

# Exercise D

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# Problem explanation

- Given two numbers  $n$  and  $k$ , determine the number of ways one can put  $k$  bishops on an  $n \times n$  chessboard so that no two of them are in attacking positions

# Solution explanation

- Implement a backtracking search
- The implementation is similar to the eight queens problem except:
  - Board is now  $n \times n$
  - Bishops are used

# Solution explanation

- Difference between the queens problem and the current bishop problem:
  - A bishop does not move vertically and horizontally

# Solution explanation

- When basing off the `construct_candidates` in the eight queens problem:
  - Disregard column threats to adjust to bishops

```
construct_candidates(int a[], int k, int n, int c[], int *ncandidates)
{
    int i,j;                                /* counters */
    bool legal_move;                        /* might the move be legal? */

    *ncandidates = 0;
    for (i=1; i<=n; i++) {
        legal_move = TRUE;
        for (j=1; j<k; j++) {
            if (abs((k)-j) == abs(i-a[j])) /* diagonal threat */
                legal_move = FALSE;
            if (i == a[j])                 /* column threat */
                legal_move = FALSE;
        }
        if (legal_move == TRUE) {
            c[*ncandidates] = i;
            *ncandidates = *ncandidates + 1;
        }
    }
}
```

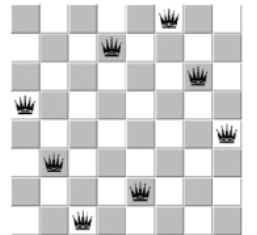


Figure 8.1. A solution to the eight-queens problem

# Solution explanation

- Otherwise, the rest follow the backtracking process:
- Continually find all candidates for solutions and keep track of all the legal moves

# Solution analysis

- Pros: Safely checks all possible combinations
- Cons: Since it is similar to brute force, the time complexity is worse
  - There may be a better and more methodological approach to this problem

Thank you!