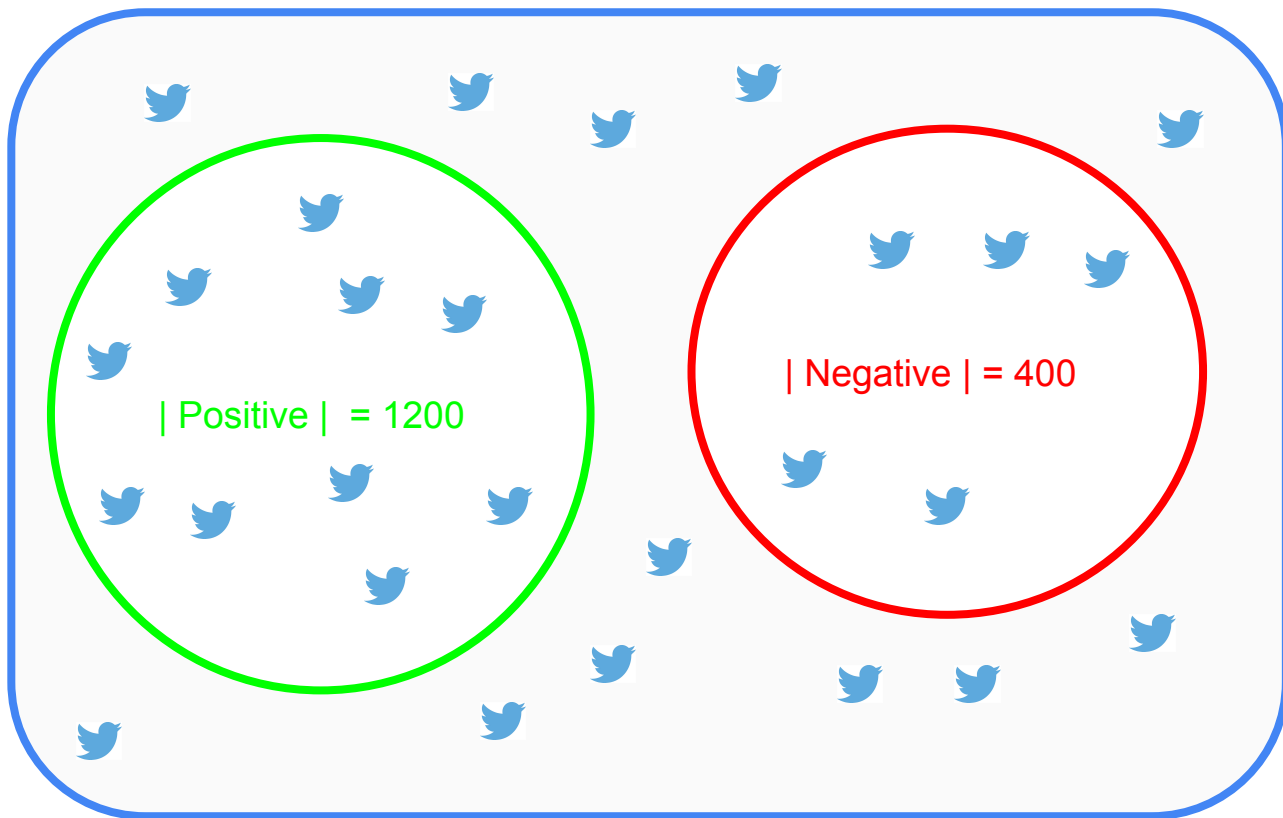


Breakfast of Champions



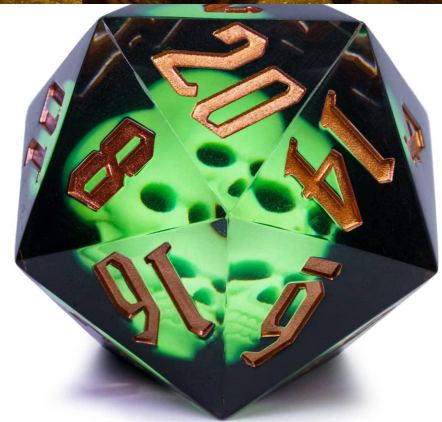
$U =$  tweets

$|U| = 5000$



Probability Review:

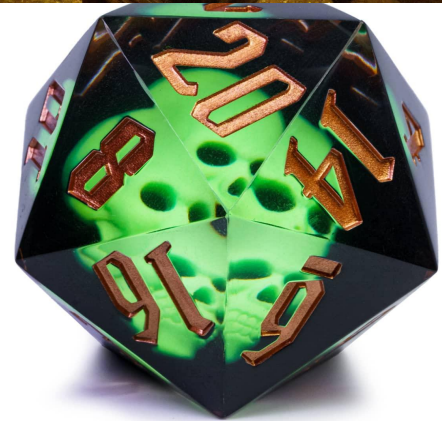
Q: What is the probability that you roll a 20?



Probability Review:

Q: What is the probability that you roll a 20?

Q: What is the probability that you roll two 20s in a row?



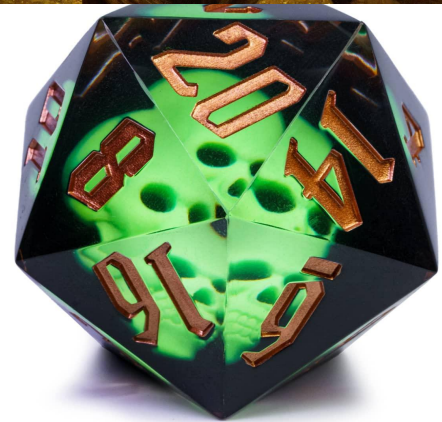
Probability Review:

Q: What is the probability that you roll a 20?

Q: What is the probability that you roll two 20s in a row?

Q: **Given** that you have already rolled a 20, what is the probability that you roll another 20?

Hint: these are two *separate* rolling events, and we only care about the second one!



Probability Review:

Q: What is the probability that you roll a 20?

