

# Particle Physics An Introduction

Module 1:  
Matter and forces, measuring and counting  
Part 1.1: Matter

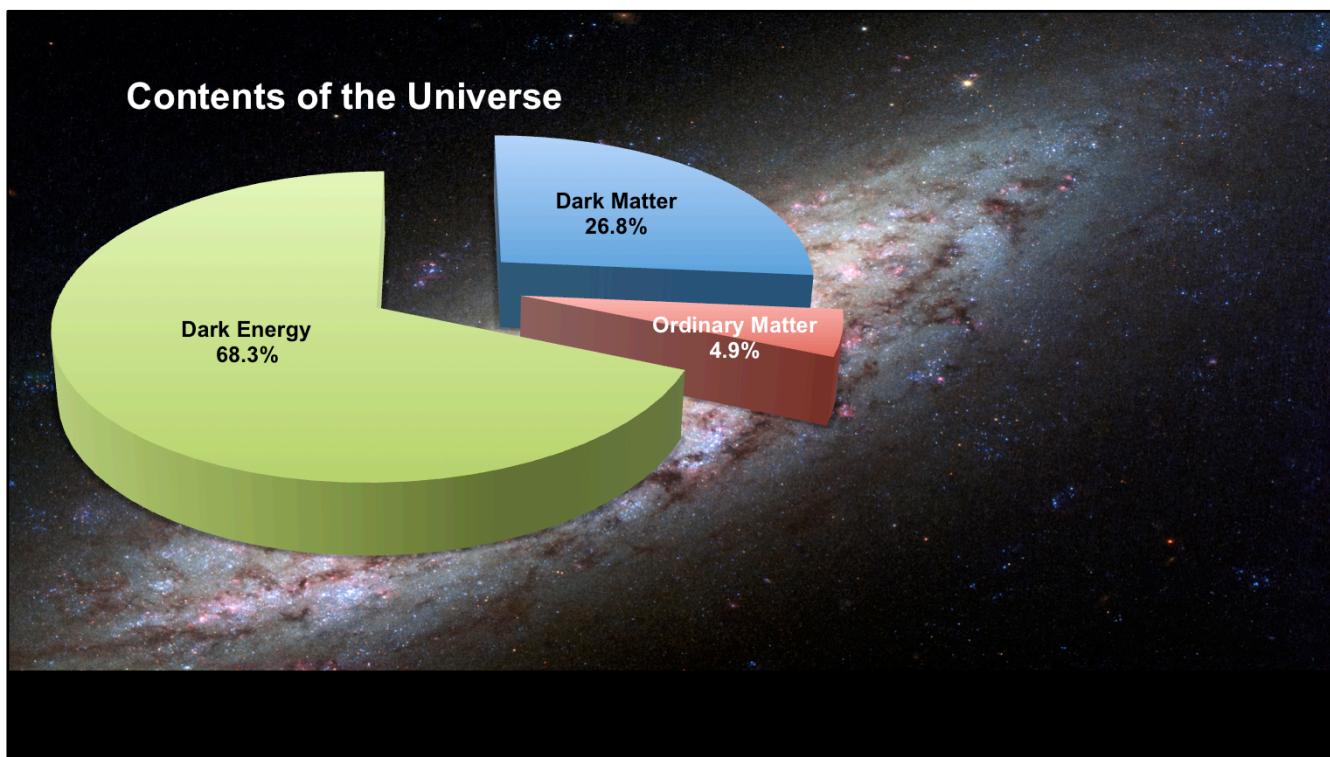
Hello and welcome to this introductory course on subatomic physics, brought to you by University of Geneva.

- During this first module, we will give an overview the objects studied in particle physics, namely matter, forces and space-time.
- We will also discuss how one characterizes the strength of an interaction between particles using the concept of cross section which is central to our subject.
- At the end of the module, we will visit the laboratory of the nuclear physics course at University of Geneva to see an example of how this works in practice.

In this first video we will take a quick tour of matter at the subatomic level.

After having watched this video you should:

- Know quarks and leptons by name and some of their fundamental properties;
- Be able to assign these constituents of matter to families and generations;
- And know the quantum numbers, which are conserved in interactions among particles.



We are interested in the subatomic structure of matter. Here is a schematic picture of the components of an atom. Of course it is not to scale, otherwise the nucleus would be invisible.

