Lab2 Computational Physics I - Phys381

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1 Fractals

1.1 Question a:

1.1.1 Question a-i:

A complex number will produce a fractal if, when starting at zero and applying a law(interaction), keeps bounded until the number of interactions break. The interaction is going to keep bounded if you set a specific value for the complex number. On this interaction law the values for the complex number that keeps the value bounded are $-1 < x \le 1$.

Data points obtained from [1.3.1]:

n_c	complex z	$ complexz ^2$
1	(0.300, 0.300)	0.424
2	(0.300, 0.483)	0.566
3	(0.159, 0.587)	0.609
4	(-2.0E-02, 0.48)	0.488

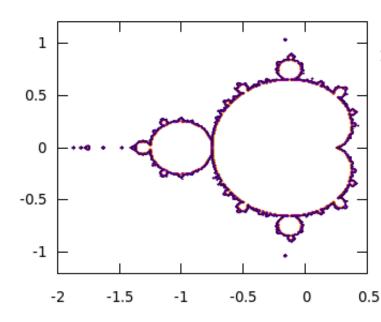
1.1.2 Question a-ii:

Data points obtained from [1.3.2]:

n_c	complex z	$ complexz ^2$
1	(0.500, 1.000)	1.118
2	(-0.250, 2.000)	2.015
3	(-3.437, 0.000)	3.437
4	(12.31, 1.000)	12.35
5	(151.1, 25.63)	153.3

1.2 Question B:

Figure obtained through the [1.3.3] and plotted using [1.3.4]:



1.3 Codes:

1.3.1 Question a-i:

```
\begin{aligned} & \text{program main} \\ & \text{complex} :: \text{complex}_c, complex_z \\ & integer :: i \\ & complex_z = cmplx(0,0) \\ & complex_c = cmplx(.3,.3) \\ & doi = 1,4 \\ & complex_z = complex_z * complex_z + complex_c \\ & print*, i, complex_z, abs(complex_z) \\ & enddo \\ & end \end{aligned}
```

1.3.2 Question a-ii:

```
\begin{aligned} & \text{program main} \\ & \text{complex} :: \text{complex}_c, complex_z \\ & integer :: i \\ & complex_z = cmplx(0,0) \\ & complex_c = cmplx(.5,1) \\ & doi = 0,10 \\ & complex_z = complex_z * complex_z + complex_c \\ & print*, i, complex_z, abs(complex_z) \\ & enddo \\ & end \end{aligned}
```

1.3.3 main-program

! beginning of the code

program main

```
complex :: complex<sub>c</sub>, complex_z ! declaration \ of \ complex \ statements integer :: i, j, k ! declaration \ of \ integer \ statements real :: x, y
```

```
! open a file for writing the data points
x = -2.0
! initial\ value\ for\ x
k = -1000
! maximum value for iterations
do j = -200,200
! first loop for the position x
y = -2.0
! initial value for y
do i = -200,200
! second loop for the position y
complex_c = cmplx(x, y)
! value for complex C
complex_z = cmplx(.0, .0)
! value\ for\ complex\ Z
do
! Third loop
complex_z = (complex_z * complex_z) + complex_c
! Equation for the Mandelbrot
ifabs(complex_z) >= 2.0) then
! first condition for breaking the loop
exit
! break the loop
end if
! end of the condition
ifk == 1000) then
! second condition for
exit
! break the loop
end if
! end of the condition
k = k + 1
! increments for the number of iterations
end do
! end of the third loop
write(12,*), real(complex_c), aimag(complex_c), k
! writing the data on the open file
k = -1000
! restatement for k
y = y + 0.01
```

! declaration of real statements

open(12, file = "lab2.dat")

```
! increments for position y end do
! end of the second loop x = x + 0.01
! increments for position x end do
! end of the first loop
close(12)
! close the open file
end program main
! end of the program
```

1.3.4 gnuplot-script

```
reset
set xrange[-2.0:0.5]
set yrange[-1.2:1.2]
set key outside top right
set cntrparam levels auto 25
unset ztics
set key outside top right
unset surface
set isosamples 50
set view map
set palette rgbformulae 33,13,10
set contour
set ticslevel 0.8
set view map splot 'lab2.dat' u 1:2:3 w lines no title
pause -1
```