A: $P(\text{rolling } 20) = 1/20$

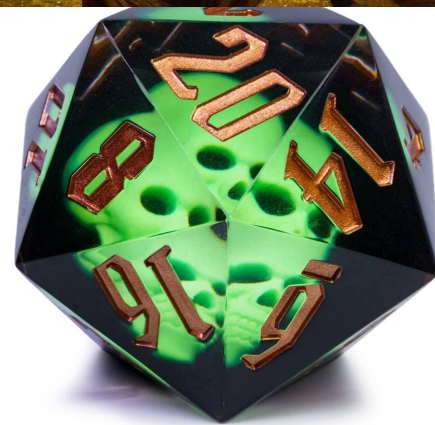
Q: What is the probability that you roll two 20s in a row?

A: $P(\text{rolling two } 20\text{s}) = P(\text{rolling } 20) \times P(\text{rolling } 20)$
 $= 1/20 \times 1/20$
 $= 1/400$

Q: **Given** that you have already rolled a 20, what is the probability that you roll another 20?

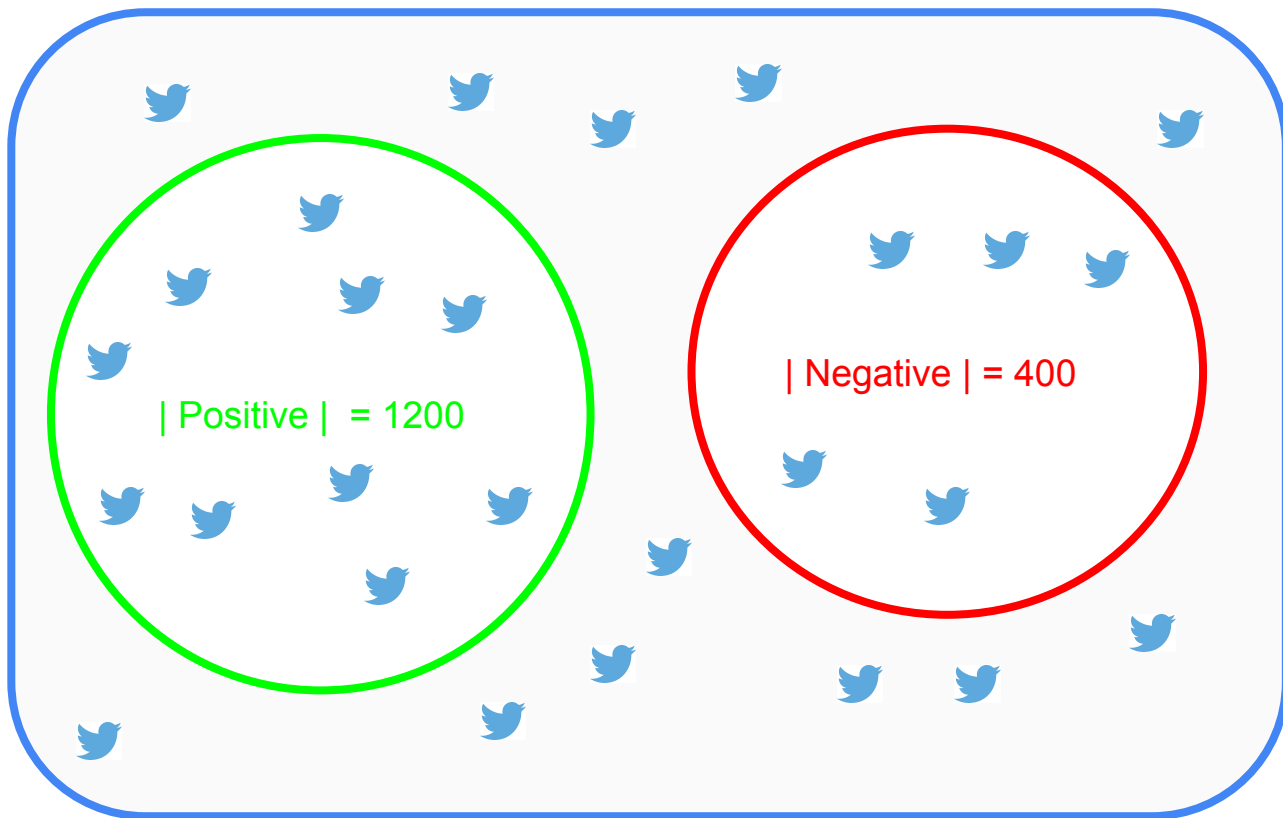
Hint: these are two *separate* rolling events, and we only care about the second one!

A: $P(\text{rolling } 20 \mid \text{rolled a } 20) = 1 / 20$



$U =$  tweets

$|U| = 5000$



Making Predictions



estinien liker ¹⁸ @thottiestknight · Jun 10



I TRIED SOME **VEGEMITE** ON ITS OWN AGAIN BUT THIS TIME IT TASTES
GOOD MOM



Question: how do we use our dataset to make *automatic* predictions about the sentiment of a tweet that we have never seen before?

Making Predictions



estinien liker ¹⁸ @thottiestknight · Jun 10

I TRIED SOME **VEGEMITE** ON ITS OWN AGAIN BUT THIS TIME IT TASTES GOOD MOM



Question: how do we use our dataset to make *automatic* predictions about the sentiment of a tweet that we have never seen before?

Answer: First, treat our little dataset like a model of the universe. Then, calculate the probability that a tweet is positive, **given** that we've rolled these particular words

It's so . . . easy?



estinien liker 18 @thottiestknight · Jun 10

I TRIED SOME **VEGEMITE** ON ITS OWN AGAIN BUT THIS TIME IT TASTES
GOOD MOM



Just find the probability that a tweet is positive, given that it contains the words "I" and "tried" and "own" and "again" and...!