- The atom consists of a **positively charged nucleus** of small size,  $\sim 10^{-14}\text{m}$ , and a surrounding **electron cloud**, which is 10'000 time larger,  $\sim 10^{-10}\text{m}$ , and negatively charged.
- For all we know, the **electron** is an elementary particle, without internal structure and probably without size. It belongs to the family of **leptons**.
- Electrons and nucleus are bound together by **the electromagnetic force**.
- The **nucleus**, on the other hand, is not elementary, it contains protons and neutrons bound together by the **nuclear force**. We will talk about the physics of the atomic nucleus in the next module.
- **Protons and neutrons** are not elementary either, they contain **quarks** bound by the **strong force**.
- As far as we can tell today, **quarks are elementary** in the same sense as electrons.

**But be careful:** All of this describes just about 5% of the Universe! The rest is dark matter and dark energy, we will talk about these in Module 8.

		FERMIOS matter constituents spin = 1/2, 3/2, 5/2, ...				
Leptons spin =1/2		Quarks spin =1/2				
	Flavor	Mass GeV/c <sup>2</sup>	Electric charge	Flavor	Approx. Mass GeV/c <sup>2</sup>	Electric charge
<b>Neutrinos</b>	$\nu_L$ lightest neutrino*	$(0.0001\text{--}2)\times 10^{-9}$	0	<b>u</b> up	0.002	2/3
	e electron	0.000511	-1	<b>d</b> down	0.005	-1/3
<b>Charged Leptons</b>	$\nu_M$ middle neutrino*	$(0.009\text{--}2)\times 10^{-9}$	0	<b>c</b> charm	1.3	2/3
	$\mu$ muon	0.106	-1	<b>s</b> strange	0.1	-1/3
	$\nu_H$ heaviest neutrino*	$(0.05\text{--}2)\times 10^{-9}$	0	<b>t</b> top	173	2/3
	$\tau$ tau	1.777	-1	<b>b</b> bottom	4.2	-1/3

**Quarks up**  
**Light Generation**  
**Medium Generation**  
**Heavy Generation**

One can assign quarks and leptons to **families** according to their properties, and to **generations** according to their mass, as shown in this table:

- The **lepton families** are shown on the left: all **charged leptons** have similar properties as the electron, which is the most well known member of this family. Their electric charge is minus one elementary charge  $e$ . The neutral leptons, the **neutrinos**, are produced in radioactive decays. They have zero electric charge and a very small mass.
- The quark families are shown on the right: these are the constituents of proton and neutron, and of all particles called hadrons. There are also two types: the up-type quarks have an electric charge of  $+2/3e$ , the down-type quarks have charge  $-1/3e$ .

Every family has **three generations**, almost identical copies of the first one but a lot heavier:

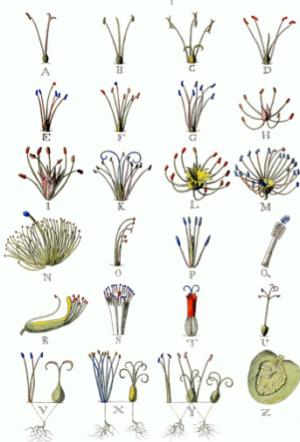
- In the first generation we find the electron  $e$ , the light neutrino  $\nu_L$  and the quarks up  $u$  and down  $d$ . These are the constituents of the matter around us today.
- The second generation has the muon  $\mu$ , the medium neutrino  $\nu_M$ , the charm quark  $c$  and the strange quark  $s$ .
- And finally in the third generation we find the tau lepton, the heavy neutrino  $\nu_H$  and the top and bottom quarks,  $t$  and  $b$ .
- There is a quantum number called **flavor**, which distinguishes between the generations inside each family. It is conserved by all interactions, except the weak interaction.

The **range of masses** in this table is very large:

- Neutrinos are the lightest matter particles, their masses are below 2 eV, probably rather in the range of meV. We will talk more about them in Module 6 which covers weak interactions.
- The top quark has a mass as large as a Hafnium nucleus ( $A=178$ ,  $Z=72$ ), but as far as we know it still is a point-like particle.

Georg Dionysius Ehret  
according to Carl von Linné,  
*Systema Naturae*, 1735

Clariss: LINNÆI M.D.  
METHODUS plantarum SEXUALIS  
in SISTEMATE NATURÆ  
descripta



Lugd. bat: 1736

G.D.EHRET. Palatheidelb.  
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Monandria.  
Diandria.  
Triandria.  
Tetrandria.  
Pentandria.  
Sexandria.  
Septandria.  
Octandria.  
Enneandria.  
Decandria.  
Dodecandria.  
Trigynandria.  
Polyandria.  
Didynamia.  
Tridynamia.  
Monodelphia.  
Diadelphia.  
Polyadelphia.  
Syngenia.  
Gynandria.  
Anomelia.  
Diocia.  
Polypenia.  
Cryptogamia.