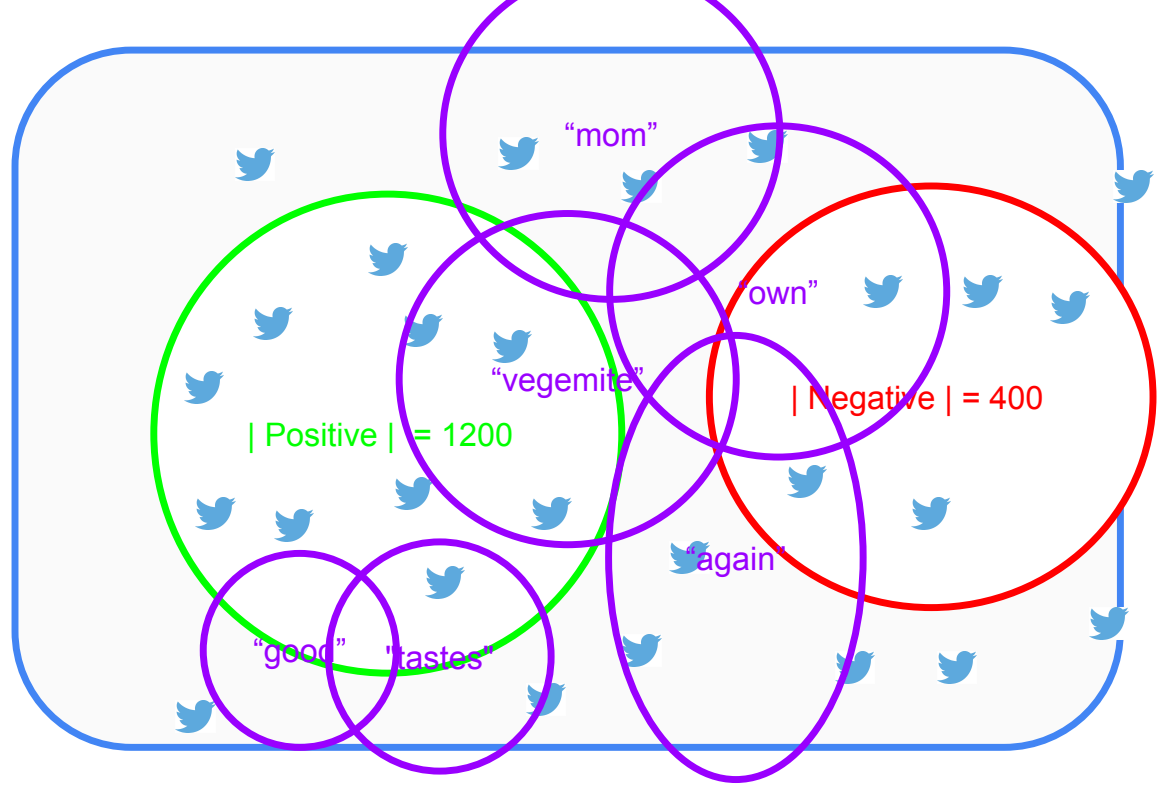
$P(\text{Pos} \mid \text{I AND tried AND own AND again AND tastes AND good AND mom AND scared})$

$= (\text{positive tweets containing all of these words}) / (\text{tweets containing all of these words})$

We just look at our giant chart and find the **intersection** of all these probabilities!

$U =$  tweets

$|U| = 5000$

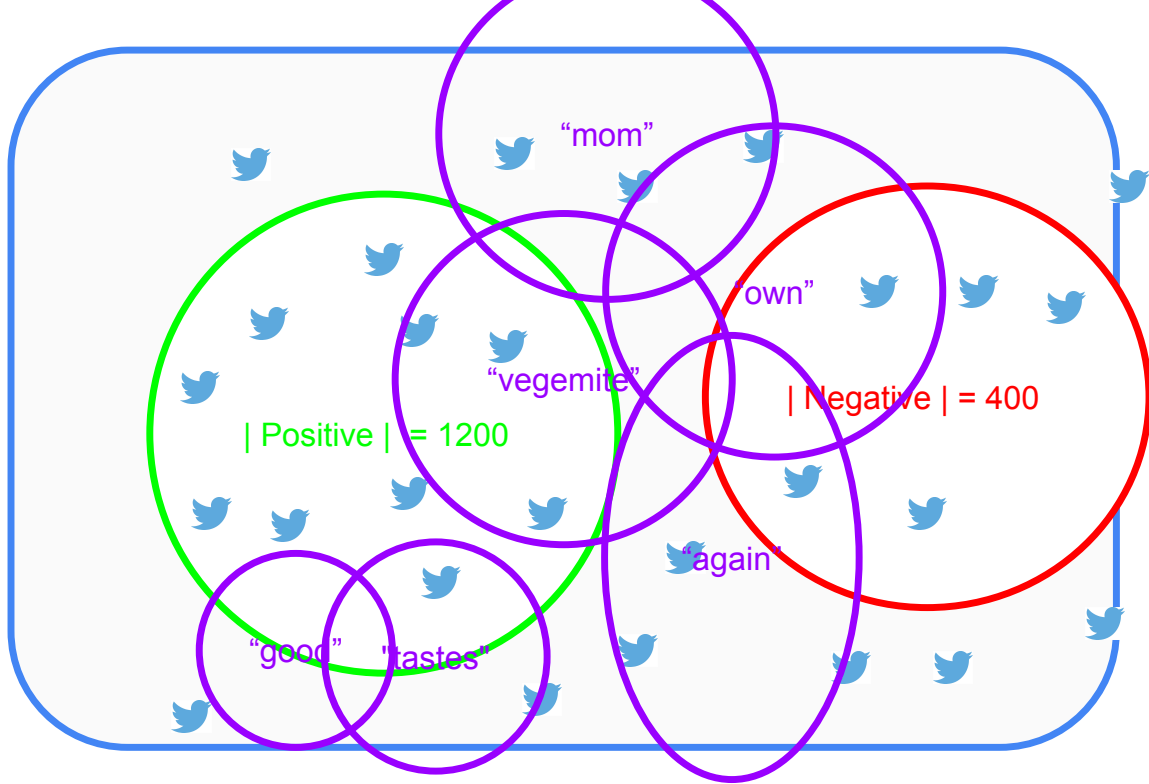


$P(\text{Pos} \mid \text{I AND tried AND own AND again AND tastes AND vegemite AND mom AND scared})$
 $= (\text{positive tweets containing all of these words}) / (\text{tweets containing all of these words})$

$U =$  tweets

$|U| = 5000$

PROBLEM:
Language is
way too clever
for that!



$P(\text{Pos} \mid \text{I AND tried AND own AND again AND tastes AND vegemite AND mom AND scared})$
 $= (\text{positive tweets containing all of these words}) / (\text{tweets containing all of these words})$

Workaround: Independence assumption: Treating language like a 20 sided die



estinien liker  @thottiestknight · Jun 10

I TRIED SOME **VEGEMITE** ON ITS OWN AGAIN BUT THIS TIME IT TASTES GOOD MOM



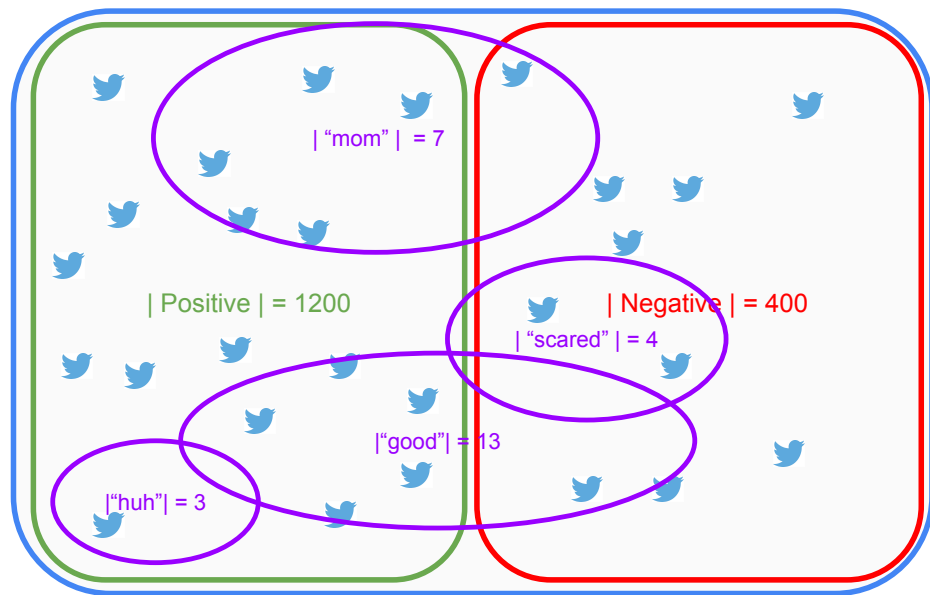
Let's say our vocabulary is 1 million words. A million-sided die

Then each tweet is like a group of dice rolls.

A 10 word tweet is like rolling 10 million-sided dice!

$U =$  tweets

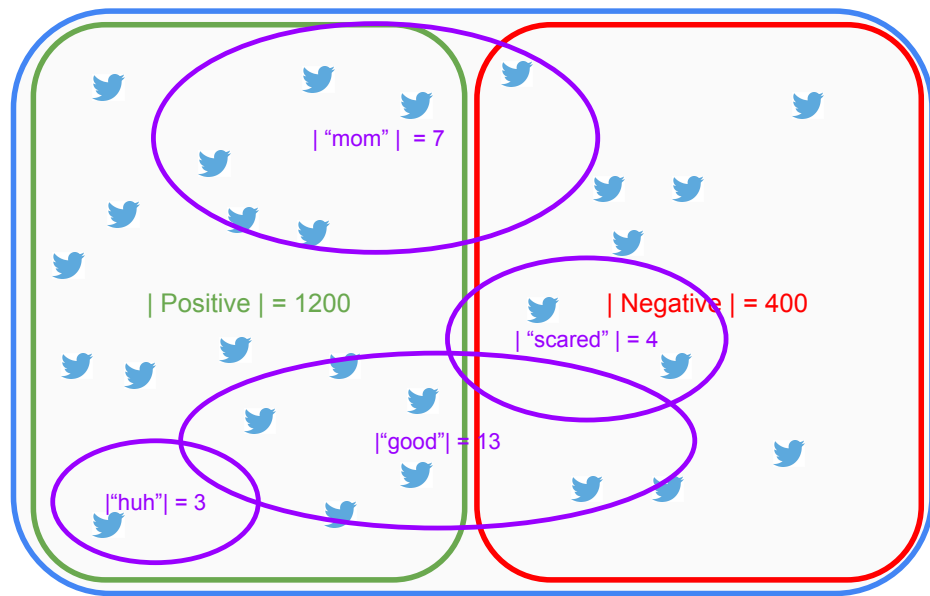
$|U| = 1600 =$ subjective tweets only!



vocabulary: good, mom, huh, scared

$U =$  tweets

$|U| = 1600 =$ subjective tweets only!



vocabulary: good, mom, huh, scared

GOAL:

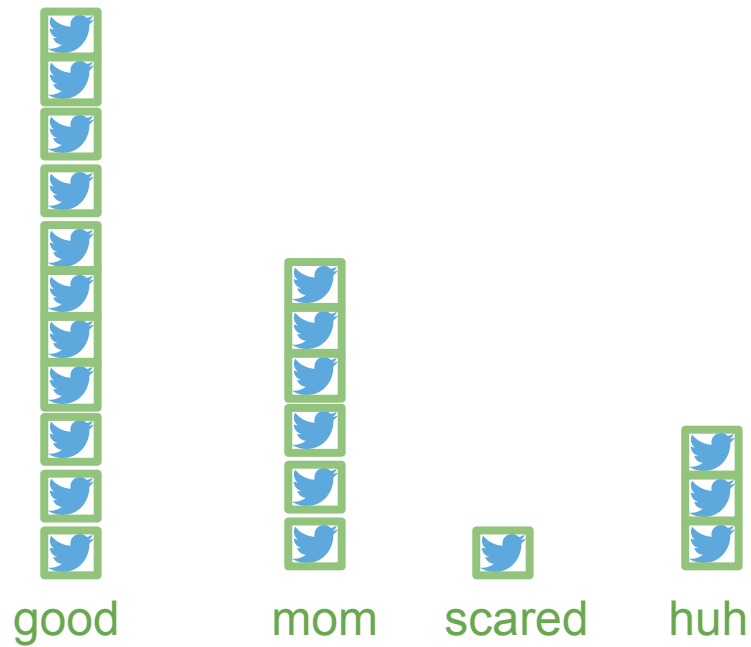
1. Calculate

$P(\text{POS} \mid \text{"good"}, \text{"mom"})$

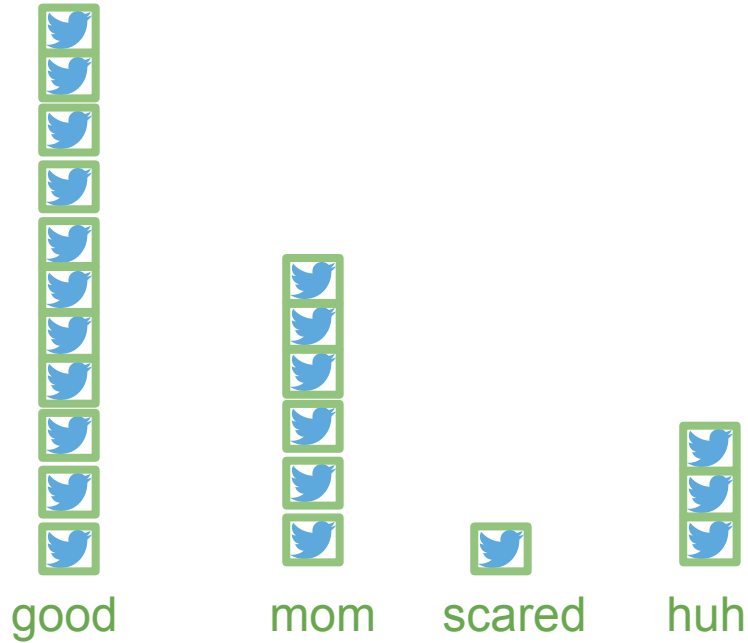
$P(\text{NEG} \mid \text{"good"}, \text{"mom"})$

2. compare

Histogram



Histogram



$$P(\text{"good"} \mid \text{POS}) = 11 / 21$$

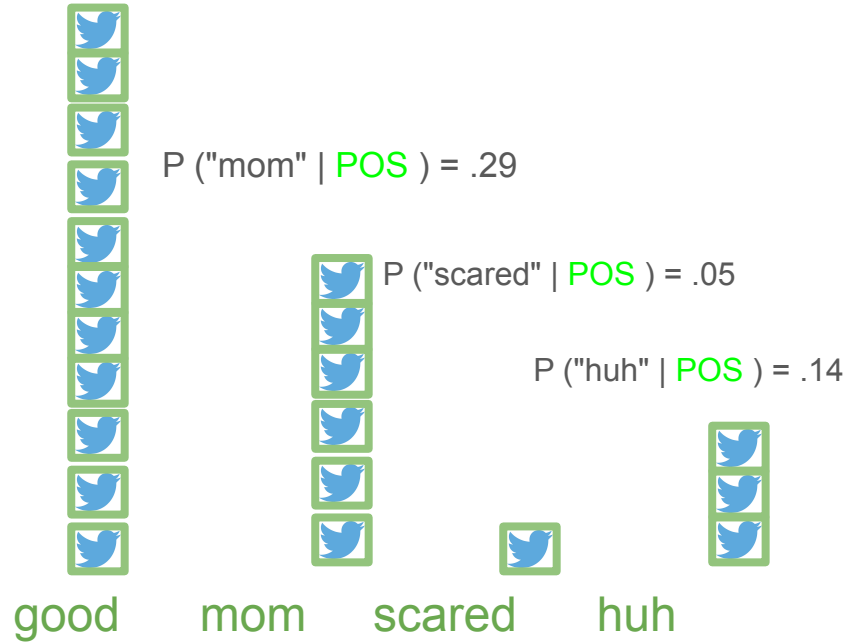
$$P(\text{"mom"} \mid \text{POS}) = 6 / 21$$

$$P(\text{"scared"} \mid \text{POS}) = 1 / 21$$

$$P(\text{"huh"} \mid \text{POS}) = 3 / 21$$

Histogram

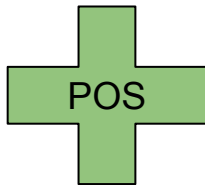
$P(\text{"good"} \mid \text{P}) = .52$



$P(\text{"mom"} \mid \text{POS}) = .29$

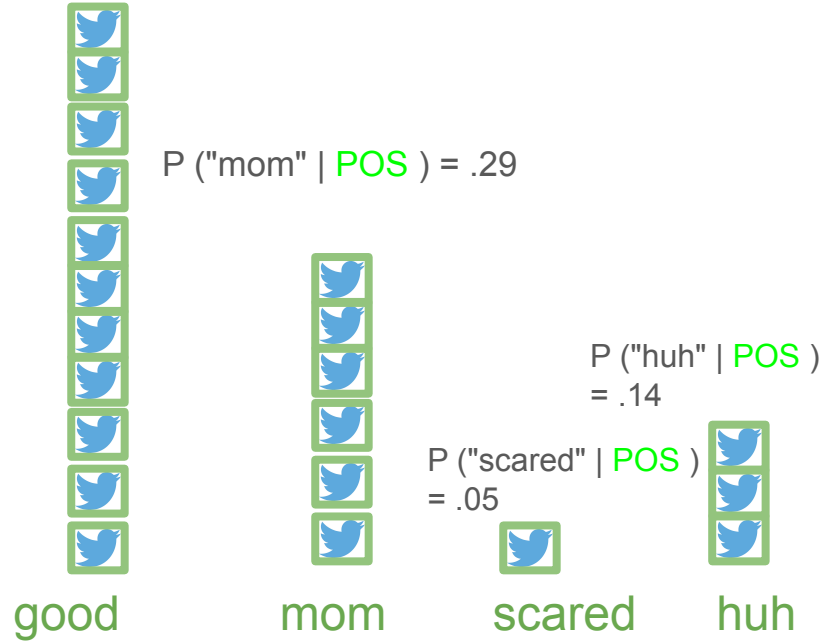
$P(\text{"scared"} \mid \text{POS}) = .05$