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With these constituents, we can implement a descriptive nomenclature à la Linné

Hadrons			Leptons	
	Baryons	Mesons	Charged	Neutral
u, d:	p, n, $\Delta$	$\pi, \eta, \rho, \omega \dots$	$e^\pm$	$\nu_L$
s:	$\Lambda, \Sigma, \Xi, \Omega$	K	$\mu^\pm$	$\nu_M$
c:	$\Lambda_c, \Sigma_c, \Xi_c, \Omega_c$	D, $D_s, \eta_c, J/\psi, \chi_c$		
b:	$\Lambda_b, \Sigma_b, \Xi_b, \Omega_b$	B, $B_s, B_c, \Upsilon, \chi_b$	$\tau^\pm$	$\nu_H$
t:	—	—		

- We call **hadrons** all particles which contain quarks; they are sensitive to strong and nuclear interactions, **leptons** are not.
- **Baryons** are bound states formed by 3 quarks, **mesons** contain a quark and an antiquark.
- The **nucleons** p and n are the lightest baryons, they form the atomic nuclei we find around us.
- There are no hadrons including a **top quark** because of its short lifetime. This quark decays before it can form a bound state with others.
- **Leptons** are elementary in the sense that they are not composed of others particles for all we know. Observations are compatible with them having no size. They are pointlike, and so are the quarks.
- You will often see the **neutrinos**  $\nu_e, \nu_\mu, \nu_\tau$  in tables of this sort. These are mixtures of the true particles (with a specific mass) which we denote by  $\nu_L, \nu_M, \nu_H$  to identify their mass hierarchy and thus their generation.