$P(\text{"huh"} \mid \text{POS}) = .14$



Histogram

$$P(\text{"good"} \mid \text{POS}) = .52$$



$$P(\text{"mom"} \mid \text{POS}) = .29$$

$$P(\text{"huh"} \mid \text{POS}) = .14$$

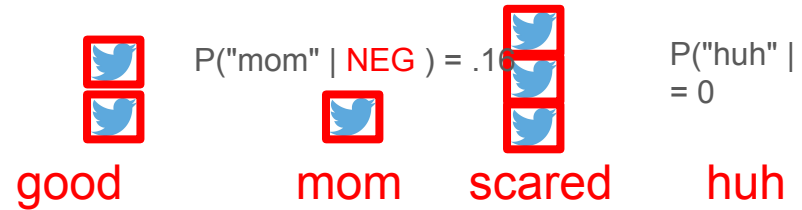
$$P(\text{"scared"} \mid \text{POS}) = .05$$

$$P(\text{"good"} \mid \text{NEG}) = .33$$

$$P(\text{"scared"} \mid \text{NEG}) = .5$$

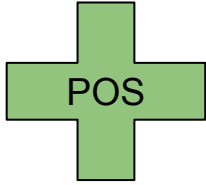
$$P(\text{"mom"} \mid \text{NEG}) = .16$$

$$P(\text{"huh"} \mid \text{NEG}) = 0$$



NEG

Probabilities

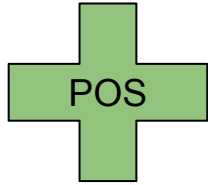


$P(\text{"good"} \mid \text{POS}) = .52$
 $P(\text{"mom"} \mid \text{POS}) = .29$
 $P(\text{"scared"} \mid \text{POS}) = .05$
 $P(\text{"huh"} \mid \text{POS}) = .14$

$P(\text{"good"} \mid \text{NEG}) = .33$
 $P(\text{"mom"} \mid \text{NEG}) = .16$
 $P(\text{"scared"} \mid \text{NEG}) = .5$
 $P(\text{"huh"} \mid \text{NEG}) = 0$



Joint Probabilities



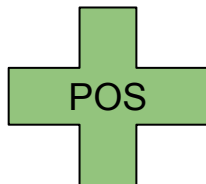
$P(\text{"good"} \mid \text{POS}) = .52$
 $P(\text{"mom"} \mid \text{POS}) = .29$
 $P(\text{"scared"} \mid \text{POS}) = .05$
 $P(\text{"huh"} \mid \text{POS}) = .14$

$P(\text{"good"} \mid \text{NEG}) = .33$
 $P(\text{"mom"} \mid \text{NEG}) = .16$
 $P(\text{"scared"} \mid \text{NEG}) = .5$
 $P(\text{"huh"} \mid \text{NEG}) = 0$



Q: Given we have a 2-word positive tweet, What's the probability that it contains "good" and "mom"?

Joint Probabilities



$P(\text{"good"} \mid \text{POS}) = .52$
 $P(\text{"mom"} \mid \text{POS}) = .29$
 $P(\text{"scared"} \mid \text{POS}) = .05$
 $P(\text{"huh"} \mid \text{POS}) = .14$

$P(\text{"good"} \mid \text{NEG}) = .33$
 $P(\text{"mom"} \mid \text{NEG}) = .16$
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 $P(\text{"huh"} \mid \text{NEG}) = 0$

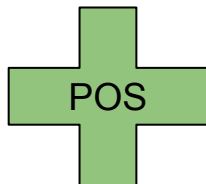


Q: Given we have a 2-word positive tweet, What's the probability that it contains "good" and "mom"?

$$P(A,B) = P(A) \times P(B)$$

$$P(\text{"good", "mom"} \mid \text{POS}) = P(\text{"good"} \mid \text{POS}) \times P(\text{"mom"} \mid \text{POS})$$

Joint Probabilities



$P(\text{"good"} \mid \text{POS}) = .52$
 $P(\text{"mom"} \mid \text{POS}) = .29$
 $P(\text{"scared"} \mid \text{POS}) = .05$
 $P(\text{"huh"} \mid \text{POS}) = .14$

$P(\text{"good"} \mid \text{NEG}) = .33$
 $P(\text{"mom"} \mid \text{NEG}) = .16$
 $P(\text{"scared"} \mid \text{NEG}) = .5$
 $P(\text{"huh"} \mid \text{NEG}) = 0$



Q: Given we have a 2-word positive tweet, What's the probability that it contains "good" and "mom"?

$$P(A,B) = P(A) \times P(B)$$

$$P(\text{"good", "mom"} \mid \text{POS}) = P(\text{"good"} \mid \text{POS}) \times P(\text{"mom"} \mid \text{POS})$$

PROBLEM: we **have** $P(\text{"good", "mom"} \mid \text{POS})$
but we **want** $P(\text{POS} \mid \text{"good", "mom"})$

Bayes' Theorem to the Rescue

THE PROBABILITY OF "B"
BEING TRUE GIVEN THAT
"A" IS TRUE

THE PROBABILITY
OF "A" BEING
TRUE

$$P(A|B) = \frac{P(B|A) P(A)}{P(B)}$$

↑
THE PROBABILITY
OF "A" BEING TRUE
GIVEN THAT "B" IS
TRUE

↑
THE PROBABILITY
OF "B" BEING
TRUE

The diagram illustrates Bayes' Theorem with handwritten annotations. The formula is $P(A|B) = \frac{P(B|A) P(A)}{P(B)}$. Annotations include: 'THE PROBABILITY OF "B" BEING TRUE GIVEN THAT "A" IS TRUE' pointing to $P(B|A)$; 'THE PROBABILITY OF "A" BEING TRUE' pointing to $P(A)$; 'THE PROBABILITY OF "A" BEING TRUE GIVEN THAT "B" IS TRUE' pointing to $P(A|B)$; and 'THE PROBABILITY OF "B" BEING TRUE' pointing to $P(B)$.

Bayes' Theorem to the Rescue

Allows us to invert
the conditioning of a
conditional
probability

THE PROBABILITY OF "B"
BEING TRUE GIVEN THAT
"A" IS TRUE

THE PROBABILITY
OF "A" BEING
TRUE

$$P(A|B) = \frac{P(B|A) P(A)}{P(B)}$$

THE PROBABILITY
OF "A" BEING TRUE
GIVEN THAT "B" IS
TRUE

THE PROBABILITY
OF "B" BEING
TRUE

The diagram illustrates Bayes' Theorem with handwritten annotations. The equation $P(A|B) = \frac{P(B|A) P(A)}{P(B)}$ is centered. An orange arrow points from the text 'Allows us to invert the conditioning of a conditional probability' to the equation. Handwritten text above the equation explains the terms: 'THE PROBABILITY OF "B" BEING TRUE GIVEN THAT "A" IS TRUE' points to $P(B|A)$, 'THE PROBABILITY OF "A" BEING TRUE' points to $P(A)$, 'THE PROBABILITY OF "A" BEING TRUE GIVEN THAT "B" IS TRUE' points to $P(A|B)$, and 'THE PROBABILITY OF "B" BEING TRUE' points to $P(B)$.

Bayes' Theorem to the Rescue

Allows us to invert the conditioning of a conditional probability

$$P(A|B) = \frac{P(B|A) P(A)}{P(B)}$$

THE PROBABILITY OF "A" BEING TRUE GIVEN THAT "B" IS TRUE

THE PROBABILITY OF "B" BEING TRUE GIVEN THAT "A" IS TRUE

THE PROBABILITY OF "A" BEING TRUE

THE PROBABILITY OF "B" BEING TRUE

Bayesian "Priors":

Using the prior probabilities of A and B in our dataset

Thomas Bayes

- Philosopher, Presbyterian minister, and very influential statistician
- *Divine Benevolence, or an Attempt to Prove That the Principal End of the Divine Providence and Government is the Happiness of His Creatures (1731)*
- Later became interested in probability



Bayes to the Rescue

We have a way to get there with Bayes Rule!

$$P(\text{POS} \mid \text{"good", "mom"})$$

$$\propto P(\text{"good", "mom"} \mid \text{POS}) \times P(\text{POS})$$

Bayes to the Rescue

We have a way to get there with Bayes Rule!

$$P(\text{POS} \mid \text{"good"}, \text{"mom"})$$

$$\propto P(\text{"good"}, \text{"mom"} \mid \text{POS}) \times P(\text{POS})$$

$$P(\text{NEG} \mid \text{"good"}, \text{"mom"}, \text{scared})$$

$$\propto P(\text{"good"}, \text{"mom"} \mid \text{NEG}) \times P(\text{NEG})$$

Bayes to the Rescue

We have a way to get there with Bayes Rule!

$$P(\text{POS} \mid \text{"good", "mom"})$$

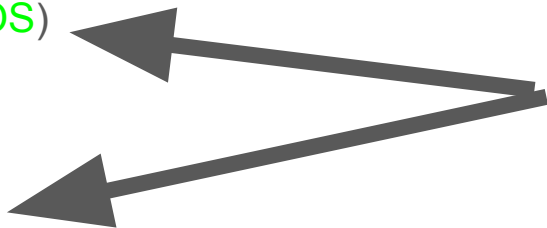
$$\propto P(\text{"good", "mom"} \mid \text{POS}) \times P(\text{POS})$$

$$P(\text{NEG} \mid \text{"good", "mom", "scared"})$$

$$\propto P(\text{"good", "mom"} \mid \text{NEG}) \times P(\text{NEG})$$

**Bayesian
"Priors":**

The the
probability
that any given
tweet is **POS**
or **NEG**



Bayes to the Rescue

We can break down the values we want by the values we have

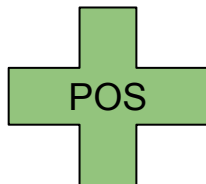
$$P(\text{POS} \mid \text{"good"}, \text{"mom"}, \text{scared}, \text{"own"})$$

$$\propto P(\text{"good"}, \text{"mom"} \mid \text{POS}) \times P(\text{POS})$$

$$P(\text{NEG} \mid \text{"good"}, \text{"mom"}, \text{scared})$$

$$\propto P(\text{"good"}, \text{"mom"} \mid \text{NEG}) \times P(\text{NEG})$$

Applying Bayes Rule



$P(\text{"good"} \mid \text{POS}) = .52$
 $P(\text{"mom"} \mid \text{POS}) = .29$
 $P(\text{"scared"} \mid \text{POS}) = .05$
 $P(\text{"huh"} \mid \text{POS}) = .14$

$P(\text{"good"}, \text{"mom"} \mid \text{POS}) = ?$

$P(\text{POS}) = ?$

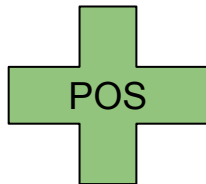


$P(\text{"good"} \mid \text{NEG}) = .33$
 $P(\text{"mom"} \mid \text{NEG}) = .16$
 $P(\text{"scared"} \mid \text{NEG}) = .5$
 $P(\text{"huh"} \mid \text{NEG}) = 0$