Baryon Summary Table										Meson Summary Table											
										See also the table of suggested $q\bar{q}$ quark model assignments in the Quark Model section.											
										• Indicates particles that appear in the preceding Meson Summary Table. We do not regard the other entries as being established.											
<small>This short table gives the names, the quantum numbers (where known), and the status of baryons in the review. Only the baryons with 5 or 4-star status are included in the Baryon Summary Table. Due to insufficient mass or uncertain interpretation, the other entries in the table are not established baryons. The names with masses are of baryons that decay strongly. The spin-parity <math>J^P</math> (when known) is given with each particle. For strongly decaying particles, the <math>J^P</math>'s are considered to be part of the name.</small>																					
										LIGHT UNFLAVORED											
										$\rho^{\prime}(J^P)$	$\Xi^0(J^P)$	$\Xi^-(J^P)$	$\Xi_c^0(J^P)$	$\Xi_c^-(J^P)$	$K^0(J^P)$	$K^-(J^P)$	$Z_d^0(J^P)$	$Z_s^0(J^P)$	$CC$ $\rho_c^{\prime}(J^P)$		
$\rho$	1/2 <sup>-</sup> ****	$\Lambda(1232)$	3/2 <sup>-</sup> ****	$\Sigma^+$	1/2 <sup>-</sup> ****	$\Xi^0$	1/2 <sup>-</sup> ****	$\Xi^-$	1/2 <sup>-</sup> ****	$\Lambda(1232)$	1/2 <sup>-</sup> ****	$\Lambda(1690)$	0 <sup>-</sup> (1 <sup>-</sup> )	$K^0(890)$	0 <sup>-</sup> (0 <sup>-</sup> )	$Z_d^0(2040)$	1/2(0 <sup>-</sup> )	$\Xi_c^0(1520)$	0 <sup>-</sup> (1 <sup>-</sup> )	$\rho_c^{\prime}(1520)$	0 <sup>-</sup> (0 <sup>-</sup> )
$\rho'$	1/2 <sup>-</sup> ****	$\Lambda(1690)$	3/2 <sup>-</sup> ****	$\Sigma^-$	1/2 <sup>-</sup> ****	$\Xi(1530)$	3/2 <sup>-</sup> ***	$\Xi(1530)$	3/2 <sup>-</sup> ***	$\Lambda(1690)$	1/2 <sup>-</sup> ****	$\Lambda(2050)$	1/2 <sup>-</sup> ***	$K^0(890)$	0 <sup>-</sup> (0 <sup>-</sup> )	$Z_d^0(2040)$	1/2(0 <sup>-</sup> )	$\Xi_c^0(2040)$	0 <sup>-</sup> (1 <sup>-</sup> )	$\rho_c^{\prime}(2040)$	0 <sup>-</sup> (0 <sup>-</sup> )
$\Lambda(1440)$	1/2 <sup>-</sup> ***	$\Lambda(1620)$	1/2 <sup>-</sup> ***	$\Sigma^-$	1/2 <sup>-</sup> ***	$\Xi(1530)$	3/2 <sup>-</sup> ***	$\Xi(1530)$	3/2 <sup>-</sup> ***	$\Lambda(1690)$	1/2 <sup>-</sup> ***	$\Lambda(1690)$	1/2 <sup>-</sup> ***	$K^0(890)$	0 <sup>-</sup> (0 <sup>-</sup> )	$Z_d^0(2040)$	1/2(0 <sup>-</sup> )	$\Xi_c^0(2040)$	0 <sup>-</sup> (1 <sup>-</sup> )	$\rho_c^{\prime}(2040)$	0 <sup>-</sup> (0 <sup>-</sup> )
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$\Lambda(1890)$	3/2 <sup>-</sup> ***	$\Lambda(2110)$	3/2 <sup>-</sup> ***	$\Sigma(1860)$	1/2 <sup>-</sup> *	$\Xi(2400)$	*	$\Xi(2400)$	*	$\Lambda(1860)$	*	$\Lambda(2400)$	*	$K^0(890)$	0 <sup>-</sup> (0 <sup>-</sup> )	$Z_d^0(2040)$	1/2(0 <sup>-</sup> )	$\Xi_c^0(2040)$	0 <sup>-</sup> (1 <sup>-</sup> )	$\rho_c^{\prime}(2040)$	0 <sup>-</sup> (0 <sup>-</sup> )
$\Lambda(1900)$	3/2 <sup>-</sup> ***	$\Lambda(2120)$	3/2 <sup>-</sup> ***	$\Sigma(1870)$	1/2 <sup>-</sup> *	$\Xi(2420)$	*	$\Xi(2420)$	*	$\Lambda(1870)$	*	$\Lambda(2420)$	*	$K^0(890)$	0 <sup>-</sup> (0 <sup>-</sup> )	$Z_d^0(2040)$	1/2(0 <sup>-</sup> )	$\Xi_c^0(2040)$	0 <sup>-</sup> (1 <sup>-</sup> )	$\rho_c^{\prime}(2040)$	0 <sup>-</sup> (0 <sup>-</sup> )
$\Lambda(1910)$	3/2 <sup>-</sup> ***	$\Lambda(2130)$	3/2 <sup>-</sup> ***	$\Sigma(1880)$	1/2 <sup>-</sup> *	$\Xi(2440)$	*	$\Xi(2440)$	*	$\Lambda(1880)$	*	$\Lambda(2440)$	*	$K^0(890)$	0 <sup>-</sup> (0 <sup>-</sup> )	$Z_d^0(2040)$	1/2(0 <sup>-</sup> )	$\Xi_c^0(2040)$	0 <sup>-</sup> (1 <sup>-</sup> )	$\rho_c^{\prime}(2040)$	0 <sup>-</sup> (0 <sup>-</sup> )
$\Lambda(1920)$	3/2 <sup>-</sup> ***	$\Lambda(2140)$	3/2 <sup>-</sup> ***	$\Sigma(1890)$	1/2 <sup>-</sup> *	$\Xi(2460)$	*	$\Xi(2460)$	*	$\Lambda(1890)$	*	$\Lambda(2460)$	*	$K^0(890)$	0 <sup>-</sup> (0 <sup>-</sup> )	$Z_d^0(2040)$	1/2(0 <sup>-</sup> )	$\Xi_c^0(2040)$	0 <sup>-</sup> (1 <sup>-</sup> )	$\rho_c^{\prime}(2040)$	0 <sup>-</sup> (0 <sup>-</sup> )
$\Lambda(1930)$	3/2 <sup>-</sup> ***	$\Lambda(2150)$	3/2 <sup>-</sup> ***	$\Sigma(1900)$	1/2 <sup>-</sup> *	$\Xi(2480)$	*	$\Xi(2480)$	*	$\Lambda(1900)$	*	$\Lambda(2480)$	*	$K^0(890)$	0 <sup>-</sup> (0 <sup>-</sup> )	$Z_d^0(2040)$	1/2(0 <sup>-</sup> )	$\Xi_c^0(2040)$	0<sup		

	Spin	# bar.	# lept.	$Q$ elec.	$T, T_3$ weak <sup>1</sup>	$C$ strong
<b>Leptons:</b> $\nu_L, \nu_M, \nu_H$ $e^-, \mu^-, \tau^-$	1/2 1/2	0 0	+1 +1	0 -1	1/2, +1/2 1/2, -1/2	0 0
<b>Quarks:</b> $u, c, t$ $d, s, b$	1/2 1/2	+1/3 +1/3	0 0	+2/3 -1/3	1/2, +1/2 1/2, -1/2	$R, G, B$ $R, G, B$
<b>Gauge Bosons:</b> $\gamma$ $Z, W^\pm$ Gluons	1 1 1	0 0 0	0 0 0	0 $0, \pm 1$ 0	0 $1, (0, \pm 1)$ 0	0 0 $C\bar{C}$
<b>Vacuum:</b> Higgs	0	0	0	0	0	0

<sup>1</sup> Mind helicities and mixtures!