$P(\text{"good"}, \text{"mom"} \mid \text{NEG}) = ?$

$P(\text{NEG}) = ?$

Applying Bayes Rule



$$\begin{aligned}P(\text{"good"} \mid \text{POS}) &= .52 \\P(\text{"mom"} \mid \text{POS}) &= .29 \\P(\text{"scared"} \mid \text{POS}) &= .05 \\P(\text{"huh"} \mid \text{POS}) &= .14\end{aligned}$$

$$P(\text{"good"}, \text{"mom"} \mid \text{POS})$$

$$\begin{aligned}&= P(\text{"good"} \mid \text{POS}) \times P(\text{"mom"} \mid \text{POS}) \\&= .52 \times .29 \\&= 0.15\end{aligned}$$

$$P(\text{POS}) = 0.75$$



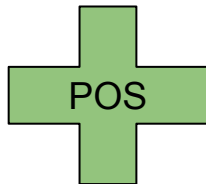
$$\begin{aligned}P(\text{"good"} \mid \text{NEG}) &= .33 \\P(\text{"mom"} \mid \text{NEG}) &= .16 \\P(\text{"scared"} \mid \text{NEG}) &= .5 \\P(\text{"huh"} \mid \text{NEG}) &= 0\end{aligned}$$

$$P(\text{"good"}, \text{"mom"} \mid \text{NEG})$$

$$\begin{aligned}&= P(\text{"good"} \mid \text{NEG}) \times P(\text{"mom"} \mid \text{NEG}) \\&= .33 \times .16 \\&= 0.05\end{aligned}$$

$$P(\text{NEG}) = 0.75$$

Applying Bayes Rule



$$P(\text{POS}) = .75$$

$$\begin{aligned}P(\text{"good"} \mid \text{POS}) &= .52 \\P(\text{"mom"} \mid \text{POS}) &= .29 \\P(\text{"scared"} \mid \text{POS}) &= .05 \\P(\text{"huh"} \mid \text{POS}) &= .14\end{aligned}$$

$$P(\text{"good", "mom", scared} \mid \text{POS})$$

$$\begin{aligned}&= P(\text{"good"} \mid \text{POS}) \times P(\text{"mom"} \mid \text{POS}) \\&= .52 \times .29\end{aligned}$$

$$= 0.15$$



$$P(\text{NEG}) = .25$$

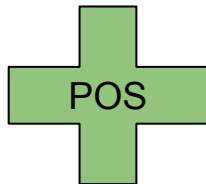
$$\begin{aligned}P(\text{"good"} \mid \text{NEG}) &= .33 \\P(\text{"mom"} \mid \text{NEG}) &= .16 \\P(\text{"scared"} \mid \text{NEG}) &= .5 \\P(\text{"huh"} \mid \text{NEG}) &= 0\end{aligned}$$

$$P(\text{"good", "mom", scared} \mid \text{NEG})$$

$$\begin{aligned}&= P(\text{"good"} \mid \text{NEG}) \times P(\text{"mom"} \mid \text{NEG}) \\&= .33 \times .16 \times .5\end{aligned}$$

$$= 0.05$$

Applying Bayes Rule



$$P(\text{POS}) = .75$$

$$P(\text{"good", "mom", scared" | POS}) = 0.15$$



$$P(\text{NEG}) = .25$$

$$P(\text{"good", "mom", scared" | NEG}) = .05$$

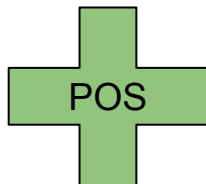
$$P(\text{POS | "good", "mom", scared", "own" })$$

$$\propto P(\text{"good", "mom", scared", "own" | POS}) \times P(\text{POS})$$

$$P(\text{NEG | "good", "mom", scared" })$$

$$\propto P(\text{"good", "mom", scared" | NEG}) \times P(\text{NEG})$$

Applying Bayes Rule



$$P(\text{POS}) = .75$$

$$P(\text{"good", "mom", scared" | POS}) = 0.15$$



$$P(\text{NEG}) = .25$$

$$P(\text{"good", "mom", scared" | NEG}) = .005$$

$$P(\text{POS | "good", "mom", scared", "own" })$$

$$\propto P(\text{"good", "mom", scared", "own" | POS}) \times P(\text{POS})$$

$$\propto 0.15 \times 0.75$$

$$\propto 0.1125$$

$$P(\text{NEG | "good", "mom", scared" })$$

$$\propto P(\text{"good", "mom", scared" | NEG}) \times P(\text{NEG})$$

$$\propto 0.005 \times 0.25$$

$$\propto 0.00125$$

TA-DA! The Naive Bayes Classifier

Bayesian probability model + decision rule = tweet classifier!

(what we just did)

Decision rule: a way of choosing a label based on the probability estimates. Essentially, you look at $P(\text{POS} | \text{'good'}, \text{'mom'}, \text{'scared'})$ and $P(\text{NEG} | \text{'good'}, \text{'mom'}, \text{'scared'})$ and choose the one that's higher. The fancy word for choosing the label with the highest probability is the *argmax* function.

Problem?

Question: what happens when we run our Naive Bayes classifier on this tweet?



estinien liker  @thottiestknight · Jun 10



I TRIED SOME **VEGEMITE** ON ITS OWN AGAIN BUT THIS TIME IT TASTES
GOOD MOM IM SCARED



6



13



Problems?

- Independence assumption
- sarcasm / irony
- ambiguity
-

That all made perfect sense, right?



<https://www.youtube.com/watch?v=8al5cSQNmME>

(Skip to 5:45)

DID THE SUN JUST EXPLODE?
(IT'S NIGHT, SO WE'RE NOT SURE.)

THIS NEUTRINO DETECTOR MEASURES
WHETHER THE SUN HAS GONE NOVA.

THEN, IT ROLLS TWO DICE. IF THEY
BOTH COME UP SIX, IT LIES TO US.
OTHERWISE, IT TELLS THE TRUTH.

LET'S TRY.

DETECTOR! HAS THE
SUN GONE NOVA?

ROLL

YES.



FREQUENTIST STATISTICIAN:

THE PROBABILITY OF THIS RESULT
HAPPENING BY CHANCE IS $\frac{1}{36} = 0.027$.
SINCE $p < 0.05$, I CONCLUDE
THAT THE SUN HAS EXPLODED.



BAYESIAN STATISTICIAN:

BET YOU \$50
IT HASN'T.



Administrivia

For next class:

- read the syllabus
- Read golden gate claudé blog post (3 mins)
- Watch subliminal messaging video (15 mins)