Here is a table summarizing **some important properties** of elementary particles:

- In the upper half you find constituents of **matter**. Leptons and quarks are **fermions of spin  $\frac{1}{2}$** .
- In the lower half you find particles that transmit **forces**. These are **bosons of integer spin**.
- The charges are indicated in units of an **elementary charge**, like the one of the electron in the case of the electric charge.
- The **electric charge** has one component. But the concept of charge is not limited to the electromagnetism.
- The weak charge is called **weak isospin** and has two components. It depends on the orientation of the particle spin with respect to its direction of motion, i.e. on its helicity.
- The strong charge is called **color**, it has three components. We use the abbreviations R(ed)m G(reen) and B(lue) to denote them. Color is a property of quarks, and of gluons, which even carry a color and an anticolor simultaneously.

	Spin	# bar.	# lept.	$Q$ elec.	$T, T_3$ weak <sup>1</sup>	$C$ strong
<b>Leptons:</b>						
$\bar{\nu}_L, \bar{\nu}_M, \bar{\nu}_H$	1/2	0	-1	0	1/2, -1/2	0
$e^+, \mu^+, \tau^+$	1/2	0	-1	+1	1/2, +1/2	0
<b>Quarks:</b>						
$\bar{u}, \bar{c}, \bar{t}$	1/2	-1/3	0	-2/3	1/2, -1/2	$\bar{R}, \bar{G}, \bar{B}$
$\bar{d}, \bar{s}, \bar{b}$	1/2	-1/3	0	+1/3	1/2, +1/2	$\bar{R}, \bar{G}, \bar{B}$
<b>Gauge Bosons:</b>						
$\gamma$	1	0	0	0	0	0
$Z, W^\pm$	1	0	0	$0, \mp 1$	$1, (0, \mp 1)$	0
Gluons	1	0	0	0	0	$\bar{C}C$
<b>Vacuum:</b>						
Higgs	0	0	0	0	0	0

<sup>1</sup> Mind helicities and mixtures!

- For every particle there is an **antiparticle**, which has the same mass but all charges opposite.

- Total baryon number:

$$\begin{aligned}\#(\text{baryons}) - \#(\text{antibaryons}) &= \text{const} \\ \#(q) - \#(\bar{q}) &= \text{const}\end{aligned}$$

- Total lepton number:

$$\begin{aligned}\#(\text{leptons}) - \#(\text{antileptons}) &= \text{const} \\ \#(l^-, \nu_l) - \#(l^+, \bar{\nu}_l) &= \text{const}; l = e, \mu, \tau\end{aligned}$$

$\nu_e, \nu_\mu, \nu_\tau$  are mixed states of the particles  $\nu_L, \nu_M, \nu_H$ .

- Charges of all types:

Electric charge  $Q$ ; Weak isospin  $(T, T_3)$ ; Color  $C = (R, G, B)$

- Flavor: conserved by strong and electromagnetic, but not by weak interactions.

Charges are additive quantum numbers. For a system of particles, the total charge is the sum of the charges of its constituents. But there are other additive quantum numbers that are conserved:

- The **total number of baryons**, i.e. the number of baryons minus the number of antibaryons, is conserved. This applies in particular to quarks, which have a baryon number of 1/3.
- The **total lepton number**, i.e. the number of leptons minus the number of antileptons also stays constant in a closed system. To a certain extent that is even true generation by generation, but the neutrinos which show up here,  $\nu_e, \nu_\mu, \nu_\tau$ , are mixtures of the « true » particles  $\nu_L, \nu_M, \nu_H$ .
- More important than that, the **charges of all types** are rigorously conserved as far as we know. This evidently concerns the electric charge  $Q$ , but also the weak isospin  $(T, T_3)$  and the color  $C=(R,G,B)$ .
- The **flavor**, which distinguishes between generations, is a special case: it is conserved by the strong and electromagnetic interactions, but not by the weak one.
- We will define what it exactly means to conserve a quantum number when we discuss Feynman diagrams in part 1.5 of this module and in the optional video 4.1a.

In the next video, we will discuss in more detail the forces which act between matter